Analyzing Massive Data Sets Summer Semester 2019

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Chapter 6: Fulltext Retrieval –

Part 1: Retrieval Models

High-Dimensional Data and Similarity

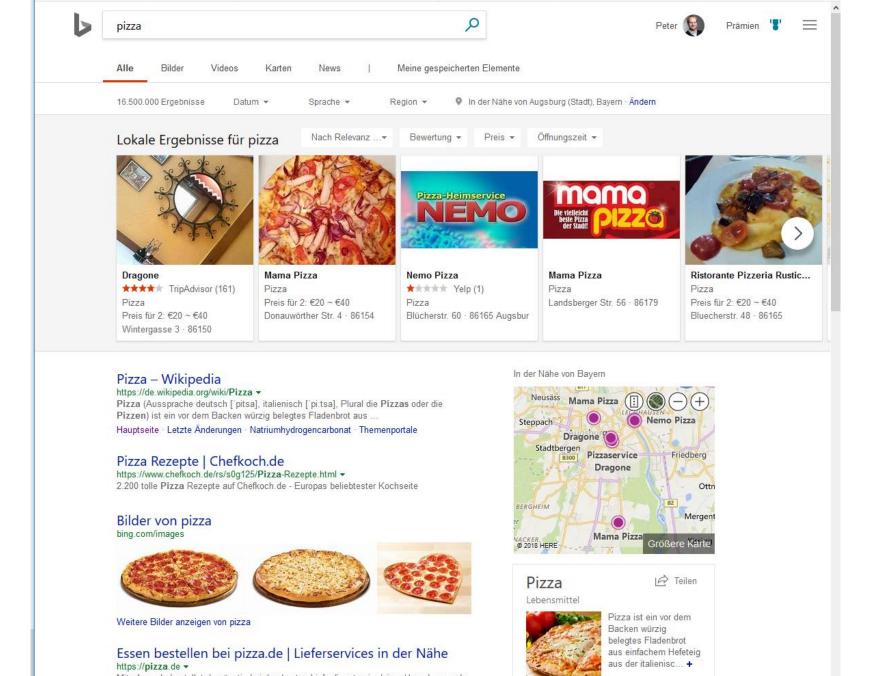
- First conceptual and algorithmic part of the lecture
- Two core concepts:
 - **High-Dimensional Data**: Data items represented by many data points (hundreds, thousands, ... possibly out of a much large space)
 - Analyzing a single or few dimensions insufficient to understand items
 - Similarity/Distance: Expressing pair-wise similarity over all features
- Applications:
 - Finding Similar Items: pairwise (this chapter)
 - **Clustering**: Identify structure / groups using similarity
 - Retrieval: Similarity between search expression and data set
- Strategies for massive volumes:
 - Appropriate retrieval models to express relevance
 - Scoring approaches to determine importance of terms
 - Efficient indexing and processing

Simple Retrieval: Keyword Search

- So far, we performed limited data discovery
 - Find very similar items
 - Find a neighborhood with minimal structure
- New task
 - find relevant data items documents
 - from a very large collection
 (~ 50 billion web sites on Google)
 - Using simple expressions
- Common approach: keyword search
- Challenges:
 - Semantics
 - Relevance
 - Performance/Scalability

Starting Point: Single-Word Searches

- Query:
 - Single Word
 - e.g. "holidays", "food", "informatics"
- Semantics:
 - Return documents that contain the word
- What is a single word?
 - Grundstücksverkehrsgenehmigungszuständigkeitsübertragungsverordnung
 - Muvaffakiyetsizleştiricileştiriveremeyebileceklerimizdenmişsi nizcesinesiniz
- Open Issues:
 - Will searching for a single word yield useful results?
 - What is actually relevant?
 - How are results presented?

