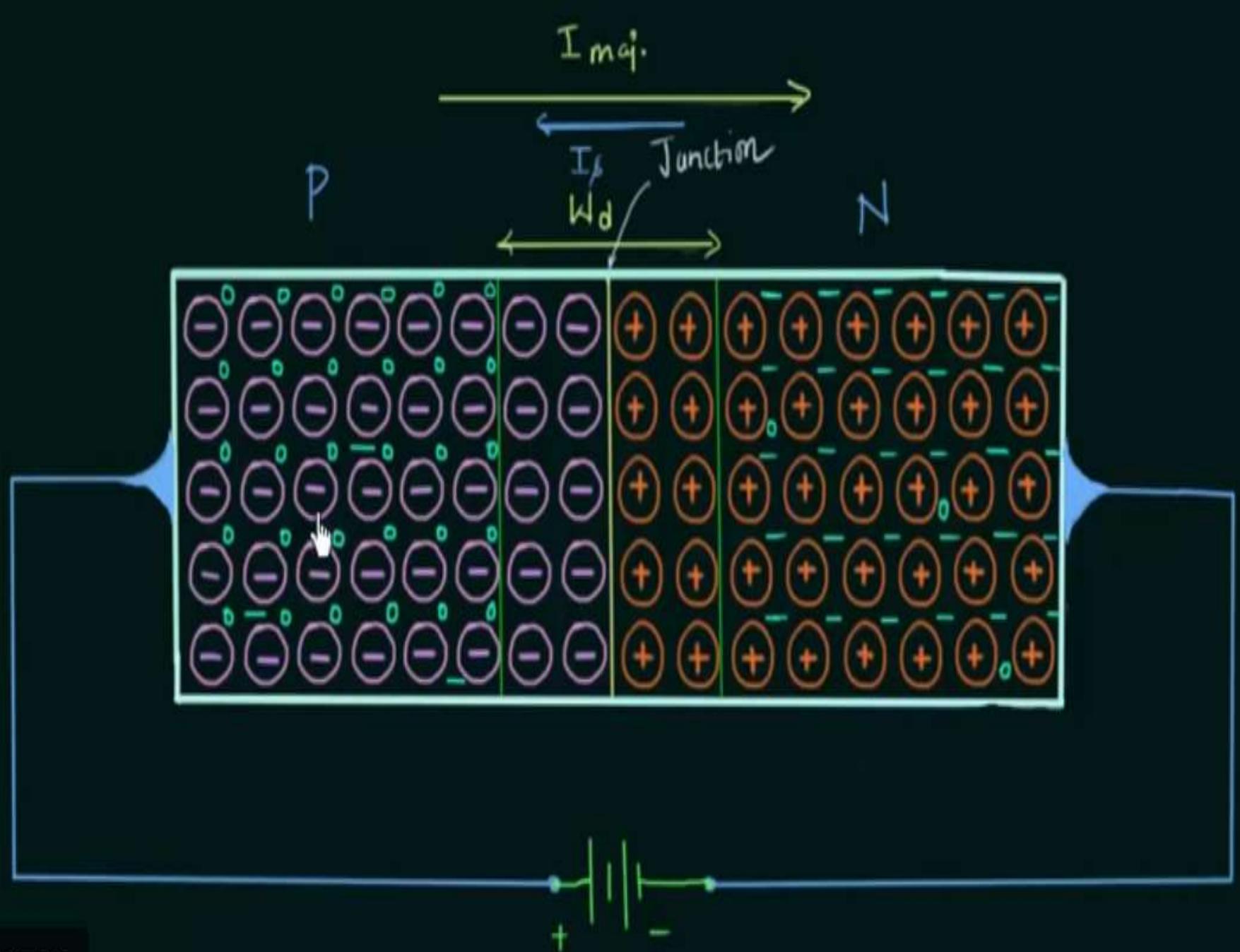


UNIT 1- PN Junction

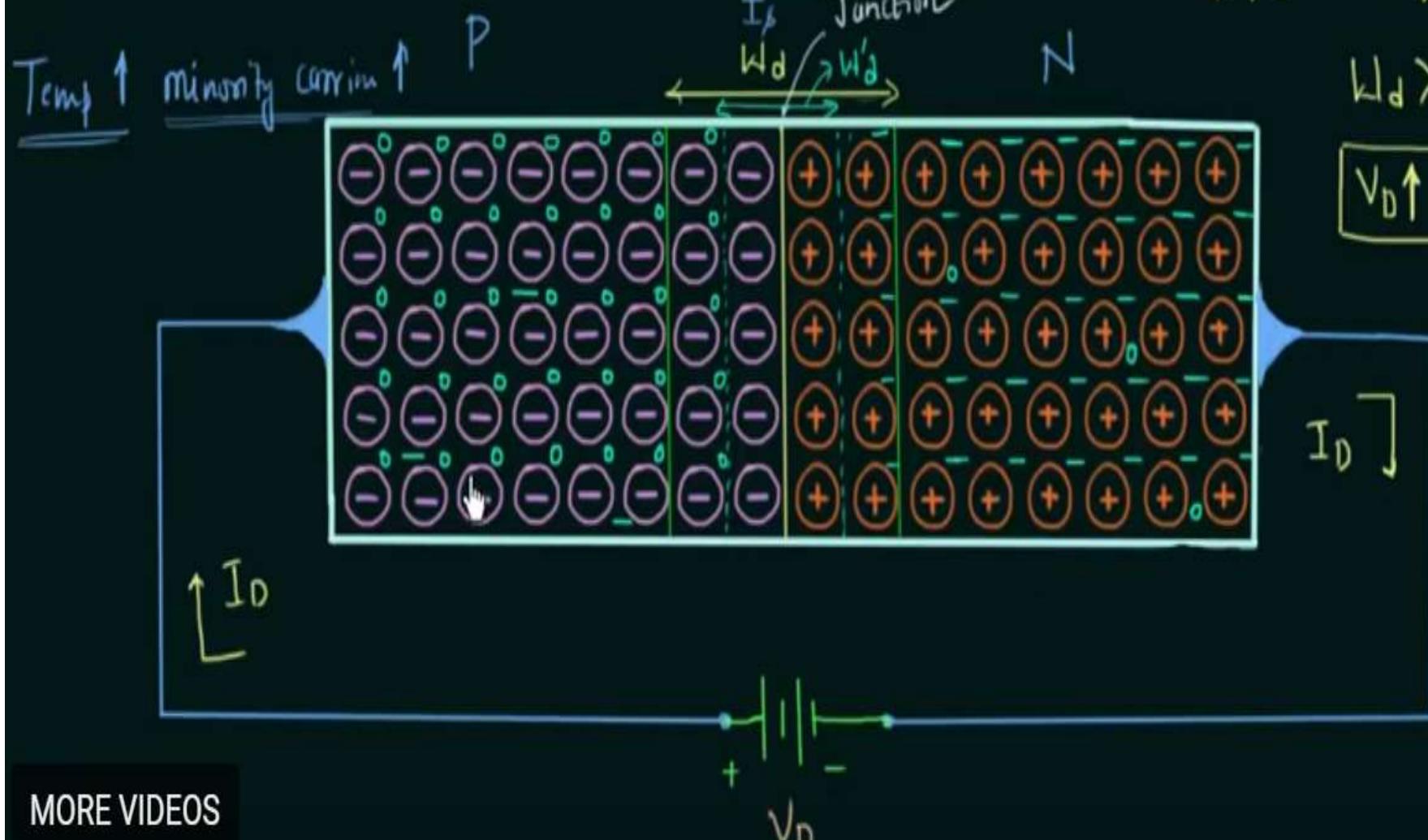


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PN Junction Diode (Forward-Bias Condition)

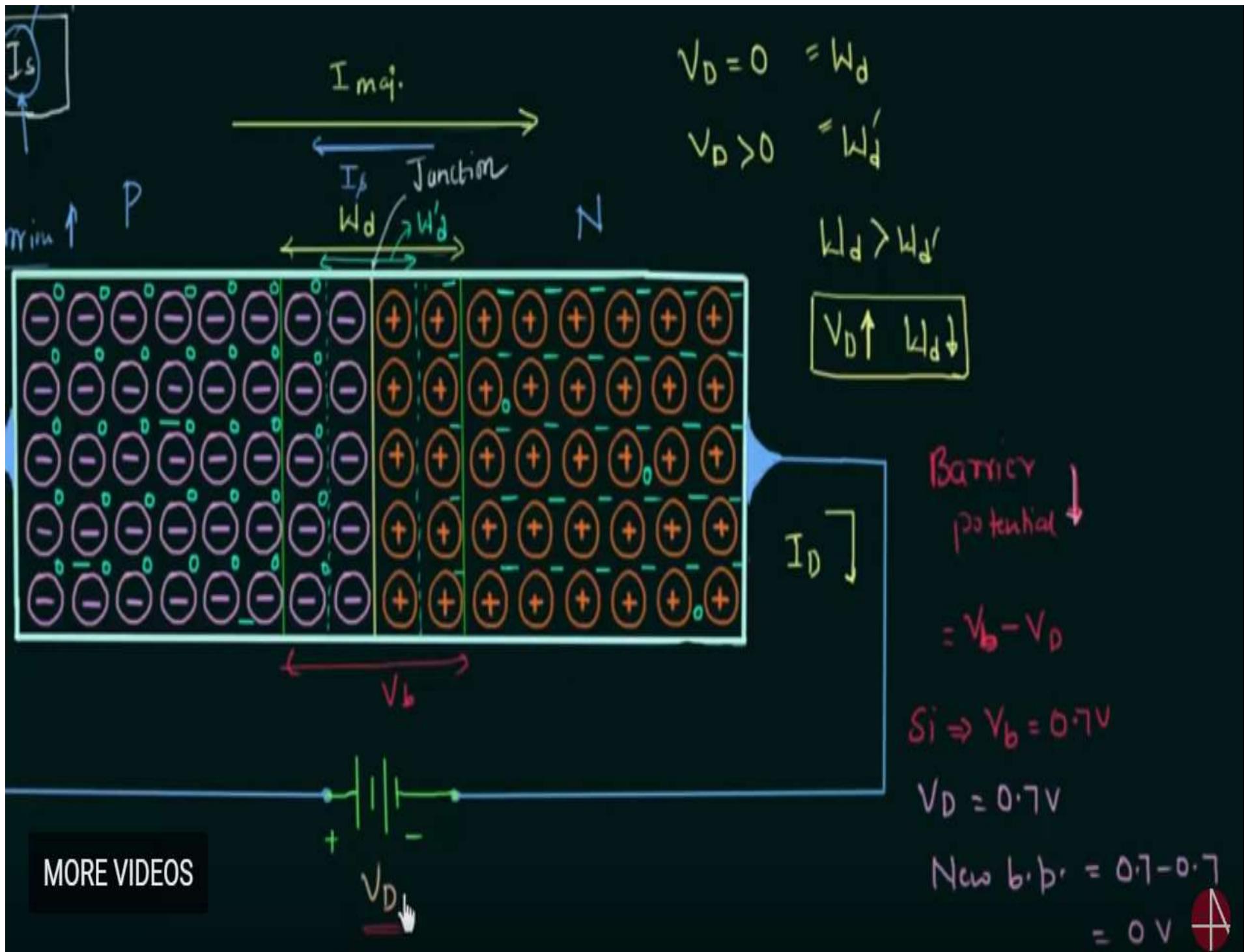
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$$I_D = I_{maj} - I_s$$



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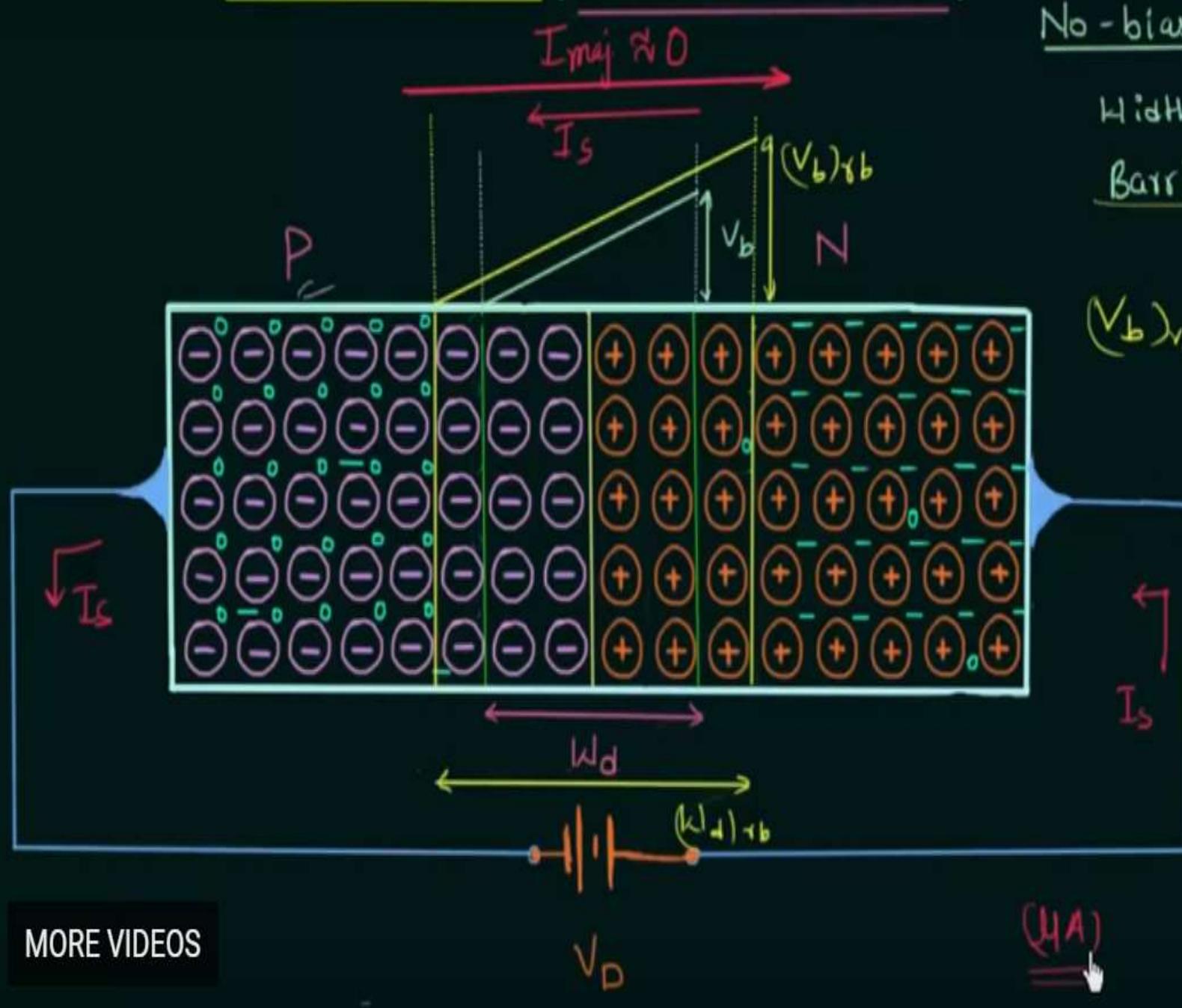




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PN Junction Diode (Reverse-Bias Condition)

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No-bias condⁿ:

$$\text{Width of d.r.} = w_d$$

$$\text{Barrier pot.} = V_b$$

$$(V_b)_{VL} = V_b + V_D$$

$$V_D \uparrow (V_b)_{VL}$$

$$(W_d)_{VL}$$

$$(V_b)_{VL}$$

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unction Diode (Reverse-Bias Condition)

