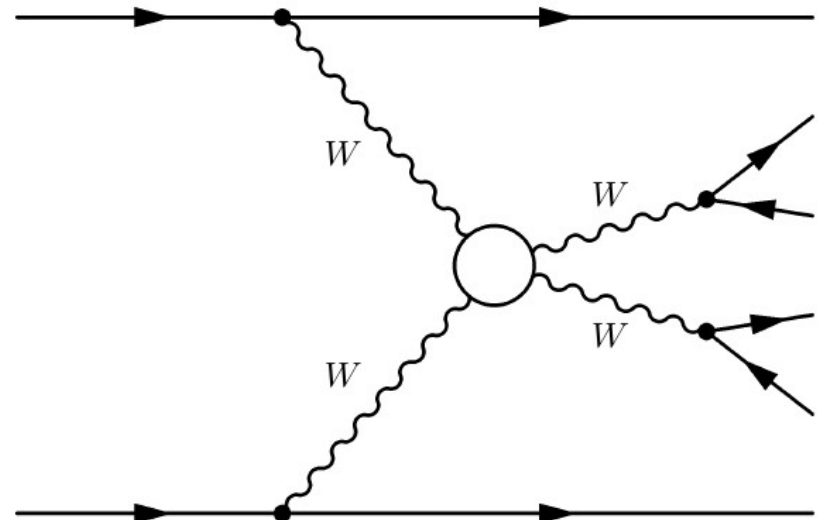
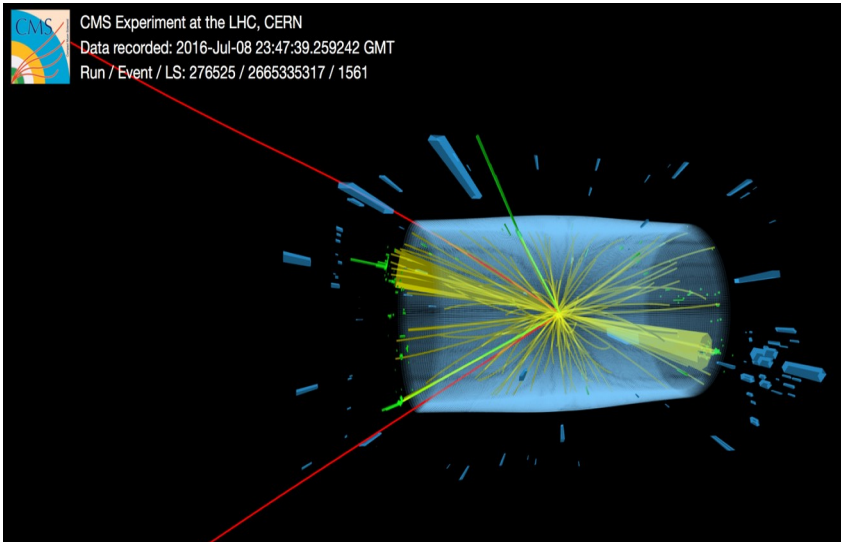


# Combination of limits on anomalous quartic gauge couplings in leptonic same-sign WW and ZZ VBS at 13 TeV

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17<sup>th</sup> June 2019

Institute of Experimental Particle Physics, Karlsruhe Institute of Technology



# Outline



1. Introduction

2. Workflow

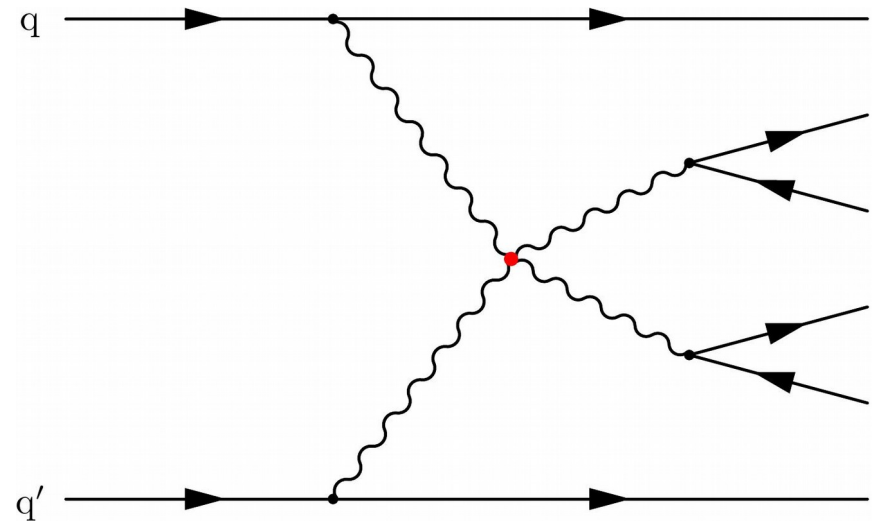
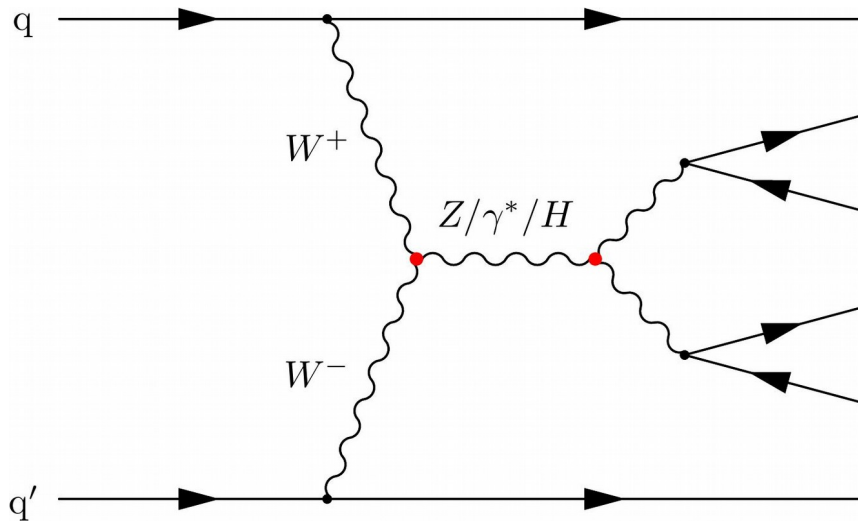
3. Reconstruction of limits in single analyses

4. Combination

5. Summary & Outlook

# Why Vector Boson Scattering?

- Connected to Higgs Production
- Unitarity violated in  $V_L V_L \rightarrow V_L V_L$  without the Higgs Boson
- VBS grants access to quartic vertices
- Anomalies in TGC & QGC are interpreted in an EFT approach



# Effective Field Theory approach

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \sum_i \frac{f_i^{(6)}}{\Lambda^2} \mathcal{O}_i^{(6)} + \sum_i \frac{f_i^{(8)}}{\Lambda^4} \mathcal{O}_i^{(8)} + \dots$$

- Integrate out possible higher energy effects
- Include higher (mass-) dimension operators
- Theory invalid beyond UV cut-off  $\Lambda$ , no renormalization
- Higher orders suppressed by powers of  $\Lambda$
- aTGC: dimension-6 aQGC: dimension-8, access in VBS!

	WWWW	WWZZ	ZZZZ	WWAZ	WWAA	ZZZA	ZZAA	ZAAA	AAAA
$\mathcal{L}_{S,0}, \mathcal{L}_{S,1}$	X	X	X	O	O	O	O	O	O
$\mathcal{L}_{M,0}, \mathcal{L}_{M,1}, \mathcal{L}_{M,6}, \mathcal{L}_{M,7}$	X	X	X	X	X	X	X	O	O
$\mathcal{L}_{M,2}, \mathcal{L}_{M,3}, \mathcal{L}_{M,4}, \mathcal{L}_{M,5}$	O	X	X	X	X	X	X	O	O
$\mathcal{L}_{T,0}, \mathcal{L}_{T,1}, \mathcal{L}_{T,2}$	X	X	X	X	X	X	X	X	X
$\mathcal{L}_{T,5}, \mathcal{L}_{T,6}, \mathcal{L}_{T,7}$	O	X	X	X	X	X	X	X	X
$\mathcal{L}_{T,9}, \mathcal{L}_{T,9}$	O	O	X	O	O	X	X	X	X

Table 1: Quartic vertices modified by each dimension-8 operator are marked with X.

[O. Éboli et al.]

# Combination

- Combination of ATLAS and CMS publication
- ATLAS & CMS plan:
  - Wait until all analyses are finished
  - Combine during long shutdown
  - Long review in both collaborations
- Our plan (VBSCan):
  - Use only publicly available data
  - Start Combination NOW
  - Get improved constraints on aQGC earlier
  - Gain experience for future projects

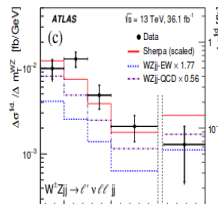
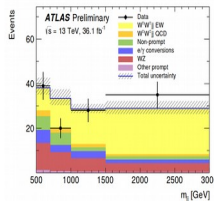


# Channels to combine

- Combine different channels (leptonic):

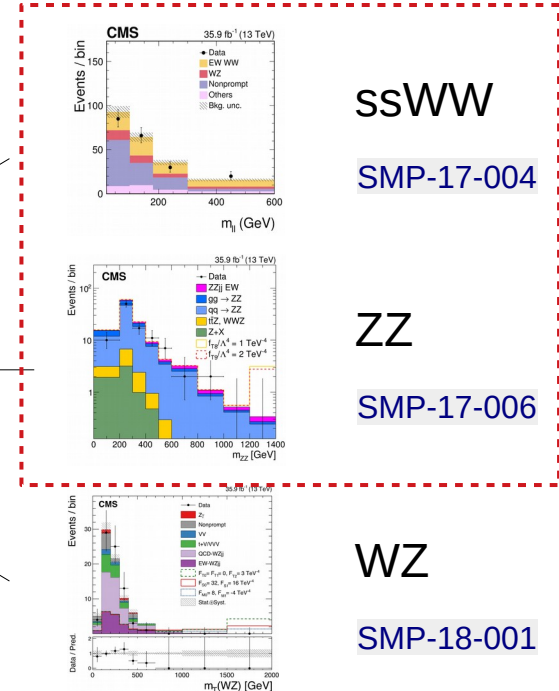
ATLAS

ATLAS-CONF-2018-030



ATLAS-CONF-2018-033

CMS



- Also possible to add further channels later, e.g. semileptonic VV
- Here: Focus on CMS ssWW & ZZ (public Data available!)

