

Summary note of the phonon olympics entry for AlN

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- Date: Feb. 28, 2023.
- Codes: VASP 6.2.1 + ALAMODE 1.4.2 (some new features of dev branch are also tested)
- Compilers: Intel Compiler version 20.0.2.254 + Intel MKL
- Compile flags: -O2 for ALAMODE, -O2 -xHost for VASP
- MPI library: HPE MPI 2.21
- Computer Resource: NIMS simulator (Intel Xeon Platinum 8268 24core 2.9 GHz x 2 / node)

1. Structure - summary

The calculations were performed using VASP code with the following input parameters:

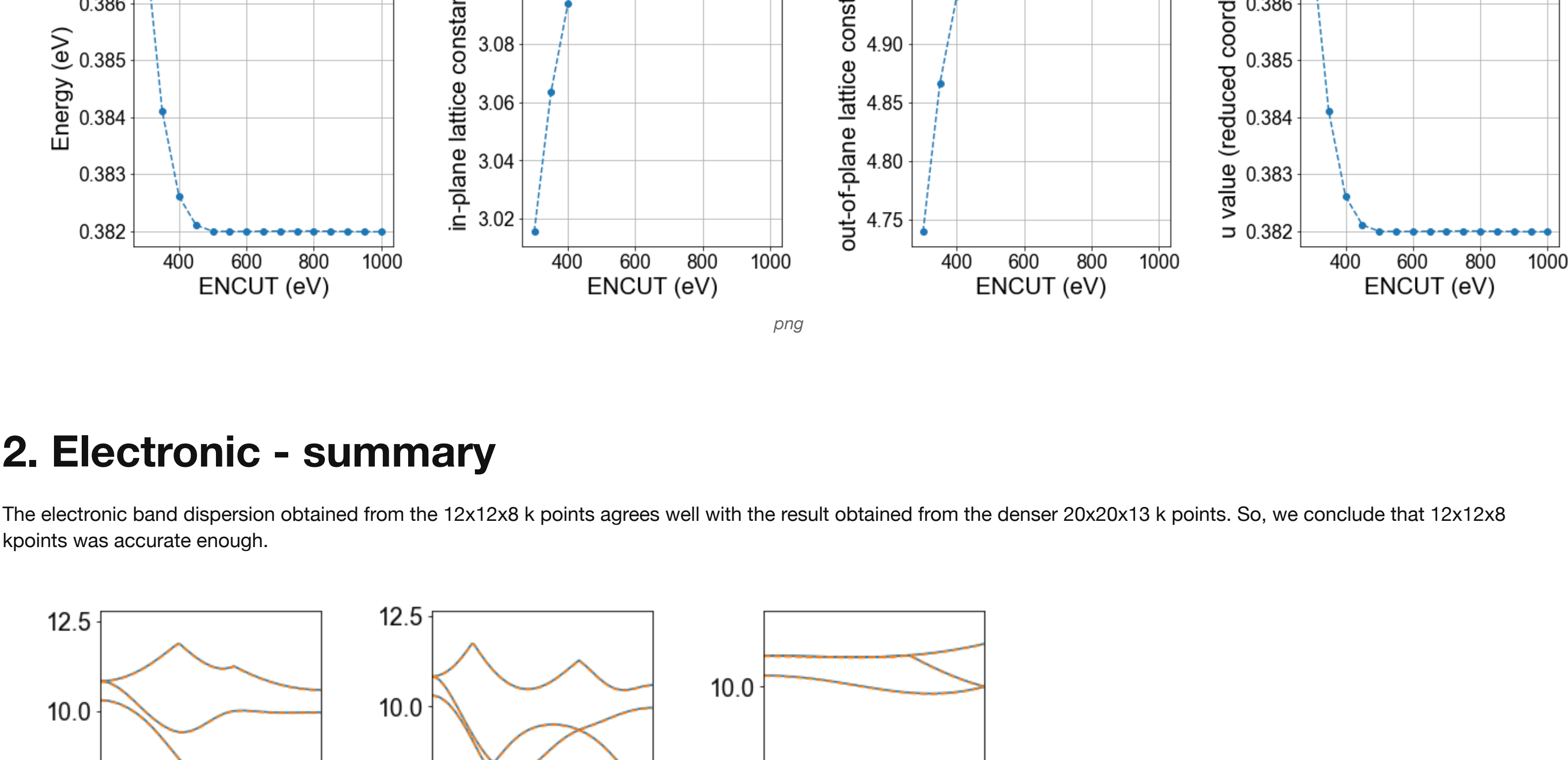
```
PREC = Accurate
ENCUT = 550
EDIFF = 1.0e-8
EDIFFG = -0.5e-3
ISMEAR = 0
SIGMA = 0.05
ALGO = Normal
LREAL = .FALSE.
ADDGRID = .TRUE.
LWAVE = .FALSE.
LCHARG = .FALSE.
ICHARG = 2
ISTART = 0
NELM = 200

NPAR = 12
KPAR = 4
ISIF = 3
IBRION = 1
NSW = 100
POTIM = 0.1

GGA = PS
LAPSH = .True.
```

