

# Automated Test Generation via SAT/SMT Solvers

# Lecture 1

- Automated Test Generation (ATG) and applications
- SAT solving via DPLL
- Encoding of basic (program) operations over bit vectors to SAT
- Z3: SAT/SMT Solver (Python interface)
- ATG of programs via reduction to SAT
- From symbolic execution to dynamic symbolic execution

# Lecture 2

- Design and implementation of dynamic symbolic execution
  - for Python
  - in Python
- Exercises and extensions for you to work on!

# Lecture 3

- On the power/limits of dynamic symbolic execution
- Satisfiability modulo theories (SMT) solvers
- Extending DSE for Python with SymbolicDict via array theory

# Lecture 4

- Strings, Regular Expressions and Symbolic Automata

# Lecture 1

Automatic Test Generation

via

Dynamic Symbolic Execution

# Automated (White Box) Test Generation

Given a program with a set of input parameters,  
*automatically generate a set of input values* that will  
cover as many statements/branches/paths as possible  
(or find as many bugs as possible)

# Applications

- Security: Whitebox File Fuzzing (MSR's SAGE)
- Software development: Parameterized Unit Testing (MSR's Pex)
- Many others
  - Performance testing of operating systems (MIT's Commuter)
  - Malware analysis (CMU/Berkeley's BitScope)
  - Generate of worm filters (MSR's Vigilante)



# Zero to Crash in 10 Generations

- Starting with 100 zero bytes ...
- SAGE generates a crashing test for Media1 parser:

```
00000000h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....  
00000010h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....  
00000020h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....  
00000030h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....  
00000040h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....  
00000050h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....  
00000060h: 00 00 00 00                                     ; ....
```

Generation 0 – seed file

# Zero to Crash in 10 Generations

- Starting with 100 zero bytes ...
- SAGE generates a crashing test for Media1 parser:

```
00000000h: 52 49 46 46 00 00 00 00 00 00 00 00 00 00 00 00 ; RIFF.....
00000010h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000020h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000030h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000040h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000050h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000060h: 00 00 00 00 ; ....
```

Generation 1

# Zero to Crash in 10 Generations

- Starting with 100 zero bytes ...
- SAGE generates a crashing test for Media1 parser:

```
00000000h: 52 49 46 46 00 00 00 00 ** ** ** 20 00 00 00 00 ; RIFF....***.....
00000010h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000020h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000030h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000040h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000050h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000060h: 00 00 00 00 ; .....
```

Generation 2

# Zero to Crash in 10 Generations

- Starting with 100 zero bytes ...
- SAGE generates a crashing test for Media1 parser:

```
00000000h: 52 49 46 46 3D 00 00 00 00 ** ** ** 20 00 00 00 00 ; RIFF[0]...*** .....
00000010h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000020h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000030h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000040h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000050h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000060h: 00 00 00 00 ; .....
```

Generation 3

# Zero to Crash in 10 Generations

- Starting with 100 zero bytes ...
- SAGE generates a crashing test for Media1 parser:

```
00000000h: 52 49 46 46 3D 00 00 00 00 ** ** ** 20 00 00 00 00 ; RIFF=...*** ....
00000010h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000020h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000030h: 00 00 00 00 73 74 72 68 00 00 00 00 00 00 00 00 ; ....strh.....
00000040h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000050h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000060h: 00 00 00 00 ; ....
```

Generation 4

# Zero to Crash in 10 Generations

- Starting with 100 zero bytes ...
- SAGE generates a crashing test for Media1 parser:

```
00000000h: 52 49 46 46 3D 00 00 00 00 ** ** ** 20 00 00 00 00 ; RIFF=...*** ....
00000010h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000020h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000030h: 00 00 00 00 73 74 72 68 00 00 00 00 76 69 64 73 ; ....strh...vids
00000040h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000050h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000060h: 00 00 00 00 ; ....
```

Generation 5

# Zero to Crash in 10 Generations

- Starting with 100 zero bytes ...
- SAGE generates a crashing test for Media1 parser:

```
00000000h: 52 49 46 46 3D 00 00 00 00 ** ** ** 20 00 00 00 00 ; RIFF=...*** ....
00000010h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000020h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000030h: 00 00 00 00 73 74 72 68 00 00 00 00 76 69 64 73 ; ....strh....vids
00000040h: 00 00 00 00 73 74 72 66 00 00 00 00 00 00 00 00 ; ....strf.....
00000050h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000060h: 00 00 00 00 ; ....
```

Generation 6

# Zero to Crash in 10 Generations

- Starting with 100 zero bytes ...
- SAGE generates a crashing test for Media1 parser:

```
00000000h: 52 49 46 46 3D 00 00 00 00 ** ** ** 20 00 00 00 00 ; RIFF=...*** ....
00000010h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000020h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000030h: 00 00 00 00 73 74 72 68 00 00 00 00 76 69 64 73 ; ....strh....vids
00000040h: 00 00 00 00 73 74 72 66 00 00 00 00 28 00 00 00 ; ....strf....(
00000050h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000060h: 00 00 00 00 ; ....
```

