DATA: to bin or to keep?

Current situation:

Huge amount of digital data (big data!)

(social network, etc.)

Huge amount of features

Distributed nature

BUT Powerful computers

Answer: we keep!

- Aims: understand / extract information from data to knowledge
 - 1) Prediction
 - 2) Decision
 - 3) Action

MINING

Data coming from diverse domains

Insurance
Marketing, big stores
Medicine, Banking
Social, etc.

Analysis for

- Traffic distribution w.r.t. times
- Bank scores : client faithfulness, classes (bad customers)
- Recommandation systems (Amazon)
- Customer behavior prediction
- Network intrusion detection
- Website design,etc.

Supermarket example

- Every day, huge Excel table M (boolean matrix)
 - m columns (1 per item to sell)
 - n lines (1 per customer)
 - Init value: 0 (null matrix)
 - Final value:

 $M_{ij} = 1$ iff customer i buys item j

- M nxm boolean matrix 364/year
- Size estimation:

104 (items) x 8 (hours)x103(customers)
More or less 108B data/day/store

What is Data Mining?

- Variables: examples...
- Data= variable value or set of variable values
- Record/vector: examples...
- Tables: examples...
- Variables types:
 - Discrete: finite number of values
 - Continuous: infinite number of values
 - Numeric: in IR or IN or Z
 - Symbolic: color, ...
- How do we get data? Sensors, computers, human record, etc...

Data mining: extract knowledge from data;-)
From explicit to implicit knowledge!

How Data Mining?

- Historically:
 - Probability/statistics
 - Then IT techniques
- Proba/stat:
 - Diagrams
 - Measure of Central tendency (mean, median, mode)
 - Measure of dispersion (range, quartile, standard deviation)
 - Variance, covariance, correlation, etc.
 - Derived methods (PCA,etc.)
- IT:
- Algorithms (neural networks, algogene.,DT,etc.)
- Logic (ILP)

Marketing example (review)

- If we can extract the following "property": if c buys bread and butter then she/he buys marmelade
- We can do a lot ;-) (explain)
- Such a rule: association rule
- Automatic extraction ;-)
- Very general and powerful concept...

More formally

- A set of items I a set of transactions T
- A subset of items X: itemset
- A transaction Id is associated to a list of items
 X (an itemset) (Excel table)

means

Every transaction including X includes Y

- Some obvious properties
- Need some flexibility "a large part of"...

Relevance of a rule

- Notion of support of an itemset X: Pourcentage de gus qui font X supp(X) = frequency of transactions including X
- Can be considered as a probability P(X)
- Support of a rule X -->Y

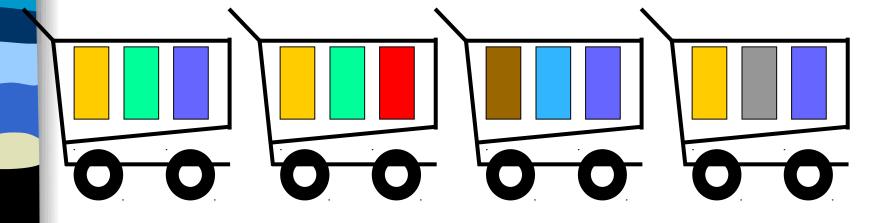
supp(X U Y)

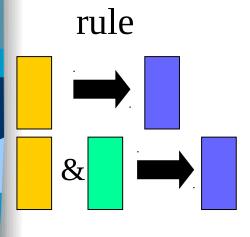
- Need a threshold (explain)
- if supp(X)>threshold: frequent itemset FIS (or r-FIS)
 Seuil pour le support
 Confidence of a rule X -->Y

supp(X U Y)/supp(X)

- Can be considered as conditional probability P(Y/X)
- Obviously threshold still needed

Example 1





Support

2/4

1/4

Confidence

2/3

1/2

LIFT

$$P(X/Y) = \frac{supp(XUY)}{supp(X)}$$

$$\lim_{X \to X} \frac{P(Y/X)}{P(Y)} = \frac{\sup_{X \to X} P(XUY)}{\sup_{X \to X} P(X)}$$

$$X \rightarrow Y$$

 $Y \rightarrow Z$ Pas $X \rightarrow Z$

$$X -> Y$$
 $- s = 0.4$
 $- c = 0.85$
 $- l = 5$

On ne peut pas déduire :

$$Y \rightarrow Z$$
 $X \rightarrow Z$
 $-s' = 0.3$ $-s''$
 $-c' = 0.72$ $-c''$
 $-||'| = 10$

Computation

- every subset of a r-FIS is a r-FIS!
- every r-FIS of size k is made up with k r-FIS of size k-1! (useless)
- every r-FIS of size k is union of 2 r-FIS of size k-1 differing from 1 element (usefull)

algorithm

- Start from r-FIS(1) (support threshold r given)
- Build up r-FIS(2) with 2 elements of r-FIS(1) differing from 1 element
- etc.
- Build up r-FIS(k) with 2 elements of r-FIS(k-1) differing from 1 element

FIS generation (1994)

```
L1 = {frequent 1-ensemble};
for (k = 2 ; Lk-1 \neq \emptyset ; k++)
   Ck = apriori-gen(Lk-1); // Generate new candidates
for each transactions t \in DB do
{ // Counting
Ct = { subset(Ck, t) }; // get subsets of t candidates
for each c \in Ct do c. count++;
Lk = \{ c \in Ck \mid c.count >= minsup \} ; // Filter candidates
Answer = \{Lk\};
```

Rules generation

```
// Input: threshold, Lk associated FIS
// Sortie: ruleset
Rules = \emptyset;
for (k = 2 ; Lk-1 \neq \emptyset ; k++) do
 For each subset S \neq \emptyset of Lk do
{ Conf (S \rightarrow Lk-S) = Sup(I)/Sup(S)
  If Conf >= threshold then
 rule = "S \rightarrow (Lk-S)";
 Rules = Rules \cup {r};
Answer = Rules ;
```

Complexity and more...

- Very high.. optimization needed;-)
- Other relevant parameters

lift of a rule X --> Y

informally: what is the ratio of confidence I get by observing X instead of observing nothing

formally:

supp(X U Y)/supp(X) *supp(Y)

- Can be interpreted as P(Y/X)/P(Y).. has to be > 1;-)
- 1-P(Y): prob not to buy Y (knowing nothing)
- 1-P(Y/X): prob not to buy Y knowing X
- conviction = ratio of these 2 numbers

Lessons learned

- ML method: computationally expensive
- Find mathematical properties to
 - guide the search
 - optimize complexity
- Assoc. rules --> monotony of r-FIS
- Decision trees --> information gain
- ILP --> info. gain + accept uncompleteness
- Bayesian network --> independance assumption
- Genetic algorithm: fitness function

Conclusion

- AR: Very simple and powerful concept
- Every serious database gets the option to compute association rules (Oracle, etc.)
- High complexity --> a lot of optimization works (even recently)
- The most well known algo:
 - Agrawal et al. 1994
- F. Borgelt (apriori.exe implementation)
- More powerful concept needed!