function [route,numExpanded] = AStarGrid (input_map, start_coords, dest_coords)

- % Run A* algorithm on a grid.
- % Inputs:
- % input_map: a logical array where the freespace cells are false or 0 and
- % the obstacles are true or 1
- % start_coords and dest_coords : Coordinates of the start and end cell
- % respectively, the first entry is the row and the second the column.
- % Output:
- % route: An array containing the linear indices of the cells along the
- % shortest route from start to dest or an empty array if there is no
- % route. This is a single dimensional vector
- % numExpanded: Remember to also return the total number of nodes
- % expanded during your search. Do not count the goal node as an expanded node.
- % set up color map for display
- % 1 white clear cell
- % 2 black obstacle
- % 3 red = visited
- % 4 blue on list
- % 5 green start
- % 6 yellow destination

```
cmap = [1 \ 1 \ 1; ...]
  000;...
  1 0 0; ...
  0 0 1; ...
  0 1 0; ...
  1 1 0; ...
  0.5 0.5 0.5];
colormap(cmap);
% variable to control if the map is being visualized on every
% iteration
drawMapEveryTime = true;
[nrows, ncols] = size(input_map);
% map - a table that keeps track of the state of each grid cell
map = zeros(nrows,ncols);
map(~input_map) = 1; % Mark free cells - assign 1 to the elements that are "true"
map(input_map) = 2; % Mark obstacle cells - assign 2 to the elements that are
"true"
```

% Generate linear indices of start and dest nodes

```
% IND = sub2ind(SIZ,I,J) returns the linear index equivalent to the
    row and column subscripts in the arrays I and J for a matrix of
%
    size SIZ.
%
start_node = sub2ind(size(map), start_coords(1), start_coords(2));
dest_node = sub2ind(size(map), dest_coords(1), dest_coords(2));
map(start_node) = 5; % can also run map(start_coords(1), start_coords(2)) = 5
map(dest\_node) = 6;
% meshgrid will `replicate grid vectors' nrows and ncols to produce
% a full grid
% type `help meshgrid' in the Matlab command prompt for more information
parent = zeros(nrows,ncols);
%
[X, Y] = meshgrid (1:ncols, 1:nrows); % X is the value on X-axis and Y is the
value on Y-axis for every cell
xd = dest\_coords(1);
yd = dest_coords(2);
% Evaluate Heuristic function, H, for each grid cell
% Manhattan distance
```

```
% calculate the distance from every cell to the
H = abs(X - xd) + abs(Y - yd);
destination all at once
H = H';
% Initialize cost arrays
f = Inf(nrows,ncols);
                               % every cell has a f-value and a g-value
g = Inf(nrows,ncols);
g(start\_node) = 0;
f(start_node) = H(start_node);
% keep track of the number of nodes that are expanded
numExpanded = 0;
% Main Loop
while true
  % Draw current map
  map(start\_node) = 5;
  map(dest\_node) = 6;
  % make drawMapEveryTime = true if you want to see how the
  % nodes are expanded on the grid.
```

```
if (drawMapEveryTime)
    image(1.5, 1.5, map); % image (x, y, C): When C is a 2-dimensional m-by-n
matrix, the elements of C are used as
                  % indices into the current COLORMAP to
                  % determine the color. x and y specify the
                  % locations of the corners corresponding to
                  % C(1, 1) if (x, y) is scalar and C(m, n) if
                  % (x, y) is two-element vectors.
    grid on;
    axis image;
    drawnow;
  end
  % Find the node with the minimum f value
                                  % note that min(f) has different outputs from
  [\min_{f}, current] = \min(f(:));
min(f(:)).
                         % The latter outputs the minimum value => min_f across
the whole
                         % grid and its "linear" position in the grid => current.
  if ((current == dest_node) || isinf(min_f))
    break;
  end;
```

```
% Update input_map
  map(current) = 3;
  f(current) = Inf; % remove this node from further consideration
  numExpanded = numExpanded + 1;
  % Compute row, column coordinates of current node
  % [I,J] = ind2sub(SIZ,IND) returns the arrays I and J containing the
  % equivalent row and column subscripts corresponding to the index
  % matrix IND for a matrix of size SIZ.
  [i, j] = ind2sub(size(f), current);
  %
*************************
***
  % ALL YOUR CODE BETWEEN THESE LINES OF STARS
  % Visit all of the neighbors around the current node and update the
  % entries in the map, f, g and parent arrays
  %
  % Find the neighbors of the current cell (i, j) - only clear cells are
  % considered
  n = AStarNeighbors (map, i, j);
  % numExpanded = numExpanded + length(n);
```

```
k = g(n) > (g(current) + 1); % edge cost from current cell to each of its
neighbors is 1
  indx = find (k == 1);
                          % the index of the neighbors in list n that have
higher g-value than current g-value
  g(n(indx)) = g(current) + 1; % update g-value for current's neighbors
  f(n(indx)) = g(n(indx)) + H(n(indx)); % update f-value for the current's
neighbors and add them to f-list
  parent(n(indx)) = current;
  map(n(indx)) = 4; % blue (4) = on list
***
end
%% Construct route from start to dest by following the parent links
if (isinf(f(dest_node)))
  route = [];
else
  route = [dest_node];
  while (parent(route(1)) \sim = 0)
    route = [parent(route(1)), route];
  end
```

```
% Snippet of code used to visualize the map and the path
  for k = 2:length(route) - 1
    map(route(k)) = 7;
    pause(0.1);
    image(1.5, 1.5, map);
    grid on;
     axis image;
  end
end
end
function n = AStarNeighbors (G, I, J)
% find the neighbors of cell (I, J) on a 2D grid
% Input: G - the 2D grid presented as a matrix
      (I, J) - the coordinate of the cell on the grid, measured from the top-left
%
            corner as (1, 1), I = \#row, J = \#column
%
% Output: a list of linear positions of the neighbors on the grid
nrows = size(G, 1);
ncols = size(G, 2);
i = 1;
n = [];
```

```
if I - 1 > 0 && (G(I-1, J) == 1 \parallel G(I-1, J) == 6) % if the upper cell is still inside
of the grid and it is a clear cell or destination
  n(i) = sub2ind(size(G), I-1, J);
  i = i+1;
end
if I + 1 \le nrows && (G(I+1, J) == 1 || G(I+1, J) == 6) % if the lower cell is
within the grid and it is a clear cell or destination
  n(i) = sub2ind(size(G), I+1, J);
  i = i+1;
end
if J - 1 > 0 \&\& (G(I, J-1) == 1 || G(I, J-1) == 6)
  n(i) = sub2ind(size(G), I, J-1);
  i = i+1;
end
if J + 1 \le n\cos \&\& (G(I, J+1) == 1 \parallel G(I, J+1) == 6)
  n(i) = sub2ind(size(G), I, J+1);
  i = i+1;
end
end
```