$$\begin{aligned} & \mathbf{xx}[\mathbf{n}_{-}, \mathbf{a}_{-}] := \mathbf{a}^4 - \mathbf{Floor} \left[\mathbf{n}^{1/4}\right]^4 + \\ & \mathbf{a} & \sum_{\mathbf{b} = 1}^{\mathbf{Floor}} \mathbf{Floor} \left[\mathbf{b}^{1/4}\right] \mathbf{Floor} \left[\mathbf{b}^{1/4} - 3\mathbf{n}\right] + \\ & - 6 & \sum_{\mathbf{b} = 1}^{\mathbf{Floor}} \mathbf{Floor} \left[\sqrt{\mathbf{b}^{-2}\mathbf{n}}\right]^2 + \\ & \mathbf{a} & \sum_{\mathbf{b} = 1}^{\mathbf{Floor}} \mathbf{Floor} \left[\sqrt{\mathbf{b}^{-2}\mathbf{n}}\right]^2 + \\ & \mathbf{a} & \sum_{\mathbf{b} = 1}^{\mathbf{Floor}} \mathbf{Floor} \left[\sqrt{\mathbf{b}^{-2}\mathbf{n}}\right]^2 + \\ & \mathbf{a} & \sum_{\mathbf{b} = 1}^{\mathbf{Floor}} \mathbf{Floor} \left[\left(\mathbf{b}^{-1}\mathbf{n}\right)^{1/3}\right]^3 + \\ & \mathbf{a} & \sum_{\mathbf{b} = 1}^{\mathbf{Floor}} \mathbf{Floor} \left[\left(\mathbf{b}^{-1}\mathbf{n}\right)^{1/3}\right] \mathbf{Floor} \left[\mathbf{b}^{-1}\mathbf{c}^{-2}\mathbf{n}\right] + \\ & - 12 & \sum_{\mathbf{b} = 1}^{\mathbf{Floor}} \mathbf{Floor} \left[\mathbf{b}^{-1}\mathbf{n}\right]^{1/3} \mathbf{Floor} \left[\left(\mathbf{b}^{-1}\mathbf{n}\right)^{1/3}\right] \mathbf{Floor} \left[\sqrt{\mathbf{b}^{-1}\mathbf{c}^{-1}\mathbf{n}}\right]^2 + \\ & \mathbf{a} & \mathbf{a} & \mathbf{a} & \mathbf{a} & \mathbf{a} & \mathbf{a} \\ & \mathbf{a} & \mathbf{a} & \mathbf{a} & \mathbf{a} & \mathbf{a} & \mathbf{a} \\ & \mathbf{a} & \mathbf{a} & \mathbf{a} & \mathbf{a} & \mathbf{a} & \mathbf{a} \\ & \mathbf{a} & \mathbf{a} & \mathbf{a} & \mathbf{a} &$$

```
d3a[n_{,a_{]} := -(a)^3 +
     Floor \left[n^{1/3}\right]^3 +
     3\sum_{n=1}^{\lceil p \rceil - 1/3 \rceil} \operatorname{Floor}\left[\frac{n}{b^2}\right] +
     -3\sum_{b=a+1}^{\text{Floor}\left[n^{1/3}\right]}\text{Floor}\left[\sqrt{\frac{n}{b}}\right]^2+
     6\sum_{b=a+1}^{\texttt{Floor}\left[n^{1/3}\right]}\sum_{\texttt{c=1+b}}^{\texttt{Floor}\left[\sqrt{\frac{n}{b}}\;\right]}\texttt{Floor}\Big[\frac{n}{b\;c}\Big]
Dd[10000, 3, 3]
152983
d3a[10000, 2]
152983
d0[n_{,a_{]}:=1
d1[n_, a_] := -a +
     Floor[n]
d2[n_{, a_{]}} := a^2 +
      - Floor[n^(1/2)]^2 +
      2 Sum[Floor[nb^-1], \{b, a+1, n^(1/2)\}]
d3[n_{,a_{]}} := -a^3 +
     Floor[n^(1/3)]^3+
      3 Sum[Floor[nb^-2], \{b, a+1, n^(1/3)\}] +
      -3 Sum[Floor[(n/b)^(1/2)]^2, \{b, a+1, n^(1/3)\}] +
      6 \text{ Sum}[Floor[n/(bc)], \{b, a+1, n^{(1/3)}, \{c, b+1, (n/b)^{(1/2)}\}]
d4[n_{, a_{]}} := a^4 +
      - Floor[n^(1/4)]^4 +
      4 Sum[Floor[n/b^3], \{b, a+1, n^{(1/4)}] +
      -6 Sum[Floor[(n/b^2)^(1/2)]^2, \{b, a+1, n^(1/4)\}] +
      12 \, \text{Sum} [\, Floor[\, n \, / \, (b^2 \, c)\,] \, , \, \{b, \, a+1, \, n^{\, } (1\, / \, 4)\,\} \, , \, \{c, \, b+1, \, (n\, / \, b^2)\, ^{\, } (1\, / \, 2)\,\} \,] \, + \, (1\, / \, a)\, +
      4 Sum[Floor[(n/b)^(1/3)]^3, \{b, a+1, n^(1/4)\}] +
      12 \text{ Sum}[Floor[n/(bc^2)], \{b, a+1, n^(1/4)\}, \{c, b+1, (n/b)^(1/3)\}] +
      -12 \text{ Sum}[Floor[(n/(bc))^(1/2)]^2, \{b, a+1, n^(1/4)\}, \{c, b+1, (n/b)^(1/3)\}] +
      24 Sum[Floor[n/(bcd)], \{b, a+1, n^{(1/4)}\},
            \{c, b+1, (n/b)^{(1/3)}, \{d, c+1, (n/(bc))^{(1/2)}\}\]
d5x[n_, a_] := -1a^5 + 1/1 Floor[n^(1/5)]^5 +
      5 Sum[Floor[(n/(b^4))], \{b, a+1, (n)^(1/5)\}] +
      -10 \text{ Sum}[Floor[(n/(b^3))^(1/2)]^2, \{b, a+1, (n)^(1/5)\}] +
      20 \text{ Sum}[floor[(n/(b^3c))], \{b, a+1, (n)^(1/5)\}, \{c, b+1, (n/(b^3))^(1/2)\}] +
      10 \text{ Sum}[Floor[(n/(b^2))^(1/3)]^3, \{b, a+1, (n)^(1/5)\}] +
      30 \text{ Sum}[floor[(n/(b^2c^2))], \{b, a+1, (n)^(1/5)\}, \{c, b+1, (n/(b^2))^(1/3)\}] + -30
         Sum[Floor[(n/(b^2c))^(1/2)]^2, {b, a+1, (n)^(1/5)}, {c, b+1, (n/(b^2))^(1/3)}] +
      60 Sum[Floor[(n/(b^2cd))], {b, a+1, (n) (1/5)},
            \{c, b+1, (n/(b^2))^(1/3)\}, \{d, c+1, (n/(b^2c))^(1/2)\}\} +
      -5 Sum[Floor[(n/(b))^(1/4)]^4, \{b, a+1, (n)^(1/5)\}] +
      20 \text{ Sum}[Floor[(n/(bc^3))], \{b, a+1, (n)^(1/5)\}, \{c, b+1, (n/(b))^(1/4)\}] +
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-30 \text{ Sum}[Floor[(n/(bc^2))^(1/2)]^2, \{b, a+1, (n)^(1/5)\}, \{c, b+1, (n/(b))^(1/4)\}] +
      60 Sum[Floor[(n/(bc^2d))], {b, a+1, (n)^(1/5)},
            \{c, b+1, (n/(b))^{(1/4)}, \{d, c+1, (n/(bc^2))^{(1/2)}\}\} +
      20 \text{ Sum}[Floor[(n/(bc))^(1/3)]^3, \{b, a+1, (n)^(1/5)\}, \{c, b+1, (n/(b))^(1/4)\}] +
      60 \text{ Sum}[Floor[(n/(bcd^2))], \{b, a+1, (n)^(1/5)\}, \{c, b+1, (n/(b))^(1/4)\},
            \{d, c+1, (n/(bc))^{(1/3)}\} + -60 \text{ Sum}[Floor[(n/(bcd))^{(1/2)}]^2
            \{b, a+1, (n)^{(1/5)}, \{c, b+1, (n/(b))^{(1/4)}, \{d, c+1, (n/(bc))^{(1/3)}\}\}
      120 \text{ Sum}[Floor[(n/(bcde))], \{b, a+1, (n)^(1/5)\}, \{c, b+1, (n/(b))^(1/4)\},
            \{d, c+1, (n/(bc))^{(1/3)}, \{e, d+1, (n/(bcd))^{(1/2)}\}\]
d6x[n_{,a_{]}} := 1a^6 + -1/1 Floor[n^(1/6)]^6 +
      6 Sum[Floor[(n/(b^5))], \{b, a+1, (n)^(1/6)\}] +
      -15 Sum[Floor[(n/(b^4))^(1/2)]^2, \{b, a+1, (n)^(1/6)\}] +
      30 \text{ Sum}[Floor[(n/(b^4c))], \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b^4))^(1/2)\}] +
