QUIZ 1

f(x.yx) ≈ f(x) + f(x) · 0.xx

(b) = (b) (8'(t) + g(t)2 dt

te[a,b]

 $L(\mathbf{f}) = \int_{0}^{\mathbf{f}} |\mathbf{f}'(t)| dt$

te[a,b]



 $C(f) = \int_{0}^{b} \sqrt{1 + b(f)^{2}} df$

QUIZ 2

Tasso max crescita: | Tf(p)

Tasso min crescita: - Vfp

 $(f \circ \times)(t_o) = \nabla f(\times(t_o)) \cdot \times (t_o) = \partial \times_A f(\times(t_o)) \times_A (t_o) + \dots + \partial \times_A f(\times(t_o)) \times_A (t_o)$

Duf(p) =
$$\nabla f(p) \cdot u = \partial x f(p) \cdot u_n + ... + \partial n f(p) \cdot u_n$$

Hess
$$(f(P)) = \begin{pmatrix} \frac{\partial}{\partial x} \frac{\partial}{\partial x} & f_P & \frac{\partial}{\partial x} \frac{\partial}{\partial y} & f_P \end{pmatrix}$$

QUIZ a

$$\frac{1}{2}\int_{a}^{b}g^{2}(t) dt \qquad con \quad t \in [a,b]$$

$$\varphi'(u,v) = \begin{pmatrix} \partial u \varphi_1(u,v) & \partial v \varphi_1(u,v) \\ \partial u \varphi_2(u,v) & \partial v \varphi_2(u,v) \end{pmatrix} = \begin{pmatrix} \nabla \varphi_1(u,v) \\ \nabla \varphi_2(u,v) \end{pmatrix}$$

$$Vol(a) = 2\pi \times Area(b) = 2\pi / x dxdz$$

$$x_{B} = \frac{\int_{\mathbf{D}} x_{c} dx}{Ares(\mathbf{D})}$$

Area (p) =
$$\int_{D} |p_{x}(x,y) \times p_{y}(x,y)| dx dy = \int_{C} \times ds$$

$$\int_{\partial^{+}D} F \cdot T = \int_{\partial^{+}D} F_{\lambda} dx + F_{\lambda} dy = \int_{\Gamma_{\lambda}} F_{\lambda} \cdot T ds + \int_{\Gamma_{\lambda}} F \cdot T ds$$

$$\int_{\partial^{+}D} F_{x}(x,y) dx + F_{z}(x,y) dy = \int_{\partial^{+}D} F \cdot T ds = \int_{D} \partial x F_{z}(x,y) - \partial y F_{x}(x,y) dx dy$$

$$\int_{a}^{b} det \left(\begin{array}{cc} F_{1}(\nu(t)) & r_{1}(t) \\ F_{2}(\nu(t)) & r_{2}(t) \end{array} \right) dt = \int_{a}^{b} F_{1}(\nu(t)) v_{2}(t) - F_{2}(\nu(t)) r_{1}(t) dt$$

QUIZ $\frac{1}{2}$ solutione generale di y'+2(t)y=b(t) e y(t) = B(t) e^{-A(t)} + Ce^{-A(t)}

· A primibirs di a
· B primibirs di bea

Variabili separabili

