## Capstone Project (Healthcare) By Mehul Parmar

December 15, 2022

#### 0.1 Week 1

(1) Read data and perform descriptive analysis

```
[1]: import pandas as pd
     import numpy as np
     import matplotlib.pyplot as plt
     import seaborn as sns
     sns.set(style="white", color_codes=True)
     sns.set(font scale=1.2)
     from imblearn.over_sampling import SMOTE
[2]: data = pd.read_csv('C:/Users/Lenovo/Project 2 (Healthcare - Diabetes)/
      →Healthcare - Diabetes/health care diabetes.csv')
[3]: data.head()
[3]:
        Pregnancies
                     Glucose BloodPressure SkinThickness
                                                            Insulin
                                                                       BMI
                  6
                         148
                                                                      33.6
     1
                  1
                          85
                                         66
                                                        29
                                                                   0
                                                                      26.6
     2
                  8
                                                                      23.3
                         183
                                         64
                                                         0
                                                                   0
     3
                  1
                          89
                                         66
                                                        23
                                                                  94
                                                                      28.1
                  0
                         137
                                         40
                                                        35
                                                                 168
                                                                     43.1
        DiabetesPedigreeFunction
                                  Age
                                       Outcome
     0
                           0.627
                                   50
     1
                           0.351
                                   31
                                             0
     2
                           0.672
                                   32
                                             1
     3
                                             0
                           0.167
                                   21
                           2.288
                                   33
                                             1
[4]: cols_with_null_as_zero = ['Glucose', 'BloodPressure', 'SkinThickness', __
      data[cols_with_null_as_zero] = data[cols_with_null_as_zero].replace(0, np.NaN)
[5]: data.info()
```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 768 entries, 0 to 767
Data columns (total 9 columns):

#	Column	Non-Null Count	Dtype
0	Pregnancies	768 non-null	int64
1	Glucose	763 non-null	float64
2	BloodPressure	733 non-null	float64
3	SkinThickness	541 non-null	float64
4	Insulin	394 non-null	float64
5	BMI	757 non-null	float64
6	DiabetesPedigreeFunction	768 non-null	float64
7	Age	768 non-null	int64
8	Outcome	768 non-null	int64

dtypes: float64(6), int64(3)
memory usage: 54.1 KB

## [6]: data.isnull().sum()

[6]:	Pregnancies	0		
	Glucose	5		
	BloodPressure	35		
	SkinThickness			
	Insulin			
	BMI	11		
	${\tt DiabetesPedigreeFunction}$	0		
	Age	0		
	Outcome	0		
	dtype: int64			

## [7]: data.describe()

[7]:		Pregnancies	Glucose	BloodPressure	SkinThickness	Insulin
	count	768.000000	763.000000	733.000000	541.000000	394.000000
	mean	3.845052	121.686763	72.405184	29.153420	155.548223
	std	3.369578	30.535641	12.382158	10.476982	118.775855
	min	0.000000	44.000000	24.000000	7.000000	14.000000
	25%	1.000000	99.000000	64.000000	22.000000	76.250000
	50%	3.000000	117.000000	72.000000	29.000000	125.000000
	75%	6.000000	141.000000	80.000000	36.000000	190.000000
	max	17.000000	199.000000	122.000000	99.000000	846.000000
		DMT		П		

\

	BMI	DiabetesPedigreeFunction	Age	Outcome
count	757.000000	768.000000	768.000000	768.000000
mean	32.457464	0.471876	33.240885	0.348958
std	6.924988	0.331329	11.760232	0.476951
min	18.200000	0.078000	21.000000	0.000000

25%	27.500000	0.243750	24.000000	0.000000
50%	32.300000	0.372500	29.000000	0.000000
75%	36.600000	0.626250	41.000000	1.000000
max	67.100000	2.420000	81.000000	1.000000

(2) Visually explore these variables using histogram and treat the missing values accordingly:

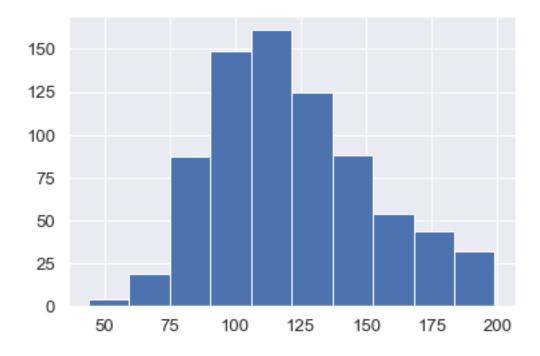
```
[8]: data['Glucose'].value_counts().head(7)
```

```
[8]: 99.0
               17
     100.0
               17
     111.0
               14
     129.0
               14
     125.0
               14
               14
     106.0
     112.0
               13
```

Name: Glucose, dtype: int64

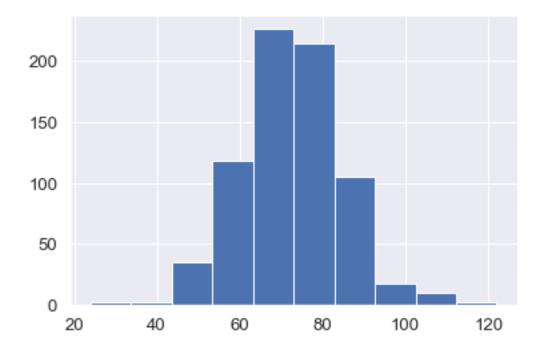
```
[9]: plt.hist(data['Glucose'])
```

```
[9]: (array([ 4., 19., 87., 149., 161., 125., 88., 54., 44., 32.]),
     array([ 44. , 59.5, 75. , 90.5, 106. , 121.5, 137. , 152.5, 168. ,
            183.5, 199.]),
     <BarContainer object of 10 artists>)
```



### [10]: data['BloodPressure'].value\_counts().head(7)

## [11]: plt.hist(data['BloodPressure'])



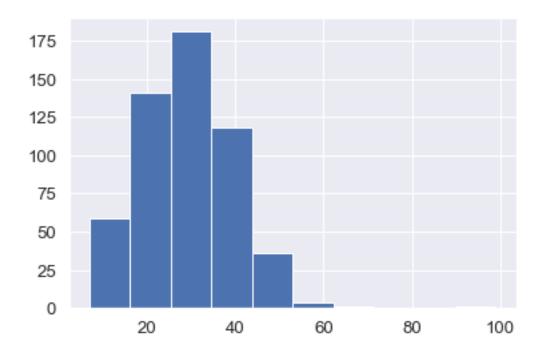
## [12]: data['SkinThickness'].value\_counts().head(7)

[12]: 32.0 31 30.0 27 27.0 23 23.0 22 28.0 20 33.0 20 18.0 20

Name: SkinThickness, dtype: int64

### [13]: plt.hist(data['SkinThickness'])

[13]: (array([ 59., 141., 181., 118., 36., 4., 1., 0., 0., 1.]), array([ 7., 16.2, 25.4, 34.6, 43.8, 53., 62.2, 71.4, 80.6, 89.8, 99.]), <BarContainer object of 10 artists>)



## [14]: data['Insulin'].value\_counts().head(7)

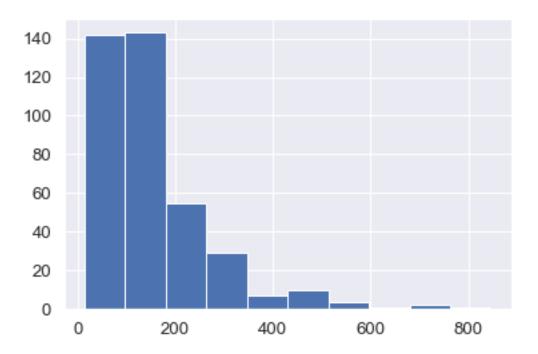
[14]: 105.0 11 130.0 9 140.0 9 120.0 8 94.0 7 180.0 7

Name: Insulin, dtype: int64

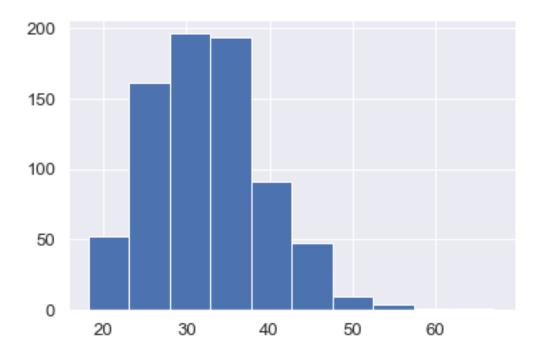
## [15]: plt.hist(data['Insulin'])

[15]: (array([142., 143., 55., 29., 7., 10., 4., 1., 2., 1.]), array([ 14. , 97.2, 180.4, 263.6, 346.8, 430. , 513.2, 596.4, 679.6,

762.8, 846. ]), <BarContainer object of 10 artists>)



```
[16]: data['BMI'].value_counts().head(7)
[16]: 32.0
              13
      31.6
              12
      31.2
              12
      32.4
              10
      33.3
              10
      32.9
              9
      32.8
               9
      Name: BMI, dtype: int64
[17]: plt.hist(data['BMI'])
[17]: (array([ 52., 161., 196., 193., 91., 48., 10., 4.,
       array([18.2, 23.09, 27.98, 32.87, 37.76, 42.65, 47.54, 52.43, 57.32,
              62.21, 67.1]),
       <BarContainer object of 10 artists>)
```



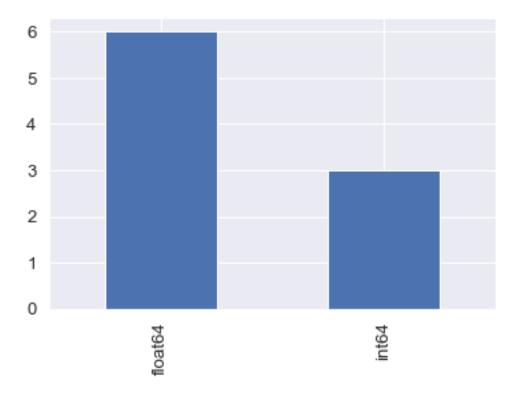
From above histograms, it is clear that **Insulin** has highly skewed data distribution and remaining 4 variables have relatively balanced data distribution therefore we will treat missing values in these 5 variables as below:-

- Glucose replace missing values with mean of values.
- BloodPressure replace missing values with mean of values.
- SkinThickness replace missing values with mean of values.
- Insulin replace missing values with median of values.
- BMI replace missing values with mean of values.