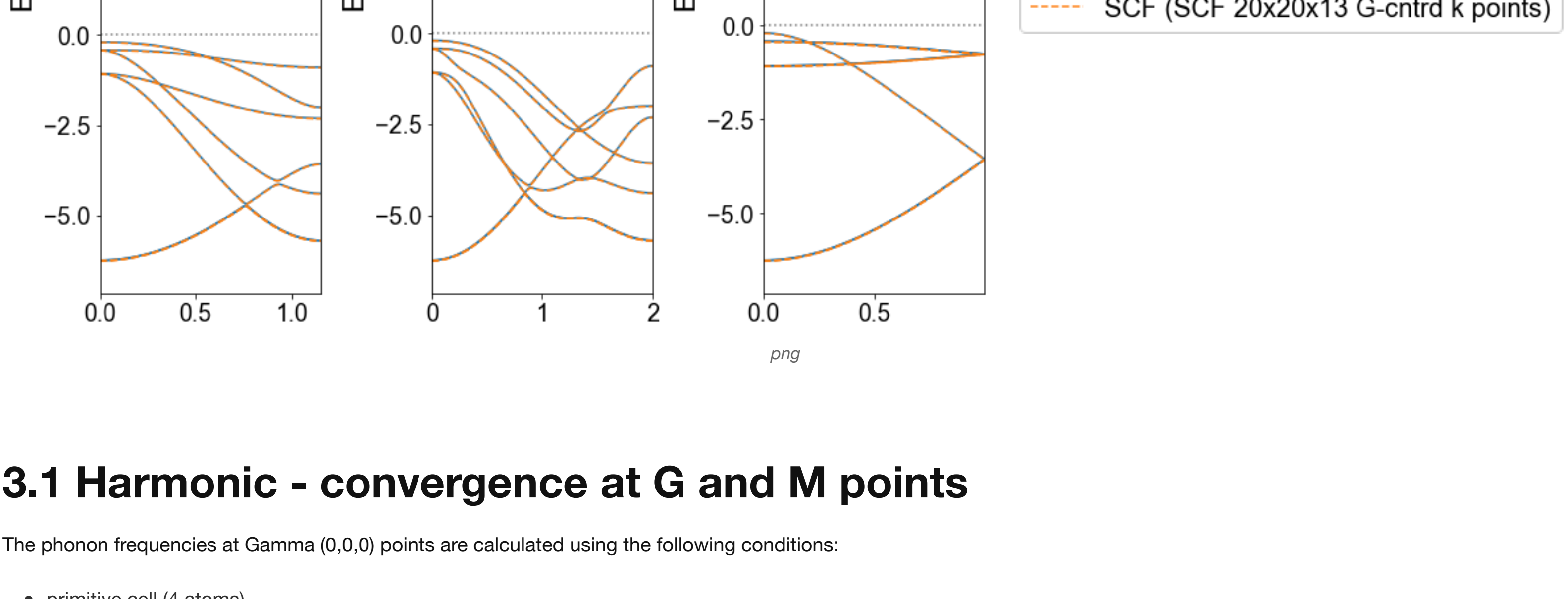
As shown in the tables and figures below, the lattice constants appear to reach convergence at the 12x12x8 k points and ENCUT=550.

- ENCUT = 550
- 12x12x8 k points for primitive
- a = 3.114 Angstrom
- c = 4.983 Angstrom
- u = 0.382



2. Electronic - summary

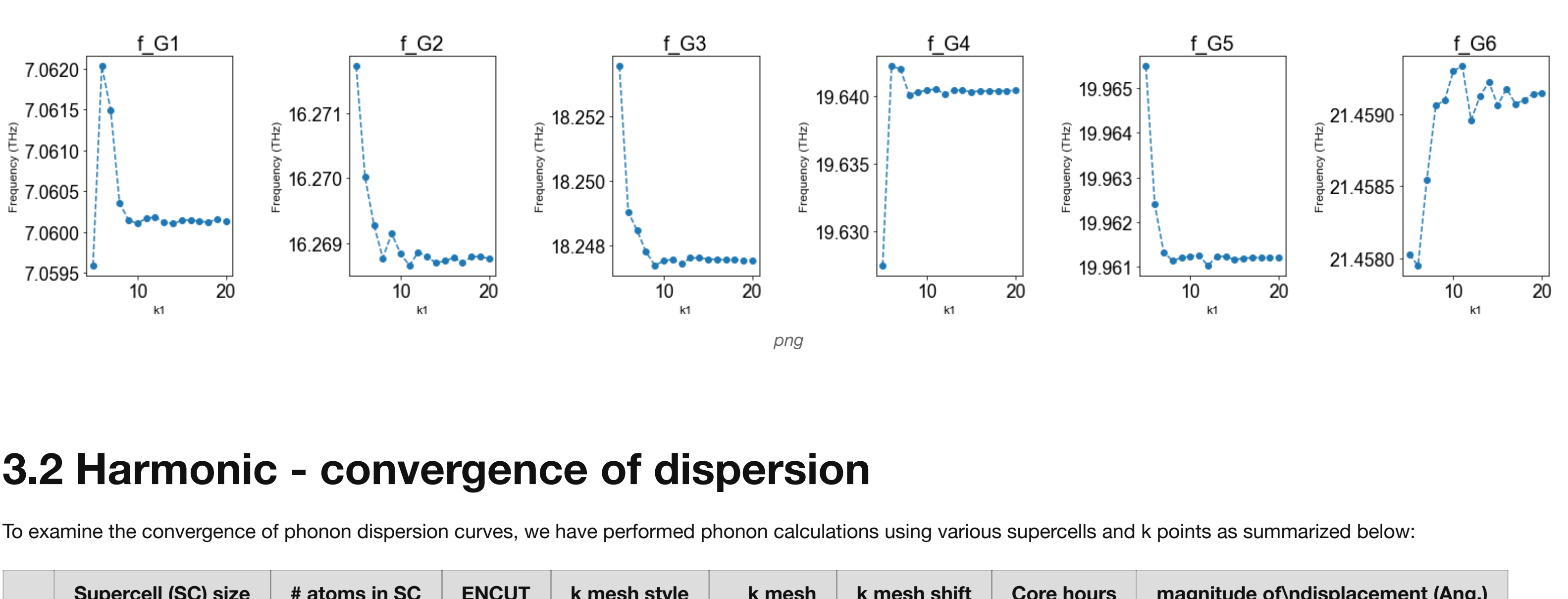
The electronic band dispersion obtained from the 12x12x8 k points agrees well with the result obtained from the denser 20x20x13 k points. So, we conclude that 12x12x8 kpoints was accurate enough.