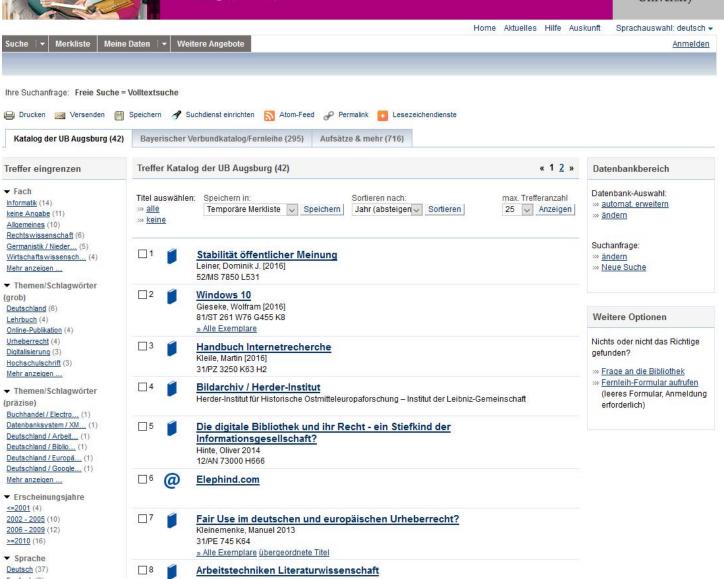


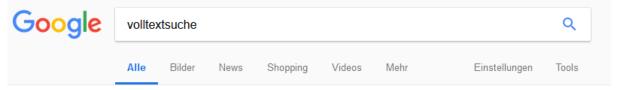


Universitätsbibliothek Augsburg









Ungefähr 5.840.000 Ergebnisse (0,42 Sekunden)

Eine Volltextrecherche (oftmals auch Volltextsuche) ist das Auffinden von Texten in einer Vielzahl gleicher oder verschiedenartiger Dateien auf einem Computer, einem Server und/oder im Internet. Die Suchbereiche werden zuvor mit entsprechenden programminternen oder -unabhängigen Index-Werkzeugen indiziert.

Volltextrecherche – Wikipedia

https://de.wikipedia.org/wiki/Volltextrecherche

Informationen zu diesem Ergebnis

Feedback

Volltextrecherche – Wikipedia

https://de.wikipedia.org/wiki/Volltextrecherche •

Eine Volltextrecherche (oftmals auch Volltextsuche) ist das Auffinden von Texten in einer Vielzahl gleicher oder verschiedenartiger Dateien auf einem Computer ...

Was ist eine Volltextsuche? - Lookeen

lookeen.de/blog/was-ist-eine-volltextsuche/ ▼

14.07.2016 - Was bedeutet der Begriff Volltextsuche eigentlich? Und wie genau kann Ihnen die Volltextsuche weiterhelfen? Hier erfahren Sie mehr!

Volltextsuche/Volltextindex - bitfarm-Archiv DMS

https://www.bitfarm-archiv.de/dokumentenmanagement/glossar/volltextsuche.html 🔻 Neben anderen Suchmethoden bieten Dokumentenmanagementsysteme wie bitfarm-Archiv Dokumentenmanagement die Volltextsuche an.

Volltextsuche für Dokumente und über 100 Dateiformaten - Amagno

https://amagno.de/volltextsuche/ <

Leistungsstarke Volltextsuche bei der es unerheblich ist, wie Dateien benannt oder wo abgespeichert sind. Mit AMAGNO finden Sie Dateien innerhalb ...

Volltextsuche | Microsoft Docs

https://docs.microsoft.com/de-de/sql/relational-databases/search/full-text-search ▼

10.04.2018 - Wenn Sie bei der Installation von SQL Server nicht die Volltextsuche ausgewählt haben, führen Sie SQL Server-Setup erneut aus, um sie ...

Ubersicht · Volltextsuchabfragen · Architektur der Volltextsuche · Verarbeitung der ...

Volltextsuche - MSDN - Microsoft

Naïve implementation

- Scan all documents
- Test for regular expressions (even more expressive power than simple keywords + well-defined semantics)
- Command Line version: grep
- Parallelizable (think Hadoop, Spark)
- Surprisingly effective on small to medium collections
 - Substring match/simple Regexp: >> 1 GB/s per CPU core
 - mostly I/O-bound (how fast is your disk/SSD/network/RAM in sequential access)
- Large collections take a significant of time
 - 100 GB is already in the range of minutes from RAM
 - The Web is at least several petabytes of text (50 B pages * 50 KB/page)

Index-Based Keyword Search

- Remember Inverted Indexes from chapter 4
- Keep a list of documents containing a term

```
Vocabulary = {Term1, Term2, Term3, Term4}

Document Set = {D<sub>1</sub>, D<sub>2</sub>, D<sub>3</sub>, D<sub>4</sub>}

Term1 : D<sub>1</sub>, D<sub>2</sub>, D<sub>3</sub>, D<sub>4</sub>

Term2 : D<sub>1</sub>, D<sub>2</sub>

Term3 : D<sub>1</sub>, D<sub>2</sub>, D<sub>3</sub>

Term4 : D<sub>1</sub>
```