(3) Create a count (frequency) plot describing the data types and count of variables:

```
[20]: data.dtypes.value_counts().plot(kind='bar')
```

[20]: <AxesSubplot:>



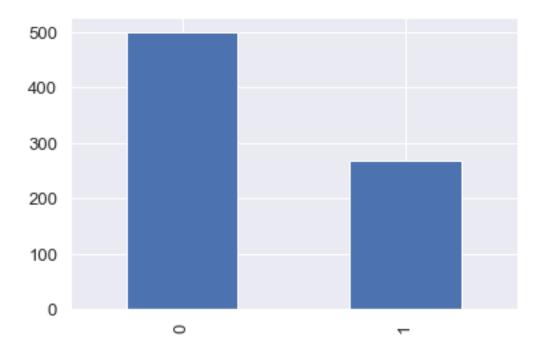
## 0.1.1 Data Exploration:

(4) Check the balance of the data by plotting the count of outcomes by their value. Describe your findings and plan future course of action:

```
[21]: data['Outcome'].value_counts().plot(kind='bar')
data['Outcome'].value_counts()
```

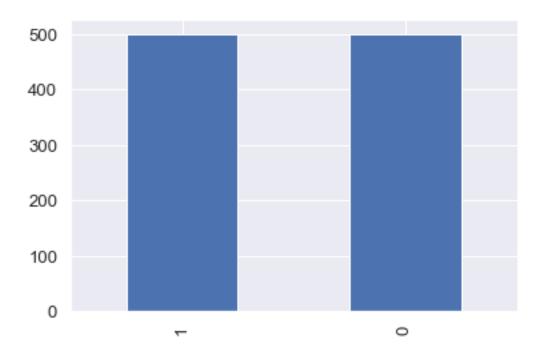
[21]: 0 500 1 268

Name: Outcome, dtype: int64



Since classes in **Outcome** is little skewed so we will generate new samples using **SMOTE** (**Synthetic Minority Oversampling Technique**) for the class '1' which is under-represented in our data. We will use SMOTE out of many other techniques available since:

- It generates new samples by interpolation.
- It doesn't duplicate data.



# (5) Create scatter plots between the pair of variables to understand the relationships. Describe findigs:

[25]:	<pre>data_resampled = pd.concat([data_x_resampled, data_y_resampled], axis=1)</pre>	
	data_resampled	l

	data_resampled							
[25]:		Pregnancies	Glucose	BloodPressur	e S	kinThickness	Insulin	\
	0	6	148.000000	72.00000	0	35.000000	125.000000	
	1	1	85.000000	66.00000	0	29.000000	125.000000	
	2	8	183.000000	64.00000	0	29.153420	125.000000	
	3	1	89.000000	66.00000	0	23.000000	94.000000	
	4	0	137.000000	40.00000	0	35.000000	168.000000	
		•••	•••	•••		•••	•••	
	995	3	164.686765	74.24902	1	29.153420	125.000000	
	996	0	138.913540	69.02272	0	27.713033	127.283849	
	997	10	131.497740	66.33157	4	33.149837	125.000000	
	998	0	105.571347	83.23820	5	29.153420	125.000000	
	999	0	127.727025	108.90887	9	44.468195	129.545366	
		DMT D	4 - 1 - 4 D - 14		Λ	0		
	•		iabetesPedig		Age	Outcome		
	0	33.600000		0.627000	50	1		
	1	26.600000		0.351000	31	0		
	2	23.300000		0.672000	32	1		
	3	28.100000		0.167000	21	0		
	4	43.100000		2.288000	33	1		
		•••						

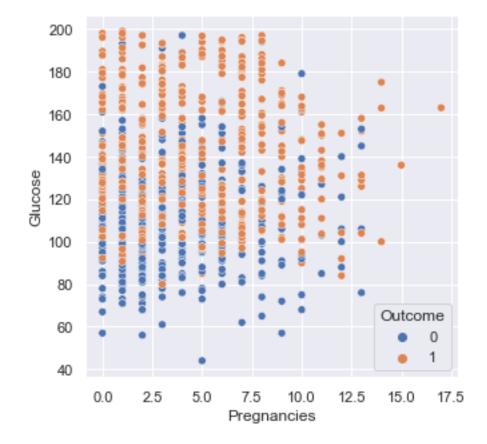
```
995 42.767110
                                 0.726091
                                            29
                                                      1
996 39.177649
                                 0.703702
                                            24
                                                      1
997 45.820819
                                 0.498032
                                            38
                                                      1
998 27.728596
                                 0.649204
                                            60
                                                      1
999 65.808840
                                 0.308998
                                            26
                                                      1
```

[1000 rows x 9 columns]

```
[26]: sns.set(rc={'figure.figsize':(5,5)})
sns.scatterplot(x="Pregnancies", y="Glucose", data=data_resampled,

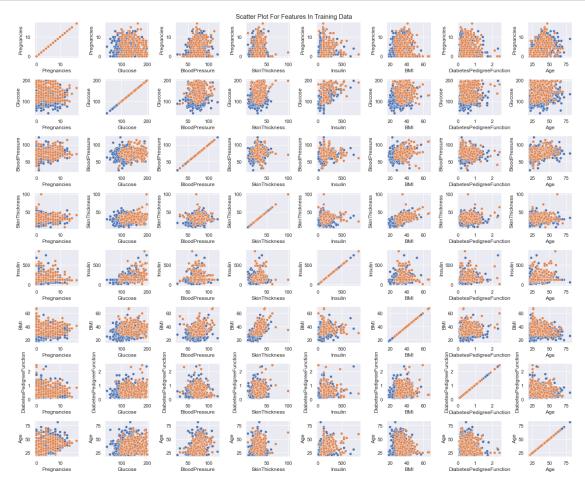
→hue="Outcome")
```

[26]: <AxesSubplot:xlabel='Pregnancies', ylabel='Glucose'>



```
[27]: fig, axes = plt.subplots(8,8, figsize=(18,15))
    fig.suptitle('Scatter Plot For Features In Training Data')

for i, col_y in enumerate(data_x_resampled.columns):
    for j, col_x in enumerate(data_x_resampled.columns):
```



We have some intresting observation from above scatter plot of pair of features: - **Glucose** alone is impressively good to distiguish between the **Outcome** classes. - **Age** alone is also able to distinguish between classes to some extent. - It seems none of pairs in the dataset is able to clearly distinguish between the **Outcome** classes. - We need to use combination of features to build model for prediction of classes in **Outcome**.

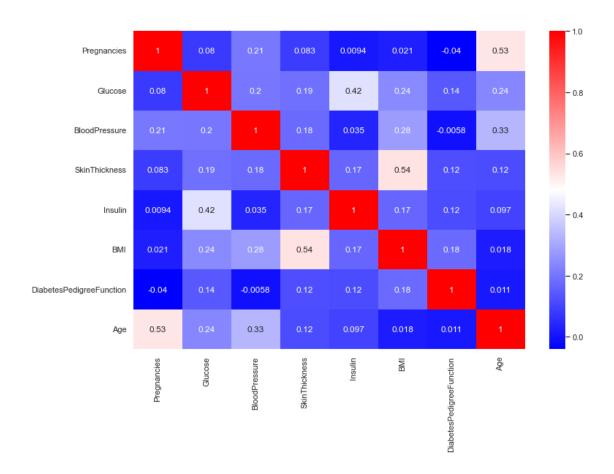
### (6) Perform correlation analysis. Visually explore it using a heat map:

## [28]: data\_x\_resampled.corr()

[28]:		Pregnancies	Glucose	BloodPressure	SkinThickness	\
	Pregnancies	1.000000	0.079953	0.205232	0.082752	
	Glucose	0.079953	1.000000	0.200717	0.189776	
	BloodPressure	0.205232	0.200717	1.000000	0.176496	

```
SkinThickness
                                   0.082752 0.189776
                                                            0.176496
                                                                           1.000000
      Insulin
                                   0.009365 0.418830
                                                            0.034861
                                                                           0.170719
      BMI
                                   0.021006 0.242501
                                                            0.277565
                                                                           0.538207
      DiabetesPedigreeFunction
                                  -0.040210 0.138945
                                                           -0.005850
                                                                           0.120799
      Age
                                   0.532660 0.235522
                                                            0.332015
                                                                           0.117644
                                 Insulin
                                               BMI
                                                   DiabetesPedigreeFunction \
                                0.009365 0.021006
                                                                   -0.040210
      Pregnancies
      Glucose
                                0.418830 0.242501
                                                                    0.138945
      BloodPressure
                                0.034861 0.277565
                                                                   -0.005850
      SkinThickness
                                0.170719 0.538207
                                                                    0.120799
      Insulin
                                1.000000 0.168702
                                                                    0.115187
     BMI
                                0.168702 1.000000
                                                                    0.177915
     DiabetesPedigreeFunction 0.115187 0.177915
                                                                    1.000000
                                0.096940 0.017529
                                                                    0.010532
      Age
                                     Age
      Pregnancies
                                0.532660
      Glucose
                                0.235522
      BloodPressure
                                0.332015
      SkinThickness
                                0.117644
      Insulin
                                0.096940
     BMI
                                0.017529
      DiabetesPedigreeFunction 0.010532
      Age
                                1.000000
[29]: plt.figure(figsize=(12,8))
      sns.heatmap(data_x_resampled.corr(), cmap='bwr', annot=True)
```

### [29]: <AxesSubplot:>



It appears from correlation matrix and heatmap that the there exists significant correlation between some pairs such as - - Age-Pregnancies - BMI-SkinThickness

Also we can see that no pair of variables have negative correlation.

### 0.2 Week 2:

### 0.2.1 Data Modeling:

## (1) Device strategies for model building. It is important to decide the right validation framework. Express your thought process:

**Answer:** Since this is a classification problem, we will be building all popular classification models for our training data and then compare performance of each model on test data to accurately predict target variable (Outcome).

- 1) Logistic Regression
- 2) Decison Tree
- 3) RandomForest Classifier
- 4) K-Nearest Neighbour (KNN)
- 5) Support Vector Machine (SVM)

- 6) Naive Bayes
- 7) Ensemble Learning -> Boosting -> Adaptive Boosting
- 8) Ensemble Learning -> Boosting -> Gradient Boosting (XGBClassifier)

We will use  $\mathbf{GridSearchCV}$  with Cross Validation (CV) = 5 for training and testing model wich will give us insight about model performance on versatile data. It helps to loop through predefined hyper parameters and fit model on training set. GridSearchCV performs hyper parameter tunning which will give us optimal hyper parameters for each of the model. We will again train model with these optimized hyper parameters and then predict test data to get metrics for comparing all models.

Performing Train - Test split on input data (To train and test model without Cross Validation and Hyper Parameter Tunning):

```
[30]: from sklearn.model_selection import train_test_split, KFold, RandomizedSearchCV from sklearn.metrics import accuracy_score, average_precision_score, f1_score, confusion_matrix, classification_report, auc, roc_curve, roc_auc_score
```

```
[31]: x_train, x_test, y_train, y_test = train_test_split(data_x_resampled, u data_y_resampled, test_size=0.15, random_state=10)
```

```
[32]: x_train.shape, x_test.shape
```

```
[32]: ((850, 8), (150, 8))
```

Apply an appropriate classification algorithm to build a model. Compare various models with the results from KNN algorithm.

```
[33]: models = []
    model_accuracy = []
    model_f1 = []
    model_auc = []
```

1) Logistic Regression:

```
[34]: from sklearn.linear_model import LogisticRegression lr1 = LogisticRegression(max_iter=300)
```

```
[35]: lr1.fit(x_train, y_train)
```

[35]: LogisticRegression(max\_iter=300)

```
[37]: lr1.score(x_train, y_train)
```

[37]: 0.7294117647058823

```
[38]: lr1.score(x_test, y_test)
```

[38]: 0.76

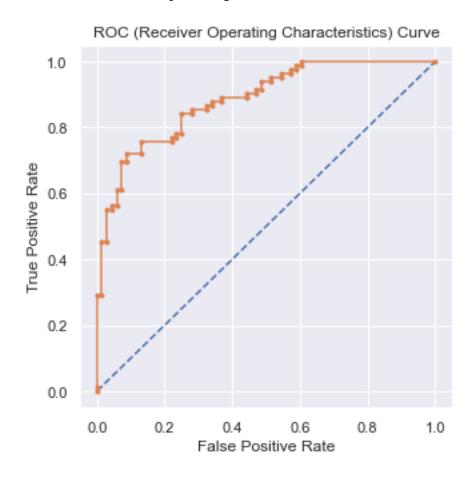
Performance evaluation and optimizing parameters using GridSearchCV: Logistic regression does not really have any critical hyperparameters to tune. However we will try to optimize one of its parameters 'C' with the help of GridSearchCV. So we have set this parameter as a list of values form which GridSearchCV will select the best value of parameter.

```
[39]: from sklearn.model_selection import GridSearchCV, cross_val_score
[40]:
     parameters = {'C':np.logspace(-5, 5, 50)}
[41]: gs_lr = GridSearchCV(lr1, param_grid = parameters, cv=5, verbose=0)
      gs_lr.fit(data_x_resampled, data_y_resampled)
[41]: GridSearchCV(cv=5, estimator=LogisticRegression(max_iter=300),
                   param_grid={'C': array([1.00000000e-05, 1.59985872e-05,
      2.55954792e-05, 4.09491506e-05,
             6.55128557e-05, 1.04811313e-04, 1.67683294e-04, 2.68269580e-04,
             4.29193426e-04, 6.86648845e-04, 1.09854114e-03, 1.75751062e-03,
             2.81176870e-03, 4.49843267e-03, 7.19685673e-03, 1.15139540e-02,
             1.84206997e-02, 2.94705170e...
             7.90604321e-01, 1.26485522e+00, 2.02358965e+00, 3.23745754e+00,
             5.17947468e+00, 8.28642773e+00, 1.32571137e+01, 2.12095089e+01,
             3.39322177e+01, 5.42867544e+01, 8.68511374e+01, 1.38949549e+02,
             2.22299648e+02, 3.55648031e+02, 5.68986603e+02, 9.10298178e+02,
             1.45634848e+03, 2.32995181e+03, 3.72759372e+03, 5.96362332e+03,
             9.54095476e+03, 1.52641797e+04, 2.44205309e+04, 3.90693994e+04,
             6.25055193e+04, 1.00000000e+05])})
[42]: gs_lr.best_params_
[42]: {'C': 13.257113655901108}
     gs_lr.best_score_
[43]: 0.738
[44]: | lr2 = LogisticRegression(C=13.257113655901108, max_iter=300)
[45]: lr2.fit(x_train, y_train)
[45]: LogisticRegression(C=13.257113655901108, max_iter=300)
[46]: lr2.score(x_train, y_train)
[46]: 0.731764705882353
[47]: lr2.score(x_test, y_test)
[47]: 0.77333333333333333
```

```
[48]: # Preparing ROC Curve (Receiver Operating Characteristics Curves)
      probs = lr2.predict_proba(x_test)
                                                        # Predict probabilities
      probs = probs[:,1]
                                                        # keep probabilities for the_
      → positive outcome only
      auc_lr = roc_auc_score(y_test, probs)
                                                        # calculate AUC
      print('AUC: %.3f' %auc_lr)
      fpr, tpr, thresholds = roc_curve(y_test, probs) # calculate roc curve
      plt.plot([0,1], [0,1], linestyle='--')
                                                        # plot no skill
      plt.plot(fpr, tpr, marker='.')
                                                        # plot the roc curve for the
      \rightarrowmodel
      plt.xlabel("False Positive Rate")
      plt.ylabel("True Positive Rate")
      plt.title("ROC (Receiver Operating Characteristics) Curve")
```

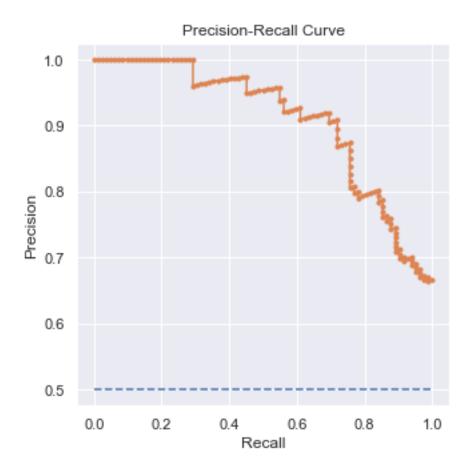
AUC: 0.884

[48]: Text(0.5, 1.0, 'ROC (Receiver Operating Characteristics) Curve')



```
[50]: # Precision Recall Curve
      from sklearn.metrics import precision_recall_curve
      pred_y_test = lr2.predict(x_test)
                                                                                 # predict_
      ⇔class values
      precision, recall, thresholds = precision_recall_curve(y_test, probs) #__
       →calculate precision-recall curve
      f1 = f1_score(y_test, pred_y_test)
                                                                                 #__
       \rightarrow calculate F1 score
      auc_lr_pr = auc(recall, precision)
                                                                                 #__
       \hookrightarrow calculate precision-recall AUC
      ap = average_precision_score(y_test, probs)
                                                                                 #__
       →calculate average precision score
      print('f1=%.3f auc_pr=%.3f ap=%.3f' % (f1, auc_lr_pr, ap))
      plt.plot([0, 1], [0.5, 0.5], linestyle='--')
                                                                                 # plot nou
       \hookrightarrow skill
      plt.plot(recall, precision, marker='.')
                                                                                 # plot_
      → the precision-recall curve for the model
      plt.xlabel("Recall")
      plt.ylabel("Precision")
      plt.title("Precision-Recall Curve");
```

f1=0.790 auc\_pr=0.908 ap=0.909

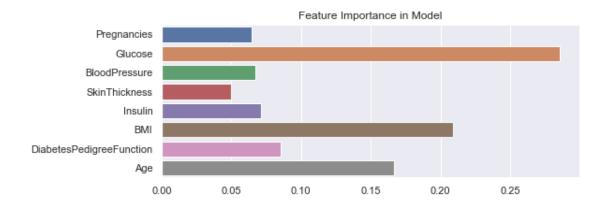


```
[52]: models.append('LR')
    model_accuracy.append(accuracy_score(y_test, pred_y_test))
    model_f1.append(f1)
    model_auc.append(auc_lr)

2) Decision Tree:
[53]: from sklearn.tree import DecisionTreeClassifier
    dt1 = DecisionTreeClassifier(random_state=0)
[54]: dt1.fit(x_train, y_train)
[54]: DecisionTreeClassifier(random_state=0)
[55]: dt1.score(x_train, y_train)
[55]: 1.0
[56]: dt1.score(x_test, y_test)
```

