

# Digital analysis of fingerprints

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## Pixel Manipulation

• Useful tools: Clmg, Eigen libraries



- $min = 0 \rightarrow black$
- $max = 255 \rightarrow white$



## Pixel Manipulation



Figure 1: Symmetry with respect to x, y and the diagonal axis

# Is the pixel swapping operation a rotation?



Figure 2: Rotation for  $\pi$  and symmetry with respect to x-axis

## Pressure Simulation

To simulate finger pressure according to a given center, the pixel operation to be performed on the original fingerprint is as follows:

$$g(x,y) = c(x,y)f(x,y), \tag{1}$$

 $c(x,y) \in [0,1]$  - weight coefficient, g(x,y) - resulting image, f(x,y) - original image.

## Isotropic functions

Function is said to be **isotropic** if it does not depend on the direction.

$$c(r) = (e^{-r})^{10} (2)$$

$$c(r) = \frac{1}{1 + r^{15}} \tag{3}$$

$$c(r) = \frac{1}{1 + (\frac{r}{40})^2}. (4)$$



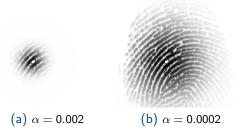
## Isotropic functions



Figure 3: Isotropic functions applied to cleanfinger

# Isotropic Gaussian function

$$c(r) = e^{-\alpha r^2} \tag{5}$$





## Anisotropic functions



An **anisotropic** function is dependent on the direction in which it is observed.

$$dist(x, y; x_{center}, y_{center}) = \sqrt{\left(\frac{x - x_{center}}{a}\right)^2 + \left(\frac{y - y_{center}}{b}\right)^2}.$$

## Anisotropic Gaussian function

$$c(r) = e^{-\alpha r^2}$$

$$dist(x, y; x_{center}, y_{center}) = \sqrt{\left(\frac{x - x_{center}}{a}\right)^2 + \left(\frac{y - y_{center}}{b}\right)^2}$$





## Geometrical Warps

**Definition:** image warping is the process through which the pixel coordinates (x,y) of an image are transformed according to a motion model.

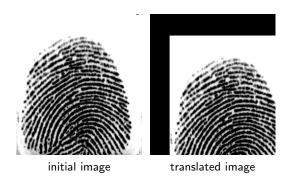
#### Methods proposed:

- Translation
- Rotation

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## **Translation**

Moves the image along x and y axis





### Rotation

#### We propose 3 methods:

- Simple rotation
- Rotation, then bilinear interpolation
- Rotation and bilinear interpolation







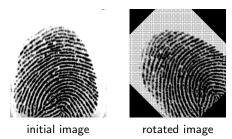




## Method 1: Simple Rotation

#### Drawback:

information is lost



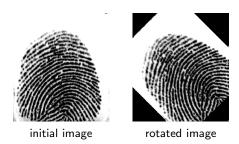
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# Method 2: rotation, then bilinear interpolation **Drawback**:

higher complexity of algorithm

#### Advantage:

more accurate result than the first method

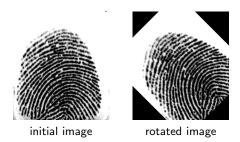




## Method 3: rotation and bilinear interpolation

#### Advantage:

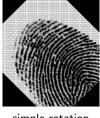
accurate result



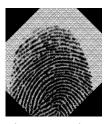


### Inverse rotation





simple rotation



inverse rotation



### For the next two weeks:

- Deeper understanding of Geometrical Warps
- Optimization for Image Registration
- Final report and presentation