Generation 7



# Zero to Crash in 10 Generations

- Starting with 100 zero bytes ...
- SAGE generates a crashing test for Media1 parser:

```
00000000h: 52 49 46 46 3D 00 00 00 00 ** ** ** 20 00 00 00 00 ; RIFF=...*** ....
00000010h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000020h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000030h: 00 00 00 00 73 74 72 68 00 00 00 00 76 69 64 73 ; ....strh....vids
00000040h: 00 00 00 00 73 74 72 66 00 00 00 00 28 00 00 00 ; ....strf....(...)
00000050h: 00 00 00 00 00 00 00 00 00 00 00 00 00 C9 9D E4 4E ; .....EäN
00000060h: 00 00 00 00 ; .....
```

Generation 8

# Zero to Crash in 10 Generations

- Starting with 100 zero bytes ...
- SAGE generates a crashing test for Media1 parser:

```
00000000h: 52 49 46 46 3D 00 00 00 00 ** ** ** 20 00 00 00 00 ; RIFF=...*** ....
00000010h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000020h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000030h: 00 00 00 00 73 74 72 68 00 00 00 00 76 69 64 73 ; ....strh....vids
00000040h: 00 00 00 00 73 74 72 66 00 00 00 00 28 00 00 00 ; ....strf....(...)
00000050h: 00 00 00 00 00 00 00 00 00 00 00 00 00 01 00 00 ; .....
00000060h: 00 00 00 00 ; ....
```

Generation 9

# Zero to Crash in 10 Generations

- Starting with 100 zero bytes ...
- SAGE generates a crashing test for Media1 parser:

```
00000000h: 52 49 46 46 3D 00 00 00 00 ** ** ** 20 00 00 00 00 ; RIFF=...*** ....
00000010h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000020h: 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 00 ; .....
00000030h: 00 00 00 00 73 74 72 68 00 00 00 00 76 69 64 73 ; ....strh....vids
00000040h: 00 00 00 00 73 74 72 66 B2 75 76 3A 28 00 00 00 ; ....strf2uv:(...
00000050h: 00 00 00 00 00 00 00 00 00 00 00 00 00 01 00 00 ; .....
00000060h: 00 00 00 00 ; ....
```

Generation 10

# Example

```
void top(char input[4])
```

```
{
```

```
    int cnt = 0;
```

```
    if (input[0] == 'b') cnt++;
```

```
    if (input[1] == 'a') cnt++;
```

```
    if (input[2] == 'd') cnt++;
```

```
    if (input[3] == '!') cnt++;
```

```
    if (cnt > 3) crash();
```

```
}
```

input = "good"

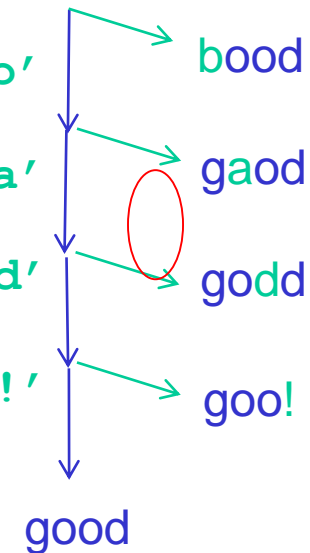
Path constraint:

$I_0 \neq 'b' \rightarrow I_0 = 'b'$

$I_1 \neq 'a' \rightarrow I_1 = 'a'$

$I_2 \neq 'd' \rightarrow I_2 = 'd'$

$I_3 \neq '!' \rightarrow I_3 = '!'$



Gen 1

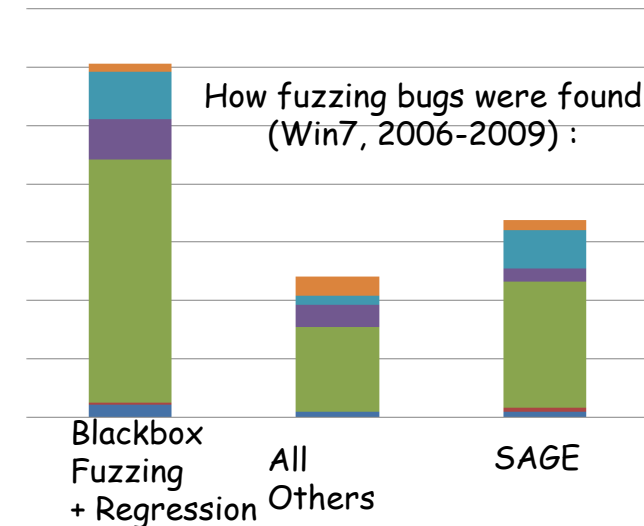
Negate each constraint in path constraint

Solve new constraint → new input

# Whitebox File Fuzzing

## SAGE @ Microsoft:

- 1<sup>st</sup> whitebox fuzzer for security testing
- 400+ machine years (since 2008) →
- 3.4+ Billion constraints
- 100s of apps, 100s of security bugs
- Example: Win7 file fuzzing
  - ~1/3 of **all** fuzzing bugs found by SAGE →  
(missed by everything else...)
- Bug fixes shipped (quietly) to 1 Billion+ PCs
- Millions of dollars saved
  - for Microsoft + time/energy for the world