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No-bias condⁿ:

$$\text{Width of d.o.} = W_d$$

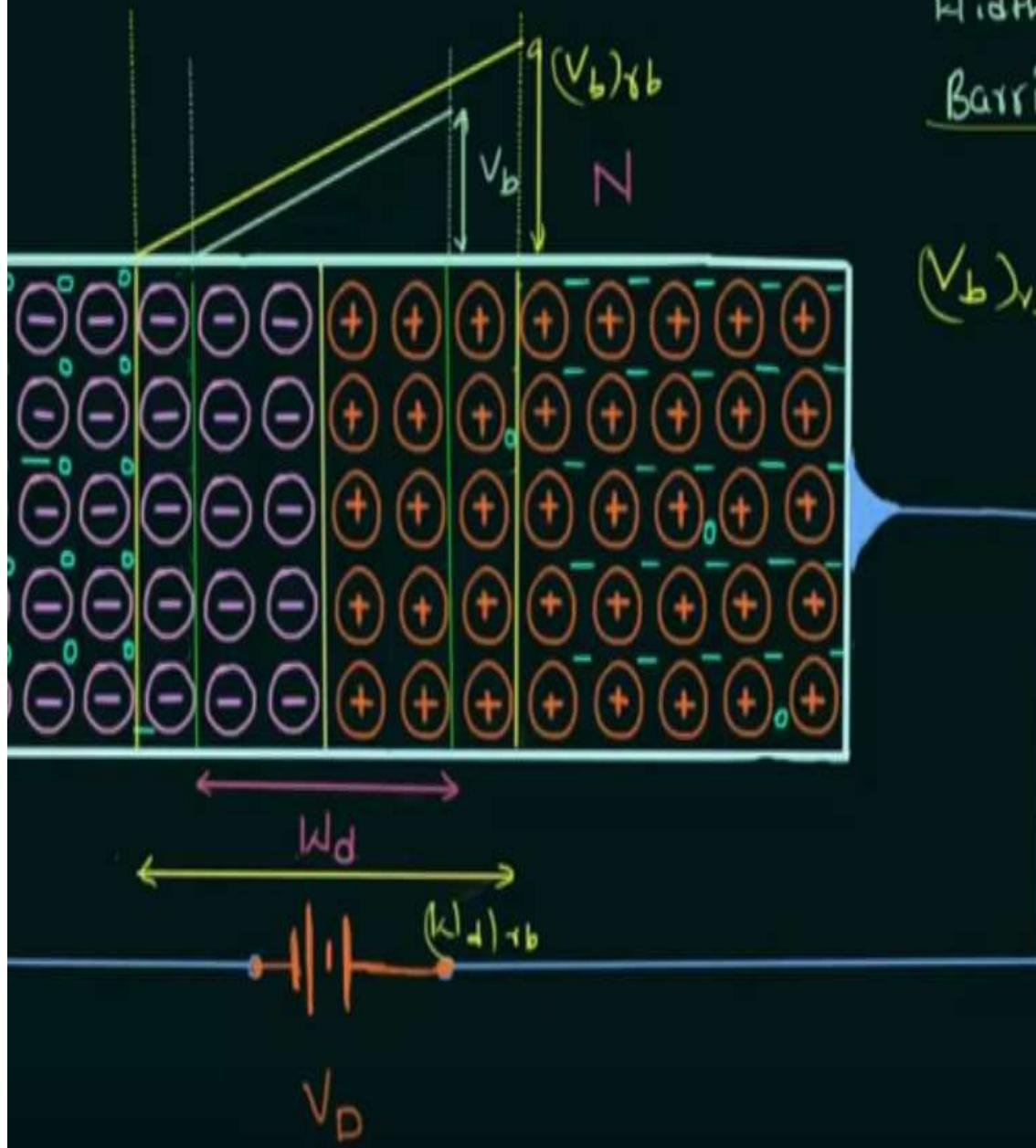
$$\text{Barrier pot.} = V_b$$

$$(V_b)_{vb} = V_b + V_D$$

$$V_D \uparrow (V_b)_{nb} \uparrow (W_d)_{vb} \uparrow$$

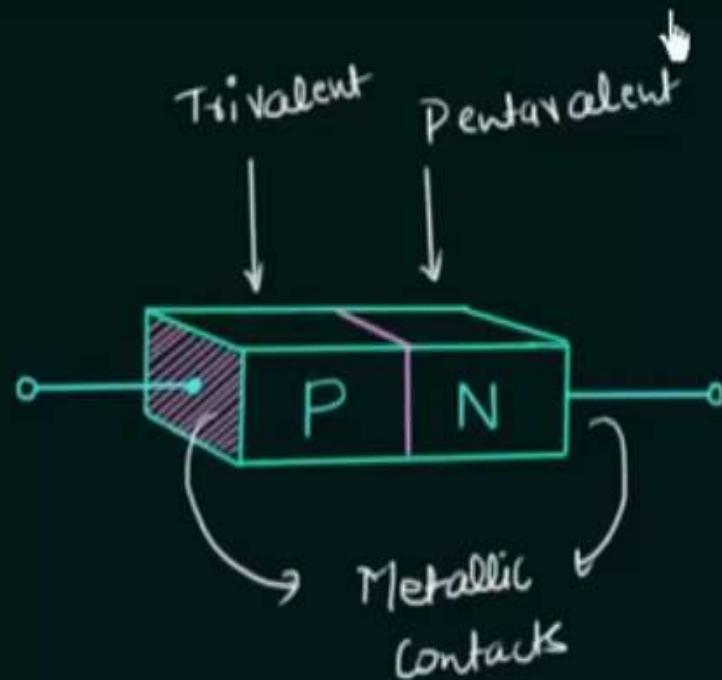
$$(W_d)_{vb} > (W_d)_{nb} > (W_d)_{fb}$$

$$(V_b)_{vb} > (V_b)_{nb} > (V_b)_{fb}$$





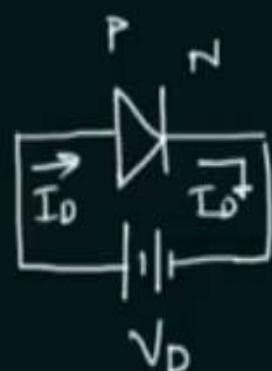
Semiconductor Diode



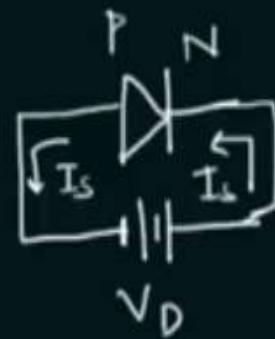
= Symbol : Depletion layer



forward bias:



Reverse bias:



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$$I_D = I_{maj.} - I_S$$

Current components of a diode

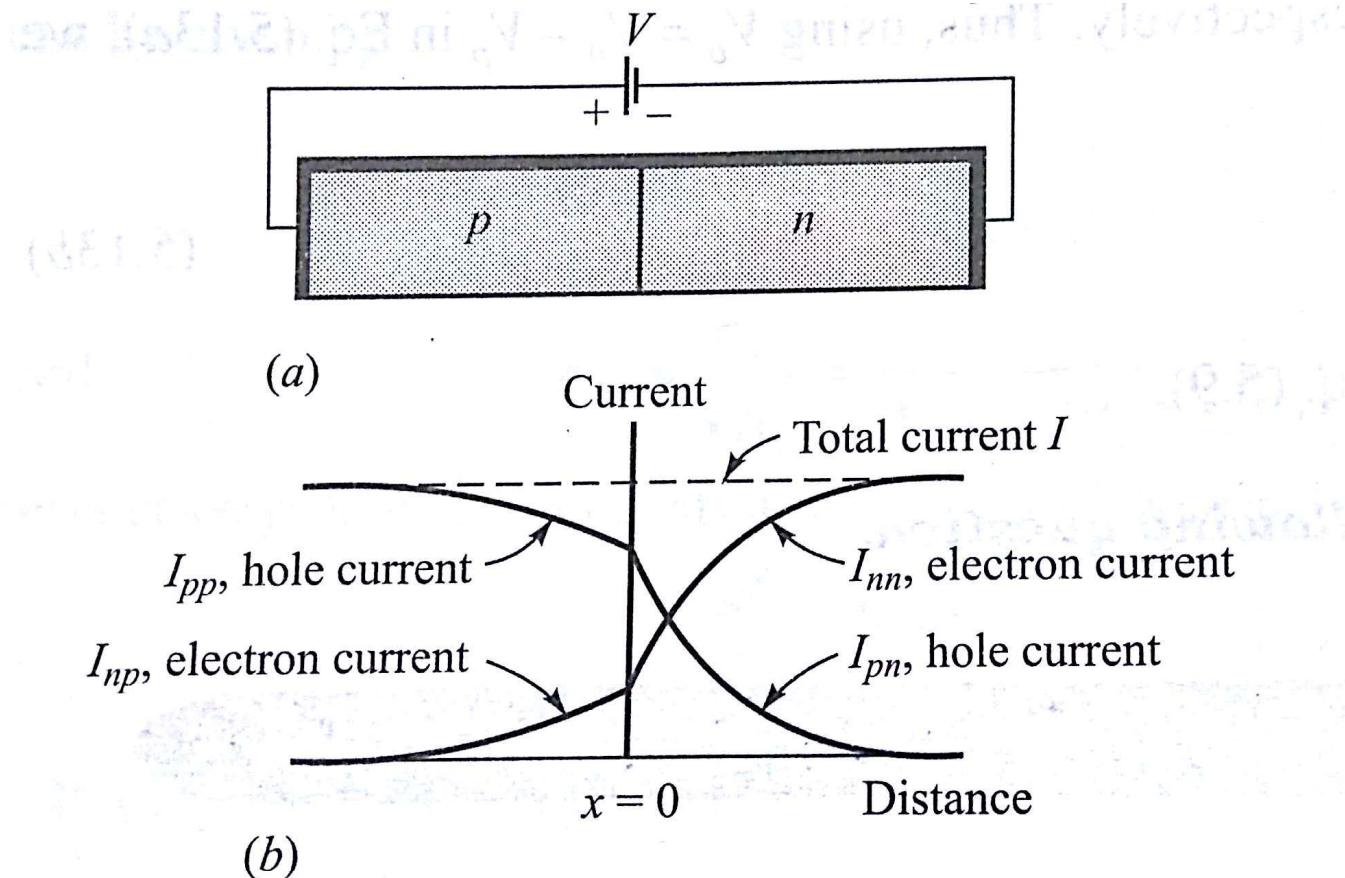


Fig. 5.5 The hole and electron-current components vs. distance in a p-n junction diode. The space-charge region at the junction is assumed to be negligibly small

- As the number of injected minority carriers falls off exponentially with distance from the junction, so does the current, as diffusion current of minority carriers is proportional to the concentration gradient.
- $J \propto dp/dx$
- $I = J \cdot A$
- Two minority currents are present, i.e. I_{pn} and I_{np}
- 1st letter is type of carrier; 2nd letter is type of material.
- I_{pn} is the hole current in the n-material.
- Electrons crossing the junction at $x = 0$ from R to L constitute a current in the same direction as hole crossing the junction from L to R. Therefore, total current I at $x = 0$ is
 - $I = I_{pn}(0) + I_{np}(0)$

- Since current is the same throughout a series circuit, I is independent of x and is indicated by a horizontal line.
- $I_{pp}(x) = I - I_{np}(x)$
- In forward-bias p-n diode, the current enters the p-side as a hole-current and leaves the n-side as an electron current of the same magnitude.
- Hence, the current in a p-n diode is bipolar in character (made of both positive & negative carriers of electricity).
- Total current is constant throughout but proportion due to holes and electrons varies with distance.

Diode Equation

Current - Voltage Relation :

$$I_D = I_s \left(e^{\frac{kV_D}{T_K}} - 1 \right)$$

I_D = Diode Current

V_D = Voltage across diode

I_s = Rev. Sat. Current

T_K = Temp. in K ($273^\circ C + T_c$)

$$\frac{k}{T_K} = \frac{1}{V_T^n}$$

$$k = \frac{11600}{\eta} \Rightarrow 11600 = k\eta$$

$\eta \rightarrow$ Ideality factor

$$* \quad \begin{cases} \eta = 1 & \text{for Ge} \\ \eta = 2 & \text{for Si} \end{cases} \quad I_D \text{ low}$$

Range between 1 and 2 * $\eta = 1$ for Ge & Si

I_D high

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Semiconductor Diode

Watch later

- Voltage Relation :

$$I_D = I_s \left(e^{\frac{V_D}{nV_T} - 1} \right)$$

$$I_D = I_s \left(e^{\frac{kV_D}{T_k} - 1} \right)$$

= Diode Current

V_D = Voltage across diode

= Rev. Sat. Current

T_k = Temp. in K ($273^\circ C + T_c$)

$$\frac{k}{T_k} = \frac{1}{nV_T}$$

$$k = \frac{11600}{\eta} \Rightarrow 11600 = kn$$

$\eta \rightarrow$ Ideality factor

* $\eta = 1$ for Ge
 $\eta = 2$ for Si] I_D low

Range between 1 and 2 * $\eta = 1$ for Ge & Si
 \downarrow

I_D high

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Example: A Germanium diode displays a forward voltage of 0.25 V at 10 mA current at room temperature. Watch later.
 Find the reverse saturation current.

$$\underline{\text{Sol}}: \quad V_D = 0.25 \text{ V}$$

$$I_D = 10 \text{ mA}$$

$$T_c = 27^\circ\text{C}$$

$$V_T = \frac{T_K}{11600}$$

$$= \frac{300}{11600} = 0.026 \text{ V}$$

$$T_K = (273 + 27) \text{ K}$$

$$I_s = ?$$

$$\eta = 1$$

$$T_K = 300 \text{ K}$$

$$I_D = I_s \left(e^{\frac{V_D}{nV_T}} \right)$$

$$10 = I_s \left(e^{\frac{0.25}{1 \times 0.026}} - 1 \right)$$

$$10 = I_s \left(e^{\frac{0.25}{1 \times 0.026}} - 1 \right)$$

$$10 = I_s \left(e^{9.615} - 1 \right)$$

$$10 = I_s (14987.922 - 1)$$

$$10 = I_s (14986.922)$$

$$I_s = \frac{10}{14986.922} \Rightarrow I_s = 6.67 \times 10^{-4} \text{ mA}$$

$$= 6.67 \times 10^{-1} \text{ A}$$

$$= 0.667 \times 10^6 \text{ A}$$

- **Forward Bias**
- When voltage V is positive and several times thermal voltage, unity in parenthesis may be neglected.
- Hence, the current increases exponentially with voltage.
- **Reverse Bias**
- When voltage V is negative and several times thermal voltage, $I \approx -I_o$
- The reverse current is **constant** and **independent of the applied reverse-bias**
- I_o is the reverse saturation current.
- Two different scales are used to display forward and reverse characteristics (because forward current is many orders of magnitude larger than the reverse saturation current).

