# Package 'BayesNetBP'

# February 5, 2018

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# **Description**

Absorb evidence into the model

# Usage

AbsorbEvidence(tree, vars, values)

# **Arguments**

tree a ClusterTree object

vars a vector of the names of observed variables

values a list of observed values of the variables. Aside from a single value, The

element of the list can also be a vector of likelihood values

# **Details**

Absorb multiple types and pieces of evidences into a ClusterTree object. The discrete compartment of the ClusterTree will be automatically propagated after evidence absorption, so that the object will be ready for making queries and absorbing additional evidence.

# Value

ClusterTree object with the evidence absorbed

# Author(s)

Han Yu

bn\_to\_graphNEL 3

#### References

Cowell, R. G. (2005). Local propagation in conditional Gaussian Bayesian networks. Journal of Machine Learning Research, 6(Sep), 1517-1550.

Lauritzen, S. L., & Spiegelhalter, D. J. (1988). Local computations with probabilities on graphical structures and their application to expert systems. Journal of the Royal Statistical Society. Series B (Methodological), 157-224.

# **Examples**

bn\_to\_graphNEL

Convert a bn object to graphNEL object

# **Description**

Convert a bn object to graphNEL object while removing isolated nodes

# Usage

```
bn_to_graphNEL(graph_bn)
```

# Arguments

graph\_bn

a bn object of Bayesian network

# Value

```
a graphNEL object
```

#### Author(s)

Han Yu

ClusterTree-class

chest A simulated data from the Chest Clinic example by Dethlefsen and Hojsgaard

#### **Description**

Simulated data from the Chest Clinic example (also known as the Asia example) from Lauritzen and Spiegelhalter, 1988.

#### Usage

data(chest)

#### **Format**

The data set chest contains two objects:

data a data. frame object of 10000 observations and 8 discrete variables.

dag a graphNEL object specifying the network structure.

#### References

Lauritzen and Spiegelhalter (1988) Local Computations with Probabilities on Graphical Structures and their Application to Expert Systems (with Discussion). J. Roy. Stat. Soc. 50, p. 157-224.

Dethlefsen, C., & Hojsgaard, S. (2005). A common platform for graphical models in R: The gRbase package. Journal of Statistical Software, 14(17), 1-12.

ClusterTree-class

An S4 class of the cluster tree.

# **Description**

The ClusterTree object is the computational object for belief propagation.

# Slots

cluster A vector storing the name of clusters in the cluster tree.

node A vector storing the name of nodes in the Bayesian network.

graph A list of two graphNEL objects: \$dag stores the graph of Bayesian network, \$tree stores the graph of the cluster tree.

member A named list of the node cluster membership.

parent A named vector indicating the parent node of a given cluster in the cluster tree.

cluster.class A named vector of logical values indicating whether a cluster is continuous or discrete.

node.class A named vector of logical values indicating whether a node is continuous or discrete. assignment A named list indicating the assignment of discrete nodes discrete clusters.

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propagated A logical value indicating whether the discrete compartment has been propagated.

 $\ensuremath{\operatorname{cpt}}$  A named list of the conditional probability tables.

jpt A named list of the joint distribution tables.

lppotential A named list of the linear predictor potentials assigned to each cluster in the lppotential slots.

postbag A named list of the linear predictor potentials assigned to each cluster in the postbag

activefalg A named vector of logical values indicating whether a continuous cluster is active.

absorbed.variables A vector of characters indicating variables observed with hard evidence.

absorbed.values A list indicating the values of the variables observed with hard evidence.

absorbed.soft.variables A vector of characters indicating variables observed with soft or likelihood evidence.

absorbed.soft.values A list of the likelihoods of the soft or likelihood evidence.

ClusterTreeCompile

Compile the cluster tree

# **Description**

Get the cluster sets and strong semi-elimination tree from the Bayesian network

#### Usage

ClusterTreeCompile(dag, node.class)

#### **Arguments**

dag a graphNEL object of the Bayesian network

node.class a named vector of logical values, TRUE if node is discrete, FASLE if otherwise

# **Details**

This function forms the cluster sets and the semi-elimination tree graph from the Bayesian network. The procedures include acquiring the elimination order, moralization, triangulation, obtaining cluster sets, forming strong elimination tree and strong semi-elimination tree. The cluster sets and the semi-elimination tree are required to initialize the cluster tree.

#### Value

tree.graph a graphNEL object of semi-elimination tree.

dag a graphNEL object of original Bayesian network.

cluster.sets a list of members of each cluster.

node.class a named vector of logical values, TRUE if node is discrete, FASLE if otherwise elimination.order a vector of node names sorted by the elimination order.

