

Modified MCTS for Elevator Transportation

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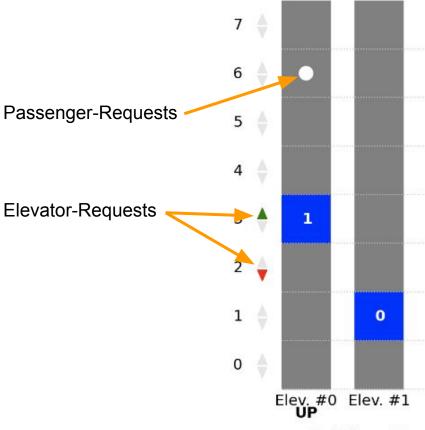
Elevator Transportation

3 Actions per Elevator:

- Up
- Down
- Open

Goal: Minimize Passenger Waiting Time

State not fully observable!



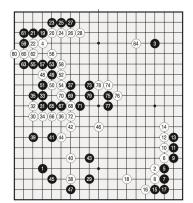
Total Time: 28



Why Elevator Transportation?

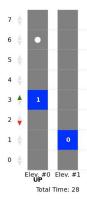
Modified AlphaZero Algorithm for new class of problems

Go



rewards at the end of the episode/game

Elevator Transportation (Representative)

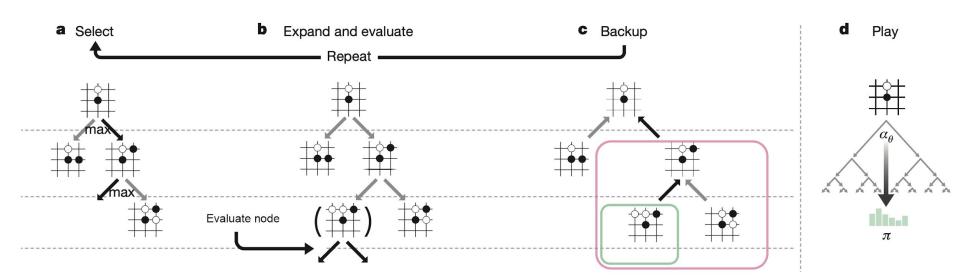


Passenger waiting-times

→ observed rewards in every step



Monte-Carlo-Tree-Search (AlphaZero [1])

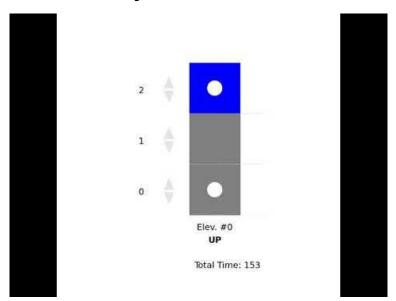


Our Modification: Use observed rewards at each step



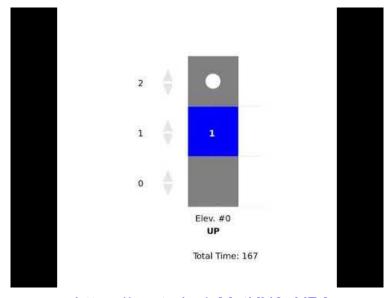
First results

Random Policy



https://youtu.be/QkYXH6Dtejo

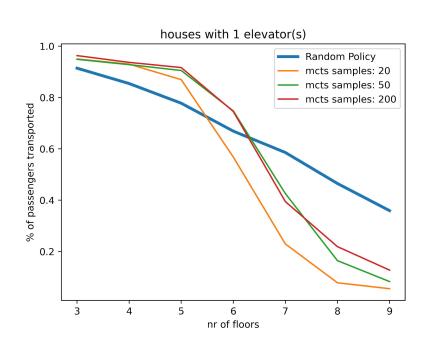
Modified-MCTS

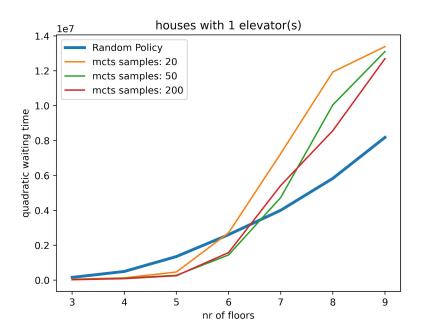


https://youtu.be/gMstKN3pXR8



First results







Progress

Done so far

- Environment + Passenger-Generator
- MCTS
- Random Policy
- Simple Model / Training Setup

Next Steps

- Train Neural Network to guide MCTS (similar to AlphaZero)
- Compare to heuristic elevator baselines
- Ranked reward = $\begin{cases} +1 & \text{if result is better than 75\% of previous} \\ -1 & \text{else} \end{cases}$



Thank you!

