challenge B final

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Task 1B - Predicting house prices in Ames, Iowa

```
install.packages("tidyverse",repos = "http://cran.us.r-project.org")
install.packages("readr",repos = "http://cran.us.r-project.org")
install.packages("randomForest",repos = "http://cran.us.r-project.org")
install.packages("np",repos = "http://cran.us.r-project.org")
install.packages("data.table",repos = "http://cran.us.r-project.org")
library(randomForest)
library(data.table)
library(tidyverse)
library(readr)
library(dplyr)
library(np)
library(readxl)
```

STEP 1) we choose to run a randomForest prediction. Random forests or random decision forests are an ensemble learning method for classification, regression and other tasks, that operate by constructing a multitude of decision trees at training time and outputting the class that is the mode of the classes (classification) or mean prediction (regression) of the individual trees. Random decision forests correct for decision trees' habit of overfitting to their training set. This is better with a lot of observations. Here it's the case so we assume it suits.

```
STEP 2)
```

```
train<- read.csv("train.csv")
Test<- read.csv(file = "test.csv")
na_count<-sapply(Train, function(y) sum(length(which(is.na(y)))))
na_count</pre>
```

We remove the columns where there are a lot of missing variables, and only after that we remove the rows where there are missing variables.

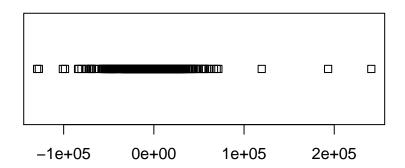
```
Train$PoolQC <- NULL
Train$Fence <- NULL
Train$MiscFeature <- NULL
Train$Alley <- NULL
Train$FireplaceQu <- NULL
Train$LotFrontage <- NULL
Train$LotFrontage <- NULL</pre>
```

Creating our prediction with RandomForest

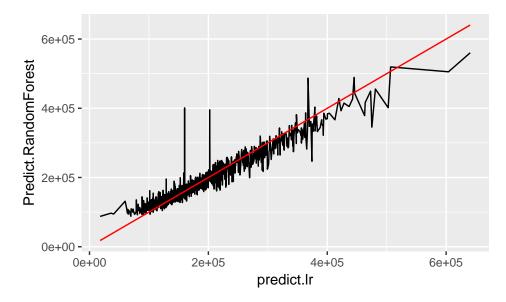
```
Train <-Train%>%mutate_if(is.character,as.factor)
names(Train)<-make.names(names(Train))
set.seed(1)
Train.fit<-randomForest(Train$SalePrice~., data=Train)
Predict.RandomForest<-predict(Train.fit,data=Test)</pre>
```

Step 3) Let's compare with a OLS

```
Train.lm<-lm(data=Train,SalePrice~.)</pre>
predict.lr<-predict(print(Train.lm), data=Test)</pre>
summary(Predict.RandomForest)
##
      Min. 1st Qu. Median
                               Mean 3rd Qu.
                                               Max.
##
     87559 138234 170718 186451 216638 560225
summary(predict.lr)
##
      Min. 1st Qu.
                    Median
                               Mean 3rd Qu.
                                               Max.
##
     17911 133717 169868 186762 220056 640453
diff<-as.data.frame(Predict.RandomForest-predict.lr)</pre>
plot(diff)
```



 $\verb|ggplot()+geom_line(aes(predict.lr,Predict.RandomForest))+geom_line(aes(predict.lr,predict.lr),col="red"|$



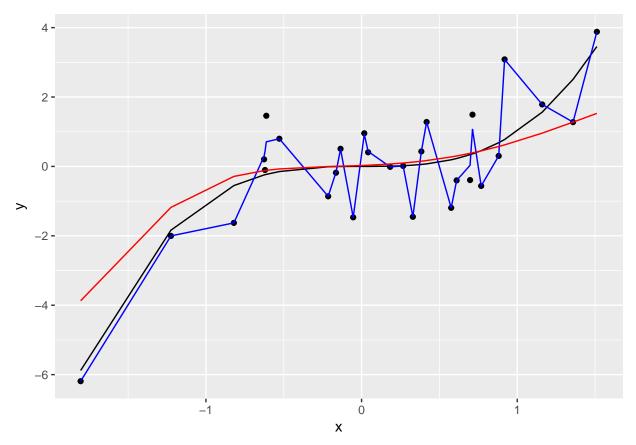
Even if we can think the difference are really big, when we focus and the mean (where the ols is good), both are pretty similar moreover regarding the variations of the observations a variation of 10⁴ is not that important for a house price.

