COMP318 Ontologies and Semantic Web

OWL - Part 6



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OVL semantics

- Checking for anomalies depends on being able to reason with the content of the ontologies
- Understanding OWL requires some understanding of how DL models the world.
- OWL2 ontologies are represented by axioms
 - But not all axioms correspond to only one triple

- Axioms are typically classified in T-box,
 R-Box, and A-Box
- T-Box: terminological knowledge
 - independent of any actual instance data
 - Class equivalence: Offspring ≡ Children
 - Class inclusion: House

 ☐ ResidentialUnit
 - OWL uses the **rdfs:subClassOf** for representing subsumption.
 - The set of property axioms also known as R-Box
- A-Box: assertional knowledge
 - facts about concrete instances
 - represented in RDF

OWL direct semantics

- The direct model-theoretic semantics of OWL 2 is strongly related to and extends the semantics of a particular description logic (SROIQ)
 - As the definition of SROIQ does not provide for datatypes and punning, the semantics of OWL 2 is defined directly on the constructs of the structural specification of OWL 2
- Since each OWL 1 DL ontology is an OWL 2 ontology, this is also a direct semantics for OWL 1 Lite and OWL 1 DL ontologies;
 - this semantics is equivalent to the direct model-theoretic semantics of OWL 1 Lite and OWL 1 DL

Interpretations for DLs

- The semantics of description logics are defined by providing an interpretation of
 - classes (concepts) as sets of individuals and
 - properties (roles) as sets of ordered pairs of individuals
 - these individuals are typically assumed from a given domain.
- ullet Interpretations (\mathcal{S}) are thought of as possible "realities"
 - we can see them as a function from abstract representations to the actual elements in set theory (things that exist in the domain)
 - the function assigns values to elements and may be the model of a graph or an ontology

```
 dbo:City^{\mathcal{I}} = \{dbp:amsterdam^{\mathcal{I}}\}   dbo:Country^{\mathcal{I}} = \{dbp:netherlands^{\mathcal{I}}\}   dbo:PopulatedPlace^{\mathcal{I}} = \{dbp:amsterdam^{\mathcal{I}}, dbp:Netherlands^{\mathcal{I}}\}   dbo:location^{\mathcal{I}} = \{\langle dbp:amsterdam^{\mathcal{I}}, dbp:Netherlands^{\mathcal{I}}\rangle\}
```

Examples

Triples	DL syntax	Semantics
dbp:amsterdam dbo:location dbp:Netherlands.	location(amsterdam, netherlands)	$\langle dbp : amsterdam^{\mathscr{I}}, dbp : Netherlands^{\mathscr{I}} \rangle \in location^{\mathscr{I}}$
dbp:amsterdam rdf:type dbo:City .	City(amsterdam)	$dbp:amsterdam^{\mathscr{I}}\indbo:City^{\mathscr{I}}$
dbo:City rdfs:subClassOf dbo:Place.	City ⊑ Place	$dbo:City^{\mathscr{I}}\subseteqdbo:Place^{\mathscr{I}}$
dbo:capitalOf rdfs:subPropertyOf dbo:location.	capitalOf ⊑ location	$dbo: capitalOf^{\mathscr{I}} \subseteq dbo: location^{\mathscr{I}}$

Classes and individuals in OWL2

- owl:Class specialises rdfs:Class to represent classes
 - set of individuals that can be:
 - atomic (i.e. identified by a IRI, a more general form of URI): :Building rdf:type owl:Class
 - complex, i.e. built as boolean combination from other entities (classes and properties)
 - owl:NamedIndividual is the set of concrete individuals, used instead of rdfs:Resource
 - :BaronWayApartment rdf:type owl:NamedIndividual
 - :BaronWayApartment rdf:type :Building

Top and bottom classes

- owl:Thing
 - in DL syntax: T
 - ullet class containing **all individuals**, its interpretation is $\Delta^{\mathscr{I}}$
 - for every owl:Class C, C is a subclass of owl:Thing
- owl:Nothing
 - in DL syntax: ⊥
 - empty class that contains **no individuals**, its interpretation is the empty set Ø
 - set of all individuals
 - for every owl:Class C, owl:Nothing is a subclass of C

