UNIVERSITY OF RWANDA
COLLEGE OF SCIENCE AND TECHNOLOGY
soICT
COMPUTER SCIENCE
LEVEL 3

MODULE: Computer graphics

ASSIGNMENT 2

Group7:

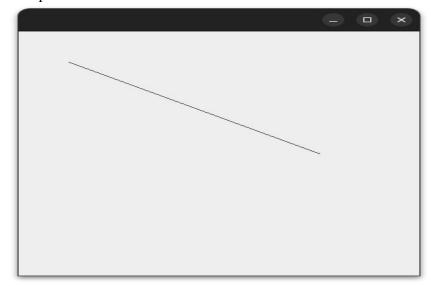
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Note: All code snippets referenced in this document are available on the GitHub repository Computer graphics.

QUESTION 1:

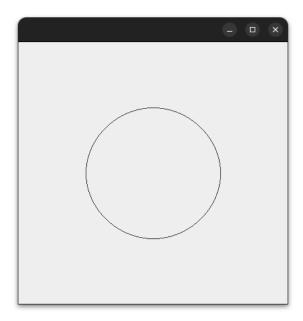
A. The following are java codes draw line in a swing using bresenham's line algorithm.

Here is the output



B. In figure bellow is the java codes that draw a circle following Berensham's circle algorithm, alongside their output.

```
● BresenhamCircle.java - Computer-Graphics-Assignment - Visual Studio Code
File Edit Selection View Go Run Terminal Help
        J BresenhamCircle.class
                                J BresenhamCircle.java M •
                                                                                                                        ⊳ ৺ ৸ Ⅲ …
J BresenhamCircle.java > ★ BresenhamCircle > ★ drawCircle(int, int, int, Graphics)
               import java.awt.*;
import javax.swing.*;
 Q
 @Override
                    protected void paintComponent(Graphics g) {
                        super.paintComponent(g);
                         drawCircle(centerX:200, centerY:200, radius:100, g); // Example center and radi
B
                    private void drawCircle(int centerX, int centerY, int radius, Graphics g) [
                         int y = radius;
int d = 3 - 2 * radius; // Initial decision parameter
(
                         while (y >= x) {
    // Draw the eight octants of the circle
0
                              drawCirclePoints(centerX, centerY, x, y, g);
                    private void drawCirclePoints(int centerX, int centerY, int x, int y, Graphics g) {
                         g.fillRect(centerX + x, centerY + y, 1, 1);
g.fillRect(centerX - x, centerY + y, 1, 1);
                         g.fillRect(centerX + x, centerY - y, 1, 1);
                         g.filRect(centerX - x, centerY - y, 1, 1);
g.filRect(centerX + y, centerY + x, 1, 1);
g.filRect(centerX - y, centerY + x, 1, 1);
g.filRect(centerX + y, centerY - x, 1, 1);
g.filRect(centerX - y, centerY - x, 1, 1);
Debug
                    public static void main(String[] args) {
                         JFrame frame = new JFrame
                         frame.add(new BresenhamCircle());
8
                          frame.setDefaultCloseOperation(JFrame.EXIT_ON_CLOSE);
5633
       main* ↔ ⊗ 0 🛦 0 🕍 0 🕏 Live Share 📛 Java: Ready
```



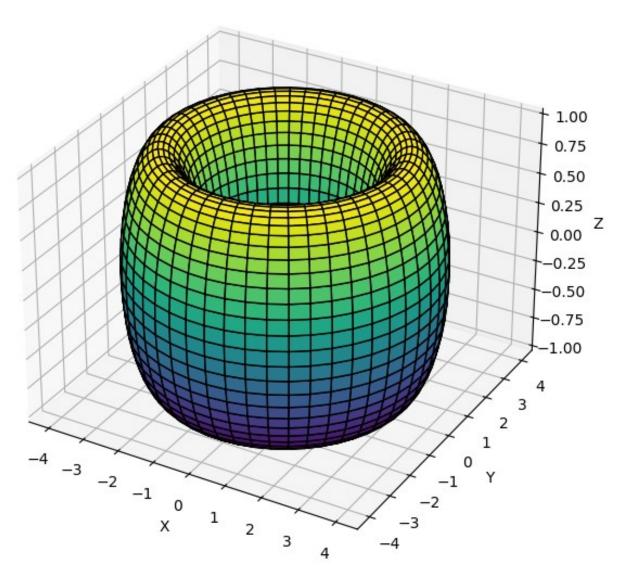
QUESTION 2:

Here is python codes that generate 3D plot of a torus surface defined by parametric equations, visualized with color map and labeled axes.

```
import matplotlib
matplotlib.use('TkAgg') # Use an interactive backend, if available
import numpy as np
import matplotlib.pyplot as plt
def parametric_torus(R, r, u, v):
   x = (R + r * np.cos(v)) * np.cos(u)
   y = (R + r * np.cos(v)) * np.sin(u)
   z = r * np.sin(v)
   return x, y, z
# Parameters
R, r = 3, 1
u = np.linspace(0, 2 * np.pi, 50)
v = np.linspace(0, 2 * np.pi, 50)
u, v = np.meshgrid(u, v)
x, y, z = parametric_torus(R, r, u, v)
# Plot
fig = plt.figure(figsize=(10, 7))
ax = fig.add_subplot(111, projection='3d')
ax.plot_surface(x, y, z, cmap='viridis', edgecolor='k')
ax.set_xlabel('X')
ax.set_ylabel('Y')
ax.set_zlabel('Z')
plt.title("Parametric Surface: Torus")
try:
    plt.show() # Try displaying the plot
except:
   plt.savefig("parametric_surface.png") # Save as an image if display fails
    print("Interactive display not available. Plot saved as parametric_surface.png")
```

And here is the output.

Parametric Surface: Torus



QUESTION 3:

On this question all codes are written in python

```
import turtle
screen = turtle.Screen()
screen.setup(width=600, height=300)
screen.bgcolor("blue")
t = turtle.Turtle()
t.hideturtle()
t.speed(0)
t.penup()
t.goto(-300, 150) # Start at top left
t.pendown()
t.color("blue")
t.begin_fill()
for _ in range(2):
   t.forward(600) # Width of the rectangle
   t.right(90)
   t.forward(300) # Height of the rectangle
   t.right(90)
t.end_fill()
t.penup()
t.goto(0, 0) # Move to center
t.color("white")
t.write("Welcome to UR CST", align="center", font=("Arial", 24, "bold"))
turtle.done()
```

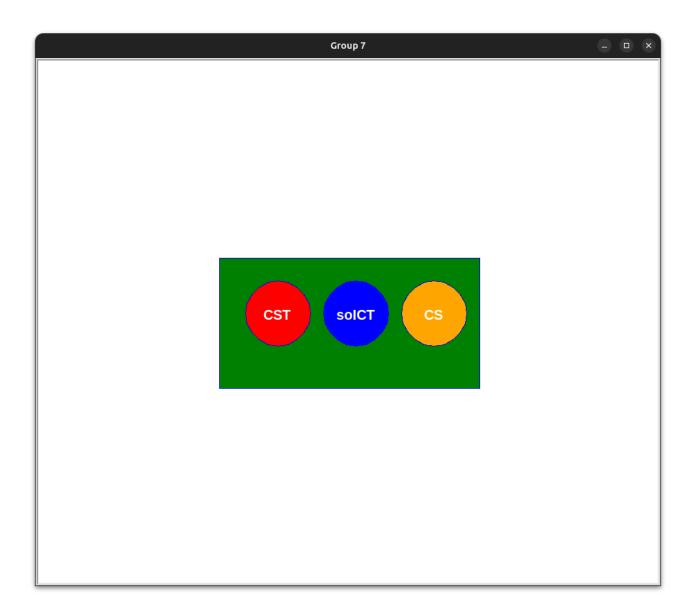
Output



Codes:

```
turtle.hideturtle()
turtle.speed(0)
def star(x, y, length, penc, fillc):
    turtle.up()
    turtle.goto(x, y)
    turtle.seth(90)
    turtle.fd(length)
    turtle.seth(180 + 36 / 2)
    L = length * math.sin(36 * math.pi / 180) / math.sin(54 * math.pi / 180)
    turtle.seth(180 + 72)
    turtle.down()
    turtle.fillcolor(fillc)
    turtle.pencolor(penc)
    turtle.begin_fill()
    for _ in range(5):
       turtle.fd(L)
       turtle.right(72)
        turtle.fd(L)
        turtle.left(144)
    turtle.end_fill()
def star_fractal(x, y, length, penc, fillc, n):
    if n == 0:
       star(x, y, length, penc, fillc)
       return
    length2 = length / (1 + (math.sin(18 * math.pi / 180) + 1) / math.sin(54 * math.pi / 180))
    L = length - length2 - length2 * math.sin(18 * math.pi / 180) / math.sin(54 * math.pi / 180)
    for i in range(5):
        star_fractal(x + math.cos((90 + i * 72) * math.pi / 180) * (length - length2),
                     y + math.sin((90 + i * 72) * math.pi / 180) * (length - length2),
                    length2, penc, fillc, n - 1)
star_fractal(0, 0, 300, 'blue', 'blue', 3) # Reduced length to 300
screen.update()
screen.mainloop()
```

