

Problem L

Primal Collection

You are given an array A , which initially has a size of N (indexed from 1 to N) containing distinct integers with values between 1 and $N + 1$ inclusive. It is known that this array is *primal*, that is, for any index $i > 1$, A_i will always be smaller than $A_{\lfloor i/2 \rfloor}$.

Denote S as the value between 1 and $N + 1$ that does not appear in A_1, A_2, \dots, A_N . You want to append one new element into A , namely A_{N+1} , with S . Then, the following algorithm is executed.

```
algorithm(A):  
    x = N + 1  
    counter = 0  
    while x > 1:  
        if A[x] > A[floor(x / 2)]:  
            swap(A[x], A[floor(x / 2)]);  
            counter = counter + 1  
        x = floor(x / 2)  
    return counter
```

You want to calculate the number of possible values of the initial array A such that when you append S to A and execute `algorithm(A)`, it will return K . Note that the initial array A contains distinct integers with values between 1 and $N + 1$ inclusive, excluding S , and array A has to be primal. As the answer can be very large, find the answer modulo 998 244 353.

Input

A single line consisting of three integers $N \ S \ K$ ($1 \leq N \leq 100\,000$; $1 \leq S \leq N + 1$; $0 \leq K \leq N$).

Output

Output a single integer representing the number of possible values of the initial array A that satisfy the conditions above, modulo 998 244 353.

Sample Input #1

```
5 3 1
```

Sample Output #1

```
4
```

Explanation for the sample input/output #1

The 4 possible arrays that satisfy the conditions are:

- [6, 5, 1, 2, 4],
- [6, 5, 1, 4, 2],
- [6, 5, 2, 1, 4], and
- [6, 5, 2, 4, 1].

Sample Input #2

2 2 1

Sample Output #2

0

Sample Input #3

7 6 2

Sample Output #3

40