

# Package ‘uneqmixr’

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**Type** Package

**Title** Modelling the Quantity of Material Sampled in the Risk Assessment

**Version** 0.0.1

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**URL** <https://github.com/Mayooraan1987/uneqmixr>

**BugReports** <https://github.com/Mayooraan1987/uneqmixr/issues>

**Description** This package allows general practitioners to get probability estimations and graphical displays in the risk assessment. This study mainly focuses on the risk assessment when aggregating unequal incremental samples in the production process.

**License** GPL (>= 2)

**Encoding** UTF-8

**LazyData** true

**Imports** extraDistr, ggplot2, ggthemes, reshape2, stats

**Suggests** spelling,  
testthat

**RoxygenNote** 7.2.0

**Depends** R (>= 4.0)

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**Language** en-US

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AOQL_scenarios	<i>Construction of AOQ curve and calculate AOQL value based on average microbial counts</i>
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**Description**

[AOQL\\_scenarios](#) provides the Average Outgoing Quality (AOQ) curve and calculates Average Outgoing Quality Level (AOQL) value based on expected microbial counts in each scenario.

**Usage**

```
AOQL_scenarios(c,llim, sd, m, n, scenario, K, n_sim)
```

**Arguments**

c	acceptance number
llim	the upper limit for graphing the arithmetic mean of cell count
sd	standard deviation on the log10 scale (default value 0.8).
m	the vector of incremental samples (with equal/unequal weights).
n	number of aggregate samples which are used for inspection.
scenario	what scenario we have considered such as "1B" or "2" or "3"
K	dispersion parameter of the Poisson gamma distribution (default value 0.25)
n_sim	number of simulations (large simulations provide more precise estimation).

**Details**

Since  $P_a$  is the probability of acceptance,  $\lambda$  is the arithmetic mean of cell count and the outgoing contaminated arithmetic mean of cell count of incremental samples is given by  $AOQ$  as the product  $\lambda P_a$ . The quantity  $AOQL$  is defined as the maximum proportion of outgoing contaminated incremental samples and is given by

$$AOQL = \max_{\lambda \geq 0} \lambda P_a$$

**Value**

AOQ curve and AOQL value based on expected microbial counts in each scenario.

**See Also**

[scenario\\_1B\\_pa](#), [scenario\\_2\\_pa](#), [scenario\\_3\\_pa](#)

## Examples

```
c <- 0
llim <- 0.5
sd <- 0.8
m1 <- c(10,10,10,10,10,10)
m2 <- c(10,12,18,20)
n <- 10
scenario <- "1B"
n_sim <- 100000
AQL_scenarios(c,llim, sd, m=m1, n, scenario, K, n_sim)
AQL_scenarios(c,llim, sd, m=m2, n, scenario, K, n_sim)
```

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scenario_1A_OC	<i>Construction of Operating Characteristic (OC) curve under lot with homogeneous contaminations.</i>
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## Description

[scenario\\_1A\\_OC](#) provides the Operating Characteristic (OC) curves under scenario 1 of modelling the quantity of material sampled in the risk assessment study.

## Usage

```
scenario_1A_OC(c, mulow, muhigh, sd, M, m1, n)
```

## Arguments

c	acceptance number
mulow	the lower value of the mean concentration ( $\mu$ ) for use in the graphical display's x-axis.
muhigh	the upper value of the mean concentration ( $\mu$ ) for use in the graphical display's x-axis.
sd	standard deviation on the log10 scale (default value 0.8).
M	the quantity (weight) of the aggregate sample.
m1	the quantity (weight) of the based sample for the risk assessment (for this research, we used a quantity of sample which is to be the minimum quantity of selected incremental samples).
n	number of aggregate samples which are used for inspection.

## Details

[scenario\\_1A\\_OC](#) provides the Operating Characteristic (OC) curves under scenario 1 of modelling the quantity of material sampled in the risk assessment study. Under this scenario (lot with homogeneous contaminations), we employed Poisson distribution to the model number of micro-organisms in the incremental samples. The purpose of this function used for compares different sets of sampling schemes when lot with heterogeneous and high-level contamination. Under this scenario expected cell count in each incremental sample can be written in terms of the based incremental sample's expected cell count (for this study, the based sample is a sample that is to be the minimum quantity). The probability of acceptance is plotted against mean log10 concentration and expected cell counts. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

**Value**

Operating Characteristic (OC) curves under lot with homogeneous contaminations.

