```
Limit[(-1)^s (a-1)^s LerchPhi[a, 1-s, 0], a \rightarrow 1]
Limit[(-1)^{s}(-1+a)^{s}PolyLog[1-s,a],a\rightarrow 1]
Limit[ (-1) ^s (a-1) ^s LerchPhi[ a, 1-s, 0] /.s \rightarrow 5, a \rightarrow 1]
24
Limit[(-1)^s (a-1)^s LerchPhi[a, 1-s, 0]/.s \rightarrow 8, a \rightarrow 1]
Limit[ (a-1) ^s LerchPhi[1/a, 1-s, 0] /. s \rightarrow 5, a \rightarrow 1]
Limit[ (a-1) ^sLerchPhi[1/a, 1-s, 0], a \rightarrow 1]
Limit\left[\left(-1+a\right)^{s} PolyLog\left[1-s,\frac{1}{a}\right], a \rightarrow 1\right]
24 n - 24 n Log[n] + 12 n Log[n]^{2} - 4 n Log[n]^{3} + n Log[n]^{4}
Expand[Limit[ (-1) ^sn (a-1) ^sLerchPhi[a, 1-s, Log[a, n]] /. s \rightarrow 3, a \rightarrow 1]]
2n - 2n Log[n] + n Log[n]^2
n - n Log[n]
 \texttt{Expand}[\texttt{Limit}[ \ (-1) \ ^s \ n \ (a-1) \ ^s \ \texttt{LerchPhi}[ \ a, \ 1-s, \ \texttt{Log}[a, \ n]] \ , \ a \rightarrow 1]] 
Limit\left[ (-1)^{s} (-1+a)^{s} n LerchPhi\left[a, 1-s, \frac{Log[n]}{Log[a]}\right], a \rightarrow 1 \right]
24 n - 24 n Log[n] + 12 n Log[n]^{2} - 4 n Log[n]^{3} + n Log[n]^{4}
Expand[Limit[ n (a - 1) ^s LerchPhi[ 1 / a, 1 - s, -Log[a, n]], a \rightarrow 1]]
\text{Limit}\Big[\left.(-1+a\right)^{s}\text{ n LerchPhi}\Big[\frac{1}{a}\text{, }1-s\text{, }-\frac{\text{Log}\left[n\right]}{\text{Log}\left[a\right]}\Big]\text{, }a\rightarrow1\Big]
\texttt{Expand}[\texttt{Limit}[\ n\ (a-1)\ ^s\ \texttt{LerchPhi}[\ 1\ /\ a,\ 1-s,\ -\texttt{Log}[a,\ n]]\ /.\ s\to 3,\ a\to 1]]
2n - 2n Log[n] + n Log[n]^2
\texttt{Expand}[\texttt{Limit}[\ n\ (a-1)\ ^s\ \texttt{LerchPhi}[\ 1\ /\ a,\ 1-s,\ -\texttt{Log}[a,\ n]]\ /.\ s\to 4\ ,\ a\to 1]]
6 n - 6 n Log[n] + 3 n Log[n]^{2} - n Log[n]^{3}
```

 $Sum[\ z^n/\ (n+a)^s,\ \{n,\ 0,\ 0\}] + Sum[\ z^n/\ (n+a)^s,\ \{n,\ 1,\ Infinity\}]$