



September 25, 2025 • Paper Solution • 8 minute read

DAA Mid Sem

This resource covers all the questions with solutions from design and analysis of algorithms mid semester exam.

Multiple Choice Questions

In recursion, the base case represents:

- A termination condition
- A loop
- None of the mentioned
- An infinite call



Which of the following is not a Divide and Conquer algorithm?

- Linear Search
- Merge Sort
- Strassen's Matrix Multiplication
- Quick Sort



Which of the following is not a property of an algorithm?

- Ambiguity
- Finiteness
- Input
- Definiteness



The best case time complexity for Binary Search is:

- $O(n \log n)$
- $O(n)$
- $O(1)$
- $O(\log n)$



Which notation gives a tight bound on an algorithm's growth?

- Big Θ
- Big O
- Little o
- Big Ω

✓

The worst case time complexity of Bubble Sort is:

- $O(n)$
- $O(n \log n)$
- $O(\log n)$
- $O(n^2)$

✓

The Activity Selection Problem is optimally solved using:

- Divide and Conquer
- Dynamic Programming
- Brute Force
- Greedy Strategy

✓

Kruskal's algorithm is designed to find:

- A Minimum Spanning Tree
- A matrix product
- A shortest path
- A tree traversal

✓

Which algorithm uses a priority queue to compute shortest paths?

- Dijkstra's
- Kruskal's
- Bubble Sort
- Prim's

✓

The notation that provides an upper bound on the running time of an algorithm is called _____.

Answer: O , Big O , Big Θ , Big Ω

✓

The algorithm that selects the minimum weight edge that does not form a cycle in a graph to build a Minimum Spanning Tree is _____

Answer: Kruskal, kruskals, kruskal's



In the Divide and Conquer technique, a problem is divided into smaller subproblems, solved recursively, and then the solutions are _____ to solve the original problem.

Answer: merged



In algorithm analysis, the case where the input causes the algorithm to take the least amount of time is known as the _____ case.

Answer: Best



The recurrence relation $T(n) = 2T(n/2) + O(n)$ corresponds to the time complexity of _____ sort using the divide and conquer method.

Answer: merge



Programming Tasks

Bubble Sort

You are given an unsorted array of integers. Your task is to implement a program to sort the array in **ascending order** using the **Bubble Sort algorithm**. Print the final sorted array in the specified output format.

Input Format:

- A single line of space-separated integers representing the elements of the array.

Output Format:

- Print the sorted array where to are sorted integers in ascending order, each separated by a single space.

Constraints:

- The array will contain **1 to 100** integers.
- The values of the integers will be in the range **$[-10^4$ to 10^4]**.

File Name: `Bubblesort.c`

C

```
#include <stdio.h>

void bubbleSort(int arr[], int n){
    int i, j, temp;
    for(i=0; i<n; i++){
        for(j=0; j<n-i-1; j++){
            if(arr[j]>arr[j+1]){
                temp=arr[j];
                arr[j]=arr[j+1];
                arr[j+1]=temp;
            }
        }
    }
}

int main(){
    int n;
    scanf("%d", &n);

    int arr[n];
    for(int i=0; i<n; i++){
        scanf("%d", &arr[i]);
    }

    bubbleSort(arr, n);

    for(int i=0; i<n; i++){
        printf("%d ", arr[i]);
    }
}
```

Min-Max Using Divide and Conquer

Implement a program to find **Min-Max in a given array** using the **Divide and Conquer** technique. The function should take three arguments: (arr, low, high) and recursively determine the minimum and maximum elements.

Input Format:

- The first line contains an integer N, the number of elements in the array.
- The second line contains N space-separated integers representing the elements of the array.

Output Format:

- Print the **minimum** and **maximum** element from the array using two separate lines in the following format:
 - Minimum:

- Maximum:

Constraints:

- $2 \leq N \leq 100$
- $-1000 \leq arr[i] \leq 1000$

File Name: MinMax.c

C

```
#include <stdio.h>

void findMinMax(int arr[],int low,int high,int *min,int *max){
    if(low==high){
        *min=arr[low];
        *max=arr[low];
        return;
    }
    int mid=(low+high)/2;
    int leftMin,leftMax,rightMin,rightMax;

    findMinMax(arr,low,mid,&leftMin,&leftMax);
    findMinMax(arr,mid+1,high,&rightMin,&rightMax);

    *min=(leftMin<rightMin)?leftMin:rightMin;
    *max=(leftMax>rightMax)?leftMax:rightMax;
}

int main(){
    int n;
    scanf("%d",&n);

    int arr[n];
    for(int i=0;i<n;i++){
        scanf("%d",&arr[i]);
    }

    int minVal,maxVal;
    findMinMax(arr,0,n-1,&minVal,&maxVal);

    printf("Minimum: %d\\n",minVal);
    printf("Maximum: %d\\n",maxVal);
}
```

Search Insert Position

Given a sorted array and a target value, return the index if the target is found. If not, return the index where it would be if it were inserted in order.

Input Format:

- The first line of input contains an integer N , representing the number of elements in the array.
- The second line contains N space-separated integers sorted in **increasing order**.
- The third line contains an integer representing the **target** value.

Output Format:

- Print a single integer — the index at which the target is found, or the index where it should be inserted.

Constraints:

- $1 \leq N \leq 100$
- $-10^4 \leq \text{Array elements}, \text{Target} \leq 10^4$
- All array elements are distinct and sorted in increasing order.