TASK 2B - Overfitting in Machine Learning remember first what we have done in Part A

```
set.seed(1)
xpaul <- 2</pre>
ypaul <- xpaul^3</pre>
x \leftarrow rnorm(n = 150)
e \leftarrow rnorm(n=150)
y < - x^3 + e
draws <- data.frame(y,x)</pre>
y \leftarrow function(x)\{x^3\}
draws$idx <- sample(seq(FALSE, TRUE), size = nrow(draws), replace = TRUE, prob = c(.8, .2))
train <- draws[draws$idx == FALSE,]</pre>
test <- draws[draws$idx == TRUE,]</pre>
y_true<-train$x^3
We estimate a low-flexibility and a high-flexibility local linear model on the training data using the function
npreg. STEP 1)
ll.fit.lowflex <- npreg(y ~ x, data = train, method = "ll", bws = 0.5)</pre>
summary(ll.fit.lowflex)
STEP 2)
ll.fit.highflex <- npreg(y ~ x, data = train, method = "ll", bws = 0.01)</pre>
summary(ll.fit.highflex)
STEP 3)
#First, we compute the predictions for ll.fit.highflex and ll.fit.lowflex
fitted.highflex <- fitted(ll.fit.highflex)</pre>
fitted.lowflex <- fitted(ll.fit.lowflex)</pre>
#And now, we are able to plot.
graph1 <- ggplot() + geom_point(data=train, mapping = aes(x = x, y = y)) + geom_line(data=train, mapping</pre>
graph1
STEP 4) when we look at the graph we see that the model ll.fit.highflex is the prediction most variable, which
has the lowest bandwidth. Also, we can compute the variance of each prediction and check this statement.
variance <- cbind(var(y_true), var(fitted.highflex), var(fitted.lowflex))</pre>
colnames(variance) <- c("true model", "highflex", "lowflex")</pre>
bias <- cbind(mean(y_true-train$y), mean(fitted.highflex-train$y), mean(fitted.lowflex-train$y))
colnames(bias) <- c("true model", "highflex", "lowflex")</pre>
abs(bias)
thus the highflex model is the one with less biais.
STEP 5) same as before but with Data = test
ll.fit.lowflex.test <- npreg(y ~ x, data = test, method = "ll", bws = 0.5)</pre>
summary(ll.fit.lowflex.test)
ll.fit.highflex.test <- npreg(y ~ x, data = test, method = "ll", bws = 0.01)</pre>
summary(ll.fit.highflex.test)
y_true.test <- test$x^3</pre>
```

```
fitted.highflex.test <- fitted(ll.fit.highflex.test)
fitted.lowflex.test <- fitted(ll.fit.lowflex.test)

graph2 <- ggplot() +
    geom_point(data=test, mapping = aes(x = x, y = y)) +
    geom_line(data=test, mapping = aes(x = x, y = y_true.test)) +
    geom_line(data=test, mapping = aes(x = x, y = fitted.highflex.test), color = "blue") +
    geom_line(data=test, mapping = aes(x = x, y = fitted.lowflex.test), color = "red")
graph2</pre>
```



```
variance.test <- cbind(var(y_true.test), var(fitted.highflex.test), var(fitted.lowflex.test))
colnames(variance.test) <- c("true model", "highflex", "lowflex")

variance.test
bias.test <- cbind(mean(y_true.test-test$y), mean(fitted.highflex.test-test$y), mean(fitted.lowflex.test
colnames(bias.test) <- c("true model", "highflex", "lowflex")

abs(bias.test)</pre>
```

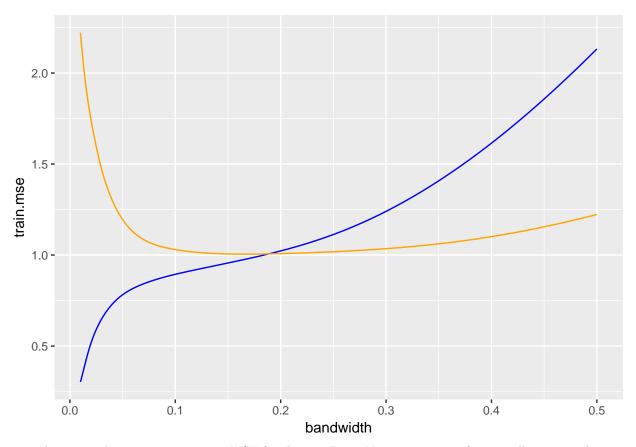
highflex remain the best but the bias rise.

