```
clearvars
format long
```

Research Techniques Project

Milestone 1 (6 October)

Data Exploration of BD+55_441

For this milestone, BD+55_441 is displayed and explored in detail. The other sources are briefly imported in upcoming sections.

```
opts = detectImportOptions("BD+55_441.txt");
opts.DataLines = 3;
opts.VariableNames = {'B_time', 'B_flux', 'R_time', 'R_flux', 'V_time', 'V_flux'};
```

"time" is in the units of days and "flux" is "rel_flux_T1" from AstrolmageJ outputs.

```
opts.VariableTypes = {'double','double','double','double','double','double'};
preview("BD+55_441.txt",opts)
```

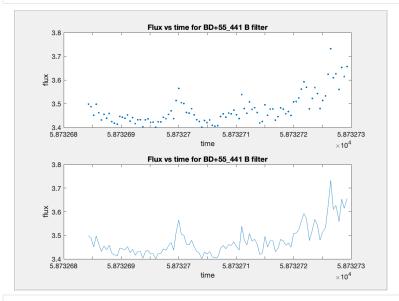
ans = 8×6 table

| | B_time | B_flux | R_time | R_flux | V_time | V_flux |
|---|-------------|-------------|-------------|-------------|-------------|-------------|
| 1 | 5.873268430 | 3.497996000 | 5.873268459 | 1.961830000 | 5.873268445 | 2.352058000 |
| 2 | 5.873268430 | 3.497996000 | 5.873268504 | 1.942857000 | 5.873268490 | 2.360458000 |
| 3 | 5.873268475 | 3.487289000 | 5.873268549 | 1.947021000 | 5.873268535 | 2.329957000 |
| 4 | 5.873268520 | 3.450942000 | 5.873268594 | 1.930594000 | 5.873268580 | 2.344889000 |
| 5 | 5.873268565 | 3.497567000 | 5.873268639 | 1.942537000 | 5.873268625 | 2.361048000 |
| 6 | 5.873268610 | 3.461555000 | 5.873268684 | 1.935141000 | 5.873268669 | 2.333341000 |
| 7 | 5.873268655 | 3.431248000 | 5.873268729 | 1.931290000 | 5.873268714 | 2.331904000 |
| 8 | 5.873268700 | 3.455091000 | 5.873268774 | 1.928260000 | 5.873268759 | 2.323782000 |

```
BD55_441 = readmatrix("BD+55_441.txt",opts);
whos BD55_441
```

```
Name Size Bytes Class Attributes
BD55_441 101x6 4848 double
```

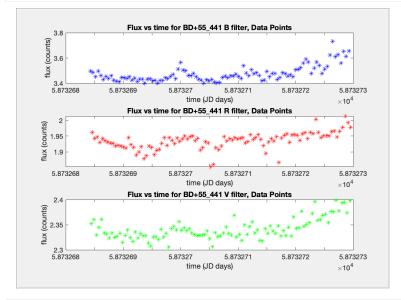
```
hf_sub(1) = figure(1);
hp(1) = uipanel('Parent',hf_sub(1),'Position',[0 0 1 1]);
subplot(2,1,1,'Parent',hp(1));
plot(BD55_441(:,1),BD55_441(:,2),'.')
title('Flux vs time for BD+55\_441 B filter');
xlabel('time'),ylabel('flux');
subplot(2,1,2,'Parent',hp(1));
plot(BD55_441(:,1),BD55_441(:,2)),title('Flux vs time for BD+55\_441 B filter')
xlabel('time');
ylabel('flux');
```



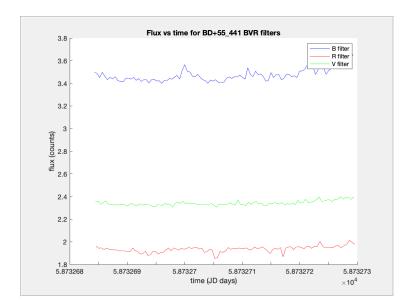
ans = 1.88500000000000e-05

Periodicity between filters

```
hf_sub(2) = figure(2);
hp(2) = uipanel('Parent', hf_sub(2), 'Position', [0 0 1 1]);
subplot(3,1,1,'Parent',hp(2));
% plotting in blue because B filter is blue light (~400-500 nm)
plot(BD55_441(:,1),BD55_441(:,2),'*b')
title('Flux vs time for BD+55\_441 B filter, Data Points');
xlabel('time (JD days)');
ylabel('flux (counts)');
subplot(3,1,2,'Parent',hp(2));
% plotting in red because R filter is red light (\sim550-800 nm)
plot(BD55_441(:,3),BD55_441(:,4),'*r');
title('Flux vs time for BD+55\_441 R filter, Data Points');
xlabel('time (JD days)');
ylabel('flux (counts)');
subplot(3,1,3,'Parent',hp(2));
% plotting green but V filter is visible light (~500-700 nm)
plot(BD55_441(:,5),BD55_441(:,6),'*g');
title('Flux vs time for BD+55\_441 V filter, Data Points');
xlabel('time (JD days)');
ylabel('flux (counts)');
```



