```
StrictDivisors[A_, k_, n_] := Sum[j^A StrictDivisors[A, k-1, n/j], {j, 2, n}]
StrictDivisors[A_, 1, n_] := Sum[j^A, {j, 2, n}]
SumPrimes[A_{n}, n_{j}] := Sum[(-1)^{k+1}/(jk) MoebiusMu[j] StrictDivisors[jA, k, n^{(1/j)}],
  {j, 1, Log[2, n]}, {k, 1, Log[2, (n^(1/j))]}
Smalld[A_, k_, n_] := StrictDivisors[A, k, n] - StrictDivisors[A, k, n-1]
SumPowerRange[0, start_, end_] := Floor[end] - (start - 1)
SumPowerRange[1, start_, end_] := Floor[end] (Floor[end] + 1) / 2 - (start - 1) start / 2
SumPowerRange[ 2, start_, end_ ] :=
Floor[end] (Floor[end] + 1) (2 Floor[end] + 1) / 6 - (start - 1) start (2 start - 1) / 6
SumPowerRange[A_, start_, end_] := Sum[m^A, {m, start, end}]
StrictDivisorsFast[A_, 1, n_] := SumPowerRange[A, 2, n]
StrictDivisorsFast[A_, k_, n_] :=
 Sum[j^A StrictDivisors[A, k-1, n/j], {j, Floor[n^(1/3)]+1, n^(1/2)}] +
  Sum[SumPowerRange[A, Floor[n/(j+1)]+1, n/j] StrictDivisors[A, k-1, j],
   {j, 1, n / Floor[n^{(1/2)} - 1}] +
  Sum[Smalld[A, k-1, j] SumPowerRange[A, 2, n/j], {j, 2, n^(1/3)}] +
  Sum[s^ASmalld[A, m, j] StrictDivisors[A, k-m-1, n/(js)], \{j, 2, n^(1/3)\},
   \{s, Floor[floor[n^{(1/3)}] / j] + 1, Floor[n/j]^{(1/2)}, \{m, 1, k-2\}] + \}
  Sum[(SumPowerRange[A, Floor[n/(j(s+1))]+1, n/(js)])
     (\texttt{Sum}[\texttt{Smalld}[\texttt{A},\texttt{m},\texttt{j}] \; \texttt{StrictDivisors}[\texttt{A},\texttt{k}-\texttt{m}-\texttt{1},\texttt{s}] \,, \, \{\texttt{m},\texttt{1},\texttt{k}-\texttt{2}\}]) \,,
   {j, 2, n^{(1/3)}, {s, 1, Floor[n/j]/Floor[Floor[n/j]^{(1/2)]-1}}
SumPrimesFast[A_, n_] := Sum[(-1)^(k+1)/(jk) MoebiusMu[j]
   StrictDivisorsFast[jA, k, n^{(1/j)}, {j, 1, Log[2, n]}, {k, 1, Log[2, (n^{(1/j))}]}
SumPrimesFast[0, 1000]
```

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