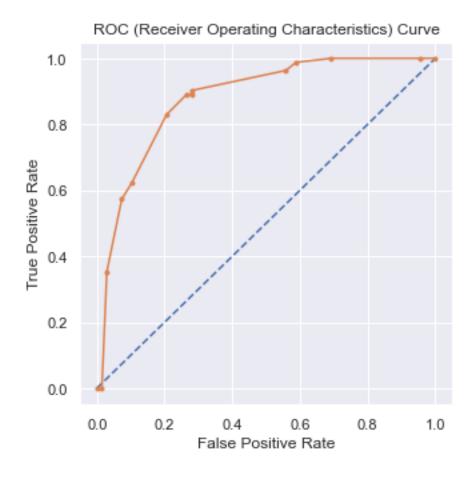
Performance evaluation and optimizing parameters using GridSearchCV:

```
[57]: parameters = {
          'max_depth': [1,2,3,4,5,None]
      }
[59]: gs_dt = GridSearchCV(dt1, param_grid = parameters, cv=5, verbose=0)
      gs_dt.fit(data_x_resampled, data_y_resampled)
[59]: GridSearchCV(cv=5, estimator=DecisionTreeClassifier(random_state=0),
                   param grid={'max depth': [1, 2, 3, 4, 5, None]})
[60]: gs_dt.best_params_
[60]: {'max_depth': 4}
[61]: gs_dt.best_score_
[61]: 0.76
[62]: dt1.feature_importances_
[62]: array([0.06452226, 0.28556999, 0.06715314, 0.04979714, 0.07150365,
             0.20905992, 0.08573109, 0.16666279])
[63]: x_train.columns
[63]: Index(['Pregnancies', 'Glucose', 'BloodPressure', 'SkinThickness', 'Insulin',
             'BMI', 'DiabetesPedigreeFunction', 'Age'],
            dtype='object')
[64]: plt.figure(figsize=(8,3))
      sns.barplot(y=x_train.columns, x=dt1.feature_importances_)
      plt.title("Feature Importance in Model")
[64]: Text(0.5, 1.0, 'Feature Importance in Model')
```

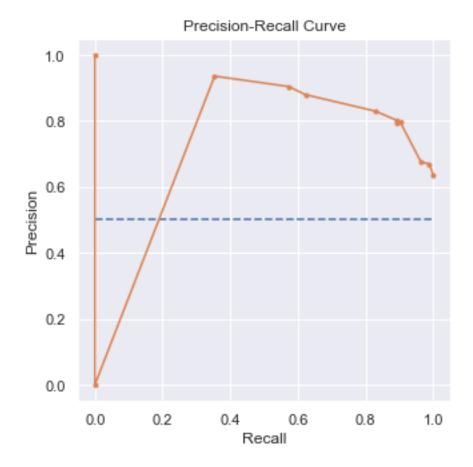


```
[65]: dt2 = DecisionTreeClassifier(max_depth=4)
[66]: dt2.fit(x_train, y_train)
[66]: DecisionTreeClassifier(max_depth=4)
[67]: dt2.score(x_train, y_train)
[67]: 0.8070588235294117
[68]: dt2.score(x_test, y_test)
[68]: 0.82
[70]: | # Preparing ROC Curve (Receiver Operating Characteristics Curves)
      probs = dt2.predict_proba(x_test)
                                                       # Predict probabilities
      probs = probs[:,1]
                                                       # keep probabilities for the_
      →positive outcome only
      auc_dt = roc_auc_score(y_test, probs)
                                                       # calculate AUC
      print('AUC: %.3f' %auc_dt)
      fpr, tpr, thresholds = roc_curve(y_test, probs) # calculate roc curve
      plt.plot([0,1], [0,1], linestyle='--')
                                                       # plot no skill
      plt.plot(fpr, tpr, marker='.')
                                                       # plot the roc curve for the_
      ⊶model
      plt.xlabel("False Positive Rate")
      plt.ylabel("True Positive Rate")
      plt.title("ROC (Receiver Operating Characteristics) Curve")
     AUC: 0.879
```

[70]: Text(0.5, 1.0, 'ROC (Receiver Operating Characteristics) Curve')



```
[71]: # Precision Recall Curve
      pred_y_test = dt2.predict(x_test)
                                                                                 # predict
      ⇔class values
      precision, recall, thresholds = precision_recall_curve(y_test, probs) #__
       → calculate precision-recall curve
      f1 = f1_score(y_test, pred_y_test)
                                                                                 #
       \rightarrow calculate F1 score
      auc_dt_pr = auc(recall, precision)
                                                                                 #__
      \rightarrow calculate precision-recall AUC
      ap = average_precision_score(y_test, probs)
                                                                                 #__
       → calculate average precision score
      print('f1=%.3f auc_pr=%.3f ap=%.3f' % (f1, auc_lr_pr, ap))
      plt.plot([0, 1], [0.5, 0.5], linestyle='--')
                                                                                 # plot nou
       \hookrightarrow skill
      plt.plot(recall, precision, marker='.')
                                                                                 # plot_
       → the precision-recall curve for the model
      plt.xlabel("Recall")
      plt.ylabel("Precision")
      plt.title("Precision-Recall Curve");
```



```
[72]: models.append('DT')
model_accuracy.append(accuracy_score(y_test, pred_y_test))
model_f1.append(f1)
model_auc.append(auc_dt)
```

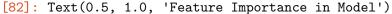
## 3) RandomForest Classifier:

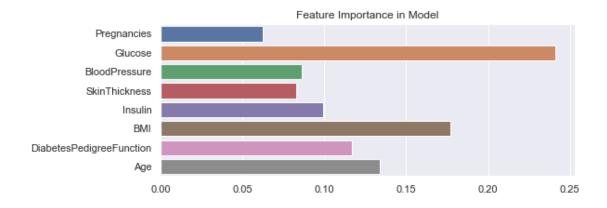
- [73]: from sklearn.ensemble import RandomForestClassifier rf1 = RandomForestClassifier()
- [74]: rf1 = RandomForestClassifier(random\_state=0)
- [75]: rf1.fit(x\_train, y\_train)
- [75]: RandomForestClassifier(random\_state=0)
- [76]: rf1.score(x\_test, y\_test)

#### [76]: 0.84666666666667

### Performance evaluation and optimizing parameters using GridsearchCV:

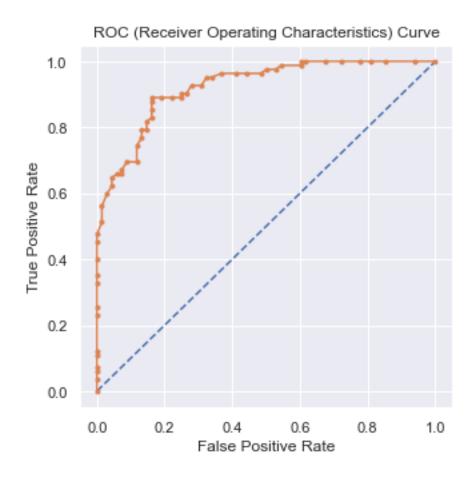
```
[77]: parameters = {
          'n_estimators': [50,10,150],
          'max_depth': [None,1,3,5,7],
          'min_samples_leaf':[1,3,5]
      }
[78]: gs_dt = GridSearchCV(estimator=rf1, param_grid=parameters, cv=5, verbose=0)
      gs_dt.fit(data_x_resampled, data_y_resampled)
[78]: GridSearchCV(cv=5, estimator=RandomForestClassifier(random_state=0),
                   param_grid={'max_depth': [None, 1, 3, 5, 7],
                                'min_samples_leaf': [1, 3, 5],
                                'n_estimators': [50, 10, 150]})
[79]: gs_dt.best_params_
[79]: {'max_depth': None, 'min_samples_leaf': 1, 'n_estimators': 150}
[80]: gs_dt.best_score_
[80]: 0.813
[81]: rf1.feature_importances_
[81]: array([0.06264995, 0.24106573, 0.08653626, 0.08301549, 0.09945063,
             0.17678287, 0.11685244, 0.13364664])
[82]: plt.figure(figsize=(8,3))
      sns.barplot(y=x_train.columns, x=rf1.feature_importances_)
      plt.title("Feature Importance in Model")
```





```
[83]: rf2 = RandomForestClassifier(max_depth=None, min_samples_leaf=1,__
       \rightarrown_estimators=100)
[85]: rf2.fit(x_train, y_train)
[85]: RandomForestClassifier()
[86]: rf2.score(x_train, y_train)
[86]: 1.0
[87]: rf2.score(x_test, y_test)
[87]: 0.846666666666667
[88]: # Preparing ROC Curve (Receiver Operating Characteristics Curve)
      probs = rf2.predict_proba(x_test)
                                                        # predict probabilities
      probs = probs[:, 1]
                                                        # keep probabilities for the_
      → positive outcome only
      auc_rf = roc_auc_score(y_test, probs)
                                                        # calculate AUC
      print('AUC: %.3f' %auc_rf)
      fpr, tpr, thresholds = roc curve(y test, probs) # calculate roc curve
      plt.plot([0, 1], [0, 1], linestyle='--')
                                                        # plot no skill
      plt.plot(fpr, tpr, marker='.')
                                                        # plot the roc curve for the_
       \rightarrowmodel
      plt.xlabel("False Positive Rate")
      plt.ylabel("True Positive Rate")
      plt.title("ROC (Receiver Operating Characteristics) Curve");
```

