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%pmeth
%Matt Zeller
%12/3/2018
%PHYS 428
%This program finds eigenvector and dominant eigenvalue of matrix A
%v2 is the leading eigenvector, v1 follows, and so on
%tolVec is convergence tolerance for the vector, tolVal--the value
%c2 is leading 'convergence' as defined on page 280 of A Friendly \( \sigma \)
Introduction to
%Numerical Analysis--it is "an estimate for the asymptotic rate of linear 🗸
convergence" of the sequence towards the dominant eigenvalue
%c1 follows c2
A = [1 \ 4 \ 5; \ 4 \ -3 \ 0; \ 5 \ 0 \ 7];
v00 = ones(3,1);
v0 = ones(3,1);
v1 = ones(3,1);
v2 = ones(3,1);
v1 = (1/sqrt(3))*v1;
tolVec = 1;
tolVal = 1;
n = 0;
format long
%change tolVec to tolVal to evaluate convergence of the eigenvalue
while tolVec> 5*10^-5
  n=n+1:
  v2 = A*v1;
  c2 = (v2(3,1)-v1(3,1))/(v1(3,1)-v0(3,1));
  c1 = (v1(3,1)-v0(3,1))/(v0(3,1)-v00(3,1));
  tolVec = abs(c2-c1);
  tolVal = abs((v2(3,1)/v1(3,1))-(v0(3,1)/v00(3,1)));
  v00 = v0;
  v0 = v1;
  v1 = v2;
end
domEig = v2(3,1)/v1(3,1)
```

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tolVec tolVal v2