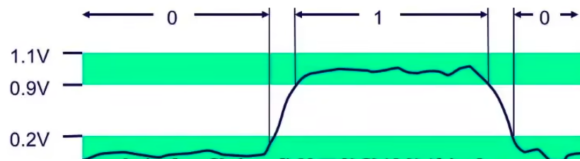


2_0

Chapter 2: Representing and Manipulating Information

- Modern computers store and process information represented as two-valued signals: 0 and 1.



- Each bit is 0 or 1, by using analog signal
- Reliably transmitted on noisy and inaccurate wires
- In isolation, a single bit is not very useful. When we group bits together and apply some **interpretation** that gives meaning to the different possible bit patterns, however, we can represent the elements of any finite set, which is **encoding**.
- 3 most important representations of numbers:
 - Unsigned encoding (无符号编码) - the traditional way and representing numbers greater than or equal to 0.
 - Two's-complement encodings (补码编码) - the most common way to represent signed integers, that is, numbers that may be either positive or negative.
 - Floating-point encodings - a base-2 version of scientific notation for representing real numbers(实数).
 - 实数 - 有理数和无理数的集合。
- Some tips:
 - Overflow - Computer representations use a limited number of bits to encode a number, and hence some operations can **overflow** when the results are too large to be represented.

```
1 llldb: print 200*300*400*500
```

- Integer computer arithmetic satisfies many of the familiar properties of true integer arithmetic: multiplication is associative and commutative.

```
1 llldb:
2 print 200*300*400*500
3 print 200*300*(400*500)
4 print 200*400*300*500
```

- Floating-point arithmetic has altogether different mathematical properties.
 - The product(乘积) of a set of positive numbers will always be positive, although overflow will yield the special value $+\infty$.
 - Floating-point arithmetic is not associative due to the finite precision of the representation.

```
1 llldb:
2 print (3.14+1e20)-1e20
3 print 3.14+(1e20-1e20)
```

- To summarize, integer representations can encode a comparatively **small range of values, but do so precisely**, while floating-point representations can encode a **wide**

range of values, but only approximately.

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