#### Author(s)

Han Yu

6 ComputeKLDs

#### References

Cowell, R. G. (2005). Local propagation in conditional Gaussian Bayesian networks. Journal of Machine Learning Research, 6(Sep), 1517-1550.

#### See Also

ElimTreeInitialize

# **Examples**

```
data(liver)
cst <- ClusterTreeCompile(dag=liver$dag, node.class=liver$node.class)</pre>
```

ComputeKLDs

Compute signed and symmetric Kullback-Leibler divergence

# **Description**

Compute signed and symmetric Kullback-Leibler divergence of variables over a spectrum of evidence

# Usage

```
ComputeKLDs(tree, var0, vars, seq, pbar = TRUE, method = "gaussian")
```

# **Arguments**

tree	a ClusterTree object
var0	the variable to have evidence absrobed
vars	the variables to have divergence computed
seq	a vector of numeric values as the evidences
pbar	logical(1) whether to show progress bar
method	method for divergence computation: gaussian for Gaussian approximation, for Monte Carlo integration

# Details

Compute signed and symmetric Kullback-Leibler divergence of variables over a spectrum of evidence. The signed and symmetric Kullback-Leibler divergence is also known as Jeffery's signed information (JSI) for continuous variables.

# Value

```
a data. frame of the divergence
```

#### Author(s)

Han Yu

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#### **Examples**

ElimTreeInitialize

Initialize the elimination tree

# **Description**

Initialize the elimination tree with the local models

# Usage

```
ElimTreeInitialize(tree, dag, model, node.sets, node.class)
```

# **Arguments**

tree a graphNEL object of the elimination tree dag a graphNEL object of the Bayesian network

model a list of local models built from LocalModelCompile function node.sets a list of cluster sets obtained from ClusterTreeCompile function

node.class a named vector of logical values, TRUE if node is discrete, FASLE if otherwise

#### **Details**

Initialize the elimination tree with the local models

# Value

ClusterTree object with the local models incorporated

# Author(s)

Han Yu

#### References

Cowell, R. G. (2005). Local propagation in conditional Gaussian Bayesian networks. Journal of Machine Learning Research, 6(Sep), 1517-1550.

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#### See Also

The functions ClusterTreeCompile and LocalModelCompile provide necessary objects to obtain ClusterTree object by initializing the elimination tree through this function.

#### **Examples**

emission

A ClusterTree Example of Emission Model

# **Description**

A propagated ClusterTree object named emission. This model contains nine variables, indlucing three discrete: Filter State (Fs), Waste Type (W), Burning Regimen (B) and six continuous variables: Metals in Waste (Min), Metals Emission (Mout), Filter Efficiency (E), Dust Emission (D), CO2 Concentration in Emission (C), Light Penetrability (L).

# Usage

```
data(emission)
```

#### **Format**

The data set contains a propagated ClusterTree object emission ready for evidence absorption and making queries.

#### References

Lauritzen, Steffen L., and Frank Jensen. Stable local computation with conditional Gaussian distributions. Statistics and Computing 11.2 (2001): 191-203.

FactorQuery 9

FactorQuery	Queries of discrete variable distributions

#### **Description**

Obtain the joint, marginal, and conditional distributions of discrete variables

#### Usage

```
FactorQuery(tree, vars = c(), mode = c("joint", "conditional", "list"))
```

#### **Arguments**

```
tree a ClusterTree object
vars the variables to be queried
mode type of desired distribution
```

#### **Details**

Query the joint distribution of any combination of discrete variables when mode is "joint", or conditional distribution of a discrete variable. The mode "list" return a list of variable combinations, such that joint distributions of any subset of them are ready for extraction. Queries outside this list are also supported but may take longer computing time. This function will also return marginal distribution if only one variable is queried.

#### Value

data. frame object specifying a joint or conditional distribution.

#### Author(s)

Han Yu

# References

Cowell, R. G. (2005). Local propagation in conditional Gaussian Bayesian networks. Journal of Machine Learning Research, 6(Sep), 1517-1550.

#### **Examples**

10 Initializer

GetValue

Possible values of a discrete variable

# **Description**

Obtain all the possible values of a discrete variable.

# Usage

```
GetValue(tree, var, message = TRUE)
```

# **Arguments**

tree a ClusterTree object
var the variables to be queried
message type of desired distribution

#### Value

a vector of the possible values of discrete variable. If the variable is continuous, the returned value will be NULL.