      60 \; Sum[Floor[\,(n \; / \; (b^3 \; c^2)\,)\,]\;, \; \{b,\; a+1,\; (n) \; ^{ \prime } \; (1 \; / \; 6)\,\}\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,) \; ^{ \prime } \; (1 \; / \; 3)\,\}]\; + \; - \; 60\; Sum[Floor[\,(n \; / \; (b^3 \; c^2)\,)\,]\;, \; \{b,\; a+1,\; (n) \; ^{ \prime } \; (1 \; / \; 6)\,\}\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,) \; ^{ \prime } \; (1 \; / \; 3)\,\}]\; + \; - \; 60\; Sum[\, Floor[\,(n \; / \; (b^3 \; 3)\,)\,]\;, \; \{b,\; a+1,\; (n) \; ^{ \prime } \; (1 \; / \; 6)\,\}\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; (n \; / \; (b^3 \; 3)\,)\,]\;, \; \{c,\; b+1,\; 
         Sum[Floor[(n/(b^3c))^(1/2)]^2, \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b^3))^(1/3)\}] +
      120 Sum[Floor[(n/(b^3cd))], \{b, a+1, (n)^(1/6)\},
             \left\{ \text{c, b+1, (n/(b^3))^(1/3)} \right\}, \\ \left\{ \text{d, c+1, (n/(b^3c))^(1/2)} \right\} \right] + \\
      -15 \text{ Sum}[Floor[(n/(b^2))^(1/4)]^4, \{b, a+1, (n)^(1/6)\}] +
      60 \, \text{Sum}[\text{Floor}[\,(\text{n}\,/\,\,(\text{b}^2\,\text{c}^3))\,]\,,\, \{\text{b},\, \text{a}\,+\, 1\,,\,\,(\text{n})\,^{\,}\,(\text{1}\,/\,\,6)\,\}\,,\, \{\text{c},\, \text{b}\,+\, 1\,,\,\,(\text{n}\,/\,\,(\text{b}^2\,\text{2})\,^{\,}\,(\text{1}\,/\,\,4)\,\}\,]\,+\, (\text{m}\,/\,\,(\text{m}\,/\,\,(\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\text{m}\,/\,\,\,m}\,/\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\,\text{m}\,/\,\,\,\text{
      -90 \text{ Sum}[Floor[(n/(b^2c^2))^(1/2)]^2, \{b, a+1, (n)^(1/6)\},
            \{c, b+1, (n/(b^2))^{(1/4)}\} + 180 \text{ Sum}[Floor[(n/(b^2c^2d))], \{b, a+1, (n)^{(1/6)}\},
            \{c, b+1, (n/(b^2))^{(1/4)}\}, \{d, c+1, (n/(b^2c^2))^{(1/2)}\}\} + 60
         Sum[Floor[(n/(b^2c))^(1/3)]^3, \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b^2))^(1/4)\}] +
      180 \text{ Sum}[Floor[(n/(b^2cd^2))], \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b^2))^(1/4)\},
            \{d, c+1, (n/(b^2c))^(1/3)\}\} + -180 Sum[Floor[(n/(b^2cd))^(1/2)]^2
            \{b, a+1, (n) (1/6)\}, \{c, b+1, (n/(b^2)) (1/4)\}, \{d, c+1, (n/(b^2c)) (1/3)\}\}
      360 \text{ Sum}[Floor[(n/(b^2cde))], \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b^2))^(1/4)\},
            \{d, c+1, (n/(b^2c))^(1/3)\}, \{e, d+1, (n/(b^2cd))^(1/2)\}\}
      6 \text{ Sum}[Floor[(n/(b))^(1/5)]^5, \{b, a+1, (n)^(1/6)\}] +
      30 \text{ Sum}[Floor[(n/(bc^4))], \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b))^(1/5)\}] +
      -60 \text{ Sum}[Floor[(n/(bc^3))^(1/2)]^2, \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b))^(1/5)\}] +
      120 Sum[Floor[(n / (bc^3d))], {b, a+1, (n) ^(1/6)},
            \{c, b+1, (n/(b))^{(1/5)}, \{d, c+1, (n/(bc^3))^{(1/2)}\}\}
      60 \text{ Sum}[Floor[(n/(bc^2))^(1/3)]^3, \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b))^(1/5)\}] +
      180 \, Sum[Floor[(n / (b c^2 d^2))], \{b, a+1, (n) ^ (1 / 6)\}, \{c, b+1, (n / (b)) ^ (1 / 5)\},
            \{d, c+1, (n/(bc^2))^{(1/3)}\} + -180 Sum[Floor[(n/(bc^2d))^{(1/2)}]^2
            \{b, a+1, (n)^{(1/6)}\}, \{c, b+1, (n/(b))^{(1/5)}\}, \{d, c+1, (n/(bc^2))^{(1/3)}\}\}
      360 \text{ Sum}[Floor[(n/(bc^2de))], \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b))^(1/5)\},
            \{d, c+1, (n/(bc^2))^(1/3)\}, \{e, d+1, (n/(bc^2d))^(1/2)\}\}
      -30 \text{ Sum}[Floor[(n/(bc))^(1/4)]^4, \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b))^(1/5)\}] +
      120 \text{ Sum}[Floor[(n/(bcd^3))], \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b))^(1/5)\},
            \{d, c+1, (n/(bc))^{(1/4)}\} + -180 \text{ Sum}[Floor[(n/(bcd^2))^{(1/2)}]^2
            \{b, a+1, (n)^{(1/6)}\}, \{c, b+1, (n/(b))^{(1/5)}\}, \{d, c+1, (n/(bc))^{(1/4)}\}\}
      360 \text{ Sum}[Floor[(n/(bcd^2e))], \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b))^(1/5)\},
            \{d, c+1, (n/(bc))^{(1/4)}, \{e, d+1, (n/(bcd^2))^{(1/2)}\}\} +
      120 \text{ Sum}[Floor[(n/(bcd))^(1/3)]^3, \{b, a+1, (n)^(1/6)\},
            \{c, b+1, (n/(b))^{(1/5)}\}, \{d, c+1, (n/(bc))^{(1/4)}\}\}
      360 \text{ Sum}[Floor[(n/(bcde^2))], \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b))^(1/5)\},
            \{d, c+1, (n/(bc))^{(1/4)}, \{e, d+1, (n/(bcd))^{(1/3)}\}\} +
      -360 \text{ Sum}[Floor[(n/(bcde))^(1/2)]^2, \{b, a+1, (n)^(1/6)\}, \{c, b+1, (n/(b))^(1/5)\},
            {d, c+1, (n/(bc))^(1/4)}, {e, d+1, (n/(bcd))^(1/3)}]+
```

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720 Sum[Floor[(n/(bcdef))], {b, a+1, (n)^{(1/6)}}, {c, b+1, (n/(b))^{(1/5)}}, {d, c+1,
             (n/(bc))^(1/4)}, {e, d+1, (n/(bcd))^(1/3)}, {f, e+1, (n/(bcde))^(1/2)}]
d7x[n_{,a_{]}} := -1a^7 + 1/1 Floor[n^{(1/7)}^7 +
     7 \text{ Sum}[Floor[(n/(b^6))], \{b, a+1, (n)^(1/7)\}] +
     -21 \text{ Sum}[Floor[(n/(b^5))^(1/2)]^2, \{b, a+1, (n)^(1/7)\}] +
     42 \, \text{Sum}[floor[(n/(b^5c))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b^5))^(1/2)\}] + (a+1)^{-1} + 
     35 Sum[Floor[(n/(b^4))^(1/3)]^3, \{b, a+1, (n)^(1/7)\}] +
     Sum[Floor[(n/(b^4c))^(1/2)]^2, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b^4))^(1/3)\}] +
     210 Sum[Floor[(n/(b^4cd))], {b, a+1, (n) ^(1/7)},
          \{c, b+1, (n/(b^4))^(1/3)\}, \{d, c+1, (n/(b^4c))^(1/2)\}\} +
     -35 Sum[Floor[(n/(b^3))^(1/4)]^4, \{b, a+1, (n)^(1/7)\}] +
     140 \text{ Sum}[Floor[(n/(b^3c^3))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b^3))^(1/4)\}] +