# Outline

## 1. Introduction



## 2. Workflow

## 3. Reconstruction of limits in single analyses

## 4. Combination

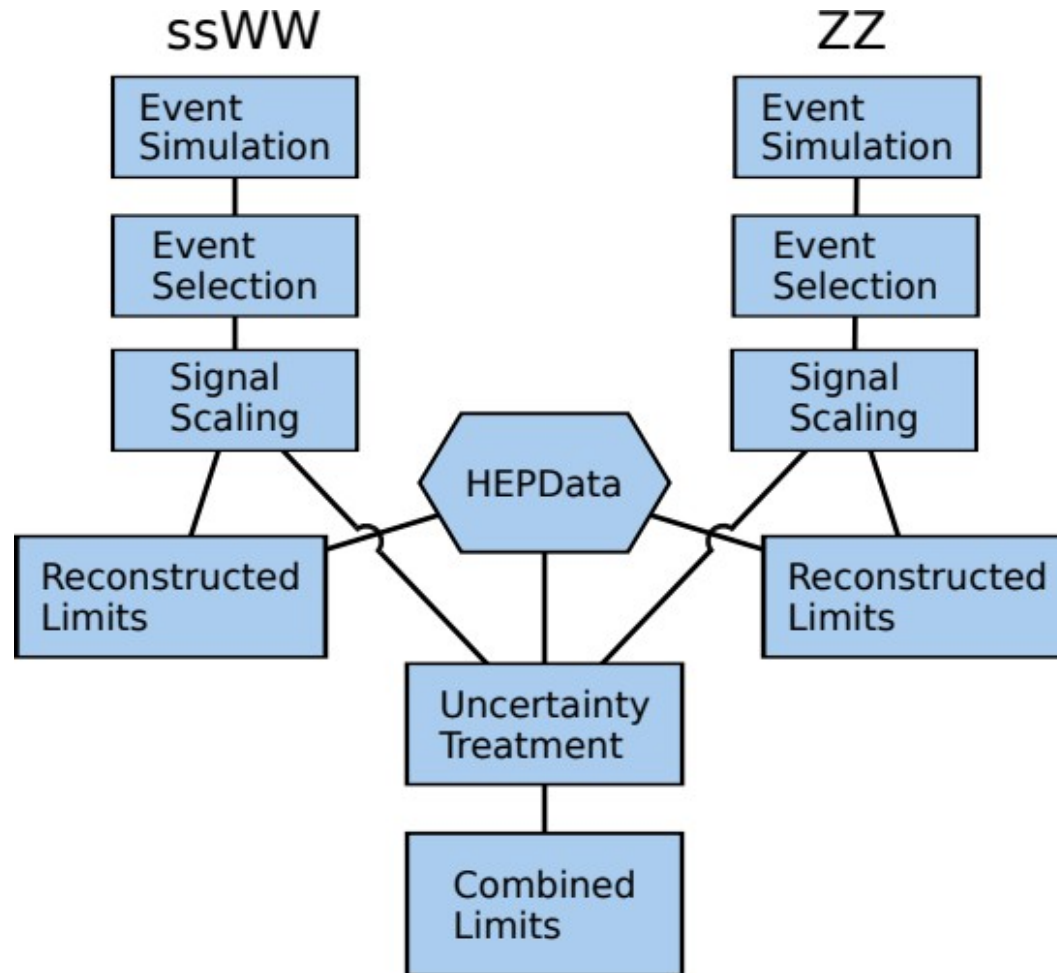
## 5. Summary & Outlook

# The goal and ingredients

- Combination of aQGC limits
- Use **public information** only:
  - In **HEPData** format
  - Cannot use **internal tools**
  - ✓ No official approval process: **much faster**
- Ingredients:
  - CMS tool “combine” is public
  - HEPData: Signal, Background & Systematic uncertainties in sensitive variable
  - Signal modeling: generate it ourselves

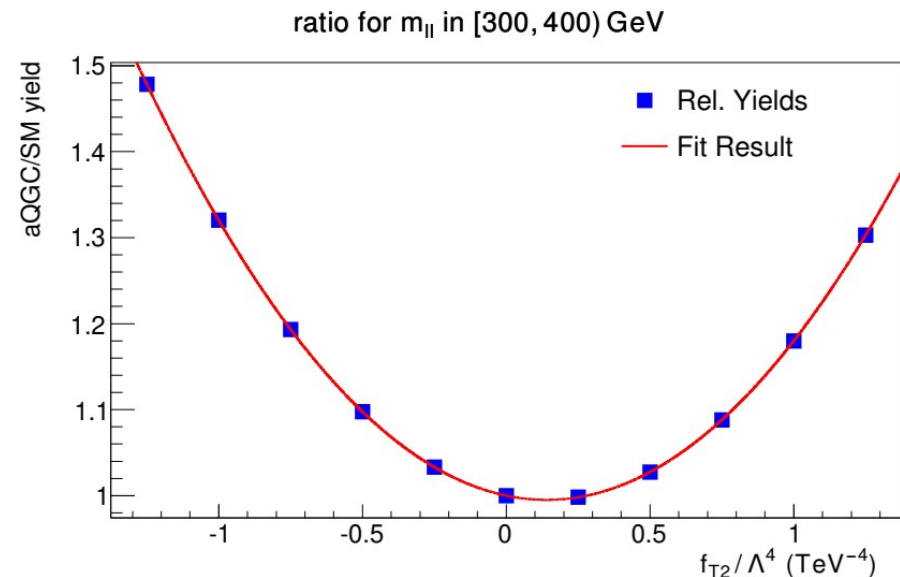


# Description of the Workflow



# Signal Modeling

- Generate MC events in LO-QCD:
  - [Madgraph5](#) + [Pythia8](#)
- Use dim-8 EFT UFO model (available on [Feynrules](#))
- LO matrix-element [reweighting](#) to different coefficients
- $$|\mathcal{A}_{\text{SM}} + \frac{f_i}{\Lambda^4} \mathcal{A}_i|^2 = |\mathcal{A}_{\text{SM}}|^2 + 2 \frac{f_i}{\Lambda^4} \text{Re}(\mathcal{A}_{\text{SM}} \mathcal{A}_i^*) + \frac{f_i^2}{\Lambda^8} |\mathcal{A}_i|^2$$
- fit [quadratic function](#) in each bin to describe the signal scaling



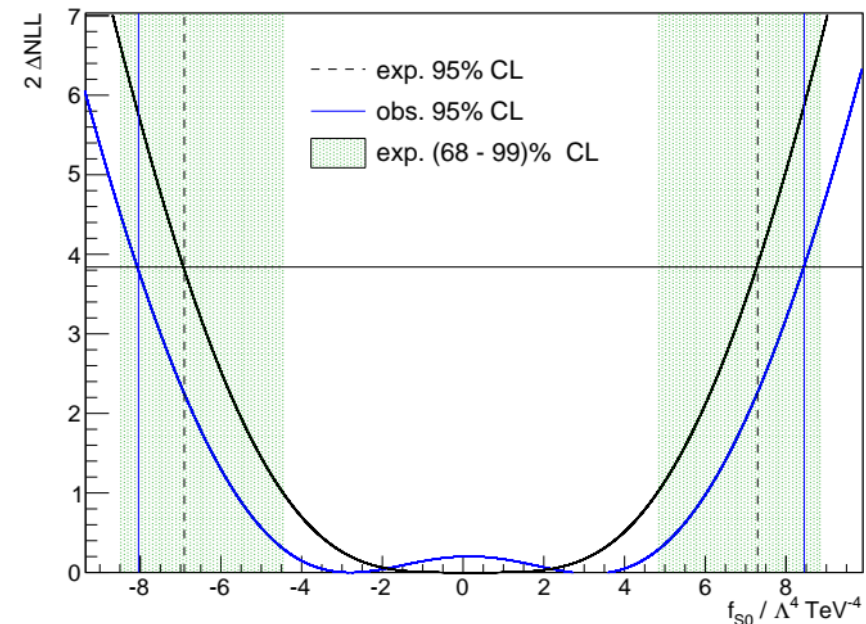
# Limit setting

- Binned shape analysis  $\leftrightarrow$  #bins \* simple counting experiment
- Likelihood:  
(modulo interpolations)

$$L(\vec{\theta} | \vec{n}) = \prod_b \text{Poisson}(n_b | S_b(\vec{\theta}, \vec{f}) + \sum_j B_{b,j}(\vec{\theta})) \cdot \rho(\vec{\theta} | \hat{\vec{\theta}})$$

- with bins  $b$ , background  $j$ , and signal scaling  $f$
- 95% CL limits with Wilk's Theorem

- Combination:
  - Multiplicative extension of  $L$
  - Consider **Correlations!**
  - Avoid **double counting!**



