

# Designing Oscillator for an Antenna at $\sim\!\!3.5$ GHz

2896

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# Milestones completed so far

- Simulations evaluated a test schematic with an ideal transistor.
- LTSpice verified the design with the ideal transistor model.
- Selection of an RF transistor was based on simulation results.
- PSpice analyzed non-ideal behavior using the selected model.
- Essential data, like S-parameters, informed the matching network design.
- A matching network optimized impedance for  $Z_{out}$  and a  $50[\Omega]$  load at 3.5[GHz].
- Circuit power output was tested with the matching network, adjusting components for efficiency.

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# **Choosing the BJT**

- The transistor needs high-frequency performance, including  $f_{\text{max}}$  and  $f_t$ , well above 3.5[GHz].
- Low parasitic capacitance at collector, base, and emitter terminals is crucial.
- Low noise figure is essential.
- High gain, especially at the operating frequency, is necessary for stable oscillation.
- Ensure appropriate biasing for Colpitts oscillator operation, including DC voltages and currents.

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- Surface mount low voltage silicon NPN RF bipolar transistor
- Transition frequency  $f_T$  of 45[GHz]
- High Gain, with  $|S_{12}|,\,G_{ma},\,G_{ms}>16[dB]$  at 3.5[GHz] under  $V_{ce}=2[V]$
- Low Noise Figure, NF < 1.2[dB] at 3.5[GHz], 2[V], 2[mA]

<sup>&</sup>lt;sup>1</sup>https://www.infineon.com/dgdl/Infineon-BFP520-DS-v02\_00-EN.pdf? fileId=5546d462689a790c01690f035fe2391a

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## **Oscillator Circuit**

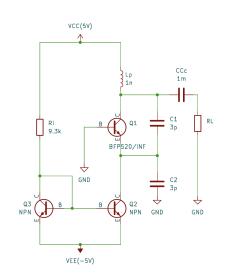
## Collpit's Oscillator

- The circuit was tested with some high impedance load attached
- Values of L<sub>p</sub>, C<sub>1</sub> and C<sub>2</sub> were computed using the operating frequency formula

$$f_c \approx \frac{1}{2\pi\sqrt{L_p \frac{C_1 C_2}{C_1 + C_2}}}$$

а

•  $C_1 = C_2$  was chosen since it gave the highest oscillation frequency



In-depth analysis in Appendix

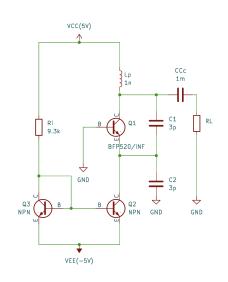
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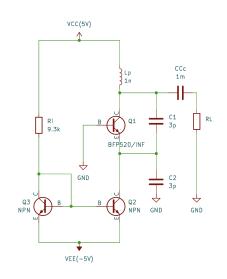
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## **Ouput Waveform**

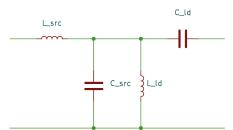


# **Choosing a Matching Network**

## **Matching Network**

T-matching is better for matching a load to a source impedance when there's a large disparity because it provides efficient power transfer, minimizes losses, and offers impedance transformation with stability.<sup>2</sup>

- $L_{src} =$
- $C_{src} =$
- L<sub>Id</sub> =
- $\bullet$   $C_{Id} =$



<sup>&</sup>lt;sup>2</sup>Design method in Appendix

## S-parameters of the Matching Network

Tested with 
$$R_S=1000[\Omega]$$
 and  $R_L=50[\Omega]$ 

# Ouput of Oscillator using Matching Network as $50[\Omega]$ load



# Efficiency $\eta$

- Input:  $P_{DC} = V_{CC}I_C$
- Output:  $P_{ac} = \frac{V_{rms}^2}{R_L}$  where  $V_{rms} = \frac{V_{max}}{\sqrt{2}}$  for the output waveform
- Efficiency:  $\eta = \frac{P_{ac}}{P_{CD}}^3$

<sup>&</sup>lt;sup>3</sup>It has been shown (Krauss, et al., 1980) that the maximum theoretical efficiency for this oscillator configuration is 25%

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We have  $\eta \approx 11\%$ 

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# **Next Steps**

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- Create an antenna at 3.5[GHz]
- Measure S-parameters of the antenna and of the whole system
- Layout the PCB
- Fabrication and Testing

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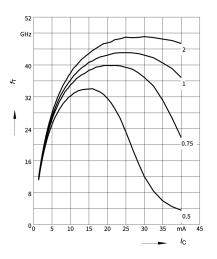
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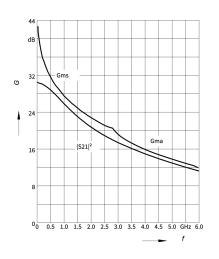
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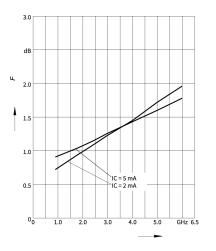
# **Appendix**