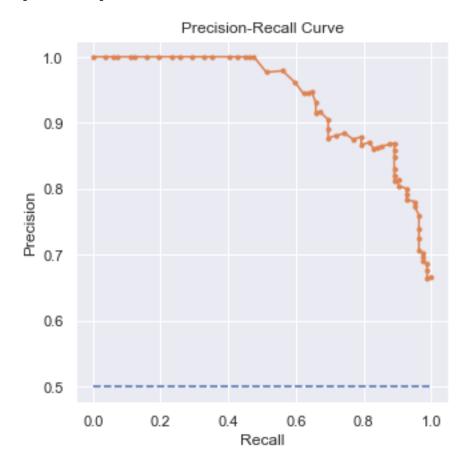
AUC: 0.924



```
[89]: # Precision Recall Curve
      pred_y_test = rf2.predict(x_test)
                                                                                # predict_
       ⇔class values
      precision, recall, thresholds = precision_recall_curve(y_test, probs) #__
      →calculate precision-recall curve
      f1 = f1_score(y_test, pred_y_test)
                                                                                #__
      \rightarrow calculate F1 score
      auc_rf_pr = auc(recall, precision)
                                                                                #__
       → calculate precision-recall AUC
      ap = average_precision_score(y_test, probs)
                                                                                #__
      →calculate average precision score
      print('f1=%.3f auc_pr=%.3f ap=%.3f' % (f1, auc_rf_pr, ap))
      plt.plot([0, 1], [0.5, 0.5], linestyle='--')
                                                                                # plot nou
       \hookrightarrowskill
      plt.plot(recall, precision, marker='.')
                                                                                # plot_
       → the precision-recall curve for the model
      plt.xlabel("Recall")
      plt.ylabel("Precision")
```

```
plt.title("Precision-Recall Curve");
```

f1=0.859 auc\_pr=0.939 ap=0.938



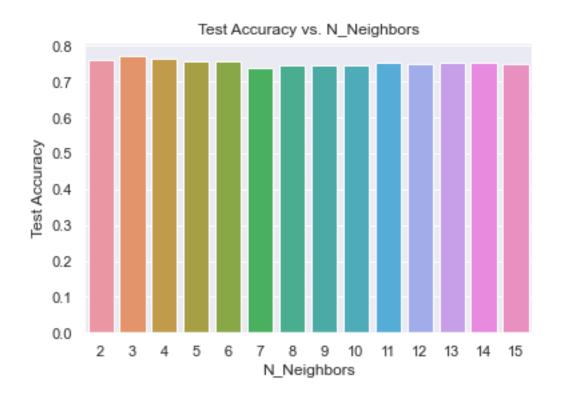
```
[90]: models.append('RF')
model_accuracy.append(accuracy_score(y_test, pred_y_test))
model_f1.append(f1)
model_auc.append(auc_dt)
```

## 4) K-Nearest Neighbour (KNN) Classification:

```
[91]: from sklearn.neighbors import KNeighborsClassifier knn1 = KNeighborsClassifier(n_neighbors=3)
```

- [92]: knn1.fit(x\_train, y\_train)
- [92]: KNeighborsClassifier(n\_neighbors=3)
- [93]: knn1.score(x\_train, y\_train)

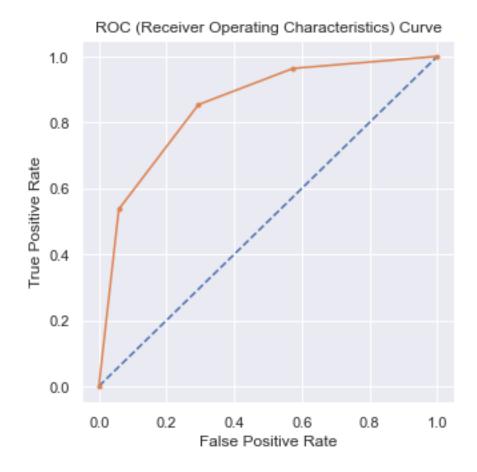
```
[93]: 0.8835294117647059
 [94]: knn1.score(x_test, y_test)
 [94]: 0.78666666666666
      Performance evaluation and optimizing parameters using GridSearchCV:
 [97]: knn_neighbors = [ i for i in range(2,16)]
       parameters = {
           'n_neighbors':knn_neighbors
 [98]: gs_knn = GridSearchCV(estimator=knn1, param_grid=parameters, cv=5, verbose=0)
       gs_knn.fit(data_x_resampled, data_y_resampled)
 [98]: GridSearchCV(cv=5, estimator=KNeighborsClassifier(n_neighbors=3),
                    param_grid={'n_neighbors': [2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13,
                                                14, 15]})
 [99]: gs_knn.best_params_
 [99]: {'n_neighbors': 3}
[100]: gs_knn.best_score_
[100]: 0.771
[101]: gs_knn.cv_results_['mean_test_score']
[101]: array([0.76, 0.771, 0.765, 0.757, 0.757, 0.739, 0.744, 0.746, 0.744,
              0.755, 0.751, 0.755, 0.754, 0.749])
[102]: plt.figure(figsize=(6,4))
       sns.barplot(x=knn_neighbors, y=gs_knn.cv_results_['mean_test_score'])
       plt.xlabel("N_Neighbors")
       plt.ylabel("Test Accuracy")
       plt.title("Test Accuracy vs. N_Neighbors")
[102]: Text(0.5, 1.0, 'Test Accuracy vs. N_Neighbors')
```



[103]: knn2 = KNeighborsClassifier(n\_neighbors=3)

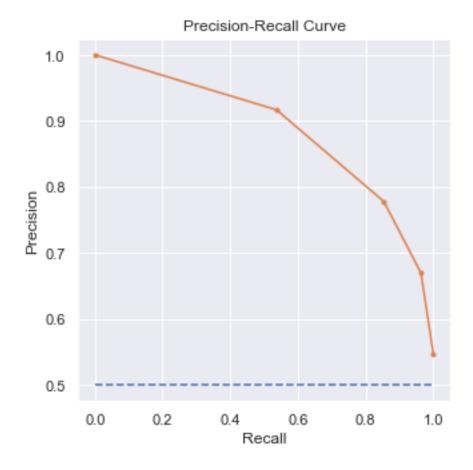
AUC: 0.852

[107]: Text(0.5, 1.0, 'ROC (Receiver Operating Characteristics) Curve')



```
auc_knn_pr = auc(recall, precision)
                                                                          #⊔
→ calculate precision-recall AUC
ap = average_precision_score(y_test, probs)
                                                                         #__
→calculate average precision score
print('f1=%.3f auc_pr=%.3f ap=%.3f' % (f1, auc_knn_pr, ap))
plt.plot([0, 1], [0.5, 0.5], linestyle='--')
                                                                         # plot nou
\rightarrow skill
plt.plot(recall, precision, marker='.')
                                                                         # plot_
→ the precision-recall curve for the model
plt.xlabel("Recall")
plt.ylabel("Precision")
plt.title("Precision-Recall Curve");
```

f1=0.814 auc\_pr=0.885 ap=0.832



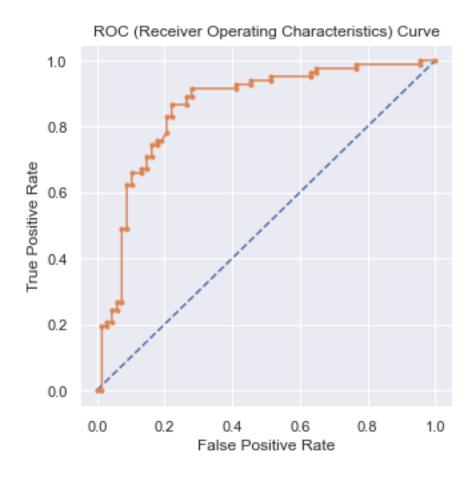
```
[109]: models.append('KNN')
model_accuracy.append(accuracy_score(y_test, pred_y_test))
model_f1.append(f1)
model_auc.append(auc_knn)
```