- Each document is stored only once, regardless of the number of occurrences of the term in it
- Two considerations:
 - Typically, the document list are sorted by document id
 - Instead of document IDs, we can store pairs of (ID, count/score)

Multi-word-queries

- Getting all results for single keyword query obvious Term1: $\{D_1, D_2, D_3, D_4\}$
- If we already have scoring information per document, we can order accordingly (and stop after Top K)
- What happens if you add more terms?
 "free beer"
- Do all terms need to show up?
- Do we care more about beer or free?
- How about "free delicious beer"?
- We need a (formal) description on the meaning

Retrieval Models

- Provide a mathematical framework for defining the search process (basis of many ranking algorithms)
- Good models should produce outputs that correlate well with human decisions on relevance
- Progress in retrieval models has corresponded with improvements in effectiveness over the last 10 years
- Relevance is a complex concept:
 - difficult for a person to explain why one document is more relevant than another
 - Many factors to consider
 - People often disagree when making relevance judgments

Assumptions on Retrieval Models

topical vs. user relevance

- a document is relevant to a query if it is judged to be on the same topic
- A web page containing a biography of Abraham Lincoln would topically relevant to the query "Abraham Lincoln" and would also relevant to the queries "U.S. presidents" and "Civil War"
- However, a document just containing a list of all U.S. presidents may not be considered relevant because we are looking for more detail on Lincoln's life

• binary vs. multi-valued relevance

- a document is either relevant or not
- e.g., we may consider the list of U.S presidents to be less topically relevant than Lincoln's biography, but certainly more relevant than an advertisement for a Lincoln automobile
- Hence, some retrieval models introduce relevance as a multivalued variable (e.g., relevant, non-relevant, unsure)

• ...

Boolean Retrieval

- Simplest and oldest IR model
 - **Documents** = set of words (index terms)
 - Query language = Boolean expressions over index terms
 - Result = Set of documents satisfying the query formula
 - Query usually specified using Boolean operators:
 - AND, OR, NOT
 - Two possible outcomes for query processing:
 - **TRUE** and **FALSE**
 - "Exact-match" retrieval, since documents are retrieved if they match the query, otherwise not
- Simplest form of ranking: Binary ranking function, i.e., 0/1-valued
- Retrieval based on set membership
 - "Find all documents indexed by the word 'tropical'!"
 - "Find all documents indexed by the word 'tropical' or/and 'fish'!"

Boolean Connectives

- Boolean Algebra
 - Conjunction
 - Disjunction
 - Negation

^	0	1
0	0	0
1	0	1

Г	
0	1
1	0

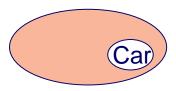
>	0	1
0	0	1
1	1	1

Example

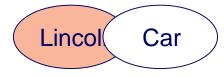
- Document D1 = {Lincoln, automobile, car}
- Document D2 = {president, Lincoln, biography}
- Document D3 = {Lincoln, Gettysburg, president}
- Document D4 = {Ford, Hazel, president, Lincoln, Mercury, car}
- Query Q1 = "lincoln"
 - Result: {D1, D2, D3, D4}
- Query Q2 = "president AND lincoln"
 - Result: {D2, D3, D4} (both word must be contained)
- Query Q3 = "president AND lincoln AND NOT (automobile OR car)"
 - Result: {D2, D3} (take away documents contained latter two words)
- Queries can be quite complex:
- Query Q4 = "president AND lincoln AND biography AND life AND birthplace AND gettysburg AND NOT (automobile OR car)

Caveats of Boolean Retrieval

- Exclusive use of negation will result in large result sets!
- Query Q5 = "**NOT** car"



- To match natural language better,
 "BUT NOT" can be used instead of "AND NOT"
- Query Q6 = "lincoln **BUT NOT** car"



- Use "OF" to search for subsets of a given size:
 - Query Q7 = "2 OF {lincoln, biography, president}"
 - Q7 ≡ "(lincoln AND biography)
 OR (lincoln AND president)
 OR (biography AND president)

Boolean Operations on Lists

Direct mapping of connectives to set operators:

- result of "lincoln AND biography" = {result of "Lincoln"} ∩ {result of "biography"}
- result of "lincoln OR biography" = {result of "Lincoln} U {result of "biography}
- How expensive is it to intersect or merge two lists?
 - If the two lists ordered in the same way: linear complexity

Example:

- **Lincoln:** 13, 57, 61, 114, 987, ...
- **Gettysburg:** 5, 23, 57, 63, 114, 257, ...
- For k intersections/unions L1 , L2 , ..., Lk, do a pairwise intersection L1 and L2 -> L12, L12 and L3 → L123, ...
- Ordering the merge/intersection starting with the smallest list creates smallest intermediate results

CNF and DNF for Query Processing

- Idea: Normalize queries for effective processing
- Conjunctive Normal Form (CNF)
 - A propositional formula is in CNF if it is a conjunction of clauses
 - A clause is a disjunction of literals
 - A literal is a variable or its negation
- Disjunctive Normal Form (DNF)
 - A propositional formula is in DNF if it is a disjunction of conjunctive clauses
 - A conjunctive clause is a conjunction of literals

Any propositional formula can be converted into an equivalent formula that is in CNF or DNF

Normalization Example

Query Q8 = "lincoln AND ((biography AND gettysburg) OR president)"

CNF

- Q8_C = "lincoln AND (biography OR president) AND (gettysburg OR president)"
 - Compute unions (might become very large)
 - Compute intersections

DNF

- Q8_D = "(lincoln AND biography AND gettysburg)
 OR (lincoln AND president)"
 - Compute intersections (smaller intermediate results)
 - Compute unions

Boolean Retrieval - Assessment

Advantages

- Simple query paradigm, easy to understand
- Results are predictable, relatively easy to explain to the users
- Many different features can be incorporated
- Efficient processing since many documents can be eliminated from search

Disadvantages

- Effectiveness depends entirely on user
- Simple queries usually don't work well due to the lack of a sophisticated ranking algorithm
- Complex queries are difficult
- A binary ranking function returns a set of results, i.e., it is unordered
- Similarity queries are not supported
- Usually, most of the documents found are relevant; but many relevant documents are not found

Fuzzy Retrieval

Observation:

- Not all index terms representing a document are equally important, or equally characteristic
- Are there any synonyms to the document's terms?
- Does a term occur more than once in the document?
- Can we assign weights to terms in documents?

Idea:

- Improve Boolean retrieval (Extended Boolean Retrieval)
- Describe documents by **fuzzy sets** of terms
- No binary set membership, but graded membership
- Advantage: Fuzzy (i.e., ordered) result sets

Fuzzy Retrieval

Fuzzy sets:

```
{gettysburg, lincoln, president} -> {gettysburg/0.4, lincoln/0.9, president/0.8}
```

Open Problems:

- How to deal with fuzzy logic?
- Where to get **membership degrees** from?

Fuzzy Logic

- Developed by Lotfi Zadeh (1965)
- Possible truth values are not just "true" (1) and "false" (0) but any number in [0;1]
- Designed to deal with classes whose boundaries are not well defined
- Key idea: Introduce the notion of a degree of membership associated with the elements of a set

Zadeh Operators

- How to translate Boolean operators into fuzzy logic?
 - Propositional (=classic Boolean) logic should be a special case
 - Fuzzy operators should have "nice" properties: commutativity, associativity, monotony, continuity, ...

Zadeh's original operators:

- Let $\mu(X)$ denote the truth value of the variable X
- Conjunction/Intersection:

$$\mu(A^{\wedge}B) = \min(\mu(A), \mu(B))$$

Disjunction/Union:

$$\mu(A \ v \ B) = \max(\mu(A), \mu(B))$$

Negation:

$$\mu(\neg A) = 1 - \mu(A)$$

Example

- Document ={gettysburg/0.4, lincoln/0.9, president/0.8}
- Query = "(gettysburg BUT NOT lincoln) OR president"