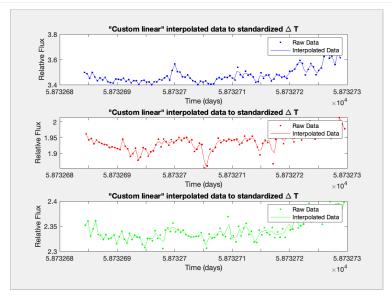
```
hf_sub(3) = figure(3);
hp(3) = uipanel('Parent',hf_sub(3),'Position',[0 0 1 1]);
subplot(1,1,1,'Parent',hp(3))
hold on
plot(BD55_441(:,1),BD55_441(:,2), 'b')
plot(BD55_441(:,3),BD55_441(:,4), 'r')
plot(BD55_441(:,5),BD55_441(:,6), 'g')
hold off
title('Flux vs time for BD+55\_441 BVR filters');
xlabel('time (JD days)');
legend('B filter', 'R filter', 'V filter');
ylabel('flux (counts)');
```



Interpolation investigation

custom linear

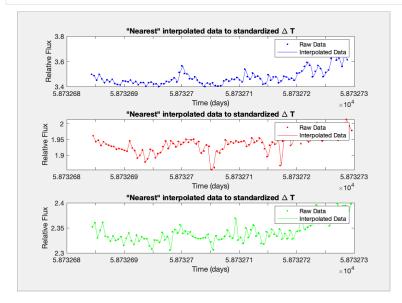
```
hf_sub(4) = figure(4);
hp(4) = uipanel('Parent', hf_sub(4), 'Position', [0 0 1 1]);
subplot(3,1,1,'Parent',hp(4));
[Tnew,Mnew] = Interp_Lin(BD55_441(1:100,1),BD55_441(1:100,2));
plot(BD55_441(1:100,1),BD55_441(1:100,2),'.b',Tnew,Mnew,'b');
title('"Custom linear" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
subplot(3,1,2,'Parent',hp(4));
[Tnew,Mnew] = Interp_Lin(BD55_441(1:100,3),BD55_441(1:100,4));
plot(BD55_441(1:100,3),BD55_441(1:100,4),'.r',Tnew,Mnew,'r');
title('"Custom linear" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
subplot(3,1,3,'Parent',hp(4));
[{\tt Tnew,Mnew}] = {\tt Interp\_Lin(BD55\_441(1:100,5),BD55\_441(1:100,6));}
plot(BD55_441(1:100,5),BD55_441(1:100,6),'.g',Tnew,Mnew,'g');
title('"Custom linear" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
```



Nearest

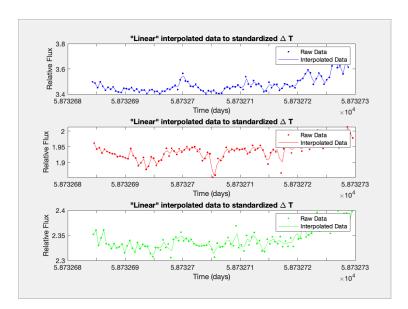
```
hf_sub(5) = figure(5);
hp(5) = uipanel('Parent', hf_sub(5), 'Position', [0 0 1 1]);
```

```
subplot(3,1,1,'Parent',hp(5));
[Tnew,Mnew] = Interp_nearest(BD55_441(2:100,1),BD55_441(2:100,2));
plot(BD55_441(1:100,1),BD55_441(1:100,2),'.b',Tnew,Mnew,'b');
title('"Nearest" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
subplot(3,1,2,'Parent',hp(5));
[Tnew,Mnew] = Interp\_nearest(BD55\_441(1:100,3),BD55\_441(1:100,4));
plot(BD55_441(1:100,3),BD55_441(1:100,4),'.r',Tnew,Mnew,'r');
title('"Nearest" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
subplot(3,1,3,'Parent',hp(5));
[Tnew,Mnew] = Interp\_nearest(BD55\_441(1:100,5),BD55\_441(1:100,6));
plot(BD55_441(1:100,5),BD55_441(1:100,6),'.g',Tnew,Mnew,'g');
title('"Nearest" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
```