# Whitebox Testing and Satisfiability (SAT)

	Testing	SAT
Source	Program	Boolean formula
Question	Is there an input that covers some statement?	Is there a satisfying assignment?
Complexity	Undecidable	NP-complete

# Propositional Formula (CNF)

$$\begin{aligned}\varphi = & (a \vee \neg b \vee d) \wedge (a \vee \neg b \vee e) \wedge \\ & (\neg b \vee \neg d \vee \neg e) \wedge \\ & (a \vee b \vee c \vee d) \wedge (a \vee b \vee c \vee \neg d) \wedge \\ & (a \vee b \vee \neg c \vee e) \wedge (a \vee b \vee \neg c \vee \neg e)\end{aligned}$$

# SAT Solving via DPLL

- ▶ Standard backtrack search
- ▶ DPLL(F) :
  - ▶ Apply unit propagation
  - ▶ If conflict identified, return UNSAT
  - ▶ Apply the pure literal rule
  - ▶ If F is satisfied (empty), return SAT
  - ▶ Select decision variable  $x$ 
    - ▶ If  $\text{DPLL}(F \wedge x) = \text{SAT}$  return SAT
    - ▶ return  $\text{DPLL}(F \wedge \neg x)$

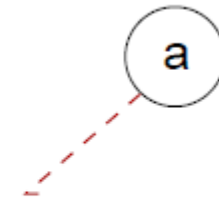


# DPLL (example)

$$\begin{aligned}\varphi = & (a \vee \neg b \vee d) \wedge (a \vee \neg b \vee e) \wedge \\ & (\neg b \vee \neg d \vee \neg e) \wedge \\ & (a \vee b \vee c \vee d) \wedge (a \vee b \vee c \vee \neg d) \wedge \\ & (a \vee b \vee \neg c \vee e) \wedge (a \vee b \vee \neg c \vee \neg e)\end{aligned}$$

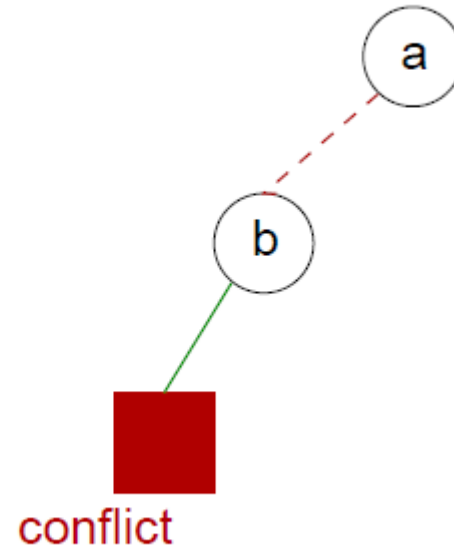
# DPLL (example)

$$\begin{aligned}\varphi = & (a \vee \neg b \vee d) \wedge (a \vee \neg b \vee e) \wedge \\ & (\neg b \vee \neg d \vee \neg e) \wedge \\ & (a \vee b \vee c \vee d) \wedge (a \vee b \vee c \vee \neg d) \wedge \\ & (a \vee b \vee \neg c \vee e) \wedge (a \vee b \vee \neg c \vee \neg e)\end{aligned}$$



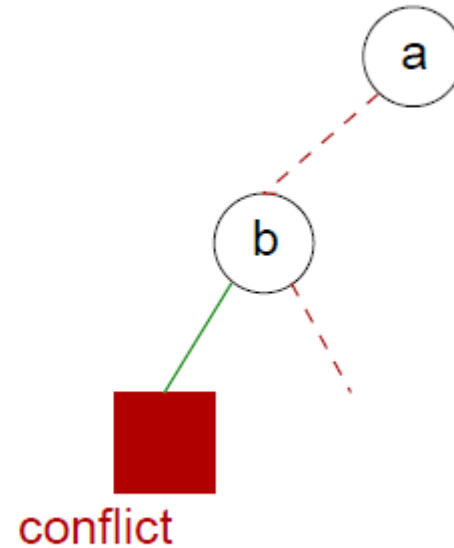
# DPLL (example)

$$\begin{aligned}\varphi = & (a \vee \neg b \vee d) \wedge (a \vee \neg b \vee e) \wedge \\ & (\neg b \vee \neg d \vee \neg e) \wedge \\ & (a \vee b \vee c \vee d) \wedge (a \vee b \vee c \vee \neg d) \wedge \\ & (a \vee b \vee \neg c \vee e) \wedge (a \vee b \vee \neg c \vee \neg e)\end{aligned}$$