     -210 \; \text{Sum} [ \text{Floor} [ \, (\text{n} \, / \, (\text{b} \, ^3 \, \text{c} \, ^2) \,) \, ^{ \wedge } \, (\text{1} \, / \, 2) \,] \, ^{ \wedge } 2 \, , \; \{ \text{b, a+1, (n)} \, ^{ \wedge } \, (\text{1} \, / \, 7) \, \} \, ,
          \{c, b+1, (n/(b^3))^(1/4)\} + 420 \text{ Sum}[floor[(n/(b^3c^2d))], \{b, a+1, (n)^(1/7)\}, \}
          \{c, b+1, (n/(b^3))^(1/4)\}, \{d, c+1, (n/(b^3c^2))^(1/2)\}\} + 140
       Sum[Floor[(n/(b^3c))^(1/3)]^3, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b^3))^(1/4)\}] +
     420 \text{ Sum}[Floor[(n/(b^3cd^2))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b^3))^(1/4)\},
          \{d, c+1, (n/(b^3c))^(1/3)\}\} + -420 Sum[Floor[(n/(b^3cd))^(1/2)]^2
          \{b, a+1, (n) (1/7)\}, \{c, b+1, (n/(b^3)) (1/4)\}, \{d, c+1, (n/(b^3c)) (1/3)\}\}
     840 \, \text{Sum}[\text{Floor}[\,(\text{n}\,/\,\,(\text{b}\,^3\,\text{cd}\,\text{e})\,)\,]\,,\,\, \{\text{b},\,\text{a}\,+\,1\,,\,\,(\text{n})\,^{\,}\,(\,1\,/\,\,7)\,\}\,,\,\, \{\text{c},\,\text{b}\,+\,1\,,\,\,(\text{n}\,/\,\,(\text{b}\,^3\,)\,)\,^{\,}\,(\,1\,/\,\,4)\,\}\,,
          \{d, c+1, (n/(b^3c))^(1/3)\}, \{e, d+1, (n/(b^3cd))^(1/2)\}\}
     21 Sum[Floor[(n/(b^2))^(1/5)]^5, \{b, a+1, (n)^(1/7)\}] +
     105 \text{ Sum}[Floor[(n/(b^2c^4))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b^2))^(1/5)\}] +
     -210 \text{ Sum}[Floor[(n/(b^2c^3))^(1/2)]^2, \{b, a+1, (n)^(1/7)\},
          \{c, b+1, (n/(b^2))^{(1/5)}\} + 420 \text{ Sum}[Floor[(n/(b^2c^3d))], \{b, a+1, (n)^{(1/7)}\},
          \{c, b+1, (n/(b^2))^(1/5)\}, \{d, c+1, (n/(b^2c^3))^(1/2)\}\} +
     210 \text{ Sum}[Floor[(n/(b^2c^2))^(1/3)]^3, \{b, a+1, (n)^(1/7)\},
          \{c, b+1, (n/(b^2))^(1/5)\} + 630 \text{ Sum}[Floor[(n/(b^2c^2d^2))],
          \{b, a+1, (n) (1/7)\}, \{c, b+1, (n/(b^2)) (1/5)\}, \{d, c+1, (n/(b^2c^2)) (1/3)\}\}
     -630 \text{ Sum}[Floor[(n/(b^2c^2d))^(1/2)]^2, \{b, a+1, (n)^(1/7)\},
          \{c, b+1, (n/(b^2))^(1/5)\}, \{d, c+1, (n/(b^2c^2))^(1/3)\}\} +
     1260 \, Sum[Floor[(n/(b^2c^2de))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b^2))^(1/5)\},
          \{d, c+1, (n/(b^2c^2))^(1/3)\}, \{e, d+1, (n/(b^2c^2d))^(1/2)\}\} + -105
       Sum[Floor[(n/(b^2c))^(1/4)]^4, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b^2))^(1/5)\}] +
     420 \text{ Sum}[Floor[(n/(b^2cd^3))], \{b, a+1, (n)^(1/7)\},
          \{c, b+1, (n/(b^2))^(1/5)\}, \{d, c+1, (n/(b^2c))^(1/4)\}\} +
     -630 \text{ Sum}[Floor[(n/(b^2cd^2))^(1/2)]^2, \{b, a+1, (n)^(1/7)\},
          \{c, b+1, (n/(b^2))^(1/5)\}, \{d, c+1, (n/(b^2c))^(1/4)\}\} +
     1260 \text{ Sum}[Floor[(n/(b^2cd^2e))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b^2))^(1/5)\},
          \{d, c+1, (n/(b^2c))^(1/4)\}, \{e, d+1, (n/(b^2cd^2))^(1/2)\}\} +
     420 \text{ Sum}[Floor[(n/(b^2cd))^(1/3)]^3, \{b, a+1, (n)^(1/7)\},
          \{c, b+1, (n/(b^2))^{(1/5)}, \{d, c+1, (n/(b^2c))^{(1/4)}\}\}
     1260 \text{ Sum}[Floor[(n/(b^2cde^2))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b^2))^(1/5)\},
          \{d, c+1, (n/(b^2c))^(1/4)\}, \{e, d+1, (n/(b^2cd))^(1/3)\}\} +
     -1260 \text{ Sum}[Floor[(n/(b^2cde))^(1/2)]^2, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n)^2, (n)^
             (n/(b^2))^(1/5), \{d, c+1, (n/(b^2c))^(1/4)\}, \{e, d+1, (n/(b^2cd))^(1/3)\}] +
     2520 Sum[Floor[(n/(b^2cdef))], {b, a+1, (n) ^(1/7)},
          \{c, b+1, (n/(b^2))^(1/5)\}, \{d, c+1, (n/(b^2c))^(1/4)\},
          {e, d+1, (n/(b^2cd))^(1/3)}, {f, e+1, (n/(b^2cde))^(1/2)}] +
     -7 Sum[Floor[(n/(b))^(1/6)]^6, \{b, a+1, (n)^(1/7)\}] +
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 $42 \text{ Sum}[Floor[(n/(bc^5))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\}] +$

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-105 \text{ Sum}[Floor[(n/(bc^4))^(1/2)]^2, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\}] +
210 Sum[Floor[(n/(bc^4d))], \{b, a+1, (n)^(1/7)\},
   \{c, b+1, (n/(b))^{(1/6)}, \{d, c+1, (n/(bc^4))^{(1/2)}\}\} +
140 \text{ Sum}[Floor[(n/(bc^3))^(1/3)]^3, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\}] +
420 \text{ Sum}[Floor[(n/(bc^3d^2))], \{b, a+1, (n)^(1/7)\},
   \{c, b+1, (n/(b))^{(1/6)}, \{d, c+1, (n/(bc^3))^{(1/3)}\}\}
-420 \text{ Sum}[Floor[(n/(bc^3d))^(1/2)]^2, \{b, a+1, (n)^(1/7)\},
   \{c, b+1, (n/(b))^{(1/6)}\}, \{d, c+1, (n/(bc^3))^{(1/3)}\}\} +
840 \text{ Sum}[Floor[(n/(bc^3de))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\},
   \{d, c+1, (n/(bc^3))^(1/3)\}, \{e, d+1, (n/(bc^3d))^(1/2)\}\}
-105 \text{ Sum}[Floor[(n/(bc^2))^(1/4)]^4, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\}] +
420 \text{ Sum}[Floor[(n/(bc^2d^3))], \{b, a+1, (n)^(1/7)\},
   \{c, b+1, (n/(b))^{(1/6)}, \{d, c+1, (n/(bc^2))^{(1/4)}\}\}
-630 \text{ Sum}[Floor[(n/(bc^2d^2))^(1/2)]^2, \{b, a+1, (n)^(1/7)\},
   \{c, b+1, (n/(b))^{(1/6)}\}, \{d, c+1, (n/(bc^2))^{(1/4)}\}\} +
1260 \text{ Sum}[Floor[(n/(bc^2d^2e))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\},
   \{d, c+1, (n/(bc^2))^(1/4)\}, \{e, d+1, (n/(bc^2d^2))^(1/2)\}\} +
420 \text{ Sum}[floor[(n/(bc^2d))^(1/3)]^3, \{b, a+1, (n)^(1/7)\},
   \{c, b+1, (n/(b))^{(1/6)}, \{d, c+1, (n/(bc^2))^{(1/4)}\}\}
1260 \, Sum[Floor[(n/(bc^2de^2))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\},
   \{d, c+1, (n/(bc^2))^(1/4)\}, \{e, d+1, (n/(bc^2d))^(1/3)\}\} + -1260
 Sum[Floor[(n/(bc^2de))^(1/2)]^2, {b, a+1, (n)^(1/7)}, {c, b+1, (n/(b))^(1/6)},