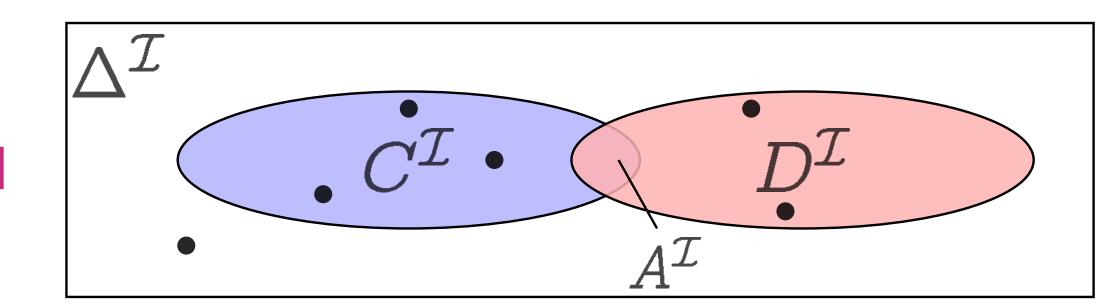
T-Box axioms

- The T-Box (classes only) is composed by:
 - Subsumption Axioms: $C \sqsubseteq D (C^I \subseteq D^I)$
 - Declare Primitive classes, expressing necessary conditions for membership (but not sufficient)
 - Typically found near the top of the hierarchy
 - Equivalence Axioms: $C \equiv D \ (C^I = D^I)$
 - Declare Defined classes, expressing necessary and sufficient conditions for membership
 - Similar to if and only if statements in predicate logic

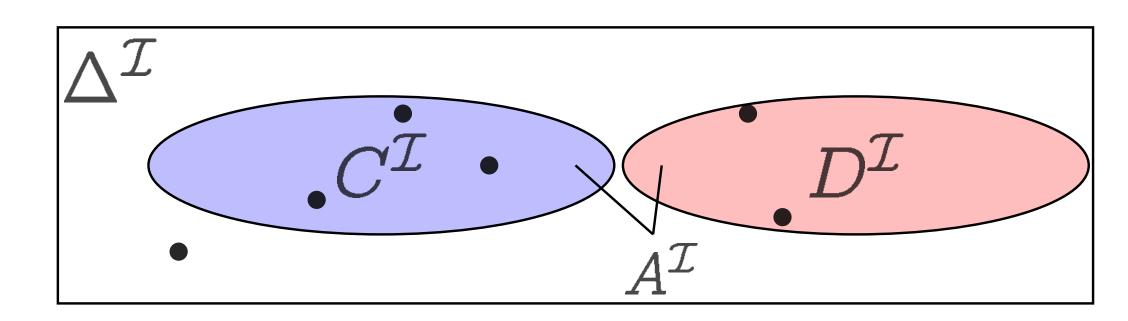
- Typically found as we move further down by specialising general concepts with various restrictions.
- C and D can be named concepts (e.g. foaf:Agent) or complex concepts obtained by using logical operators:
 - Negation: ¬ **E**
 - Intersection: E □ F
 - Union: E L F
 - Property restrictions:
 - E.g. local scope for domain and ranges: ∃R.E, ∀R.E

Union and Intersection

- \bullet A \sqsubseteq C \sqcap D
 - MargheritaTopping ☐ CheeseTopping ☐ TomatoTopping



- \bullet A \sqsubseteq C \sqcup D



- Boolean Combination:
 Union (disjunction)
 - A vegetarian pizza is any pizza which, amongst other things, has only vegetable and/or cheese toppings

```
:VegetarianPizza rdf:type owl:Class;
         owl:equivalentClass
           [rdf:type owl:Class;
           owl:intersectionOf(:Pizza
                      [rdf:type owl:Restriction;
                       owl:onProperty:hasTopping;
                       owl:allValuesFrom
                        [rdf:type owl:Class;
                                     (:CheeseTopping
                                :VegetableTopping
```