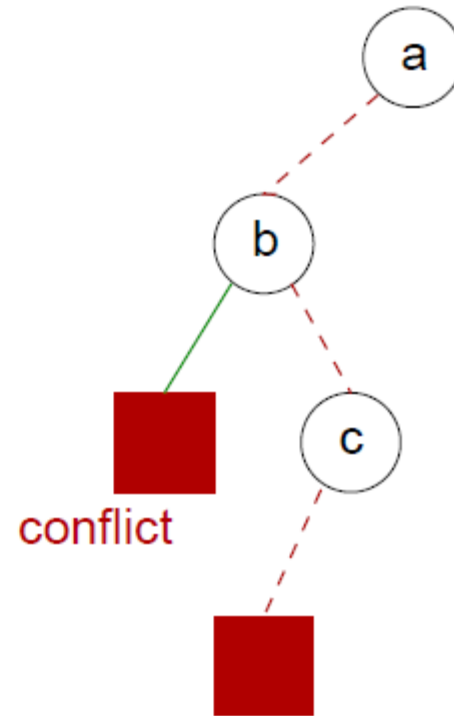
# DPLL (example)

$$\begin{aligned}\varphi = & (a \vee \neg b \vee d) \wedge (a \vee \neg b \vee e) \wedge \\ & (\neg b \vee \neg d \vee \neg e) \wedge \\ & (a \vee b \vee c \vee d) \wedge (a \vee b \vee c \vee \neg d) \wedge \\ & (a \vee b \vee \neg c \vee e) \wedge (a \vee b \vee \neg c \vee \neg e)\end{aligned}$$



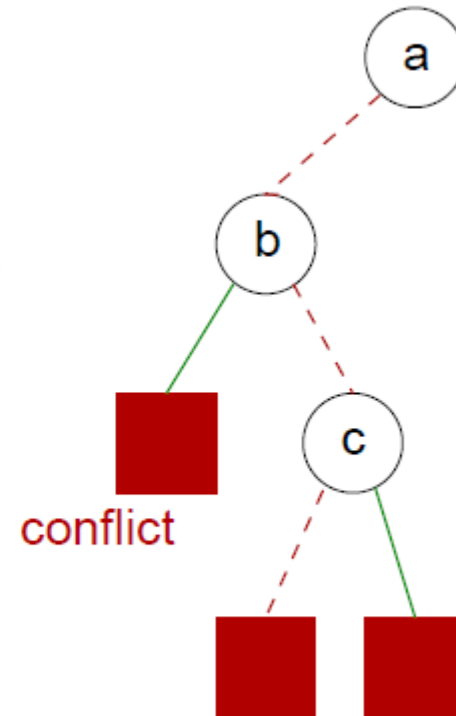
# DPLL (example)

$$\begin{aligned}\varphi = & (a \vee \neg b \vee d) \wedge (a \vee \neg b \vee e) \wedge \\ & (\neg b \vee \neg d \vee \neg e) \wedge \\ & (a \vee b \vee c \vee d) \wedge (a \vee b \vee c \vee \neg d) \wedge \\ & (a \vee b \vee \neg c \vee e) \wedge (a \vee b \vee \neg c \vee \neg e)\end{aligned}$$



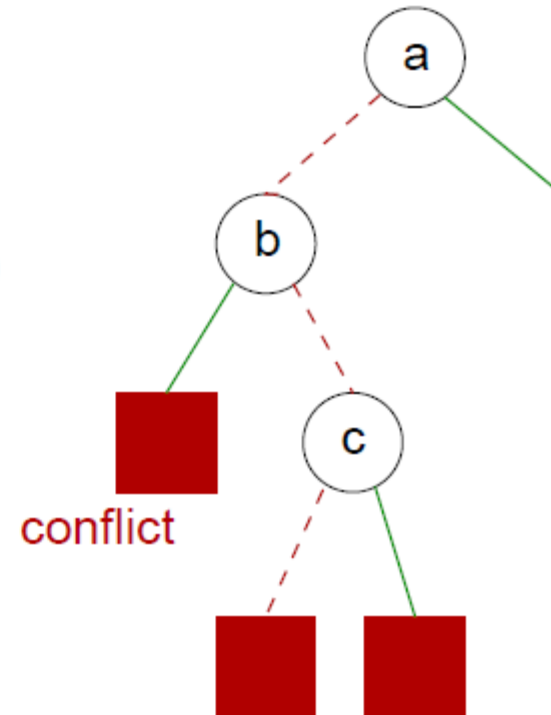
# DPLL (example)

$$\begin{aligned}\varphi = & (a \vee \neg b \vee d) \wedge (a \vee \neg b \vee e) \wedge \\ & (\neg b \vee \neg d \vee \neg e) \wedge \\ & (a \vee b \vee c \vee d) \wedge (a \vee b \vee c \vee \neg d) \wedge \\ & (a \vee b \vee \neg c \vee e) \wedge (a \vee b \vee \neg c \vee \neg e)\end{aligned}$$