STEP 6) Creating a vector

```
bw \leftarrow seq(0.01, 0.5, by = 0.001)
```

STEP 7) Estimate a local linear model

```
vector.fit<-lapply(X = bw, FUN = function(bw) {npreg(y ~ x, data = train, method = "ll", bws = bw)})</pre>
STEP 8) we compute the MSE
train.mse <- function(fit.model){</pre>
predictions <- predict(object = fit.model, newdata = train)</pre>
train %>% mutate(squared.error = (y - predictions)^2) %% summarize(mse = mean(squared.error))}
train.mse.output <- unlist(lapply(X = vector.fit, FUN = train.mse))</pre>
STEP 9) Lets do the same for the test Data.
test.mse <- function(model.fit){</pre>
estimations <- predict(object = model.fit, newdata = test)</pre>
test %>% mutate(squared.error = (y - estimations)^2) %>% summarize(mse = mean(squared.error))
test.mse.output <- unlist(lapply(X = vector.fit, FUN = test.mse))</pre>
Step 10)
mse.table <- tbl_df(data.frame(bandwidth = bw, train.mse = train.mse.output, test.mse = test.mse.output
mse.table
## # A tibble: 491 x 3
##
      bandwidth train.mse test.mse
##
          <dbl>
                    <dbl>
## 1
          0.010 0.3028239 2.221189
         0.011 0.3246634 2.156244
##
         0.012 0.3472304 2.093529
## 3
## 4
         0.013 0.3702386 2.035158
## 5
         0.014 0.3933220 1.981847
## 6
         0.015 0.4161016 1.933516
## 7
         0.016 0.4382402 1.889650
         0.017 0.4594798 1.849519
## 8
## 9
          0.018 0.4796564 1.812336
          0.019 0.4986945 1.777388
## 10
## # ... with 481 more rows
ggplot(mse.table) +
geom_line(mapping = aes(x = bandwidth, y = train.mse), color = "blue") +
geom_line(mapping = aes(x = bandwidth, y = test.mse), color = "orange")
```



0.2 is the point where we minimise our MSE for the test Data; No interest to go for a smaller one an decrease the MSE of the training data.

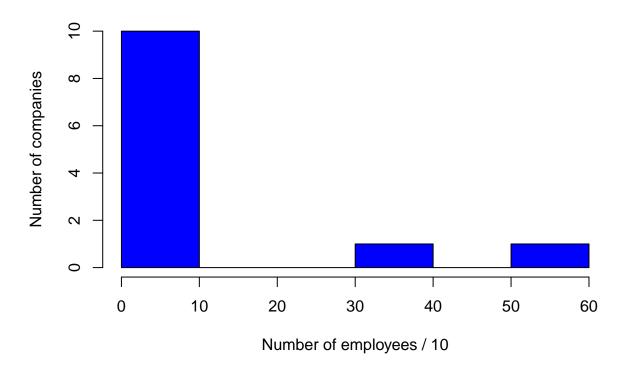
TASK 3 - PRIVACY REGULATION COMPLIANCE IN FRANCE

STEP 1) Let's import our DATA.

```
library(readr)
library(readxl)
CNIL<-cil <- read.csv("https://www.data.gouv.fr/s/resources/correspondants-informatique-et-libertes-cil
SIREN <- read_delim("sirc-17804_9075_14211_2017340_E_Q_20171207_022339046.csv",
                                                                     ";", escape_double = FALSE, trim_ws =
STEP 2)
uniq.cil<-unique(cil1[c("SIREN","Dep")])</pre>
head(uniq.cil)
##
         SIREN Dep
## 1 788349926
## 2 421715731
## 3 409869708
                69
## 4 444600464
                92
## 5 922002968 92
## 6 429621311 75
table.uniq<- table(unlist(duplicated(uniq.cil$SIREN)))</pre>
table.uniq
```

```
## FALSE TRUE
## 17667
            238
238 companies dont have a unique cil-responsible per department
STEP 3)
cil2<-setDT(cil1)
c<-as.character(cil2$SIREN)
cil3<-cbind(cil2,c)</pre>
colnames(cil3)<-c("SIREN1", "Responsable", "Adresse",</pre>
                    "Code_Postal", "Ville", "NAF",
                    "TypeCIL", "Portee", "Dep", "SIREN")
Merge <- merge.data.frame(cil3, SIREN, by="SIREN")
STEP 4)
summary(Merge$TEFEN)
##
      Length
                  Class
                              Mode
##
          150 character character
MergeFactor <- as.factor(Merge$TEFEN)</pre>
hist(table(MergeFactor), freq=TRUE, ylab = "Number of companies", xlab="Number of employees / 10", col
```

Histogram of table(MergeFactor)



Barely all the companies who nominate a CIL were with less than 100 workers.