```
Clear[f]
a[n_] := DirichletCharacter[14, 3, n]
f[n_{,k_{]}} := f[n,k] = Sum[a[j]f[Floor[n/j],k-1],{j,2,n}]
f[n_{-}, 0] := UnitStep[n-1]
lf[n_] := Sum[(-1)^(k+1)/kf[n,k], \{k, 1, Log2@n\}]
\label{eq:def:def:def:matter} DiscretePlot[\{\,Re[lf[n]]\,,\,Im[lf[n]]\}\,,\,\{n,\,1,\,100\}]
Table [\{n, N@Re[lf[n] - lf[n-1]], N@Im[lf[n] - lf[n-1]]\}, \{n, 1, 40\}]
                        40 ••••
                                                          100
            20
                                   60
                                              80
-2
\{\{1, 0., 0.\}, \{2, 0., 0.\}, \{3, -0.5, 0.866025\}, \{4, 0., 0.\}, \{5, -0.5, -0.866025\},
 \{6, 0., 0.\}, \{7, 0., 0.\}, \{8, 0., 0.\}, \{9, -0.25, -0.433013\}, \{10, 0., 0.\},
 \{11, -0.5, 0.866025\}, \{12, 0., 0.\}, \{13, 1., 0.\}, \{14, 0., 0.\}, \{15, 0., 0.\},
 \{16, 0., 0.\}, \{17, -0.5, 0.866025\}, \{18, 0., 0.\}, \{19, -0.5, -0.866025\}, \{20, 0., 0.\},
 \{21, 0., 0.\}, \{22, 0., 0.\}, \{23, -0.5, -0.866025\}, \{24, 0., 0.\}, \{25, -0.25, 0.433013\},
 \{26, 0., 0.\}, \{27, 0.333333, 0.\}, \{28, 0., 0.\}, \{29, 1., 0.\}, \{30, 0., 0.\},
 \{31, -0.5, 0.866025\}, \{32, 0., 0.\}, \{33, 0., 0.\}, \{34, 0., 0.\}, \{35, 0., 0.\},
 \{36, 0., 0.\}, \{37, -0.5, -0.866025\}, \{38, 0., 0.\}, \{39, 0., 0.\}, \{40, 0., 0.\}\}
N@lf[100]
-1.29167 + 0.216506 i
Sum[N@(a[j]MangoldtLambda[j]/Log[j]), {j, 2, 100}]
-1.29167 + 0.216506 i
```