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Assignment #9

PANEL DATA

Question 15.6 (p.573). No need for part 3(d) of this question

(part a)

Balanced Panel: n = 754, T = 4, N = 3016

	Estimate	Std. Error	t-value	Pr(> t)	
bar	0.298455	0.134450	2.2198	0.0265299	*
street	0.455159	0.130465	3.4887	0.0004946	***
nocondom	0.170282	0.025817	6.5957	5.256e-11	***
rich	0.082636	0.020528	4.0254	5.875e-05	***
regular	0.037219	0.016849	2.2090	0.0272770	*
alcohol	-0.056856	0.026139	-2.1751	0.0297261	*

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Total Sum of Squares: 111.72

Residual Sum of Squares: 107.6

R-Squared: 0.03688

Adj. R-Squared: -0.28715

F-statistic: 14.3978 on 6 and 2256 DF, p-value: 3.5477e-16

(i)

we omitted the sex worker characteristic because during the years those characteristics will remain constant and variation will be negligible. No change is expected in categories like school & attribute.

part (ii)

all estimates are significantly more than 0 at 5% level

part (iii)

If transaction originated in bar then it is estimated to be 29.8% higher

If transaction originated in Street then it is estimated to be 45.5% higher

Risk premium for No condom is 17% extra.

If client is rich than price is 8.2% more

If Client is regular than price is 3.7% more.

If client had alcohol then price is 5.6% lower

(part b)

Balanced Panel: n = 754, T = 4, N = 3016

Coefficients:

	Estimate	Std. Error	t-value	Pr(> t)	
(Intercept)	5.9103651	0.1303194	45.3529	< 2.2e-16	***
age	-0.0257651	0.0027534	-9.3574	< 2.2e-16	***
school	0.2161494	0.0453396	4.7673	1.955e-06	***
attractive	0.2768274	0.0602379	4.5956	4.494e-06	***
bar	0.4642454	0.0998912	4.6475	3.504e-06	***
street	0.1032864	0.1010769	1.0219	0.3069	
nocondom	0.1389842	0.0250266	5.5535	3.045e-08	***
rich	0.1160067	0.0200346	5.7903	7.751e-09	***
regular	0.0236290	0.0161849	1.4599	0.1444	
alcohol	0.0148896	0.0249556	0.5966	0.5508	

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Total Sum of Squares: 167.65

Residual Sum of Squares: 149.03

R-Squared: 0.11104

Adj. R-Squared: 0.10838

F-statistic: 41.7209 on 9 and 3006 DF, p-value: < 2.22e-16

Now age, school & Attractive are added and their variation is compared within the individual data set and with others. RE is giving us a better picture of how these characteristics influence the price.

Bar was significantly higher than FE

Street, no condom and regular all dropped compared to FE

Rich was increased from 8.2% to 11.6%

Alcohol is 1.4% higher compared to negative 5.6%

Age decreased the price per year by 2.5% as expected

Having secondary school added 21.6% to the price

Being attractive added 27.6% to the price

A client will have to pay approximately 61% extra to have unprotected sex with an attractive and secondary school passed worker

(Part c)

	<u>Beta FE</u>	<u>STD ERROR FE</u>	<u>VAR FE</u>	<u>Beta RE</u>	<u>STD ERROR RE</u>	<u>VAR RE</u>	<u>T val</u>
bar	0.298455	0.13445	0.018076803	0.464245	0.0998912	0.009978	-1.842280383
street	0.455159	0.130465	0.017021116	0.103286	0.1010769	0.010217	4.265646865
nocondom	0.170282	0.025817	0.000666517	0.138984	0.0250266	0.000626	4.937103122
rich	0.082636	0.020528	0.000421399	0.116007	0.0200346	0.000401	-7.45938206
regular	0.037219	0.016849	0.000283889	0.023629	0.0161849	0.000262	2.901501449
alcohol	-0.056856	0.026139	0.000683247	0.01489	0.0249556	0.000623	-9.226606258

All T values with the exception of bar are significant at 5%. Critical t is at +/- 1.96 Meaning that HO can be rejected.