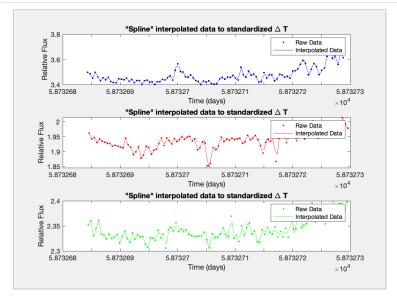
linear

```
hf_sub(6) = figure(6);
hp(6) = uipanel('Parent', hf_sub(6), 'Position', [0 0 1 1]);
subplot(3,1,1,'Parent',hp(6));
[Tnew,Mnew] = Interp_linear(BD55_441(2:100,1),BD55_441(2:100,2));
plot(BD55_441(1:100,1),BD55_441(1:100,2),'.b',Tnew,Mnew,'b');
title('"Linear" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
subplot(3,1,2,'Parent',hp(6));
[Tnew,Mnew] = Interp_linear(BD55_441(1:100,3),BD55_441(1:100,4));
plot(BD55_441(1:100,3),BD55_441(1:100,4),'.r',Tnew,Mnew,'r');
title('"Linear" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
subplot(3,1,3,'Parent',hp(6));
[Tnew,Mnew] = Interp_linear(BD55_441(1:100,5),BD55_441(1:100,6));
plot(BD55_441(1:100,5),BD55_441(1:100,6),'.g',Tnew,Mnew,'g');
title('"Linear" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
```



spline

```
hf_sub(7) = figure(7);
hp(7) = uipanel('Parent', hf_sub(7), 'Position', [0 0 1 1]);
subplot(3,1,1,'Parent',hp(7));
[Tnew,Mnew] = Interp_spline(BD55_441(2:100,1),BD55_441(2:100,2));
plot(BD55_441(1:100,1),BD55_441(1:100,2),'.b',Tnew,Mnew,'b');
title('"Spline" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
subplot(3,1,2,'Parent',hp(7));
[Tnew,Mnew] = Interp_spline(BD55_441(1:100,3),BD55_441(1:100,4));
plot(BD55_441(1:100,3),BD55_441(1:100,4),'.r',Tnew,Mnew,'r');
title('"Spline" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
subplot(3,1,3,'Parent',hp(7));
[Tnew,Mnew] = Interp_spline(BD55_441(1:100,5),BD55_441(1:100,6));
plot(BD55_441(1:100,5),BD55_441(1:100,6),'.g',Tnew,Mnew,'g');
title('"Spline" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
```



polyfit - needs to be conditioned appropriately.

```
hf_sub(8) = figure(8);
hp(8) = uipanel('Parent',hf_sub(8),'Position',[0 0 1 1]);
```

```
subplot(3,1,1,'Parent',hp(8));
[Tnew,Mnew] = Interp_polyfit(BD55_441(2:100,1),BD55_441(2:100,2));
```

Warning: Polynomial is badly conditioned. Add points with distinct X values, reduce the degree of the polynomial, or try centering and scaling HELP POLYETT

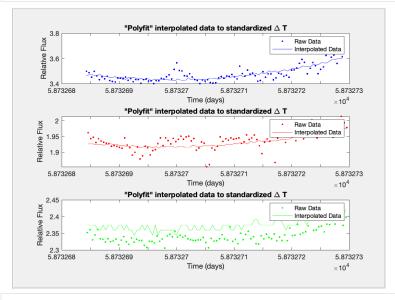
```
plot(BD55_441(1:100,1),BD55_441(1:100,2),'.b',Tnew,Mnew,'b');
title('"Polyfit" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
subplot(3,1,2,'Parent',hp(8));
[Tnew,Mnew] = Interp_polyfit(BD55_441(1:100,3),BD55_441(1:100,4));
```

Warning: Polynomial is badly conditioned. Add points with distinct X values, reduce the degree of the polynomial, or try centering and scaling HELP POLYFIT.

```
plot(BD55_441(1:100,3),BD55_441(1:100,4),'.r',Tnew,Mnew,'r');
title('"Polyfit" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
subplot(3,1,3,'Parent',hp(8));
[Tnew,Mnew] = Interp_polyfit(BD55_441(1:100,5),BD55_441(1:100,6));
```

Warning: Polynomial is badly conditioned. Add points with distinct X values, reduce the degree of the polynomial, or try centering and scaling HELP POLYFIT.

```
plot(BD55_441(1:100,5),BD55_441(1:100,6),'.g',Tnew,Mnew,'g');
title('"Polyfit" interpolated data to standardized \Delta T');
legend('Raw Data','Interpolated Data');
xlabel('Time (days)');
ylabel('Relative Flux');
```