**See Also**

[scenario\\_1A\\_pd](#)

**Examples**

```
c <- 0
mulow <- -6
muhigh <- 0
sd <- 0.8
M <- 60
m1 <- c(5,10,15)
n <- 10
scenario_1A_OC(c, mulow, muhigh, sd, M, m1, n)
```

---

scenario_1A_pa	<i>Probability of acceptance estimation when lot with homogeneous contaminations.</i>
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**Description**

[scenario\\_1A\\_pa](#) provides a probability of acceptance under scenario 1 of modelling the quantity of material sampled in the risk assessment study.

**Usage**

```
scenario_1A_pa(c,lambda, M, m1, n)
```

**Arguments**

c	acceptance number
lambda	expected cell count in the based sample (for this research, we used a quantity of sample which is to be the minimum quantity of selected incremental samples).
M	the quantity (weight) of the aggregate sample.
m1	the quantity (weight) of the based sample for the risk assessment.
n	number of aggregate samples which are used for inspection.

**Details**

[scenario\\_1A\\_pa](#) provides a probability of acceptance under scenario 1 of modelling the quantity of material sampled in the risk assessment study. Under this scenario (a lot with homogeneous contaminations), we employed Poisson distribution to the model number of micro-organisms in the incremental samples. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

**Value**

Probability of acceptance under lot with homogeneous contaminations.

**Examples**

```

c <- 0
lambda <- 0.05
M <- 60
m1 <- 5
n <- 10
scenario_1A_pa(c,lambda, M, m1, n)

```

---

scenario_1A_pd	<i>Probability of detection estimation when lot with homogeneous contaminations.</i>
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---

**Description**

[scenario\\_1A\\_pd](#) provides a probability of detection under scenario 1 of modelling the quantity of material sampled in the risk assessment study.

**Usage**

```
scenario_1A_pd(lambda, M, m1)
```

**Arguments**

lambda	expected cell count in the based sample (for this research, we used a quantity of sample which is to be the minimum quantity of selected incremental samples).
M	the quantity (weight) of the aggregate sample.
m1	the quantity (weight) of the based sample for the risk assessment.

**Details**

[scenario\\_1A\\_pd](#) provides a probability of detection under scenario 1 of modelling the quantity of material sampled in the risk assessment study. Under this scenario (a lot with homogeneous contaminations), we employed Poisson distribution to the model number of micro-organisms in the incremental samples. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

**Value**

Probability of detection under lot with homogeneous contaminations.

**Examples**

```

lambda <- 0.05
M <- 60
m1 <- 5
scenario_1A_pd(lambda, M, m1)

```

---

scenario_1B_OC	<i>Construction of Operating Characteristic (OC) curve under lot with homogeneous contaminations based on simulations results.</i>
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## Description

[scenario\\_1B\\_OC](#) provides the Operating Characteristic (OC) curves under scenario 2 of modelling the quantity of material sampled in the risk assessment study.

## Usage

```
scenario_1B_OC(c, mulow, muhigh, sd, m1, m2, n, n_sim)
```

## Arguments

c	acceptance number
mulow	the lower value of the mean concentration ( $\mu$ ) for use in the graphical display's x-axis.
muhigh	the upper value of the mean concentration ( $\mu$ ) for use in the graphical display's x-axis.
sd	standard deviation on the log10 scale (default value 0.8).
m1	the vector of the first set of incremental samples (with equal/unequal weights).
m2	the vector of the second set of incremental samples (with equal/unequal weights).
n	number of aggregate samples which are used for inspection.
n_sim	number of simulations (large simulations provide more precise estimation).