#### Author(s)

Han Yu

# **Examples**

```
data(toytree)
GetValue(toytree, "HDL")
```

Initializer

Initialize a ClusterTree object

# Description

Initialize a ClusterTree object

# Usage

```
Initializer(dag, data, node.class, propagate = TRUE)
```

# Arguments

dag a graphNEL object of the Bayesian network

data a data.frame object

 ${\tt node.class} \qquad {\tt a \ named \ vector \ of \ logical \ values, \ TRUE \ if \ node \ is \ discrete, \ FASLE \ if \ otherwise}$ 

propagate logical TRUE if the discrete part of the ClusterTree to be propagated

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#### **Details**

This is a wrapper function to initialize a ClusterTree object.

#### Value

```
ClusterTree object
```

# Author(s)

Han Yu

#### References

Cowell, R. G. (2005). Local propagation in conditional Gaussian Bayesian networks. Journal of Machine Learning Research, 6(Sep), 1517-1550.

#### See Also

The functions ClusterTreeCompile and LocalModelCompile provide necessary objects to obtain ClusterTree object by initializing the elimination tree through this function.

#### **Examples**

liver

Mus Musculus HDL QTL data from Leduc et. al. (2012)

# Description

Liver QTL data was obtained from a F2 inner-cross between inbred MRL/MpJ and SM/J strains of mice.

#### Usage

```
data(liver)
```

#### **Format**

The data set liver contains three objects: the data, a learned Bayesian network structure and vector specifying node type. The fields are described as follows:

data a data. frame object that contains 280 samples (rows) and 15 variables: genotype data (genotype states at 5 SNP markers) and phenotype data (HDL levels and normalized expression values of 10 genes). Three of these phenotypes are dichotomized, including Cyp2b10, Spgl1 and HDL. Genotypes and dichotomized phenotypes are of class factor and continuous phenotypes are of class numeric.

dag a graphNEL object, which is the network structure learned by qtlnet package. node.class a named vector of logical values indicating whether each node is discrete. 12 LocalModelCompile

#### References

Leduc MS, Blair RH, Verdugo RA, Tsaih SW, Walsh K, Churchill GA, Paigen B.(2012). "Using bioinformatics and systems genetics to dissect HDL-cholesterol genetics in an MRL/MpJ x SM/J intercross." J Lipid Res., 6, 1163-75.

LocalModelCompile M

Model compilation

# **Description**

Compile the local models

# Usage

LocalModelCompile(data, dag = NULL, node.class = NULL)

# **Arguments**

data a data.frame object or a qtlnet object

dag NULL if data is qtlnet object, or a graphNEL object of conditional Gaussian

Bayesian network if data is data.frame.

node.class NULL if data is qtlnet object, or a vector of logical values named by node

names, TRUE for discrete, FALSE for continuous variables if data is data. frame.

#### **Details**

This function compiles the local models, including the conditional probability tables for discrete variables, and linear predictor potentials for continuous variables.

#### Value

pots a list of discrete potentials (conditional probability tables) for each discrete variable. bags a list of sets of continuous potentials (lppotentials), each set for a continuous variables.

#### Author(s)

Han Yu

# References

Cowell, R. G. (2005). Local propagation in conditional Gaussian Bayesian networks. Journal of Machine Learning Research, 6(Sep), 1517-1550.

# See Also

ElimTreeInitialize

# **Examples**

```
data(liver)
models <- LocalModelCompile(data=liver$data, dag=liver$dag, node.class=liver$node.class)</pre>
```

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Marginals

Obtain marginal distributions

#### **Description**

Get the marginal distributions of multiple variables

#### Usage

```
Marginals(tree, vars)
```

#### **Arguments**

tree a ClusterTree object

vars a vector of variables for query of marginal distributions

#### **Details**

Get the marginal distributions of multiple variables. The function Marginals returns a list of marginal distributions. The marginal distribution of a discrete variable is a named vector of probabilities. Meanwhile, the marginal distributions of continous variables in a CG-BN model are mixtures of Gaussian distributions. To fully represent this information, the marginal of a continuous variable is represented by a data.frame with three columns to specify parameters for each Gaussian distribution in the mixture, which are

mean the mean value of a Gaussian distribution.

sd the standard deviation of a Gaussian distribution.

n the number of Gaussian mixtures

#### Value

marginals a list of marginal distributions

types a named vector indicating the types of the variables whose marginals are queried: TRUE for discrete, FALSE for continuous.

#### Author(s)

Han Yu

#### References

Cowell, R. G. (2005). Local propagation in conditional Gaussian Bayesian networks. Journal of Machine Learning Research, 6(Sep), 1517-1550.

#### See Also

PlotMarginals for visualization of the marginal distributions, SummaryMarginals for summarization of the marginal distributions of continuous variables.