   \{d, c+1, (n/(bc^2))^(1/4)\}, \{e, d+1, (n/(bc^2d))^(1/3)\}\}
2520 Sum[Floor[(n/(bc^2def))], {b, a+1, (n) ^{(1/7)}},
   \{c, b+1, (n/(b))^{(1/6)}\}, \{d, c+1, (n/(bc^2))^{(1/4)}\},
   \{e, d+1, (n/(bc^2d))^(1/3)\}, \{f, e+1, (n/(bc^2de))^(1/2)\}\}
42 \text{ Sum}[Floor[(n/(bc))^(1/5)]^5, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\}] +
210 \text{ Sum}[Floor[(n/(bcd^4))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\},
   \{d, c+1, (n/(bc))^{(1/5)}\} + 420 \text{ Sum}[floor[(n/(bcd^3))^{(1/2)}]^2
   \{b, a+1, (n)^{(1/7)}, \{c, b+1, (n/(b))^{(1/6)}, \{d, c+1, (n/(bc))^{(1/5)}\}\}
840 \, Sum[Floor[(n / (b c d^3 e))], \{b, a+1, (n) ^ (1 / 7)\}, \{c, b+1, (n / (b)) ^ (1 / 6)\},
    \{d,\,c+1,\,\left(n\,/\,\left(b\,c\right)\right)\,{}^{\wedge}\,\left(1\,/\,5\right)\,\}\,,\,\left\{e,\,d+1,\,\left(n\,/\,\left(b\,c\,d\,{}^{\wedge}\,3\right)\right)\,{}^{\wedge}\,\left(1\,/\,2\right)\,\}\,\right]\,+
420 \text{ Sum}[Floor[(n/(bcd^2))^(1/3)]^3, \{b, a+1, (n)^(1/7)\},
   \{c, b+1, (n/(b))^{(1/6)}\}, \{d, c+1, (n/(bc))^{(1/5)}\}\}
1260 \, Sum[Floor[(n/(bcd^2e^2))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\},
   \{d, c+1, (n/(bc))^{(1/5)}\}, \{e, d+1, (n/(bcd^2))^{(1/3)}\}\} + -1260
 Sum[Floor[(n/(bcd^2e))^(1/2)]^2, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\},
   \{d, c+1, (n/(bc))^{(1/5)}, \{e, d+1, (n/(bcd^2))^{(1/3)}\}\} +
2520 \text{ Sum}[Floor[(n/(bcd^2ef))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\},
   \{d, c+1, (n/(bc))^{(1/5)}, \{e, d+1, (n/(bcd^2))^{(1/3)}\},
    \{ \texttt{f, e+1, (n/(bcd^2e))^(1/2)} \} \} + -210 \; \texttt{Sum} [\texttt{Floor}[\, (n/(bcd))^(1/4) \,]^4, 
   \{b, a+1, (n)^{(1/7)}, \{c, b+1, (n/(b))^{(1/6)}, \{d, c+1, (n/(bc))^{(1/5)}\}\}
840 \text{ Sum}[Floor[(n/(bcde^3))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\},
   \{d, c+1, (n/(bc))^{(1/5)}, \{e, d+1, (n/(bcd))^{(1/4)}\}\} +
-1260 \text{ Sum}[floor[(n/(bcde^2))^(1/2)]^2, \{b, a+1, (n)^(1/7)\},
   \{c, b+1, (n/(b))^{(1/6)}, \{d, c+1, (n/(bc))^{(1/5)}, \{e, d+1, (n/(bcd))^{(1/4)}\}\}
2520 Sum[Floor[(n/(bcde^2f))], {b, a+1, (n) ^{(1/7)}},
   \{c, b+1, (n/(b))^{(1/6)}\}, \{d, c+1, (n/(bc))^{(1/5)}\},
   \{e, d+1, (n/(bcd))^{(1/4)}, \{f, e+1, (n/(bcde^2))^{(1/2)}\}\}
840 \, \\ Sum[Floor[(n/(bcde))^(1/3)]^3, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\}, \\ Sum[Floor[(n/(bcde))^(1/3)]^3, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\}, \\ Sum[Floor[(n/(bcde))^(1/3)]^3, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/7)\}, \\ Sum[Floor[(n/(bcde))^(1/3)]^3, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/7)\}, \\ Sum[Floor[(n/(bcde))^(1/3)]^3, \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/7)\}, \\ Sum[Floor[(n/(bcde))^(1/7)], \{c, b+1, (n/(b))^(1/7)\}, \\ Sum[(n/(bcde))^(1/7)], \\ Sum[(n/(bcd))^(1/7)], \\ Sum[(n/(bcde))^(1/7)], \\ Sum[(n/(bcd))^(1/7)], \\ Sum
   \{d, c+1, (n/(bc))^{(1/5)}\}, \{e, d+1, (n/(bcd))^{(1/4)}\}\} +
2520 \text{ Sum}[Floor[(n/(bcdef^2))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\},
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\{d, c+1, (n/(bc))^{(1/5)}\}, \{e, d+1, (n/(bcd))^{(1/4)}\},
            \{f, e+1, (n/(bcde))^{(1/3)}\} + -2520 Sum[Floor[(n/(bcdef))^{(1/2)}]^2
            \{b, a+1, (n) \land (1/7)\}, \{c, b+1, (n/(b)) \land (1/6)\}, \{d, c+1, (n/(bc)) \land (1/5)\},
            {e, d+1, (n/(bcd))^(1/4)}, {f, e+1, (n/(bcde))^(1/3)}]+
      5040 \text{ Sum}[Floor[(n/(bcdefg))], \{b, a+1, (n)^(1/7)\}, \{c, b+1, (n/(b))^(1/6)\},
            \{d, c+1, (n/(bc))^{(1/5)}\}, \{e, d+1, (n/(bcd))^{(1/4)}\},
            {f, e+1, (n/(bcde))^(1/3)}, {g, f+1, (n/(bcdef))^(1/2)}]
d8x[n_{,a_{]}} := 1a^8 + -1/1Floor[n^(1/8)]^8 +
      8 Sum[Floor[(n/(b^7))], {b, a+1, (n)^(1/8)}] +
      -28 \text{ Sum}[Floor[(n/(b^6))^(1/2)]^2, \{b, a+1, (n)^(1/8)\}] +
      56 \, Sum[Floor[(n/(b^6c))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^66))^(1/2)\}] + (a+1)^{n/(b+6)} + (a+
      56 Sum[Floor[(n/(b^5))^(1/3)]^3, \{b, a+1, (n)^(1/8)\}] +
      168 \text{ Sum}[Floor[(n/(b^5c^2))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^5))^(1/3)\}] + -168
         Sum[Floor[(n/(b^5c))^(1/2)]^2, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^5))^(1/3)\}] +
      336 Sum[Floor[(n/(b^5cd))], \{b, a+1, (n)^(1/8)\},
            \{c, b+1, (n/(b^5))^(1/3)\}, \{d, c+1, (n/(b^5c))^(1/2)\}\} +
      -70 \text{ Sum}[Floor[(n/(b^4))^(1/4)]^4, \{b, a+1, (n)^(1/8)\}] +
      -420 \text{ Sum}[Floor[(n/(b^4c^2))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
            \{c, b+1, (n/(b^4))^(1/4)\} + 840 Sum[Floor[(n/(b^4c^2d))], \{b, a+1, (n)^(1/8)\},
            \{c, b+1, (n/(b^4))^(1/4)\}, \{d, c+1, (n/(b^4c^2))^(1/2)\}\} + 280
         Sum[Floor[(n/(b^4c))^(1/3)]^3, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^4))^(1/4)\}] +
      840 \text{ Sum}[Floor[(n/(b^4cd^2))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^4))^(1/4)\},
            \{d, c+1, (n/(b^4c))^(1/3)\}\} + -840 Sum[Floor[(n/(b^4cd))^(1/2)]^2
            \{b, a+1, (n) \land (1/8)\}, \{c, b+1, (n/(b^4)) \land (1/4)\}, \{d, c+1, (n/(b^4c)) \land (1/3)\}\}
      1680 \text{ Sum}[Floor[(n/(b^4cde))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^4))^(1/4)\},
            \{d, c+1, (n/(b^4c))^(1/3)\}, \{e, d+1, (n/(b^4cd))^(1/2)\}\}