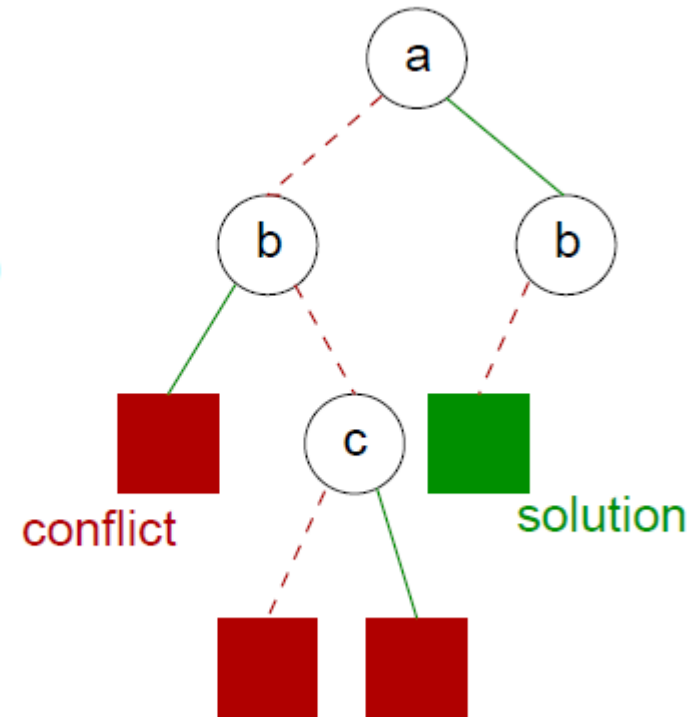
# DPLL (example)

$$\begin{aligned}\varphi = & (a \vee \neg b \vee d) \wedge (a \vee \neg b \vee e) \wedge \\ & (\neg b \vee \neg d \vee \neg e) \wedge \\ & (a \vee b \vee c \vee d) \wedge (a \vee b \vee c \vee \neg d) \wedge \\ & (a \vee b \vee \neg c \vee e) \wedge (a \vee b \vee \neg c \vee \neg e)\end{aligned}$$



# DPLL (example)

$$\begin{aligned}\varphi = & (a \vee \neg b \vee d) \wedge (a \vee \neg b \vee e) \wedge \\ & (\neg b \vee \neg d \vee \neg e) \wedge \\ & (a \vee b \vee c \vee d) \wedge (a \vee b \vee c \vee \neg d) \wedge \\ & (a \vee b \vee \neg c \vee e) \wedge (a \vee b \vee \neg c \vee \neg e)\end{aligned}$$





# Bit-vector / Machine arithmetic

Let  $x$ ,  $y$  and  $z$  be 8-bit (unsigned) integers.

Is  $x > 0 \wedge y > 0 \wedge z = x + y \Rightarrow z > 0$   
valid?

equivalently,

Is  $x > 0 \wedge y > 0 \wedge z = x + y \wedge \neg(z > 0)$   
unsatisfiable?

```
from z3 import *

x = BitVec("x", 8)
y = BitVec("y", 8)
z = BitVec("z", 8)

s = Solver()
s.add(UGT(x, 0), UGT(y, 0), z == x + y)
s.add(Not(UGT(z, 0)))

result = s.check()
if result == sat:
    print(s.model())
else:
    print(result)
```

# Bit-vector / Machine arithmetic

We can encode bit-vector satisfiability problems in propositional logic.

Idea 1:

Use  $n$  propositional variables to encode  $n$ -bit integers.

$$x \rightarrow (x_1, \dots, x_n)$$

Idea 2:

Encode arithmetic operations using hardware circuits.

# Encoding equality

$p \Leftrightarrow q$  is equivalent to  $(\neg p \vee q) \wedge (\neg q \vee p)$

The bit-vector equation  $x = y$  is encoded as:

$$(x_1 \Leftrightarrow y_1) \wedge \dots \wedge (x_n \Leftrightarrow y_n)$$

# Encoding addition

We use  $(r_1, \dots, r_n)$  to store the result of  $x + y$

$p \text{ xor } q$  is defined as  $\neg(p \Leftrightarrow q)$

xor is the 1-bit adder

$p$	$q$	$p \text{ xor } q$	$p \wedge q$
0	0	0	0
1	0	1	0
0	1	1	0
1	1	0	1



carry

# Encoding 1-bit full adder

1-bit full adder

Three inputs:  $x$ ,  $y$ ,  $c_{in}$

Two outputs:  $r$ ,  $c_{out}$

$x$	$y$	$c_{in}$	$r = x \text{ xor } y \text{ xor } c_{in}$	$c_{out} = (x \wedge y) \vee (x \wedge c_{in}) \vee (y \wedge c_{in})$
0	0	0	0	0
1	0	0	1	0
0	1	0	1	0
1	1	0	0	1
0	0	1	1	0
1	0	1	0	1
0	1	1	0	1
1	1	1	1	1

# Encoding n-bit adder

We use  $(r_1, \dots, r_n)$  to store the result of  $x + y$ ,

$$r_1 \Leftrightarrow (x_1 \text{ xor } y_1)$$

$$c_1 \Leftrightarrow (x_1 \wedge y_1)$$

$$r_2 \Leftrightarrow (x_2 \text{ xor } y_2 \text{ xor } c_1)$$

$$c_2 \Leftrightarrow (x_2 \wedge y_2) \vee (x_2 \wedge c_1) \vee (y_2 \wedge c_1)$$

...