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#### **Examples**

PlotCGBN

Plot the Bayesian network

# **Description**

Plot and compare two Bayesian networks with different evidence(s) absorbed and propagated.

# Usage

```
PlotCGBN(tree.1, tree.2, fontsize = NULL, pbar = FALSE, plotting = TRUE)
```

# **Arguments**

tree.1 a ClusterTree
tree.2 a ClusterTree

fontsize font size for the node labels

pbar logical(1) whether to show progress bar

plotting logical(1) whether to output plot

# **Details**

Network visualization of the node-specific differences between Bayesian Networks with the same topology, but evidence that has been absorbed and propagated. The change of marginal distribution of each node is measured by signed and symmetric Kullback-Leibler divergence. The sign indicates the direction of change, with tree.1 considered as the baseline. The magnitude of the change is reflected by the value. Nodes that are white are d-separated from the evidence.

# Value

```
a plot of Bayesian network
a vector of signed symmetric Kullback-Leibler divergence
```

#### Author(s)

Han Yu

# References

Cowell, R. G. (2005). Local propagation in conditional Gaussian Bayesian networks. Journal of Machine Learning Research, 6(Sep), 1517-1550.

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# **Examples**

```
## Not run:
data(toytree)
tree.post <- AbsorbEvidence(toytree, c("Nr1i3"), list(1))
PlotCGBN(tree.1=toytree, tree.2=tree.post)
## End(Not run)</pre>
```

PlotMarginals

Plot the marginal distributions

# **Description**

Plot the marginal distributions.

# Usage

```
PlotMarginals(marginals, groups = NULL)
```

# **Arguments**

marginals the marginal distributions returned by Marginals for plotting

groups names of the marginals to be shown on plots

#### **Details**

Plot the marginal distributions. Marginals of discrete variables are plotted as bar plots, while those of continuous variables as density plots.

# Author(s)

Han Yu

#### References

Cowell, R. G. (2005). Local propagation in conditional Gaussian Bayesian networks. Journal of Machine Learning Research, 6(Sep), 1517-1550.

# See Also

Marginals

# **Examples**

```
data(toytree)
marg <- Marginals(toytree, c("Neu1", "Nr1i3", "chr1_42.65", "Spgl1"))
PlotMarginals(marginals=marg, groups=NULL)</pre>
```

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PlotTree

Plot the cluster tree

# **Description**

Plot the structure of a ClusterTree object

# Usage

```
PlotTree(tree, color = "gray90")
```

# **Arguments**

tree a ClusterTree object

color nodes color

# **Details**

Plot the structure of clustertree object, with the nodes labeled by corresponding elimination node. The circles represent continuous clusters, while the boxes represent discrete clusters.

# Author(s)

Han Yu

# References

Cowell, R. G. (2005). Local propagation in conditional Gaussian Bayesian networks. Journal of Machine Learning Research, 6(Sep), 1517-1550.

# **Examples**

```
data(toytree)
PlotTree(toytree)
```

Propagate

Propagate the cluster tree

# **Description**

This function propagates the discrete compartment of a ClusterTree object.

# Usage

```
Propagate(tree)
```

# **Arguments**

tree

an initialized ClusterTree object

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#### **Details**

The discrete compartment must be propagted to get the joint distributions of discrete variables in each discrete clusters. A ClusterTree object must be propagated before absorbing evidence and making queries.

#### Value

```
a ClusterTree object
```

# **Examples**

runBayesNetApp

Launch the BayesNetBP Shiny App

#### **Description**

Launch the BayesNetBP Shiny App

#### Usage

```
runBayesNetApp(launch.browser = TRUE)
```

# **Arguments**

launch.browser logical(1) whether launch the App in browser

#### **Details**

The function runBayesNetApp lauches the Shiny App accompanied with this package. The app loads the toytree example by default and allows users to load customized ClusterTree object. In order to use this feature, a ClusterTree object should be built, propagated and named tree.init.p, and then saved as a .RDATA file. This file can be read in by the app.

The console of BayesNetBP Shiny App comprises three panels. The first part controls the model loading and network layouts. It also allows user to subset the network to faciliate visualization. The Expand function can trace the ancestors, descendants, or both, of a selected node in a stepwise manner. The expanded nodes will be colored orange. By clicking Add to list, the expanded nodes will be selected and be purple. The user can continue selecting other nodes by using Expand and Add to list functions at this stage. After selecting desired node sets, the user can subset the graph by the Subset function. The nodes in subsetted graph retain all properties before subsetting, including their colors and divergence.

