

## Compute performance metrics for the given Y and Y\_score without sklearn

```
import numpy as np
import pandas as pd
# other than these two you should not import any other packages
```

**A.** Compute performance metrics for the given data **5\_a.csv**

**Note 1:** in this data you can see number of positive points >> number of negative

**Note 2:** use pandas or numpy to read the data from **5\_a.csv**

**Note 3:** you need to derive the class labels from given score

$y^{pred} = [0 \text{ if } y\_score < 0.5 \text{ else } 1]$

1. Compute Confusion Matrix
2. Compute F1 Score
3. Compute AUC Score, you need to compute different thresholds and f
4. Compute Accuracy Score

```
df=pd.read_csv('5_a.csv') #Reading a Dataframe
```

```
df['op']=np.round(df["proba"])
df.head()
```

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import matplotlib.pyplot as plt
from tqdm import tqdm

def confusion_matrix(df): #Function to print Confusion Matrix
    TP=0;FP=0;TN=0;FN=0
    for index, row in df.iterrows(): #Iteration through each row of Dataframe
        if row['op']==row['y']:
            if row['op']==1.0:
                TP+=1
            else:
                TN+=1
        else:
            if row['op']==1.0:
                FP+=1
            else:
                FN+=1

    print("TP=",TP,"      FP=",FP);print()
    print("FN=",FN,"      TN=",TN)

    return TP,FP,TN,FN

def F1_score(TP,FP,TN,FN): #Function to find F1 Score
    recall=TP/(TP+FN)
    precision=FP/(FP+TN)

    print("\nPrecision=",precision,"Recall=",recall)
    F1 = 2*precision*recall/(precision + recall)
    print("F1-Score=",F1)

def accuracy(df): #Function to print accuracy
    p=0
    for index, row in df.iterrows(): #Iterating and checking y==ypred?
        if row['op']==row['y']:
            p+=1
    print("\nAccuracy=", (p/len(df))*100)

def get_tpr_fpr(df,sorted_thresholds):

    tpr=np.array([]);fpr=np.array([])
    for threshold in sorted_thresholds: #Iterating through numpy array of sorted thresholds
        TP=0;FP=0;TN=0;FN=0
        for i in range(len(df)): #Iterating through dataframe converted to numpy array
            if df[i][1]>=threshold:
                if df[i][0]==1.0:
                    TP+=1
                else:FP+=1
            else:
                if df[i][0]==1.0:
                    FN+=1
                else:TN+=1
        tpr=np.append(tpr,TP/(TP+FN))
        fpr=np.append(fpr,FP/(FP+TN))

```

```

return tpr,fpr

def AUC(df,sorted_thresholds): #Function to draw graph and give AUC
    tpr,fpr=get_tpr_fpr(df,sorted_thresholds) #this function gives tpr and fpr as arrays
    plt.title("ROC")
    plt.xlabel("FPR")
    plt.ylabel("TPR")
    plt.plot(fpr, tpr, color ="red")
    plt.show()

    print("AUC=",np.trapz(np.flipud(tpr) , np.flipud(fpr))) #Calculation AUC score

TP,FP,TN,FN=confusion_matrix(df)
F1_score(TP,FP,TN,FN)
accuracy(df)
AUC(df.to_numpy(),np.sort(df.proba.unique()))

```

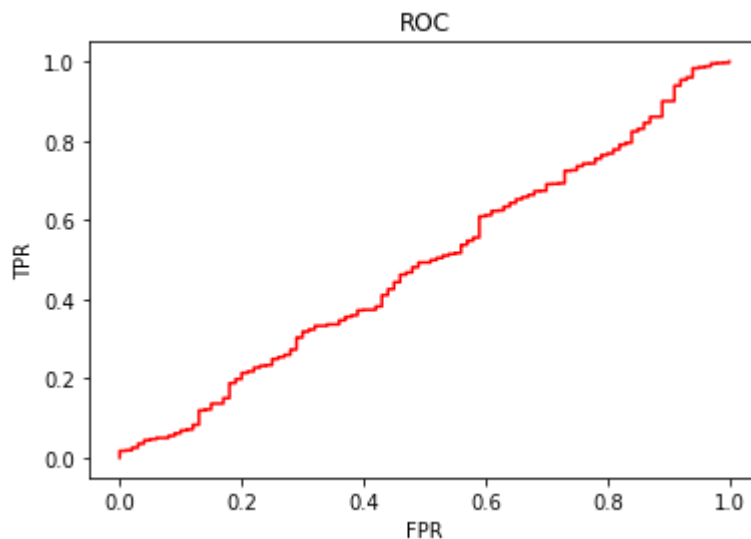
TP= 10000      FP= 100

FN= 0      TN= 0

Precision= 1.0 Recall= 1.0

F1-Score= 1.0

Accuracy= 99.00990099009901



AUC= 0.48829900000000004

## B. Compute performance metrics for the given data **5\_b.csv**

**Note 1:** in this data you can see number of positive points << number of negative points

**Note 2:** use pandas or numpy to read the data from **5\_b.csv**

**Note 3:** you need to derive the class labels from given score

$$y^{pred} = [0 \text{ if } y\_score < 0.5 \text{ else } 1]$$

## 1. Compute Confusion Matrix

2. Compute F1 Score
3. Compute AUC Score, you need to compute different thresholds and f
4. Compute Accuracy Score