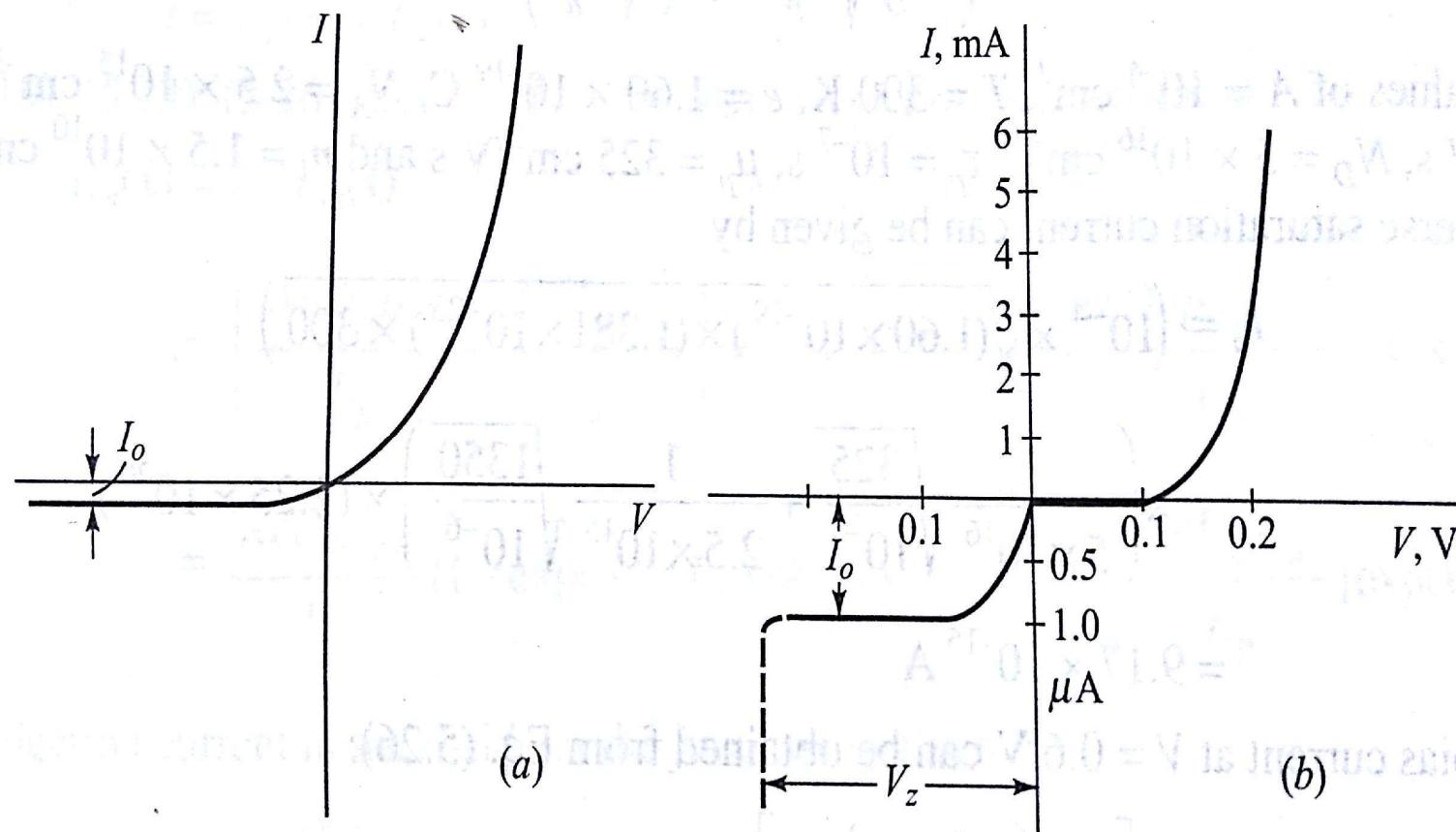


Fig. 5.7 (a) The volt-ampere characteristic of an ideal p-n diode. (b) The volt-ampere characteristic for a germanium diode redrawn to show the order of magnitude of currents. Note the expanded scale for reverse currents. The dashed portion indicates breakdown at V_z .

Cut-in voltage, V_Y

- Offset/break-point/threshold voltage
- Below which the current is very small (say, less than 1 percent of maximum rated value).
- Beyond V_Y , current rises very rapidly
- Approx 0.2 V for Ge
 0.6 V for Si
- Si-diode is offset about 0.4 V w.r.t. Ge-diode.
 - I_o of Ge-diode is about 1000 than that of Si-diode.

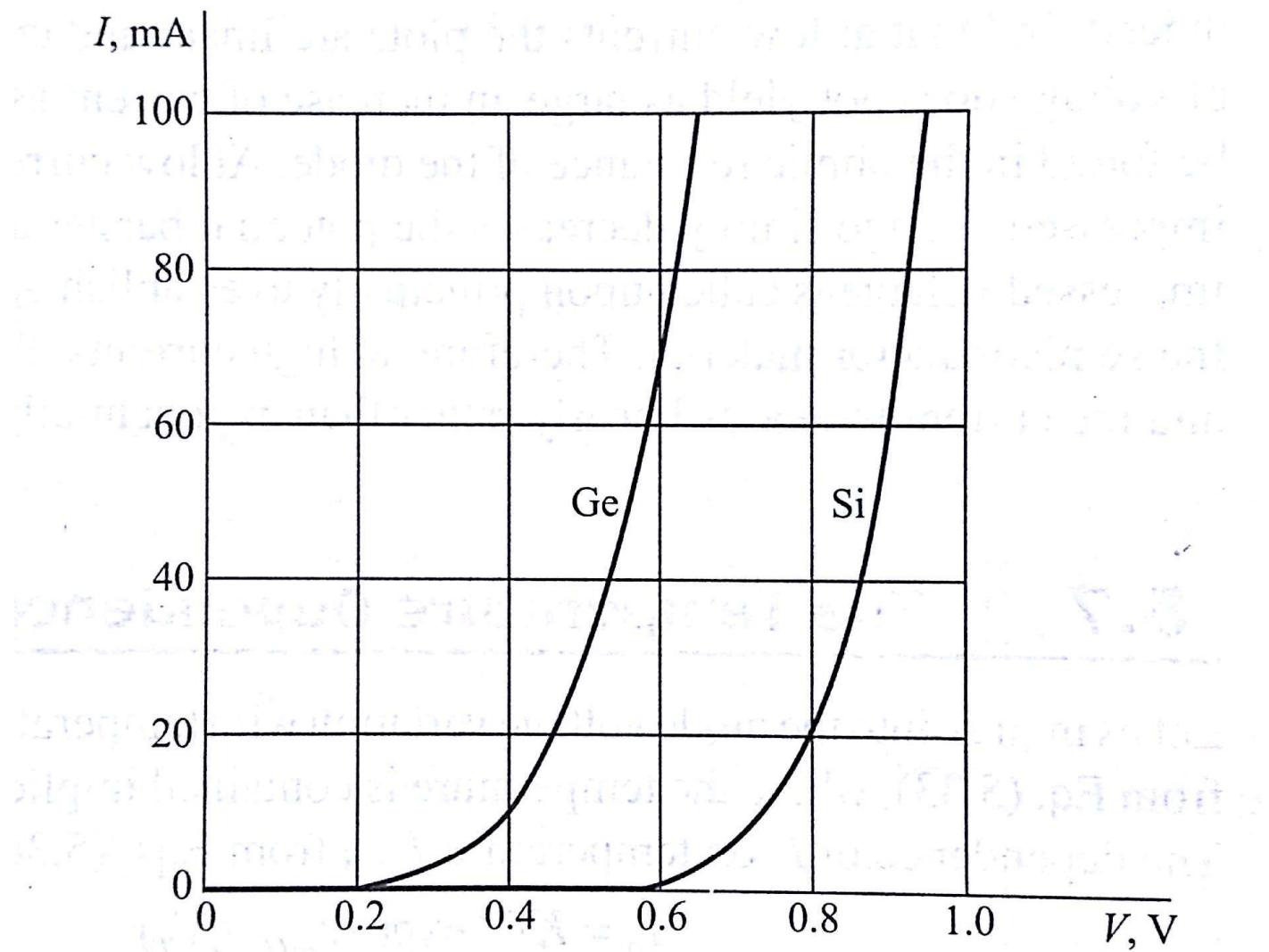
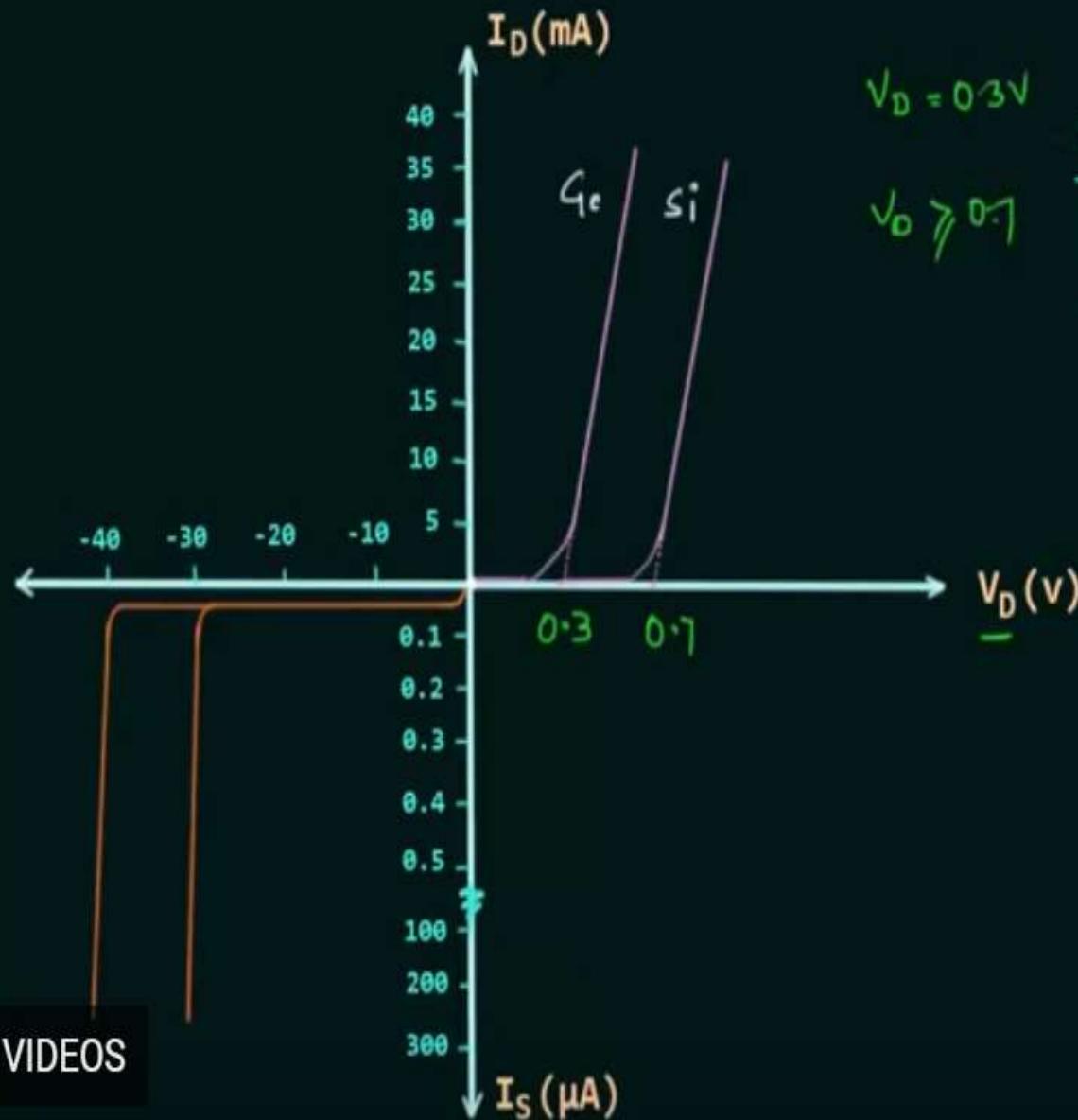
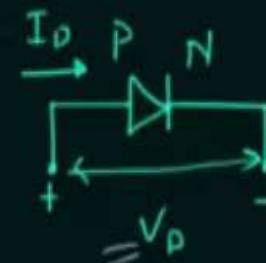


Fig. 5.8 The forward volt-ampere characteristics of a germanium (1N270) and a silicon (1N3605) diode at 25°C

V-I Characteristics of PN Junction Diode

$$V_D = 0.3V$$

$$V_D \geq 0.7V$$



$$V_D \uparrow \omega_d \downarrow V_b \downarrow$$

$$V_b \downarrow \boxed{V_D = V_b}$$

$$I_D = I_s \left(e^{\frac{V_D}{\eta V_T}} - 1 \right)$$

$V_D = 0$ (No applied bias)

$$I_D = I_s \left(e^0 - 1 \right)$$

$$I_D = I_s \left(1 - 1 \right)$$

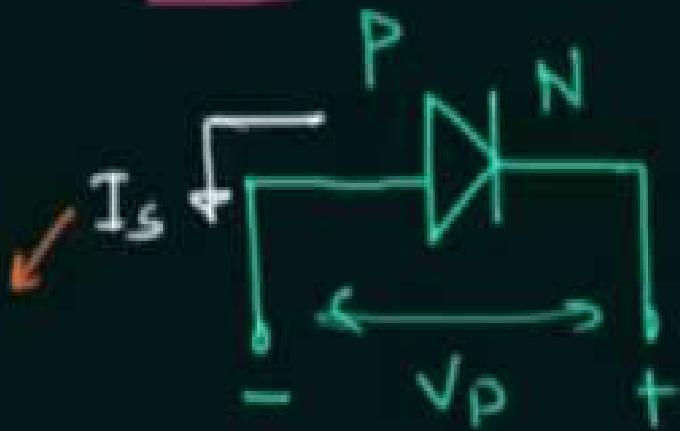
$$\boxed{I_D = 0}$$

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R.B.G

Leakage
Current



$V_D \rightarrow$ nyahire

$V_P < 0$

$$\underline{e^{\frac{V_D}{nV_T}} \ll 1} (V_D < 0)$$

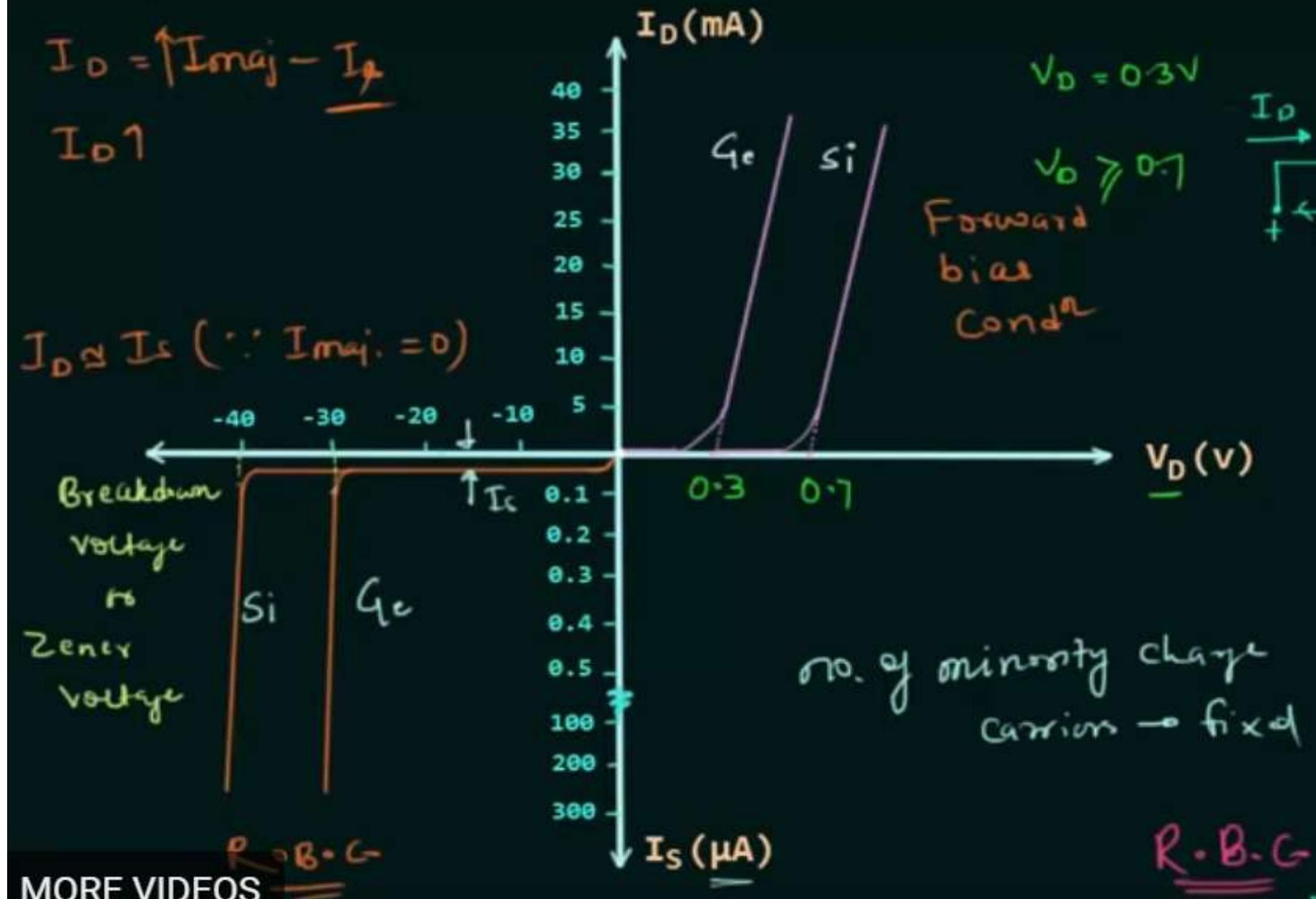
$$I_D = I_s \left(e^{\frac{V_D}{nV_T}} - 1 \right)$$