## 5) Support Vector Machine (SVM) Algorithm:

```
[110]: from sklearn.svm import SVC
       svm1 = SVC(kernel='rbf')
[112]: svm1.fit(x_train, y_train)
[112]: SVC()
[113]: svm1.score(x_train, y_train)
[113]: 0.7282352941176471
[114]: svm1.score(x_test, y_test)
[114]: 0.78
      Performance evaluation and optimizing parameters using GridSearchCV:
[115]: parameters = {
           'C':[1, 5, 10, 15, 20, 25],
           'gamma': [0.001, 0.005, 0.0001, 0.00001]
       }
[116]: gs_svm = GridSearchCV(estimator=svm1, param_grid=parameters, cv=5, verbose=0)
       gs_svm.fit(data_x_resampled, data_y_resampled)
[116]: GridSearchCV(cv=5, estimator=SVC(),
                    param_grid={'C': [1, 5, 10, 15, 20, 25],
                                'gamma': [0.001, 0.005, 0.0001, 1e-05]})
[117]: gs_svm.best_params_
[117]: {'C': 20, 'gamma': 0.005}
[118]: gs_svm.best_score_
[118]: 0.808999999999999
[119]: svm2 = SVC(kernel='rbf', C=20, gamma=0.005, probability=True)
[120]: svm2.fit(x_train, y_train)
[120]: SVC(C=20, gamma=0.005, probability=True)
[121]: svm2.score(x_train, y_train)
[121]: 0.9941176470588236
```

```
[122]: | svm2.score(x_test, y_test)
[122]: 0.8133333333333333
[123]: # Preparing ROC Curve (Receiver Operating Characteristics Curve)
       probs = svm2.predict_proba(x_test)
                                                        # predict probabilities
       probs = probs[:, 1]
                                                        # keep probabilities for the_
       → positive outcome only
       auc_svm = roc_auc_score(y_test, probs) # calculate AUC
       print('AUC: %.3f' %auc_svm)
       fpr, tpr, thresholds = roc_curve(y_test, probs) # calculate roc curve
       plt.plot([0, 1], [0, 1], linestyle='--')
                                                        # plot no skill
       plt.plot(fpr, tpr, marker='.')
                                                        # plot the roc curve for the_
       \rightarrowmodel
       plt.xlabel("False Positive Rate")
       plt.ylabel("True Positive Rate")
       plt.title("ROC (Receiver Operating Characteristics) Curve")
      AUC: 0.857
```

[123]: Text(0.5, 1.0, 'ROC (Receiver Operating Characteristics) Curve')

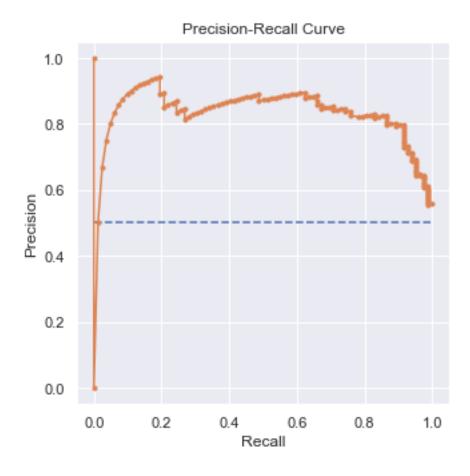


```
[124]: # Precision Recall Curve
       pred_y_test = svm2.predict(x_test)
                                                                                   # predict_
        \hookrightarrow class values
       precision, recall, thresholds = precision_recall_curve(y_test, probs) #_
       → calculate precision-recall curve
       f1 = f1_score(y_test, pred_y_test)
                                                                                   #__
        \rightarrow calculate F1 score
       auc_svm_pr = auc(recall, precision)
                                                                                   #__
        → calculate precision-recall AUC
       ap = average_precision_score(y_test, probs)
                                                                                   #__
       →calculate average precision score
       print('f1=%.3f auc_pr=%.3f ap=%.3f' % (f1, auc_svm_pr, ap))
       plt.plot([0, 1], [0.5, 0.5], linestyle='--')
                                                                                   # plot nou
        \hookrightarrowskill
       plt.plot(recall, precision, marker='.')
                                                                                   # plot_
        → the precision-recall curve for the model
       plt.xlabel("Recall")
       plt.ylabel("Precision")
```

## plt.title("Precision-Recall Curve")

f1=0.829 auc\_pr=0.829 ap=0.836

[124]: Text(0.5, 1.0, 'Precision-Recall Curve')



```
[125]: models.append('SVM')
model_accuracy.append(accuracy_score(y_test, pred_y_test))
model_f1.append(f1)
model_auc.append(auc_svm)
```

## 6) Naive Bayes Algorithm:

```
[126]: from sklearn.naive_bayes import GaussianNB, BernoulliNB, MultinomialNB gnb = GaussianNB()
```

[127]: gnb.fit(x\_train, y\_train)

[127]: GaussianNB()

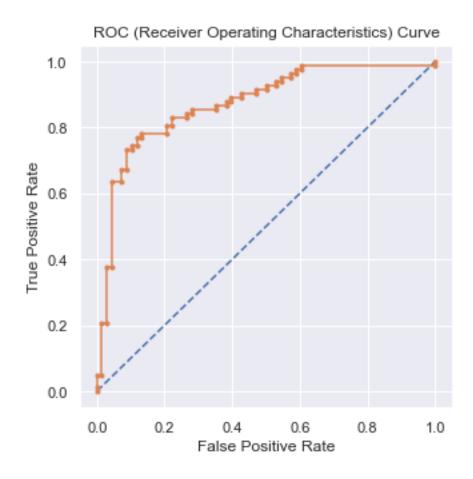
```
[128]: gnb.score(x_train, y_train)
[128]: 0.7294117647058823
[129]: gnb.score(x_test, y_test)
[129]: 0.8
```

Naive Bayes has almost no hyperparameters to tune, so it usually generalizes well.

```
[130]: # Preparing ROC Curve (Receiver Operating Characteristics Curve)
       probs = gnb.predict_proba(x_test)
                                                         # predict probabilities
       probs = probs[:, 1]
                                                         # keep probabilities for the_
       → positive outcome only
       auc_gnb = roc_auc_score(y_test, probs)
                                                         # calculate AUC
       print('AUC: %.3f' %auc_gnb)
       fpr, tpr, thresholds = roc_curve(y_test, probs) # calculate roc curve
       plt.plot([0, 1], [0, 1], linestyle='--')
                                                         # plot no skill
       plt.plot(fpr, tpr, marker='.')
                                                         # plot the roc curve for the_
       \rightarrowmodel
       plt.xlabel("False Positive Rate")
       plt.ylabel("True Positive Rate")
       plt.title("ROC (Receiver Operating Characteristics) Curve")
```

AUC: 0.873

[130]: Text(0.5, 1.0, 'ROC (Receiver Operating Characteristics) Curve')

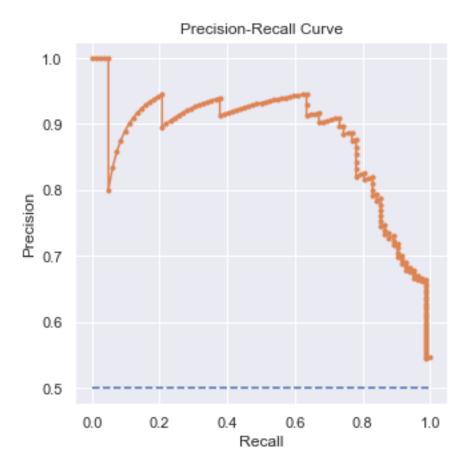


```
[131]: # Precision Recall Curve
       pred_y_test = gnb.predict(x_test)
                                                                                # predict_
        ⇔class values
       precision, recall, thresholds = precision_recall_curve(y_test, probs) #__
       → calculate precision-recall curve
       f1 = f1_score(y_test, pred_y_test)
                                                                                #__
        →calculate F1 score
       auc_gnb_pr = auc(recall, precision)
                                                                                 #⊔
        → calculate precision-recall AUC
       ap = average_precision_score(y_test, probs)
                                                                                #__
       →calculate average precision score
       print('f1=%.3f auc_pr=%.3f ap=%.3f' % (f1, auc_gnb_pr, ap))
       plt.plot([0, 1], [0.5, 0.5], linestyle='--')
                                                                                # plot nou
        \hookrightarrowskill
       plt.plot(recall, precision, marker='.')
                                                                                # plot_
        → the precision-recall curve for the model
       plt.xlabel("Recall")
       plt.ylabel("Precision")
```

# plt.title("Precision-Recall Curve")

f1=0.819 auc\_pr=0.879 ap=0.880

[131]: Text(0.5, 1.0, 'Precision-Recall Curve')



```
[132]: models.append('GNB')
model_accuracy.append(accuracy_score(y_test, pred_y_test))
model_f1.append(f1)
model_auc.append(auc_gnb)
```

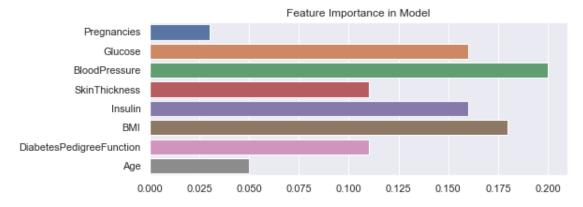
## 7) Ensemble Learning --> Boosting --> Adaptive Boosting:

```
[133]: from sklearn.ensemble import AdaBoostClassifier ada1 = AdaBoostClassifier(n_estimators=100)
```