$$r_n \Leftrightarrow (x_n \text{ xor } y_n \text{ xor } c_{n-1})$$

$$c_n \Leftrightarrow (x_n \wedge y_n) \vee (x_n \wedge c_{n-1}) \vee (y_n \wedge c_{n-1})$$

# Whitebox Testing and Satisfiability (SAT)

	Testing	SAT
Source	Program	Boolean formula
Question	Is there an input that covers some statement?	Is there a satisfying assignment?
Complexity	Undecidable	NP-complete

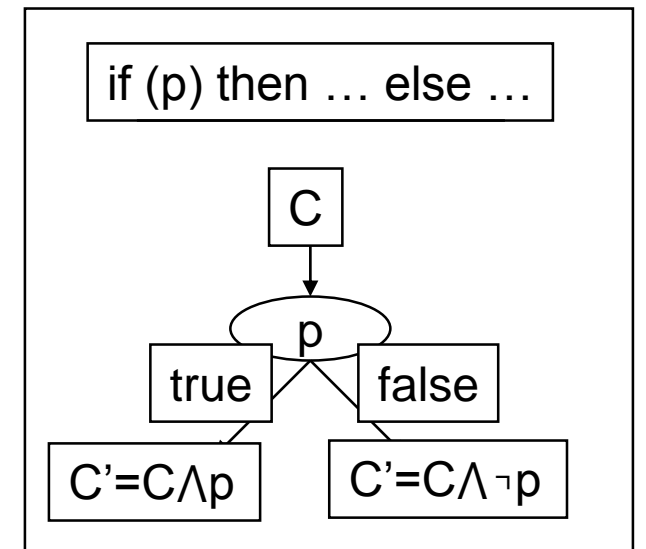
# Reduction of Program Testing to SAT: Bounds!

- Unbounded number of execution paths?
  - Explicit enumeration/exploration of program paths
  - Bound the number of paths explored
- Unbounded execution path length?
  - Bound the input size and/or path length
- Bounded exploration
  - enables conversion of a program path to a (finite) logic formula



# Symbolic Execution

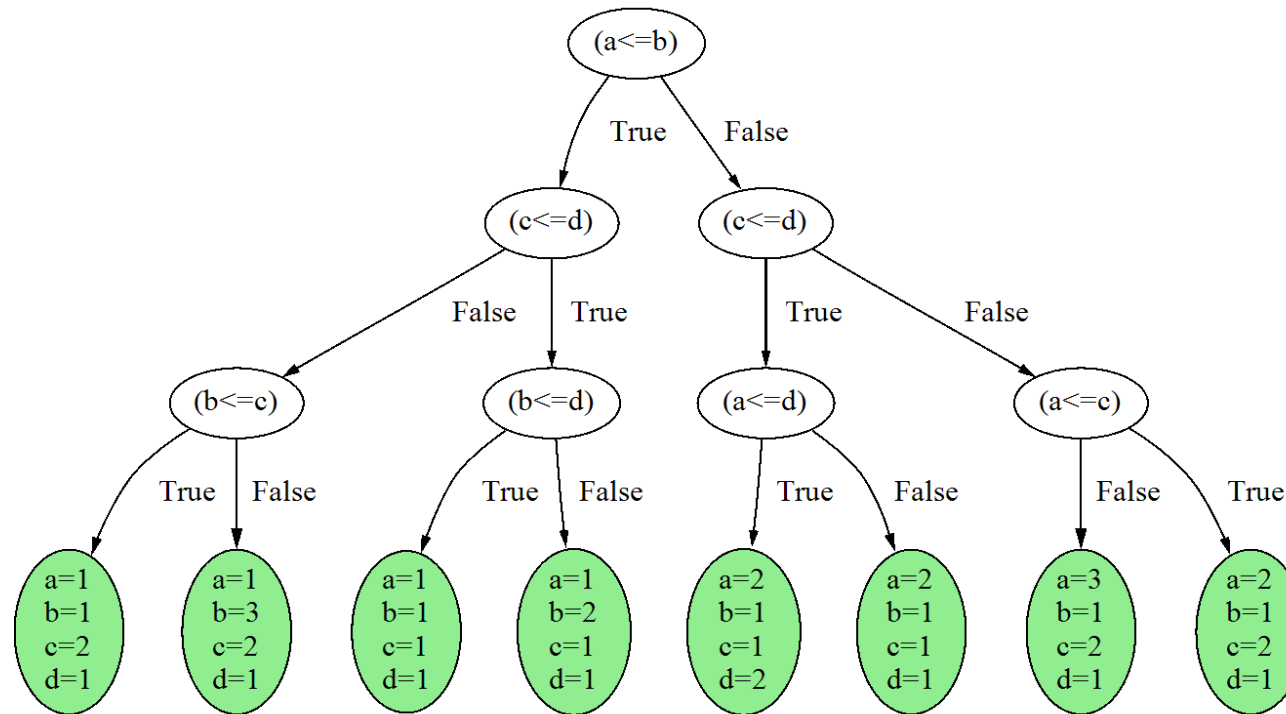
- Exploration of all feasible execution paths:
  - Start execution from initial state with symbolic values for all input
  - Program operations yield terms over symbolic values
  - At conditional branch, fork execution for each feasible evaluation of the condition
  - For each path, we get an accumulated path condition
- For each path, check if path condition is satisfiable and generate input
- See: [King76]



