```
Clear[f, p]
bin[z_{,k_{]} := bin[z,k] = Product[z-j, {j, 0, k-1}] / k!
f[n_{,y_{,z}]} := f[n, y, z] = If[n < y, 1, If[n < y^2, 1 + z (n - y + 1),
     Sum[bin[z, k] f[Floor[n/y^k], y+1, z-k], \{k, 0, Log[y, n]\}]]
p[n_{-}, y_{-}] := p[n, y] = If[n < y, 0, If[n < y^2, n - y + 1,
     p[n, y+1] + Sum[(-1)^{(k+1)} / kf[Floor[n/y^k], y+1, -k], \{k, 1, Log[y, n]\}]]
f2[n_{,z_{|}} := f[n, 2, z]
Expand@f[100, 2, z]
   428 \; z \quad 16 \; 289 \; z^2 \quad 331 \; z^3 \quad 611 \; z^4 \quad 67 \; z^5 \quad 7 \; z^6
    \frac{15}{15} + \frac{360}{360} + \frac{312}{16} + \frac{312}{144} + \frac{72}{240} + \frac{720}{720}
Clear[dd]
dd[n_{, y_{, k_{, l}}} := dd[n, y, k] = Sum[dd[Floor[n/j], y, k-1], {j, y, n}]
dd[n_, y_, 0] := UnitStep[n-1]
dz[n_{y_{z}} = Sum[bin[z, k] dd[n, y, k], \{k, 0, Log[y, n]\}]
ddz[n_{-}, y_{-}, z_{-}] := dz[n, y, z] - dz[n-1, y, z]
bin[z, k] ddz[n, y-1, z-k] - If[Mod[n, y-1] == 0, de[n/(y-1), k+1, y, z], 0]
Expand@ddz[100, 3, z]
```

$$-\frac{z}{2} + z^2 + \frac{z^3}{2}$$

Expand@de[100, 0, 3, z]

$$-\frac{z}{2} + z^2 + \frac{z^3}{2}$$

Expand@f2d[100, 2, z]

$$\frac{z^2}{4} + \frac{z^3}{2} + \frac{z^4}{4}$$

Table[{y, f[40, y, z]}, {y, 2, 42}] // TableForm 1 + 35 z + (1 + 3 (-1 + z)) z + (1 + 6 (-1 + z)) z + (1 + 10 (-1 + z)) z + (1 + 16 (-1 + z) + (1 + 3 (-2 + z)) z + (1 + 16 (-1 + z $1 + 35z + (1 + 3(-1 + z))z + (1 + 6(-1 + z))z + (1 + 10(-1 + z))z + \frac{3}{2}(-1 + z)z + \frac{1}{6}(-2 + z)(-1 + z)$ 3 4 1 + 35 z + (1 + 3 (-1 + z)) z + (1 + 6 (-1 + z)) z + $\frac{3}{2}$ (-1 + z) z 1 + 35 z + (1 + 3 (-1 + z)) z + (-1 + z) z6 $1 + 35 z + \frac{1}{2} (-1 + z) z$ 7 1 + 34 z8 1 + 33 z9 1 + 32 z10 1 + 31 z 11 1 + 30 z 1 + 29 z12 13 1 + 28 z14 1 + 27 z 15 1 + 26 z 16 1 + 25 z 17 1 + 24 z 18 1 + 23 z 19 1 + 22 z20 1 + 21 z 21 1 + 20 z 22 1 + 19 z 23 1 + 18 z 24 1 + 17 z25 1 + 16 z26 1 + 15 z 27 1 + 14 z 28 1 + 13 z 29 1 + 12 z 30 1 + 11 z 31 1 + 10 z32 1 + 9 z 1 + 8z34 1 + 7 z 35 1 + 6 z 36 1 + 5 z37 1 + 4 z1 + 3z1 + 2z40 1 + z41 1 42 1 Sum[MoebiusMu[j], {j, 1, 20}] - 3

```
f[20, 3, -1]
-7
13+3+(-1)(-4)(-5)/2
```

```
Expand[z(1+7(z-1))+z(z-1)+z(z-1)(z-2)/2]
-6z + \frac{13z^2}{2} + \frac{z^3}{2}
Expand@(zf[10, 3, z-1])
-6z + \frac{13z^2}{2} + \frac{z^3}{2}
\texttt{Expand} \, [ \, (1 + 16 \, \mathtt{z} \, ) \, + \mathtt{z} \, \, (1 + (\mathtt{z} - 1) \, ) \, + \mathtt{z} \, \, (\mathtt{z} - 1) \, / \, 2 + \mathtt{z} \, \, (1 + 3 \, (\mathtt{z} - 1) \, ) \, + \mathtt{z} \, \, (\mathtt{z} - 1) \, / \, 2 ]
1 + 13 z + 5 z^2
Expand[f[20, 3, z]]
1 + 13 z + 5 z^2
p[100000, 2]
991 892 879
   102960
Sum[PrimePi[100000^{(1/k)}]/k, \{k, 1, Log2@100000\}]
991 892 879
   102960
$RecursionLimit = 10 000
10000
```

