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COT 4420 – Formal Language and Automata Theory Spring 2021

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Homework 2

Problem 1

Consider the alphabet $\Sigma = \{a, b, c\}$. Derive formally a grammar G that produces the language $L(G) = \{(abc)^n c^n : n \ge 0\}.$

$$G = (\{\{\{S, B\}\}, \{\{\{a,b,c\}\}, S, P\})$$

$$S \rightarrow abc S$$

$$S \rightarrow B$$

$$\begin{array}{ccc} B & \rightarrow C \\ B & \rightarrow \end{array} \lambda$$

$$\beta \rightarrow \gamma$$

What language is generated by the grammar $G = (\{S, A, B\}, \{a, b\}, S, P)$ where the productions P are

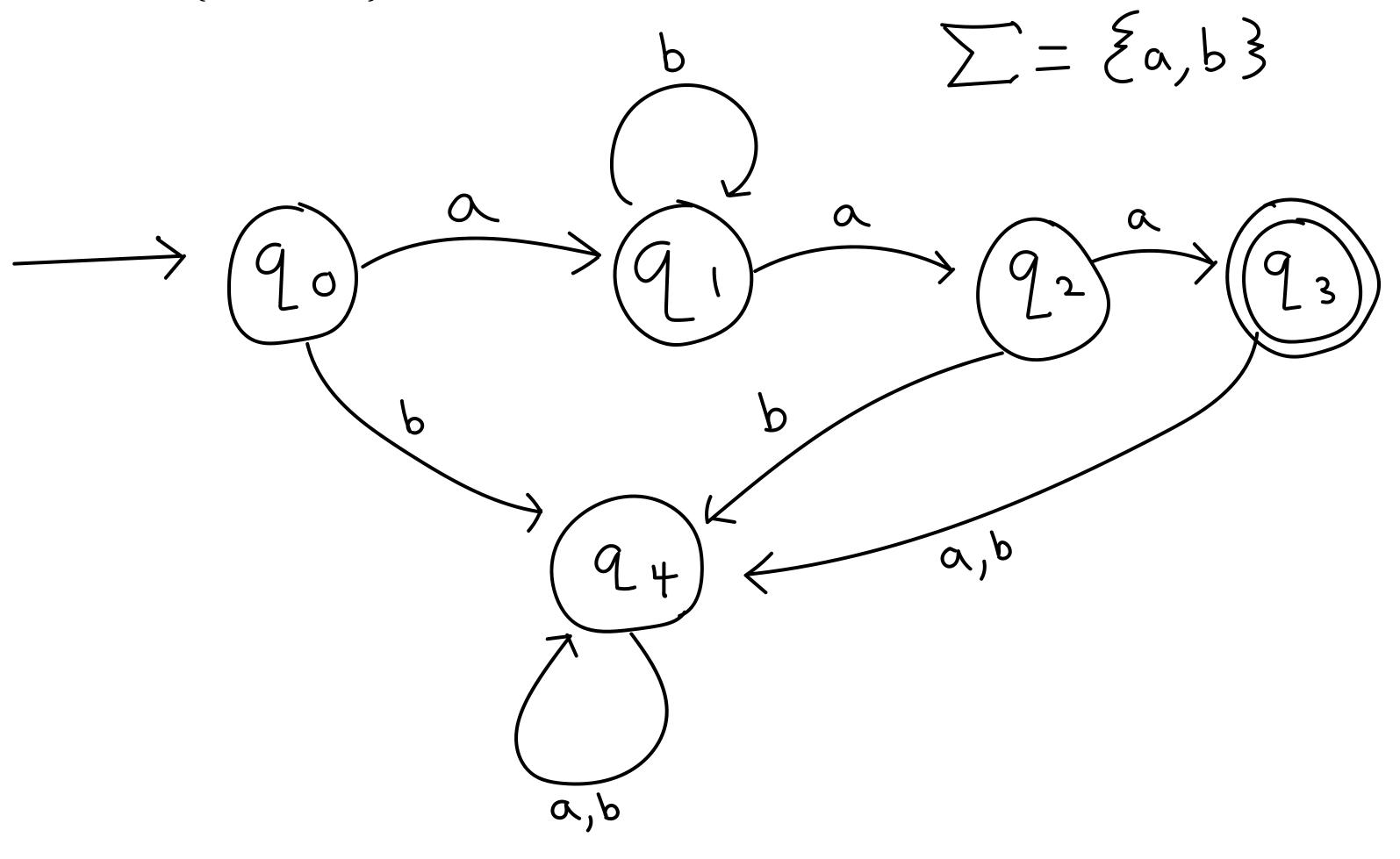
$$S \rightarrow AB$$

$$A \rightarrow a$$

$$B \rightarrow BB \mid b \mid \lambda$$
?

$$L(G) = \{ \{ a(b)^n : n \geq 0 \} \}$$

Design a deterministic finite accepter (DFA) automaton that accepts the language $L = \{ab^na^2 : n \ge 0\}$.