# About Reweighting

- Maximal use of MC samples
- LO Matrix element reweighting in MadGraph:

$$W_{\text{new}} = \frac{|M_{\text{new}}|^2}{|M_{\text{old}}|^2} W_{\text{orig}}$$

$$W_{\text{orig}} = f_1(x_1, \mu_F) \cdot f_2(x_2, \mu_F) \cdot |M_{\text{orig}}|^2 \cdot \Omega_{\text{PS}}$$

- Need non-negligible contributions in same parts of the phase-space  $\Omega_{\text{PS}}$
- Focus on relevant parts of PS
- Exploitation of resources vs. accuracy
- Need to be checked explicitly

# Outline

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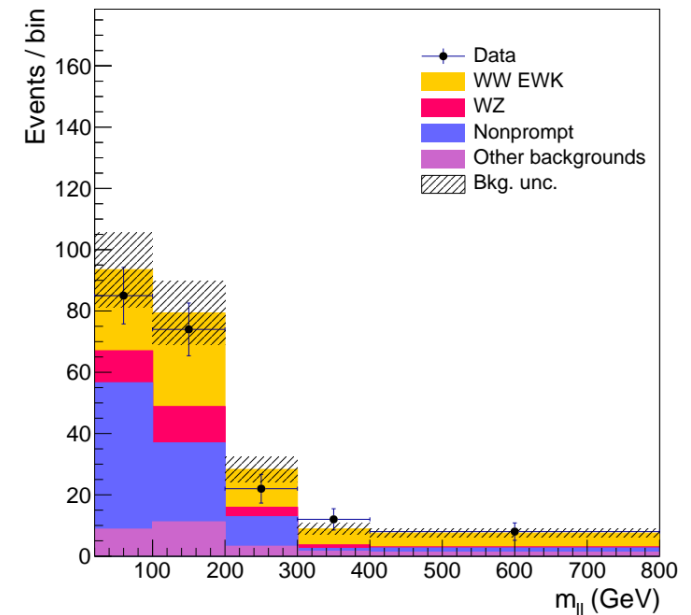
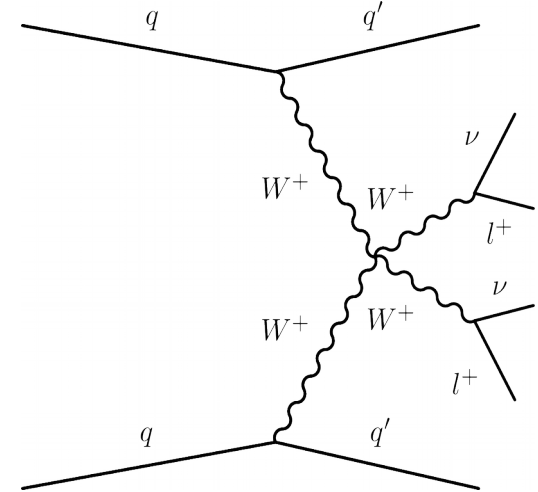
5. Summary & Outlook

# CMS ssWW: available Information

On [HEPdata](#):

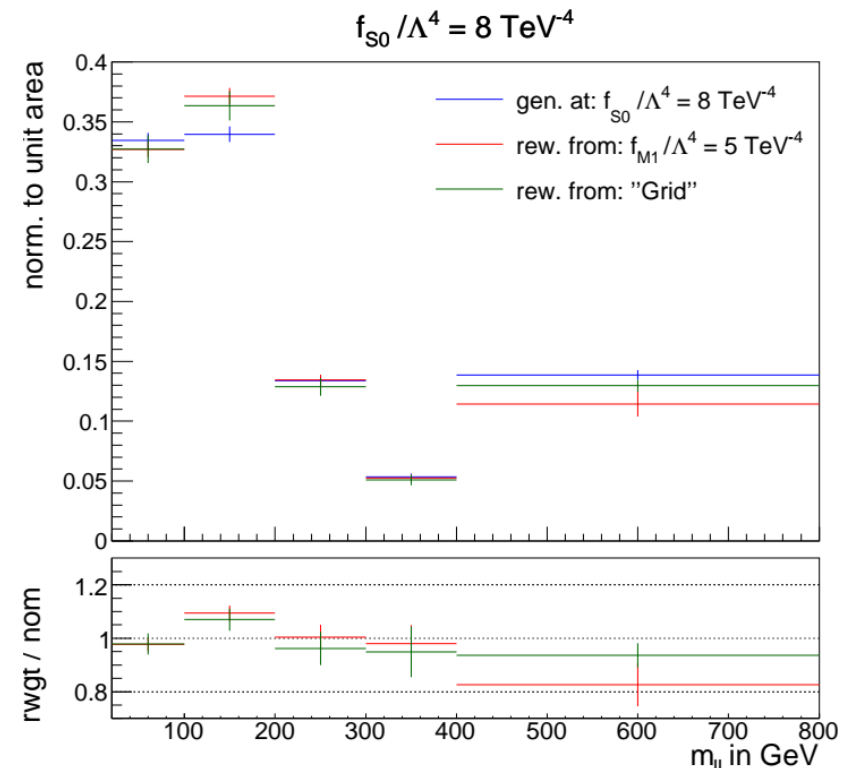
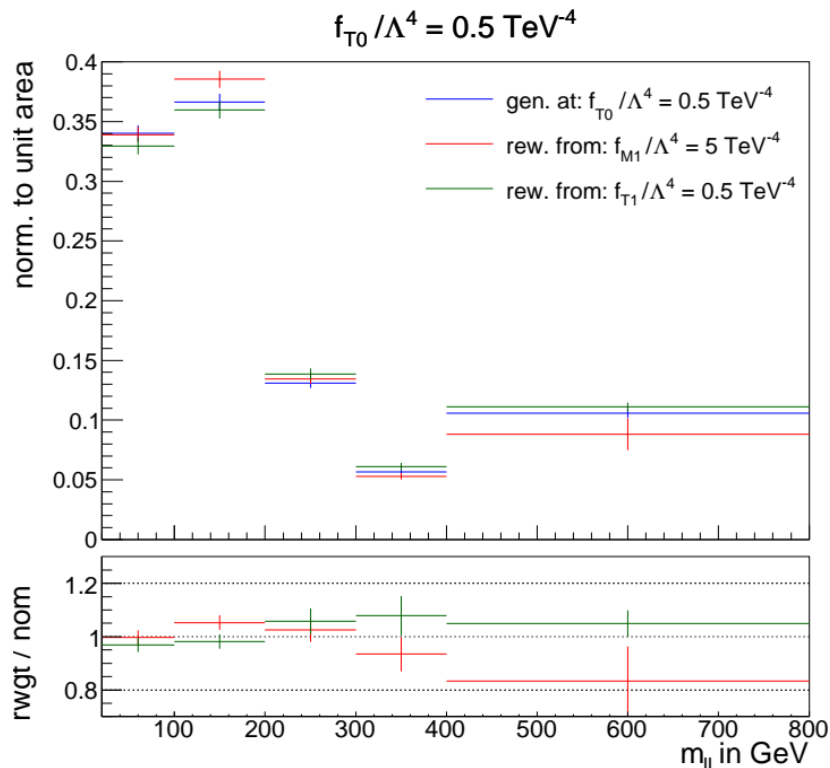
- Data, Signal & Background contributions
- Combined Uncertainties per bin
- Main uncertainties
- Gen-Reco efficiencies per bin
- Values are post-fit!

Source	Value (%)
Luminosity	2.5
Muon selection	2.0
Electron selection	2.0
Jet energy scale (JES)	3.0
PDF uncertainty	4.0
QCD scales	10.0



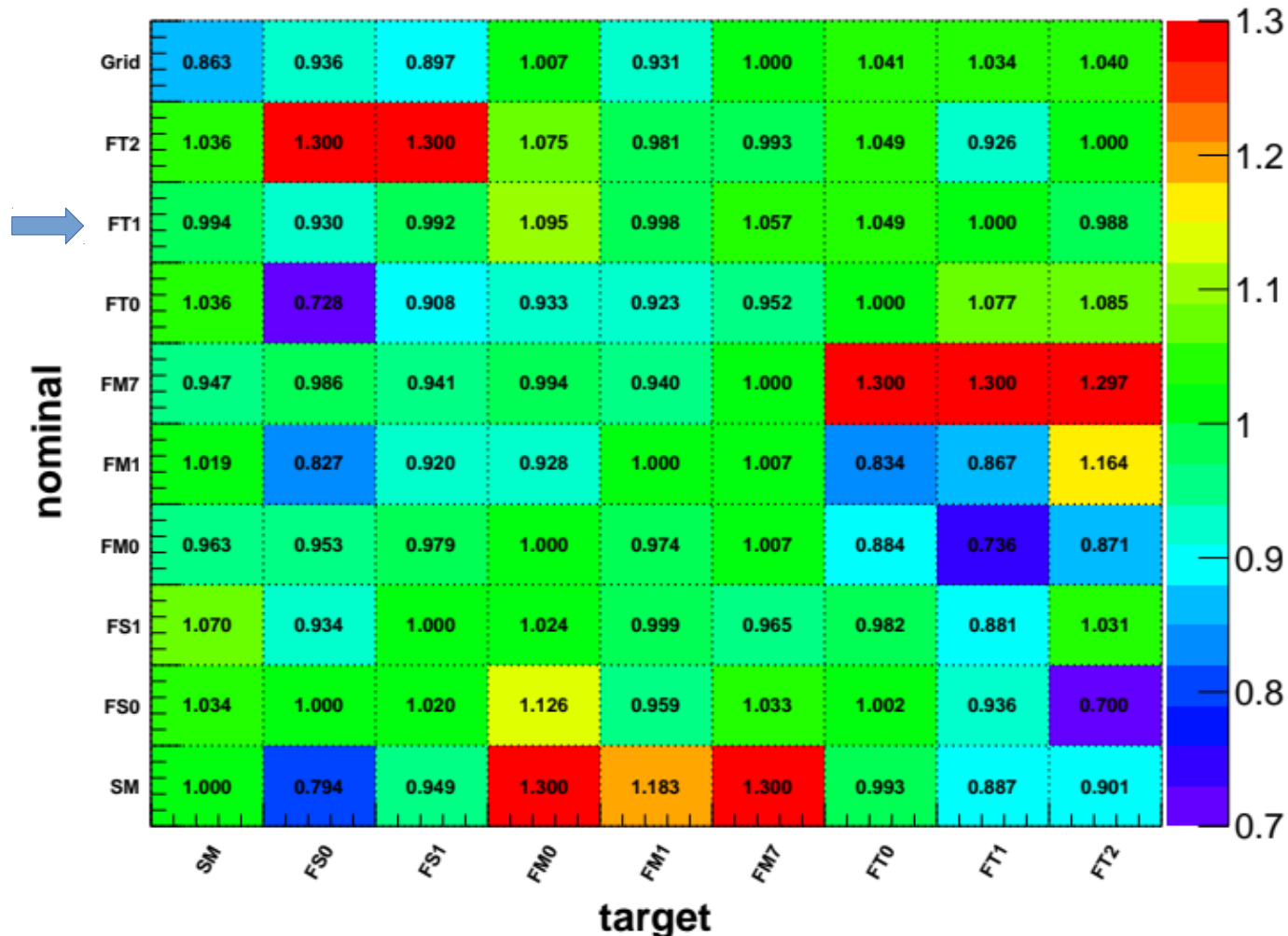
# CMS ssWW: Reweighting (I)

