

Lesson 1: Sample Exam Questions

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Python 3 Cheat Sheet

Question 1

Complete the code in the function that, given a list L of random non negative whole numbers, decomposes L into a list R of increasing sequences and with consecutive duplicates removed. Here are some execution examples: `>>> f(0, 0, 10)` Here is L: [] The decomposition of L into increasing sequences, with consecutive duplicates removed, is: [] `>>> f(0, 1, 10)` Here is L: [6] The decomposition of L into increasing sequences, with consecutive duplicates removed, is: [[6]] `>>> f(0, 2, 10)` Here is L: [6, 6] The decomposition of L into increasing sequences, with consecutive duplicates removed, is: [[6]] `>>> f(0, 3, 10)` Here is L: [6, 6, 0] The decomposition of L into increasing sequences, with consecutive duplicates removed, is: [[6], [0]] `>>> f(0, 4, 10)` Here is L: [6, 6, 0, 4] The decomposition of L into increasing sequences, with consecutive duplicates removed, is: [[6], [0, 4]] `>>> f(0, 5, 10)` Here is L: [6, 6, 0, 4, 8] The decomposition of L into increasing sequences, with consecutive duplicates removed, is: [[6], [0, 4, 8]] `>>> f(0, 6, 10)` Here is L: [6, 6, 0, 4, 8, 7] The decomposition of L into increasing sequences, with consecutive duplicates removed, is: [[6], [0, 4, 8], [7]] `>>> f(0, 7, 10)` Here is L: [6, 6, 0, 4, 8, 7, 6] The decomposition of L into increasing sequences, with consecutive duplicates removed, is: [[6], [0, 4, 8], [7], [6]] `>>> f(3, 10, 6)` Here is L: [1, 4, 4, 1, 2, 4, 3, 5, 4, 0] The decomposition of L into increasing sequences, with consecutive duplicates removed, is: [[1, 4], [1, 2, 4], [3, 5], [4], [0]] `>>> f(3, 15, 8)` Here is L: [3, 8, 2, 5, 7, 1, 0, 7, 4, 8, 3, 3, 7, 8, 8] The decomposition of L into increasing sequences, with consecutive duplicates removed, is: [[3, 8], [2, 5, 7], [1], [0, 7], [4, 8], [3, 7, 8]]

Question 2

Write a function that accepts a strictly positive integer and displays its binary representation as well as the number of times the value 1 appears in its binary representation. You might find the function `bin()` useful. Here are some execution examples: `>>> f(1)` 1 in binary reads as: 1. Only one bit is set to 1 in the binary representation of 1. `>>> f(2)` 2 in binary reads as: 10. Only one bit is set to 1 in the binary representation of 2. `>>> f(3)` 3 in binary reads as: 11. 2 bits are set to 1 in the binary representation of 3. `>>> f(7)` 7 in binary reads as: 111. 3 bits are set to 1 in the binary representation of 7. `>>> f(2314)` 2314 in binary reads as: 100100001010. 4 bits are set to 1 in the binary representation of 2314. `>>> f(9871)` 9871 in binary reads as: 10011010001111. 8 bits are set to 1 in the binary representation of 9871.

Question 3

Write a function that accepts a strictly positive integer greater or equal to 2 and "not too large" and displays its decomposition into prime factors. Here are some execution examples: `>>> f(2)` The decomposition of 2 into prime factors reads: $2 = 2$ `>>> f(3)` The decomposition of 3 into prime factors reads: $3 = 3$ `>>> f(4)` The decomposition of 4 into prime factors reads: $4 = 2^2$ `>>> f(5)` The decomposition of 5 into prime factors reads: $5 = 5$ `>>> f(6)` The decomposition of 6 into prime factors reads: $6 = 2 \times 3$ `>>> f(8)` The decomposition of 8 into prime factors reads: $8 = 2^3$ `>>> f(10)` The decomposition of 10 into prime factors reads: $10 = 2 \times 5$ `>>> f(15)` The decomposition of 15 into prime factors reads: $15 = 3 \times 5$ `>>> f(100)` The decomposition of 100 into prime factors reads: $100 = 2^2 \times 5^2$ `>>> f(5432)` The decomposition of 5432 into prime factors reads: $5432 = 2^3 \times 7 \times 97$ `>>> f(45103)` The decomposition of 45103 into prime factors reads: $45103 = 23 \times 37 \times 53$ `>>> f(45100)` The decomposition of 45100 into prime factors reads: $45100 = 2^2 \times 5^2 \times 11 \times 41$

