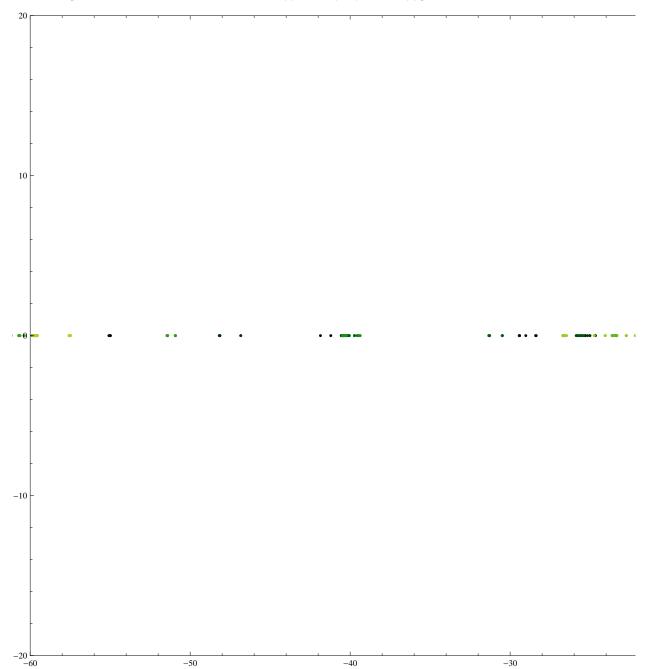
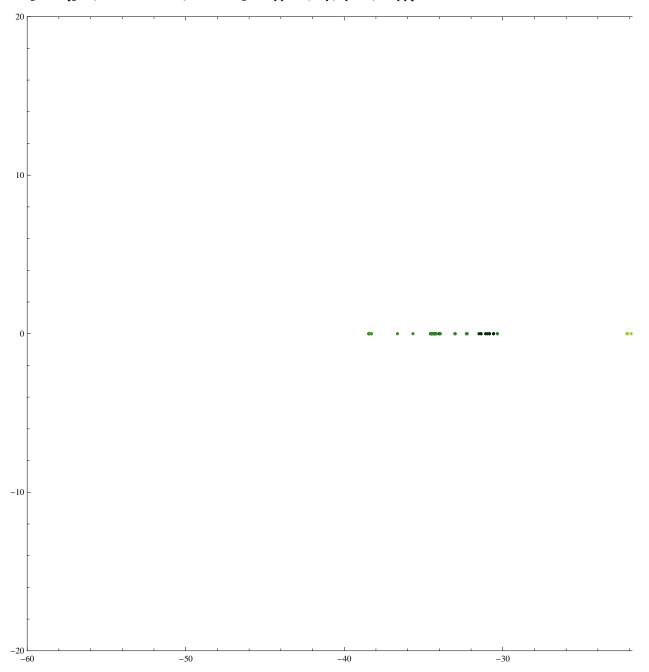
```
K[n_] := K[n] = If[n == 1, 0, FullSimplify[MangoldtLambda[n] / Log[n]]]
P[n_{,k_{j}}] := P[n,k] = Sum[K[j]P[Floor[n/j],k-1],{j,2,n}]; P[n_{,0}] := 1
dd[n_{,z]} := dd[n,z] = Sum[z^{(k-1)/k!}P[n,k], \{k, 1, Log[2, n]\}]
zeros[n] := zeros[n] = List@@NRoots[dd[n, z] == 0, z][[All, 2]]
pr[n_{-}] := (n-1) Product[1+1/(r-1), {r, zeros[n]}]
dp[n_{-},\ z_{-}] \ := \ 1 + z \ (n-1) \ Product[\ 1 - (z-1) \ / \ (r-1) \ , \ \{r,\ zeros[n] \}]
1+1/(zeros[200]-1)
\{0.975077 + 0.0307408 \, \text{i}, 0.975077 - 0.0307408 \, \text{i}, 0.864483 + 0.0935502 \, \text{i}, \}
0.864483 - 0.0935502 i, 0.584202 + 0.122186 i, 0.584202 - 0.122186 i}
pr[100]
28.5333 + 0. i
1-1/(zeros[200]-1)
1.13552 + 0.0935502 i, 1.4158 - 0.122186 i, 1.4158 + 0.122186 i
1 + 2 / (zeros[200] - 1)
\{0.950154 + 0.0614815 \, \text{i}, \, 0.950154 - 0.0614815 \, \text{i}, \, 0.728966 + 0.1871 \, \text{i}, \,
0.728966 - 0.1871 i, 0.168404 + 0.244372 i, 0.168404 - 0.244372 i}
pts = Table[(Point[{Re[#], Im[#]}]) & /@zeros[n], {n, 10, 300}]
```

```
 \begin{split} & \text{colfunc = ColorData["AvocadoColors"]; aa = 10; bb = 1000;} \\ & \text{pts1 = Table[\{colfunc[(n-aa) / bb], Point[\{Re[\#], Im[\#]\}]\} \& /@zeros[n], \{n, aa, aa+bb\}];} \\ & \text{Graphics[pts1, Frame} \rightarrow & \text{True, PlotRange} \rightarrow & \{\{-60, 0\}, \{-20, 20\}\}] \end{split}
```



```
 \begin{split} & \text{colfunc = ColorData["AvocadoColors"]; aa = 1000; bb = 1000; } \\ & \text{pts = Table[\{colfunc[(n-aa) / bb], Point[\{Re[\#], Im[\#]\}]\} \& /@ zeros[n], \{n, aa, aa + bb\}]; } \\ & \text{Graphics[pts, Frame} \rightarrow \text{True, PlotRange} \rightarrow \{\{-60, 0\}, \{-20, 20\}\}] \\ \end{aligned}
```



```
 \begin{split} & \text{colfunc = ColorData["AvocadoColors"]; aa = 2000; bb = 1000; } \\ & \text{pts2 = Table[{colfunc[(n-aa) / bb], Point[{Re[#], Im[#]}]} & /@ zeros[n], {n, aa, aa + bb}]; } \\ & \text{Graphics[pts2, Frame $\rightarrow$ True, PlotRange $\rightarrow$ {{-60, 0}, {-20, 20}}] } \end{split}
```

