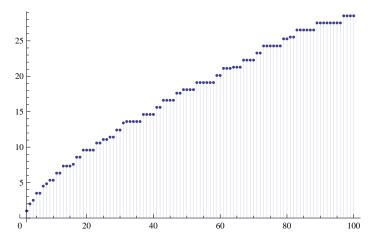
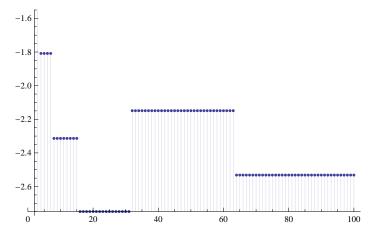
```
ClearAll["Global`*"]
str := 2
K[n_{-}] := If[n = 1, 0, FullSimplify[MangoldtLambda[n] / Log[n]]]
K2[n_] := If[Floor[n^(1/str)] == n^(1/str), K[n^(1/str)], 0]
K7[n_] := K2[n] - If[Floor[Log[2, n]] = Log[2, n], n^(1/str) / Log[2, n], 0]
P[n_, 0] = 1;
P[n_{k}] := P[n, k] = Sum[K7[j]P[Floor[n/j], k-1], {j, 2, n}]
En[n_] := En[n] = Sum[1/(k!) P[n, k], {k, 0, Log[2, n]}]
En[n_{,z]} := En[n,z] = Sum[(z^k)/(k!)P[n,k], \{k,0, Log[2,n]\}]
en[n_] := Sum[1/(k!)p[n,k], \{k, 0, Log[2, n]\}]
 \texttt{LAdd[n\_]} \; := \; \texttt{Sum[} \; (2 \, (1 \, / \, \texttt{str})) \, ^k \, / \, k, \; \{k, \, 1, \, \texttt{Log[2, \, n]}\}] 
PP[n_{,k_{|}} := PP[n,k] = Sum[1/k-PP[Floor[n/j],k+1], \{j,2,n\}]
PR[n_{\_}] := Sum[FullSimplify[MangoldtLambda[j] / Log[j]], \{j, 2, n\}]
P[10^str, 1] + LAdd[10^str]
16
3
PR[10]
16
N[LAdd[10^str] - LAdd[2^str] + LogIntegral[2]]
5.45268
N[LogIntegral[10]]
6.1656
DiscretePlot[{P[n, 1]}, {n, 10, 1000, 10}]
0.5 H
            200
                                                       1000
                       400
                                  600
                                            800
-0.5
-1.0
-1.5
-2.0
-2.5
-3.0
```

$\label{eq:definition} DiscretePlot[\{P[n^str, 1] + LAdd[n^str]\}, \{n, 2, 100\}]$



$DiscretePlot[{P[n, 1]}, {n, 2, 100}]$



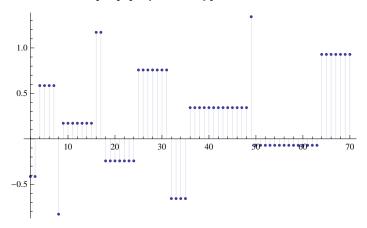
- $-\sqrt{2}$

- $-\sqrt{2}$

- $-\sqrt{2}$

- $-\sqrt{2}$

DiscretePlot[En[n], {n, 2, 70}]



Table[$\{n, En[n]\}, \{n, 1, 100\}$] // TableForm

```
Table [\ \{n,\ FullSimplify[P[n,\ 2]\ -\ P[n-1,\ 2]\ ]\}\ ,\ \{n,\ 1,\ 100\}\ ]\ //\ TableForm
```

```
30
      0
31
      0
```

$$32 \qquad \sqrt{2}$$

$$-2\sqrt{2}$$

$$\frac{184}{45}$$

71 0
$$-\frac{4\sqrt{2}}{3}$$

$$\begin{array}{rrr}
 72 & -\frac{4}{3} \\
 73 & 0
 \end{array}$$

```
84
85
      0
86
      0
87
88
      n
89
      0
90
      0
91
      n
92
      0
93
      0
94
      0
95
      0
96
97
     -2\sqrt{2}
98
99
      0
100
      0
FullSimplify[Expand[en[256]]]
0
 Table [ \{ N[2^{(1/n)}], N[LAddx[100, 2^{(1/n)}] - LAddx[2, 2^{(1/n)}] + LogIntegral[2] ] \}, \\
  {n, 1, 60}] // TableForm
2.
         26.7785
        31.1928
1.41421
1.25992 27.6806
1.18921 29.5759
        30.7722
1.1487
1.12246 29.0556
       29.9624
1.10409
1.09051 30.6612
1.08006 29.523
1.07177 30.1159
1.06504 30.6101
1.05946
        29.7585
1.05477
         30.1983
1.05076 30.5807
1.04729 29.9003
1.04427 30.2497
1.04162 29.6746
        29.995
1.03926
        30.2848
1.03716
1.03526 29.7931
1.03356 30.0628
1.03201 30.3103
         29.8808
1.0306
1.0293
         30.1137
1.02811
         30.3297
1.02702 29.9485
1.026
        30.1534
1.02506 30.345
1.02419 30.0023
1.02337
         30.1851
1.02261
         29.8714
```

```
1.0219 30.046
1.02123 30.2111
1.0206 29.9239
1.02
        30.0823
1.01944 30.2327
1.01891 29.9679
        30.1129
1.01841
1.01793 30.2511
1.01748 30.0055
1.01705 30.139
1.01664 30.2668
1.01625 30.0378
        30.1616
1.01588
1.01552 29.9458
1.01518 30.0659
1.01486 30.1813
1.01455 29.9784
1.01425 30.0906
1.01396 30.1987
1.01368 30.0072
1.01342 30.1124
1.01316 30.214
1.01292 30.0329
        30.1319
1.01268
1.01245
         30.2278
1.01223 30.0558
1.01202 30.1494
1.01182 29.985
        30.0765
1.01162
N[LogIntegral[100]]
30.1261
LAddx[n_{-}, st_{-}] := Sum[st^k/k, \{k, 1, Log[st, n]\}]
LAddx[100, 1.000001] - LAddx[2, 1.000001] + LogIntegral[2]
30.1262 - 2.46016 \times 10^{-10} i
LAddx[100, 1.001] - LAddx[2, 1.001] + LogIntegral[2]
30.1267
```