```
K[n_{-}] := If[n = 1, 0, FullSimplify[MangoldtLambda[n] / Log[n]]]
ST[n_] := Mod[n, vv = 3] - Mod[(n-1), vv]
LAdd[n_] := Sum[vv^k/k, \{k, 1, Log[vv, n]\}]
E1[n_{,} 0] := 1
E1[n_{,k_{|}} := E1[n,k] = Sum[ST[j]E1[Floor[n/j],k-1],{j,1,n}]
E2[n_{k}] := E2[n, k] = Sum[(-1)^{(k-j)} Binomial[k, j] E1[n, j], {j, 0, k}]
P2[n_] := Sum[(-1)^(k+1)/kE2[n,k], \{k, 1, Log[2, n]\}]
M2[n_{]} := Sum[(-1)^{(k)} E2[n, k], \{k, 0, Log[2, n]\}]
Mert[n_] := Sum[MoebiusMu[j], {j, 1, n}]
\mathtt{MertAdd}[\texttt{n\_}, \texttt{v\_}] := \mathtt{Sum}[-\mathtt{Mert}[\mathtt{Floor}[\texttt{n/v^j}]] * \texttt{v^j}, \{\texttt{j}, \texttt{1}, \mathtt{Log}[\texttt{v}, \texttt{n}]\}]
\texttt{DiscretePlot}[\texttt{P2}[\texttt{n}] + \texttt{LAdd}[\texttt{n}], \{\texttt{n}, 2, 100\}]
20
15
                                                         100
- 2
2
        - 1
        1
                0
                - 2
4
5
                0
6
        0
                0
        1
8
9
                0
10
11
        1
                0
12
        0
                0
13
14
        0
                0
15
        0
                0
16
17
        1
                0
18
        0
                0
19
20
                0
        0
21
        0
                0
22
23
        1
                0
24
```

ClearAll["Global`*"]

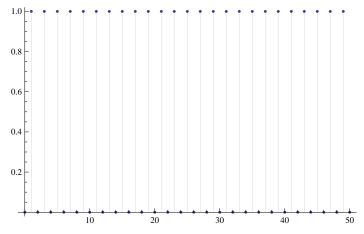
| | 1 | |
|----|-----------------|-----------------|
| 25 | $\frac{1}{2}$ | 0 |
| 26 | 0 | 0 |
| 27 | 1 | 0 |
| | 3 | |
| 28 | 0 | 0 |
| 29 | 1 | 0 |
| 30 | 0 | 0 |
| 31 | 1 | 0 |
| 32 | $-\frac{31}{5}$ | $-\frac{32}{5}$ |
| 33 | 0 | 0 |
| 34 | 0 | 0 |
| 35 | 0 | 0 |
| 36 | 0 | 0 |
| 37 | 1 | 0 |
| 38 | 0 | 0 |
| 39 | 0 | 0 |
| 40 | 0 | 0 |
| 41 | 1 | 0 |
| 42 | 0 | 0 |
| 43 | 1 | 0 |
| 44 | 0 | 0 |
| 45 | 0 | 0 |
| 46 | 0 | 0 |
| 47 | 1 | 0 |
| 48 | 0 | 0 |
| 49 | $\frac{1}{2}$ | 0 |
| 50 | 0 | 0 |
| 51 | 0 | 0 |
| 52 | 0 | 0 |
| 53 | 1 | 0 |
| 54 | 0 | 0 |
| 55 | 0 | 0 |
| 56 | 0 | 0 |
| 57 | 0 | 0 |
| 58 | 0 | 0 |
| 59 | 1 | 0 |
| 60 | 0 | 0 |
| 61 | 1 | 0 |
| 62 | 0 | 0 |
| 63 | 0 | 0 |
| 64 | $-\frac{21}{2}$ | $-\frac{32}{3}$ |
| 65 | 0 | 0 |
| 66 | 0 | 0 |
| 67 | 1 | 0 |
| 68 | 0 | 0 |
| 69 | 0 | 0 |
| 70 | 0 | 0 |
| 71 | 1 | 0 |
| 72 | 0 | 0 |
| 73 | 1 | 0 |
| 74 | 0 | 0 |
| 75 | 0 | 0 |
| 76 | 0 | 0 |
| 77 | 0 | 0 |
| 78 | 0 | 0 |
| | | |

```
79
80
     0
           0
81
           0
82
     0
          0
83
     1
          0
     0
84
           0
85
     0
           0
86
     0
           0
87
     0
           0
88
     0
           0
89
     1
           0
90
     0
           0
91
     0
           0
92
     0
           0
93
     0
          0
94
     0
          0
95
     0
          0
96
     0
          0
97
     1
           0
98
     0
           0
99
     0
           0
100
```

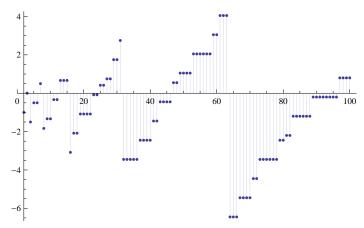
 ${\tt Table[\ \{n,\ ST2[n,\ 11\ /\ 10]\},\ \{n,\ 2,\ 40\}]\ //\ TableForm}$