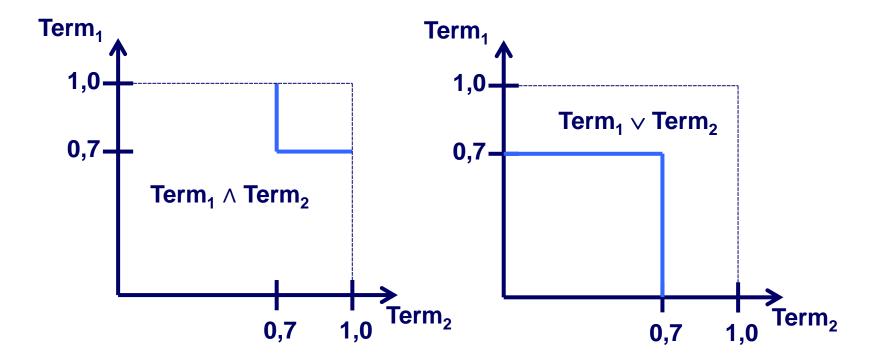
- Document's degree of query satisfaction is
 - μ(gettysburg **BUT NOT** lincoln) = 0.1
 - μ ((gettysburg **BUT NOT** lincoln) **OR** president) = **0.8**

Problems with Fuzzy Logic

- Zadeh operators indeed have "nice" properties
- But sometimes, they behave strange:
 - **Document1** = {gettysburg/**0.4**, lincoln/**0.4**}
 - **Document2** = {gettysburg/**0.3**, lincoln/**1**}
 - Query: "gettysburg AND lincoln"
 - Result = {Document1/0.4, Document2/0.3}
- Where to get fuzzy membership degrees for index terms from?
 - Take crisp bag of words representation of documents, and convert it to a fuzzy set representation

Intuitive?

• All documents lying on the blue line are satisfying the query equally well (degree 0.7):



Fuzzy Index Terms

- Approach by Ogawa et al. (1991):
 - Idea: Expand the set of index terms in the query with related terms such that additional relevant documents can be retrieved by a user query
 - A thesaurus is constructed by defining a term-term correlation matrix

(keyword connection matrix)

- Its crisp terms (use fuzzy degree 1)
- • Additional terms being similar to these crisp terms (use degree <= 1)

```
{gettysburg/1, lincoln/1, president/1, gettysburg, lincoln, president} 16th president of US, premier, head of state, CEO}
```

- 1. Use the Jaccard index to get a notion of term similarity
- Compute fuzzy membership degree for each termdocument-pair using this similarity

Jaccard Index

- Document1 = {gettysburg, president, biography}
- **Document2** = {gettysburg, president, lincoln}
- Document3 = {gettysburg, biography}

c(t,u)	gettysburg	president	biography	lincoln
gettysburg	1	0.67	0.67	0.33
		1	0.33	0.5
biography			1	0
				1

Fuzzy Index Terms: Ogawa (1991)

The fuzzy degree of membership between a document D and an index term t is

$$W(D,t) = 1 - \prod_{u \in D} (1 - c(t,u))$$

- 1-c(t,u) is the fraction of documents containing one of term t and term u but not both
- If D contains term t, than W(D,t) = 1
- Idea: Give terms a high fuzzy membership degree that usually occur together with the other document terms; those terms will capture the document's topic best

Example for Ogawa Fuzzy Index Terms

- Document1 = {gettysburg, president, biography}
- Document2 = {gettysburg, president, lincoln}
- Document3 = {gettysburg, biography}

c(t,u)	gettysburg	president	biography	lincoln
gettysburg	1	0.67	0.67	0.33
		1	0.33	0.5
biography			1	0
				1

Membership degree of term t w.r.t. document D

c(t,u)	gettysburg	president	biography	lincoln
Document1	1	1	1	0.67
Document2	1	1	0.78	1
Document3	1	0.78	1	0.33

Fuzzy Retrieval - Assessment

Cons:

- Computation of fuzzy membership weights usually difficult
 - Main problem: All weights must be within [0,1]
- Lack of intuitive query processing
 - But: There are many other ways to define fuzzy conjunction and disjunction (using t-norms and t-conorms)

Pros:

- Supports non-binary assignment of index terms to documents
 - It is possible to find relevant documents that do not satisfy the query in a strict Boolean sense
- Ranked result sets

Bag of Words Models

- Propositional formulas are mathematically handy, but often hard to use for querying (⇔SQL: formal approach with "nice" syntax accepted)
- Alternative: Bag-of-words queries ("virtual documents")
- Sketch the document that is requested (similar to QBE instead of SQL)
- Advantage: Comparing queries to documents gets simpler!
- Many successful retrieval models are based on bag-ofwords queries
 - Coordination Level Matching
 - Vector Space