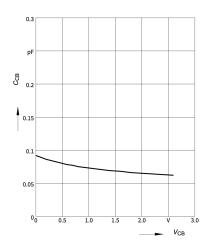
#### Data from Infenion - 1





#### Data from Infenion - 2





#### BFP520 Spice File

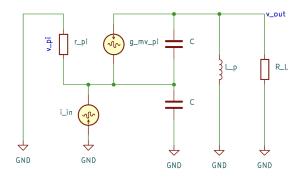
\*\$

```
*$
.SUBCKT BFP520/INF 200 100 300
               0.47nH
L1
         10
L2
             0.56nH
         20
L3
         30
             0.23nH
C1
     10
         20
            6.9 fF
C2
     20
         30 134fF
C3
     30
            136fF
         10
    10 100 0.53nH
L4
L5
    20
        200
            0.58nH
L6
    30
        300
               0.05nH
Q1
    2 1 3 BFP520
. ENDS
.MODEL BFP520 NPN(
+ IS = 1.5E - 17
                  NF = 1
                                   NR = 1
+ ISE=2.5E-14 NE =2
                                  ISC=2E-14
+ NC =2
                 BF =235
                                   BR = 1.5
+ VAF=25
                 VAR=2
                                  IKF=0.4
+ IKR = 0.01
                 RB =11
                                   RBM=7.5
+ RE = 0.6
                 RC = 7.6
                                  CJE=2.35E-13
+ VJE=0.958
                 MJE = 0.335
                                   CJC=9.3E-14
+ VJC=0.661
                 MJC=0.236
                                   CJS=0
+ V.IS = 0.75
                 MJS = 0.333
                                   FC = 0.5
+ XCJC=1
                 TF=1.7E-12
                                  TR=5E-08
+ XTF=10
                 ITF=0.7
                                  VTF=5
+ PTF=50
                  XTB = -0.25
                                   XTI=0.035
+ EG = 1.11)
```

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#### Proof of operating frequency - 1

We have the following small signal model of Collpit's oscillator, with  $C_1=C_2=C^4$ 



 $<sup>^4</sup>$ In all the results, we try to ignore effects of  $r_\pi$  and then adjust the values accordingly to get required response

### Proof of operating frequency - 2

$$i_{in} = -\frac{v_{\pi}}{r_{\pi}} - sC(v_{out} + 2v_{\pi})$$

$$g_m v_{\pi} + sC(v_{out} + v_{\pi}) + \frac{v_{out}}{sL_p} + \frac{v_{out}}{R_L} = 0$$

This gives us the following frequency response

$$\frac{v_{out}}{i_{in}} = \frac{r_{\pi} L_{p} R_{L} (s^{2} C + s g_{m})}{r_{\pi} C^{2} L_{p} R_{L} s^{3} + (-r \pi C L_{p} R_{L} g_{m} + 2r_{\pi} C L_{p} + C L_{p} R_{L}) s^{2} + (2r_{\pi} C R_{L} + L_{p}) s + R_{L}}$$

Put  $s = j\omega$  and let lm of denominator  $\rightarrow 0$ 

$$\omega_0 = \sqrt{\frac{2r_\pi CR_L + L_p}{r_\pi C^2 L_p R_L}}$$

Assuming  $r_\pi\to\infty$ , as is the case is MOS, we reach the well-known expression  $\omega_0=\sqrt{\frac{1}{L\frac{C.C}{C+C}}}$ 

### **Proof of operating frequency - 3**

For sustained oscillations, we need

$$-(r_{\pi}CL_{p}R_{L}g_{m}+2r_{\pi}CL_{p}+CL_{p}R_{L})\omega_{0}^{2}+R_{L}>0$$

This gives us

$${}^{5}R_{L}g_{m}-\frac{R_{L}}{r_{\pi}}-2>0$$

Thus, we need to set  $R_L$  accordingly at the oscillating frequency, giving us a lower bound for load and thus a need for a matching network.

 $<sup>^{5}\</sup>text{This}$  is similar to the condition found in Razavi, but for NMOS in place of NPN BJT

#### Calculation of matching network - 1

We have a source impedance  $Z_s$ , a load impedance  $Z_L$ , and operating frequency  $f_0$  and we need to match  $Z_1$  to  $Z_s$  at  $f_0$  using a T-Matching Network. We assume a central impedance  $Z_c$  such that

 $Z_c > \max(Z_s, Z_L)$ , and then calculate the series and parallel reactive components on both sides.6 Source:

 $Q_{src} = \sqrt{\frac{Z_c}{7}} - 1$ 

$$X_{src}^{patallel} = \frac{Z_c}{Q}$$

$$X_{src}^{patallel} = \frac{Z_c}{Q_{src}}$$

$$X_{src}^{series} = Q_{src}Z_s$$

$$Q_{ld} = \sqrt{\frac{Z_c}{Z_L} - 1}$$

$$X_{ld}^{patallel} = \frac{Z_c}{Q_{ld}}$$

$$X_{ls}^{series} = Q_{ls}Z_{L}$$

Then,  $L = \frac{X}{2\pi \hbar}$  and  $C = \frac{1}{2\pi \hbar X}$  for chosen X series/parallel

<sup>&</sup>lt;sup>6</sup>In our case, all impedances are real

## Calculation of matching network - 2

Variable	Value
f0	$3.5 \times 10^{9}$
$Z_{out\_osc}$	1000
$Z_{load}$	50
$Z_{\rm center}$	1002
$Q_{src}$	0.0447214
$X_{paralle\_src}$	22405.4
$X_{ m series\_src}$	44.7214
$L_{src}$	$2.03361 \times 10^{-9}$

Variable	Value
variable	value
$C_{\rm src}$	$2.02955 \times 10^{-15}$
$Q_{Id}$	4.36348
$X_{paralle\_Id}$	229.633
$X_{\text{series\_Id}}$	218.174
$L_{Id}$	$1.04421 \times 10^{-8}$
$C_{Id}$	$2.08424 \times 10^{-13}$
$C_{com}$	$2.10454 \times 10^{-13}$
$L_{com}$	$1.70212 \times 10^{-9}$