- $-\frac{1}{10}$ 2 $-\frac{1}{10}$ 3
- 4
- $-\frac{1}{10} \\ -\frac{1}{10} \\ -\frac{1}{10} \\ -\frac{1}{10}$ 5
- 6 7
- $-\frac{1}{10}$ $-\frac{1}{10}$ 8
- $-\frac{1}{10}$ 9
- $-\frac{1}{10}$ 10
- $-\frac{1}{10}$ 11
- 1 12
- $-\frac{1}{10}$ $-\frac{1}{10}$ 13
- 14
- $-\frac{1}{10}$ 15
- $-\frac{1}{10}$ 16
- $-\frac{1}{10}$ 17
- $-\frac{1}{10}$ 18
- $-\frac{1}{10}$ 19
- 20
- $-\frac{1}{10}$ 21
- $-\frac{1}{10}$ 22
- 1 23
- 24
- $-\frac{1}{10}$ 25
- $-\frac{1}{10}$ 26
- $-\frac{1}{10}$ 27
- $-\frac{1}{10}$ 28
- $-\frac{1}{10}$ 29
- $-\frac{1}{10}$ $-\frac{1}{10}$ 30 31
- $-\frac{1}{10}$ 32
- $-\frac{1}{10}$ 33
- 34
- $-\frac{1}{10}$ 35
- $-\frac{1}{10}$ 36
- $-\frac{1}{10}$ 37
- $-\frac{1}{10}$ $-\frac{1}{10}$ 38 39
- 40

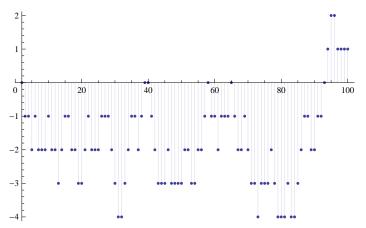
DiscretePlot[E1[n, 1], {n, 0, 50}]



DiscretePlot[P2[n], {n, 2, 100}]



$\texttt{DiscretePlot}[\texttt{M2}[\texttt{n}] + \texttt{MertAdd}[\texttt{n}, \texttt{vv}], \{\texttt{n}, \texttt{2}, \texttt{100}\}]$



 $\label{lem:table:lem:tab$

1 2 0 0 3 - 1 - 1 4 - 1 -1 5 - 2 - 2

- 1

| 7 | - 2 | - 2 |
|----------|------------|----------------------|
| | - 2 | - 2 |
| 8 | | |
| 9 | - 2 | - 2 |
| 10 | -1 | - 1 |
| 10 | | |
| 11 | - 2 | - 2 |
| 12 | - 2 | - 2 |
| 1.0 | | |
| 13 | - 3 | |
| 14 | - 2 | - 2 |
| 14 15 | -1 | -1 |
| 13 | | |
| 16 | - 1 | - 1 - 2 |
| 17 | - 2 | - 2 |
| | | _ |
| 18 | - 2 | - 2 |
| 19 | - 3 | - 3 |
| | | |
| 20 | | |
| 21 | - 2 | - 2 |
| 22 | - 1 | - 1 |
| 22 | | |
| 23 | - 2 | - 2 |
| 24 | - 2 | - 2 - 2 - 2 |
| ٥٦ | - 2 | - 2 |
| 25 | | |
| 26 | - 1 | - 1 |
| 27 | - 1 | - 1 |
| 27 | - 1 | - 1 |
| 28 | -1 | - 1 |
| 29 | - 2 | - 2 |
| | | - 3 |
| 30 | - 3 | - 3 |
| 31 | - 4 | - 4 |
| 32 | - 4 | - 4 |
| 22 | | - 1 |
| 33 | - 3 | - 3 |
| 34 | - 2 | -3 -2 -1 -1 |
| 35 | | - 1 |
| | - 1 - 1 | _ |
| 36 | -1 | |
| 37 | - 2 | - 2 |
| 38 | -1 | - 1 |
| | - 1 0 | - 1 0 |
| 39 | 0 | 0 |
| 40 | 0 | 0 |
| 11 | -1 | -1 |
| 41 | | |
| 42 43 | - 2 | - 2 |
| 43 | - 3 | - 3 |
| 4.4 | 2 | 2 |
| 44 | - 3 | - 3 - 3 |
| 45 | - 3 | - 3 |
| 46 | - 2 | - 2 |
| | | |
| 47 | - 3 | - 3 |
| 48 | - 3 | - 3 |
| 49 | - 3 | - 3 |
| | | |
| 50 | - 3 | - 3 |
| 51 | - 2 | - 2 |
| 52 | - 2 | - 2 |
| | | |
| 53 | - 3 | - 3 |
| 54 | - 3 | - 3 |
| | | |
| 55 | - 2 | |
| 56 | - 2 | - 2 |
| 57 | -1 | - 1 |
| | _ | |
| 58 | 0 | 0 |
| 59 | - 1 | - 1 |
| 60 | - 1 | -1 |
| | | |
| 61 | - 2 | - 2 |
| 62 | - 1 | - 1 |
| | | |

```
63
      - 1
            - 1
64
      - 1
            - 1
65
       0
             0
66
       - 1
            - 1
67
       - 2
            - 2
            - 2
68
       - 2
69
       - 1
            - 1
70
       - 2
            - 2
       - 3
71
           - 3
       - 3
72
           - 3
73
       - 4
           - 4
74
       - 3
            - 3
75
       - 3
            - 3
76
      - 3
            - 3
77
      - 2
           - 2
78
       - 3
           - 3
79
       - 4
            - 4
80
       - 4
            - 4
81
       - 4
            - 4
            - 3
82
       - 3
       - 4
83
           - 4
84
       - 4
           - 4
       - 3
            - 3
85
       - 2
            - 2
86
87
       - 1
            - 1
88
       - 1
            - 1
       - 2
89
            - 2
90
      - 2
           - 2
91
      - 1
           - 1
92
       - 1
            - 1
93
       0
94
      1
            1
95
      2
           2
96
       2
97
       1
            1
98
      1
            1
99
      1
            1
100
     1
            1
```

 $f[n_{-}, k_{-}] := Mod[n, k] - Mod[n-1, k]$

${\tt DiscretePlot[f[222343, (1+k/1000)], \{k, -50, 50\}]}$