      56 \text{ Sum}[Floor[(n/(b^3))^(1/5)]^5, \{b, a+1, (n)^(1/8)\}] +
      280 \text{ Sum}[Floor[(n/(b^3c^4))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^3))^(1/5)\}] +
      -560 \text{ Sum}[Floor[(n/(b^3c^3))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
            \{c, b+1, (n/(b^3))^{1/3}\} + 1120 \sup [Floor[(n/(b^3c^3d))], \{b, a+1, (n)^{1/3}\}, \{b, a+1, (n)^{1/3}\} 
            \{c, b+1, (n/(b^3))^(1/5)\}, \{d, c+1, (n/(b^3c^3))^(1/2)\}\} +
      560 \text{ Sum}[Floor[(n/(b^3c^2))^(1/3)]^3, \{b, a+1, (n)^(1/8)\},
            \{c, b+1, (n/(b^3))^(1/5)\} + 1680 \text{ Sum}[Floor[(n/(b^3c^2d^2))],
            \{b, a+1, (n) (1/8)\}, \{c, b+1, (n/(b^3)) (1/5)\}, \{d, c+1, (n/(b^3c^2)) (1/3)\}\}
      -1680 \text{ Sum}[Floor[(n/(b^3c^2d))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
            \{c, b+1, (n/(b^3))^(1/5)\}, \{d, c+1, (n/(b^3c^2))^(1/3)\}\}
      3360 \text{ Sum}[Floor[(n/(b^3c^2de))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^3))^(1/5)\},
            \{d, c+1, (n/(b^3c^2))^(1/3)\}, \{e, d+1, (n/(b^3c^2d))^(1/2)\}\} + -280
         Sum[Floor[(n/(b^3c))^(1/4)]^4, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^3))^(1/5)\}] +
      1120 Sum[Floor[(n/(b^3cd^3))], \{b, a+1, (n)^(1/8)\},
            \{c, b+1, (n/(b^3))^(1/5)\}, \{d, c+1, (n/(b^3c))^(1/4)\}\} +
      -1680 \text{ Sum}[Floor[(n/(b^3cd^2))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
            \{c, b+1, (n/(b^3))^(1/5)\}, \{d, c+1, (n/(b^3c))^(1/4)\}\} +
      3360 \text{ Sum}[Floor[(n/(b^3cd^2e))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^3))^(1/5)\}, \{c, b+1, (n/(b^3))^(1/5)^(1/5)\}, \{c, b+1, (n/(b^3))^(1/5)^(1/5)\}, \{c, b+1, (n/(b^3))^(1/5)^(1/5)^(1/5)\}, \{c, b+1, (n/(b^3))^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)\}, \{c, b+1, (n/(b^3))^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^(1/5)^
            \{d, c+1, (n/(b^3c))^(1/4)\}, \{e, d+1, (n/(b^3cd^2))^(1/2)\}\}
      1120 Sum[Floor[(n/(b^3cd))^(1/3)] ^3, {b, a+1, (n) ^(1/8)},
            \{c, b+1, (n/(b^3))^(1/5)\}, \{d, c+1, (n/(b^3c))^(1/4)\}\}
      3360 \text{ Sum}[Floor[(n/(b^3cde^2))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^3))^(1/5)\},
            \{d, c+1, (n/(b^3c))^(1/4)\}, \{e, d+1, (n/(b^3cd))^(1/3)\}] +
      -3360 \text{ Sum}[Floor[(n/(b^3cde))^(1/2)]^2, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n)^2, (n)^
                (n / (b^3)) ^ (1 / 5)}, {d, c+1, (n / (b^3 c)) ^ (1 / 4)}, {e, d+1, (n / (b^3 c d)) ^ (1 / 3)}] +
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6720 \text{ Sum}[Floor[(n/(b^3cdef))], \{b, a+1, (n)^(1/8)\},
         \{c, b+1, (n/(b^3))^(1/5)\}, \{d, c+1, (n/(b^3c))^(1/4)\},
         \{e, d+1, (n/(b^3cd))^(1/3)\}, \{f, e+1, (n/(b^3cde))^(1/2)\}\} +
-28 \text{ Sum}[Floor[(n/(b^2))^(1/6)]^6, \{b, a+1, (n)^(1/8)\}] +
168 \text{ Sum}[Floor[(n/(b^2c^5))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^2))^(1/6)\}] +
-420 \text{ Sum}[floor[(n/(b^2c^4))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
         \{c, b+1, (n/(b^2))^{(1/6)}\} + 840 Sum[Floor[(n/(b^2c^4d))], \{b, a+1, (n)^{(1/8)}\},
         \{c, b+1, (n/(b^2))^(1/6)\}, \{d, c+1, (n/(b^2c^4))^(1/2)\}\} +
560 \text{ Sum}[Floor[(n/(b^2c^3))^(1/3)]^3, \{b, a+1, (n)^(1/8)\},
         \{c, b+1, (n/(b^2))^{(1/6)}\} + 1680 \text{ Sum}[Floor[(n/(b^2c^3d^2))],
         \{b, a+1, (n) (1/8)\}, \{c, b+1, (n/(b^2)) (1/6)\}, \{d, c+1, (n/(b^2c^3)) (1/3)\}\}
-1680 \text{ Sum}[floor[(n/(b^2c^3d))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
         \{c, b+1, (n/(b^2))^(1/6)\}, \{d, c+1, (n/(b^2c^3))^(1/3)\}\}
3360 \text{ Sum}[Floor[(n/(b^2c^3de))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^2))^(1/6)\},
         \{d, c+1, (n/(b^2c^3))^(1/3)\}, \{e, d+1, (n/(b^2c^3d))^(1/2)\}\} +
-420 \text{ Sum}[Floor[(n/(b^2c^2))^(1/4)]^4, \{b, a+1, (n)^(1/8)\},
         \{c, b+1, (n/(b^2))^(1/6)\} + 1680 \text{ Sum}[Floor[(n/(b^2c^2d^3))],
         \{b, a+1, (n)^{(1/8)}\}, \{c, b+1, (n/(b^2))^{(1/6)}\}, \{d, c+1, (n/(b^2c^2))^{(1/4)}\}\}
-2520 \text{ Sum}[floor[(n/(b^2c^2d^2))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
         \{c, b+1, (n/(b^2))^(1/6)\}, \{d, c+1, (n/(b^2c^2))^(1/4)\}\} +
5040 \text{ Sum}[Floor[(n/(b^2c^2d^2e))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^2))^(1/6)\}, \{c, b+1, (n/(b
         \{d, c+1, (n/(b^2c^2))^(1/4)\}, \{e, d+1, (n/(b^2c^2d^2))^(1/2)\}\}
1680 Sum[Floor[(n/(b^2c^2d))^(1/3)]^3, {b, a+1, (n) (1/8)},
         \{c, b+1, (n/(b^2))^{(1/6)}, \{d, c+1, (n/(b^2c^2))^{(1/4)}\}\}
5040 \, \text{Sum}[Floor[(n/(b^2c^2de^2))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^2))^(1/6)\}, \{c, b+1, (n/(
         \{d, c+1, (n/(b^2c^2))^(1/4)\}, \{e, d+1, (n/(b^2c^2d))^(1/3)\}\}
-5040 \text{ Sum}[Floor[(n/(b^2c^2de))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
         \{c, b+1, (n/(b^2))^(1/6)\}, \{d, c+1, (n/(b^2c^2))^(1/4)\},
         \{e, d+1, (n/(b^2c^2d))^(1/3)\} + 10080 sum[Floor[(n/(b^2c^2def))],
         \{b, a+1, (n) \land (1/8)\}, \{c, b+1, (n/(b^2)) \land (1/6)\}, \{d, c+1, (n/(b^2c^2)) \land (1/4)\},
         \{e, d+1, (n/(b^2c^2d))^(1/3)\}, \{f, e+1, (n/(b^2c^2de))^(1/2)\}\} + 168
    Sum[Floor[(n/(b^2c))^(1/5)]^5, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^2))^(1/6)\}] +
