Forstærkerteknik og fejlberegning

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1 Linear Time Invariant Systems

Linear Map

The map $f: R^n - > R^m$ is said to be linear if for any $x, y \in R^n$ and $\alpha \in R$, the following conditions hold

$$f(x+y) = f(x) + f(y)$$
 Super position $f(ax) = \alpha f(x)$ Homogeneity

The function has to go through (0,0) in 2D for it to be linear due to homogeneity.

Time-Invariant System

Let $\sigma: RxR^m - > R^p$ define the input-output behavior of a system model. The system is time-invariant if for any input signal $u: R - > R^m$ and any delay $\tau \epsilon R$ the following relation holds:

$$y(t - \tau) = \sigma(t, u(t - \tau))$$

for all times $t \in \mathbb{R}$, where y denotes the output signal of the system.

The importance is that the system does not change its behavior due to time. This can be seen as a canon firing at 8am it will not fire different compared to if you do the same at 5pm.

1.1 Time-Domain models

1.2 Examples