Input all data

Text files:

```
%BD+48_1098
opts = detectImportOptions("BD+48_1098.txt");
opts.DataLines = 3;
opts.VariableNames = {'B_time', 'B_flux', 'R_time', 'R_flux', 'V_time', 'V_flux'};
opts.VariableTypes = {'double', 'double', 'double', 'double', 'double', 'double'};
BD48_1098 = rmmissing(readmatrix("BD+55_441.txt",opts)); %the matrix data of the text file
%preview("BD+48_1098.txt",opts)
whos BD48_1098
```

```
Name Size Bytes Class Attributes
BD48_1098 100x6 4800 double
```

```
%HD28497

opts = detectImportOptions("HD28497.txt");

opts.DataLines = 3;

opts.VariableNames = {'B_time', 'B_flux', 'R_time', 'R_flux', 'V_time', 'V_flux'};

opts.VariableTypes = {'double', 'double', 'double', 'double', 'double'};
```

```
HD28497 = rmmissing(readmatrix("HD28497.txt",opts)) %the matrix data of the text file
 HD28497 = 600 \times 6
 10^4 \times
    5.844163256000000
                         0.151884039400000
                                               5.844163279000000
                                                                    0.047485834000000
                                                                                         5.844163267000000
                                                                                                              0.069815062400000
    5.844163294000000
                         0.157713255000000
                                               5.844163317000000
                                                                    0.047850097100000
                                                                                         5.844163304999999
                                                                                                              0.065578599100000
    5.844163332000000
                         0.147648080800000
                                               5.844163355000000
                                                                    0.050717498800000
                                                                                         5.844163344000000
                                                                                                              0.074395448000000
     5.844163370000000
                         0.154105058200000
                                               5.844163393000001
                                                                    0.048745268800000
                                                                                         5.844163382000001
                                                                                                               0.071764534300000
                         0.154416998300000
                                                                                                              0.070814725000000
    5.844163409000000
                                               5.844163431999999
                                                                    0.046480291500000
                                                                                         5.844163420000000
    5.844163447000000
                         0.154034530100000
                                               5.844163470000000
                                                                    0.052878906200000
                                                                                         5.844163458000000
                                                                                                              0.077323090500000
    5.844163485000000
                         0.158524561400000
                                               5.844163508000000
                                                                    0.050080829500000
                                                                                         5.844163497000000
                                                                                                              0.071339644400000
                         0.159731365000000
                                               5.844163546000000
                                                                    0.053844298900000
                                                                                         5.844163535000000
                                                                                                              0.072074042600000
    5.844163523000000
     5.844163560999999
                         0.140623476800000
                                               5.844163584000000
                                                                    0.050871022200000
                                                                                         5.844163573000000
                                                                                                               0.070981291000000
    5.844163599000000
                         0.159835953000000
                                               5.844163622000000
                                                                    0.053311599500000
                                                                                         5.844163610000001
                                                                                                              0.074646573400000
 %preview("HD28497.txt",opts)
 whos HD28497
   Name
                   Size
                                    Bytes Class
                                                      Attributes
   HD28497
                 600x6
                                    28800 double
 %HD46131
 opts = detectImportOptions("HD46131.txt");
 opts.DataLines = 3;
 opts.VariableNames = {'B_time', 'B_flux', 'R_time', 'R_flux', 'V_time', 'V_flux'};
 opts.VariableTypes = {'double','double','double','double','double','double'};
 HD46131 = rmmissing(readmatrix("HD46131.txt",opts)); %the matrix data of the text file
 %preview("HD46131.txt",opts)
 whos HD46131
   Name
                   Size
                                    Bytes Class
                                                      Attributes
                                    12000 double
   HD46131
                 250x6
 opts = detectImportOptions("HD88661.txt");
 opts.DataLines = 3:
opts.VariableNames = {'B_time', 'B_flux', 'R_time', 'R_flux', 'V_time', 'V_flux'};
opts.VariableTypes = {'double', 'double', 'double', 'double', 'double', 'double', 'double', 'double'};
HD88661 = rmmissing(readmatrix("HD88661.txt",opts)); %the matrix data of the text file
 %preview("HD88661.txt",opts)
 whos HD88661
   Name
                  Size
                                   Bytes Class
                                                     Attributes
   HD88661
                                    1680 double
 %HD105521
 opts = detectImportOptions("HD105521.txt");
 opts.DataLines = 3;
 opts.VariableNames = {'B_time','B_flux','R_time','R_flux','V_time','V_flux'};
opts.VariableTypes = {'double','double','double','double','double','double'};
 HD105521 = rmmissing(readmatrix("HD105521.txt",opts)); %the matrix data of the text file
 %preview("HD105521.txt",opts)
 whos HD105521
   Name
                    Size
                                     Bytes Class
                                                       Attributes
   HD105521
                  180x6
                                      8640 double
 %HD105521
 opts = detectImportOptions("HD105521.txt");
 opts.DataLines = 3;
 opts.VariableNames = {'B_time','B_flux','R_time','R_flux','V_time','V_flux'};
opts.VariableTypes = {'double','double','double','double','double','double'};
 HD105521 = rmmissing(readmatrix("HD105521.txt",opts)); %the matrix data of the text file
 %preview("HD105521.txt",opts)
 whos HD105521
                    Size
                                     Bytes Class
                                                       Attributes
   Name
   HD105521
                  180x6
                                      8640 double
CSV files
 %HD106306
 %B_filter
 opts = detectImportOptions('HD106306_B.csv');
 opts.DataLines = [2 Inf];
```