File Name: `Search.c`

```
#include <stdio.h>
int searchInsert(int* nums, int numsSize, int target) {
    int left = 0, right = numsSize - 1;

    while (left ≤ right) {
        int mid = left + (right - left) / 2;
        if (nums[mid] == target) {
            return mid;
        } else if (nums[mid] < target) {
            left = mid + 1;
        } else {
            right = mid - 1;
        }
    }
    return left;
}

int main() {
    int N;
    scanf("%d", &N);

    int nums[N];
    for(int i = 0; i < N; i++) {
        scanf("%d", &nums[i]);
    }
    int target;
    scanf("%d", &target);

    int index = searchInsert(nums, N, target);
    printf("%d\\n", index);

    return 0;
}
```

Mahishmati Sword Search

In the majestic kingdom of **Mahishmati**, the royal arsenal contains a **sorted array** of swords based on their strength. When **Baahubali** is about to go to war, he seeks a mightier sword than what he currently holds. But time is short — he needs to find this in the fastest way possible.

Problem Statement: Given a sorted array of integers representing the strength of swords in ascending order (duplicates allowed), and an integer x representing the strength Baahubali currently holds, find the **smallest sword strength strictly greater than x** . If no such sword exists, return -1.

Input Format:

- First line: Two integers n and x n : Number of swords x : Baahubali's current strength

- Second line: n space-separated integers denoting the strengths of the swords (sorted in non-decreasing order)

Output Format:

- A single integer — the strength of the **smallest sword strictly greater than x**, or -1 if no such sword exists.

Constraints:

- $1 \leq n \leq 10^5$
- $-10^9 \leq arr[i], x \leq 10^9$
- arr is sorted in non-decreasing order

Explanation of Test Case:

- **Input:** 5 10 5 10 10 20 30
- **Output:** 20
- **Explanation:** Baahubali's current strength is 10. Among the swords, the next stronger sword is 20. Hence, the output is 20.

File Name: Mahishmati.c

C

```

#include <stdio.h>

int find(int n,int x, int arr[]) {
    int left =0, right= n-1;
    while (left ≤ right) {
        int mid = left + (right - left) / 2;
        if (arr[mid] ≤ x) {
            left = mid + 1;
        } else {
            right = mid - 1;
        }
    }
    return (left < n) ? arr[left] : -1;
}

int main() {
    int n, x;
    scanf("%d %d", &n, &x);
    int arr[n];
    for (int i= 0; i<n; i++) {
        scanf("%d", &arr[i]);
    }
    int result = find(n, x, arr);
    printf("%d\\n", result);
    return 0;
}

```

Operation SINDOOR: Fractional Knapsack

During **Operation SINDOOR**, a strategic tri-services mission post the Pahalgam terror attack, a critical logistics challenge emerged. Aerial units were tasked with dropping high-value military supplies to border units under constant threat of UAVs and drone strikes. Each supply item had an **impact value** based on intelligence reports and a **weight** determining drone load. You must help the Integrated Command and Control System (ICCS) **maximize mission impact** with limited drone carrying capacity.

Problem Statement: Given n supply packages, each with a value v_i and weight w_i , and a total drone capacity W , you can **fractionally divide** supplies to load the drone. Return the **maximum possible total value** (to 2 decimal places) of supplies that can be delivered during the supply drop mission.

Input Format:

- An integer n (number of supply items)
- A float W (maximum drone weight capacity)
- n lines, each containing two space-separated integers v_i and w_i

Output Format:

- A single float: maximum value the drone can carry (rounded to 2 decimal places)

Constraints:

- $1 \leq n \leq 10^5$
- $1 \leq W \leq 10^4$
- $1 \leq v_i, w_i < 10^4$
- Output must be accurate to **2 decimal places**.

Explanation of Test Case:

- **Input:** 3 50 60 10 100 20 120 30
- **Output:** 240.00
- **Explanation:**
 - Drone carries full package 1 \rightarrow 10kg for 60 impact
 - Drone carries full package 2 \rightarrow 20kg for 100 impact
 - Drone carries 20kg (2/3) of package 3 $\rightarrow (2/3 \times 120) = 80$ impact
 - **Total impact value = 60 + 100 + 80 = 240.00**

File Name: Sindoar.c

```
#include <stdio.h>
#include <stdlib.h>

// Structure to store supply items
struct Item {
    int value, weight;
    double ratio;
};

// Comparator function for sorting by value/weight ratio (descending)
int cmp(const void *a, const void *b) {
    double r1 = ((struct Item*)a)→ratio;
    double r2 = ((struct Item*)b)→ratio;
    if (r1 < r2) return 1;
    else if (r1 > r2) return -1;
    return 0;
}

int main() {
    int n;
    double W;
    scanf("%d", &n);
    scanf("%lf", &W);

    struct Item items[n];

    for (int i = 0; i < n; i++) {
        scanf("%d %d", &items[i].value, &items[i].weight);
        items[i].ratio = (double)items[i].value / items[i].weight;
    }

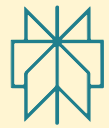
    // Sort items by value-to-weight ratio in descending order
    qsort(items, n, sizeof(struct Item), cmp);

    double maxVal = 0.0;

    for (int i = 0; i < n && W > 0; i++) {
        if (items[i].weight ≤ W) {
            maxVal += items[i].value;
            W -= items[i].weight;
        } else {
            maxVal += items[i].ratio * W;
            W = 0;
        }
    }

    printf("%.2lf\\n", maxVal);
    return 0;
}
```

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