## Details

[scenario\\_1B\\_OC](#) provides the Operating Characteristic (OC) curves under scenario 2 of modelling the quantity of material sampled in the risk assessment study. The purpose of this function used for compares two different sets of sampling schemes when lot with homogeneous contaminations. Nevertheless, each sampling scheme's total quantity (weight of aggregate sample (say M)) must be equal. The probability of acceptance is plotted against mean log10 concentration and expected cell counts. We employed Poisson distribution to the model number of micro-organisms in the incremental samples. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

## Value

Operating Characteristic (OC) curves when lot with homogeneous contaminations.

## See Also

[scenario\\_1B\\_pd](#)

## Examples

```
c <- 0
mulow <- -6
muhigh <- 0
sd <- 0.8
m1 <- c(10,10,10,10,10,10)
m2 <- c(10,12,18,20)
n <- 10
n_sim <- 100000
scenario_1B_OC(c, mulow, muhigh, sd, m1, m2, n, n_sim)
```

---

scenario_1B_pa	<i>Probability of acceptance estimation when lot with homogeneous contaminations based on simulations.</i>
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## Description

[scenario\\_1B\\_pa](#) provides a probability of acceptance under scenario 1 of modelling the quantity of material sampled in the risk assessment study.

## Usage

```
scenario_1B_pa(c, mu, sd, m, n, n_sim)
```

## Arguments

c	acceptance number
mu	the the mean concentration ( $\mu$ ).
sd	standard deviation on the log10 scale (default value 0.8).
m	the vector of incremental samples (with equal/unequal weights).
n	number of aggregate samples which are used for inspection.
n_sim	number of simulations (large simulations provide more precise estimation).

## Details

[scenario\\_1B\\_pa](#) provides a probability of acceptance under scenario 1 of modelling the quantity of material sampled in the risk assessment study. Under this scenario (lot with homogeneous contaminations), we employed Poisson distribution to the model number of micro-organisms in the incremental samples. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

## Value

Probability of acceptance when lot with homogeneous contaminants by simulations results.

## Examples

```
c <- 0
mu <- -3
sd <- 0.8
m <- c(5,10,15,5,10,10,5)
n <- 10
n_sim <- 100000
scenario_1B_pa(c, mu, sd, m, n, n_sim)
```

---

scenario\_1B\_pd

*Probability of detection estimation when lot with homogeneous contaminations based on simulations.*

---

## Description

[scenario\\_1B\\_pd](#) provides a probability of detection under scenario 1 of modelling the quantity of material sampled in the risk assessment study.

## Usage

```
scenario_1B_pd(mu, sd, m, n_sim)
```

## Arguments

mu	the the mean concentration ( $\mu$ ).
sd	standard deviation on the log10 scale (default value 0.8).
m	the vector of incremental samples (with equal/unequal weights).
n_sim	number of simulations (large simulations provide more precise estimation).

## Details

[scenario\\_1B\\_pd](#) provides a probability of detection under scenario 1 of modelling the quantity of material sampled in the risk assessment study. Under this scenario (lot with homogeneous contaminations), we employed Poisson distribution to the model number of micro-organisms in the incremental samples. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

## Value

Probability of detection when lot with homogeneous contaminants by simulations results.

## Examples

```
mu <- -3
sd <- 0.8
m <- c(5,10,15,5,10,10,5)
n_sim <- 100000
scenario_1B_pd(mu, sd, m, n_sim)
```



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scenario_2_OC	<i>Construction of Operating Characteristic (OC) curve under lot with heterogeneous and high-level contamination.</i>
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---

## Description

[scenario\\_2\\_OC](#) provides the Operating Characteristic (OC) curves under scenario 2 of modelling the quantity of material sampled in the risk assessment study.

## Usage

```
scenario_2_OC(c, mulow, muhigh, sd, m1, m2, n, n_sim)
```

## Arguments

c	acceptance number
mulow	the lower value of the mean concentration ( $\mu$ ) for use in the graphical display's x-axis.
muhigh	the upper value of the mean concentration ( $\mu$ ) for use in the graphical display's x-axis.
sd	standard deviation on the log10 scale (default value 0.8).
m1	the vector of the first set of incremental samples (with equal/unequal weights).
m2	the vector of the second set of incremental samples (with equal/unequal weights).
n	number of aggregate samples which are used for inspection.
n_sim	number of simulations (large simulations provide more precise estimation).