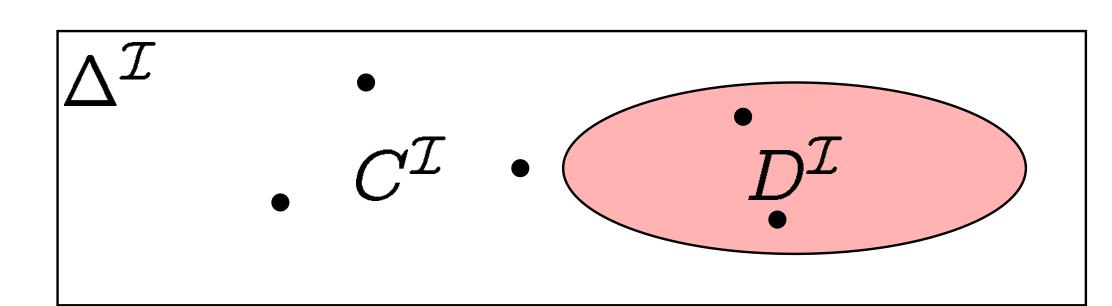
- Boolean Combination:
 Intersection (conjunction)
 - A ProteinLover's is any pizza that has, amongst other things, has only toppings that are both meat and seafood

```
:ProteinLoverPizza rdf:type owl:Class;
          owl:equivalentClass
           [rdf:type owl:Class;
            owl:intersectionOf(:Pizza
                       [rdf:type owl:Restriction;
                        owl:onProperty:hasTopping;
                        owl:allValuesFrom
                          [rdf:type owl:Class;
                          owl:intersectionOf
                            (:FishTopping
                             :MeatTopping
```

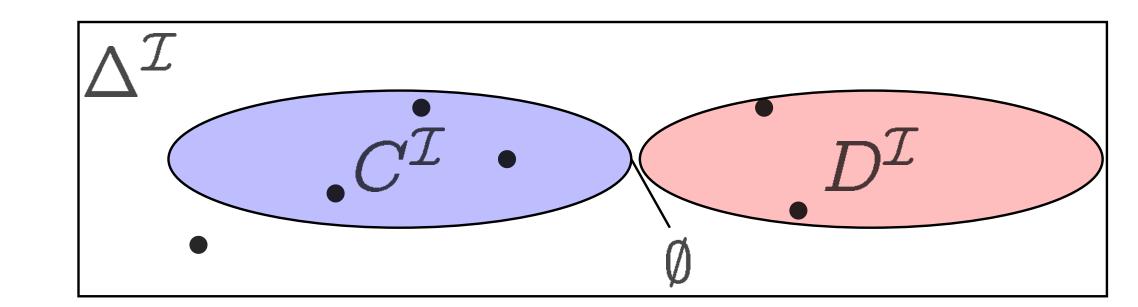
Negation and Disjointness

- C <u></u> □ □ D
 - A C is not a D
 - VegetarianTopping

 ¬ MeatTopping



- - Nothing is both a C and a D
 - Equivalent to $C \sqsubseteq \neg D$ (and $D \sqsubseteq \neg C$)



- Boolean Combination:Complement(conjunction)
 - A non vegetarian pizza is any pizza that is not a vegetarian one

```
:NonVegetarianPizza rdf:type owl:Class;
          owl:equivalentClass
           [rdf:type owl:Class;
            owl:intersectionOf(:Pizza
                       [rdf:type owl:Class;
                        owl:complementOf:VegetarianPizza
          owl:disjointWith:VegetarianPizza;
```

Disjointness

- States that all disjoint classes belong to different branches in the ontology tree
- The default is for classes to overlap
 - Disjointness needs to be stated explicitly

```
PizzaTopping

Vegetable

Meat

Sauce

Fish
```

```
:MeatTopping rdf:type owl:Class;
rdfs:subClassOf:PizzaTopping;
owl:disjointWith:FishTopping,
:SauceTopping,
:VegetableTopping.
```

Check for anomalies

- An important advantage of the use of OWL over RDF Schema is the possibility to detect inconsistencies
 - In ontology
 - incoherent ontology: at least an unsatisfiable class, class that cannot have any instance
 - In ontology+instances
 - inconsistent ontology: every class is interpreted as the empty set
- Examples of common inconsistencies

- incompatible domain and range definitions for transitive, symmetric, or inverse properties
- cardinality properties
- requirements on property values can conflict with domain and range restriction

- Examples from the Pizza tutorial for Protege
 - http://owl.cs.manchester.ac.uk/tutorials/ protegeowltutorial/

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