

Laboratory practice No. 5: Graphs

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3.1 The code we made for the first the point was first finding all the possibilities for people picking up other people and getting to the goal in the restrictions. Then we look at all the combinations of this pickups and grab the combination with the minimum number of cars.

3.2 If we represent the map of Medellin of exercise 1 there wouldn't be difference in memory consumption using adjacency lists or adjacency matrices, since it is a complete graph so all nodes have a direct connection with the rest of the nodes.

3.3 Exercise 2.1 we did it performing a DFS search and coloring the nodes one color and its neighbors the other color. If you ever changed a node of color, then the graph wasn't bicolorable otherwise it was bicolorable.

3.4/3.5

2.1 $O(n \cdot e)$ n = number of nodes and e = number of edges

4.1.1 self.DFS($i + \text{rowNbr}[k]$, $j + \text{colNbr}[k]$, visited);

4.2.1

1 -> [0,2,5]

2 -> [1, 4, 6]

3 -> [7]

4 -> [2]

5 -> []

6 -> [2]

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7 -> []

	0	1	2	3	4	5	6	7
0				1	1			
1	1		1			1		
2		1			1		1	
3								1
4			1					
5								
6			1					
7								

4.3 b

4.4.1 ii

4.4.2 i

4.5.1 b

4.5.2 a

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