$$I_D = I_s (-1)$$

$$I_O = -I_s$$

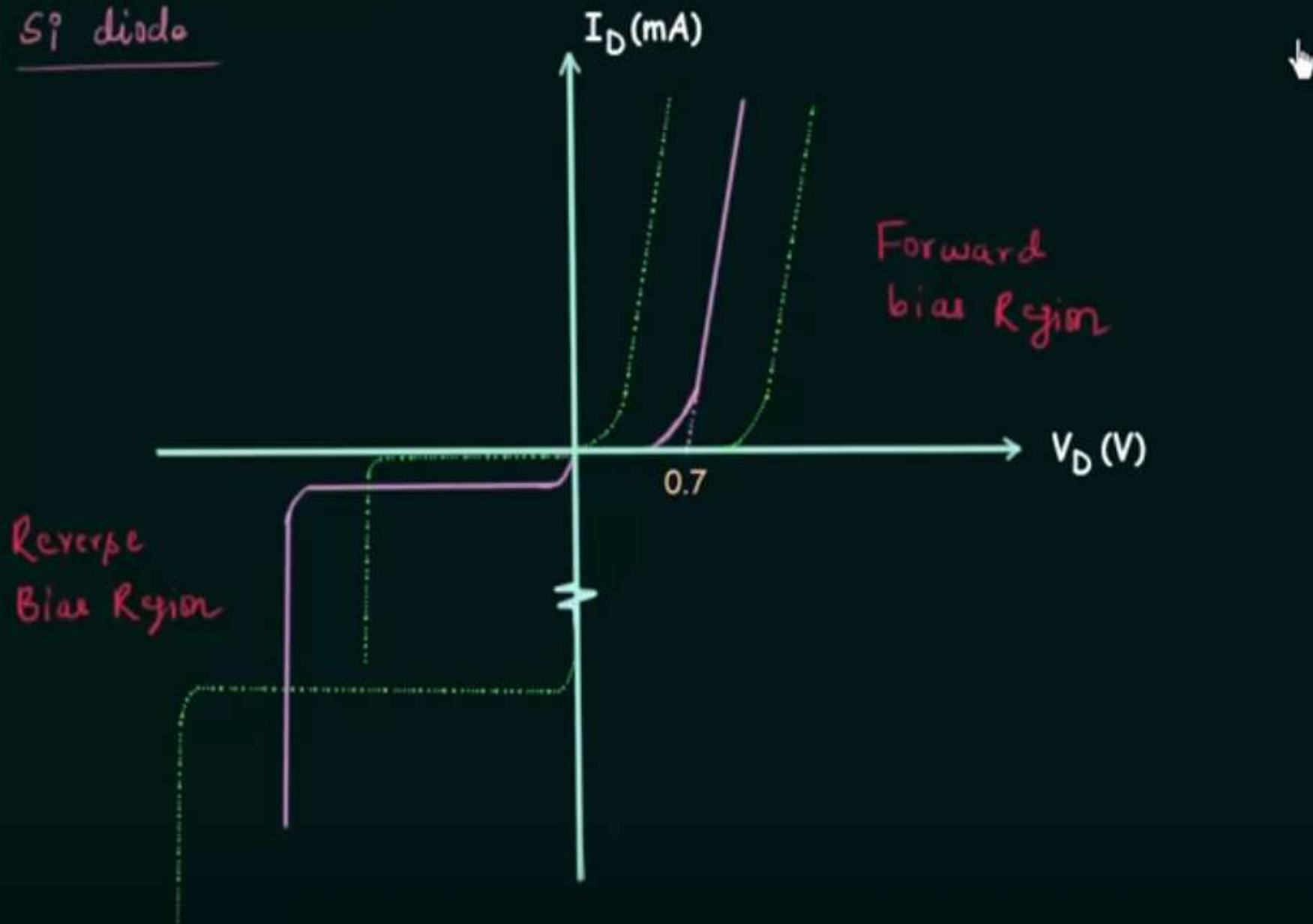


V-I Characteristics of PN Junction Diode

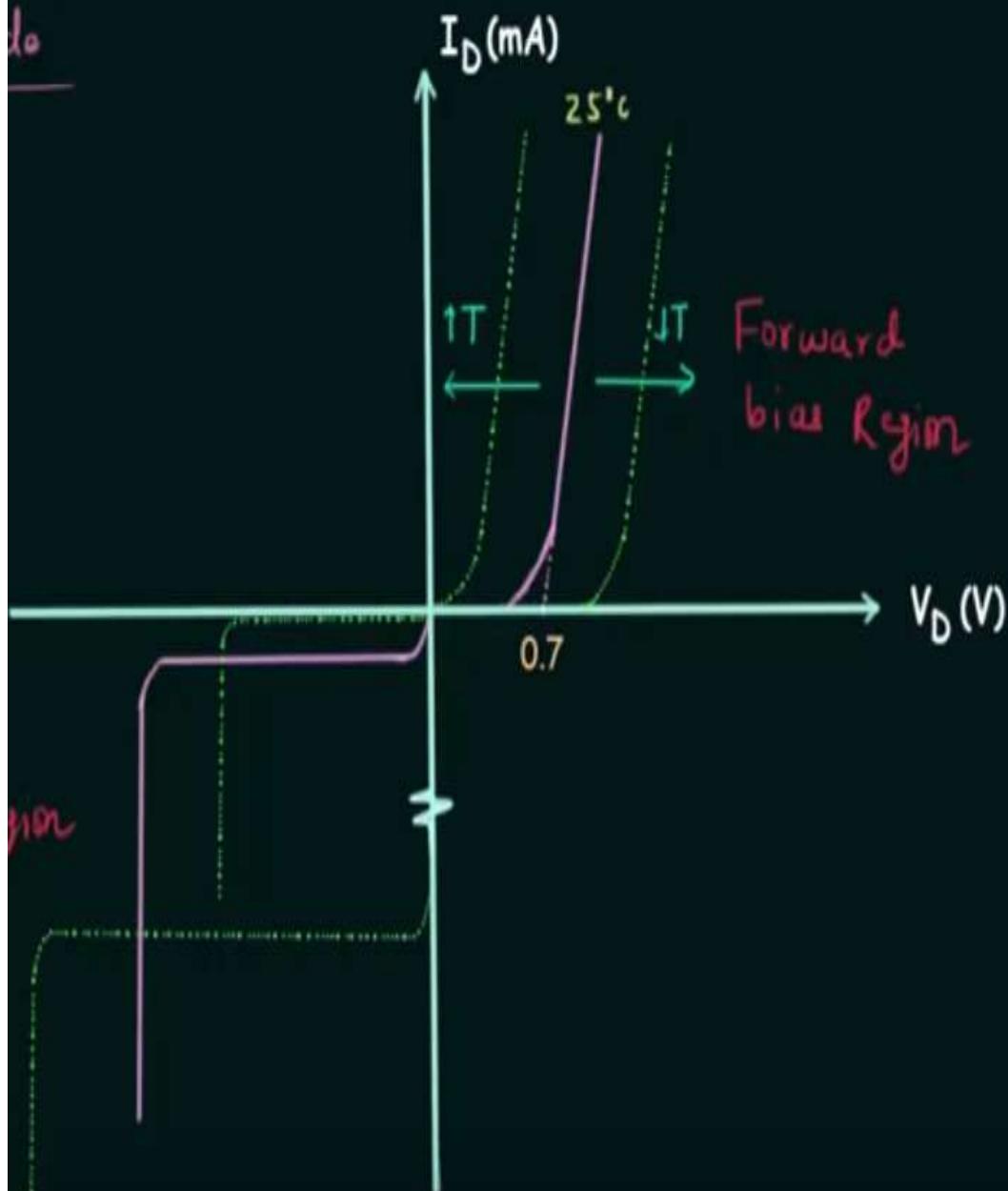


Effects of Temperature on V-I Characteristics

Si diodo



I_D



forward bias Cond:

In case of forward bias region the ch. of Si diode shift to the left at a rate of 2.5mV per degree centigrade rise in temp.

$$\text{ex: } 25^\circ\text{C} \rightarrow V_D = 0.7\text{V}$$

\rightarrow for 100°C \uparrow in temp or at 125°C



Ex: $25^\circ C \rightarrow V_D = 0.7V$

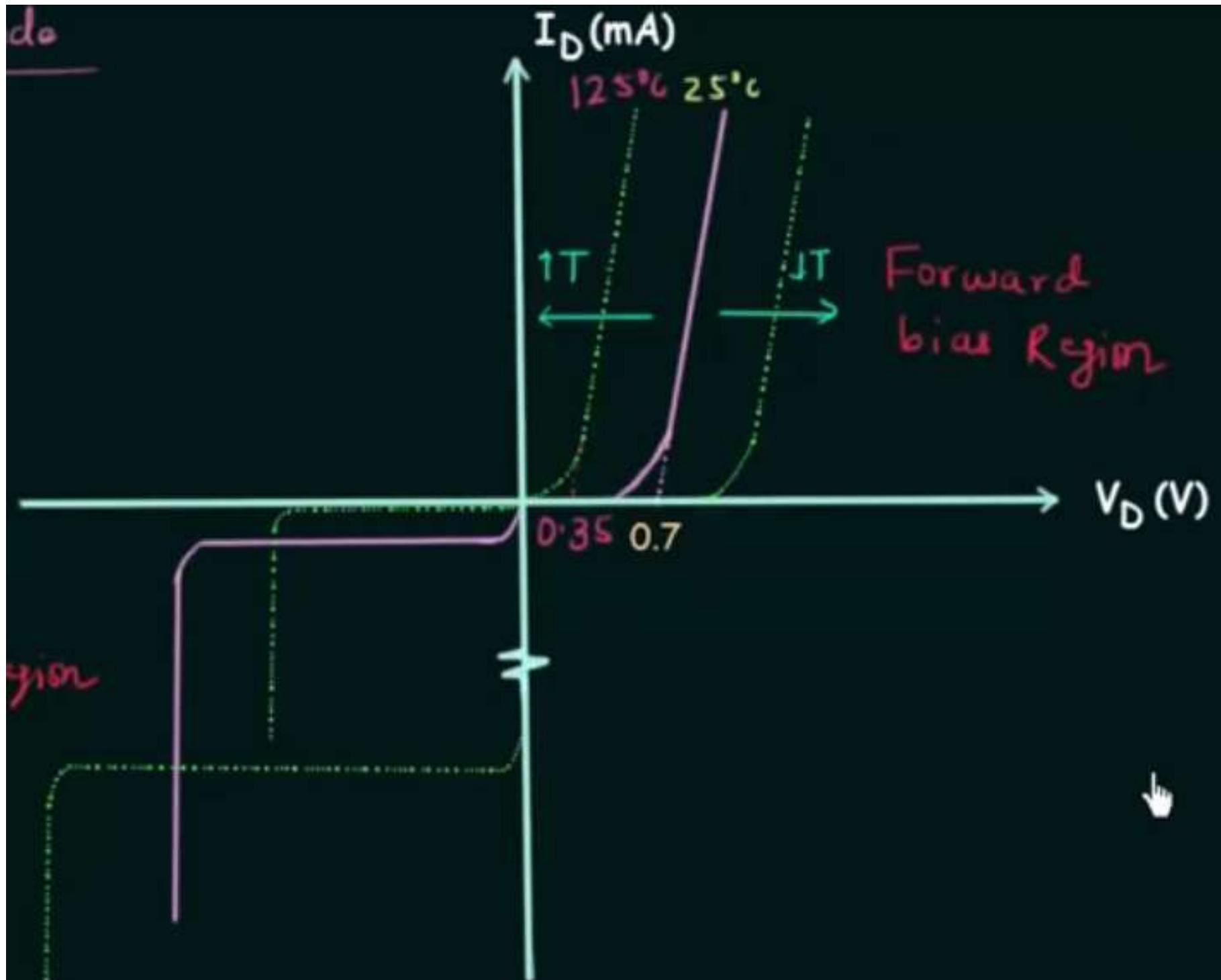
\rightarrow for $100^\circ C$ \uparrow in temp or at
 $125^\circ C$

$$100 \times 2.5 \text{ mV} = 0.25V$$

$\therefore V_D \downarrow$ by $0.25V$

$$\begin{aligned} \text{Hence } V_D &= (0.7 - 0.25)V \\ &= 0.35V \end{aligned}$$





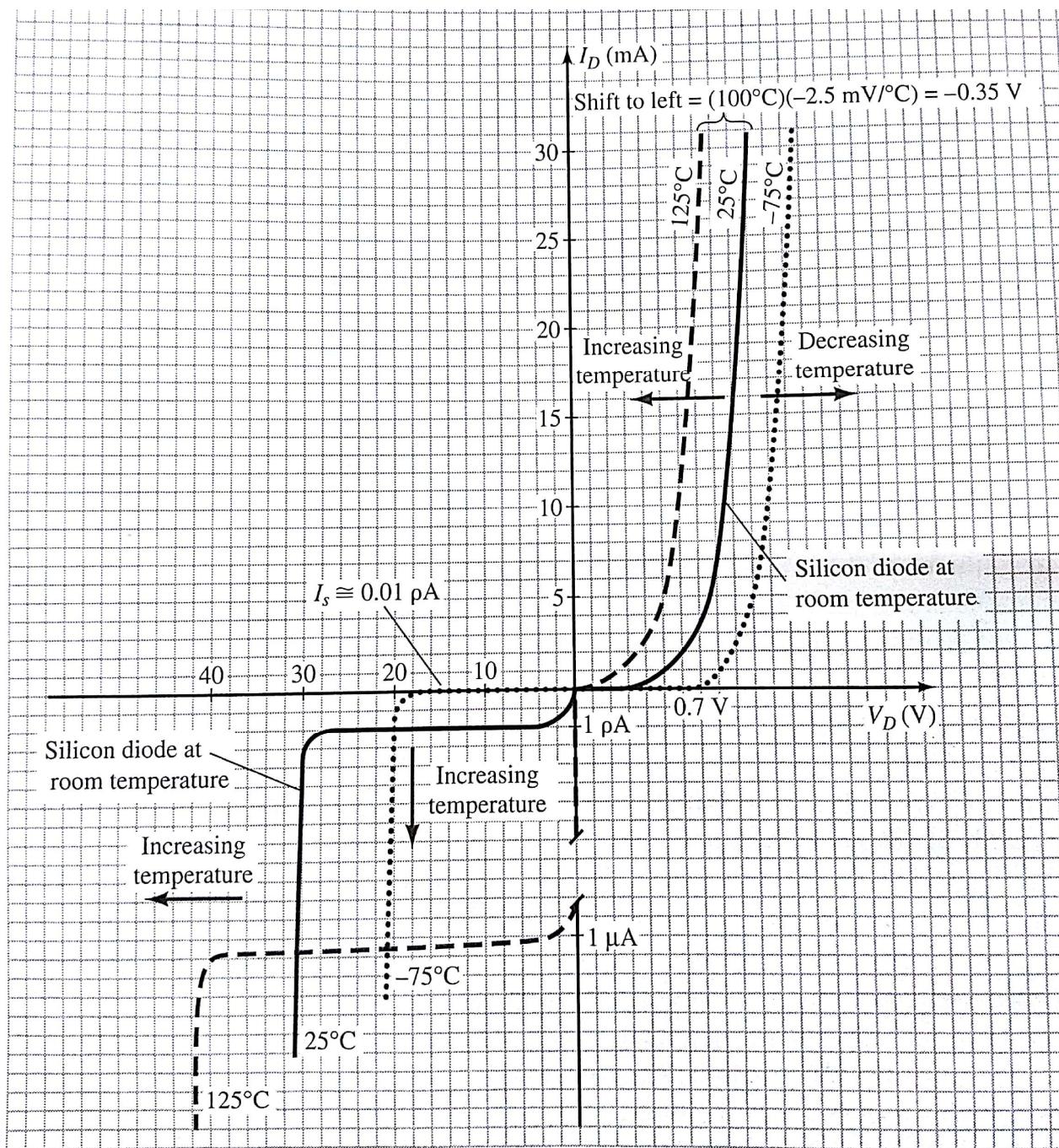
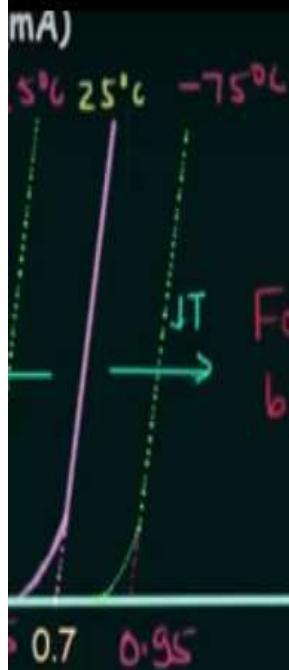