Question 4

Will be tested with a at least equal to 2 and b at most equal to 10_000_000. Here are some execution examples: `>>> f(2, 2)` There is a unique prime number between 2 and 2. `>>> f(2, 3)` There are 2 prime numbers between 2 and 3. `>>> f(2, 5)` There are 3 prime numbers between 2 and 5. `>>> f(4, 4)` There is no prime number between 4 and 4. `>>> f(14, 16)` There is no prime number between 14 and 16. `>>> f(3, 20)` There are 7 prime numbers between 3 and 20. `>>> f(100, 800)` There are 114 prime numbers between 100 and 800. `>>> f(123, 456789)` There are 38194 prime numbers between 123 and 456789.

Write a function that accepts a year between 1913 and 2013 inclusive and displays the maximum inflation during that year and the month(s) in which it was achieved. You might find the `reader()` function of the `csv` module useful, but you can also use the `split()` method of the `str` class. Make use of the attached `cpiai.csv` file. Here are some execution examples:

```
>>> f(1914) In 1914, maximum inflation was: 2.0 It was achieved
in the following months: Aug >>> f(1922) In 1922, maximum inflation was: 0.6 It was achieved in the
following months: Jul, Oct, Nov, Dec >>> f(1995) In 1995, maximum inflation was: 0.4 It was achieved in
the following months: Jan, Feb >>> f(2013) In 2013, maximum inflation was: 0.82 It was achieved in the
following months: Feb
```

You might find the zip() function useful, though you can also do without it. Here are some execution examples: >>> f(0, 2, 2) Here is the square: 1 1 0 1 It is not a good square because it contains duplicates, namely: 1 >>> f(0, 3, 5) Here is the square: 3 3 0 2 4 3 3 2 3 It is not a good square because it contains duplicates, namely: 2 3 >>> f(0, 6, 50) Here is the square: 24 48 26 2 16 32 31 25 19 30 22 37 13 32 8 18 8 48 6 39 16 34 45 38 9 19 6 46 4 43 21 30 35 6 22 27 It is not a good square because it contains duplicates, namely: 6 8 16 19 22 30 32 48 >>> f(0, 2, 50) Here is the square: 24 48 26 2 It is a good square. Ordering the elements from left to right column, from top to bottom, yields: 2 26 24 48 >>> f(0, 3, 100) Here is the square: 49 97 53 5 33 65 62 51 38 It is a good square. Ordering the elements from left to right column, from top to bottom, yields: 5 49 62 33 51 65 38 53 97 >>> f(0, 6, 5000) Here is the square: 3155 3445 331 2121 4188 3980 3317 2484 3904 2933 4779 1789 4134 1140 2308 1144 776 2052 4362 4930 1203 2540 809 604 2704 3867 4585 824 2898 3556 2590 1675 4526 3907 3626 4270 It is a good square. Ordering the elements from left to right column, from top to bottom, yields: 331 1144 2308 2933 3867 4270 604 1203 2484 3155 3904 4362 776 1675 2540 3317 3907 4526 809 1789 2590 3445 3980 4585 824 2052 2704 3556 4134 4779 1140 2121 2898 3626 4188 4930

Write a function that accepts a strictly positive integer called height and displays a triangle shape of numbers starting from 0 and of height height. Use only digits from 0 to 9 to construct the shape as per the examples below:

```
>>> f(1) 0 >>> f(2) 0 123 >>> f(3) 0 123 45678 >>> f(4) 0 123 45678 9012345 >>> f(5) 0  
123 45678 9012345 678901234 >>> f(6) 0 123 45678 9012345 678901234 56789012345 >>> f(20) 0 123  
45678 9012345 678901234 56789012345 6789012345678 901234567890123 45678901234567890  
1234567890123456789 012345678901234567890 12345678901234567890123 456789012345678901234  
567890123456789012345678 901234567890123456789012345 678901234567890123456789012345678901234  
5678901234567890123456789012345 6789012345678901234567890123456789012345678  
90123456789012345678901234567890123 45678901234567890123456789012345678901234567890  
123456789012345678901234567890123456789
```

Write a function that accepts a string of DISTINCT UPPERCASE letters only called letters and displays all pairs of words using all (distinct) letters in letters. Please note that the words need to be valid. Use the provided dictionary.txt to check the validity of words. Here are some execution examples: >>> f('ABCDEFGH') There is no solution >>> f('GRIHWSNYP') The pairs of words using all (distinct) letters in "GRIHWSNYP" are: ('SPRING', 'WHY') >>> f('ONESIX') The pairs of words using all (distinct) letters in "ONESIX" are: ('ION', 'SEX') ('ONE', 'SIX') >>> f('UTAROFSMN') The pairs of words using all (distinct) letters in "UTAROFSMN" are: ('AFT', 'MOURNS') ('ANT', 'FORUMS') ('ANTS', 'FORUM') ('ARM', 'FOUNTS') ('ARMS', 'FOUNT') ('AUNT', 'FORMS') ('AUNTS', 'FORM') ('AUNTS', 'FROM') ('FAN', 'TUMORS') ('FANS', 'TUMOR') ('FAR', 'MOUNTS') ('FARM', 'SNOUT') ('FARMS', 'UNTO') ('FAST', 'MOURN') ('FAT', 'MOURNS') ('FATS', 'MOURN') ('FAUN', 'STORM') ('FAUN', 'STROM') ('FAUST', 'MORN') ('FAUST', 'NORM') ('FOAM', 'TURNS') ('FOAMS', 'RUNT') ('FOAMS', 'TURN') ('FORMAT', 'SUN') ('FORUM', 'STAN') ('FORUMS', 'NAT') ('FORUMS', 'TAN') ('FOUNT', 'MARS') ('FOUNT', 'RAMS') ('FOUNTS', 'RAM') ('FUR', 'MATSON') ('MASON', 'TURF') ('MOANS', 'TURF')

Base Types

integer, float, boolean, string, bytes

```
int 783 0 -192 0b010 0o642 0xFF3
      zero binary octal hexa
float 9.23 0.0 -1.7e-6
bool True False
str "One\nTwo"
  escaped new line
  'I\'m'
  escaped '
bytes b"toto\xfe\775"
      hexadecimal octal
```

Multiline string:
"""X\tY\tZ
1\t2\t3"""
escaped tab

⚡ immutables

Container Types

- ordered sequences, fast index access, repeatable values
 - list** [1, 5, 9] ["x", 11, 8.9] ["mot"]
 - tuple** (1, 5, 9) 11, "y", 7.4 ("mot",)

Non modifiable values (immutables) ⚡ expression with only commas → **tuple**
(ordered sequences of chars / bytes)
- key containers, no a priori order, fast key access, each key is unique
 - dict** {"key": "value"} dict (a=3, b=4, k="v")
 - (key/value associations) {1: "one", 3: "three", 2: "two", 3.14: "pi"}
 - set** {"key1", "key2"} {1, 9, 3, 0} **set** {}
 - ⚡ keys=hashable values (base types, immutables...) **frozenset** immutable set empty

Identifiers

for variables, functions, modules, classes... names

a...zA...Z followed by **a...zA...Z_0...9**

- diacritics allowed but should be avoided
- language keywords forbidden
- lower/UPPER case discrimination

Ⓢ a toto x7 y_max BigOne
Ⓢ 8y and for

Variables assignment

⚡ assignment ⇔ **binding** of a name with a value

- evaluation of right side expression value
- assignment in order with left side names

```
x=1.2+8+sin(y)
a=b=c=0 assignment to same value
y, z, r=9.2, -7.6, 0 multiple assignments
a, b=b, a values swap
a, *b=seq unpacking of sequence in
*a, b=seq item and list
x+=3 increment ⇔ x=x+3
x-=2 decrement ⇔ x=x-2
x=None « undefined » constant value
del x remove name x
```

Conversions

type (expression)

can specify integer number base in 2nd parameter
truncate decimal part

```
int("15") → 15
int("3f", 16) → 63
int(15.56) → 15
float("-11.24e8") → -1124000000.0
round(15.56, 1) → 15.6 rounding to 1 decimal (0 decimal → integer number)
bool(x) False for null x, empty container x, None or False x; True for other x
str(x) → "..." representation string of x for display (cf. formatting on the back)
chr(64) → '@' ord('@') → 64 code → char
repr(x) → "..." literal representation string of x
bytes([72, 9, 64]) → b'H\t@'
list("abc") → ['a', 'b', 'c']
dict([(3, "three"), (1, "one")]) → {1: 'one', 3: 'three'}
set(["one", "two"]) → {'one', 'two'}
```

separator **str** and sequence of **str** → assembled **str**
':'.join(['toto', '12', 'pswd']) → 'toto:12:pswd'

str splitted on whitespaces → **list** of **str**
"words with spaces".split() → ['words', 'with', 'spaces']

str splitted on separator **str** → **list** of **str**
"1,4,8,2".split(",") → ['1', '4', '8', '2']

sequence of one type → **list** of another type (via list comprehension)
[int(x) for x in ('1', '29', '-3')] → [1, 29, -3]