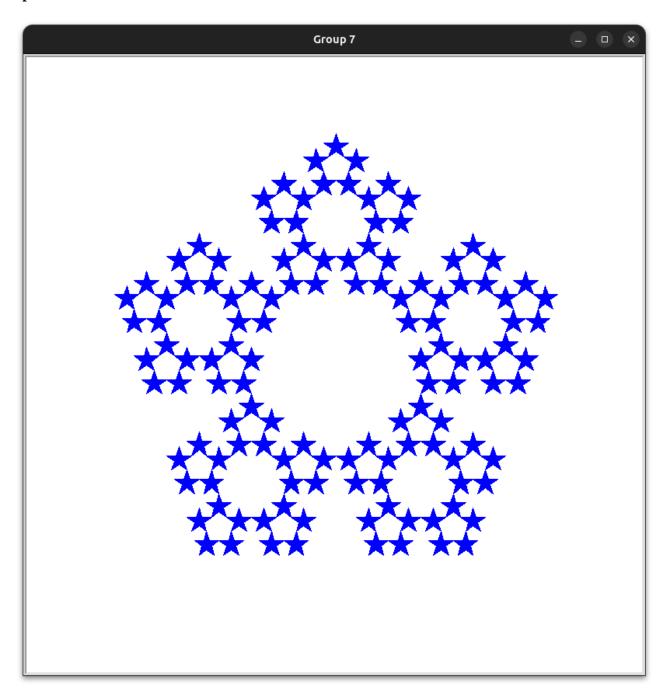
Output:



Codes

```
import turtle
import math
screen = turtle.Screen()
screen.title('Group 7')
screen.setup(800, 800)
screen.screensize(600, 600)
screen.tracer(0, 1)
turtle.hideturtle()
turtle.speed(0)
def star(x, y, length, penc, fillc):
    turtle.up()
    turtle.goto(x, y)
    turtle.seth(90)
    turtle.fd(length)
    turtle.seth(180 + 36 / 2)
    L = length * math.sin(36 * math.pi / 180) / math.sin(54 * math.pi / 180)
    turtle.seth(180 + 72)
    turtle.down()
    turtle.fillcolor(fillc)
    turtle.pencolor(penc)
    turtle.begin_fill()
    for _ in range(5):
        turtle.fd(L)
        turtle.right(72)
        turtle.fd(L)
        turtle.left(144)
    turtle.end_fill()
def star_fractal(x, y, length, penc, fillc, n):
    if n == 0:
        star(x, y, length, penc, fillc)
    length2 = length / (1 + (math.sin(18 * math.pi / 180) + 1) / math.sin(54 * math.pi / 180))
    L = length - length2 - length2 * math.sin(18 * math.pi / 180) / math.sin(54 * math.pi / 180)
    for i in range(5):
        star_fractal(x + math.cos((90 + i * 72) * math.pi / 180) * (length - length2),
y + math.sin((90 + i * 72) * math.pi / 180) * (length - length2),
                      length2, penc, fillc, n - 1)
star_fractal(0, 0, 300, 'blue', 'blue', 3) # Reduced length to 300
screen.update()
screen.mainloop()
```

Output:



D.

Codes:

```
import turtle
def setup_turtle():
   screen = turtle.Screen()
   screen.bgcolor("white")
screen.title("Octagonal Spiral Group 7")
   t = turtle.Turtle()
   t.speed(1)
    t.hideturtle()
   return t, screen
def draw_spiral():
    t, screen = setup_turtle()
   colors = ["yellow", "blue", "red", "purple", "orange", "green"]
   color_index = 0
   segments_per_cycle = 8
   complete_cycles = 4
   extra_segments = 5
   total_segments = (complete_cycles * segments_per_cycle) + extra_segments
    start_size = 15
   max_size = 200
    start_pen = 2
   max_pen = 25
   t.penup()
    t.goto(-start_size / 2, 0)
    t.setheading(0)
    t.pendown()
    size_growth = (max_size - start_size) / total_segments
   pen_growth = (max_pen - start_pen) / total_segments
    for segment in range(total_segments):
       current_size = start_size + (segment * size_growth)
       current_pen = start_pen + (segment * pen_growth)
       t.pensize(current_pen)
        t.pencolor(colors[color_index % len(colors)])
        t.forward(current_size)
        t.left(45)
        color_index += 1
    screen.mainloop()
if __name__ == "__main__":
    draw_spiral()
```

Output:

