

ELVIS MBURU

SCT212-0062/2020

BCT 2408: COMPUTER ARCHITECTURE

E1:

Problem

Use the following code fragment:

```
loop: LD    R1,0(R2)
      DADDI R1,R1,1
      SD    0(R2),R1
      DADDI R2,R2,4
      DSUB  R4,R3,R2
      BNEZ  R4,loop
```

Assume that the initial value of R3 is R2+396. Throughout this exercise use the classic RISC five-stage integer pipeline in H&P. Specifically, assume that: 1) branches are resolved in the second stage of the pipeline; 2) there are separate instruction and data memories; 3) all memory accesses take 1 clock cycle.

Solution

Show the timing of this instruction sequence for the RISC pipeline *without* any forwarding or bypassing hardware but assuming a register read and a write in the same clock cycle “forwards” through the register file. Assume that the branch is handled by flushing the pipeline. If all memory references take 1 cycle, how many cycles does this loop take to execute?

Inst.	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
LD	F	D	X	M	W															
DADDI		F	D	s	s	X	M	W												
SD			F	s	s	D	s	s	X	M	W									
DADDI						F	s	s	D	X	M	W								
DSUB									F	D	s	s	X	M	W					
BNEZ										F	s	s	D	s	s	X	M	W		
LD (2)													F	s	s	F	D	X	M	W

- The first DADDI must wait until LD gets to the WB stage to obtain the value of R1.
- SD must wait until the first DADDI computes the value of R1 and reaches the WB stage (no forwarding).
- DSUB must wait until the second DADDI computes the value of R2 and reaches the WB stage.
- BNEZ must wait until DSUB computes the value of R4 and reaches the WB stage.
- LD from the next iteration is re-fetched after the branch is resolved as taken (in the branch ID stage).

The loop executes 99 iterations ($396/4$), iterations 0 to 98.

Iteration i begins in cycle $1 + (i * 15)$.

The last iteration takes 18 cycles to complete.

So, the total number of cycles for the whole loop is $(98 * 15) + 18 = \mathbf{1488 \text{ cycles}}$.

- b. Show the timing of this instruction sequence for the RISC pipeline with normal forwarding and bypassing hardware. Assume that the branch is handled by predicting it as not taken. If all memory references take 1 cycle, how many cycles does this loop take to execute?

Inst.	1	2	3	4	5	6	7	8	9	10	11	12	13	14
LD	F	D	X	M	W									
DADDI		F	D	s	X	M	W							
SD			F	s	D	X	M	W						
DADDI					F	D	X	M	W					
DSUB						F	D	X	M	W				
BNEZ							F	D	s	X	M	W		
LD (2)								F	s	F	D	X	M	W

- The first ADDI still must wait until LD gets to the WB stage to obtain the value of R1, but now stall is implemented in the EX stage through the interlocking mechanism and value is forwarded directly to EX stage.
- SD now waits until the first ADDI computes the value of R1 and forwards the value from EX to MEM.
- DSUB now gets the value of R2 forwarded by the second ADDI and does not need to wait.
- BNEZ now gets the value of R4 forwarded by sub but needs to wait till the sub reaches EX stage.
- LD from the next iteration is re-fetched after the branch is resolved as mispredicted (in the branch ID stage).

Iteration i now begins in cycle $1 + (i * 9)$ and the last iteration takes only 12 cycles to complete.

So, the total number of cycles for the whole loop is $(98 * 9) + 12 = \mathbf{894 \text{ cycles}}$.

- c. Assume the RISC pipeline with a single-cycle delayed branch and normal forwarding and bypassing hardware. Schedule the instructions in the loop including the branch delay slot. You may reorder instructions and modify the individual instructions operands, but do not undertake other loop transformations that change the number or opcode of the instructions in the loops. Show a pipeline timing diagram and compute the number of cycles needed to execute the entire loop.

- Optimization 1: move the second DADDI to the load delay slot.
- Optimization 2: move DSUB up, to after the second DADDI.
- Optimization 3: move SD to the branch delay slot, adjusting the offset ($SD -4(R2), R1$).

Inst.	1	2	3	4	5	6	7	8	9	10	11
LD R1,0(R2)	F	D	X	M	W						
DADDI R2,R2,4		F	D	X	M	W					
DSUB R4,R3,R2			F	D	X	M	W				
DADDI R1,R1,1				F	D	X	M	W			
BNEZ R4,loop					F	D	X	M	W		
SD -4(R2),R1						F	D	X	M	W	
LD (2)							F	D	X	M	W

- The first DADDI does not wait as it is now separated by two extra cycles from LD.
- The BNEZ now does not wait as it is separated by one extra cycle from DSUB.
- SD now fills the branch delay slot.
- LD from the next iteration is properly fetched as the branch is resolved in time.

Iteration i now begins in cycle $1 + (i * 6)$ and the last iteration takes only 10 cycles to complete.

So, the total number of cycles for the whole loop is $(98 * 6) + 10 = \mathbf{598 \text{ cycles}}$.