## Details

[scenario\\_2\\_OC](#) provides the Operating Characteristic (OC) curves under scenario 1 of modelling the quantity of material sampled in the risk assessment study. The purpose of this function used for compares two different sets of sampling schemes when lot with heterogeneous and high-level contamination. Nevertheless, each sampling scheme's total quantity (weight of aggregate sample (say M)) must be equal. The probability of acceptance is plotted against mean log10 concentration and expected cell counts. We employed Poisson lognormal distribution to the model number of micro-organisms in the incremental samples. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

## Value

Operating Characteristic (OC) curves when lot with heterogeneous and high-level contamination.

## See Also

[scenario\\_2\\_pd](#)

## Examples

```
c <- 0
mulow <- -10
muhigh <- 0
sd <- 0.8
m1 <- c(10,10,10,10,10,10)
m2 <- c(10,12,18,20)
n <- 10
n_sim <- 100000
scenario_2_OC(c, mulow, muhigh, sd, m1, m2, n, n_sim)
```

---

scenario_2_pa	<i>Probability of acceptance estimation when lot with heterogeneous and high-level contamination.</i>
---------------	---

---

## Description

[scenario\\_2\\_pa](#) provides a probability of acceptance under scenario 2 of modelling the quantity of material sampled in the risk assessment study.

## Usage

```
scenario_2_pa(c, mu, sd, m, n, n_sim)
```

## Arguments

c	acceptance number
mu	the the mean concentration ( $\mu$ ).
sd	standard deviation on the log10 scale (default value 0.8).
m	the vector of incremental samples (with equal/unequal weights).
n	number of aggregate samples which are used for inspection.
n_sim	number of simulations (large simulations provide more precise estimation).

## Details

[scenario\\_2\\_pa](#) provides a probability of acceptance under scenario 2 of modelling the quantity of material sampled in the risk assessment study. Under this scenario (a lot with heterogeneous, high-level contamination), we employed Poisson lognormal distribution to the model number of micro-organisms in the incremental samples. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

## Value

Probability of acceptance when lot with heterogeneous and high-level contamination.

**Examples**

```

c <- 0
mu <- -3
sd <- 0.8
m <- c(5,10,15,5,10,10,5)
n <- 10
n_sim <- 100000
scenario_2_pa(c, mu, sd, m, n, n_sim)

```

---

scenario_2_pd	<i>Probability of detection estimation when lot with heterogeneous and high-level contamination.</i>
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---

**Description**

`scenario_2_pd` provides a probability of detection under scenario 2 of modelling the quantity of material sampled in the risk assessment study.

**Usage**

```
scenario_2_pd(mu, sd, m, n_sim)
```

**Arguments**

mu	the the mean concentration ( $\mu$ ).
sd	standard deviation on the log10 scale (default value 0.8).
m	the vector of incremental samples (with equal/unequal weights).
n_sim	number of simulations (large simulations provide more precise estimation).

**Details**

`scenario_2_pd` provides a probability of detection under scenario 2 of modelling the quantity of material sampled in the risk assessment study. Under this scenario (a lot with heterogeneous, high-level contamination), we employed Poisson lognormal distribution to the model number of micro-organisms in the incremental samples. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

**Value**

Probability of detection when lot with heterogeneous and high-level contamination.

**Examples**

```

mu <- -3
sd <- 0.8
m <- c(5,10,15,5,10,10,5)
n_sim <- 100000
scenario_2_pd(mu, sd, m, n_sim)

```

---

scenario_3_OC	<i>Construction of Operating Characteristic (OC) curve under lot with heterogeneous and low-level contamination.</i>
---------------	--

---

## Description

[scenario\\_3\\_OC](#) provides the Operating Characteristic (OC) curves under scenario 2 of modelling the quantity of material sampled in the risk assessment study.