```
# write your code
df2=pd.read_csv('5_b.csv')

df2['op']=np.round(df2["proba"])
df2.head()
```

	y	proba	op
0	0.0	0.281035	0.0
1	0.0	0.465152	0.0
2	0.0	0.352793	0.0
3	0.0	0.157818	0.0
4	0.0	0.276648	0.0

```
TP2,FP2,TN2,FN2=confusion_matrix(df2)
F1_score(TP2,FP2,TN2,FN2)
accuracy(df2)
AUC(df2.to_numpy(),np.sort(df2.proba.unique()))
```

TP= 55      FP= 239

FN= 45      TN= 9761

Precision= 0.0239 Recall= 0.55

F1-Score= 0.04580937445548005

**C.** Compute the best threshold (similarly to ROC curve computation) of probability which gives lowest values of metric **A** for the given data **5\_c.csv**

you will be predicting label of a data points like this:  $y^{pred} = [0 \text{ if } y\_score < \text{threshold} \text{ else } 1]$

$A = 500 \times \text{number of false negative} + 100 \times \text{numebr of false positive}$

**Note 1:** in this data you can see number of negative points > number of positive

**Note 2:** use pandas or numpy to read the data from **5\_c.csv**

```
| |
# write your code
df3=pd.read_csv('5_c.csv')

df3['op']=np.round(df3["prob"])
df3.head()
```

	y	prob	op
0	0	0.458521	0.0
1	0	0.505037	1.0
2	0	0.418652	0.0
3	0	0.412057	0.0
4	0	0.375579	0.0

```
def get_best_threshold(df,sorted_thresholds):
    best_threshold=0;A=np.array([1000000000]) #appended some large value to avoid mu
    tpr=np.array([]);fpr=np.array([])
    for threshold in sorted_thresholds: #iterating through all thresholds
        FP=0;FN=0
        for i in range(len(df)): #Iterating to dataframe convertedd to numpy array
            if df[i][1]>=threshold and df[i][0]==0.0: #Calculating only FP and FN
                FP+=1
            elif df[i][1]<threshold and df[i][0]==1.0:
                FN+=1
        A_value=(500*FN)+(100*FP) # A for current iteration
        if A_value < A.min(): # CHecking if A value is minimum or not
            best_threshold=threshold
        A=np.append(A,A_value)

    return best_threshold
```

```

uniques=np.sort(df3.prob.unique())
best_threshold=get_best_threshold(df3.to_numpy(),uniques)
print("Best Threshold Value",best_threshold)

```

Best Threshold Value 0.2300390278970873

**D.** Compute performance metrics(for regression) for the given data **5\_d.csv**

**Note 2:** use pandas or numpy to read the data from **5\_d.csv**

**Note 1:** **5\_d.csv** will having two columns Y and predicted\_Y both are real values

1. Compute Mean Square Error
2. Compute MAPE: <https://www.youtube.com/watch?v=ly6ztgIkUxk>
3. Compute R<sup>2</sup> error: [https://en.wikipedia.org/wiki/Coefficient\\_of\\_determination](https://en.wikipedia.org/wiki/Coefficient_of_determination)

```
df4=pd.read_csv('5_d.csv')
```

```
df4.head()
```

	y	pred
0	101.0	100.0
1	120.0	100.0
2	131.0	113.0
3	164.0	125.0
4	154.0	152.0

```

def MSE(df):
    Error=0
    for i in range(len(df)): #Iterating through each row of dataframe
        Error+=np.square(df[i][0]-df[i][1])
    return Error/(len(df))

```

```

def avoid_zero(x):
    return x if x else 1

```

```

def MAPE(df):
    Error=0
    Avg=np.mean(df,axis=0)[0]
    for i in range(len(df)):

```

```
Error+=abs((df[i][0] - df[i][1])) #Function to avoid zero because around 5000 \
return Error/(len(df)*Avg)

def R_squared(df):
    SS_total=0;SS_residual=0
    mean=np.mean(df,axis=0)[1]
    for i in range(len(df)):
        SS_residual+=np.square(df[i][0]-df[i][1])
        SS_total+=np.square(df[i][0]-mean)

    return 1-SS_residual/SS_total

npdf=df4.to_numpy()
print("Mean Squared Error =",MSE(npdf))
print("Mean Absolute Percentage Error =",MAPE(npdf))
print("R-Squared =",R_squared(npdf))

Mean Squared Error = 177.16569974554707
Mean Absolute Percentage Error = 0.1291202994009687
R-Squared = 0.9563583447288628
```

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