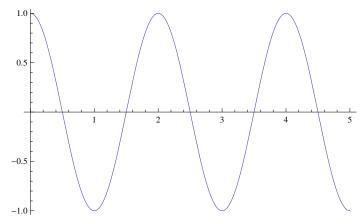
$(-1)^a$

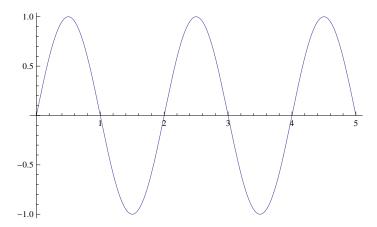
E^ (a Log[-1])

 ${\tt e}^{{\tt i}\,{\tt a}\,\pi}$

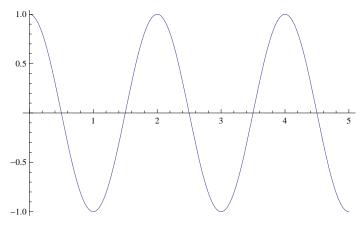
Plot[{Re[(-1)^a]}, {a, 0, 5}]



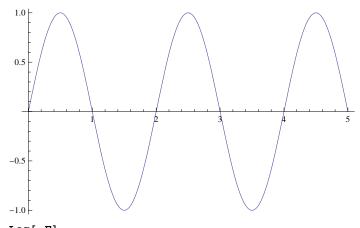
Plot[{Im[(-1)^a]}, {a, 0, 5}]



Plot[{Re[E^(PiIa)]}, {a, 0, 5}]



Plot[{Im[E^(PiIa)]}, {a, 0, 5}]



Log[-E]

$$1 + i \pi$$

$$\mathbf{E}^{\wedge} (\mathbf{1} + \mathbf{i} \pi)$$

- €

$$Sum[(-1)^{(k+1)/k}, \{k, 1, Infinity\}]$$

Log[2]

$$Sum[(-1)^(k/2+1)/k, \{k, 1, Infinity\}]$$

Log[1 - i]

$$Sum[(-1)^{(k/2)/k}, \{k, 1, Infinity\}]$$

-Log[1-i]

$$Sum[(-1)^(k/2+2)/k, \{k, 1, Infinity\}]$$

-Log[1 - i]

$$Sum[(-1)^(k/4)/k, \{k, 1, Infinity\}]$$

$$- Log [1 - (-1)^{1/4}]$$

Sum[(-1)^(k/3)/k, {k, 1, Infinity}]
$$\frac{i \pi}{3}$$
Sum[(-1)^(k/3+1)/k, {k, 1, Infinity}]
$$-\frac{i \pi}{3}$$
Sum[(-1)^(k/3+2)/k, {k, 1, Infinity}]
$$\frac{i \pi}{3}$$
Sum[(-1)^(k/3+2)/k, {k, 1, Infinity}]
$$\frac{i \pi}{3}$$
Sum[(-1)^(k+1)/3)/k, {k, 1, Infinity}]
$$\frac{1}{3} (-1)^{5/6} \pi$$
Sum[(-1)^(k/2)/(2k-1), {k, 1, Infinity}]
$$i \text{ Hypergeometric} 2\text{FI} \left[\frac{1}{2}, 1, \frac{3}{2}, i\right]$$
Sum[(-1)^(k/2)/(3k-1), {k, 1, Infinity}]
$$\frac{1}{2} i \text{ Hypergeometric} 2\text{FI} \left[\frac{2}{3}, 1, \frac{5}{3}, i\right]$$
Sum[(-1)^(k/4)/(4k-1), {k, 1, Infinity}]
$$\frac{1}{3} (-1)^{1/4} \text{ Hypergeometric} 2\text{FI} \left[\frac{3}{4}, 1, \frac{7}{4}, (-1)^{1/4}\right]$$
Sum[(-1)^((k+0)/3)/((2k-1)^2), {k, 1, Infinity}]
$$\frac{1}{12} (-1)^{1/6} \left(8 i \text{ Catalan} + \pi^2\right)$$
Sum[(-1)^((k+1)/3)/((2k-1)^2), {k, 1, Infinity}]
$$\frac{1}{12} i \left(8 i \text{ Catalan} + \pi^2\right)$$
Sum[(-1)^((k+0)/3+1)/((2k-1)^2), {k, 1, Infinity}]
$$-\frac{1}{12} (-1)^{1/6} \left(8 i \text{ Catalan} + \pi^2\right)$$
Sum[(-1)^((k+0)/3+1)/((2k-1)^2), {k, 1, Infinity}]
$$-\frac{1}{12} i \left(8 i \text{ Catalan} + \pi^2\right)$$
Sum[(-1)^((k+1)/3+1)/((2k-1)^2), {k, 1, Infinity}]
$$-\frac{1}{12} i \left(8 i \text{ Catalan} + \pi^2\right)$$
Sum[(-1)^((k+1)/3+1)/((2k-1)^2), {k, 1, Infinity}]
$$-\frac{1}{12} i \left(8 i \text{ Catalan} + \pi^2\right)$$