[134]: ada1.fit(x\_train,y\_train)

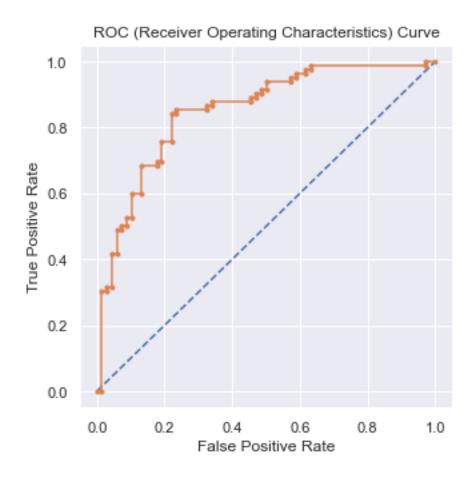
[134]: AdaBoostClassifier(n\_estimators=100)

```
[135]: ada1.score(x_train,y_train)
[135]: 0.8564705882352941
[136]:
      ada1.score(x_test,y_test)
[136]: 0.766666666666667
      Performance evaluation and optimizing parameters using cross_val_score:
[137]: parameters = {'n estimators': [100,200,300,400,500,700,1000]}
       gs_ada = GridSearchCV(ada1, param_grid = parameters, cv=5, verbose=0)
[139]:
       gs_ada.fit(data_x_resampled, data_y_resampled)
[139]: GridSearchCV(cv=5, estimator=AdaBoostClassifier(n_estimators=100),
                    param_grid={'n_estimators': [100, 200, 300, 400, 500, 700, 1000]})
[140]: gs_ada.best_params_
[140]: {'n_estimators': 500}
[141]: gs_ada.best_score_
[141]: 0.785
[142]: ada1.feature_importances_
[142]: array([0.03, 0.16, 0.2, 0.11, 0.16, 0.18, 0.11, 0.05])
[143]: plt.figure(figsize=(8,3))
       sns.barplot(y=x_train.columns, x=ada1.feature_importances_)
       plt.title("Feature Importance in Model")
[143]: Text(0.5, 1.0, 'Feature Importance in Model')
```



```
[144]: ada2 = AdaBoostClassifier(n_estimators=500)
[145]: ada2.fit(x_train,y_train)
[145]: AdaBoostClassifier(n_estimators=500)
[146]: ada2.score(x_train,y_train)
[146]: 0.9247058823529412
[147]: ada2.score(x_test,y_test)
[147]: 0.7733333333333333
[148]: | # Preparing ROC Curve (Receiver Operating Characteristics Curve)
       probs = ada2.predict_proba(x_test)
                                                        # predict probabilities
       probs = probs[:, 1]
                                                        # keep probabilities for the_
       →positive outcome only
       auc_ada = roc_auc_score(y_test, probs)
                                              # calculate AUC
       print('AUC: %.3f' %auc_ada)
       fpr, tpr, thresholds = roc_curve(y_test, probs) # calculate roc curve
       plt.plot([0, 1], [0, 1], linestyle='--')
                                                        # plot no skill
       plt.plot(fpr, tpr, marker='.')
                                                        # plot the roc curve for the_
       \rightarrowmodel
       plt.xlabel("False Positive Rate")
       plt.ylabel("True Positive Rate")
       plt.title("ROC (Receiver Operating Characteristics) Curve")
      AUC: 0.850
```

[148]: Text(0.5, 1.0, 'ROC (Receiver Operating Characteristics) Curve')

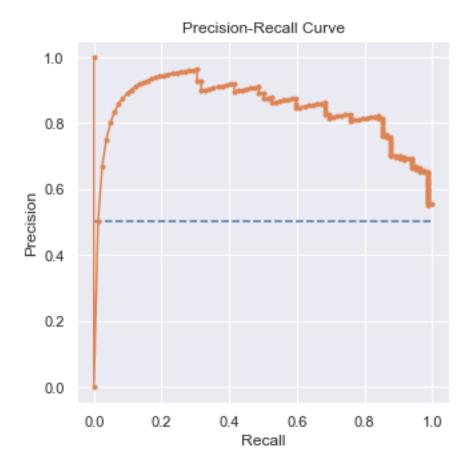


```
[149]: # Precision Recall Curve
       pred_y_test = ada2.predict(x_test)
                                                                                # predict_
        ⇔class values
       precision, recall, thresholds = precision_recall_curve(y_test, probs) #_
       →calculate precision-recall curve
       f1 = f1_score(y_test, pred_y_test)
                                                                                #__
        →calculate F1 score
       auc_ada_pr = auc(recall, precision)
                                                                                #__
        → calculate precision-recall AUC
       ap = average_precision_score(y_test, probs)
                                                                                #__
       →calculate average precision score
       print('f1=%.3f auc_pr=%.3f ap=%.3f' % (f1, auc_ada_pr, ap))
       plt.plot([0, 1], [0.5, 0.5], linestyle='--')
                                                                                # plot nou
        \hookrightarrowskill
       plt.plot(recall, precision, marker='.')
                                                                                # plot_
        → the precision-recall curve for the model
       plt.xlabel("Recall")
       plt.ylabel("Precision")
```

#### plt.title("Precision-Recall Curve")

f1=0.785 auc\_pr=0.838 ap=0.845

[149]: Text(0.5, 1.0, 'Precision-Recall Curve')



```
[150]: models.append('ADA')
model_accuracy.append(accuracy_score(y_test, pred_y_test))
model_f1.append(f1)
model_auc.append(auc_ada)
```

8) Ensemble Learning --> Boosting --> Gradient Boosting (XGBClassifier):

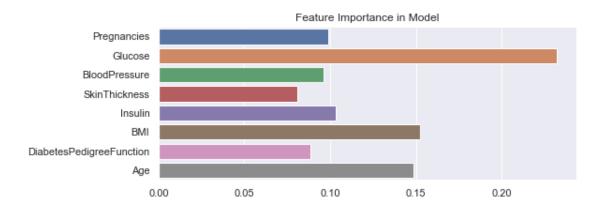
```
[151]: from xgboost import XGBClassifier xgb1 = XGBClassifier(use_label_encoder=False, objective = 'binary:logistic', u onthread=4, seed=10)
```

[152]: xgb1.fit(x\_train, y\_train)

```
[152]: XGBClassifier(base_score=0.5, booster='gbtree', callbacks=None,
                     colsample_bylevel=1, colsample_bynode=1, colsample_bytree=1,
                     early stopping rounds=None, enable categorical=False,
                     eval_metric=None, gamma=0, gpu_id=-1, grow_policy='depthwise',
                     importance type=None, interaction constraints='',
                     learning_rate=0.300000012, max_bin=256, max_cat_to_onehot=4,
                     max delta step=0, max depth=6, max leaves=0, min child weight=1,
                     missing=nan, monotone_constraints='()', n_estimators=100,
                     n_jobs=4, nthread=4, num_parallel_tree=1, predictor='auto',
                     random_state=10, reg_alpha=0, ...)
[153]: xgb1.score(x_train, y_train)
[153]: 1.0
[154]: xgb1.score(x test, y test)
[154]: 0.826666666666667
      Performance evaluation and optimizing parameters using GridSearchCV:
[155]: parameters = {
           'max_depth': range (2, 10, 1),
           'n_estimators': range(60, 220, 40),
           'learning_rate': [0.1, 0.01, 0.05]
       }
[156]: gs_xgb = GridSearchCV(xgb1, param_grid = parameters, scoring = 'roc_auc', __
        \rightarrown_jobs = 10, cv=5, verbose=0)
       gs xgb.fit(data x resampled, data y resampled)
[156]: GridSearchCV(cv=5,
                    estimator=XGBClassifier(base_score=0.5, booster='gbtree',
                                             callbacks=None, colsample_bylevel=1,
                                             colsample bynode=1, colsample bytree=1,
                                             early_stopping_rounds=None,
                                             enable categorical=False, eval metric=None,
                                             gamma=0, gpu_id=-1,
                                             grow_policy='depthwise',
                                             importance_type=None,
                                             interaction constraints='',
                                             learning_rate=0.300000012, max_bin=256,
                                            max_cat_to_onehot=4, max_delta_step=0,
                                            max_depth=6, max_leaves=0,
                                            min_child_weight=1, missing=nan,
                                            monotone_constraints='()',
                                             n_estimators=100, n_jobs=4, nthread=4,
```

```
num_parallel_tree=1, predictor='auto',
                                            random_state=10, reg_alpha=0, ...),
                    n_jobs=10,
                    param_grid={'learning_rate': [0.1, 0.01, 0.05],
                                'max_depth': range(2, 10),
                                'n_estimators': range(60, 220, 40)},
                    scoring='roc_auc')
[157]: gs_xgb.best_params_
[157]: {'learning_rate': 0.05, 'max_depth': 7, 'n_estimators': 180}
[158]:
      gs_xgb.best_score_
[158]: 0.88522
[159]: xgb1.feature_importances_
[159]: array([0.09883171, 0.23199296, 0.09590795, 0.08073226, 0.10332598,
              0.15247224, 0.08829137, 0.14844562], dtype=float32)
[160]: plt.figure(figsize=(8,3))
       sns.barplot(y=x_train.columns, x=xgb1.feature_importances_)
       plt.title("Feature Importance in Model")
```