840 Sum[Floor[(n/(b^2cd^4))], {b, a+1, (n) (1/8)},
         \{c, b+1, (n/(b^2))^{(1/6)}\}, \{d, c+1, (n/(b^2c))^{(1/5)}\}\}
-1680 \text{ Sum}[Floor[(n/(b^2cd^3))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
         \{c, b+1, (n/(b^2))^{(1/6)}\}, \{d, c+1, (n/(b^2c))^{(1/5)}\}\}
3360 \text{ Sum}[Floor[(n/(b^2cd^3e))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^2))^(1/6)\},
         \{d, c+1, (n/(b^2c))^(1/5)\}, \{e, d+1, (n/(b^2cd^3))^(1/2)\}\}
1680 \text{ Sum}[floor[(n/(b^2cd^2))^(1/3)]^3, \{b, a+1, (n)^(1/8)\},
         \{c, b+1, (n/(b^2))^{(1/6)}\}, \{d, c+1, (n/(b^2c))^{(1/5)}\}\}
5040 \, \text{Sum}[Floor[(n/(b^2cd^2e^2))], \{b,a+1,(n)^(1/8)\}, \{c,b+1,(n/(b^2))^(1/6)\}, \{c,b+1,(n/(
         \{d, c+1, (n/(b^2c))^(1/5)\}, \{e, d+1, (n/(b^2cd^2))^(1/3)\}\}
-5040 \text{ Sum}[floor[(n/(b^2cd^2e))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
         \{c, b+1, (n/(b^2))^(1/6)\}, \{d, c+1, (n/(b^2c))^(1/5)\},
         \{e, d+1, (n/(b^2cd^2))^(1/3)\} + 10080 \text{ Sum}[Floor[(n/(b^2cd^2ef))],
         \{b, a+1, (n) (1/8)\}, \{c, b+1, (n/(b^2)) (1/6)\}, \{d, c+1, (n/(b^2c)) (1/5)\},
         \{e, d+1, (n/(b^2cd^2))^(1/3)\}, \{f, e+1, (n/(b^2cd^2e))^(1/2)\}\}
-840 \text{ Sum}[floor[(n/(b^2cd))^(1/4)]^4, \{b, a+1, (n)^(1/8)\},
         \{c, b+1, (n/(b^2))^{(1/6)}\}, \{d, c+1, (n/(b^2c))^{(1/5)}\}\}
3360 \text{ Sum}[Floor[(n/(b^2cde^3))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^2))^(1/6)\}, \{c, b+1, (n/(b^2
         \{d, c+1, (n/(b^2c))^(1/5)\}, \{e, d+1, (n/(b^2cd))^(1/4)\}\}
-5040 \text{ Sum}[Floor[(n/(b^2cde^2))^(1/2)]^2, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (a, b, a+1, (b, a+1, a+1, (b, a+1,
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(n/(b^2))^{(1/6)}, \{d, c+1, (n/(b^2c))^{(1/5)}, \{e, d+1, (n/(b^2cd))^{(1/4)}\} +
10080 \text{ Sum}[Floor[(n/(b^2cde^2f))], \{b, a+1, (n)^(1/8)\},
   \{c, b+1, (n/(b^2))^(1/6)\}, \{d, c+1, (n/(b^2c))^(1/5)\},
   \{e, d+1, (n/(b^2cd))^(1/4)\}, \{f, e+1, (n/(b^2cde^2))^(1/2)\}\}
3360 \text{ Sum}[Floor[(n/(b^2cde))^(1/3)]^3, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n)^2, (n)^2
     (n/(b^2))^(1/6), \{d, c+1, (n/(b^2c))^(1/5)\}, \{e, d+1, (n/(b^2cd))^(1/4)\}] +
10\,080\,\text{Sum}[Floor[(n/(b^2cdef^2))], \{b, a+1, (n)^(1/8)\},
   \{c, b+1, (n/(b^2))^(1/6)\}, \{d, c+1, (n/(b^2c))^(1/5)\},
   \{e, d+1, (n/(b^2cd))^(1/4)\}, \{f, e+1, (n/(b^2cde))^(1/3)\}\}
-10080 \text{ Sum}[Floor[(n/(b^2cdef))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
   \{c, b+1, (n/(b^2))^(1/6)\}, \{d, c+1, (n/(b^2c))^(1/5)\},
   \{e, d+1, (n/(b^2cd))^(1/4)\}, \{f, e+1, (n/(b^2cde))^(1/3)\}\}
20160 \text{ Sum}[Floor[(n/(b^2cdefg))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b^2))^(1/6)\},
   \{d, c+1, (n/(b^2c))^(1/5)\}, \{e, d+1, (n/(b^2cd))^(1/4)\},
   {f, e+1, (n/(b^2cde))^(1/3)}, {g, f+1, (n/(b^2cdef))^(1/2)}]+
8 \text{ Sum}[Floor[(n/(b))^(1/7)]^7, \{b, a+1, (n)^(1/8)\}] +
56 \text{ Sum}[Floor[(n/(bc^6))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\}] +
-168 \text{ Sum}[Floor[(n/(bc^5))^(1/2)]^2, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\}] +
336 Sum[Floor[(n/(bc^5d))], {b, a+1, (n) ^(1/8)},
   \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^5))^{(1/2)}\}\} +
280 \text{ Sum}[Floor[(n/(bc^4))^(1/3)]^3, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\}] +
840 Sum[Floor[(n/(bc^4d^2))], {b, a+1, (n) ^(1/8)},
   \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^4))^{(1/3)}\}\} +
-840 \text{ Sum}[Floor[(n/(bc^4d))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
   \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^4))^{(1/3)}\}\} +
1680 \text{ Sum}[Floor[(n/(bc^4de))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
   \{d, c+1, (n/(bc^4))^(1/3)\}, \{e, d+1, (n/(bc^4d))^(1/2)\}\}
-280 \text{ Sum}[Floor[(n/(bc^3))^(1/4)]^4, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\}] +
1120 Sum[Floor[(n/(bc^3d^3))], \{b, a+1, (n)^(1/8)\},
   \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^3))^{(1/4)}\}\}
\{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^3))^{(1/4)}\}\} +
3360 \, \text{Sum}[Floor[(n/(bc^3d^2e))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
   \{d, c+1, (n/(bc^3))^(1/4)\}, \{e, d+1, (n/(bc^3d^2))^(1/2)\}\} +
1120 Sum[Floor[(n/(bc^3d))^(1/3)]^3, {b, a+1, (n)^(1/8)},
   \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^3))^{(1/4)}\}\}
3360 \text{ Sum}[Floor[(n/(bc^3de^2))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
   \{d, c+1, (n/(bc^3))^(1/4)\}, \{e, d+1, (n/(bc^3d))^(1/3)\}\} + -3360
 Sum[Floor[(n/(bc^3de))^(1/2)]^2, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
   \{d, c+1, (n/(bc^3))^(1/4)\}, \{e, d+1, (n/(bc^3d))^(1/3)\}\}
6720 \text{ Sum}[Floor[(n/(bc^3def))], \{b, a+1, (n)^(1/8)\},
   \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^3))^{(1/4)}\},
   {e, d+1, (n/(bc^3d))^(1/3)}, {f, e+1, (n/(bc^3de))^(1/2)}]+
168 \text{ Sum}[Floor[(n/(bc^2))^(1/5)]^5, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\}] +
840 Sum[Floor[(n/(bc^2d^4))], {b, a+1, (n) (1/8)},
   \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^2))^{(1/5)}\}\} +
-1680 \text{ Sum}[Floor[(n/(bc^2d^3))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
   \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^2))^{(1/5)}\}\}