All_fields_available = opts.VariableNames;

```
opts.SelectedVariableNames = {'J_D__2400000','rel_flux_T1'};
%preview("HD106306_B.csv",opts)
HD106306_B = readmatrix("HD106306_B.csv",opts);
%R_filter
opts = detectImportOptions('HD106306_R.csv');
opts.DataLines = [2 Inf];
All_fields_available = opts.VariableNames;
opts.SelectedVariableNames = {'J_D__2400000','rel_flux_T1'};
%preview("HD106306_R.csv",opts)
HD106306_R = readmatrix("HD106306_R.csv",opts);
%V_filter
opts = detectImportOptions('HD106306_V.csv');
opts.DataLines = [2 Inf];
All_fields_available = opts.VariableNames;
opts.SelectedVariableNames = {'J_D__2400000','rel_flux_T1'};
%preview("HD106306_V.csv",opts)
HD106306_V = readmatrix("HD106306_V.csv",opts);
HD106306 = rmmissing([HD106306_B HD106306_R HD106306_V]); %the matrix data of the text file
whos HD106306
```

```
HD106306
              100x6
                              4800 double
%HD147302
%B_filter
opts = detectImportOptions('HD147302_B.csv');
opts.DataLines = [2 Inf];
All_fields_available = opts.VariableNames;
opts.SelectedVariableNames = {'J_D_2400000','rel_flux_T1'};
%preview("HD147302_B.csv",opts)
HD147302_B = readmatrix("HD147302_B.csv",opts);
%R filter
opts = detectImportOptions('HD147302_R.csv');
opts.DataLines = [2 Inf];
All_fields_available = opts.VariableNames;
opts.SelectedVariableNames = {'J_D_2400000','rel_flux_T1'};
%preview("HD147302_R.csv",opts)
HD147302_R = readmatrix("HD147302_R.csv",opts);
%V_filter
opts = detectImportOptions('HD147302_V.csv');
opts.DataLines = [2 Inf];
All_fields_available = opts.VariableNames;
opts.SelectedVariableNames = {'J_D__2400000','rel_flux_T1'};
%preview("HD147302_V.csv",opts)
HD147302_V = readmatrix("HD147302_V.csv",opts);
HD147302 = rmmissing([HD147302_B HD147302_R HD147302_V]); %the matrix data of the text file
whos HD147302
```

```
Name Size Bytes Class Attributes
HD147302 100x6 4800 double
```

HD152060 and HD209522 can't be described in the same form as the others. Will investigate

Bytes Class

Attributes

```
close all %closes all previous figures from milestone 1 so that the plots in milestone 2 and 3 work correctly
```

Milestone 2 (13 October)

Size

Name

 $\underline{\text{https://www.mathworks.com/help/matlab/ref/fft.html?searchHighlight=fft\&s_tid=srchtitle}$

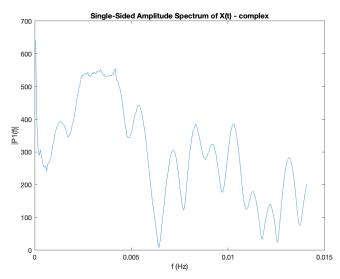
This is the source for implementing Fourier Transform for a Noisy Signal from the MathWorks documentation

Using fft for HD28497

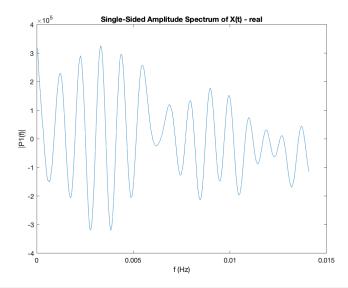
This star had the most data which made it ideal for performing a fourier transform. We chose linear interpolation for the purposes of this experiment at random. This is a feature to be explored later.

```
Y = fft(X);
P2complex = abs(Y/L); %real and imaginary parts together
P2real = real(Y);
P2imaginary = imag(Y);
P1complex = P2complex(1:floor(L/2)+1);
P1complex(2:end-1) = 2*P1complex(2:end-1);
%Plot

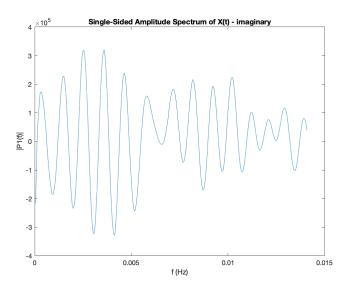
f = Fs*(0:(L/2))/L;
plot(f(2:end-1),P1complex(2:end-1))
title('Single-Sided Amplitude Spectrum of X(t) - complex')
xlabel('f (Hz)')
ylabel('|P1(f)|')
```



```
P1real = P2real(1:floor(L/2)+1);
P1real(2:end-1) = 2*P1real(2:end-1);
%plotting piece
f = F5*(0:(L/2))/L;
plot(f(2:end-1),P1real(2:end-1))
title('Single-Sided Amplitude Spectrum of X(t) - real')
xlabel('f (Hz)')
ylabel('|P1(f)|')
```