## Usage

```
scenario_3_OC(c, mulow, muhigh, sd, m1, m2, K, n, n_sim)
```

## Arguments

c	acceptance number
mulow	the lower value of the mean concentration ( $\mu$ ) for use in the graphical display's x-axis.
muhigh	the upper value of the mean concentration ( $\mu$ ) for use in the graphical display's x-axis.
sd	standard deviation on the log10 scale (default value 0.8).
m1	the vector of the first set of incremental samples (with equal/unequal weights).
m2	the vector of the second set of incremental samples (with equal/unequal weights).
K	shape parameter (default value 0.25).
n	number of aggregate samples which are used for inspection.
n_sim	number of simulations (large simulations provide more precise estimation).

## Details

[scenario\\_3\\_OC](#) provides the Operating Characteristic (OC) curves under scenario 2 of modelling the quantity of material sampled in the risk assessment study. The purpose of this function used for compares two different sets of sampling schemes when lot with heterogeneous and low-level contamination. Nevertheless, each sampling scheme's total quantity (weight of aggregate sample (say M)) must be equal. We employed Poisson gamma distribution to the model number of micro-organisms in the incremental samples. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

## Value

Operating Characteristic (OC) curves when lot with heterogeneous and low-level contamination.

## See Also

[scenario\\_3\\_pd](#)

## Examples

```
c <- 0
mulow <- -5
muhigh <- 2
sd <- 0.8
m1 <- c(10,10,10,10,10,10)
m2 <- c(10,12,18,20)
K <- 0.05
n <- 10
n_sim <- 100000
scenario_3_OC(c, mulow, muhigh, sd, m1, m2, K, n, n_sim)
```

---

scenario_3_pa	<i>Probability of acceptance estimation when lot with heterogeneous and low-level contamination.</i>
---------------	--

---

## Description

[scenario\\_3\\_pa](#) provides a probability of acceptance under scenario 2 of modelling the quantity of material sampled in the risk assessment study.

## Usage

```
scenario_3_pa(c, mu, sd, m, n, K, n_sim)
```

## Arguments

c	acceptance number
mu	the the mean concentration ( $\mu$ ).
sd	standard deviation on the log10 scale (default value 0.8).
m	the vector of incremental samples (with equal/unequal weights).
n	number of aggregate samples which are used for inspection.
K	shape parameter (default value 0.25).
n_sim	number of simulations (large simulations provide more precise estimation).

## Details

[scenario\\_3\\_pa](#) provides a probability of acceptance under scenario 2 of modelling the quantity of material sampled in the risk assessment study. Under this scenario (a lot with heterogeneous, low-level contamination), we employed Poisson gamma distribution to the model number of micro-organisms in the incremental samples. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

## Value

Probability of acceptance when lot with heterogeneous and low-level contamination.

**Examples**

```

c <- 0
mu <- -3
sd <- 0.8
m <- c(5,10,15,5,10,10,5)
n <- 10
K <- 0.25
n_sim <- 100000
scenario_3_pa(c, mu, sd, m, n, K, n_sim)

```

---

scenario_3_pd	<i>Probability of detection estimation when lot with heterogeneous and low-level contamination.</i>
---------------	---

---

**Description**

[scenario\\_3\\_pd](#) provides a probability of detection under scenario 2 of modelling the quantity of material sampled in the risk assessment study.

**Usage**

```
scenario_3_pd(mu, sd, m, K, n_sim)
```

**Arguments**

mu	the the mean concentration ( $\mu$ ).
sd	standard deviation on the log10 scale (default value 0.8).
m	the vector of incremental samples(with equal/unequal weights).
K	shape parameter (default value 0.25).
n_sim	number of simulations (large simulations provide more precise estimation).

**Details**

[scenario\\_3\\_pd](#) provides a probability of detection under scenario 2 of modelling the quantity of material sampled in the risk assessment study. Under this scenario (a lot with heterogeneous, low-level contamination), we employed Poisson gamma distribution to the model number of micro-organisms in the incremental samples. Based on the food safety literature, the expected cell count is given by  $\lambda = 10^{\mu + \log(10)\sigma^2/2}$ . (this section will be updated later on)

**Value**

Probability of detection when lot with heterogeneous and low-level contamination.

**Examples**

```

mu <- -3
sd <- 0.8
m <- c(5,10,15,5,10,10,5)
K <- 0.05
n_sim <- 100000
scenario_3_pd(mu, sd, m, K, n_sim)

```

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