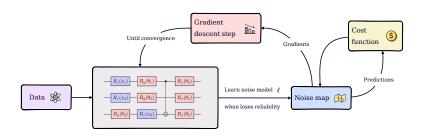
#### RTQEM pipeline

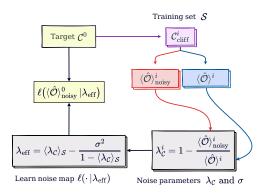
We define a Real-Time Quantum Error Mitigation (RTQEM) procedure.



- 1. consider a Variational Quantum Algorithm trained with gradient descent;
- 2. learn the noise map  $\ell$  every time is needed over the procedure;
- 3. use  $\ell$  to clean up both predictions and gradients.

1

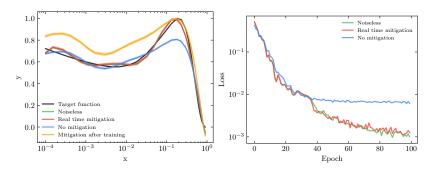
We use the Importance Clifford Sampling (ICS) procedure to learn the noise map  $\ell$ .



- 1. sample a training set of Clifford circuits S on top of a target  $C^0$ ;
- 2. process them so that their expectation values on Pauli strings is +1 or -1;
- 3. extract mitigation parameter  $\lambda_{\rm eff}$  comparing  $\langle \hat{\mathcal{O}} \rangle_{\rm noisy}$  and  $\langle \hat{\mathcal{O}} \rangle_{\rm roisy}$
- 4. build  $\ell \equiv \ell(\cdot|\lambda_{\rm eff})$  following the Phenomenological-Error-Model Inspired (PEMI) protocol.

## One dimensional HEP target: the u-quark PDF

Parameter	$N_{ m train}$	$N_{ m params}$	$N_{ m shots}$	MSE <sub>best</sub>	MSE <sup>unmit</sup>	Noise
Value	30	16	10 <sup>4</sup>	$1.1 \cdot 10^{-3}$	$6.1 \cdot 10^{-3}$	local Pauli

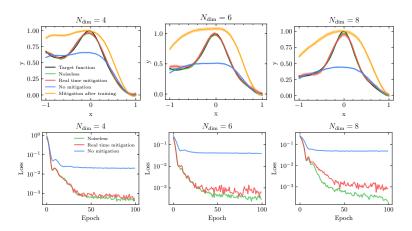


- 1. thanks to the RTQEM procedure, we reach a good minimum of the cost function;
- 2. the QEM is not effective is applied to a corrupted scenario (orange curve).

### Multidimensional target

We tackle a multi-dimensional target computing predictions as expected value of a  $Z^{\otimes N_{\text{dim}}}$  after executing an  $N_{\text{dim}}$  circuit.

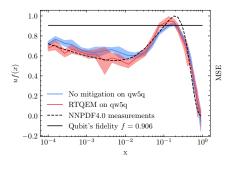
Job ID	$N_{\mathrm{train}}$	$N_{ m params}$	N <sub>shots</sub>	MSE <sup>rtqem</sup>	MSE <sup>unmit</sup> <sub>best</sub>	Noise
$N_{\rm dim} = 4$	30	48	$10^{4}$	$4.4 \cdot 10^{-4}$	$1.9 \cdot 10^{-2}$	local Pauli
$N_{ m dim}=6$	30	72	10 <sup>4</sup>	$4.1 \cdot 10^{-4}$	$3.8 \cdot 10^{-2}$	local Pauli
$N_{ m dim}=8$	30	96	10 <sup>4</sup>	$5.6 \cdot 10^{-4}$	$4.8 \cdot 10^{-2}$	local Pauli

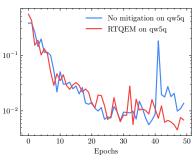


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# RTQEM on a superconducting qubit

Parameter	$N_{ m train}$	$N_{ m params}$	$N_{ m shots}$	Noise
Value	15	16	500	real noise



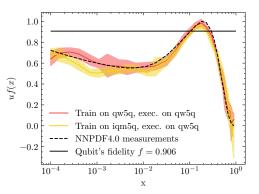


#### Can RTQEM generalise?

We compare two runs with the same initial conditions and  $N_{\rm epochs}=100$  but performed with two different devices:

- >\_ iqm5q by IQM controlled using Zurich Instruments;
- >\_ qw5q by QuantWare controlled using Qblox.

We train the two devices but perform the prediction on the same chip (qw5q).



The  $\theta_{\text{best}}$  get on igm5g perform well on gw5g because RTQEM clean the noise!

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