1/24/2021 Array problem

Array problem

QB team

1/23/2021

```
# Packages
library(tidyverse)
library(Matrix)
library(kableExtra)
library(ggplot2)
#library(plotly)
#library(lpSolve)
#library(lpSolveAPI)
library(quadprog)
```

```
# First, set seed to ensure we have the same result
set.seed(666)

# set the number of species and technologies we want to study
s <- 4 #species
n <- 4 #tecnologies
m <- 2 #quota baskets</pre>
```

```
# D (costs)

# set cost for each tech
Cost <- c(1,1,2,2)
Cost2 <- 2*Cost

# nxn
D <- matrix(0, nrow=n,ncol=n)
diag(D) <- Cost2</pre>
```

```
# d
#prices (sx1)
p < -c(200,200,200,200)
# stock in period 0
X_0 \leftarrow c(0.5, 0.6, 1, 1)
# stock matrix (sxs)
B <- matrix(0, nrow=s,ncol=s)</pre>
diag(B) \leftarrow X 0
# catchability matrix (sxn)
coefficient <- c(0.05,0.05,0.07,0.07,
                   0.04,0.05,0.05,0.05,
                   0,0.011,0.05,0.05,
                   0,0.01,0.02,0.05)
Z <- matrix(coefficient, nrow=s,ncol=n)</pre>
#d t(sx1)(sxs)(sxn)=(1xn)
t_d <- t(p)%*%B%*%Z
#nx1
d \leftarrow t(t_d)
```

```
#quota basket caps (mx1)
b_0 <- c(10,10)
b <- -1*b_0
```

```
# quadprog

# solve.QP(Dmat, dvec, Amat, bvec, meq=0, factorized=FALSE)
# (1xn).(nxn)(nx1)-(1xn)(nx1) subject to :(mxn)(nx1) = (mx1) ≥ (mx1)
# D: symmetric matrix with the quadratic component (Dmat)
# d: Linear term (dvec)
# A: matrix with Linear constraints (Amat)
# b: constraints (bvec)

# (1xn).(nxn)(nx1)-(1xn)(nx1) subject to :(mxn)(nx1) = (mx1) ≥ (mx1)
solve.QP(D,d,t_A,b, meq=1)
```

```
## $solution
## [1] 76.11342 136.98584 -98.83832 -63.86615
##
## $value
## [1] 48254.17
##
## $unconstrained.solution
## [1] 19.50 15.00 5.33 3.80
##
## $iterations
## [1] 3 0
##
## $Lagrangian
## [1] 15222.23 5171.40
##
## $iact
## [1] 1 2
```