In this case HO is that estimates from FE and estimates from RE are similar. But with high t values we can reject the Null and accept that they are not similar and we will go with Fixed effects.

Question 15.10 (p.576-577)

(part a)

- (i) deterrence increases, will decrease crime rate
- (ii) wage increase in the private sector will decrease the crime rate
- (iii) population density increase, will increase the crime rate
- (iv) percentage of young males may increase the crime rate

(part b)

OLS model summary

	Estimate	Std. Error	t value	Pr(> t)	
(Intercept)	-6.08610	0.36536	-16.658	< 2e-16	***
log(prbarr)	-0.65658	0.04035	-16.274	< 2e-16	***
log(prbconv)	-0.44658	0.02774	-16.098	< 2e-16	***
log(prbpris)	0.20823	0.07267	2.865	0.0043	**
log(avgsen)	-0.05863	0.06060	-0.967	0.3337	
log(wmfg)	0.29206	0.06190	4.718	2.94e-06	***

(i)

Increase in Probability of arrests is estimated to decrease the crime rate. This is as expected

Increase in Probability of conviction is estimated to decrease the crime rate. This is as expected

Increase in Probability of Prison is estimated to increase the crime rate. This is not as expected

Increase in Average sentence is estimated to decrease the crime rate. This is as expected

Increase in WFMG is estimated to increase the crime rate. This is not as expected

(ii)

Increase in Probability of arrests is estimated to decrease the crime rate. This is as expected because fear of getting arrest should discourage criminals from committing crimes.

(part C)

Summary of Fixed effects model

Balanced Panel: $n = 90$, $T = 7$, $N = 630$

```
log(prbarr) -0.231271  0.037648 -6.1429 1.582e-09 ***
log(prbconv) -0.137803  0.022187 -6.2110 1.059e-09 ***
log(prbpris) -0.143137  0.039303 -3.6418 0.000297 ***
log(avgsen)  0.018281  0.030950  0.5907 0.554994
log(wmfg)   -0.166641  0.055267 -3.0152 0.002690 **
```

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Total Sum of Squares: 17.991

Residual Sum of Squares: 16.149

R-Squared: 0.10238

Adj. R-Squared: -0.05533

F-statistic: 12.2044 on 5 and 535 DF, p-value: 3.2268e-11

Increase in Probability of arrests is estimated to decrease the crime rate. This is as expected

Increase in Probability of conviction is estimated to decrease the crime rate. This is as expected

Increase in Probability of Prison is estimated to decrease the crime rate. This is as expected

Increase in Average sentence is estimated to increase the crime rate. This is not as expected but estimate is close

P val is high so we it is not significant at 5%. This is telling us that severity of deterrence has low impact or no impact

Crime rate.

Increase in WFMG is estimated to decrease the crime rate. This is as expected

PrbArr was decreasing crime rate by 65% in OLS but is only decreasing crime rate by 23% in FE.

(part d)

We will calculate the effects of county thru F test

SSE.U = 16.149 This is the FE model that has intercepts of 90 counties

SSE.R = 106.81 This is the pooled model that only has 6 DF

$n = 630$ is the total observations

$k = 95$ 89 counties + 6 DF from Restricted models

$J = 89$ because there are 50 more variables in FE the Unrestricted model

$$fVAL = ((SSE.R - SSE.U)/89) / (SSE.U/(n-k)) = 33.74$$

$$fc <- qf(0.95, 89, 535) = 1.28$$

Ho can be rejected meaning that counties should have their own intercept and FE model is preferred

(Part e)