3360 \text{ Sum}[Floor[(n/(bc^2d^3e))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
   \{d, c+1, (n/(bc^2))^(1/5)\}, \{e, d+1, (n/(bc^2d^3))^(1/2)\}\} +
1680 Sum[Floor[(n/(bc^2d^2))^(1/3)]^3, {b, a+1, (n) (1/8)},
   \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^2))^{(1/5)}\}\}
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5040 \text{ Sum}[Floor[(n/(bc^2d^2e^2))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
           \{d, c+1, (n/(bc^2))^(1/5)\}, \{e, d+1, (n/(bc^2d^2))^(1/3)\}\}
-5040 \text{ Sum}[Floor[(n/(bc^2d^2e))^(1/2)]^2, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n)^2, (n
                  (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^2))^{(1/5)}, \{e, d+1, (n/(bc^2d^2))^{(1/3)}\}\}
10080 \text{ Sum}[Floor[(n/(bc^2d^2ef))], \{b, a+1, (n)^(1/8)\},
           \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^2))^{(1/5)}\},
           \{e, d+1, (n/(bc^2d^2))^(1/3)\}, \{f, e+1, (n/(bc^2d^2e))^(1/2)\}\}
-840 \text{ Sum}[Floor[(n/(bc^2d))^(1/4)]^4, \{b, a+1, (n)^(1/8)\},
           \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc^2))^{(1/5)}\}\}
3360 \text{ Sum}[Floor[(n/(bc^2de^3))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
           \{d, c+1, (n/(bc^2))^(1/5)\}, \{e, d+1, (n/(bc^2d))^(1/4)\}\} +
-5040 \, Sum[Floor[(n/(bc^2de^2))^(1/2)]^2, \{b, a+1, (n)^(1/8)\}, \{c, b+1, a+1, (n)^(1/8)\}, \{c, 
                  (n/(b))^(1/7)}, {d, c+1, (n/(bc^2))^(1/5)}, {e, d+1, (n/(bc^2d))^(1/4)}]+
10\,080\,\text{Sum}[Floor[(n/(bc^2de^2f))], \{b, a+1, (n)^(1/8)\},
           \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^2))^{(1/5)}\},
           {e, d+1, (n/(bc^2d))^(1/4)}, {f, e+1, (n/(bc^2de^2))^(1/2)}]+3360
     Sum[Floor[(n/(bc^2de))^(1/3)]^3, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
           \{d, c+1, (n/(bc^2))^(1/5)\}, \{e, d+1, (n/(bc^2d))^(1/4)\}\}
10080 \text{ Sum}[Floor[(n/(bc^2def^2))], \{b, a+1, (n)^(1/8)\},
           \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc^2))^{(1/5)}\},
           {e, d+1, (n/(bc^2d))^(1/4)}, {f, e+1, (n/(bc^2de))^(1/3)}]+
-10080 \text{ Sum}[Floor[(n/(bc^2def))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
           \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc^2))^{(1/5)}\},
           \{e, d+1, (n/(bc^2d))^(1/4)\}, \{f, e+1, (n/(bc^2de))^(1/3)\}\}
20160 \, Sum[Floor[(n/(bc^2defg))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\}, \{c, b+1, (n/(
           \{d, c+1, (n/(bc^2))^(1/5)\}, \{e, d+1, (n/(bc^2d))^(1/4)\},
           {f, e+1, (n/(bc^2de))^(1/3)}, {g, f+1, (n/(bc^2def))^(1/2)}]+
-56 \text{ Sum}[Floor[(n/(bc))^(1/6)]^6, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\}] +
336 Sum[Floor[(n/(bcd^5))], \{b, a+1, (n)^(1/8)\},
           \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc))^{(1/6)}\}\}
-840 \text{ Sum}[Floor[(n/(bcd^4))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
           \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc))^{(1/6)}\}\} +
1680 \, \text{Sum}[\text{Floor}[\,(\text{n}\,/\,\,(\text{bcd}^4\,\text{e})\,)\,]\,,\, \{\text{b},\,\text{a}\,+\,1\,,\,\,(\text{n})\,\,^{^{\diamond}}(\,1\,/\,\,8)\,\}\,,\, \{\text{c},\,\text{b}\,+\,1\,,\,\,(\text{n}\,/\,\,(\text{b})\,)\,\,^{^{\diamond}}(\,1\,/\,\,7)\,\}\,,
           \{d, c+1, (n/(bc))^{(1/6)}\}, \{e, d+1, (n/(bcd^4))^{(1/2)}\}\} +
1120 Sum[Floor[(n/(bcd^3))^(1/3)]^3, {b, a+1, (n)^(1/8)},
           \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc))^{(1/6)}\}\}
3360 \text{ Sum}[Floor[(n/(bcd^3e^2))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\}, \{c, b+1, (n/
           \{d, c+1, (n/(bc))^{(1/6)}, \{e, d+1, (n/(bcd^3))^{(1/3)}\}\} +
-3360 \text{ Sum}[floor[(n/(bcd^3e))^(1/2)]^2, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n)^2, (n)^
                  (n/(b))^{(1/7)}, \{d, c+1, (n/(bc))^{(1/6)}, \{e, d+1, (n/(bcd^3))^{(1/3)}\} +
6720 \text{ Sum}[Floor[(n/(bcd^3ef))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
           {d, c+1, (n/(bc))^(1/6)}, {e, d+1, (n/(bcd^3))^(1/3)},
           \{f, e+1, (n/(bcd^3e))^(1/2)\}\} + -840 Sum[Floor[(n/(bcd^2))^(1/4)]^4
           \{b, a+1, (n)^{(1/8)}\}, \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc))^{(1/6)}\}\}
3360 \text{ Sum}[Floor[(n/(bcd^2e^3))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
           \{d, c+1, (n/(bc))^{(1/6)}, \{e, d+1, (n/(bcd^2))^{(1/4)}\}\} +
-5040 \text{ Sum}[Floor[(n/(bcd^2e^2))^(1/2)]^2, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n)^2, (n
                  (n/(b))^{(1/7)}, \{d, c+1, (n/(bc))^{(1/6)}, \{e, d+1, (n/(bcd^2))^{(1/4)}\} +
10\,080\,Sum[Floor[(n/(bcd^2e^2f))], \{b, a+1, (n)^(1/8)\},
           \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc))^{(1/6)}\},
           {e, d+1, (n/(bcd^2))^(1/4)}, {f, e+1, (n/(bcd^2e^2))^(1/2)}]+
3360 \text{ Sum}[Floor[(n/(bcd^2e))^(1/3)]^3, \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n)^2, (n)^2
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(n/(b))^{(1/7)}, \{d, c+1, (n/(bc))^{(1/6)}, \{e, d+1, (n/(bcd^2))^{(1/4)}\} +
10080 \text{ Sum}[Floor[(n/(bcd^2ef^2))], \{b, a+1, (n)^(1/8)\},
  \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc))^{(1/6)}\},
  \{e, d+1, (n/(bcd^2))^(1/4)\}, \{f, e+1, (n/(bcd^2e))^(1/3)\}\}
