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20CMTS0025

NAME : Ishitha

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1) D - 1

2)

2) D

3) C

4) B

5) C

6) D

7) A

8) b

9) A

10) D

11) B





12 D

13 A

14 A

15 D

16 d

17 d

18 C

19 A

20 A

21 C, E, G, I, B

gdt
ok

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22) Euclid's axiom: Opposite angles are parallel to each other and equal to each other

23 i) 4

23 ii) August

$$24 \quad \frac{1}{7+3\sqrt{2}}$$

$$= \frac{1}{10\sqrt{2}}$$

$$= \frac{1}{10}$$

25) Given,

The bisector AD of $\angle A$ is perpendicular to side BC

To prove: $AB = AC$ and $\triangle ABC$ is isosceles

Proof: $\angle A$ (common)

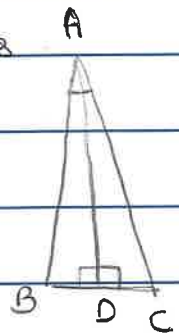
$$\angle A = \angle A \text{ (Parallel)}$$

D is mid point of BC

$\angle A$ is common for B & C

$$BD = DC \text{ (D is common)}$$

So $AB \parallel AC$ (As parallel opp. ang. opposite angles)



$$26 \quad ax^3 + 3x^2 - 3 = R_1 = 0$$

$$2x^3 - 5x + a = R_2 = 0$$

$$a(4)^3 + 3(4)^2 - 3 = 0$$

$$a(12) + 8 - 3 = 0$$

$$a(12) + 5 = 0$$

$$a(12) = -5$$

$$a = \frac{-5}{12}$$

27 Given,

line l is a bisector of angle $\angle A$ and B is any point and $BP \perp$ & $BQ \perp$ are perpendiculars from B to the arms of $\angle A$

To prove: i) $\triangle APB \cong \triangle AQB$

ii) $BP = BQ$

Proof: B is common for $\triangle AQB$ & $\triangle APB$

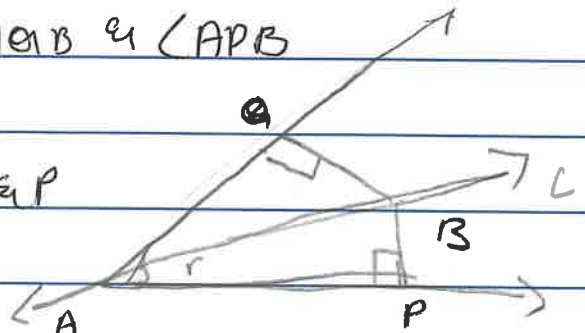
l is midpoint

B is midpoint for $Q \& P$

$\therefore \triangle APB \cong \triangle AQB$

$BP = BQ$ (B common)

B is the midpoint $\therefore BP = BQ$

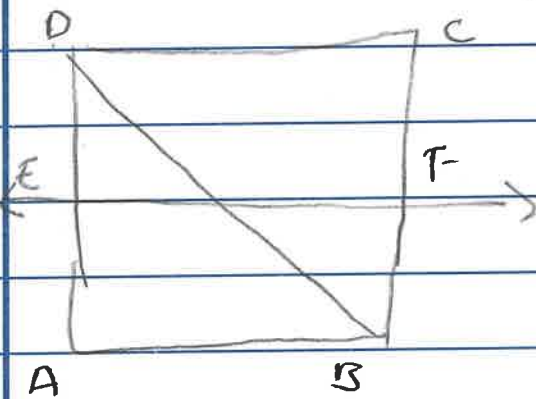




28 b Given,

ABCD is a trapezium in which $AB \parallel DC$, BD is a diagonal and E is the midpoint

Prove: E is midpoint of AC



F is common for $\triangle C, \triangle D$

E is common for $\triangle D \& \triangle A$

$EF \parallel AB$ are parallel

D & D are opposite angles
↓
vertically.

C & A are vertically opposite
Angles

B & C are vertically opposite

and F is the middle
Point of BC

\therefore F is the midpoint of
BC

29) ~~Draw~~ in graph paper !!

Age (in years)	Number of children
1-2	5
2-3	3
3-5	6
5-7	12
7-10	9
10-13	10
13-17	4

30 b) Given, Two congruent circles intersect each other at point A & B - Through any line segment, PAQ is drawn & P & Q lie on the two circles

Prove: $BP = BQ$

Proof: B is parallel to A

and P & Q are vertically opposite

B is the mid point P & Q

$\therefore BP = BQ$

31) Base diameter = 14m, 5m wide

$$h = 24$$

Rs = 25 per meter

$$14 \times 5 \times 24 \times 25 = ₹17500$$

$$32a) x = \frac{\sqrt{p+q} + \sqrt{p-q}}{\sqrt{p+q} - \sqrt{p-q}}$$

$$(p+q)^2 + (\sqrt{p-q})^2$$

$$(p+q)^2 + (p-q)^2$$

$$= q^2 - 2px + q = 0$$



33) Given,

i) $\triangle ABC$ is a right angle triangle at $\angle C$. M is the midpoint of Hypotenuse AB . C is joined to M

