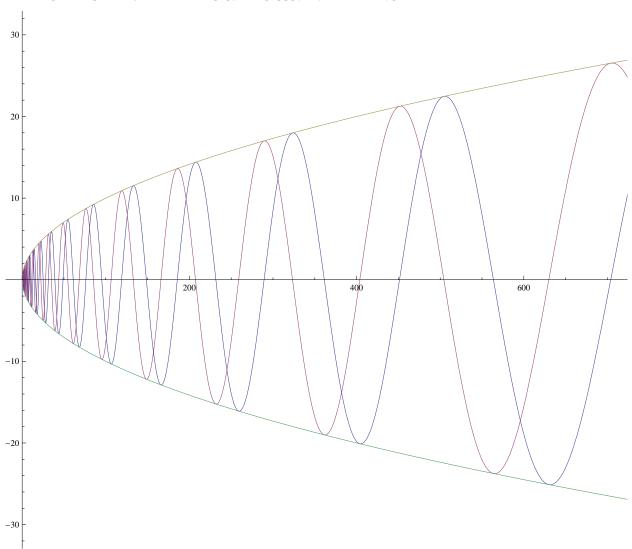
```
 \begin{split} & \text{Plot}[\{\text{Re}[\text{Gamma}[\text{ss} = 1, -(1 - \text{ZetaZero}[1]) \ \text{Log}[n]]], \\ & \text{Im}[\text{Gamma}[\text{ss}, -(1 - \text{ZetaZero}[1]) \ \text{Log}[n]]], \ \text{Abs}[\text{Gamma}[\text{ss}, -(1 - \text{ZetaZero}[1]) \ \text{Log}[n]]], \\ & - \text{Abs}[\text{Gamma}[\text{ss}, -(1 - \text{ZetaZero}[1]) \ \text{Log}[n]]]\}, \ \{n, 1, 1000\}] \\ \end{aligned}
```



```
\begin{split} & \text{Limit[1/cSum[1, {j, 1, cn}], {c \to Infinity}]} \\ & \{n\} \\ & \text{Limit[1/c^2Sum[1, {j, 1, c^2n}, {k, 1, c^2n / j}], {c \to Infinity}]} \\ & \{ \text{Limit[n HarmonicNumber[}c^2 n], c \to \infty ] \} \\ & \text{Limit[1/c^2Sum[1, {j, 1, c}, {k, 1, Floor[}c^2 n / j] }], {c \to Infinity} ] \\ & \{ \text{Limit[} \frac{\sum_{j=1}^{c} \sum_{k=1}^{Floor[} \frac{c^2 n}{j}]}{c^2} 1, c \to \infty ] \} \end{split}
```