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```
%Mathias Frazier  
%Section 242  
%Matlab Project 1
```

Task 1

```
A = [ 1 2 -3; 0 4 4; -2 5 1];  
B = [-4 0 1; 2 2 -2; 7 -5 2];
```

```
A*B  
B*A
```

```
ans =
```

```
    -21     19     -9  
     36    -12      0  
     25      5    -10
```

```
ans =
```

```
    -6     -3     13  
      6      2      0  
      3      4    -39
```

Task 2

```
C2 = sym([2 -5; 1 -2]);  
[evect,eval] = eig(C2)
```

```
evect =
```

```
[2 - 1i, 2 + 1i]  
[      1,      1]
```

```
eval =
```

```
[-1i,  0]
[  0, 1i]
```

Task 3

```
C3 = sym([-1 -1 0; 5 -3 0; 0 0 2]);
[evect,eval] = eig(C3)
```

```
evect =
```

```
[0, 1/5 - 2i/5, 1/5 + 2i/5]
[0,          1,          1]
[1,          0,          0]
```

```
eval =
```

```
[2,          0,          0]
[0, - 2 - 2i,          0]
[0,          0, - 2 + 2i]
```

Task 4

```
syms x(t) y(t);
[xsoln,ysoln] = dsolve(diff(x) == 3*x - y, diff(y) == 4*x - 2*y)
```

```
xsoln =
```

```
C1*exp(2*t) + (C2*exp(-t))/4
```

```
ysoln =
```

```
C1*exp(2*t) + C2*exp(-t)
```

Task 5

```
[xsoln,ysoln] = dsolve(diff(x) == 3*x - y, diff(y) == 4*x - 2*y, x(0)==2,
y(0)==-3)
```

```
xsoln =
```

$$(11\exp(2t))/3 - (5\exp(-t))/3$$

`ysoln =`

$$(11\exp(2t))/3 - (20\exp(-t))/3$$

Task 6

```
X=[x;y];
A = [2 -5; -1 2];
[xsoln,ysoln] = dsolve(diff(X) == A*X)
```

`xsoln =`

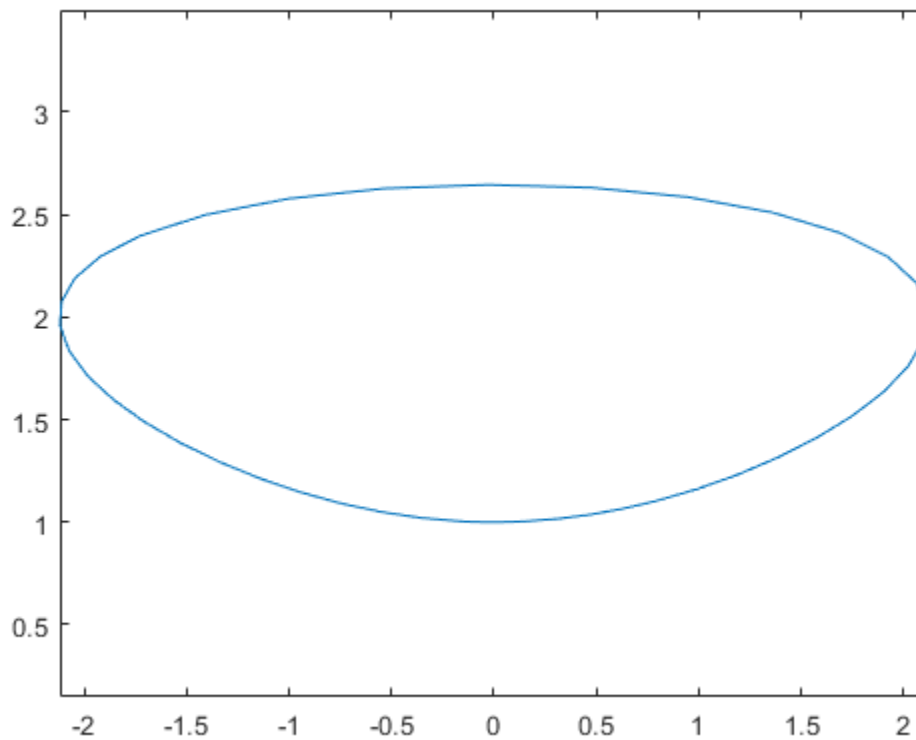
$$5^{1/2} * C2 * \exp(-t * (5^{1/2} - 2)) - 5^{1/2} * C1 * \exp(t * (5^{1/2} + 2))$$

`ysoln =`

$$C1 * \exp(t * (5^{1/2} + 2)) + C2 * \exp(-t * (5^{1/2} - 2))$$

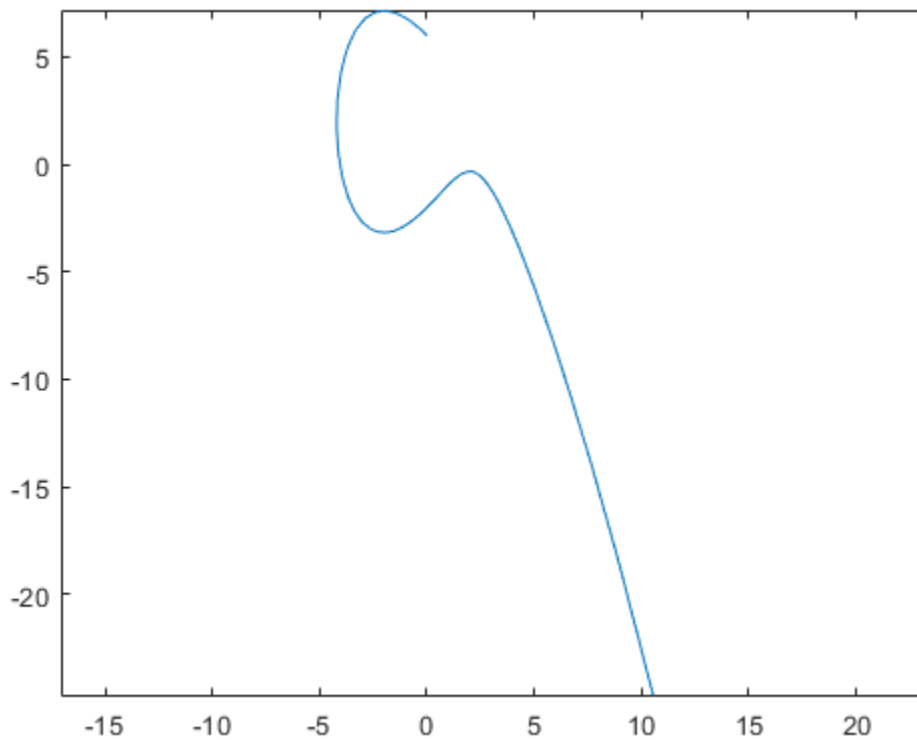
Task 7