- Explicitly check the reweighting procedure
- Reweighting to the same parameter works well
- Last bin is most important (as seen later)



# CMS ssWW: Reweighting (II)

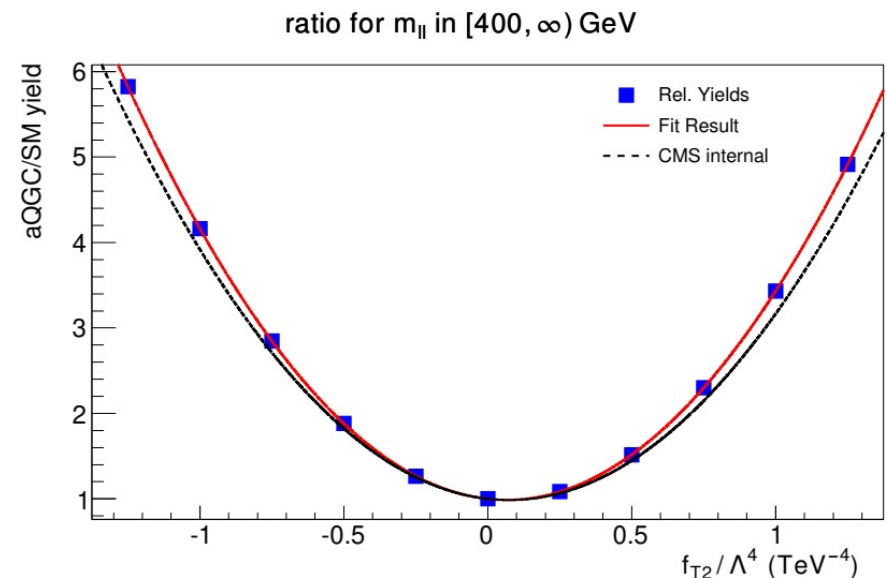
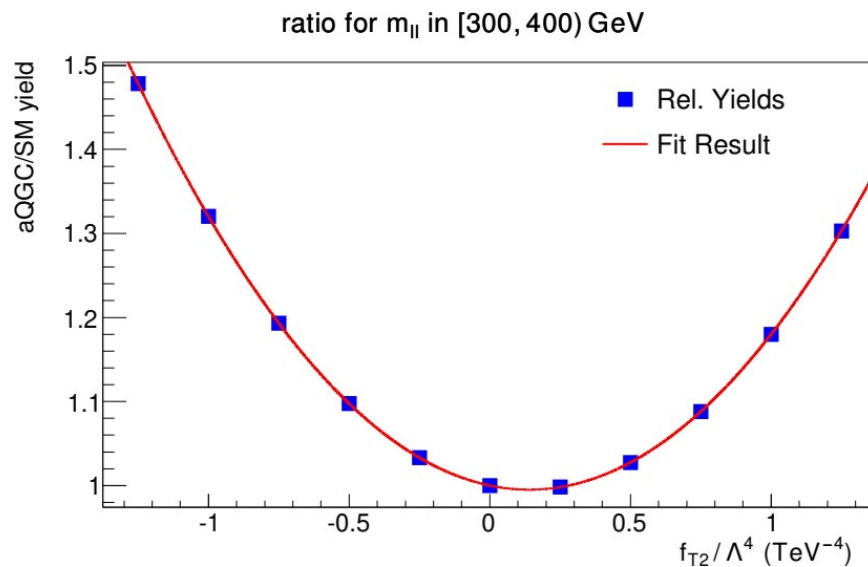
- Ratios in the last bin: nominal / target





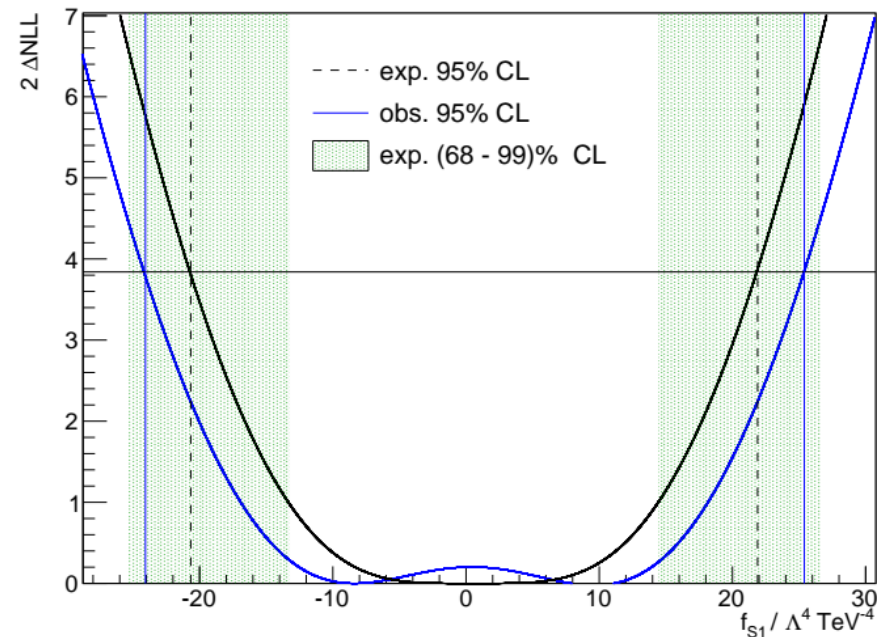
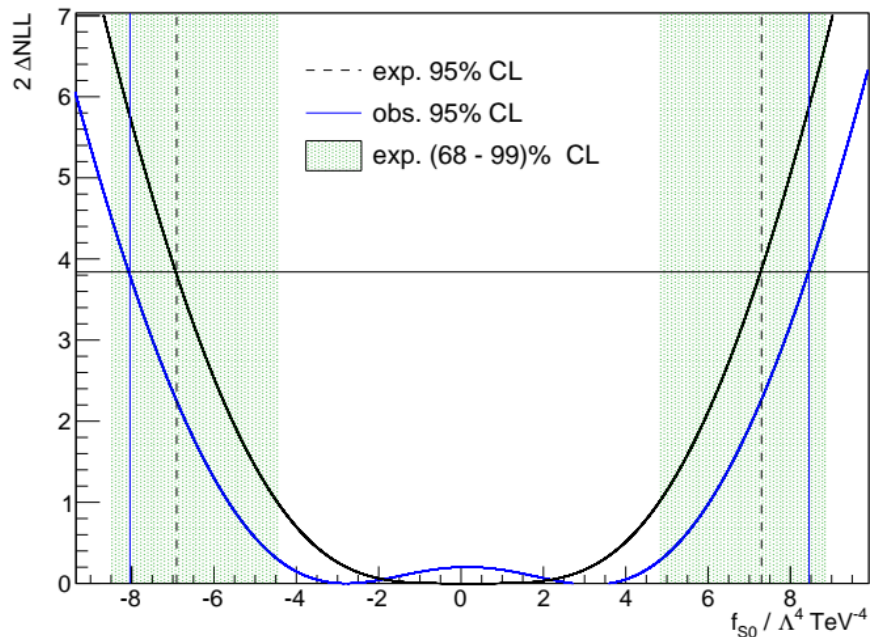
# CMS ssWW: Signal Scaling

- Relative yields described by a parabola
- Greatest effect in high energy region, i.e., last bin
- Closure test: signal scaling used in published analysis (not public)
- SM expectation is multiplied by these functions



# CMS ssWW: Reconstructed Limits

- Wilk's Theorem used to derive 95% CL limits
- In the obs. case: minima not at 0
  - Data > Signal + Background in bin 4



# CMS ssWW: Reconstructed Limits (obs)

- CMS internal scaling gives good results
  - Statistical Framework and uncertainty treatment verified
- Own generated scaling deviates ~5%
  - Detector effects are not negligible