Produced to a point D such that $DM = CM$. Point D is joined to M and produced at a point D , such that $DM = CM$. Point D is joined to point B

Prove: $\triangle AMC \cong \triangle BMD$

ii) $\angle BDC$ is a right angle

iii) $\triangle ABC \cong \triangle ADB$

Angle $\angle A$ is vertically opposite to angle $\angle D$

$\angle C$ is vertically opposite to angle $\angle B$

M is the midpoint (common)

$\triangle AMC \cong \triangle BMD$ (vertically opposite angles)

~~M is also com.~~

i) $\angle DBC$ is a right angle as $\angle DBC$ make a 90° curve and they are complementary
 \therefore Thus making them a right angle

ii) M is midpoint (common)

$\angle D$ is parallel to $\angle C$

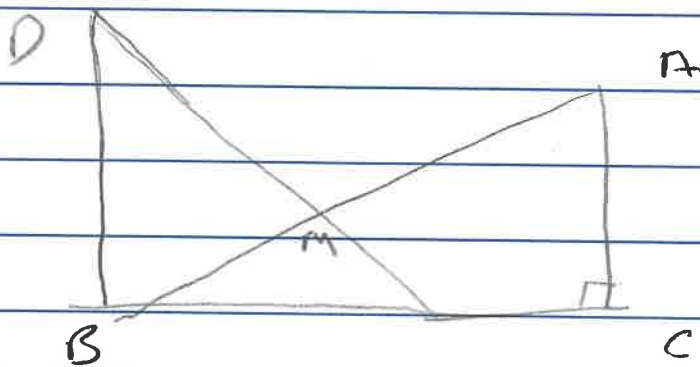
$\angle A$ is parallel to

$\angle B$

Both $\triangle DBC$ & $\triangle ACB$

are complementary and are 90°

$\therefore \triangle DBC \cong \triangle ACB$





$$\begin{aligned}
 34b) \quad 2x + 30 &= 180 \\
 2x &= 180 - 30 \\
 2x &= 150 \\
 x &= 150 / 2 \quad 70.1
 \end{aligned}$$

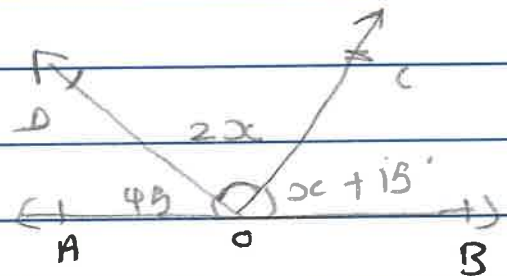
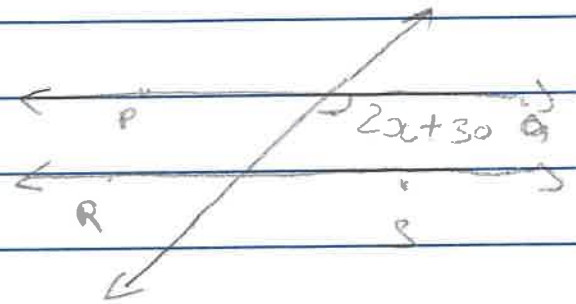
$$x = 70.1$$

$$x = 70$$

$$70.50$$

$$\begin{aligned}
 ii) \quad 2x + x + 15 &= 14 \\
 3x + 15 &= 45 \\
 3x &= 45 - 15 \\
 3x &= 30 \\
 x &= 30 / 3
 \end{aligned}$$

$$x = 10$$



$$\begin{array}{r}
 35) 10.2 \\
 + 4.2 \\
 \hline
 14.4
 \end{array}$$

36)

36.i 16 teachers

36.ii 58 girls

36.iii 37 boys

37)i) Semi perimeter = ~~s + a + b + c~~

$$S = \frac{a+b+c}{2}$$

$$S = \frac{24 + 26 + 22}{2}$$

$$S = \frac{72}{2}$$

$$ii) \text{Area} = \frac{1}{2} \times b \times h$$

$$= \frac{1}{2} \times 22 \times 120$$

$$= \frac{1}{2} \times 2640$$

$$iv) S = \frac{a+b+c}{2} = \frac{120 + 112 + 22}{2}$$

$$= 432$$

$$A = \frac{1}{2} \times b \times h = \frac{1}{2} \times 22 \times 120$$

$$= \frac{1}{2} \times 2640$$

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38 180
11 90

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Scale:

y-axis
= Number
of children

x-axis =
Age in years