```
f = @(t,x) [4*x(2)-x(2)^3;x(1)];
[t,xsoln] = ode45(f,[0 0.821*pi],[0,1]);
figure(7), plot(xsoln(:,1),xsoln(:,2))
axis equal
% rpi is roughly 0.82pi, so r = 0.82
```



Task 8

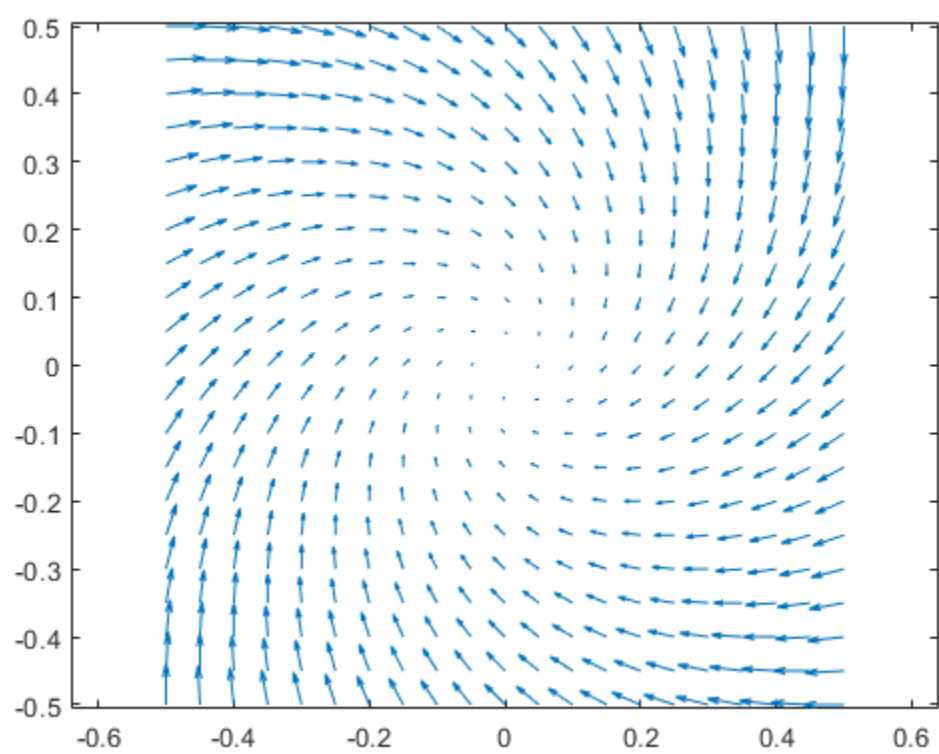
```
f = @(t,x) [2 - x(2); 4 - x(1)^2];  
[t,xsoln] = ode45(f,[0 4],[0,6]);  
figure(8), plot(xsoln(:,1),xsoln(:,2))  
axis equal
```



Task 9

```
[x,y] = meshgrid(-0.5:0.05:0.5, -0.5:0.05:0.5);  
xprime = -x - 2*x^2.*y + y;  
yprime = -x-y;  
figure(3);  
quiver(x,y,xprime,yprime)  
axis equal
```

```
% Based off of the phase portrait, the stationary solution of  $x(t)=0$  and  
%  $y(t)=0$  is stable, as all the arrows, or starting points point towards 0.
```



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