

1 Tips

- ϵ is not a terminal symbol

2 Context-free Grammars

Left-associative - $(1 \oplus 2) \oplus 3$

$$\begin{aligned} E &\rightarrow E \oplus T \mid T \\ T &\rightarrow N \end{aligned}$$

Right-associative - $1 \oplus (2 \oplus 3)$

$$\begin{aligned} E &\rightarrow T \oplus E \mid T \\ T &\rightarrow N \end{aligned}$$

$$\begin{aligned} E &\rightarrow TE' \\ E' &\rightarrow \epsilon \mid \oplus TE' \\ T &\rightarrow N \end{aligned}$$

3 Left-factoring and left-recursion removal

3.1 Removing left recursion

$$E \rightarrow E \oplus T \mid T$$

is transformed into

$$\begin{aligned} E &\rightarrow TE' \\ E' &\rightarrow \epsilon \mid \oplus TE' \end{aligned}$$

This transforms a left-associative grammar into a right-associative grammar

3.2 Recogniser Code

```
T
tokens.match(Token.T);

N
parseN();

S1 ... Sn
recog(S-1); ...; recog(S-n);

S1|S2|...Sn
if (token.isIn(First(S-1))) {
    recog(S-1);
} ...
else if (tokens.isIn(First(S-n))) {
    recog(S-n);
} else {
    errors.error("Syntax_error");
}

[S]
if (token.isIn(First(S))) {
    recog(S);
}

S
while (token.isIn(First(S))) {
    recog(S);
}

(S)
recog(S);
```

4 First, Follow, and LL(1)

4.1 Calculating First sets

- If production of form $N \rightarrow \epsilon$, add ϵ to first set for N to indicate nullability
- If production of form $N \rightarrow S_1 S_2 \dots S_n$, then if $\forall i \in 1..n, \forall j \in 1..i-1 \cdot S_j$ is nullable, we add current first set for S_i to first set for N
- If every construct S_1, \dots, S_n is nullable, add ϵ to first set for N

Perform for all productions, repeating the process until no sets are modified

5 Bottom up parsing

5.1 LR(x) parsing automaton

Don't forget to first add production: $S' \rightarrow E$.

5.2 LR(x) parsing action conflicts

There is no such thing as a *shift/shift* conflict

5.3 LR(1) parsing algorithm

Put $\$0$ on the *Parsing stack*, and the input string, followed by $\$$, in the *Input* queue

1. Choose transition action based on look-ahead. If it is
 - (a) *shift*, dequeue start symbol of *Input* queue, and put dequeued symbol on the *Parsing stack*
 - (b) *reduce*, pop start symbol of the **RHS** of the reduction, and all stack elements above the start symbol, off the stack. Transition to state indicated by number currently on top of stack. Put reduced symbol on the stack. *If LR(1), choose production s.t. $queue_0 \in T$, where T is look-ahead set.* Follow transition path of current state, based on the reduced symbol.
 - (c) *accept*, do nothing
2. Put number indicating current state on the stack
Repeat numbered process

6 Parameters

6.1 Kinds of parameter passing mechanisms

- *Call by const*: the formal parameter acts as a read-only local variable that is initially assigned the value of the actual parameter expression.
- *Call by value*: the formal parameter acts as a local variable that is initially assigned the value of the actual parameter expression.
- *Call by result*: the formal parameter acts as a local variable whose final value is assigned to the actual parameter variable.
- *Call by value-result*: a single parameter acts as both a value and a result parameter

6.2 Kinds of parameter passing

- *Call by reference*: the formal parameter is really the address of the actual parameter variable; all references to the formal parameter are applied (via that address) to the actual parameter variable immediately. (In Pascal known as a **var** parameter).
- *Call by name*: the actual parameter expression is evaluated every time the formal parameter is accessed.
- *Passing procedures (or functions) as parameters*: need to pass the address of the procedure as well as the static link for the procedures environment.

- *Returning procedures (or functions)*: need to return the address of the procedure as well as the static link for the procedures environment - note that this requires the environment of the returned procedure to be maintained which means that the simple stack-based allocation of frames is not sufficient.

7 Dynamic Memory Allocation/Deallocation

7.1 Garbage collection schemes

7.1.1 Mark-and-sweep

Mark and sweep garbage collection consists of

- a phase that *marks* all the accessible objects
- a phase that *sweeps* up the objects left unmarked and adds them to the free list

7.1.2 Stop-and-copy

Stop-and-copy (or two-space) garbage collection

- divides the available memory into two (large) spaces
- memory is allocated sequentially from one space until it runs out
- garbage collection consists of relocating all accessible objects from the first space to the second space
- because the objects are allocated sequentially in the second space, they are compacted
- when the copy is completed the roles of the spaces are swapped for the next garbage collection

Find all objects accessible from the runtime stack or global variables (either directly or indirectly) and copy them into the second space, allocating them sequentially (so that they are allocated more compactly), and placing a forwarding pointer with the old object to the new copy, so that other references to the (old) object can be updated to point to the new object.

7.1.3 Generational schemes

Generational schemes use a scheme similar to the two-space scheme but make use of multiple spaces

- the spaces are organised based on the length of time its objects have survived
- the age of an object is the number of times it has been collected
- older objects are migrated to an old object space
- newer objects go in the new object space
- the objects in the old object space don't need to be copied when the new object space is garbage collected
- the old object space may have to be garbage collected at some stage

8 Regular expressions and finite state machines

8.1 Definitions

The empty closure of a state x in an NFA N , $\epsilon\text{-closure}(x, N)$, is the set of states in N that are reachable from x via any number of empty transitions.

The empty closure of a set of states X in an NFA N , $\epsilon\text{-closure}(X, N)$, is the set of states in N that are reachable from any of the states in X via any number of empty transitions.

8.2 Constructing the DFA from the NFA

- The label of the start state of the DFA consists of the set of states containing the start state s_0 of the NFA plus all

the states in the NFA that are reachable from its start state by one or more empty transitions.

$$S_0 = \epsilon\text{-closure}(s_0, N)$$

- The process for forming a DFA works with a set of unmarked DFA states by selecting an unmarked DFA state and considering all transitions from it on symbols.

- The initial set of unmarked states contains just S_0 .

The followig process is repeated until there are no unmarked DFA states left.

- An unmarked DFA state S is selected (the first one is S_0).

- For each symbol a ,

- we consider the set of states that can be reached from any state in S by a transition on a ; call this set of states X
- if X is nonempty, we add a new state to the DFA labelled with $X' = \epsilon\text{-closure}(X, N)$, unless a state with that label already exists
- a transition from S to X' on a is added to the DFA.

- The state S is marked as having being processed.