Coupling	Official results (TeV <sup>-4</sup> )	CMS internal scaling (TeV <sup>-4</sup> )	This study (TeV <sup>-4</sup> )
$f_{S0}/\Lambda^4$	[-7.7, 7.7]	[-7.72, 7.77]	[-8.04, 8.45]
$f_{S1}/\Lambda^4$	[-21.6, 21.8]	[-21.8, 21.9]	[-24.1, 25.3]
$f_{M0}/\Lambda^4$	[-6.0, 5.9]	[-5.98, 5.94]	[-5.88, 5.80]
$f_{M1}/\Lambda^4$	[-8.7, 9.1]	[-8.79, 9.19]	[-8.43, 8.94]
$f_{M7}/\Lambda^4$	[-13.3, 12.9]	[-13.4, 13.0]	[-13.16, 12.53]
$f_{T0}/\Lambda^4$	[-0.62, 0.65]	[-0.627, 0.655]	[-0.586, 0.604]
$f_{T1}/\Lambda^4$	[-0.28, 0.31]	[-0.285, 0.308]	[-0.273, 0.293]
$f_{T2}/\Lambda^4$	[-0.89, 1.02]	[-0.894, 1.03]	[-0.873, 0.992]

~ .5%



~ 5%



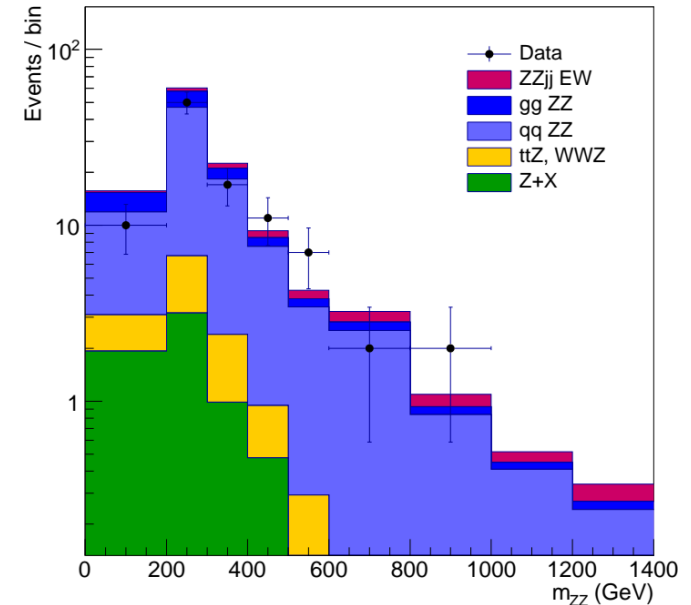
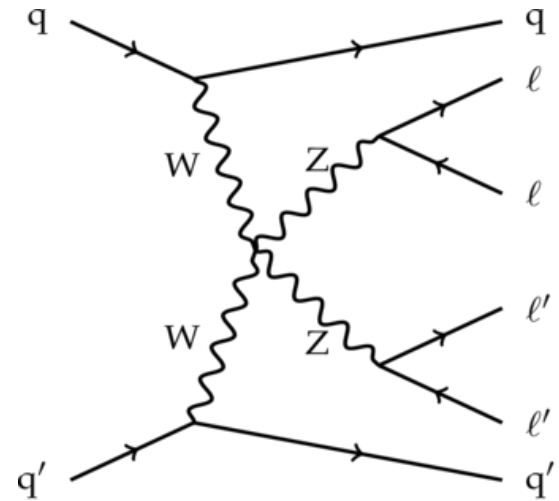
# CMS ZZ: available Information

On [HEPdata](#):

- Data, Signal & Background contributions
- Uncertainties per bin & source
- Gen-Reco efficiencies are flat
- Values are pre-fit!

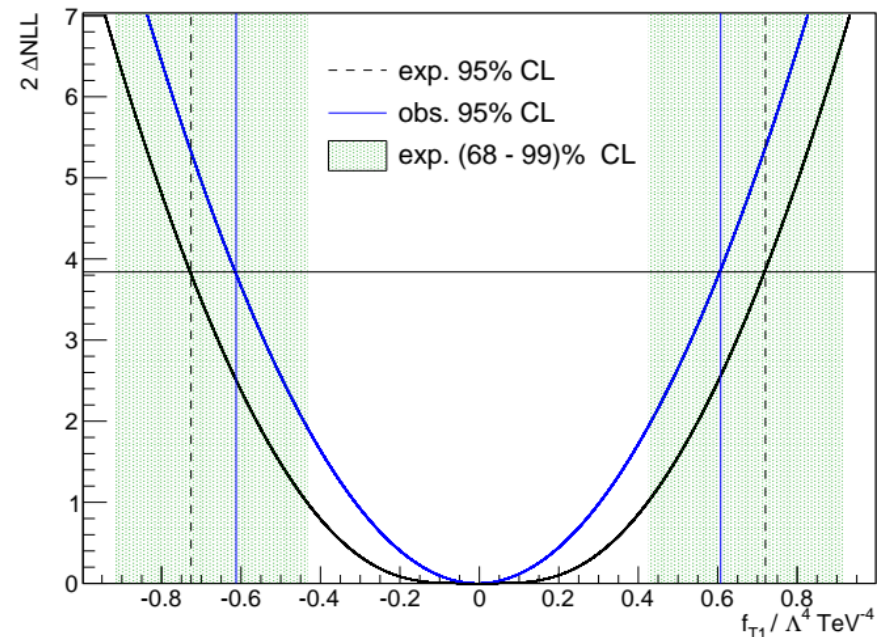
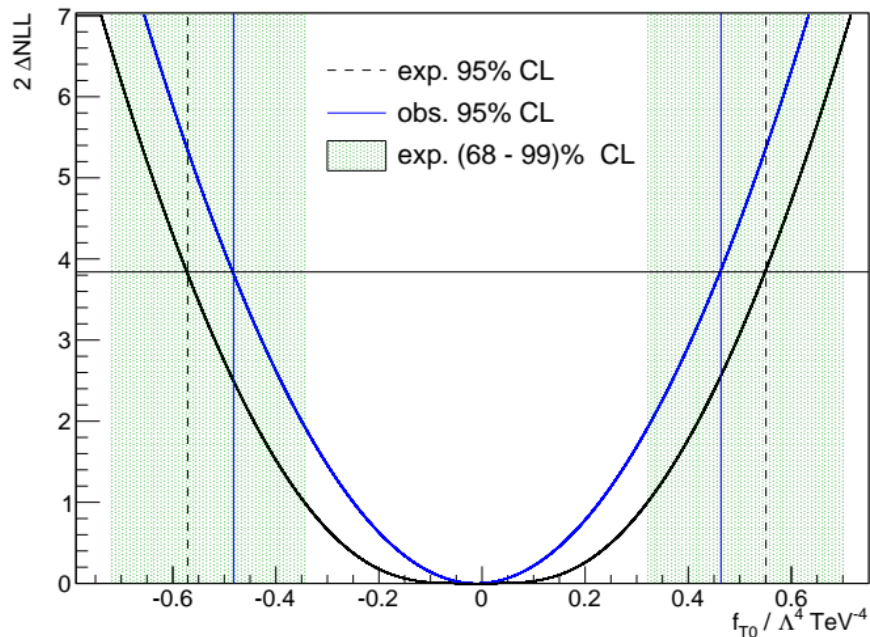
Differences to CMS ssWW:

- post-fit vs. pre-fit
- MC generation uses MadSpin
- No neutrinos in final state (MET cut)
- Different background contributions
- Other than that, the procedure is the same



# CMS ZZ: Reconstructed Limits

- Wilk's Theorem used to derive 95% CL limits
- Observed limits stricter than expected
  - No data in the last two bins



# CMS ZZ: Reconstructed Limits (obs)

- Good results in both cases
- Greatest discrepancies in  $f_{T0}$  ( $\sim 4\%$ )
  - too few events as seen when looking at the reweighting

Coupling	Official results ( $\text{TeV}^{-4}$ )	CMS internal scaling ( $\text{TeV}^{-4}$ )	This study ( $\text{TeV}^{-4}$ )
$f_{S0}/\Lambda^4$	-	-	[-34.7, 34.6]
$f_{S1}/\Lambda^4$	-	-	[-23.58, 23.4]
$f_{M0}/\Lambda^4$	-	-	[-1.99, 1.99]
$f_{M1}/\Lambda^4$	-	-	[-7.42, 7.44]
$f_{M7}/\Lambda^4$	-	-	[-14.5, 14.5]
$f_{T0}/\Lambda^4$	[-0.46, 0.44]	[-0.46, 0.44]	[-0.48, 0.46]
$f_{T1}/\Lambda^4$	[-0.61, 0.61]	[-0.61, 0.61]	[-0.61, 0.61]
$f_{T2}/\Lambda^4$	[-1.2, 1.2]	[-1.22, 1.18]	[-1.22, 1.18]
$f_{T8}/\Lambda^4$	[-0.84, 0.84]	[-0.85, 0.85]	[-0.85, 0.85]
$f_{T9}/\Lambda^4$	[-1.8, 1.8]	[-1.81, 1.81]	[-1.83, 1.83]

# Outline

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5. Summary & Outlook

# Towards a combination

- CMS ssWW and ZZ: **orthogonal set of events**
- ssWW not affected by FT8, FT9
- Although analyses are not exactly reconstructed, combination could be fruitful.
- Multiplication of Likelihoods with correlations
- Only “main uncertainties” in ssWW channel
- Luminosity uncertainty is correlated
- Theory uncertainties are correlated