FIG. 1.19
Variation in Si diode characteristics with temperature change.



forward bias Cond:

→ for 100°C ↑ in temp
(-75°C)

e.g. In case of forward bias region
the ch. of Si diode shift
to the left at a rate of
 $2.5 \text{ mV per degree centigrade}$
rise in temp.

$$100 \times 2.5 \text{ mV} = \underline{0.25 \text{ V}}$$

$$\begin{aligned} \text{New } V_D &= (0.7 + 0.25) \\ &= 0.95 \text{ V} \end{aligned}$$

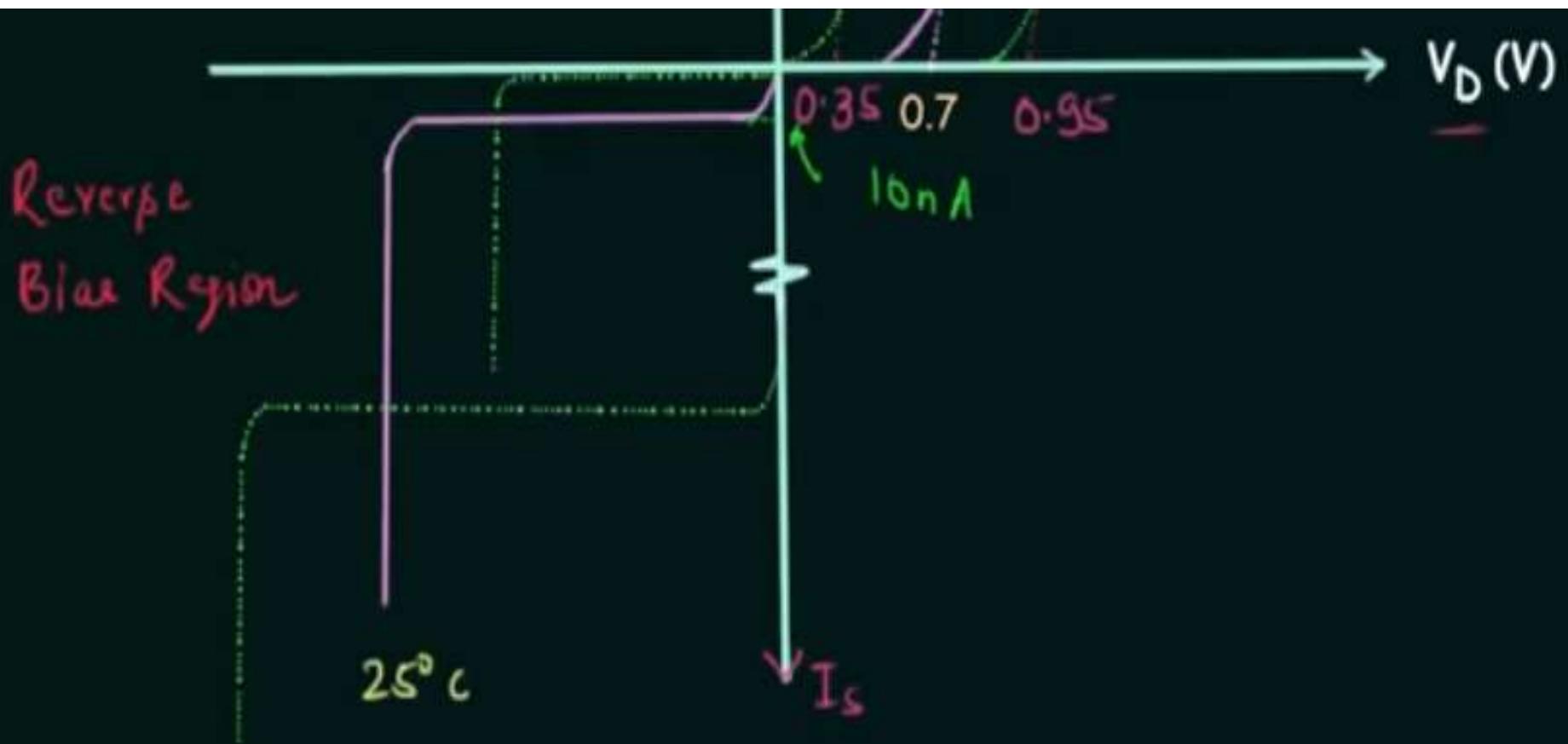
e.g.: $25^{\circ}\text{C} \rightarrow V_D = 0.7 \text{ V}$

→ for 100°C ↑ in temp or at
 125°C

$$100 \times 2.5 \text{ mV} = 0.25 \text{ V}$$

$\therefore V_D \downarrow$ by 0.25 V





for Rev. bias cond³ \rightarrow I_c double for every $10^\circ C \uparrow$ in temp

\rightarrow for $100^\circ C \uparrow$ in temp. [$125^\circ C$]

for Rev. bias cond' \rightarrow I_c double for every
 $10^\circ C \uparrow$ in temp

\rightarrow for $100^\circ C \uparrow$ in temp. [$125^\circ C$]

$$10^\circ C \xrightarrow{25^\circ C} 10 nA$$

$$10^\circ C \xrightarrow{35^\circ C} 20 nA$$

$$10^\circ C \xrightarrow{45^\circ C} 40 nA$$

$$10^\circ C \xrightarrow{65^\circ C} 80 nA$$

⋮

$$10^\circ C \xrightarrow{125^\circ C} 10240 nA \text{ or } 10.24 \mu A$$

Imp. Points

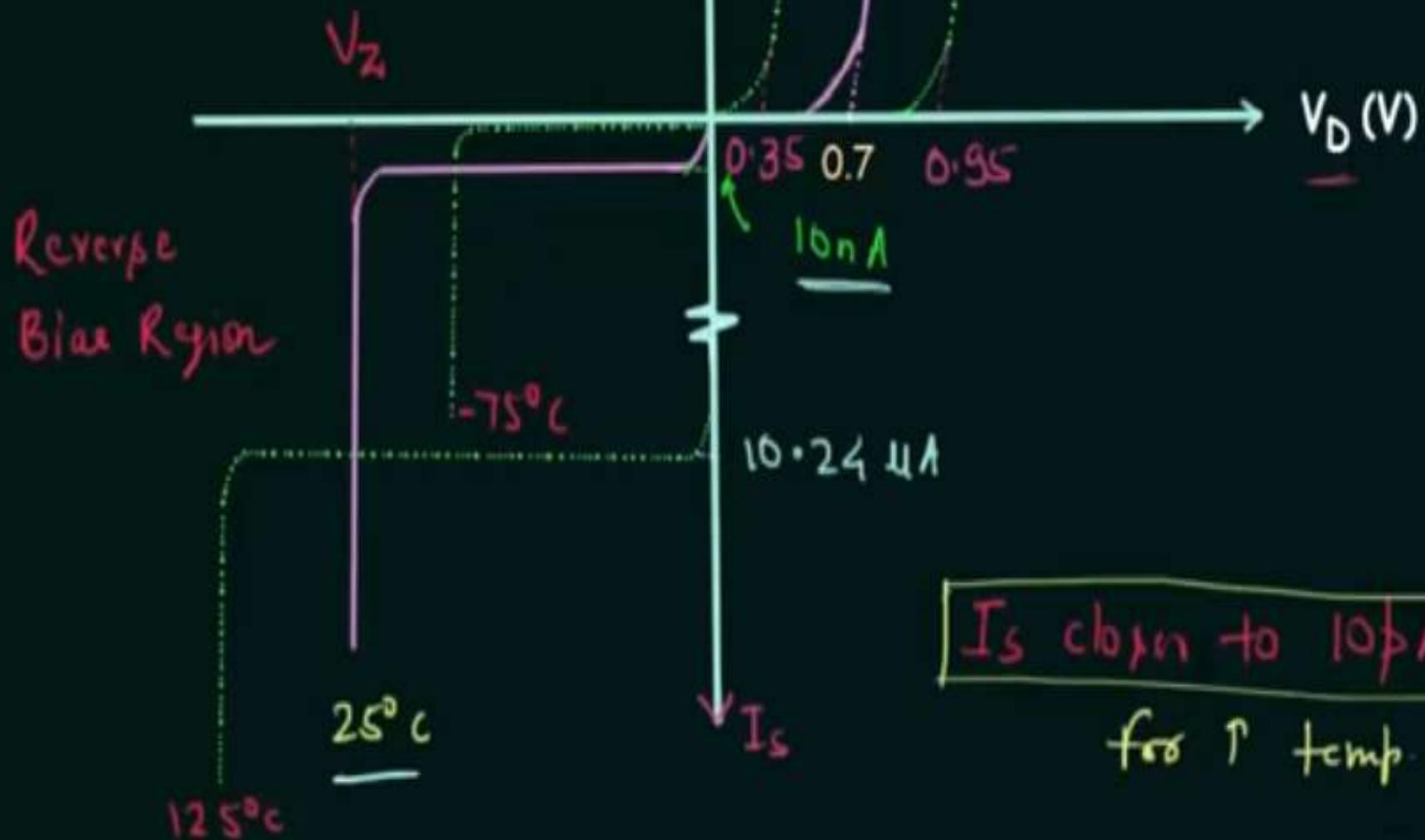
→ If $I_S = I_{S1}$ at temp T_1 , then at any temp T
 I_S is given as :-

$$\left[I_S(T) = I_{S1} \times 2^{(T-T_1)/10} \right] \quad - (15)$$

* for eg. in last ques :-

$$\begin{aligned} I_S[125^\circ\text{C}] &= 10\text{nA} \times 2^{(125-25)/10} \\ &= 10\text{nA} \times 2^{100/10} \\ &= 10\text{nA} \times 2^{10} = 10240\text{nA} \end{aligned}$$

\uparrow in I_s with T
dep. on Zener
pot.



1.10 TRANSITION AND DIFFUSION CAPACITANCE

It is important to realize that:

Every electronic or electrical device is frequency sensitive.

That is, the terminal characteristics of any device will change with frequency. Even the resistance of a basic resistor, as of any construction, will be sensitive to the applied frequency. At low to mid-frequencies most resistors can be considered fixed in value. However, as we approach high frequencies, stray capacitive and inductive effects start to play a role and will affect the total impedance level of the element.

For the diode it is the stray capacitance levels that have the greatest effect. At low frequencies and relatively small levels of capacitance the reactance of a capacitor, determined by $X_C = 1/2\pi fC$, is usually so high it can be considered infinite in magnitude, represented by an open circuit, and ignored. At high frequencies, however, the level of X_C can drop to the point where it will introduce a low-reactance "shorting" path. If this shorting path is across the diode, it can essentially keep the diode from affecting the response of the network.

In the p-n semiconductor diode, there are two capacitive effects to be considered. Both types of capacitance are present in the forward- and reverse-bias regions, but one so outweighs the other in each region that we consider the effects of only one in each region.

Recall that the basic equation for the capacitance of a parallel-plate capacitor is defined by $C = \epsilon A/d$, where ϵ is the permittivity of the dielectric (insulator) between the plates of area A separated by a distance d . In a diode the depletion region (free of carriers) behaves essentially like an insulator between the layers of opposite charge. Since the depletion width (d) will increase with increased reverse-bias potential, the resulting transition capacitance will decrease, as shown in Fig. 1.33. The fact that the capacitance is dependent on the applied reverse-bias potential has application in a number of electronic systems. In fact, in Chapter 16 the varactor diode will be introduced whose operation is wholly dependent on this phenomenon.

This capacitance, called the transition (C_T), barriers, or depletion region capacitance, is determined by

$$C_T = \frac{C(0)}{(1 + |V_R/V_K|)^n} \quad (1.9)$$

As $R_B \uparrow$
 $W_d \uparrow$
 $\therefore C_T = \frac{C_A}{2} \propto$
 $R_B \cdot -C_T$

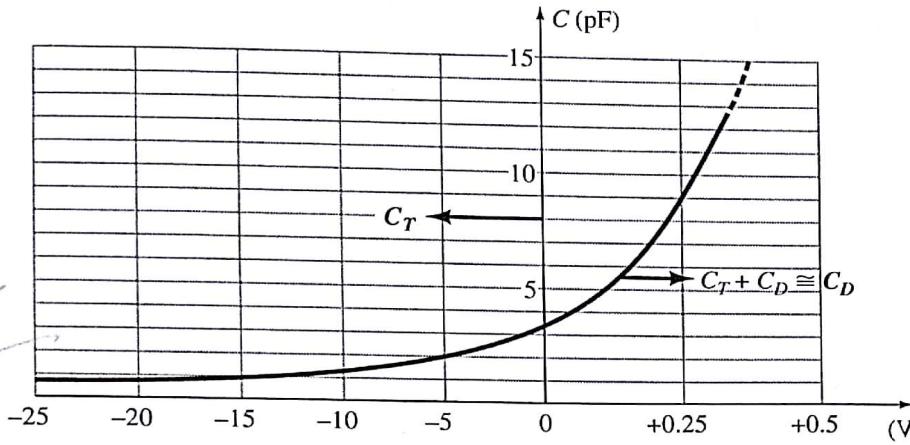


FIG. 1.33

Transition and diffusion capacitance versus applied bias for a silicon diode.

where $C(0)$ is the capacitance under no-bias conditions and V_R is the applied reverse bias potential. The power n is $\frac{1}{2}$ or $\frac{1}{3}$ depending on the manufacturing process for the diode.

Although the effect described above will also be present in the forward-bias region, it is overshadowed by a capacitance effect directly dependent on the rate at which charge is injected into the regions just outside the depletion region. The result is that increased levels of current will result in increased levels of diffusion capacitance (C_D) as demonstrated by the following equation:

$$C_D = \left(\frac{\tau_r}{V_K} \right) I_D \quad (1.10)$$

where τ_r is the minority carrier lifetime—the time it would take for a minority carrier such as a hole to recombine with an electron in the n -type material. However, increased levels of current result in a reduced level of associated resistance (to be demonstrated shortly), and the resulting time constant ($\tau = RC$), which is very important in high-speed applications, does not become excessive.

In general, therefore,

the transition capacitance is the predominant capacitive effect in the reverse-bias region whereas the diffusion capacitance is the predominant capacitive effect in the forward-bias region.

The capacitive effects described above are represented by capacitors in parallel with the ideal diode, as shown in Fig. 1.34. For low- or mid-frequency applications (except in the power area), however, the capacitor is normally not included in the diode symbol.

F·R - C_D

As $I \uparrow$
 $C \uparrow$
 $V_K \rightarrow$ battery voltage

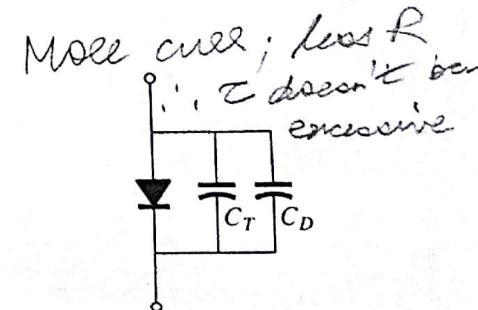


FIG. 1.34

Including the effect of the transition or diffusion capacitance on the semiconductor diode.

Space-Charge Capacitance

With no applied voltage the width d of the depletion region can be calculated to be $5 \times 10^{-5} \text{ cm} = 5 \times 10^{-4} \text{ mm} = 0.0005 \text{ mm}$ and is mostly in the N-type material.* The movement of majority holes and electrons across the junction causes opposite charges to be stored at this distance ' d ' apart. This is effectively a parallel plate capacitor whose capacitance C_T (often called space-charge capacitance) can be calculated to be approximately 20 pF with no external bias.

As forward bias is applied (5 mA current) the depletion region decreases to approximately $4 \times 10^{-4} \text{ mm}$, and the capacitance C_T increases to 25 pF. Under reverse-bias conditions, (-4V), the depletion region increases to approximately $12 \times 10^{-4} \text{ mm}$, with a corresponding decrease of C_T to 8 pF. The variation in space-charge capacitance (sometimes called transition capacitance) with applied reverse voltage is shown in Fig. 5-20 for a TIV 308 silicon voltage-variable-capacitance diode, used in an automatic frequency control (AFC) circuit in an FM tuner.

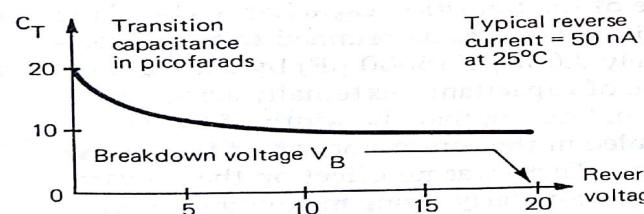


Fig. 5-20. Graph showing variation in capacitance with voltage for a TIV 308 diode.

The application of this property, voltage variable capacitance, appears in varactors, vari-caps, or voltacaps. If a diode is used in the reverse-biased manner as a capacitor in an LC resonant circuit, the value of C and hence the resonant frequency can be varied by altering the reverse bias applied to the diode; no moving parts required.

The symbol used for these diodes when used in this manner is as shown in Fig. 5-21 with the equivalent circuit.

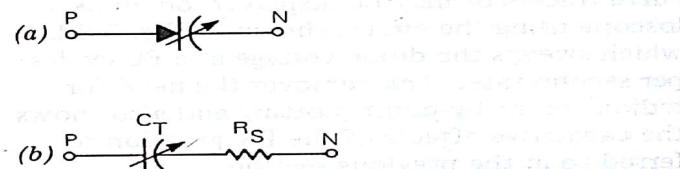


Fig. 5-21. (a) Symbol for voltage-variable-capacitor diode. (b) Equivalent circuit for the diode under reverse bias.

R_S is the body resistance, approximately 1-5 ohms. C_T can be as much as 300 pF in some low voltage Zener diodes.

Diffusion Capacitance

The reason that the capacitance was not shown in Fig. 5-20 for the forward-biased condition is the presence of another capacitance, C_D .

This can be defined by the equation, $C_D = \frac{dq}{dv}$, where dq represents the change in the number of minority carriers stored outside the depletion region when a change in voltage across the diode, dv , is supplied. This is very large in the forward-biased direction, ranging from 8000 pF to as much as $20\mu\text{F}$, certainly swamping out any effect due to C_T .

In the reverse direction, however, C_D is smaller than C_T , and C_T predominates. The large value of C_D must be considered along with the extremely small dynamic forward

*Gibbons, J., *Semiconductor Electronics*, McGraw-Hill, New York, 1966, Section 5.6.

Diffusion Capacitance

- This is due to the injected charge carriers stored near the junction outside the transition region.

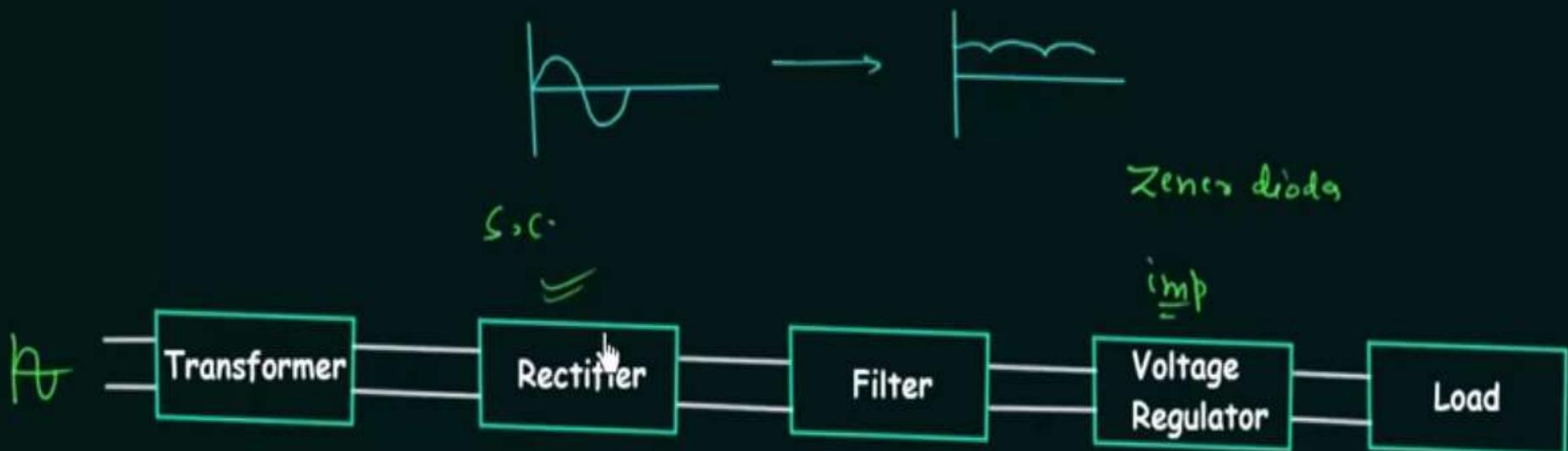
Static Derivation:

- $C_D = \frac{dQ}{dV} = \tau \frac{dI}{dV} = \tau g = \frac{\tau}{r} = \frac{\tau I}{\eta V_T}$
- C_D is proportional to the diode current.
- For RB, g is small and C_D may be neglected compare to C_T .
- For FB, g is large and C_D is much larger compare to C_T .
- For Ge at $I = 26$ mA, $g = 1$ mho, $C_D = \tau$. If $\tau = 20$ microSec, then $C_D = 20$ microF.

Introduction to Diode Rectifier Circuits

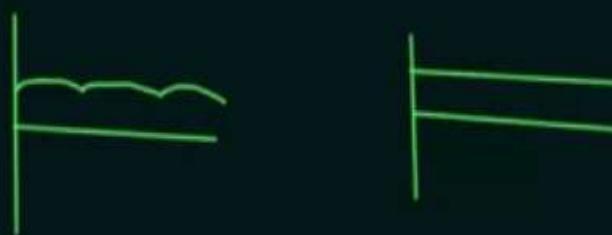
» What is a rectifier circuit?

Rectification \rightarrow corr. of Errors/Mist.



$$f = 50 \text{ Hz}$$

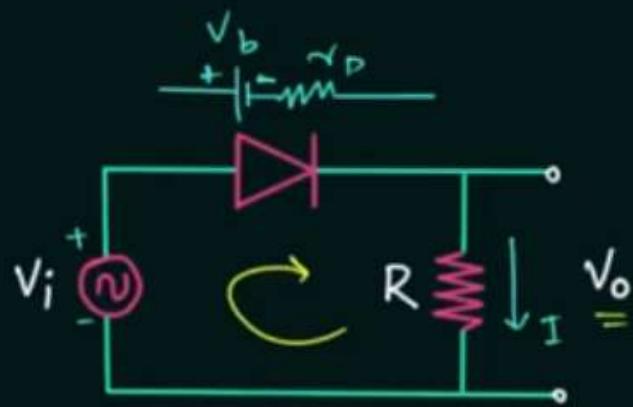
$$f = 60 \text{ Hz}$$



Half Wave Rectifier

Half Wave Rectifier

» Only one half of the ac voltage is rectified, for the other half we get zero voltage.



$$+V_i^o - V_b - I r_D - I R = 0$$

$$I = \frac{V_i^o - V_b}{r_D + R}$$

$$V_o = IR$$

$$= \left(\frac{V_i - V_b}{r_D + R} \right) \times R$$

$$+V_i^o - V_b - I R_D - I R = 0$$

$$I = \frac{V_i^o - V_b}{R_D + R}$$

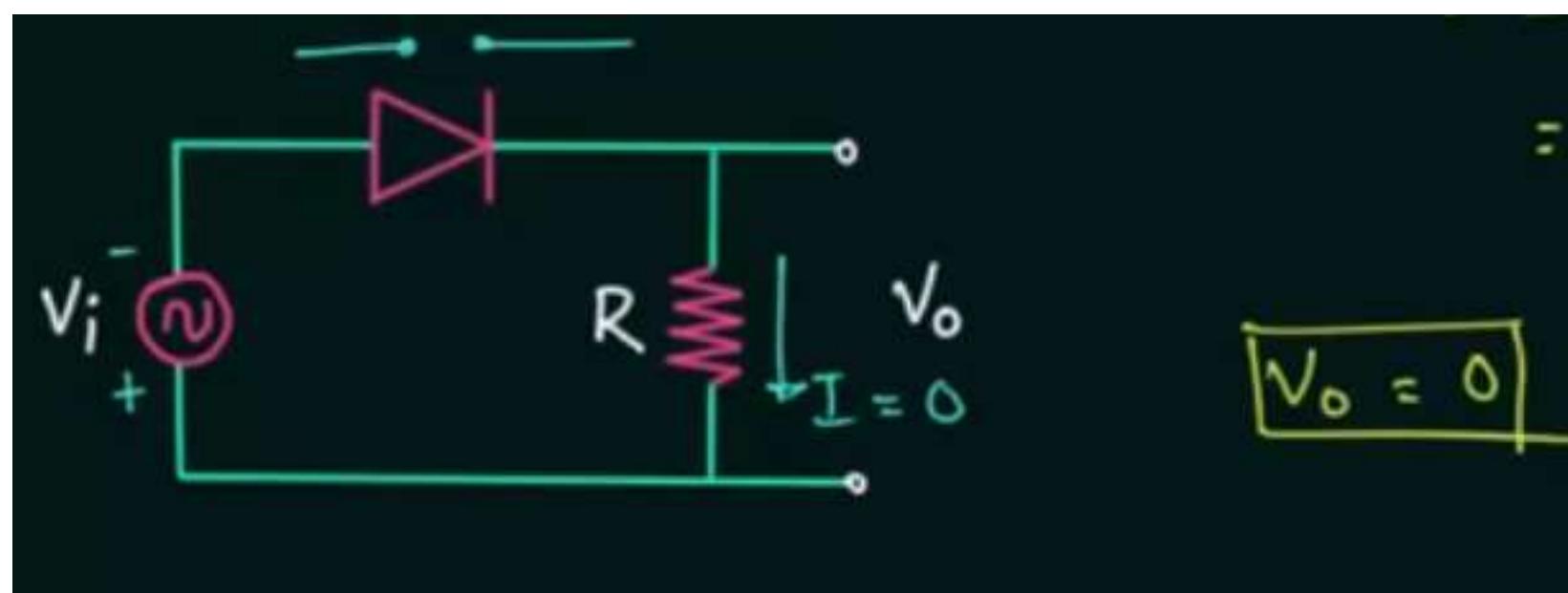
$$\swarrow R_D \ll R$$

$$V_o = IR$$

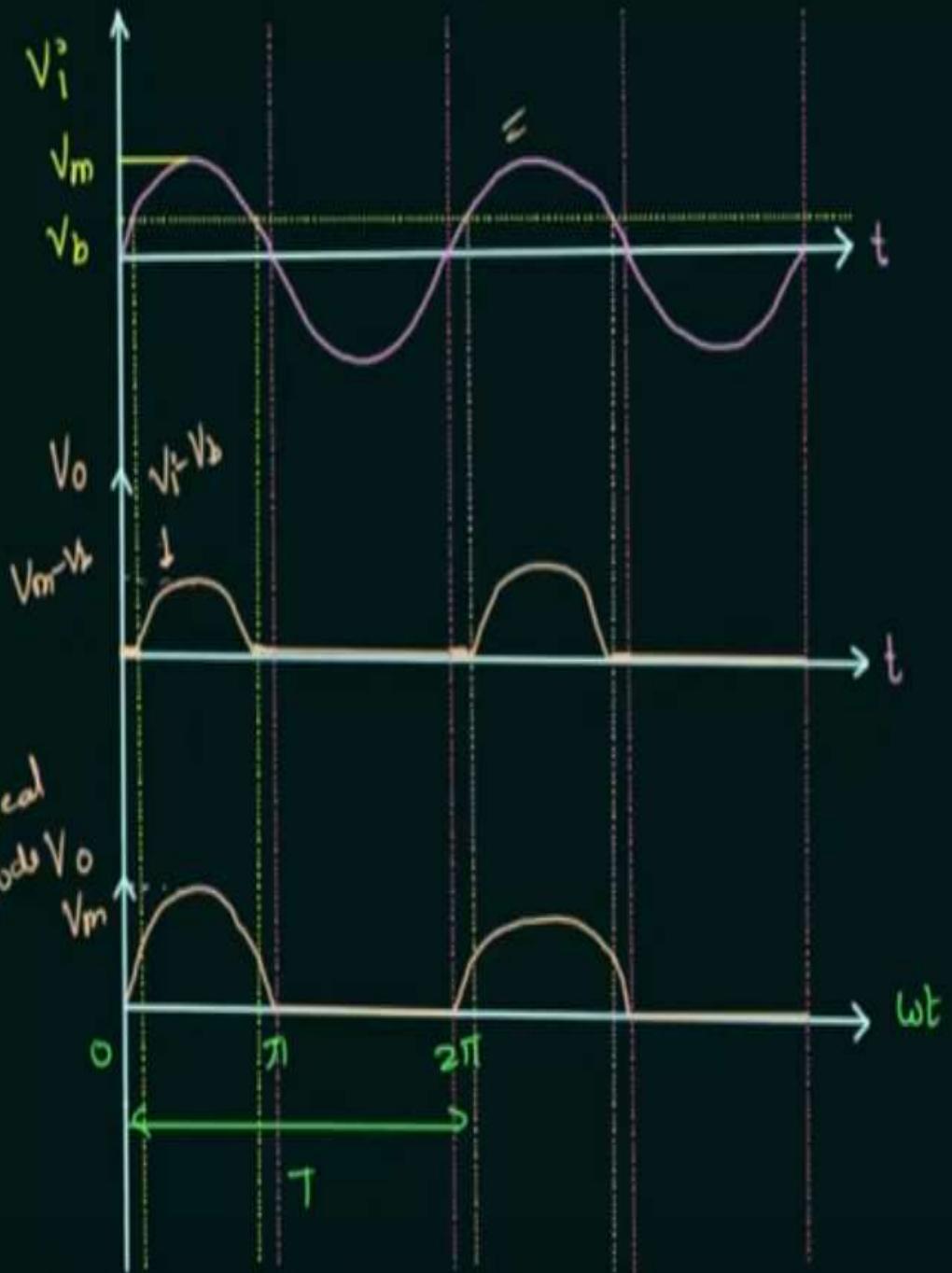
$$= \left(\frac{V_i^o - V_b}{R_D + R} \right) \times R \Rightarrow V_o = \left(\frac{R}{R_D + R} \right) V_i^o - \left(\frac{R}{R_D + R} \right) V_b$$

