```
(* Define the MIMO channel capacity expression under Hoyt fading *)
C_lsnr_expr[NT_, NR_, SNR_, \lambda_, q_] :=
NT * (Log2[1 + SNR/NR \lambda] - Log2[E] (2 q (NT - NR)/(NR \lambda)))
(* Define the eavesdropper's capacity expression in low SNR regime *)
C_eve_expr[NR_, SNR_, \lambda_E] := NR * Log2[1 + SNR/NR \lambda_E]
(* Define the secrecy capacity expression *)
C_sec_expr[NT_, NR_, SNR_, \lambda_B_, \lambda_E_, q_] :=
 Max[C_lsnr_expr[NT, NR, SNR, \lambda_B, q] - C_eve_expr[NR, SNR, \lambda_E], 0]
(* Perform numerical evaluation using Monte Carlo simulation *)
num_trials = 10^5;
simulated_secrecy_capacity = Table[
 Module[\{\lambda_B, \lambda_E\},
  \lambda_B = \text{RandomVariate}[\text{NormalDistribution}[0, 1]];
  \lambda_E = \text{RandomVariate}[\text{NormalDistribution}[0, 1]];
  C_sec_expr[NT, NR, SNR, \lambda_B, \lambda_E, q] // N
  ],
 {num_trials}
 ];
(* Plot the results *)
ListLinePlot[Transpose[{SNR_values, simulated_secrecy_capacity}], Mesh -> All,
 Frame -> True, FrameLabel -> {"SNR", "Secrecy Capacity"},
 PlotLabel -> "Secrecy Capacity of MIMO Channel under Hoyt Fading",
 PlotRange -> All]
```