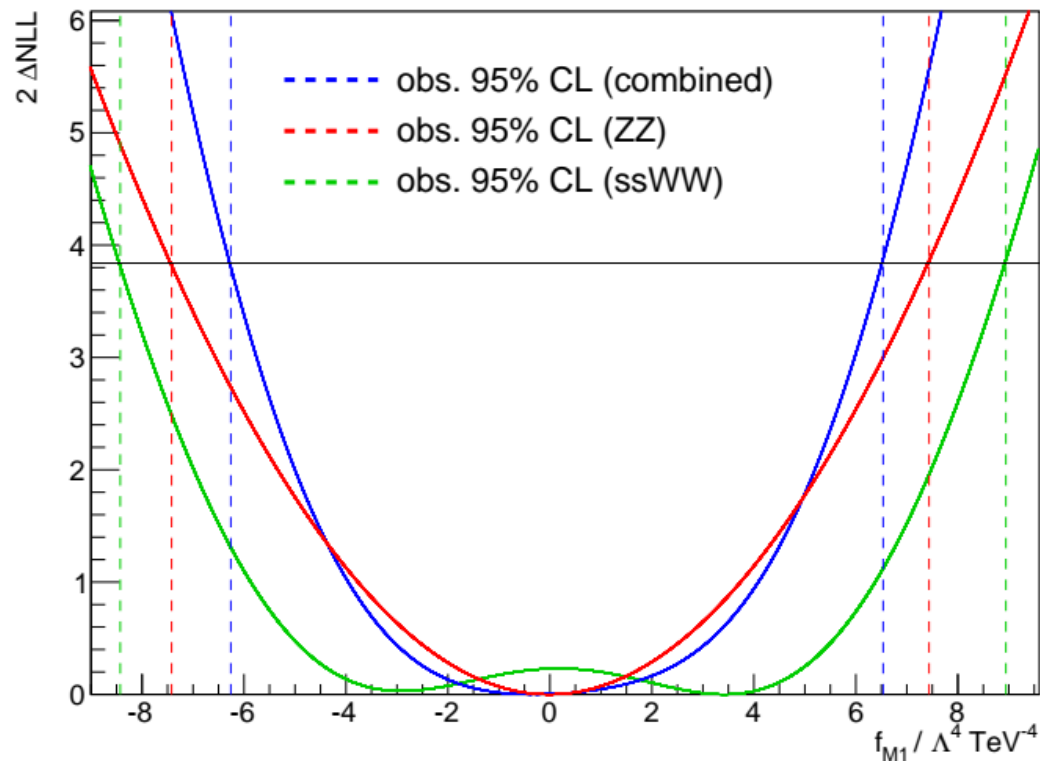


# Systematic Uncertainties

Source	ssWW channel (%)									ZZ channel (%)					
	EWK	QCD	WZ	ZZ	VVV	Wrong Sign	$W\gamma$	DPS	Nonprompt	EWK	QCD	QCD (loop)	WWZ	$t\bar{t}Z$	reducible
Luminosity	2.5	2.5	-	2.5	2.5	2.5	2.5	2.5	-	2.5	2.5	2.5	2.5	2.5	-
JES	3.0	3.0	-	3.0	3.0	3.0	3.0	3.0	-	1.2 – 1.5	6.9 – 14.5	3.7 – 9.4	-	0.0 – 3.7	-
PDF	4.0	4.0	-	4.0	4.0	4.0	4.0	4.0	-	6.8 – 13.0	3.2 – 8.2	-	2.6 – 8.6	2.3 – 11.1	-
$\ell$ -selection	2.8	2.8	-	2.8	2.8	2.8	2.8	2.8	-	2.7 – 5.9	2.5 – 5.2	2.8 – 4.3	-	3.3 – 11.1	-
QCD scale_ZZ	-	-	-	10	-	-	-	-	-	5.5 – 14.7	-	-	-	-	-
QCD scale_VVV	-	-	-	-	10	-	-	-	-	-	-	-	9.7 – 10.3	-	-
other (WW EWK)	20 – 83	-	-	-	-	-	-	-	-	-	-	-	-	-	-
other (WW QCD)	-	25 – 29	-	-	-	-	-	-	-	-	-	-	-	-	-
other (WZ)	-	-	22 – 84	-	-	-	-	-	-	-	-	-	-	-	-
other (ZZ)	-	-	-	26 – 28	-	-	-	-	-	-	-	-	-	-	-
other (VVV)	-	-	-	-	13 – 27	-	-	-	-	-	-	-	-	-	-
other (Wrong Sign)	-	-	-	-	-	27 – 49	-	-	-	-	-	-	-	-	-
other ( $W\gamma$ )	-	-	-	-	-	-	27 – 124	-	-	-	-	-	-	-	-
other (DPS)	-	-	-	-	-	-	-	14 – 47	-	-	-	-	-	-	-
other (Non-prompt)	-	-	-	-	-	-	-	-	20 – 80	-	-	-	-	-	-
Trigger	-	-	-	-	-	-	-	-	-	2.0	2.0	2.0	2.0	2.0	-
JER	-	-	-	-	-	-	-	-	-	0.2 – 0.6	0.0 – 5.3	0.0 – 2.9	-	0.0 – 2.0	-
Pileup	-	-	-	-	-	-	-	-	-	1.1 – 1.9	0.2 – 2.2	0.0 – 1.1	8.4 – 8.6	0.0 – 4.5	-
QCD scale QCD ZZ	-	-	-	-	-	-	-	-	-	-	19.8 – 21.6	-	-	-	-
QCD scale $t\bar{t}Z$	-	-	-	-	-	-	-	-	-	-	-	-	-	0.0 – 100.0	-
norm. ggZZ	-	-	-	-	-	-	-	-	-	-	-	40.0	-	-	-
norm. reducible	-	-	-	-	-	-	-	-	-	-	-	-	-	-	40.0

# Comparison of $\Delta\text{NLL}$

- Combined distribution is a mix of single distributions
- There is a (limited) range in which the combined is 'worse'
- In general stricter limits



# Combined Results (obs.)

- In most cases: stricter limits
- Up to 17% better ( $f_{m7}$ )
- Looser limit only in the case of  $f_{m0}$

Coupling	CMS ssWW ( $\text{TeV}^{-4}$ )	CMS ZZ ( $\text{TeV}^{-4}$ )	combined ( $\text{TeV}^{-4}$ )
$f_{S0}/\Lambda^4$	[-8.04, 8.45]	[-34.7, 34.6]	[-7.88, 8.28]
$f_{S1}/\Lambda^4$	[-24.1, 25.3]	[-23.6, 23.4]	[-18.8, 19.5]
$f_{M0}/\Lambda^4$	[-5.88, 5.80]	[-1.99, 1.99]	[-2.05, 2.05]
$f_{M1}/\Lambda^4$	[-8.43, 8.94]	[-7.42, 7.44]	[-6.26, 6.54]
$f_{M7}/\Lambda^4$	[-13.16, 12.53]	[-14.5, 14.5]	[-10.8, 10.4]
$f_{T0}/\Lambda^4$	[-0.586, 0.604]	[-0.48, 0.46]	[-0.421, 0.418]
$f_{T1}/\Lambda^4$	[-0.273, 0.293]	[-0.61, 0.61]	[-0.258, 0.274]
$f_{T2}/\Lambda^4$	[-0.873, 0.992]	[-1.22, 1.18]	[-0.763, 0.837]

combination  
useful



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# Summary

- Combination of limits on aQGC with **public** information
  - HEPData and public paper
- “Combine” tool is public and reproduces results with internal data
- **CMS ssWW:**
  - MG5 + Pythia reproduce the limits within ~10%
  - Detector effects are likely to be an issue
- **CMS ZZ:**
  - Limits reproduced within ~1%
  - Detector effects play a negligible role
- **Combination:**
  - Machinery runs smoothly, assumptions about correlations
  - Combination gives sensible results

# Outlook

- Investigation of detector effects in the ssWW channel
- 2D limits show correlations
- Unitarisation: “clipping method”
- Add further analyses as data becomes public
- ATLAS + CMS combination
- In the future: compare with official combination
- Also: same effort exists with respect to dim-6 operators

# Backup Slides

# CMS ssWW: Reconstructed Limits (exp)

Coupling	Official results (TeV <sup>-4</sup> )	CMS internal scaling (TeV <sup>-4</sup> )	This study (TeV <sup>-4</sup> )
$f_{S0}/\Lambda^4$	[-7.0, 7.2]	[-6.75, 6.84]	[-6.91, 7.30]
$f_{S1}/\Lambda^4$	[-19.9, 20.2]	[-19.1, 19.3]	[-20.6, 21.9]
$f_{M0}/\Lambda^4$	[-5.6, 5.5]	[-5.31, 5.24]	[-5.21, 5.11]
$f_{M1}/\Lambda^4$	[-7.9, 8.5]	[-7.59, 8.08]	[-7.34, 7.71]
$f_{M7}/\Lambda^4$	[-11.1, 11.0]	[-11.9, 11.4]	[-11.37, 10.78]
$f_{T0}/\Lambda^4$	[-0.58, 0.61]	[-0.553, 0.582]	[-0.518, 0.530]
$f_{T1}/\Lambda^4$	[-0.26, 0.29]	[-0.249, 0.274]	[-0.234, 0.255]
$f_{T2}/\Lambda^4$	[-0.80, 0.95]	[-0.763, 0.903]	[-0.728, 0.851]