$$\boxed{V_o = V_i^o - V_b}$$

$$V_b = \frac{0.7V}{0.3V}$$



= Av. O/P voltage :



$$V_0 = V_i - V_b$$

$$V_0 = V_m \sin \omega t \quad 0 \leq \omega t \leq \pi$$

$$V_0 = 0 \quad \pi \leq \omega t \leq 2\pi$$

$$V_i > V_b$$

$$V_0 = 0$$

$$V_{av} = \frac{\int_0^{2\pi} V_0 d(\omega t)}{2\pi - 0}$$

Ideal model

$$J_b = 0$$

$$V_0 = V_i \rightarrow \oplus^*$$

$$V_0 = 0 \rightarrow \ominus^*$$

= ↴

$$= \frac{1}{2\pi} \left[\int_0^{\pi} V_m \sin \omega t \, d(\omega t) + \int_{\pi}^{2\pi} 0 \, d(\omega t) \right]$$

$$= \frac{1}{2\pi} \int_0^{\pi} V_m \sin \omega t \, d(\omega t)$$

$$= \frac{V_m}{2\pi} \left[-\cos \omega t \right]_0^{\pi}$$

$$= \frac{V_m}{2\pi} \left[-\cos \pi - (-\cos 0) \right]$$

$$= \frac{V_m}{2\pi} \times 2$$

$$\underline{V_{av}} = \frac{V_m}{\pi} = \frac{V_m}{3.14} = \underline{\underline{0.318V_m}}$$

A_v - load current :

$$I_{av} = \frac{V_{av}}{R}$$

$$= \frac{\sqrt{m}/n}{R}$$

$$I_{av} = \frac{\sqrt{m}}{R\pi} = \frac{I_m}{\pi}$$

$$\begin{aligned} i &= I_m \sin \alpha && \text{if } 0 \leq \alpha \leq \pi \\ i &= 0 && \text{if } \pi \leq \alpha \leq 2\pi \end{aligned} \quad (4-9)$$

where $\alpha \equiv \omega t$ and

$$I_m \equiv \frac{V_m}{R_f + R_L} \quad (4-10)$$

The transformer secondary voltage v_i is shown in Fig. 4-16b, and the rectified

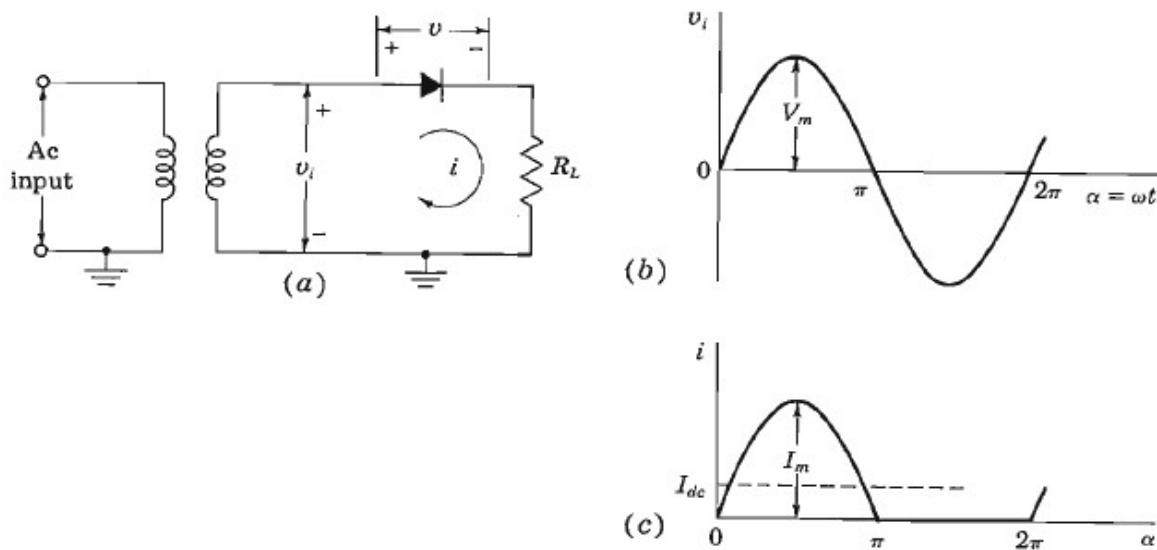


Fig. 4-16 (a) Basic circuit of half-wave rectifier. (b) Transformer sinusoidal secondary voltage v_i . (c) Diode and load current i .

Regulation

Defined as the variation of dc output voltage as a function of dc load current.

$$I_{dc} = \frac{I_m}{\pi} = \frac{V_m/\pi}{R_f + R_L}$$

$$\% \text{regulation} = \frac{V(\text{no load}) - V(\text{load})}{V(\text{load})} \times 100\%$$

No load refers to zero current.

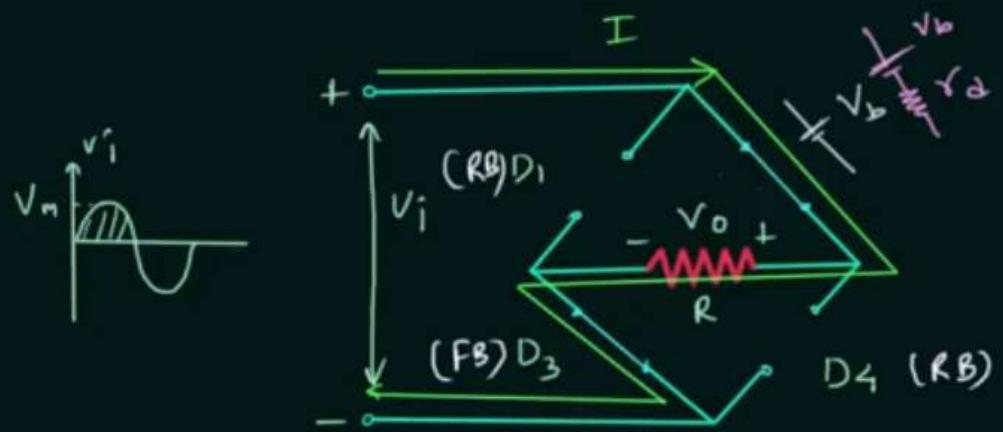
Load refers to normal load current.

$$V_{dc} = \frac{V_m}{\pi} - I_{dc}R_f$$

Full Wave Bridge Rectifier



$$\underline{H = W \cdot R_o} : \quad i) \text{ 1st half cycle} \rightarrow V_o = V_i = V_m \sin \omega t \quad ii) \text{ \checkmark } V_o = \underline{\underline{12V}} \\ \text{2nd half cycle} \rightarrow V_o = 0 \quad iii) \eta_{\%} = 40.56\%$$

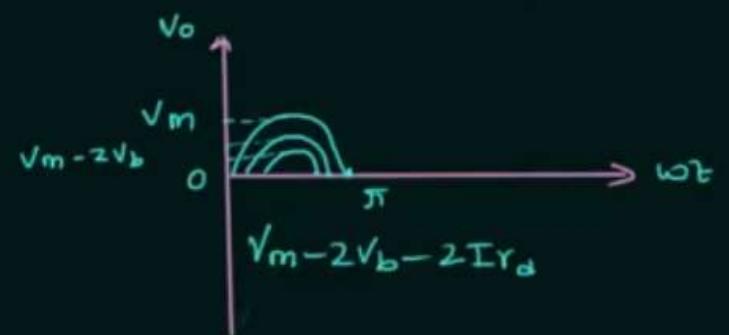
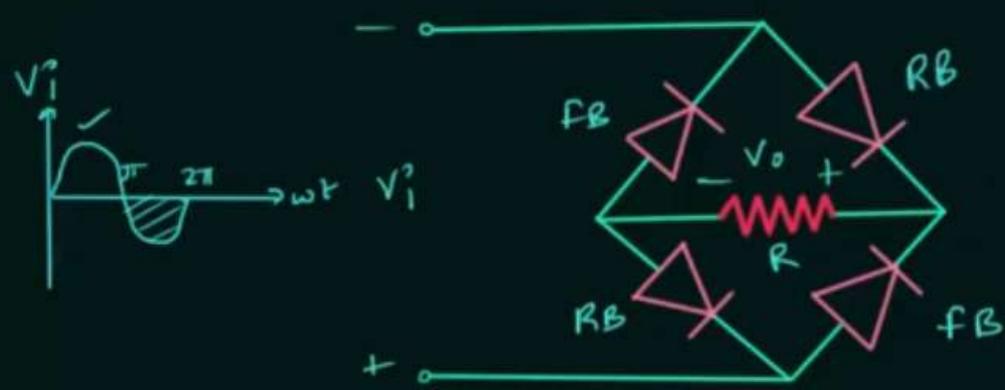


$$+V_i - V_o = 0$$

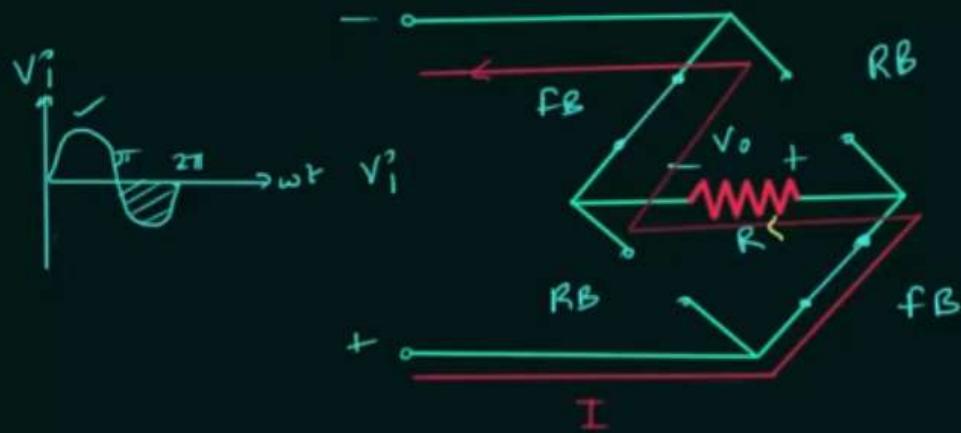
$$\boxed{V_o = V_i} \text{ ideal model}$$

