

Research Review

# Planning Search



Version 2

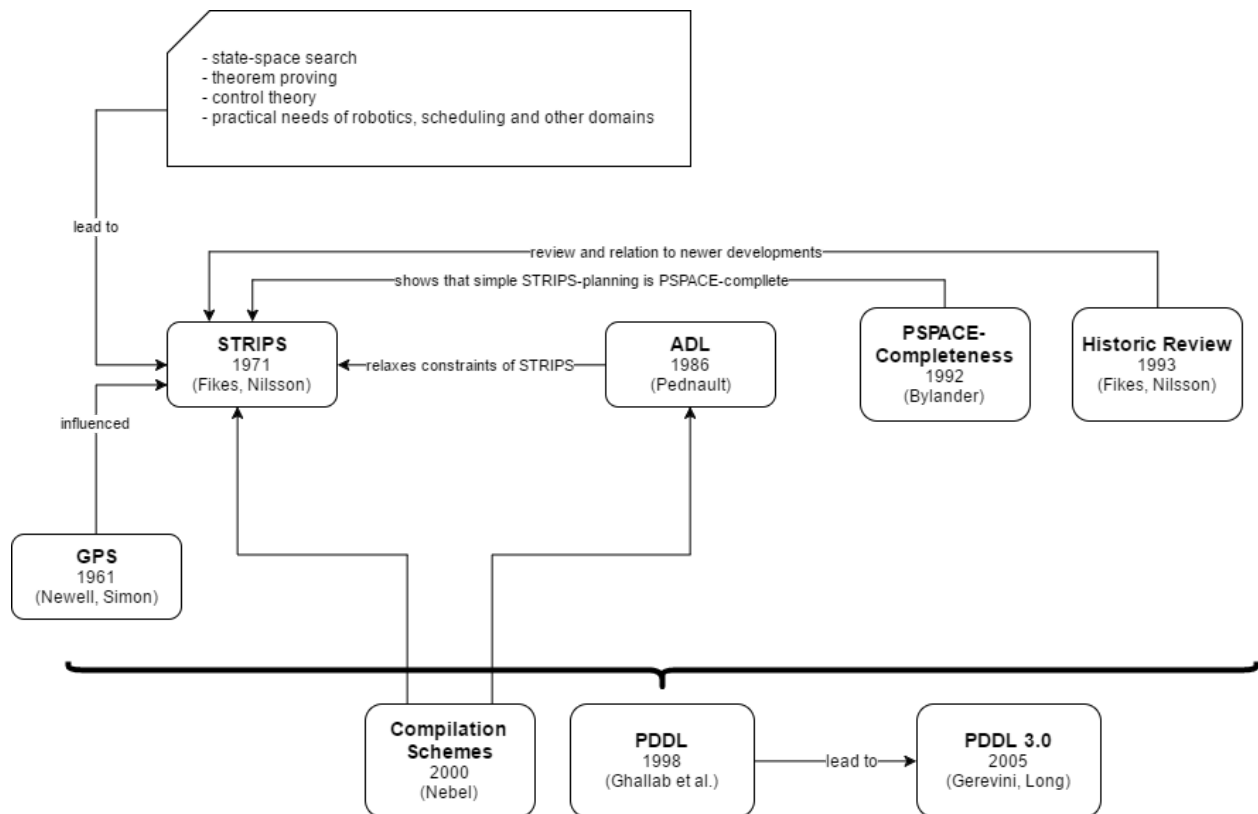
Andreas Mayer

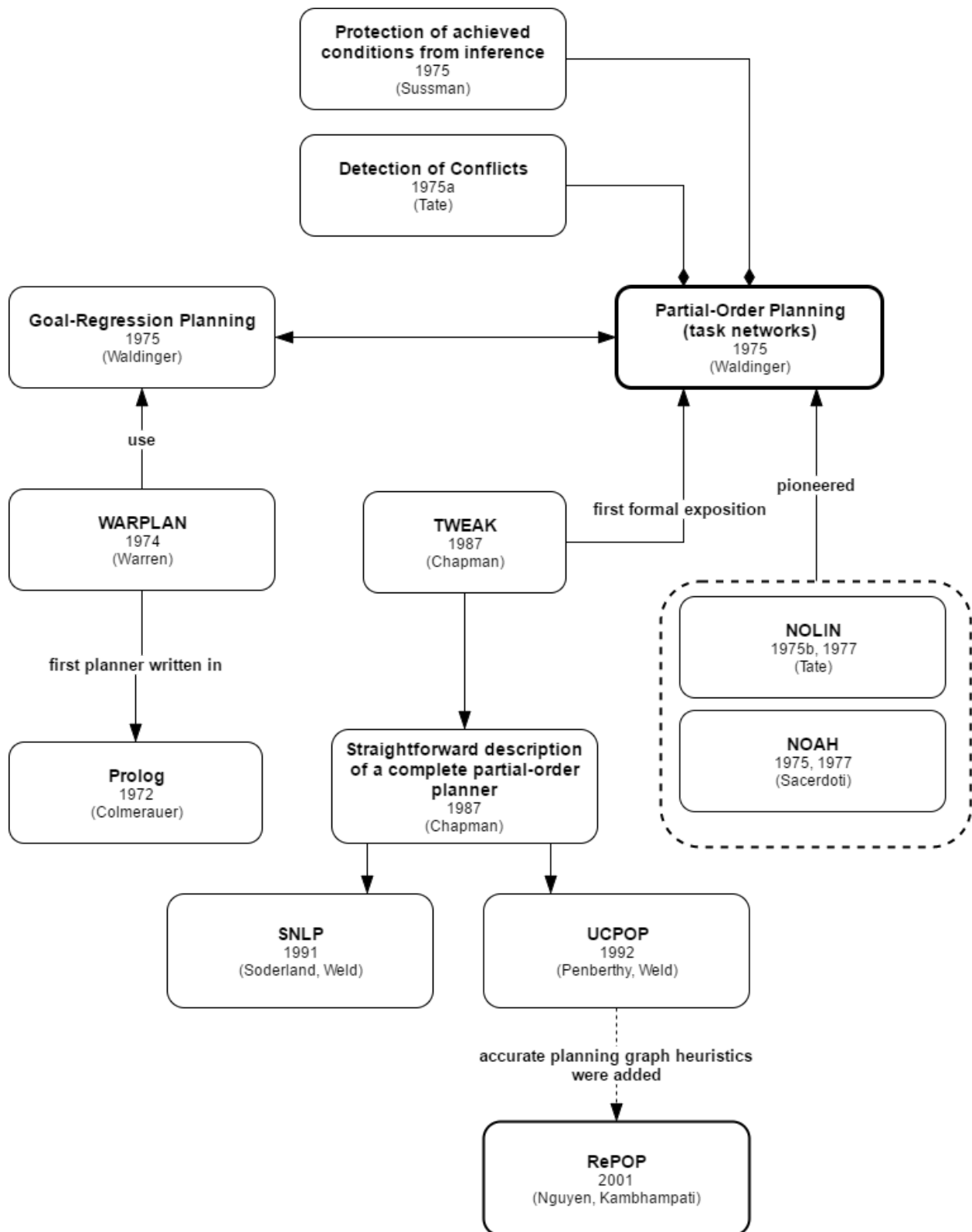
27th February, 2017

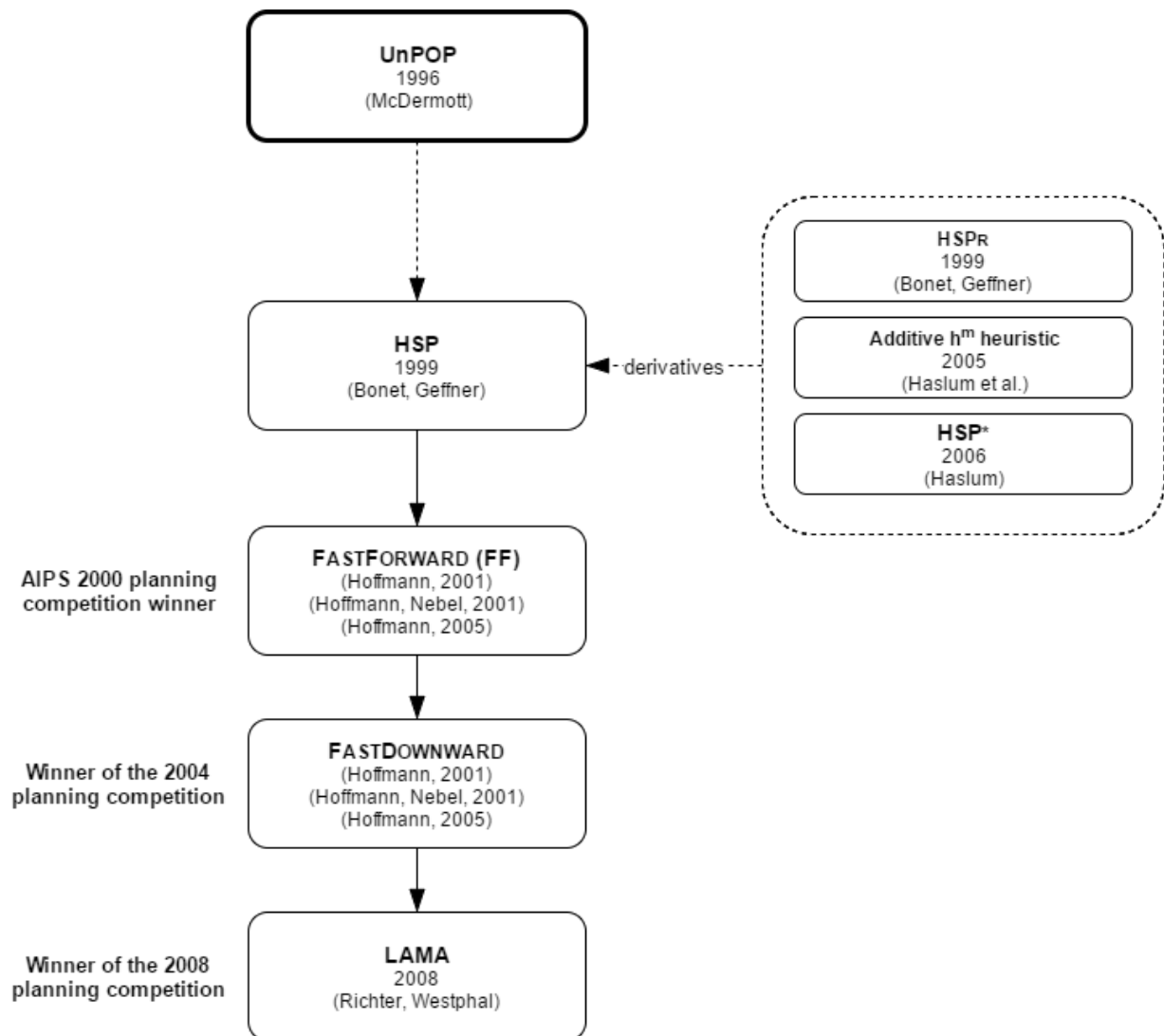
## Overview

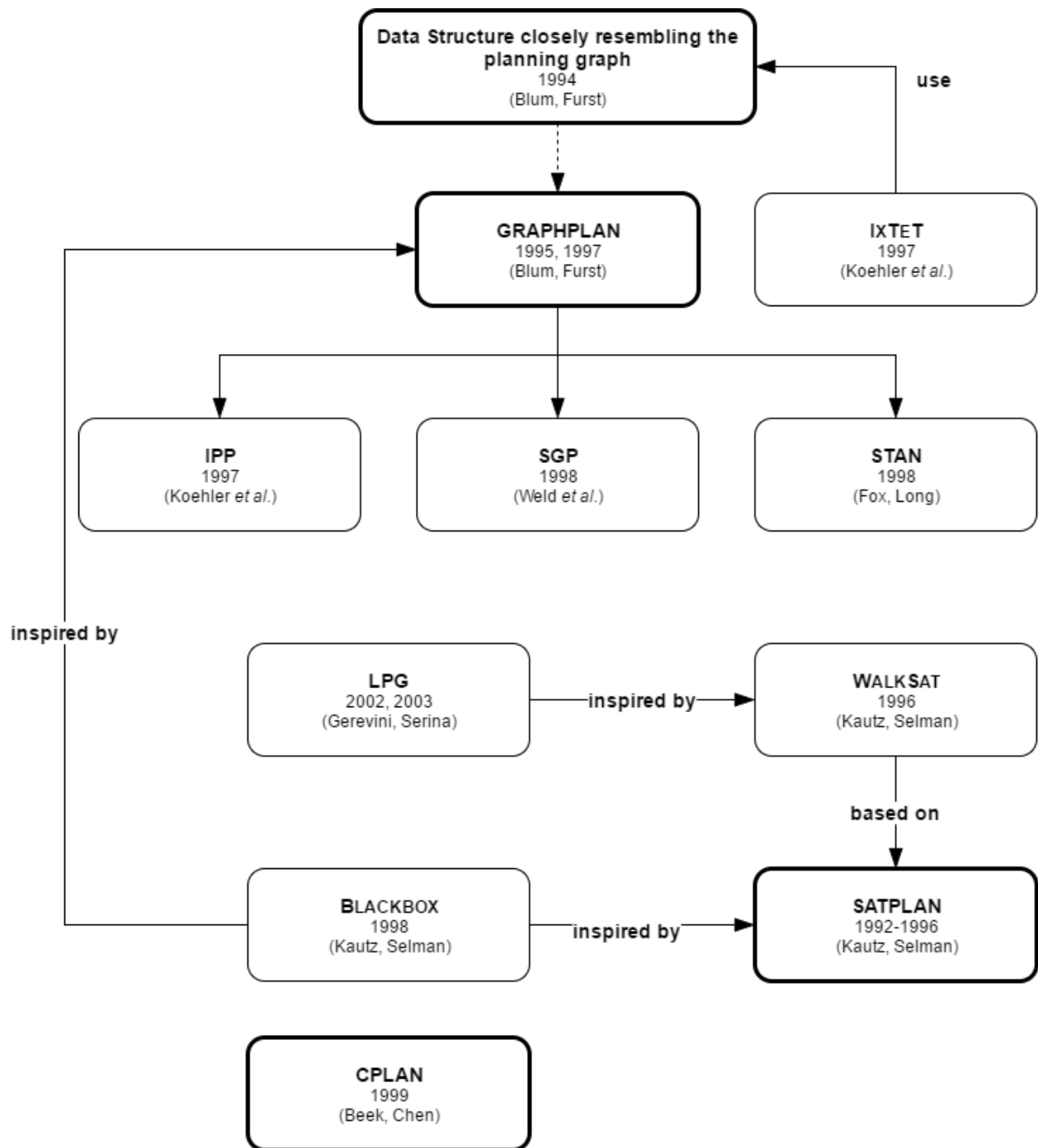
*“AI planning arose from investigations into state-space search, theorem proving, and control theory and from the practical needs of robotics, scheduling, and other domains.” (AIMA, Stuart Russel and Peter Norvig, 2010)*

The following images illustrate the the relationship between several of the contributions to the AI planning domain. The components are based on the bibliographical and historical notes from chapter 10 of the AIMA book.