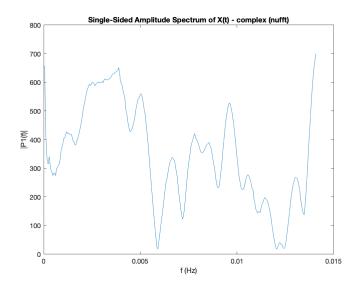
```
Plimaginary = P2imaginary(1:floor(L/2)+1);
Plimaginary(2:end-1) = 2*P1imaginary(2:end-1);
%plotting piece
f = Fs*(0:(L/2))/L;
plot(f(2:end-1),P1imaginary(2:end-1))
title('Single-Sided Amplitude Spectrum of X(t) - imaginary')
xlabel('f (Hz)')
ylabel('|P1(f)|')
```



Using NUFFT - used the data without interpolation

Results for this one star using the complex combination was very similar to fft.

```
Tnew = HD28497(2:end,1);
Mnew = HD28497(2:end,2);
Tnew = Tnew*86400;
% --Find averaged time scale--
n = numel(Tnew);
sum = 0;
for l = 1:n-1
    sum = sum + abs(Tnew(l+1) - Tnew(l));
end
deltaT = sum / (n-1); %average time between points
Fs = 1/deltaT;
                         % Sampling frequency
T = deltaT;
                        % Sampling period
t = Tnew;
                         % Time vector
L = numel(Tnew);
                         % Length of signal
X = Mnew;
                        %signal with noise
%Fourier transformation
Y = nufft(X);
P2complex = abs(Y/L); %combination of real and imaginary
P2real = real(Y);
P2imaginary = imag(Y);
P1complex = P2complex(1:floor(L/2)+1);
P1complex(2:end-1) = 2*P1complex(2:end-1);
%plotting piece
f = Fs*(0:(L/2))/L;
plot(f(2:end-1),P1complex(2:end-1))
title('Single-Sided Amplitude Spectrum of X(t) - complex (nufft)')
xlabel('f (Hz)')
ylabel('|P1(f)|')
```



The investigation of the inverse fourier transform will be explored at a later date to complete milestone 2.

Milestone 3 (including previously unfinished parts of milestone 2)

Getting the Power Spectrum for HD28497

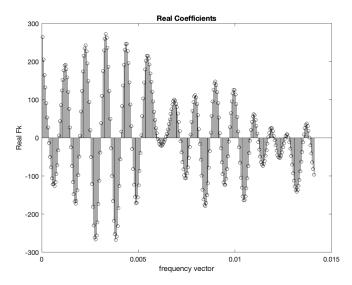
This star had the most data which made it ideal for performing a fourier transform. We chose linear interpolation for the purposes of this experiment at random. This is a feature to be explored late

Documentation: We used a combination of the following sources to develop this:

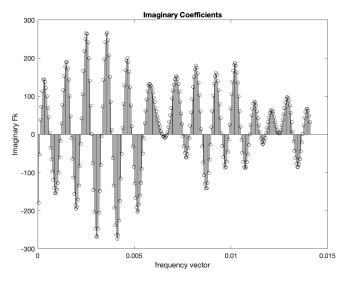
- 1. https://www.mathworks.com/help/matlab/ref/fft.html?searchHighlight=fft&s tid=srchtitle (This is the source for implementing Fourier Transform for a Noisy Signal from the MathWorks documentation)
- 2. Gilat, Example 7-6 (pg. 281)
- 3. Gilat, Example 7-8 (pg 287)