	<u>estimates OLS</u>	<u>STD ERR OLS</u>	<u>estimate FE</u>	<u>std err FE</u>
(Intercept)	-3.67693	0.46621	n/a	n/a
log(prbarr)	-0.42453	0.04191	-0.195152	0.036704
log(prbconv)	-0.2827	0.02879	-0.111339	0.02173
log(prbpris)	0.08771	0.06935	-0.097664	0.038424
log(avgsen)	-0.10834	0.05774	-0.023963	0.03146
log(wmfg)	0.01598	0.07049	-0.576231	0.13295
ldensity	0.30521	0.02737	0.769421	0.33774
lpctymle	0.15907	0.08405	1.246044	0.434637
d82	-0.01757	0.05737	0.02528	0.027297
d83	-0.06686	0.05786	0.021608	0.03517
d84	-0.11935	0.05855	0.01207	0.042636
d85	-0.10563	0.05998	0.058874	0.052797
d86	-0.06574	0.06117	0.158618	0.065225
d87	-0.01011	0.06166	0.278223	0.077213

Results are different compared to OLS . FE results are significantly different compared to OLS.

(ii)

We will compare two OLS equations one with dummy variables and one with no dummy variables

Equation in R studio are as follows:

```
U.OLS.model <- lm( Lcrmrte ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg)
+ ldensity + lpctymle+ d82 +d83 + d84 + d85+ d86 + d87, data=context)
```

```
SSE.U = sum( (U.OLS.model$residuals)^2)
```

```
R.OLS.model <- lm( Lcrmrt ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg)
+ ldensity + lpctymle, data=context)
```

```
SSE.R = sum( (R.OLS.model$residuals)^2)
```

```
# restricted model is OLS with dummy variables
```

```
n = 630
```

```
k = 14
```

```
## J = 89 because there are 50 more variables in FE the Unrestricted model
```

```
fVAL = ((SSE.R - SSE.U)/6)/ (SSE.U/(n-k)) = 1.323
```

```
fc <- qf(0.95,6,616) = 2.11
```

This shows that HO cannot be rejected and dummy variables are not needed

In this part we will compare two FE equations with each other

compare FE models with and without dummy variables

```
U.FE.model <- plm( Lcrmrt ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg)
+ ldensity + lpctymle+ d82 + d83 + d84 + d85+ d86 + d87,
data=context, index=c("county","year"), model = "within")
```

```
summary(U.FE.model)
```

```
SSE.U = 14.383
```

```
R.FE.model <- plm( Lcrmrt ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg)
+ ldensity + lpctymle,
data=context, index=c("county","year"), model = "within")
```

```
summary(R.FE.model)
```

SSE.R = 15.876

n = 630

k = 14

J = 6

$fVAL = ((SSE.R - SSE.U)/6) / (SSE.U/(n-k)) = 10.65$

$fc <- qf(0.95, 6, 616) = 2.11$

We can reject H_0 that estimates of dummy variables are 0. And we accept H_1 that they are not 0.

(iii)

With OLS model, the crime rate increase by 0.015% with an increase in 1% in wage.

With fixed effects model, the crime rate decreases by 0.57% with 1% increase in wage, which sounds reasonable as better salaries lead to less crime.