## Review Introduction

All of the three languages that are described in this review are subsets of First-Order-Propositional-Logic but they offer different degrees of expressiveness. A search problem described in a planning language usually consists of the following components.

- *State space*
- *Initial state* of the world
- *Goals* to be reached
- Operators that can be executed to change the state of the world

**Operators** consist of the following elements:

- *Action*
- *Precondition*
- *Effect*

Coming up with good operators is not a trivial task due to the following problems<sup>1,2</sup>:

- Qualification Problem
- Ramification Problem
- Frame Problem

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<sup>1</sup> [Hendler, Proceedings of the First Conference \(AIPS 92\)](#)

<sup>2</sup> [Ghallab, Nao, Traverso \(2004\)](#)

## Review

### STRIPS

**ST**anford **R**esearch **I**nstitute **P**roblem **S**olver, or **STRIPS** was developed at the Stanford Research Institute to solve problems by searching a space of “world models” to find a state that complies to a given number of goals. STRIPS was initially developed to tackle problems from the robotics domain<sup>3</sup> which have a higher degree of complexity than simple puzzles or block games. (Richard E. Fikes, Nils J. Nilsson, Winter 1971)

The STRIPS framework was a central component in the domain of problem solving and has lead to a log of research in artificial intelligence. (Nilsson, 1991)

### ADL

The **A**ction **D**efinition **L**anguage, or ADL (Pednault, 1986) is based on STRIPS but it relaxes some of the constraints that STRIPS imposes and “*made it possible to encode more realistic problems.*” (Stuart Russel and Peter Norvig, 2010)

For example it is possible to use *negations* and *disjunctions* in ADL. Other extensions to the language can be found in the [Comparison chapter](#).

