





# Day 1: Interquartile Range ☆

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Points: 5/10



Submissions Leaderboard Editorial A

## Objective

**Problem** 

In this challenge, we practice calculating the interquartile range. We recommend you complete the Quartiles challenge before attempting this problem.

#### Task

The interquartile range of an array is the difference between its first ( $Q_1$ ) and third ( $Q_3$ ) quartiles (i.e.,  $Q_3-Q_1$ ).

Given an array,  $\pmb{X}$ , of  $\pmb{n}$  integers and an array,  $\pmb{F}$ , representing the respective frequencies of  $\pmb{X}$ 's elements, construct a data set,  $\pmb{S}$ , where each  $\pmb{x_i}$ occurs at frequency  $f_i$  . Then calculate and print S's interquartile range, rounded to a scale of 1 decimal place (i.e., 12.3 format).

Tip: Be careful to not use integer division when averaging the middle two elements for a data set with an even number of elements, and be sure to not include the median in your upper and lower data sets.

# **Input Format**

The first line contains an integer, n, denoting the number of elements in arrays X and F.

The second line contains n space-separated integers describing the respective elements of array X.

The third line contains  $m{n}$  space-separated integers describing the respective elements of array  $m{F}$ .

#### Constraints

- $5 \le n \le 50$
- $0 < x_i \le 100$ , where  $x_i$  is the  $i^{th}$  element of array X.
- $0 < \sum_{i=0}^{n-1} f_i \leq 10^3$  , where  $f_i$  is the  $i^{th}$  element of array F.
- The number of elements in  $m{S}$  is equal to  $\sum m{F}$ .

### **Output Format**

Print the interquartile range for the expanded data set on a new line. Round your answer to a scale of 1 decimal place (i.e., 12.3 format).

# Sample Input

6 12 8 10 20 16 5 4 3 2 1 5

# Sample Output

9.0

## **Explanation**

The given data is:



Element	Frequency
6	5
12	4
8	3
10	2
20	1
16	5

First, we create data set S containing the data from set X at the respective frequencies specified by F:

$$S = \{6, 6, 6, 6, 6, 8, 8, 8, 10, 10, 12, 12, 12, 12, 16, 16, 16, 16, 16, 20\}$$

As there are an even number of data points in the original ordered data set, we will split this data set exactly in half:

```
Lower half (L): 6, 6, 6, 6, 6, 8, 8, 8, 10, 10
Upper half (U): 12, 12, 12, 12, 16, 16, 16, 16, 16, 20
```

Next, we find  $Q_1$ . There are 10 elements in lower half, so Q1 is the average of the middle two elements: 6 and 8. Thus,  $Q_1=\frac{6+8}{2}=7.0$ .

Next, we find  $Q_3$ . There are 10 elements in upper half, so Q3 is the average of the middle two elements: 16 and 16. Thus,  $Q_3=\frac{16+16}{2}=16.0$ .

From this, we calculate the interquartile range as  $Q_3-Q_1=16.0-7.0=9.0$  and print 9.0 as our answer.

```
K Z SS
                                                                                        Python 3
       # Enter your code here. Read input from STDIN. Print output to STDOUT
  1
  2
  3
       from statistics import median
       size = int(input())
  6
       numbers = list(map(int, input().split()))
  7
       frequency = list(map(int, input().split()))
  8
  9
       for i in range(size): s += ([numbers[i]] * frequency[i])
 10
 11
       s.sort()
 12
 13
       t=len(s)//2
       if len(s)%2==0:
 14
 15
           L=s[:t]
 16
           U=s[t:]
 17
       else:
 18
           L=s[:t]
           U=s[t+1:]
 19
 20
 21
       print(round(float(median(U) - median(L)),1))
                                                                                                            Line: 13 Col: 12
                         Test against custom input
                                                                                             Run Code
                                                                                                             Submit Code
↑ Upload Code as File
```