# Symbolic Execution Illustrated

```
int Max(int a, int b, int c, int d) {  
    return Max(Max(a, b), Max(c, d));  
}
```

```
int Max(int x, int y) {  
    if (x <= y) return y;  
    else return x;  
}
```



# Many problems remain

1. Code that is hard to analyze
2. Path explosion
  - Loops
  - Procedures
3. Environment (what are the inputs to the program under test?)
  - pointers, data structures, ...
  - files, data bases, ...
  - threads, thread schedules, ...
  - sockets, ...

# 1. Code that is hard to analyze

```
int obscure(int x, int y) {  
    if (x==complex(y)) error();  
    return 0;  
}
```

May be very hard to statically generate values for x and y that satisfy “x==complex(y)” !

Sources of complexity:

- Virtual functions (function pointers)
- Cryptographic functions
- Non-linear integer or floating point arithmetic
- Calls to kernel mode
- ...

# Directed Automated Random Testing [PLDI 2005]

```
int obscure(int x, int y) {  
    if (x==complex(y)) error();  
    return 0;  
}
```

Run 1 :

- start with (random)  $x=33, y=42$
- execute concretely and symbolically:  
if ( $33 \neq 567$ ) | if ( $x \neq \text{complex}(y)$ )  
    constraint too complex  
    → simplify it:  $x \neq 567$
- solve:  $x \neq 567 \rightarrow$  solution:  $x=567$
- new test input:  $x=567, y=42$

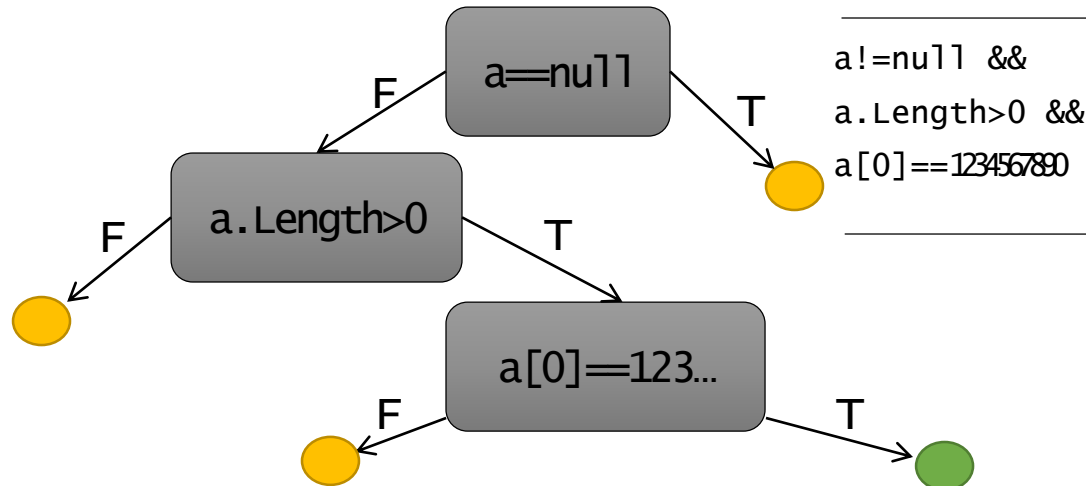
Run 2 : the other branch is executed  
All program paths are now covered !

Also known as concolic execution (concrete + symbolic)  
Referred to here as dynamic symbolic execution

# Dynamic Symbolic Execution

Code to generate inputs for:

```
void CoverMe(int[] a)
{
    if (a == null) return;
    if (a.Length > 0)
        if (a[0] == 1234567890)
            throw new Exception("bug");
}
```



Choose next path		
Constraints to solve	Data	Observed constraints
	null	a==null
a!=null	{}	a!=null && !(a.Length>0)
a!=null && a.Length>0	{0}	a!=null && a.Length>0 && a[0]!=1234567890
a!=null && a.Length>0 && a[0]==1234567890	{123..}	a!=null && a.Length>0 && a[0]==1234567890

Done: There is no path left.

# Dynamic Symbolic Execution

Formula  $F := \text{False}$

**Loop**

Find program input  $i$  in  $\text{solve}(\text{negate}(F))$  // stop if no such  $i$  can be found

