

→  $x = c(70, 80, 35, 50, 20, 45)$

> n = 3

> n = 2

> y = matrix(x, nrow = n, ncol = n)

> y = matrix

[,1] [,2]

[1,] 70 50

[2,] 80 20

[3,] 35 45

> pv = chisq.test(y)

> pv

Pearson Chi-squared test

data: y

$\chi^2$ -statistic = 25.646, df = 2, p-value =  $2.698e-06$

p-value is less than 0.05, we reject the Hypothesis.

→  $x = c(70, 35, 46, 37)$

> n = 2

> n = 2

> y = matrix(x, nrow = n, ncol = n)

> y

[,1] [,2]

[1,] 70 46

[2,] 35 37

> pv = chisq.test(y)

> pv

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Ans: chi-square test & ANOVA

a) use the following data test whether the condition of the home & the child are independent or not.

condition of home

	clean	Dirty
child condition clean	70	50
Dirty clean	80	20
Dirty	35	45

a) test the hypothesis that vaccine & disease are independent or not.

		Vaccine	
		Affected	Not Affected
Disease	Affected	70	46
	Not Affected	35	37

Q3] Perform a ANOVA for the following data

Type	Observations
A	50, 52
B	53, 55, 53
C	60, 58, 57, 56
D	52, 54, 54, 55

Example: one-way ANOVA test with 'values' continuously variable data: 4

$\chi^2$ -Statistic = 2.0275,  $df = 1$ ,  $p$ -value = 0.1545

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$p$ -value is greater than 0.05, we accept the Hypothesis

Q3]  $H_0$ : means are equal for A, B, C, D

$x_1 = (50, 52)$

$x_2 = (53, 55, 53)$

$x_3 = (60, 58, 57, 56)$

$x_4 = (52, 54, 54, 55)$

$d = \text{stack}(\text{list}(b1 = x_1, b2 = x_2, b3 = x_3, b4 = x_4))$

$> \text{names}(d)$

[1] "values" "ind"

$> \text{oneway.test}(\text{values} \sim \text{ind}, \text{data} = d, \text{var.equal} = T)$

one-way analysis of variance

data: values and ind

$F = 11.735$ , num  $df = 3$ , denom  $df = 9$ ,  $p$ -value = 0.00183

$\therefore p$ -value is less than 0.05, we reject Hypothesis

$> \text{oneway} = \text{onew}(\text{value} \sim \text{ind}, \text{data} = d)$

$> \text{summary}(\text{onew})$

	df	sum sq	mean sq	F	value	$p(>F)$
ind	3	71.06	23.688	11.73	0.00183	
Residuals	9	18.17	2.019			
---						

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1

→ 3. Average life of ABCD are equal

>  $x_1 = c(20, 22, 18, 17, 19, 22, 24)$

>  $x_2 = c(19, 18, 17, 20, 16, 17)$

>  $x_3 = c(21, 19, 22, 17, 20)$

>  $x_4 = c(15, 14, 16, 18, 14, 16)$

>  $d = \text{data.frame}(b_1 = x_1, b_2 = x_2, b_3 = x_3, b_4 = x_4)$

>  $\text{names}(d)$

[1] "b1" "b2" "b3" "b4"

>  $\text{summary}(d)$  (value ~ ind, data = d, var equal = T)

one-way analysis of means

data: values and ind

$F = 6.88495$ , num df = 3, denom df = 20, p-value = 0.002349

∴ p-value is less than 0.05, we reject the hypothesis.

Q3) Following data gives life of types of 4 brands

Brands	Life
A	20, 22, 18, 17, 19, 22, 24
B	19, 18, 17, 20, 16, 17
C	21, 19, 22, 17, 20
D	15, 14, 16, 18, 14, 16

Ans  
20.2.2



### Ques: Non-Parametric Distribution

Following are the amounts of rainfall recorded in 20 days. Apply sign test to test the hypothesis that the population median is 21.5 at 5% level of significance.

D = 17, 15, 20, 21, 19, 18, 22, 25, 27, 09, 12, 20, 13, 06, 24, 14, 15, 23, 26, 28

$H_0$ : Population median is 21.5

$> X = C(8)$

$> n = 21.5$

$> sp = \text{length}(X[X > me])$

$> sn = \text{length}(X[X < me])$

$> n = sp + sn$

$> pvalue = \text{pbinom}(sp, n, 0.5)$

$> pvalue$

[1] 0.2517123

$\therefore$  P-value is greater than 0.05 we accept the hypothesis at 5% level of significance.

Q2) Following is the data of 10 observation applying sign test the hypothesis that the population median is 62.5 against the hypothesis is more than 62.5

values: 612, 619, 651, 623, 643, 640, 655, 649, 77, 670, 663

$H_0$ : Population median is 62.5 against  $H_1: > 62.5$

$> X = C(\text{values})$

$> me = 62.5$

$> sp = \text{length}(X[X > me])$

$> sn = \text{length}(X[X < me])$

$> n = sp + sn$

$> pvalue = \text{pbinom}(sn, n, 0.5)$

$> pvalue$

[1] 0.0546875

P-value is greater than 0.05 we accept the hypothesis at 5% level of significance.

Q3) Following are the values of a sample test the hypothesis that the population median is 60 against the alternative is more than 60.

values: 63, 65, 60, 89, 61, 71, 58, 51, 69, 62, 63, 39, 72, 69, 48, 66, 72, 73, 87, 69

$H_0$ : Population median is 60

$H_1$ : Population median  $> 60$

$> X = C(\text{values})$

$\rightarrow$  Wilcoxon test ( $\chi$ , also = "signed",  $\alpha = 5\%$ )

Wilcoxon signed rank test with continuity correction

data:  $\chi$

$\chi = 14.5$ ,  $p\text{-value} = 0.02298$

alternative hypothesis: true location is greater than 0

$\therefore$  P-value is less than 0.05 than we reject  $H_0$

hypothesis at 5% level of significance

Null:  $H_0$  the alternative is less than alter = "less"

$H_1$  the alternative not equal alter = "two sided"

1) using Wilcoxon signed rank test population median is 12 or less than 12.

data: 15, 17, 24, 25, 20, 21, 22, 28, 12, 25, 24, 28

$H_0$ : population  $\mu = 12$

$H_1$ : population  $\mu \neq 12$

$\rightarrow \chi = c(\text{data})$

$\rightarrow$  Wilcoxon test ( $\chi$ , also = "less",  $\alpha = 5\%$ )

Wilcoxon signed rank test with continuity correction

data:  $\chi$

$n = 66$

P-value is greater than 0.05 we accept  $H_0$ .

$p\text{-value} = 0.9986$

2) The weight of student before and after they start working are given below. Using 5% level test is no significant change.

Before	After
65	72
75	74
75	77
62	66
72	73

$H_0$ : before & after there is no change

$H_1$ : before & after there is change

$\rightarrow \chi = c(65, 75, 75, 62, 72)$

$\rightarrow y = c(72, 74, 77, 66, 73)$

$\rightarrow d = x - y$

$\rightarrow$  Wilcoxon test ( $d$ , also = "two sided",  $\alpha = 5\%$ )

data:  $d$

$n = 5$

$p\text{-value} = 0.4982$

$\therefore$  P-value is greater than 0.05 we accept  $H_0$ .