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The second panel is used for absorption of fixed and hard evidences. The users can add multiple pieces of evidence to a list and absorb them into the model simultaneously. The nodes with evidence absorbed will be colored green when the absorption is complete. Marginals of the nodes can be quried as density or bar plots by node types. If a set of evidence has been absorbed, the marginals both before and after absorption will be returned to facilitate comparison. To query the marginals, the user can select the node of interest in the graph, and then click Plot Marginals. The Shift in Marginals function computes the signed and symmetric Kullback-Liebler divergence for all applicable nodes in the network, and colors the nodes in a similar manner as the function PlotCGBN.

The function for systematic assessment of variable marginal shifts is provided in the third panel. It allows user to specify which node to absorb the spectrum of evidence in a menu, and to select whose divergence to be calculated by firstly selecting the node on the graph and then clicking Add to Plot List. Alternatively, the user can use Add All function to select all applicable nodes into the plotting list. The result is visualized in an interactive plot.

#### Author(s)

Han Yu

# **Examples**

```
## Not run:
# load or install required packages to run App
library("shiny")
library("googleVis")
library("devtools")
devtools::install_github("cytoscape/r-cytoscape.js")
# run the App in browser
runBayesNetApp(launch.browser=TRUE)
## End(Not run)
```

Sampler

Sampling from the Bayesian network

#### **Description**

Sampling from the joint distribution of all applicable nodes in the Bayesian network.

# Usage

```
Sampler(tree, n)
```

#### **Arguments**

```
tree a ClusterTree object
n a integer number of observations to generate
```

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#### Value

a dataframe of generated data

#### Author(s)

Han Yu

#### References

Cowell, R. G. (2005). Local propagation in conditional Gaussian Bayesian networks. Journal of Machine Learning Research, 6(Sep), 1517-1550.

#### **Examples**

```
data(toytree)
Sampler(tree = toytree, n = 10)
```

SummaryMarginals

Summary a continuous marginal distribution

# Description

This function summary the marginal distributions of continuous variables by outputing the mean, standard deviation, and number of subpopulations

# Usage

```
SummaryMarginals(marginals)
```

# **Arguments**

marginals

the marginal distributions obtained from Marginals function

# Value

a data. frame object containing information about the marginal distributions for continuous variables. The marginal distributions of continuous variables in a CG-BN model are mixtures of Gaussian distributions. Therefore, besides the mean and standard deviation, the object has an additional column to specify the number of Gaussian mixtures.

mean the mean value of a Gaussian distribution.

sd the standard deviation of a Gaussian distribution.

n the number of Gaussian distributions in the mixture.

#### See Also

Marginals

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#### **Examples**

toytree

A ClusterTree Example of Liver Model

# **Description**

A propagated ClusterTree object named toytree, obtained from liver QTL data.

# Usage

```
data(toytree)
```

#### **Format**

The data set contains a propagated ClusterTree object toytree, which is ready for evidence absorption and making queries.

yeast

Saccharomyces Cerevisiae eQTL data from Kruglak et. al. (2005)

# **Description**

eQTL data from 112 F1 segregants from a cross between BY4716 and RM11-1a strains of *Saccharomyces Cerevisiae*.

# Usage

```
data(yeast)
```

#### **Format**

The data set yeast is a data frame of 112 observations of 50 variables: genotype data (genotype states at 12 SNP markers) and phenotype data (normalized and discretized expression values of 38 genes). Both genotypes and phenotypes are of class factor.

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#### **Details**

The yeast dataset is a subset of the widely studied yeast expression dataset comprising of 112 F1 segregants from a cross between BY4716 and RM11-1a strains of *Saccharomyces Cerevisiae*. The original dataset consists of expression values reported as log2(sample/BY reference) for 6216 genes. The data can be accessed in Gene Expression Omnibus (GEO) by accession number (GSE1990). After linkage analysis and filtering based on location and significance of QTL, a final set of 38 genes and their corresponding 12 SNP markers were identified and included in the yeast dataset. The gene expression values are discretized around the median and have two states, 1 (above or equal to median) and -1 (below median). re are two genotype states: 1 or 2. Thus the final dataset is a data frame of 112 observations (genotype) of 12 variables (SNP markers) and normalized gene expression of 38 variables (genes).

#### References

Brem RB, Kruglyak L. The landscape of genetic complexity across 5,700 gene expression traits in yeast. Proc Natl Acad Sci U S A 2005 Feb 1;102(5):1572-7.

Brem RB, Storey JD, Whittle J, Kruglyak L. Genetic interactions between polymorphisms that affect gene expression in yeast. Nature 2005 Aug 4;436(7051):701-3.

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