-10080 \text{ Sum}[Floor[(n/(bcd^2ef))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
  \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc))^{(1/6)}\},
  {e, d+1, (n/(bcd^2))^(1/4)}, {f, e+1, (n/(bcd^2e))^(1/3)}]+
20160 \text{ Sum}[Floor[(n/(bcd^2efg))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
  \{d, c+1, (n/(bc))^{(1/6)}\}, \{e, d+1, (n/(bcd^2))^{(1/4)}\},
  {f, e+1, (n/(bcd^2e))^(1/3)}, {g, f+1, (n/(bcd^2ef))^(1/2)}]+
336 Sum[Floor[(n/(bcd))^(1/5)] ^5, {b, a+1, (n) ^(1/8)},
  \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc))^{(1/6)}\}\}
1680 \text{ Sum}[Floor[(n/(bcde^4))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
  {d, c+1, (n/(bc))^(1/6)}, {e, d+1, (n/(bcd))^(1/5)}]+
-3360 \text{ Sum}[floor[(n/(bcde^3))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
  \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc))^{(1/6)}, \{e, d+1, (n/(bcd))^{(1/5)}\}\}
6720 Sum[Floor[(n/(bcde^3f))], \{b, a+1, (n)^(1/8)\},
  \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc))^{(1/6)}\},
  {e, d+1, (n/(bcd))^(1/5)}, {f, e+1, (n/(bcde^3))^(1/2)}]+
3360 \text{ Sum}[Floor[(n/(bcde^2))^(1/3)]^3, \{b, a+1, (n)^(1/8)\},
  \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc))^{(1/6)}, \{e, d+1, (n/(bcd))^{(1/5)}\}\}
10080 \text{ Sum}[Floor[(n/(bcde^2f^2))], \{b, a+1, (n)^(1/8)\},
  \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc))^{(1/6)}\},
  \{e, d+1, (n/(bcd))^{(1/5)}, \{f, e+1, (n/(bcde^2))^{(1/3)}\}\}
-10080 \text{ Sum}[Floor[(n/(bcde^2f))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
  \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc))^{(1/6)}\},
  {e, d+1, (n/(bcd))^(1/5)}, {f, e+1, (n/(bcde^2))^(1/3)}]+
20160 \text{ Sum}[Floor[(n/(bcde^2fg))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
  {d, c+1, (n/(bc))^{(1/6)}, {e, d+1, (n/(bcd))^{(1/5)}},
  {f, e+1, (n/(bcde^2))^(1/3)}, {g, f+1, (n/(bcde^2f))^(1/2)}]+
-1680 \text{ Sum}[Floor[(n/(bcde))^(1/4)]^4, {b, a+1, (n)^(1/8)},
  \{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc))^{(1/6)}, \{e, d+1, (n/(bcd))^{(1/5)}\}\}
6720 Sum[Floor[(n/(bcdef^3))], \{b, a+1, (n)^(1/8)\},
  \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc))^{(1/6)}\},
  {e, d+1, (n/(bcd))^{(1/5)}, \{f, e+1, (n/(bcde))^{(1/4)}\}} +
-10080 \text{ Sum}[Floor[(n/(bcdef^2))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
  \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc))^{(1/6)}\},
  \{e, d+1, (n/(bcd))^{(1/5)}, \{f, e+1, (n/(bcde))^{(1/4)}\}\} +
20160 \text{ Sum}[Floor[(n/(bcdef^2g))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
  \{d, c+1, (n/(bc))^{(1/6)}\}, \{e, d+1, (n/(bcd))^{(1/5)}\},
  \{f, e+1, (n/(bcde))^{(1/4)}, \{g, f+1, (n/(bcdef^2))^{(1/2)}\}\}
6720 \text{ Sum}[Floor[(n/(bcdef))^(1/3)]^3, \{b, a+1, (n)^(1/8)\},
  \{c, b+1, (n/(b))^{(1/7)}\}, \{d, c+1, (n/(bc))^{(1/6)}\},
  \{e, d+1, (n/(bcd))^{(1/5)}, \{f, e+1, (n/(bcde))^{(1/4)}\}\} +
20160 \text{ Sum}[Floor[(n/(bcdefg^2))], \{b, a+1, (n)^(1/8)\}, \{c, b+1, (n/(b))^(1/7)\},
  \{d, c+1, (n/(bc))^{(1/6)}, \{e, d+1, (n/(bcd))^{(1/5)}\},
  {f, e+1, (n/(bcde))^(1/4)}, {g, f+1, (n/(bcdef))^(1/3)}]+
-20160 \text{ Sum}[floor[(n/(bcdefg))^(1/2)]^2, \{b, a+1, (n)^(1/8)\},
```

 $\{c, b+1, (n/(b))^{(1/7)}, \{d, c+1, (n/(bc))^{(1/6)}\}, \{e, d+1, (n/(bcd))^{(1/5)}\},$

40 320 Sum[Floor[(n/(bcdefgh))], {b, a+1, (n) (1/8)}, {c, b+1, (n/(b)) (1/7)}, {d, c+1, (n/(bc)) (1/6)}, {e, d+1, (n/(bcd)) (1/5)}, {f, e+1, (n/(bcde)) (1/4)},

 $\{f, e+1, (n/(bcde))^{(1/4)}\}, \{g, f+1, (n/(bcdef))^{(1/3)}\}\}$

```
{g, f+1, (n/(bcdef))^(1/3)}, {h, g+1, (n/(bcdefg))^(1/2)}]
static long Binomial2(double n,int k) {double total=1;
   for (int i=1; i \le k; i++) total*=(n-(k-i))/i;
   return (long) (total+epsilon);}
static string lets="bcdefghijklmopqrstuvwxyz";
static void part(int k,string s,int mul,int mul2,int last,int total,int muldiv)
 {if (k=0) {var ss=s.Split(new string[] {" "},StringSplitOptions.None);
     var vv=new List<int>();
     foreach (var st in ss)if(st#"") vv.Add(Int32.Parse(st));
     if (vv.Count=1) Console.WriteLine
       (""+mul*mul2+"/"+muldiv+" Floor[ n^(1/"+vv[0]+")]^"+vv[0]+"+");
     else{var ls=vv[vv.Count-1];
       if (mul<0&&muldiv<0) {mul=-mul;muldiv=-muldiv;} Console.Write
         (""+((mul*mul2)%muldiv==0?""+((mul*mul2)/muldiv):mul*mul2+"/"+muldiv)+
           " Sum[ Floor[ (n / (");
       for (var j=0;j<vv.Count-1;j++) Console.Write(lets[j]+(vv[j]>1?"^"+vv[j]:"")+" ");
       Console.Write("))"+(1s>1?"^(1/"+1s+")":"")+" ]"+(1s>1?"^"+1s+"":"")+", ");
       var div="";
       for (var j=0;j<vv.Count-1;j++){if (j>0) Console.Write(", ");
          Console.Write("{ "+lets[j]+", "+(j=0?"a+1":lets[j-1]+"+1")+
             ","+"(n"+(div#""?"/("+div+")":"")+")^(1/"+total+") }");
          div+=" "+lets[j]+(vv[j]>1?"^"+vv[j]:"");
          total-=vv[j];} Console.Write(" ]");
       for (var j=0;j<vv.Count;j++)if (vv[j] #1) {Console.Write("+");break;}</pre>
         Console.WriteLine("");} return;} for (int j=k;j>0;j--) part
    (k-j,s+" "+j,((j % 2)=0?-1:1),mul2*(int)Binomial2(k,j),j,total,muldiv);
static void partfull(int k){Console.WriteLine("d"+k+"x[n_, a_] := ");
  Console.WriteLine(""+(Math.Pow(-1,k))+" a^*+k+"+");
  part(k,"",1,1,1,k,1);}
*)
d8x[10000, 1]
158 952
Dd[10000, 8, 2]
158 952
d4[n, 1]
$Aborted
```