Bd+55_441 and HD 28497 have documented periodicity - citation pending

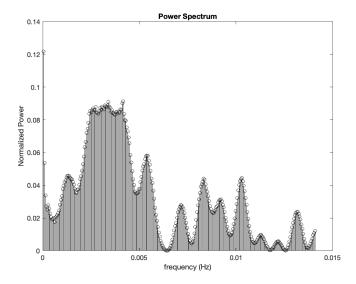
```
[Tnew,Mnew] = Interp_linear(HD28497(2:end,1),HD28497(2:end,2));
Tnew = Tnew*86400; %convert time from days to seconds
deltaT = Tnew(2)-Tnew(1);
                         % Sampling frequency
Fs = 1/deltaT;
T = deltaT;
                        % Sampling period
t = Tnew-Tnew(1);
                                 % Time vector
L = numel(Tnew);
                        % Length of signal
X = Mnew;
                        %signal with noise
%Fourier transformation
                           %Based on Ex 7-6 Gilat
F = fft(X)/L;
                           %fourier transform devided by number of data points
power = F.*conj(F)/L;
powernorm = power/max(power); %normalized power spectrum
fk = (0:L-1)*(Fs/L);
                         %frequency vector Gilat 7-6
stem(fk(2:floor(L/2)), real(F(2:floor(L/2))), 'ko', 'markersize',5)
                                                                              %Threw out first number of F because seemingly s
xlabel('frequency vector')
ylabel('Real Fk')
title('Real Coefficients')
```

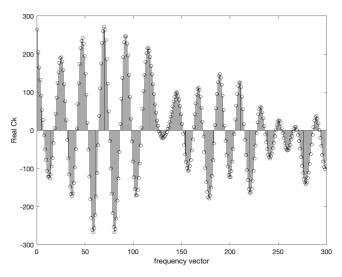


```
figure, stem(fk(2:floor(L/2)),imag(F(2:floor(L/2))),'ko','markersize',5)
xlabel('frequency vector')
ylabel('Imaginary Fk')
title('Imaginary Coefficients')
```

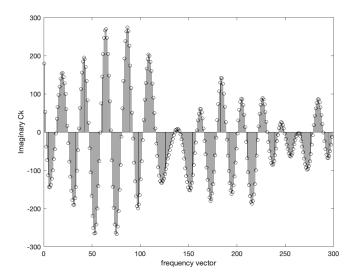


```
figure, stem(fk(2:floor(L/2)),powernorm(2:floor(L/2)),'ko','markersize',5)
xlabel('frequency (Hz)')
ylabel('Normalized Power')
title('Power Spectrum')
```

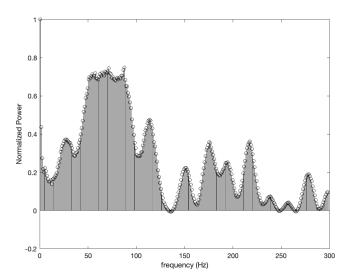




```
figure, stem(fk0(1:floor(L/2)),imag(C0(1:floor(L/2))),'ko','markersize',5)
xlabel('frequency vector')
ylabel('Imaginary Ck')
```



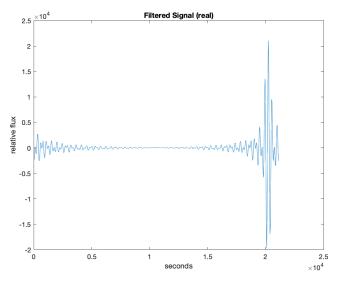
figure, stem(fk0(1:floor(L/2)),powernorm0(1:floor(L/2)),'ko','markersize',5)
xlabel('frequency (Hz)')
ylabel('Normalized Power')



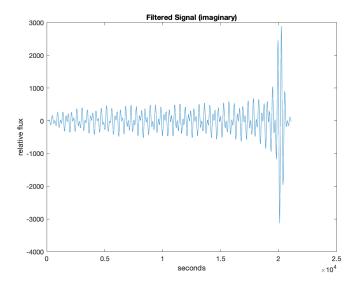
```
for k = 1:L-1
    if abs(fk0(k)) <= 50 || abs(fk0(k)) >= 90
        COflter(k) = 0+0i;

else
        COflter(k) = CO(k);
    end
end

F0i = ifftshift(COflter) * L-1;
finv = ifft(F0i);
figure, plot(t(2:L), real(finv))
title('Filtered Signal (real)')
xlabel('seconds')
ylabel('relative flux')
```

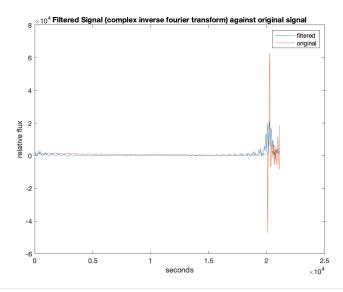


```
F0i = ifftshift(C0flter) * L-1;
finv = ifft(F0i);
figure, plot(t(2:L),imag(finv))
title('Filtered Signal (imaginary)')
xlabel('seconds')
ylabel('relative flux')
```



```
F0i = ifftshift(C0flter) * L-1;
finv = ifft(F0i);
figure, plot(t(2:L),abs(finv))
title('Filtered Signal (complex)')
xlabel('seconds')
ylabel('relative flux')
```

```
F0i = ifftshift(C0flter) * L-1;
finv = ifft(F0i);
figure, plot(t(2:L),abs(finv),t(2:L),X(2:L))
legend('filtered','original')
title('Filtered Signal (complex inverse fourier transform) against original signal')
xlabel('seconds')
ylabel('relative flux')
```

