```
PS[n] := PS[n] = FullSimplify[MangoldtLambda[n] / Log[n]]

DD[n_, k_, a_] := DD[n, k, a] = Sum[PS[j] (a^k/k! + DD[n/j, k+1, a]), {j, 2, n}]

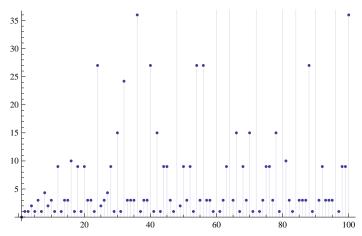
Dd[n_, a_] := Dd[n, a] = DD[n, 1, a] - DD[n-1, 1, a]

D2[n_, k_] := Sum[D2[n/j, k-1], {j, 2, n}]

D2[n_, 0] := 1

Dd2[n_, k_] := D2[n, k] - D2[n-1, k]
```

 $\texttt{DiscretePlot}[\texttt{PPS}[\texttt{n,-2}] - \texttt{PPS}[\texttt{n-1,-2}], \{\texttt{n,100}\}]$

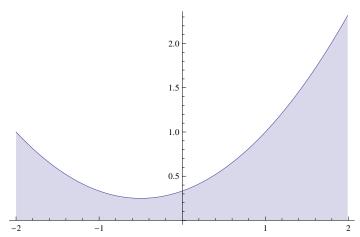


 $PSA[n_, a_] := PPS[n, a] - PPS[n-1, a]$

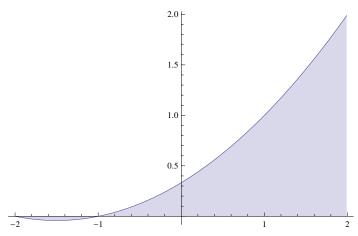
PSA[30, 1]

0

DiscretePlot[PSA[8, -j+1], {j, -2 + .0000001, 2, .01}]



 $DiscretePlot[Dd[8, j] / j, {j, -2 + .0000001, 2, .01}]$



$$\begin{split} & \texttt{PPR}[\texttt{n}_, \texttt{k}_, \texttt{a}_] := \texttt{PPR}[\texttt{n}, \texttt{k}, \texttt{a}] = \texttt{Sum}[\texttt{a} (\texttt{1}/\texttt{k} - \texttt{PPR}[\texttt{n}/\texttt{j}, \texttt{k}+\texttt{1}, \texttt{a}]), \texttt{\{j, 2, n\}}] \\ & \texttt{PPS}[\texttt{n}_, \texttt{a}_] := \texttt{PPR}[\texttt{n}, \texttt{1}, \texttt{a}]/\texttt{a} \end{split}$$

 $\texttt{DiscretePlot}[\texttt{Re}[\texttt{PPS}[\texttt{46,1+I}(-221.001+422*(n/100))]],\{n,100\}]$