Execute  $P(i)$ ; record path condition  $C$  // in particular,  $C(i)$  holds

$F := F \vee C$

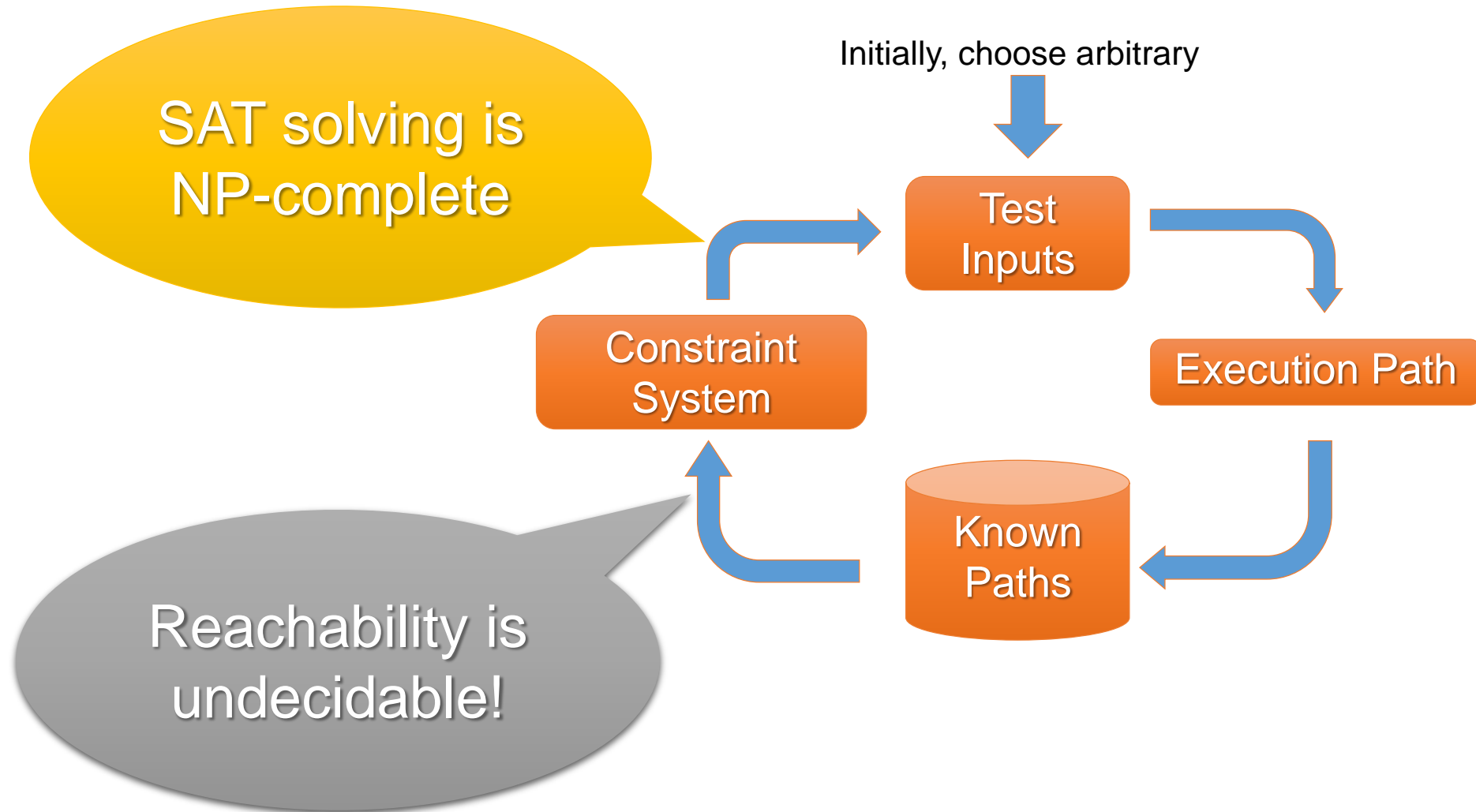
**End**

# Dynamic Symbolic Execution: many implementations

- Defined by execution environment / programming language, symbolic execution precision, and constraint solving
  - Execution environment: C, Java, x86, .NET,...
  - Precision: linear vs. non-linear arithmetic, “gods integers” vs. bitvectors, concrete heap vs. symbolic heap., floating-point values, etc.
  - Solvers: lp\_solve, CVCLite, STP, Disolver, Z3,...
- Examples of DSE implementations:
  - *DART* (Bell Labs), and also CUTE “concolic execution”
  - *EXE/EGT/KLEE* (Stanford) “constraint-based execution”
  - *Vigilante* (Microsoft) to generate worm filters
  - *BitScope* (CMU/Berkeley) for malware analysis
  - Sage (Microsoft) for security testing of X86 code
  - Yogi (Microsoft) to verify device drivers (integrated in SLAM)
  - Pex (Microsoft) for parameterized unit testing of .NET code
  - CREST, jCUTE, jFuzz, ...



# Recap: Test Generation using SAT solvers



# References

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# Assignment 1

- Download
  - Python 3.2.3 or later (<http://www.python.org/>)
  - Z3 'unstable' for your platform (<http://z3.codeplex.com/>)
  - Git client (<http://www.github.com/>)
  - Clone <https://github.com/thomasjball/PyExZ3.git>
- Or get the code I have on USB key for Windows (and Z3 for all platforms)
- Write a Python function to encode n-bit multiplication using Z3 Booleans (you can use `PyExZ3\examples\adder.py`)
- Use Z3 to prove that your multiplier is equivalent to Z3's BitVector multiplier (you can use `PyExZ3\examples\check_adder.py`)