```
Clear[d2, aa, ab, da]
bin[z_{,k_{]} := Product[z-j, {j, 0, k-1}] / k!
sq[n_{, m_{]}} := Floor[n^m] - Floor[(n-1)^m]
d2[n_{n}, m_{k}] := d2[n, m, k] = Sum[sq[j, m] d2[Floor[n/j], m, k-1], {j, 2, n}]
d2[n_{-}, m_{-}, 0] := UnitStep[n-1]
ddz[n_{,m_{,z}}] := dz[n, m, z] - dz[n-1, m, z]
aa[n_, m_] := aa[n, m] = ddz[n, 1/m, MoebiusMu[m] / m]
ab[n] := ab[n] = Sum[aa[a1, 1] aa[a2, 2] aa[a3, 3] aa[a5, 5] aa[a6, 6], {a1, 1, n},
             {a2, 1, n/a1}, {a3, 1, n/(a1 a2)}, {a5, 1, n/(a1 a2 a3)}, {a6, 1, n/(a1 a2 a3 a5)}]
ax[n_] := ab[n] - ab[n-1]
da[n_{,k_{]}} := da[n,k] = Sum[ax[j]da[Floor[n/j],k-1],{j,2,n}]
da[n_{,} 0] := UnitStep[n-1]
ld[n_] := Sum[(-1)^(k+1)/kda[n,k], \{k, 1, Log2@n\}]
Expand@ddz[8, 1/3, -1/3]
Table[ax[n], {n, 1, 100}]
\{1, 1, 1, \frac{1}{2}, 1, 1, 1, \frac{1}{2}, \frac{1}{2}, 1, 1, \frac{1}{2}, \frac{1
  1, \frac{1}{2}, 1, \frac{1}{6}, 1, \frac{1}{6}, 1, 1, 1, \frac{1}{2}, 1, 1, \frac{1}{2}, \frac{1}{720}, 1, 1, 1, \frac{1}{2}, 1, 1, 1, \frac{1}{12}, 1, 1, \frac{1}{2},
```

 $\frac{1}{2}, 1, 1, 1, \frac{1}{24}, \frac{1}{24}, 1, 1, \frac{1}{2}, 1, 1, 1, \frac{1}{6}, 1, \frac{1}{2}, 1, \frac{1}{2}, 1, 1, 1, \frac{1}{120}, 1, \frac{1}{2}, \frac{1}{2}, \frac{1}{4}$

DiscretePlot[ld[n], {n, 1, 100}]