$$\boxed{V_o = V_i - 2V_b} \text{ C.R.D. model}$$

$$\boxed{V_o = V_i - 2V_b - 2IR_d}$$



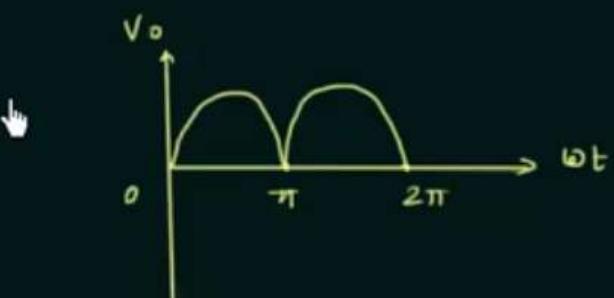
Full Wave Bridge Rectifier



$$V_m - 2V_b - 2IR_d$$

$$+V_i - V_o = 0 \quad V_o = 0$$

$$\boxed{V_o = V_i}$$



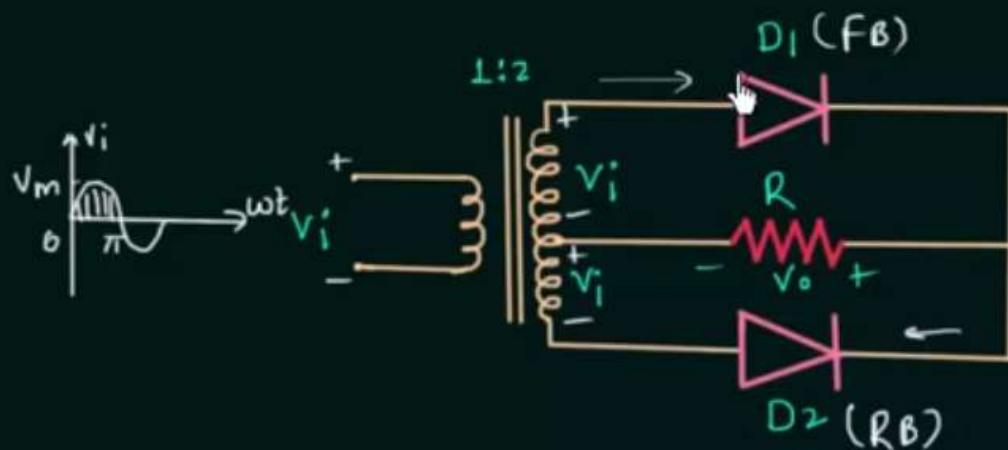
Full Wave Center-Tapped Rectifier



Full Wave Center Tapped Rectifier

$$\frac{N_p}{N_s} = \frac{V_p}{V_s} \Rightarrow \frac{1}{2} = \frac{V_p}{V_s}$$

$$V_L = 2V_1$$



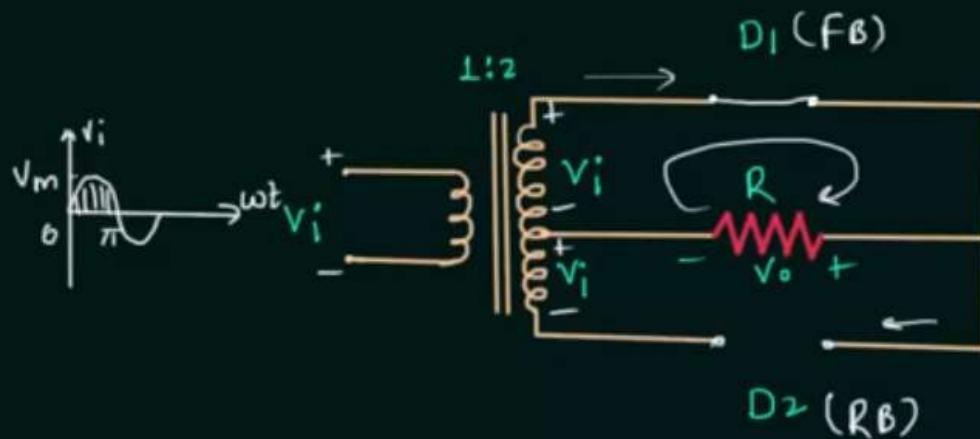
Full Wave Center-Tapped Rectifier



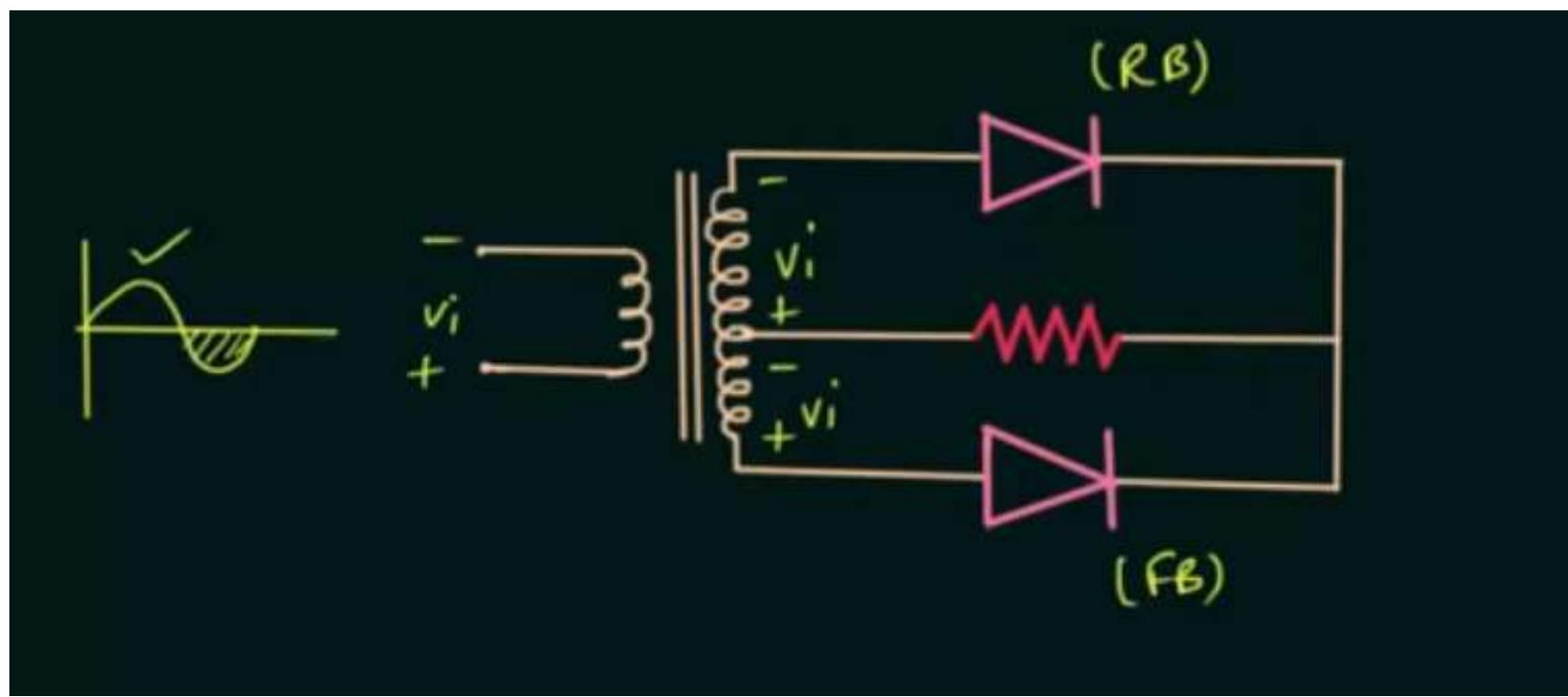
Full Wave Center Tapped Rectifier

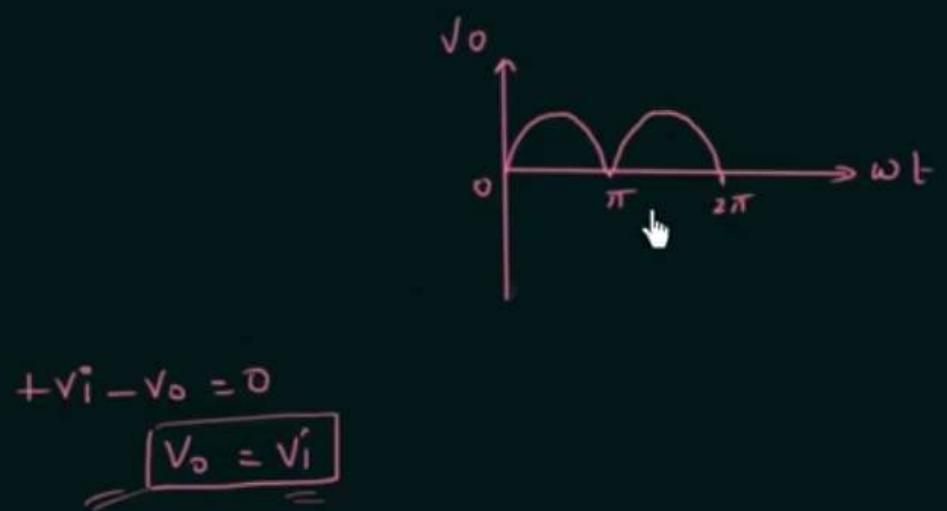
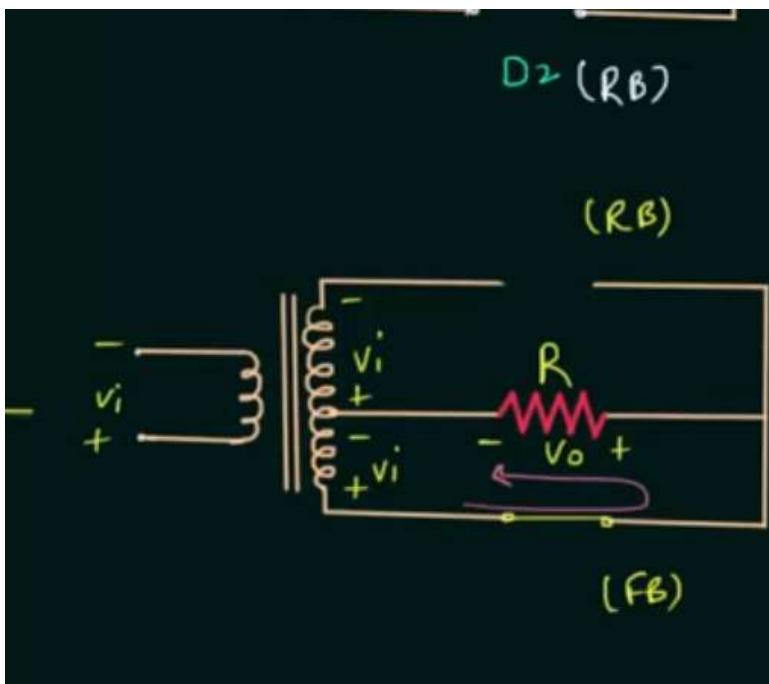
$$\frac{N_p}{N_s} = \frac{V_p}{V_s} \Rightarrow \frac{1}{2} = \frac{V_p}{V_s}$$

$$V_L = 2V_i$$



$$+V_i - V_o = 0$$
$$\boxed{V_o = V_i}$$





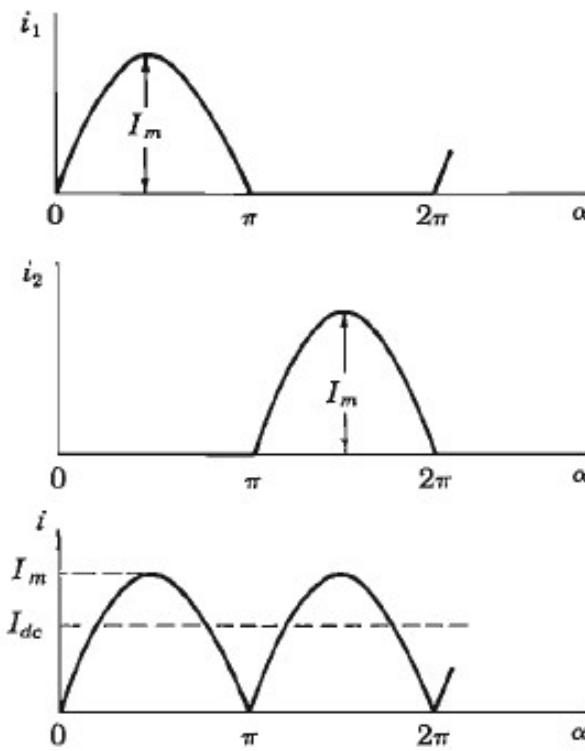
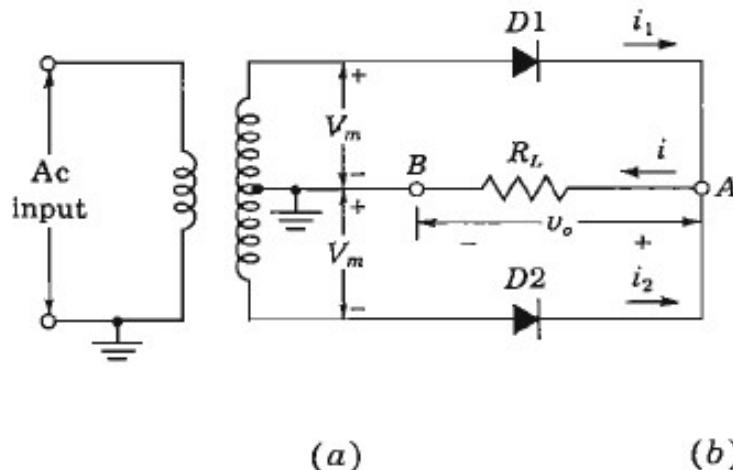


Fig. 4-19 (a) A full-wave rectifier circuit. (b) The individual diode currents and the load current i . The output voltage is $v_o = iR_L$.

		HWR	FWR
①	Avg. load voltage V_{dc} or V_{av}	$\frac{V_m}{\pi}$	$\frac{2V_m}{\pi}$
②	Avg. load current I_{dc} or I_{av}	$\frac{I_m}{\pi}$	$\frac{2I_m}{\pi}$
③	RMS load current I_{rms}	$\frac{I_m}{2}$	$\frac{I_m}{\sqrt{2}}$
④	RMS load voltage V_{rms}	$\frac{V_m}{2}$	$\frac{V_m}{\sqrt{2}}$
⑤	Form factor $F.F = \frac{V_{rms}}{V_{av}}$	1.57	1.11
⑥	Ripple factor $\gamma = \sqrt{(FF)^2 - 1}$	121%	48.1%
⑦	Efficiency $\eta = \frac{P_{load}}{P_{in}} \times 100$	40.56%	81.13%
⑧	PIV	$PIV \geq V_m$	$PIV \geq V_m$ Bridge $PIV \geq 2V_m$ Center tapped

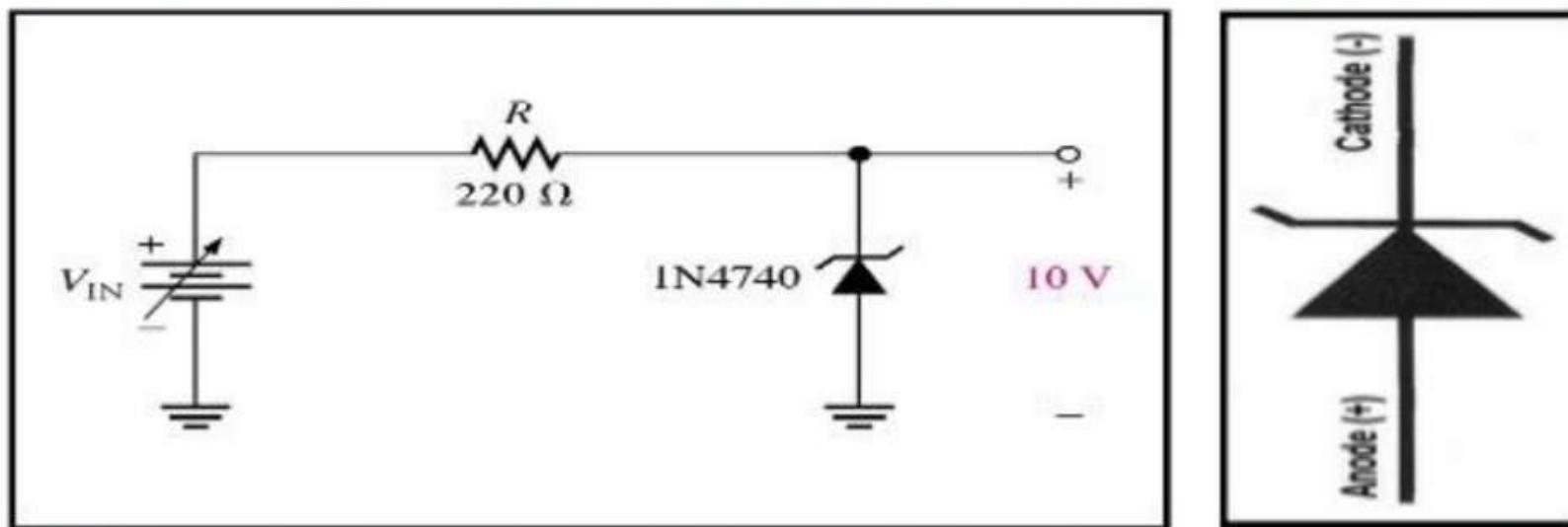
PIV-A maximum voltage to which the diode can be subjected.

Advantages of a bridge rectifier over center-tap (full wave rectifier)

1. Bridge rectifier may use a transformer or may not use a transformer. It depends on the necessity of stepping up or down of voltages.
2. Bridge rectifier utilizes the entire transformer during the entire cycle (100%) of a time period of the voltage/current wave form. Center tap uses only for 50% of the transformer.
3. The size of the transformer used in bridge rectifier is smaller than that in the center tap rectifier.
4. The number of diodes used in bridge rectifiers is 4. The number of diodes used in center tap rectifiers is 2. However, the diodes are usually low cost, highly reliable and small size silicon diodes of latest technologies. So that is not a disadvantage.
5. The Peak Inverse voltage rating (PIV) of the diodes in the bridge rectifier is 1/2 of the PIV rating in case of center tap rectifier. That means that one needs high quality and costlier diodes for center tap rectifiers. PIV is the voltage that can be applied in the reverse bias of the diode without breaking down or avalanching of the diode.

Introduction

The **zener diode** is a silicon pn junction devices that differs from rectifier diodes because *it is designed for operation in the reverse-breakdown region*. The breakdown voltage of a zener diode is set by carefully controlling the level during manufacture. The basic function of **zener diode** is to maintain a specific voltage across it's terminals within given limits of line or load change. Typically it is used for providing a stable reference voltage for use in power supplies and other equipment.



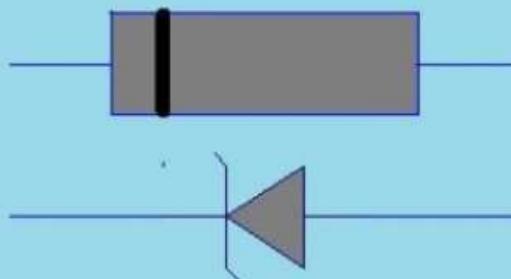
This particular zener circuit will work to maintain 10 V across the load.

Zener diode

Zener diode



zener diode



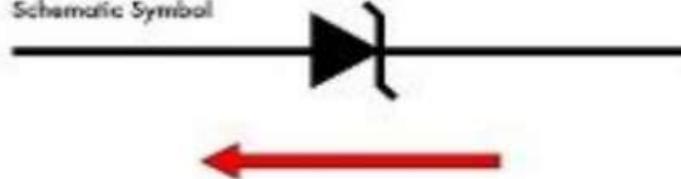
cathode

anode

Appearance



Schematic Symbol



Backwards current flow too, but only past the "zener" breakdown voltage

Avalanche Breakdown

- At V_B , the electrons at p side acquire very high kinetic energy to break the covalent bond and become free.
- Further these free electrons will collide with other electrons and make them also free. Thus the process will go on like a chain reaction.
- Let say, one electron is free, it will collide with another and thus 2 electrons become free. Then, these 2 will collide with another 2 and total 4 electrons are free. This process is called Avalanche multiplication.
- The breakdown process is called avalanche breakdown.
- Zener diodes are specifically use this breakdown process for a purpose.
- **Peak Inverse Voltage:** It is the maximum reverse