 $\mathtt{pp}[\, n, \, \mathtt{y+1}] + \mathtt{Sum}[\, (-1) \, ^{ \big(k+1 \big)} \, / \, k \, fo[\, \mathtt{Floor}[\, n \, / \, \mathtt{y^k} \, k \,] \, , \, \mathtt{y+1, \, -k} \,] \, , \, \{k, \, 1, \, \mathsf{Log}[\, \mathtt{y}, \, n \,] \, \} \,] \,] \,]$

 $pp[n_{-}, y_{-}] := If[n < y, 0, If[n < y^2, ad[n - y + 1],$

pp[1000, 2]

$$\begin{aligned} &\operatorname{ad}[969] + \frac{1}{9} \operatorname{fo}[1, \, 3, \, -9] - \frac{1}{6} \operatorname{fo}[1, \, 4, \, -6] - \frac{1}{4} \operatorname{fo}[1, \, 6, \, -4] + \frac{1}{3} \operatorname{fo}[1, \, 9, \, -3] + \frac{1}{3} \operatorname{fo}[1, \, 10, \, -3] + \frac{1}{3} \operatorname{fo}[1, \, 10, \, -3] + \frac{1}{3} \operatorname{fo}[1, \, 11, \, -3] - \frac{1}{2} \operatorname{fo}[1, \, 24, \, -2] - \frac{1}{2} \operatorname{fo}[1, \, 25, \, -2] - \frac{1}{2} \operatorname{fo}[1, \, 26, \, -2] - \frac{1}{2} \operatorname{fo}[1, \, 27, \, -2] - \frac{1}{2} \operatorname{fo}[1, \, 28, \, -2] - \frac{1}{2} \operatorname{fo}[1, \, 29, \, -2] - \frac{1}{2} \operatorname{fo}[1, \, 30, \, -2] - \frac{1}{2} \operatorname{fo}[1, \, 31, \, -2] - \frac{1}{2} \operatorname{fo}[1, \, 32, \, -2] + \frac{1}{3} \operatorname{fo}[2, \, 8, \, -3] - \frac{1}{2} \operatorname{fo}[2, \, 20, \, -2] - \frac{1}{2} \operatorname{fo}[2, \, 21, \, -2] - \frac{1}{2} \operatorname{fo}[2, \, 22, \, -2] - \frac{1}{2} \operatorname{fo}[2, \, 23, \, -2] - \frac{1}{2} \operatorname{fo}[3, \, 18, \, -2] - \frac{1}{2} \operatorname{fo}[3, \, 19, \, -2] + \frac{1}{3} \operatorname{fo}[4, \, 4, \, -5] + \frac{1}{3} \operatorname{fo}[4, \, 7, \, -3] - \frac{1}{2} \operatorname{fo}[4, \, 16, \, -2] - \frac{1}{2} \operatorname{fo}[5, \, 14, \, -2] - \frac{1}{2} \operatorname{fo}[5, \, 15, \, -2] - \frac{1}{2} \operatorname{fo}[6, \, 13, \, -2] + \frac{1}{7} \operatorname{fo}[7, \, 3, \, -7] + \frac{1}{3} \operatorname{fo}[8, \, 6, \, -3] - \frac{1}{2} \operatorname{fo}[8, \, 12, \, -2] - \frac{1}{2} \operatorname{fo}[10, \, 11, \, -2] - \frac{1}{2} \operatorname{fo}[10, \,$$

