```
ClearAll["Global`*"]
D1[z_] := Grid[Table[Binomial[z+j-1, z-1] z^k/k!, {j, 0, 7}, {k, 0, 7}]]
D1a[z2_] :=
 Grid[Table[Limit[Binomial[z + j - 1, z - 1] z^k / k! / z, z \rightarrow z^2], {j, 0, 7}, {k, 0, 7}]]
K[n_, k_] :=
 K[n, k] = Sum[FullSimplify[MangoldtLambda[j] / Log[j]]K[Floor[n / j], k - 1], {j, 2, n}];
K[n_{-}, 0] := 1
E2a[n_, k_, a_] :=
 E2a[n, k, a] = Sum[E2a[n/j, k-1, a], {j, 2, n}] - aSum[E2a[n/(aj), k-1, a], {j, 1, n/a}];
E2a[n_{,0,a_{,i}} := 1
EP2[n_, a_, b_] :=
 EP2[n, a, b] = Sum[SeriesCoefficient[Series[(Log[x+1])^a, {x, 0, 230}], k] E2a[n, k, b],
     \{k, 1, Log[If[b > 2, 2, b], n]\}\}; EP2[n_{, 0}, b_{, 1} := 1]
\label{eq:definition} D1[n_{-}, a_{-}, b_{-}] := Sum[Binomial[a+j-1, a-1]b^ja^k/k!EP2[n/b^j, k, b],
   {j, 0, Log[b, n]}, {k, 0, Log[If[b > 2, 2, b], n/b^j]}
{j, 0, Log[b, n]}, {k, 0, Log[If[b > 2, 2, b], n/b^j]}]
D1b[n_{-}, a2_{-}, b_{-}] := Grid[Table[Limit[Binomial[a+j-1, a-1]b^{j}a^{k}/k!]]
       \texttt{EP}[\texttt{n}/\texttt{b}^{\texttt{j}}, \texttt{k}, \texttt{b}] / \texttt{a}, \texttt{a} \rightarrow \texttt{a2}], \{\texttt{j}, \texttt{0}, \texttt{Log}[\texttt{b}, \texttt{n}]\}, \{\texttt{k}, \texttt{0}, \texttt{Log}[\texttt{If}[\texttt{b} > \texttt{2}, \texttt{2}, \texttt{b}], \texttt{n}/\texttt{b}^{\texttt{j}}]\}]
Dlc[n\_, a\_, b\_] := Grid[Table[Binomial[a+j-1, a-1]b^ja^k/k! EP2[n/b^j, k, b],
     {j, 0, Log[b, n]}, {k, 0, Log[If[b > 2, 2, b], n/b^j]}]
D1[-1]
 1 \quad -1 \quad \frac{1}{2} \quad -\frac{1}{6} \quad \frac{1}{24}
                          -\frac{1}{120}
                                  720
                                         - 5040
                   -\frac{1}{24}
-1 1 -\frac{1}{2}
                                 -\frac{-}{720}
                           120
                                          5040
 0 0 0 0 0
                            0
                                   0
                                           0
 0
     0
         0
              0
                    0
                            0
                                   0
                                           0
 0 0
         0 0 0
                            0
                                   0
                                           0
 0 0 0 0 0
                                           0
                            0
                                   0
 0 0 0 0 0
                            0
                                   0
 0 0
          0 0 0
                            Ω
D1[1]
1 \quad 1 \quad \frac{1}{2} \quad \frac{1}{6} \quad \frac{1}{24} \quad \frac{1}{120} \quad \frac{1}{720} \quad \frac{1}{5040}
1 \quad 1 \quad \frac{1}{2} \quad \frac{1}{6} \quad \frac{1}{24} \quad \frac{1}{120} \quad \frac{1}{720} \quad \frac{-}{5040}
1 1 1
             \frac{1}{24} \frac{1}{120}
                        720 5040
             \frac{1}{24} \quad \frac{1}{120}
1 1
                        720 5040
1 1
             24 120
                        720
                             5040
1 1
             24 120
                        720 5040
```

1 1

 $1 \ 1 \ \frac{1}{2}$

6 24 120

720 5040

120

720 5040

D1a[0]

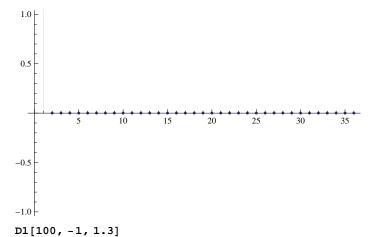
D1a[100, 1, 2]

\$RecursionLimit = 10000

10000

```
dra[n_, k_, b_] :=
```

$$\label{eq:def:DiscretePlot} \begin{split} &\text{DiscretePlot}[Sum[\,Binomial\,[k+j-1,\,k-1]\,\,b^{\,}j\,\,FactorialPower\,[-k,\,a]\,\,/\,\,a\,!\,\,EP2\,[\,n\,\,/\,\,b^{\,}j\,\,,\,\,a,\,\,b\,]\,,\\ &\{a,\,0,\,Log\,[If\,[b>2,\,2,\,b]\,,\,n\,\,/\,\,b^{\,}j]\}\,]\,,\,\{j,\,0,\,Log\,[b,\,n]\}\,] \end{split}$$



1.