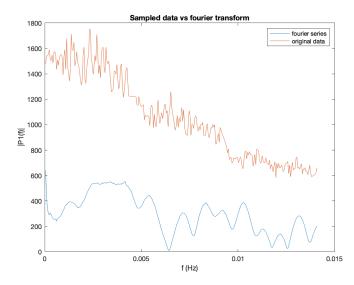


```
F =1./t(2:L);

%Fourier transformation
Y = fft(X);
P2complex = abs(Y/L); %real and imaginary parts together
P2real = real(Y);
P2imaginary = imag(Y);
P1complex = P2complex(1:floor(L/2)+1);
P1complex(2:end-1) = 2*P1complex(2:end-1);

%Plot

f = Fs*(0:(L/2))/L;
plot(f(2:end-1),P1complex(2:end-1),f(2:end-1),X(2:floor(l/2)))
title('Sampled data vs fourier transform')
xlabel('f (Hz)')
ylabel('|P1(f)|')
legend('fourier series','original data')
```



Important Interpolation Functions

There are two different linear interpolation functions - the first is without built-in functions and the other is built-in. The results from both funcitons are similar.

Other interpolation methods are displayed.

Custom functions

```
function [Tnew,Mnew] = Interp_Lin(T,M)
%This is Joe's custom linear interpolation:
% --Sum all of the time differences between measurements--
n = numel(T);
sum = 0;
for l = 1:n-1
    sum = sum + abs(T(l+1) - T(l));
end
% --Find averaged time scale--
avg_dT = sum / (n-1);
Tnew = T(1):avg_dT:T(n);
% --Calculate Mnew values--
m = numel(Tnew);
Mnew = zeros(1,m);
Mnew(1) = M(1);
Mnew(m) = M(n);
for l = 2:m-1
    for k = 1:n
        if T(k) <= Tnew(l)</pre>
            if Tnew(l) \ll T(k+1)
                Mnew(l) = (M(k+1) - M(k))./(T(k+1) - T(k)).*(Tnew(l)-T(k)) + M(k);
                %eq for a line. i.e. y = mx + b
            end
        end
    end
end
end
```

Various built-in Matlab Functions

```
function [Tnew,Mnew] = Interp_nearest(T,M)
%This uses the built-in function 'interp1' with method 'nearest'
%----
% --Sum all of the time differences between measurements--
n = numel(T);
sum = 0;
for l = 1:n-1
    sum = sum + abs(T(l+1) - T(l));
end
% --Find averaged time scale--
avg_dT = sum / (n-1);
```

```
Tnew = T(1):avg_dT:T(n);
% --Calculate Mnew values--
Mnew = interp1(T,M,Tnew,'nearest');
end
```

```
function [Tnew,Mnew] = Interp_linear(T,M)
%This uses the built-in function 'interp1' with method 'linear'
%----
% ---Sum all of the time differences between measurements---
n = numel(T);
sum = 0;
for l = 1:n-1
    sum = sum + abs(T(l+1) - T(l));
end
% --Find averaged time scale---
avg_dT = sum / (n-1);
Tnew = T(1):avg_dT:T(n);
%--Calculate Mnew values---
Mnew = interp1(T,M,Tnew,'linear');
end
```

```
function [Tnew,Mnew] = Interp_spline(T,M)
%This uses the built-in function 'interp1' with method 'spline'
%----
% --Sum all of the time differences between measurements--
n = numel(T);
sum = 0;
for l = 1:n-1
    sum = sum + abs(T(l+1) - T(l));
end
% --Find averaged time scale--
avg_dT = sum / (n-1);
Tnew = T(1):avg_dT:T(n);
% --Calculate Mnew values--
Mnew = interp1(T,M,Tnew,'spline');
end
```

```
function [Tnew,Mnew] = Interp_polyfit(T,M)
%This uses the built-in function 'interp1' with method 'polyfit'
%----
% --Sum all of the time differences between measurements--
n = numel(T);
sum = 0;
for l = 1:n-1
    sum = sum + abs(T(l+1) - T(l));
end
% --Find averaged time scale--
avg_dT = sum / (n-1);
Tnew = T(1):avg_dT:T(n);
% --Calculate Mnew values--
n = numel(T);
p = polyfit(T,M,5);
Mnew = polyval(p,Tnew);
end
```