1000 ^ .5

31.6228

$$(-1/2)$$
 f[25, 6, -2] + (-2) $(-1/2)$ f[5, 6, -3]

f[25, 6, -2]

- 39

$$\begin{split} &\text{fa}[n_-,\,y_-,\,z_-] := \text{If}[n < y,\,\text{fl}[1]\,,\,\text{If}[n < y^2,\,\text{fb}[1 + z\,\,(n - y + 1)\,]\,,\\ &\text{Sum}[\text{bin}[z,\,k]\,\text{faa}[\text{Floor}[n\,/\,y^k]\,,\,y + 1,\,z - k]\,,\,\{k,\,0\,,\,\text{Log}[y,\,n]\,\}]\,]] \end{split}$$

$$(-1/2) bin[-2, 1]$$

1

Expand@de[1200, 0, 4, z]

$$3z - 4z^2 - \frac{z^3}{2} + \frac{5z^4}{2}$$

Expand@ddz[1200, 4, z]

$$3z - 4z^2 - \frac{z^3}{2} + \frac{5z^4}{2}$$

Expand@dz[100, 3, z]

$$1 + \frac{341 \ z}{12} + \frac{1391 \ z^2}{24} + \frac{139 \ z^3}{12} + \frac{z^4}{24}$$

Expand@Sum[de[j, 0, 3, z], {j, 1, 100}]

$$1 + \frac{341 \text{ z}}{12} + \frac{1391 \text{ z}^2}{24} + \frac{139 \text{ z}^3}{12} + \frac{\text{z}^4}{24}$$

8 ^ 2

64

$$1 + bin[z, 1] Sum[1, {a, y, n}]$$

$$1 + (1 + n - y) z$$

$$1 + bin[z, 1] Sum[1, \{a, y, n\}] + bin[z, 2] Sum[1, \{a, y, n\}, \{b, y, Floor[n/a]\}]$$

$$ppa[n_{-}, y_{-}, z_{-}] := bin[z, 2] Sum[1, \{a, y, n\}, \{b, y, Floor[n/a]\}]$$

$$1 + bin[z, 1] Sum[1, \{a, y, n\}] + If[n > y^2, bin[z, 2] Sum[Floor[n/a] - y + 1, \{a, y, n\}], 0]$$

Expand@pp[100, 5, z]

$$1 + 55 z + 41 z^2$$

Expand@f[100, 5, z]

$$1 + 55 z + 41 z^2$$

Expand@dz[100, 4, z]

$$1 + \frac{227 \ z}{6} + \frac{115 \ z^2}{2} + \frac{5 \ z^3}{3}$$

Expand@f[100, 4, z]