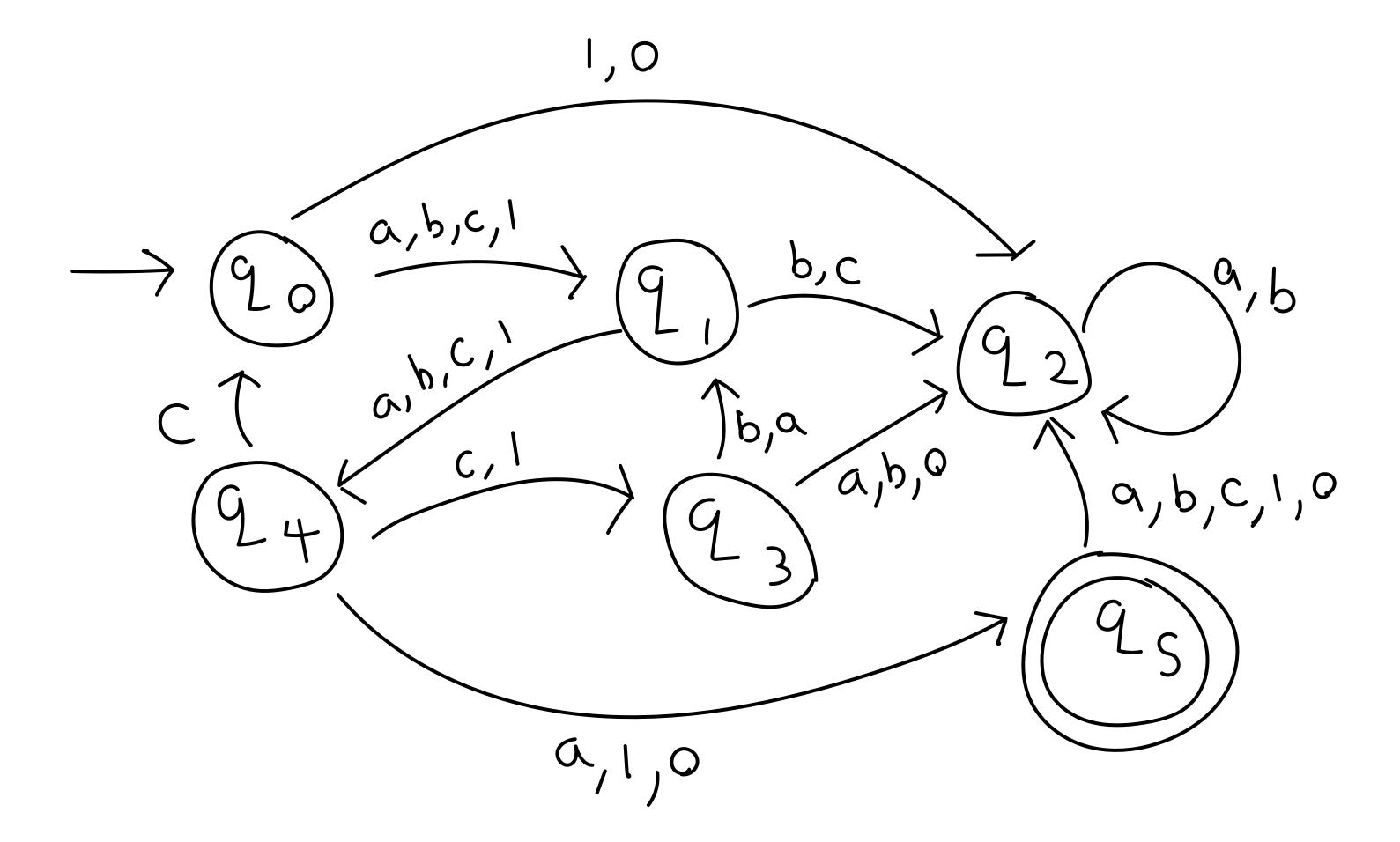
Consider the alphabet $\Sigma = \{a, b, c, d\}$. Show formally that the language L that contains all strings that begin with "adc" is regular.

To Show that a language is regular, One needs to Show that the language Can be produced by a DFA.

Since a DFA exists for language L, Lis a regular language.

Pick an alphabet Σ and design an arbitrary non-deterministic finite accepter (NFA) on Σ . Give one string example this accepted and one string example that is rejected.

$$\sum = \{\alpha,b,c,l,o\}$$



accepted: aacbel rejected: Oab