[160]: Text(0.5, 1.0, 'Feature Importance in Model')

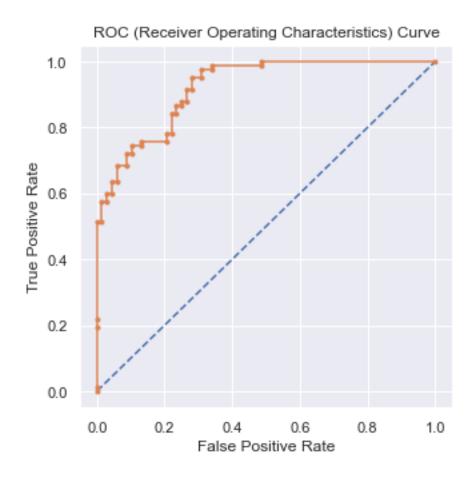


```
[166]: xgb2 = XGBClassifier(use_label_encoder=False, objective = 'binary:logistic', ______
_nthread=4, seed=10, learning_rate= 0.05, max_depth= 7, n_estimators= 180)

[168]: xgb2.fit(x_train, y_train)
```

```
[168]: XGBClassifier(base_score=0.5, booster='gbtree', callbacks=None,
                     colsample_bylevel=1, colsample_bynode=1, colsample_bytree=1,
                     early_stopping_rounds=None, enable_categorical=False,
                     eval_metric=None, gamma=0, gpu_id=-1, grow_policy='depthwise',
                     importance type=None, interaction constraints='',
                     learning_rate=0.05, max_bin=256, max_cat_to_onehot=4,
                     max delta step=0, max depth=7, max leaves=0, min child weight=1,
                     missing=nan, monotone_constraints='()', n_estimators=180,
                     n_jobs=4, nthread=4, num_parallel_tree=1, predictor='auto',
                     random_state=10, reg_alpha=0, ...)
[169]: xgb2.score(x_train, y_train)
[169]: 0.9976470588235294
[170]: xgb2.score(x test, y test)
[170]: 0.80666666666666
[171]: # Preparing ROC Curve (Receiver Operating Characteristics Curve)
                                                         # predict probabilities
       probs = xgb2.predict_proba(x_test)
       probs = probs[:, 1]
                                                         # keep probabilities for the_
       → positive outcome only
       auc_xgb = roc_auc_score(y_test, probs)
                                                         # calculate AUC
       print('AUC: %.3f' %auc_xgb)
       fpr, tpr, thresholds = roc_curve(y_test, probs) # calculate roc curve
       plt.plot([0, 1], [0, 1], linestyle='--')
                                                         # plot no skill
       plt.plot(fpr, tpr, marker='.')
                                                         # plot the roc curve for the_
       \rightarrowmodel
       plt.xlabel("False Positive Rate")
       plt.ylabel("True Positive Rate")
       plt.title("ROC (Receiver Operating Characteristics) Curve")
      AUC: 0.922
```

[171]: Text(0.5, 1.0, 'ROC (Receiver Operating Characteristics) Curve')

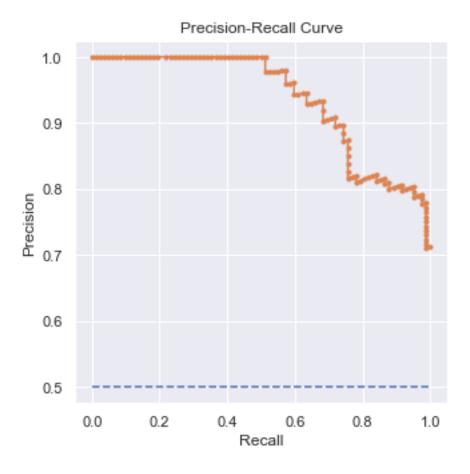


```
[172]: # Precision Recall Curve
       pred_y_test = xgb2.predict(x_test)
                                                                                    #⊔
        \rightarrowpredict class values
       precision, recall, thresholds = precision_recall_curve(y_test, probs) #_J
        →calculate precision-recall curve
       f1 = f1_score(y_test, pred_y_test)
                                                                                  #__
        \rightarrow calculate F1 score
       auc_xgb_pr = auc(recall, precision)
                                                                                    #⊔
        → calculate precision-recall AUC
       ap = average_precision_score(y_test, probs)
                                                                                  #__
       →calculate average precision score
       print('f1=%.3f auc_pr=%.3f ap=%.3f' % (f1, auc_xgb_pr, ap))
       plt.plot([0, 1], [0.5, 0.5], linestyle='--')
                                                                                  # plot nou
        \hookrightarrowskill
       plt.plot(recall, precision, marker='.')
                                                                                  # plot_
        → the precision-recall curve for the model
       plt.xlabel("Recall")
       plt.ylabel("Precision")
```

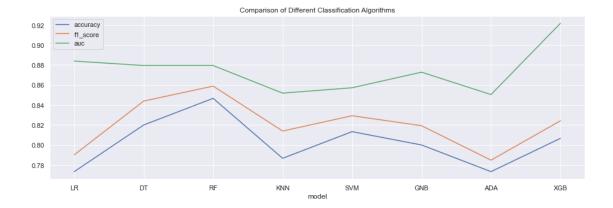
## plt.title("Precision-Recall Curve")

f1=0.824 auc\_pr=0.936 ap=0.937

[172]: Text(0.5, 1.0, 'Precision-Recall Curve')



[175]: Text(0.5, 1.0, 'Comparison of Different Classification Algorithms')



```
[176]:
      model_summary
[176]:
              accuracy f1_score
                                         auc
       model
       LR
              0.773333
                         0.790123
                                   0.883967
       DT
              0.820000
                         0.843931
                                    0.879484
       RF
              0.846667
                         0.858896
                                   0.879484
              0.786667
       KNN
                         0.813953
                                    0.851865
       SVM
              0.813333
                         0.829268
                                    0.857245
       GNB
              0.800000
                         0.819277
                                    0.872848
       ADA
              0.773333
                         0.784810
                                    0.850430
       XGB
              0.806667
                         0.824242
                                    0.921808
```

Among all models, RandomForest has given best accuracy and f1\_score. Therefore we will build final model using RandomForest.

#### 0.3 FINAL CLASSIFIER:

```
[177]: final_model = rf2
```

## 0.4 Data Modeling:

(1) Create a classification report by analyzing sensitivity, specificity, AUC (ROC curve), etc. Please be descriptive to explain what values of these parameter you have used:

```
[178]: cr = classification_report(y_test, final_model.predict(x_test))
print(cr)
```

```
precision recall f1-score support
0 0.83 0.84 0.83 68
```

```
1
                     0.86
                                0.85
                                           0.86
                                                        82
                                           0.85
                                                        150
    accuracy
   macro avg
                     0.85
                                           0.85
                                                       150
                                0.85
weighted avg
                     0.85
                                           0.85
                                0.85
                                                       150
```

```
[179]: confusion = confusion_matrix(y_test, final_model.predict(x_test))
print("Confusion Matrix:\n", confusion)
```

Confusion Matrix: [[57 11] [12 70]]

```
[182]: TP = confusion[1,1] # true positive
   TN = confusion[0,0] # true negatives
   FP = confusion[0,1] # false positives
   FN = confusion[1,0] # false negatives

Accuracy = (TP+TN)/(TP+TN+FP+FN)
   Precision = TP/(TP+FP)
   Sensitivity = TP/(TP+FN) # also called recall
   Specificity = TN/(TN+FP)
```

```
[183]: print("Accuracy: %.3f"%Accuracy)
    print("Precision: %.3f"%Precision)
    print("Sensitivity: %.3f"%Sensitivity)
    print("Specificity: %.3f"%Specificity)
    print("AUC: %.3f"%auc_rf)
```

Accuracy: 0.847 Precision: 0.864 Sensitivity: 0.854 Specificity: 0.838

AUC: 0.924

**Sensitivity and Specificity:** By changing the threshold, target classification will be changed hence the sensitivity and specificity will also be changed. Which one of these two we should maximize? What should be ideal threshold?

Ideally we want to maximize both Sensitivity & Specificity. But this is not possible always. There is always a trade-off. Sometimes we want to be 100% sure on Predicted negatives, sometimes we want to be 100% sure on Predicted positives. Sometimes we simply don't want to compromise on sensitivity sometimes we don't want to compromise on specificity.

The threshold is set based on business problem. There are some cases where Sensitivity is important and need to be near to 1. There are business cases where Specificity is important and need to be near to 1. We need to understand the business problem and decide the importance of Sensitivity and Specificity.

## 0.5 Data Reporting:

- 2. Create a dashboard in tableau by choosing appropriate chart types and metrics useful for the business. The dashboard must entail the following:
  - a. Pie chart to describe the diabetic or non-diabetic population
  - b. Scatter charts between relevant variables to analyze the relationships
  - c. Histogram or frequency charts to analyze the distribution of the data
  - d. Heatmap of correlation analysis among the relevant variables
  - e. Create bins of these age values: 20-25, 25-30, 30-35, etc. Analyze different variables for these age brackets using a bubble chart. ### PLEASE REFER TABLEAU FILE FOR DASHBOARD AND VISUALIZATION CREATED FOR DATA REPORTING.

[]: