

Assignment 2 Compilatori

MATTEO BONAMICI, LEONARDO VITALE

April 2025

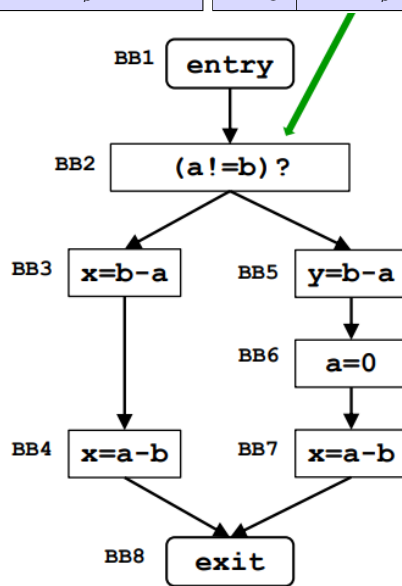
1 Very Busy Expressions

1.1 Framework di Dataflow Analysis

	Very Busy Expressions
Domain	Sets of expressions
Direction	Backward: $\text{in}[b] = f_b(\text{out}[b])$ $\text{out}[b] = \wedge \text{in}[\text{succ}(b)]$
Transfer function	$f_b(x) = \text{Gen}_b \cup (x - \text{Kill}_b)$ Gen_b : espressioni generate da b Kill_b : espressioni con almeno una variabile definita in b
Meet Operation (\wedge)	\cap
Boundary Condition	$\text{in}[\text{exit}] = \emptyset$
Initial interior points	$\text{in}[b] = U$

1.2 Tabella iterazioni algoritmo

	Funzione di Trasferimento			Iterazione 1	
	Gen	Kill		IN[B]	OUT[B]
BB1	\emptyset	\emptyset	BB1		$a \neq b, b - a$
BB2	$a \neq b$	\emptyset	BB2	$a \neq b, b - a$	$b - a$
BB3	$b - a$	\emptyset	BB3	$b - a, a - b$	$a - b$
BB4	$a - b$	\emptyset	BB4	$a - b$	\emptyset
BB5	$b - a$	\emptyset	BB5	$b - a$	\emptyset
BB6	\emptyset	$a - b, b - a$	BB6	\emptyset	$a - b$
BB7	$a - b$	\emptyset	BB7	$a - b$	\emptyset
BB8	\emptyset	\emptyset	BB8	\emptyset	



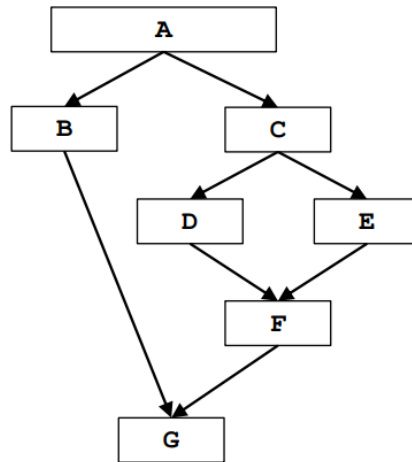
2 Dominator Analysis

2.1 Framework di Dataflow Analysis

	Dominator Analysis
Domain	Sets of Basic Blocks
Direction	Forward: $\text{out}[b] = f_b(\text{in}[b])$ $\text{in}[b] = \wedge \text{out}[\text{pred}(b)]$
Transfer function	$f_b(x) = b \cup x$
Meet Operation (\wedge)	\cap
Boundary Condition	$\text{out}[\text{entry}] = \text{entry}$
Initial interior points	$\text{out}[b] = U$

2.2 Tabella iterazioni algoritmo

	Iterazione 1	
	IN[B]	OUT[B]
A	\emptyset	$\{A\}$
B	$\{A\}$	$\{A,B\}$
C	$\{A\}$	$\{A,C\}$
D	$\{A,C\}$	$\{A,C,D\}$
E	$\{A,C\}$	$\{A,C,E\}$
F	$\{OUT[D]\} \cap \{OUT[E]\} = \{A,C\}$	$\{A,C,F\}$
G	$\{A,C,F\} \cap \{A,B\} = \{A\}$	$\{A,G\}$



3 Constant Propagation

3.1 Framework di Dataflow Analysis

	Constant Propagation
Domain	Maps of Variables to Constants or \top (unknown) or \perp (undefined)
Direction	Forward: $out[b] = f_b(in[b])$ $in[b] = \wedge out[pred(b)]$
Transfer function	$f_b(x) = Gen_b \cup (x - Kill_b)$ Gen_b : coppie (v,c) generate da b $Kill_b$: coppie $(v,-)$ per variabili ridefinite in b
Meet Operation (\wedge)	\cap con regola speciale: $(v,c_1) \cap (v,c_2) = \emptyset$ se $c_1 \neq c_2$
Boundary Condition	$out[entry] = \emptyset$
Initial interior points	$out[b] = \top$ (tutte le variabili con valore sconosciuto, valgono come qualsiasi valore contemporaneamente)

3.2 Tabella iterazioni algoritmo

	Funzione di Trasferimento	
	Gen	Kill
BB1	\emptyset	\emptyset
BB2	$\{(k, 2)\}$	$\{k\}$
BB3	\emptyset	\emptyset
BB4	$\{(a, 4)\}$	$\{a\}$
BB5	$\{(x, 5)\}$	$\{x\}$
BB6	$\{(a, 4)\}$	$\{a\}$
BB7	$\{(x, 8)\}$	$\{x\}$
BB8	$\{(k, 4)\}$	$\{k\}$
BB9	\emptyset	\emptyset
BB10	$\{(b, 2)\}$	$\{b\}$
BB11	$\{(x, 8)\}$	$\{x\}$
BB12	$\{(y, 8)\}$	$\{y\}$
BB13	$\{(k, 5)\}$	$\{k\}$
BB14	\emptyset	\emptyset
BB15	\emptyset	\emptyset

	Iterazione 1	
	In[B]	Out[B]
BB1	\emptyset	\emptyset
BB2	\emptyset	$\{(k, 2)\}$
BB3	$\{(k, 2)\}$	$\{(k, 2)\}$
BB4	$\{(k, 2)\}$	$\{(k, 2), (a, 4)\}$
BB5	$\{(k, 2), (a, 4)\}$	$\{(k, 2), (a, 4), (x, 5)\}$
BB6	$\{(k, 2)\}$	$\{(k, 2), (a, 4)\}$
BB7	$\{(k, 2), (a, 4)\}$	$\{(k, 2), (a, 4), (x, 8)\}$
BB8	$\{(k, 2), (a, 4)\}$	$\{(k, 4), (a, 4)\}$
BB9	$\{(k, 4), (a, 4)\}$	$\{(k, 4), (a, 4)\}$
BB10	$\{(k, 4), (a, 4)\}$	$\{(k, 4), (a, 4), (b, 2)\}$
BB11	$\{(k, 4), (a, 4), (b, 2)\}$	$\{(k, 4), (a, 4), (b, 2), (x, 8)\}$
BB12	$\{(k, 4), (a, 4), (b, 2), (x, 8)\}$	$\{(k, 4), (a, 4), (b, 2), (x, 8), (y, 8)\}$
BB13	$\{(k, 4), (a, 4), (b, 2), (x, 8), (y, 8)\}$	$\{(k, 5), (a, 4), (b, 2), (x, 8), (y, 8)\}$
BB14	$\{(k, 4), (a, 4)\}$	$\{(k, 4), (a, 4)\}$
BB15	$\{(k, 4), (a, 4)\}$	$\{(k, 4), (a, 4)\}$

	Iterazione 2	
	In[B]	Out[B]
BB9	$\{(a, 4)\}$	$\{(a, 4)\}$
BB10	$\{(a, 4)\}$	$\{(a, 4), (b, 2)\}$
BB11	$\{(a, 4), (b, 2)\}$	$\{(a, 4), (b, 2), (x, \perp)\}$
BB12	$\{(a, 4), (b, 2)\}$	$\{(a, 4), (b, 2), (y, 8)\}$
BB13	$\{(a, 4), (b, 2), (y, 8)\}$	$\{(k, \perp), (a, 4), (b, 2), (y, 8)\}$
BB14	$\{(a, 4)\}$	$\{(a, 4)\}$
BB15	$\{(a, 4)\}$	$\{(a, 4)\}$
	Iterazione 3	
	In[B]	Out[B]
BB9	$\{(a, 4)\}$	$\{(a, 4)\}$
BB10	$\{(a, 4)\}$	$\{(a, 4), (b, 2)\}$
BB11	$\{(a, 4), (b, 2)\}$	$\{(a, 4), (b, 2), (x, \perp)\}$
BB12	$\{(a, 4), (b, 2)\}$	$\{(a, 4), (b, 2), (y, 8)\}$
BB13	$\{(a, 4), (b, 2), (y, 8)\}$	$\{(k, \perp), (a, 4), (b, 2), (y, 8)\}$
BB14	$\{(a, 4)\}$	$\{(a, 4)\}$
BB15	$\{(a, 4)\}$	$\{(a, 4)\}$