### PDDL

**P**lanning **D**omain **D**efinition **L**anguage, or **PDDL** (Ghallab *et al.*, 1998) is a “*computer-parsable, standardized syntax*” (Russel, Norvig, 2010) that was introduced as the standard language for the International Planning Competition since 1998. It was inspired by STRIPS and ADR among others. Over the years several extensions were implemented to improve the expressiveness of the language. The latest version is *PDDL 3.1*.

I have chosen **STRIPS**, **ADL** and **PDDL** for my review as the fact that PDDL is still used today<sup>4</sup>, clearly states its importance and the power behind this research result. PDDL took several evolutionary steps and there exist successors, variant and extensions of PDDL<sup>5</sup>.

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<sup>3</sup> It was developed to control the robot “[Shakey](#)”.

<sup>4</sup> See <http://icaps17.icaps-conference.org/workshops/KEPS/> as an example.

<sup>5</sup> [https://en.wikipedia.org/wiki/Planning\\_Domain\\_Definition\\_Language](https://en.wikipedia.org/wiki/Planning_Domain_Definition_Language)

## Comparison

The following non-exhaustive table illustrates some differences between the three languages. Green field indicate that the given expression/methodology is supported, red fields indicate that it is not supported.

In the **closed-world** assumption all unmentioned literals are being considered as false, in the **open-world** assumption they are unknown.

	STRIPS	ADL	PDDL
<b>World Assumption</b>	Closed-World	Open-World	Closed-World
<b>Positive Literals</b>	A		
<b>Conjunctions</b>	$A \wedge B \wedge C$		
<b>Disjunctions in Goals</b>		$(A \wedge (B \vee C))$	
<b>Negative Literals</b>		$\neg A \wedge \neg B$	
<b>Quantifiable variables in goals</b>		$\exists x \text{ At } (P1, x) \wedge \text{ At}(P2, x)$	
<b>Equality</b>		$x = y$	
<b>Types</b>		$a : \text{Airplane}$	
<b>Preferences &amp; State-trajectory constraints</b>			PDDL 3.0 <sup>6</sup>
<b>Object-fluents</b>			PDDL 3.1 <sup>7</sup>

<sup>6</sup> [Gerevini, A.; Long, D. \(2005\)](#)

<sup>7</sup> [Helmert, M. \(2008\)](#) - Unpublished summary from the IPC-2008 website.



## Examples

This chapter includes examples of the three languages selected for the review. ([Martin Kalisch and Stefan König, 2005](#)).

### STRIPS

#### Initial State:

```
Init (At (C1, SFO) ∧ At (C2, JFK) ∧ At (P1, SFO) ∧ At (P2, JFK) ∧ Cargo (C1)
    ∧ Cargo (C2) ∧ Plane (P1) ∧ Plane (P2) ∧ Airport (JFK) ∧ Airport (SFO))
```

#### Goal State:

```
Goal (At (C1, JFK) ∧ At (C2, SFO))
```

### ADL

#### Initial State:

```
Init (At (C1, SFO) ∧ At (C2, JFK) ∧ At (P1, SFO) ∧ At (P2, JFK) ∧ (C1:Cargo)
    ∧ (C2:Cargo) ∧ (P1:Plane) ∧ (P2:Plane) ∧ (JFK:Airport) ∧ (SFO:Airport) ∧
    (SFO ≠ JFK))
```

#### Goal State:

```
Goal (At (C1, JFK) ∧ At (C2, SFO))
```

### PDDL

```
(define (problem sfo-jfk)
  (:domain air-cargo)
  (:objects c1 c2 - cargo sfo jfk - airport p1 p2 - plane)
  (:init
    (at c1 sfo)
    (at p1 sfo)
    (at c2 jfk)
    (at p2 jfk)
  (:goal
    (and (at c1 jfk) (at c2 sfo))
  )
)
```