

# CS 440: Introduction to Artificial Intelligence

## Lecture 17

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## Recap—Kinds of Learning

So far: discrete

- ▶ Categorization problems
- ▶ World is in one of discrete set of states
- ▶ Need to infer state from sensor values

Alternative: continuous

- ▶ True state of the world is a quantitative value
- ▶ Still want to infer true state from sensor values

## Nearest Neighbor Predictions—Recap

- ▶ find nearest neighbors—most similar **users**
- ▶ get their predictions
- ▶ multiply by similarity
- ▶ sum up
- ▶ normalize by total similarity

Table 2-2. Creating recommendations for Toby

| Critic         | Similarity | Night | S.xNight | Lady | S.xLady | Luck | S.xLuck |
|----------------|------------|-------|----------|------|---------|------|---------|
| Rose           | 0.99       | 3.0   | 2.97     | 2.5  | 2.48    | 3.0  | 2.97    |
| Seymour        | 0.38       | 3.0   | 1.14     | 3.0  | 1.14    | 1.5  | 0.57    |
| Puig           | 0.89       | 4.5   | 4.02     |      |         | 3.0  | 2.68    |
| LaSalle        | 0.92       | 3.0   | 2.77     | 3.0  | 2.77    | 2.0  | 1.85    |
| Matthews       | 0.66       | 3.0   | 1.99     | 3.0  | 1.99    |      |         |
| Total          |            |       | 12.89    |      | 8.38    |      | 8.07    |
| Sim. Sum       |            |       | 3.84     |      | 2.95    |      | 3.18    |
| Total/Sim. Sum |            |       | 3.35     |      | 2.83    |      | 2.53    |

# Linear Regression

Mathematical approach for predicting one attribute from another

- ▶ Assumes output  $y$  is a linear function of input  $x$

$$y = mx + b$$

- ▶ Minimize least squared error
- ▶ Correlation measures how good linear fit is
  - ▶ 1 for line upward
  - ▶ 0 for no trend
  - ▶ -1 for line downward
  - ▶ note: undefined for flat line

## Demo for Understanding Regression and Correlation

[http://www.ruf.rice.edu/~lane/stat\\_sim/reg\\_by\\_eye/](http://www.ruf.rice.edu/~lane/stat_sim/reg_by_eye/)

## Prediction by Correlation

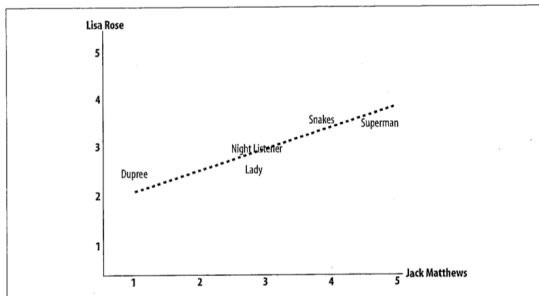


Figure 2-3. Two critics with a high correlation score

## Nearest Neighbor Predictions—Twist

- ▶ find nearest neighbors—most similar **users**
- ▶ get their predictions—use a linear model here!
- ▶ multiply by similarity
- ▶ sum up
- ▶ normalize by total similarity

Table 2-2. Creating recommendations for Toby

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# Learning Overview

- ▶ So far focused on supervised learning
- ▶ Also have unsupervised learning
  - ▶ No labeled examples
  - ▶ Have to infer categories without labels
  - ▶ Also called “clustering”



# K means

Iterative algorithm

- ▶ Assign each point to best cluster
- ▶ Move cluster to match points assigned to it

# K means

Demo: [http://home.dei.polimi.it/matteucc/Clustering/tutorial\\_html/AppletKM.html](http://home.dei.polimi.it/matteucc/Clustering/tutorial_html/AppletKM.html)

## K means analysis

- ▶ Attempts to minimize average distance to cluster center
- ▶ Greedy search—May find local minima
- ▶ Hard to know how many clusters you need
- ▶ Tends to make equal-sized clusters

## Probabilistic clustering

### Probabilistic idea

- ▶ Data comes from two underlying categories
- ▶ You can't see categories, but
- ▶ Categories are reflected in measured similarities

### Overall problem

- ▶ Simultaneously guess what clusters there are
- ▶ Guess which data point goes to which cluster

## Iterative algorithm

Find posterior for each point based on current clusters

- ▶ use categorization model
- ▶ commonly: Gaussian (normal) distribution

Estimate new cluster centers

- ▶ Points contribute to all clusters
- ▶ Contribution depends on posterior point belongs to cluster

# K means

Demo: <http://jormungand.net/projects/misc/em/>