# CMS ZZ: Reconstructed Limits (exp)

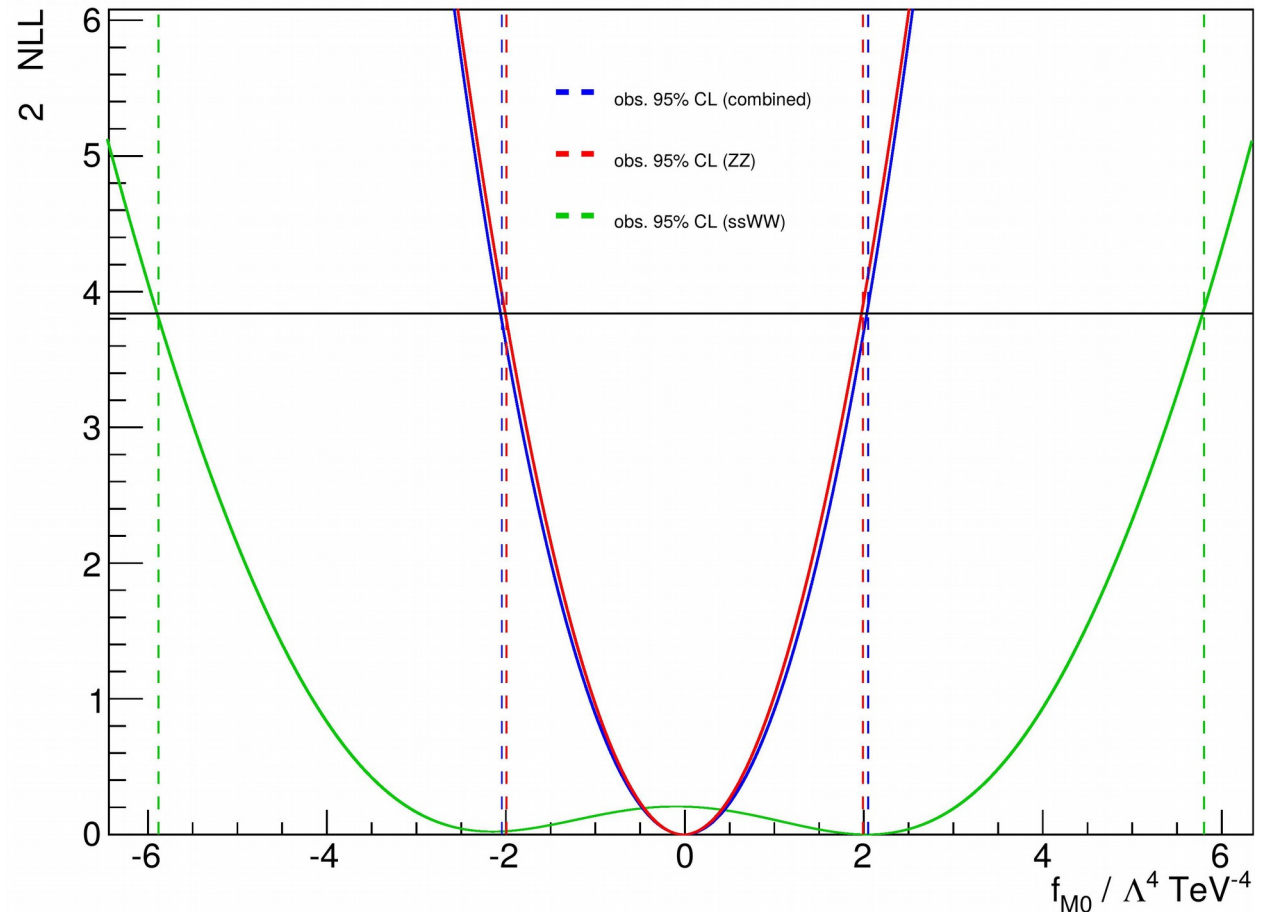
Coupling	Official results (TeV <sup>-4</sup> )	CMS internal scaling (TeV <sup>-4</sup> )	This study (TeV <sup>-4</sup> )
$f_{S0}/\Lambda^4$	-	-	[-41.5, 41.5]
$f_{S1}/\Lambda^4$	-	-	[-27.6, 27.5]
$f_{M0}/\Lambda^4$	-	-	[-2.35, 2.35]
$f_{M1}/\Lambda^4$	-	-	[-8.79, 8.78]
$f_{M7}/\Lambda^4$	-	-	[-17.1, 17.2]
$f_{T0}/\Lambda^4$	[-0.53, 0.51]	[-0.54, 0.52]	[-0.57, 0.55]
$f_{T1}/\Lambda^4$	[-0.72, 0.71]	[-0.72, 0.72]	[-0.72, 0.72]
$f_{T2}/\Lambda^4$	[-1.4, 1.4]	[-1.4, 1.4]	[-1.45, 1.40]
$f_{T8}/\Lambda^4$	[-0.99, 0.99]	[-1.00, 1.00]	[-1.01, 1.01]
$f_{T9}/\Lambda^4$	[-2.1, 2.1]	[-2.15, 2.15]	[-2.17, 2.17]

# Combined Results (exp.)

Coupling	CMS ssWW (TeV <sup>-4</sup> )	CMS ZZ (TeV <sup>-4</sup> )	combined (TeV <sup>-4</sup> )
$f_{S0}/\Lambda^4$	[-6.91, 7.30]	[-41.5, 41.5]	[-6.88, 7.26]
$f_{S1}/\Lambda^4$	[-20.6, 21.9]	[-27.6, 27.5]	[-18, 18.8]
$f_{M0}/\Lambda^4$	[-5.21, 5.11]	[-2.35, 2.35]	[-2.29, 2.28]
$f_{M1}/\Lambda^4$	[-7.34, 7.71]	[-8.79, 8.78]	[-6.08, 6.38]
$f_{M7}/\Lambda^4$	[-11.37, 10.78]	[-17.1, 17.2]	[-10.25, 9.81]
$f_{T0}/\Lambda^4$	[-0.518, 0.530]	[-0.57, 0.55]	[-0.416, 0.419]
$f_{T1}/\Lambda^4$	[-0.234, 0.255]	[-0.72, 0.72]	[-0.23, 0.249]
$f_{T2}/\Lambda^4$	[-0.728, 0.851]	[-1.45, 1.40]	[-0.692, 0.787]

# About FM0 in the Combination

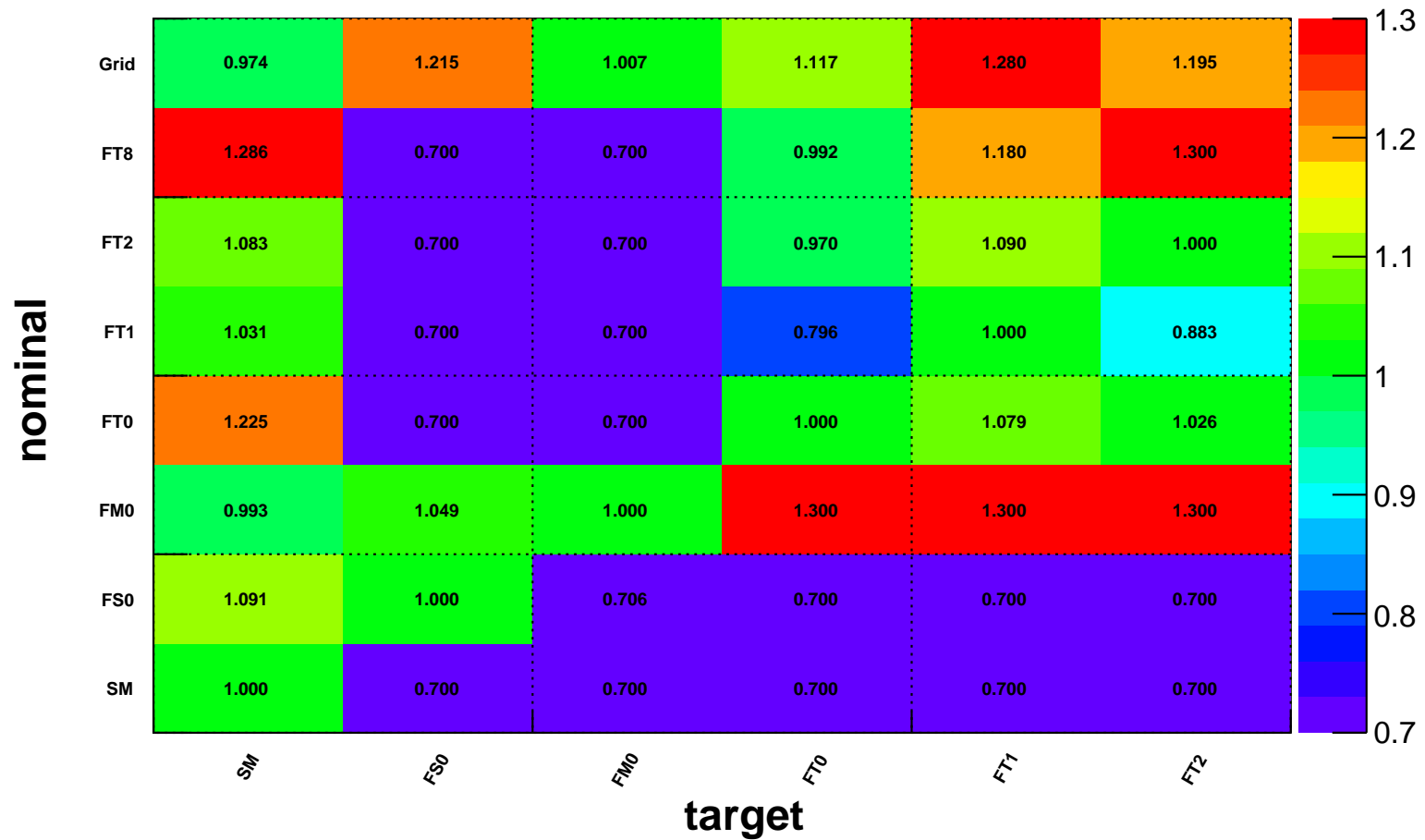
- Combined > ZZ, if  $|f_{M0}| > 2$
- ssWW: non-zero minimum
- caused by stat. fluctuation in ssWW channel