(f) Public policies that will have the highest impact to control crime are increase in arrests, convictions and prison sentences, which indicate a strong legal system. Less population density will also lead to less crime.

```
##### Code for assignment #9
```

```
## QUESTION 15.6
```

```
rm(list=ls(all=TRUE))
```

```
#library(multcomp)
```

```
library(data.table)
```

```
library(dplyr)
```

```
library(plotly)
```

```
#library(lmtest)
```

```
#library(sandwich)
```

```
#library(car)
```

```
library(AER)
```

```
library(plm)
```

```
context <- fread("mexican.csv")
```

```
## Part a
```

```
fixed.model <- plm(lnprice ~ bar + street + nocondom + rich + regular + alcohol,
```

```
                  data = context, index = c("id", "trans"), model = "within")
```

```
# within means that variation within one individual or entity
```

```
summary(fixed.model)
```

```
## part(i)
```

```
## part b
```

```
random.model <- plm(lnprice ~ age + school + attractive + bar + street + nocondom + rich + regular + alcohol,
```

```
                  data = context, index = c("id", "trans"), model = "random")
```



```
summary(random.model)
```

```
#####
```

```
rm(list=ls(all=TRUE))
```

```
#library(multcomp)
```

```
library(data.table)
```

```
library(dplyr)
```

```
library(plotly)
```

```
#library(lmtest)
```

```
#library(sandwich)
```

```
#library(car)
```

```
library(AER)
```

```
library(plm)
```

```
context <- fread("crime.csv")
```

```
context <- mutate(context, Lcrm rte = log(crm rte))
```

```
#(i) deterrence increases, will decrease crime rate
```

```
#(ii) wage increase in the private sector will decrease the crime rate
```

```
#(iii) population density increase, will increase the crime rate
```

```
#(iv) percentage of young males may increase the crime rate
```

```
## part b
```

```
OLS.model <- lm( Lcrm rte ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg),  
data=context)
```

```
summary(OLS.model)
```

part c

```
FE.model <- plm( Lcrmrte ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg),  
data=context,
```

```
index=c("county","year"), model="within")
```

```
summary(FE.model)
```

part d

Unrestricted model will be FE model

restricted model will be Pooled model

SSE.U = 16.149

```
pooled.model <- plm( Lcrmrte ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg),  
data=context,
```

```
model="pooling")
```

```
summary(pooled.model)
```

SSE.R = 106.81

n = 630

k = 95

J = 89 because there are 50 more variables in FE the Unrestricted model

$$fVAL = ((SSE.R - SSE.U)/89) / (SSE.U/(n-k))$$

```
fc <- qf(0.95,89,535)
```

part e

```
## lets compare OLS model with FE model with dummy variables
```

```
OLS.model <- lm( Lcrmrt ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg)  
               + ldensity + lpctymle+ d82 +d83 + d84 + d85+ d86 + d87, data=context)  
summary(OLS.model)
```

```
FE.model <- plm( Lcrmrt ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg)  
               + ldensity + lpctymle+ d82 +d83 + d84 + d85+ d86 + d87, data=context,  
index=c("county","year"),  
        model="within" )  
summary(FE.model)
```

```
##(ii)
```

```
## compare OLS models with and without dummy variables
```

```
U.OLS.model <- lm( Lcrmrt ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg)  
                 + ldensity + lpctymle+ d82 +d83 + d84 + d85+ d86 + d87, data=context)
```

```
SSE.U = sum( (U.OLS.model$residuals)^2)
```

```
R.OLS.model <- lm( Lcrmrt ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg)  
                 + ldensity + lpctymle, data=context)
```

```
SSE.R = sum( (R.OLS.model$residuals)^2)
```

```
# restricted model is OLS with dummy variables
```

```
n = 630
```

k = 14

J = 6

fVAL = ((SSE.R - SSE.U)/6)/ (SSE.U/(n-k))

fc <- qf(0.95,6,616)

compare FE models with and without dummy variables

```
U.FE.model <- plm( Lcrmte ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg)
                  + ldensity + lpctymle+ d82 +d83 + d84 + d85+ d86 + d87,
                  data=context, index=c("county","year"), model = "within")
summary(U.FE.model)
```

SSE.U = 14.383

```
R.FE.model <- plm( Lcrmte ~ log(prbarr) + log(prbconv)+ log(prbpris) + log(avgsen)+ log(wmfg)
                  + ldensity + lpctymle,
                  data=context, index=c("county","year"), model = "within")
summary(R.FE.model)
```

SSE.R = 15.876

n = 630

k = 14

J = 6

fVAL = ((SSE.R - SSE.U)/6)/ (SSE.U/(n-k))

fc <- qf(0.95,6,616)