$$1 + \frac{227 \text{ z}}{6} + \frac{115 \text{ z}^2}{2} + \frac{5 \text{ z}^3}{3}$$

```
Table[{2 (ppa[100, k, z] - ppa[100, k + 1, z]) / z / (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 2, 6}] // (z - 1), 1 + 2 (Floor[100 / k] - k)}, {k, 3, 6}] // (z - 1), 1 + 2 
   TableForm
                           97
97
61
                           61
43
                           43
 31
                            31
21
                           21
Expand[pp[100, 5, z] - pp[100, 6, z]]
      29 z 31 z^2
Expand [z + z (z - 1) / 2 (1 + 2 (Floor [100 / 5] - 5))]
      \frac{29 \ z}{2} + \frac{31 \ z^2}{2}
fq[n_, y_, z_, c_] :=
    fq[n, y, z, c] = If[n < y, 1, If[n < y^2, 1 + z(n - y + 1), If[n < c, ff[n, y, z],
                          Sum[bin[z,k] \; fq[Floor[n/y^k],y+1,z-k,c], \{k,0,Log[y,n]\}]]]
pq[n_-,\,y_-,\,\,c_-] \,:=\, pq[n,\,y,\,c] \,=\, \text{If}\,[n < y,\,0\,,\,\text{If}\,[n < y^{\,\wedge}\,2\,,\,n - y + 1\,,\,
                     pq[n, y+1, c] + Sum[(-1)^(k+1) / kfq[Floor[n/y^k], y+1, -k, c], \{k, 1, Log[y, n]\}]]
```