# ssWW: Reweighting – sample names

Sample names	$f_{S0}/\Lambda^4$	$f_{S1}/\Lambda^4$	$f_{M0}/\Lambda^4$	$f_{M1}/\Lambda^4$	$f_{M7}/\Lambda^4$	$f_{T0}/\Lambda^4$	$f_{T1}/\Lambda^4$	$f_{T2}/\Lambda^4$
	in $\text{TeV}^{-4}$							
SM	0	0	0	0	0	0	0	0
FS0	8	0	0	0	0	0	0	0
FS1	0	12	0	0	0	0	0	0
FM0	0	0	5	0	0	0	0	0
FM1	0	0	0	5	0	0	0	0
FM7	0	0	0	0	10	0	0	0
FT0	0	0	0	0	0	0.5	0	0
FT1	0	0	0	0	0	0	0.5	0
FT2	0	0	0	0	0	0	0	1
Grid	10	25	10	10	20	1	0.5	1.5

# ZZ: Reweighting



# ZZ: Reweighting – sample names

Sample names	$f_{S0}/\Lambda^4$	$f_{S1}/\Lambda^4$	$f_{M0}/\Lambda^4$	$f_{M1}/\Lambda^4$	$f_{M7}/\Lambda^4$	$f_{T0}/\Lambda^4$	$f_{T1}/\Lambda^4$	$f_{T2}/\Lambda^4$	$f_{T8}/\Lambda^4$
	in $\text{TeV}^{-4}$								
SM	0	0	0	0	0	0	0	0	0
FS0	8	0	0	0	0	0	0	0	0
FM0	0	0	10	0	0	0	0	0	0
FT0	0	0	0	0	0	0.5	0	0	0
FT1	0	0	0	0	0	0	0.5	0	0
FT2	0	0	0	0	0	0	0	1	0
FT8	0	0	0	0	0	0	0	0	2
Grid	10	25	10	10	20	1	0.5	1.5	0

# ssWW: selection cuts

- Two same-sign leptons, electrons or muons, with  $p_T > 25$  (20) GeV for the lepton with highest (second highest) transverse momentum and  $|\eta| < 2.5$  (2.4) for electrons (muons) are required. The invariant mass of this lepton pair needs to satisfy  $m_{\ell\ell} > 20$  GeV and in the case of two electrons  $|m_{\ell\ell} - m_Z| > 15$  GeV to suppress charge misidentification.
- The event needs to contain at least two jets, which are reconstructed using the anti- $k_T$  algorithm and  $R = 0.4$ , with transverse momentum  $p_T > 30$  GeV and  $|\eta| < 5$ . The two jets with highest transverse momentum need a large invariant mass  $m_{jj} > 500$  GeV and rapidity separation  $\Delta\eta_{jj} > 2.5$ .
- Moderate missing transverse momentum is required to suppress Drell-Yan contributions:  $p_T^{\text{miss}} > 40$  GeV.
- A cut on the Zeppenfeld variable [105] of the leptons is applied:  $z_\ell < 0.75$ , where  $z_\ell = |\eta_\ell - (\eta_{j1} + \eta_{j2})/2| / |\Delta\eta_{jj}|$  for each lepton  $\ell$  and the two jets  $j_1, j_2$  with highest  $p_T$ . This means that the leptons are in the central region relative to the two tagging jets.
- Events with jets originating from b quarks, additional loosely identified leptons with  $p_T > 10$  GeV, or  $\tau$  leptons decaying hadronically and with  $p_T > 18$  GeV are rejected.

# ZZ: selection cuts

- Leptons with rapidity  $|\eta| < 2.5$  (2.4) and transverse momentum  $p_T > 7$  (5) GeV for electrons (muons) are selected. The lepton with highest  $p_T$  needs to fulfill  $p_T < 20$  GeV and the second highest  $p_T < 12$  (10) GeV for electrons (muons). They have to be separated from each other with  $\Delta R_{\ell_1, \ell_2} > 0.02$  and  $\Delta R_{e, \mu} > 0.05$ .
- Pairs of oppositely charged electrons or muons form candidates for a Z boson. At least two of such candidates per event are required.
- A pair of Z boson candidates forms a ZZ candidate. The Z boson candidate with a mass closer to the real Z boson mass is called  $Z_1$ , the other one  $Z_2$ . They have to fulfill  $m_{Z_1} > 40$  GeV and  $m_{Z_1}, m_{Z_2} < 120$  GeV, as well as  $m_{\ell\ell'} > 4$  GeV for all lepton pairs with opposite charge.
- In case of any ambiguity, the pair with smallest value of  $|m_{Z_1} - m_Z|$  and then with highest sum of transverse momenta  $\sum p_{T, \ell}$  is chosen.
- The last requirement on the leptons is that both Z boson candidates fulfill  $60 \text{ GeV} < m_{Z_1}, m_{Z_2} < 120 \text{ GeV}$ .
- Jets reconstructed with the anti- $k_T$  algorithm and  $R = 0.4$  and within  $|\eta_j| < 4.7$  need a minimum transverse momentum  $p_T > 30$  GeV and are separated from leptons contributing to the ZZ system  $\Delta R_{j\ell} \geq 0.4$ . There have to be at least two such jets with  $m_{jj} > 100$  GeV for the two jets leading in  $p_T$ .



# MadGraph cards for ZZ production

## Proc\_card

```

set low_mem_multicore_nlo_generation False
set loop_color_flows False
set gauge unitary
set max_npoint_for_channel 0
set group_subprocesses Auto
set ignore_six_quark_processes False
set loop_optimized_output True
set complex_mass_scheme False
import model SM_LS_LM_LT_UFO
define l+ = e+ mu+
define l- = e- mu-
define vl = ve vm vt
define vl~ = ve~ vm~ vt~
define p = g u c d s u~ c~ d~ s~
define j = p
generate p p > z z j j QED=5 QCD=0 NP=1
output ZZ_gp_aqgc -nojpg

```

## MadSpin\_card

```

set seed 144831447
set ms_dir ./madspingrid
set Nevents_for_max_weigth 250
set max_weight_ps_point 400
set max_running_process 1
define l+ = e+ mu+
define l- = e- mu-
decay z > l+ l-
decay z > l+ l-
launch

```

# HEPData: Uncertainties

ZZ

```
dependent_variables:
- header: {name: Number of entries per bin}
  qualifiers:
  - {name: Process, value: EW P P --> Z0 Z0 JET JET}
  values:
  - errors:
    - {label: 'Trigger (exp.)', symerror: 0.007 }
    - {label: 'Lepton efficiency (exp.)', asymerror: {minus: -0.010, plus: +0.010} }
    - {label: 'JES (exp.)', asymerror: {minus: -0.005, plus: +0.004} }
    - {label: 'JER (exp.)', asymerror: {minus: -0.001, plus: +0.001} }
    - {label: 'PU (exp.)', asymerror: {minus: -0.004, plus: +0.004} }
    - {label: 'QCD scales (theo.)', asymerror: {minus: -0.019, plus: +0.020} }
    - {label: 'PDF (theo.)', asymerror: {minus: -0.025, plus: +0.027} }
    - {label: 'Luminosity (exp.)', symerror: 0.009 }
  value: 0.367
```

+ other bins & contributions

ssWW

```
#: keyword reactions: P P --> W+W+/W-W-
#: keyword observables: Standard Model analysis
#: keyword phrases: VBS | WW | Georgi-Machacek Model | HIGGS++ --> W+ W+ | Anomalous couplings
#: keyword cmenergies: 13000.0
'Source', 'Value (%)'
'Integrated luminosity', 2.5
'Muon selection', 2.0
'Electron selection', 2.0
'Jet energy scale', 3.0
'PDFs', 4.0
'QCD scales', 10.0
```

+ shape uncertainties per bin & contribution

## 2D Limits

- 3 5x5 grids:

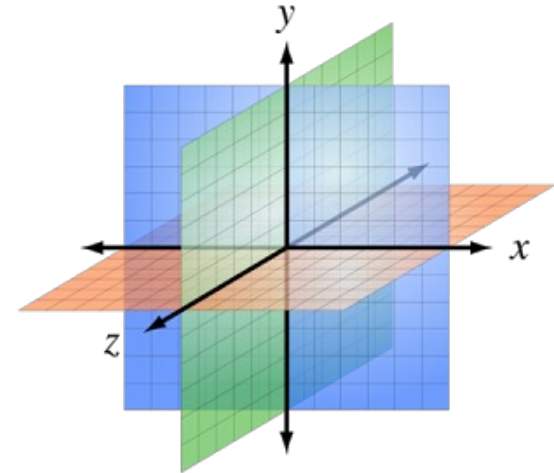
$$25 + (25-5) + (25-5-4) = 61 \text{ weights}$$

- 2D Fit for each bin in discr. variable:

weight on e.g.  $f_{s0} - f_{s1}$  – plane

- Fitfunction:

$$[0] + [1]*x + [2]*y + [3]*x*x + [4]*y*y + [5]*x*y$$



- Implementation in stat. Framework straightforward
- [ATGCRooStats](#) based on Higgs “combine” tool based on RooFit/RooStats