A&Q





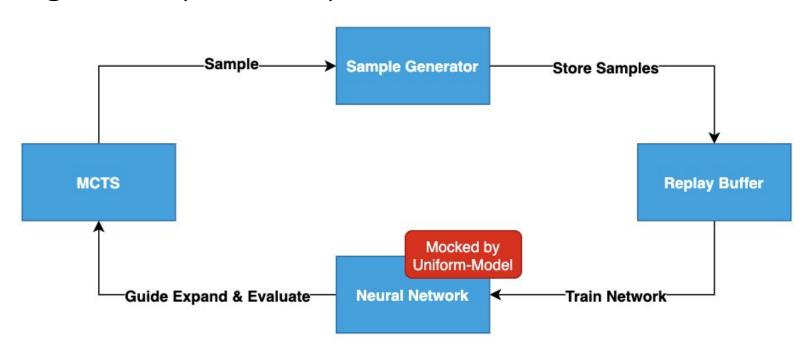
References

[1] D. Silver, T. Hubert, J. Schrittwieser, I. Antonoglou, M. Lai, A. Guez, M. Lanctot, L. Sifre, D. Kumaran, T. Graepel, et al. "A general reinforcement learning algorithm that masters chess, shogi, and Go through self-play". In: Science 362.6419 (2018), pp. 1140–1144

[2] A. Laterre, Y. Fu, M. K. Jabri, A.-S. Cohen, D. Kas, K. Hajjar, T. S. Dahl, A. Kerkeni, and K. Beguir. "Ranked reward: Enabling self-play reinforcement learning for combinatorial optimization". In: arXiv preprint arXiv:1807.01672 (2018)

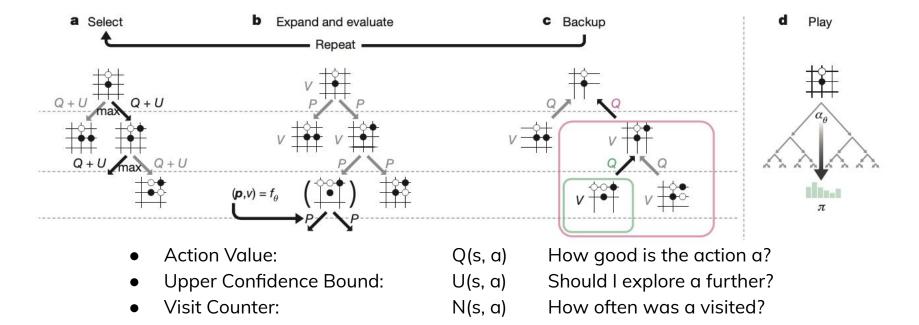


Algorithm (Overview)





MCTS (AlphaZero)





MCTS (AlphaZero) + Our Modification

$$a = \arg \max_a Q(s, a) + U(s, a)$$

$$Q(s,a) = \frac{1}{N(s,a)} \sum_{s'} v(s')$$

$$U(s,a) \propto \frac{p(s,a)}{1+N(s,a)}$$

$$Q_{new}(s,a) = rac{1}{N(s,a)} \sum_{s'} c_{obs} \cdot f_{norm} \left(rac{r(\pi_{s,s'})}{|\pi_{s,s'}|}
ight) + (1-c_{obs}) \cdot v(s')$$
Length of path from s to s'

$$f_{norm}(x) = \tanh\left(\frac{x}{10}\right)$$

- Action Value:
- Upper Confidence Bound:
- Visit Counter:

Q(s, a) How good is the action a?

U(s, a) Should I explore a further?

N(s, a) How often was a visited?