pg[10000, 2, 100]

```
\frac{614\,990\,093}{120\,120} - \frac{1}{10}\,ff[\,9\,,\,\,3\,,\,\,-10\,] + \frac{1}{9}\,ff[\,19\,,\,\,3\,,\,\,-9\,] - ff[\,20\,,\,\,4\,,\,\,-6\,] + 4\,ff[\,26\,,\,\,5\,,\,\,-5\,] + \frac{1}{9}\,ff[\,20\,,\,\,4\,,\,\,-6\,] + \frac{1}{9}\,ff[\,20\,,\,\,4\,,\,-6\,] + \frac{1}{9}\,ff[\,20\,,\,4\,,\,-6\,] + \frac{1}{9}\,ff[\,20\,,\,4\,,\,-
                               (-525+4 \, \text{ff}[30,5,-5])+6 \, \text{ff}[34,5,-5]+4 \, \text{ff}[37,6,-5]-\frac{1}{\circ} \, \text{ff}[39,3,-8]-
                             ff[39, 5, -4] - ff[40, 6, -4] + \frac{1}{5} ff[41, 4, -5] - 3 ff[41, 6, -4] + 4 ff[46, 5, -5] -
          3 \text{ ff}[50, 6, -4] + \frac{1}{5} (-2974 - 21 \text{ ff}[17, 4, -8] + 6 \text{ ff}[39, 5, -7] + 6 \text{ ff}[52, 4, -7]) - \frac{1}{5} (-2974 - 21 \text{ ff}[17, 4, -8] + 6 \text{ ff}[39, 5, -7] + 6 \text{ ff}[52, 4, -7])
           ff[52, 5, -4] - 3ff[52, 7, -4] + 2(1302 - 3ff[55, 7, -4]) + ff[55, 7, -3] +
          ff[61, 4, -5] - 3 ff[62, 6, -4] - 3 ff[66, 6, -4] + \frac{1}{2} (-774 + 2 ff[66, 7, -3]) +
         ff[68, 8, -3] + \frac{1}{2}(-1871 - 3 ff[44, 6, -4] + 2 (1163 - 3 ff[55, 6, -4]) - 3 ff[69, 5, -4]) + \frac{1}{2}(-1871 - 3 ff[44, 6, -4]) + \frac{1}{2}(-1871 - 3 ff[
         ff[69, 7, -3] + 2 ff[71, 8, -3] + \frac{1}{7} ff[78, 3, -7] + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7]) + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7])) + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7])) + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7])) + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7])) + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7])) + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7])) + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7])) + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7])) + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7])) + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7])) + \frac{1}{5} (3465 - 6 ff[26, 5, -7]) + \frac{1}{5} (3465 - 5 (836 - 6 ff[26, 5, -7])) + \frac{1}{5} (3465 - 6 ff[26, 5, -7]) + \frac{1}{5} (346
                                         15 ff[34, 4, -7] - 5 ff[52, 7, -6] - 5 ff[62, 6, -6] - 5 ff[78, 5, -6]) -
          ff[78, 5, -4] - 3 ff[79, 8, -4] + 2 ff[79, 8, -3] + \frac{1}{3} ff[80, 6, -3] +
                              (64+6\ (1061-5\ ff[34,5,-6])-10\ ff[46,4,-6]+6\ ff[50,6,-5]-10
                                          3 (1787 - 4 ff[52, 7, -5] - 4 ff[62, 6, -5]) + 6 ff[78, 5, -5] -
                                          3(212+10 ff[26,5,-6]-4 ff[69,7,-5]-4 ff[83,6,-5])) +
           2 (1711 - 3 ff [69, 7, -4] - 3 ff [83, 6, -4]) + 2 ff [83, 7, -3] + 2 ff [83, 9, -3] +
                               (5684 + 20 ff[23, 4, -7] - 10 ff[39, 5, -6] +
                                          4(1031-5ff[41,6,-6]-5ff[52,5,-6])-10ff[69,4,-6]+4ff[89,8,-5])+
          \frac{1}{2} (-1093 + 2 ff[89, 8, -3]) + 2 ff[89, 9, -3] + \frac{1}{2} (-7174 - 5 ff[30, 4, -6] +
                                          4 \text{ ff}[39, 5, -5] + 2(2656 - 3(1229 - 4 \text{ ff}[41, 6, -5]) + 6 \text{ ff}[52, 5, -5]) -
                                         3(1378-4ff[55,6,-5]-4ff[69,5,-5])-3ff[69,7,-4]+
                                          2\;(2108-3\;\mathrm{ff}\,[71\,,\,8\,,\,-4\,]\,-3\;\mathrm{ff}\,[\,83\,,\,7\,,\,-4\,]\,)\,+2\;(1908-3\;\mathrm{ff}\,[\,89\,,\,8\,,\,-4\,]\,)\,+4\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+4\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;(\,1908-3\,\mathrm{ff}\,[\,89\,,\,8\,,\,-4\,]\,)\,+4\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;(\,1908-3\,\mathrm{ff}\,[\,89\,,\,8\,,\,-4\,]\,)\,+4\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;(\,1908-3\,\mathrm{ff}\,[\,89\,,\,8\,,\,-4\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;(\,1908-3\,\mathrm{ff}\,[\,89\,,\,8\,,\,-4\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;(\,1908-3\,\mathrm{ff}\,[\,89\,,\,8\,,\,-4\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;(\,1908-3\,\mathrm{ff}\,[\,89\,,\,8\,,\,-4\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;(\,1908-3\,\mathrm{ff}\,[\,89\,,\,8\,,\,-4\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;(\,1908-3\,\mathrm{ff}\,[\,89\,,\,8\,,\,-4\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;(\,1908-3\,\mathrm{ff}\,[\,89\,,\,8\,,\,-4\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff}\,[\,92\,,\,4\,,\,-5\,]\,)\,+2\;\mathrm{ff
                               (852 - 3 \, \text{ff} [61, 7, -4] - 3 \, \text{ff} [74, 6, -4] - 3 \, \text{ff} [92, 5, -4]) - 3 \, \text{ff} [92, 7, -4] + (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61, 7, -4]) - (852 - 3 \, \text{ff} [61
          ff[92, 7, -3] + 2ff[95, 8, -3]
bin[z_{,k_{]} := Product[z-j, {j, 0, k-1}] / k!
FI[n_] := FactorInteger[n]; FI[1] := {}
odz[n_, z_] := Product[(-1)^p[[2]] Binomial[-z, p[[2]]], {p, FI[n]}]
```

 ${\tt Table[\{n,\,FullSimplify@ddz[n,\,3,\,z]\},\,\{n,\,1,\,20\}]}~//~{\tt TableForm}$

1	1
2	0
3	z
4	z
5	z
6	Z
7	z
8	z
9	$\frac{1}{2} z (1 + z)$
10	Z
11	Z
12	z^2
13	z
14	z
15	z^2
16	$\frac{1}{2} z (1 + z)$
17	z
18	z^2
19	z
20	z^2