Sequence Containers Indexing

for lists, tuples, strings, bytes...

negative index	-5	-4	-3	-2	-1
positive index	0	1	2	3	4

```
lst=[10, 20, 30, 40, 50]
```

positive slice	0	1	2	3	4	5
negative slice	-5	-4	-3	-2	-1	

Items count
len(lst) → 5
⚡ index from 0 (here from 0 to 4)

Individual access to **items** via **lst[index]**
lst[0] → 10 ⇒ first one **lst[1] → 20**
lst[-1] → 50 ⇒ last one **lst[-2] → 40**

On mutable sequences (**list**), remove with **del lst[3]** and modify with assignment **lst[4]=25**

Access to **sub-sequences** via **lst[start slice: end slice: step]**
lst[: -1] → [10, 20, 30, 40] **lst[: -1] → [50, 40, 30, 20, 10]** **lst[1: 3] → [20, 30]** **lst[: 3] → [10, 20, 30]**
lst[1: -1] → [20, 30, 40] **lst[: -2] → [50, 30, 10]** **lst[-3: -1] → [30, 40]** **lst[3:] → [40, 50]**
lst[: 2] → [10, 30, 50] **lst[:] → [10, 20, 30, 40, 50]** shallow copy of sequence

Missing slice indication → from start / up to end.
On mutable sequences (**list**), remove with **del lst[3: 5]** and modify with assignment **lst[1: 4]=[15, 25]**

Boolean Logic

Comparisons : < > <= >= == != (boolean results)
≤ ≥ = ≠

a and b logical and both simultaneously

a or b logical or one or other or both

⚡ pitfall : **and** and **or** return **value** of **a** or of **b** (under shortcut evaluation).
⇒ ensure that **a** and **b** are booleans.

not a logical not

True
False } True and False constants

Statements Blocks

```
parent statement:
┌ statement block 1...
│ ...
└ parent statement:
  ┌ statement block 2...
  │ ...
  └ next statement after block 1
```

⚡ configure editor to insert 4 spaces in place of an indentation tab.

Modules/NAMES Imports

module **truc** ⇔ file **truc.py**

```
from monmod import nom1, nom2 as fct
  → direct access to names, renaming with as
import monmod
  → access via monmod.nom1 ...
```

⚡ modules and packages searched in python path (cf **sys.path**)

Conditional Statement

statement block executed only if a condition is true

if logical condition:
→ statements block

Can go with several **elif**, **elif...** and only one final **else**. Only the block of first true condition is executed.

```
if age <= 18:
    state = "Kid"
elif age > 65:
    state = "Retired"
else:
    state = "Active"
```

⚡ with a var **x**:
if bool(x) == True: ⇔ **if x:**
if bool(x) == False: ⇔ **if not x:**

Maths

floating numbers... approximated values

Operators: + - * / // % **
Priority (...)
integer ÷ ÷ remainder

@ → matrix × python3.5+numpy
(1+5.3)*2 → 12.6
abs(-3.2) → 3.2
round(3.57, 1) → 3.6
pow(4, 3) → 64.0

⚡ usual order of operations

angles in radians
from math import sin, pi...
sin(pi/4) → 0.707...
cos(2*pi/3) → -0.4999...
sqrt(81) → 9.0 √
log(e2) → 2.0**
ceil(12.5) → 13
floor(12.5) → 12

modules **math**, **statistics**, **random**, **decimal**, **fractions**, **numpy**, etc. (cf. doc)

Exceptions on Errors

Signaling an error:
raise ExcClass(...)

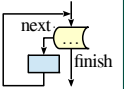
Errors processing:
try:
→ normal processing block
except Exception as e:
→ error processing block

⚡ **finally** block for final processing in all cases.

```

normal processing block
┌ raise X()
└ error processing block
  └ finally block for final processing in all cases.
```

Iterative Loop Statement



```
with open(...) as f:
    for line in f :
        # processing of line
```