Coordination Level Matching

- Idea: Documents whose index records have
 n different terms in common with the query are
 more relevant than documents with
 n-1 different terms held in common
- The coordination level (also called "size of overlap") between a query Q and a document D is the number of terms they have in common (remember similarity metrics)
- How to answer a query?
 - 1. Sort the document collection by coordination level
 - 2. Return the head of this sorted list to the user (say, the best 10 documents)

CLM Example

Given document collection

- Document D1 = {Lincoln, president, Gettysburg}
- Document D2 = {Lincoln, president, bibliography}
- Document D3 = {Lincoln, Gettysburg}

Queries

- Query1 = {president, gettysburg}
- Result:
 - D1 (2)
 - D2, D3 (1)
- Query2 = {bibliography, president, gettysburg}
- Result:
 - D1, D2 (2)
 - D3 (1)

Vector Space Model

- Documents and queries are represented by a t-dimensional vector of term weights, where t is the number of index terms (words, terms, phrases, etc.)
- Usually, t is very large: hundreds of thousands or even millions of dimensions
- A document D_i is represented by a **vector** of **index terms**, where d_{ij} represents the weight of the *j*-th term
- Obvious first choice: Represent documents by its incidence vectors
- A query is represented the same way as documents, i.e., a vector of t weights, where q_j is the weight of the j-th term in the query

Vector Space Model

- A document collection containing n documents can then be represented by a matrix of term weights
 - each row represents a document
 - each column describes weights that were assigned to a term for a particular document

$$D_i = (d_{i1}, d_{i2}, ..., d_{it})$$

$$Q = (q_1, q_2, \dots, q_t)$$

$$Term_1$$
 ... $Term_t$ Doc_1 d_{11} ... d_{1t} \vdots \vdots \vdots d_{nt}

Example

- Term-document matrix rotated, terms are rows, documents are columns
- Term weights are simply the count of the terms in the document
- Stopwords are not indexed in this example
- Words have been stemmed
- e.g., Document **D3** is represented by (1,1,0,2,01,0,1,0,0,1)
- e.g., the query "tropical fish" would be (0,0,0,1,0,0,0,0,0,0,1)

- D₁ Tropical Freshwater Aquarium Fish.
- D₂ Tropical Fish, Aquarium Care, Tank Setup.
- D₃ Keeping Tropical Fish and Goldfish in Aquariums, and Fish Bowls.
- D₄ The Tropical Tank Homepage Tropical Fish and Aquariums.

Terms	Documents			;
	D_1	D_2	D_3	D_4
aquarium	1	1	1	1
bowl	0	0	1	0
care	0	1	0	0
fish	1	1	2	1
freshwater	1	0	0	0
goldfish	0	0	1	0
homepage	0	0	0	1
keep	0	0	1	0
setup	0	1	0	0
tank	0	1	0	1
tropical	1	1	1	2

Vectors: Ranking and Distance Functions

- One can use simple diagrams to visualize documents and queries, e.g., vectors in a 3-dimensional space
- Documents can be ranked by computing the distance between the points representing the document and the query
- A *similarity measure* is used, often
 - Euclidean distance
 - Cosine correlation
- The highest scores are the most similar to the query
- Ranking based on the vector space model is able to reflect term importance and the number of matching terms, which is not possible in Boolean retrieval

Terms Weights – TF/IDF

- Repetition of words is an indication of emphasis (Luhn, 1961)
 - Already present in CLM
- Problem: some words are frequent in many documents, regardless of the content

```
university ..., 57 5 , ... ... , 123 2 , ...
of ..., 57 14 , ... ... , 123 23 , ...
augsburg ..., 57 3 , ... ... , 123 1 , ...
```

Aggregate per Document (here SUM)

```
• Document ..., 57 22, ... ... , 123 26, ...
```

- Do stopwords help?
 - Remove only the top K "offenders" (what threshold)
 - Missing phrases ("Flight from London to Paris")
 - Dependent on language and context
 - Binary approach, not weighted

(Inverse) Document Frequency

- Idea: **Specificity** (Spärck Jones, 1972)
 - The more documents a term occurs in, the less discriminating the term is, and consequently, the less useful it will be in retrieval
- The number of documents containing a particular word

$$df_{university} = 16.384$$
, $df_{of} = 524.288$, $df_{augsburg} = 1.024$

Inverse document frequency (idf)

$$idf = log_2 (N / df) N = total number of documents$$

For the example df scores above and N = 1.048.576 = 220

$$idf_{university} = 6$$
, $idf_{of} = 1$, $idf_{augsburg} = 10$

- Motivation for logarithm:
 - Word frequencies vary significantly, often Zipf or Power Law
 - A word showing up several orders of magnitude more frequently is not several orders of magnitude more/less discriminating
 - Without the log2, small differences in the value of df would have too much of an effect

Combining TF and IDF

Reconsider our earlier tf only example

```
university ..., 57 5 , ... ..., 123 2 , ...
of ..., 57 14 , ... ... , 123 23 , ...
augsburg ..., 57 3 , ... ... , 123 1 , ...
Document ..., 57 22 , ... ... , 123 26 , ...
```

Now combined with idf scores from previous slide

```
university ..., 57 30, ... ..., 123 12, ...
of ..., 57 14, ... ..., 123 23, ...
augsburg ..., 57 30, ... ..., 123 10, ...
Document ..., 57 74, ... ..., 123 45, ...
```

Issues with TF

IDF helps significantly, but the basic form of TF causes problems

Let D1,D2 documents, w word/token:

- 1) D1 is longer than D2:
 - -> often tf(D1,w) > tf(D2,w) (because of length, not because of relevance)
- 2) D1 and D2 have same length, tf(D1, w) twice of tf(D2, w)
 - -> Is D2 twice as relevant?

Refining TF and IDF

• For 1), normalize tf for each document

$$ntf(d,t) = \frac{f(d,t)}{\sum_{j=1}^{n} f(d,j)}$$

where f(d,t) # of occurrences of t in d (our previous tf)

Most common TF-IDF variant

$$w(d,t) = ntf(d,t) * \log\left(\frac{N+0.5}{df(t)+0.5}\right)$$

+0.5 smoothing for very common/very rare terms

BM25 (aka Okapi Best Match 25)

Popular and well-performing TF-IDF derivative

$$BM25(d,t) = tf^* * log\left(\frac{N}{df(t)}\right)$$

$$tf^* = tf * \frac{(k+1)}{k\left(1 - b + b * \frac{DL}{AVDL}\right) + tf}$$

- DL Document length
- AVDL average document length
- Standard values for BM25: k=1.75 [1.2;2], b=0.75
- Binary/Boolean: k=0, b=0
- Standard tf-idf: k=inf, b=0

Motivating BM25 – Score growth

- tf and tf* should share the following properties
- 1. Tf*=0 iff tf=0
- 2. Tf* increases when tf increases
- 3. Tf* grows to a fixed limit if tf grows to inf
- Simplest(?) formula to fulfill 1-3

$$\bullet tf^+ = tf * \frac{k+1}{k+tf}$$

Motivating BM25 – Document Lengths

$$\bullet tf^+ = tf * \frac{k+1}{k+tf}$$

- Normalize by document lenght: tf -> $\frac{tf}{\alpha}$
- $\frac{tf}{\alpha} * \frac{k+1}{k+\frac{tf}{\alpha}} = tf * \frac{k+1}{k*\alpha+tf}$
- ullet α expresses the amount of document length normalization
- Full normalization: $\alpha = \frac{DL}{AVDL}$
- Some tuneable normalization: $\alpha = (1 b) + b(\frac{DL}{AVDL})$
- No normalization: b=0 -> α =1

Implementing Ranking – Building Indexes

- First compute the inverted lists with tf scores
 - For each document, iterate over each word
 - Add (word,count) entries to list for document
- Along with that compute the document length (DL) for each document, and the average document length (AVDL)
- You can measure DL (and AVDL) via the number of words
- Make a second pass over the inverted lists and replace the tf scores by tf* · idf scores
- Note that the df of a word is just the length (number of postings) in its inverted list

Assessment of the Vector Space Model

Pros:

- Simple and clear computational framework for ranking
- Any similarity measure or term weighting scheme could be used
- Intuitive querying yields high usability
- Founded on "real" document rankings, not based on result sets
- Highly customizable and adaptable to specific collections
 - Distance / similarity functions
 - Normalization schemes
 - Methods for term weighting
- High retrieval quality
- Relevance feedback possible

Cons:

- Assumption of term independence
- High-dimensional vector spaces, specialized algorithms are required
- Relies on **implicit assumptions**, which do not hold in general:
 - Cluster hypothesis: "Closely associated documents tend to be relevant w.r.t. the same queries
 - Independence/orthogonality assumption: "Whether a term occurs in a document, is independent of other terms occurring in the same document"