3.1 Harmonic - convergence at G and M points

The phonon frequencies at Gamma (0,0,0) points are calculated using the following conditions:

- primitive cell (4 atoms)
- displacement magnitude : 0.01 Angstrom
- make full use of symmetry (permutation, space group)
- consider ASR as constraint
- Fit displacement-force dataset by ordinary least squares

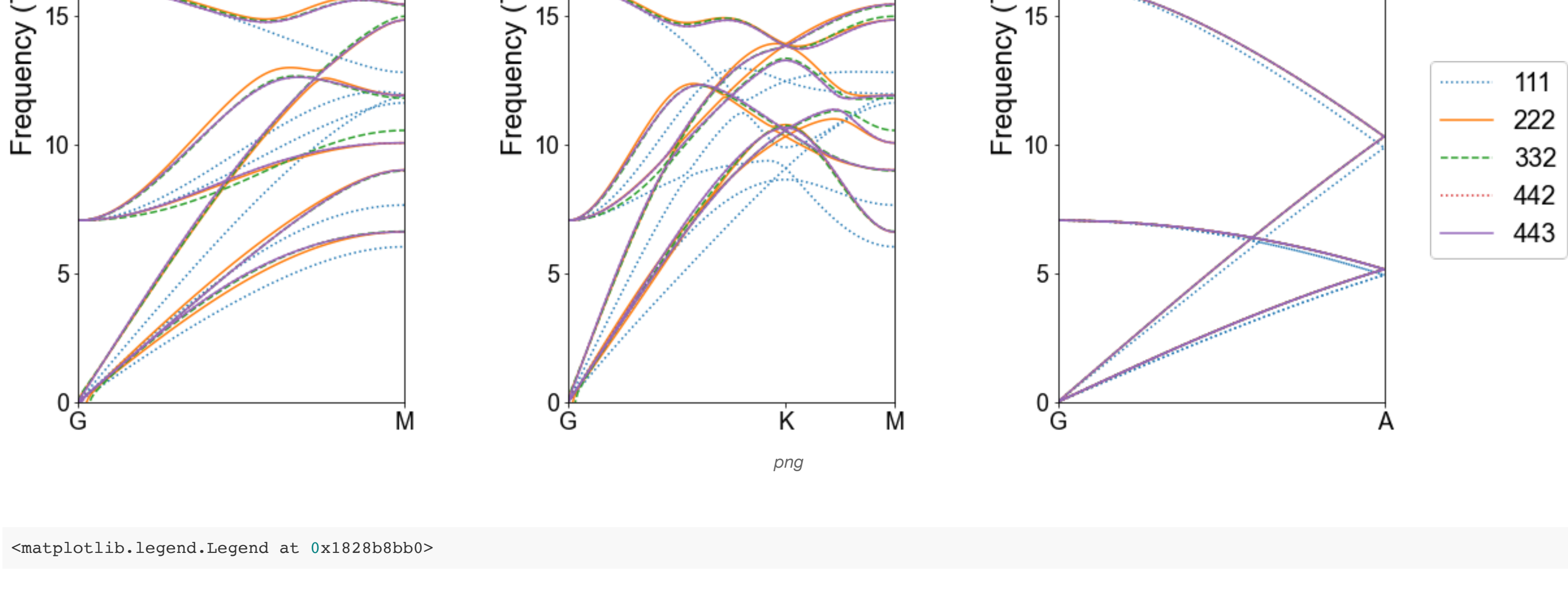


3.2 Harmonic - convergence of dispersion

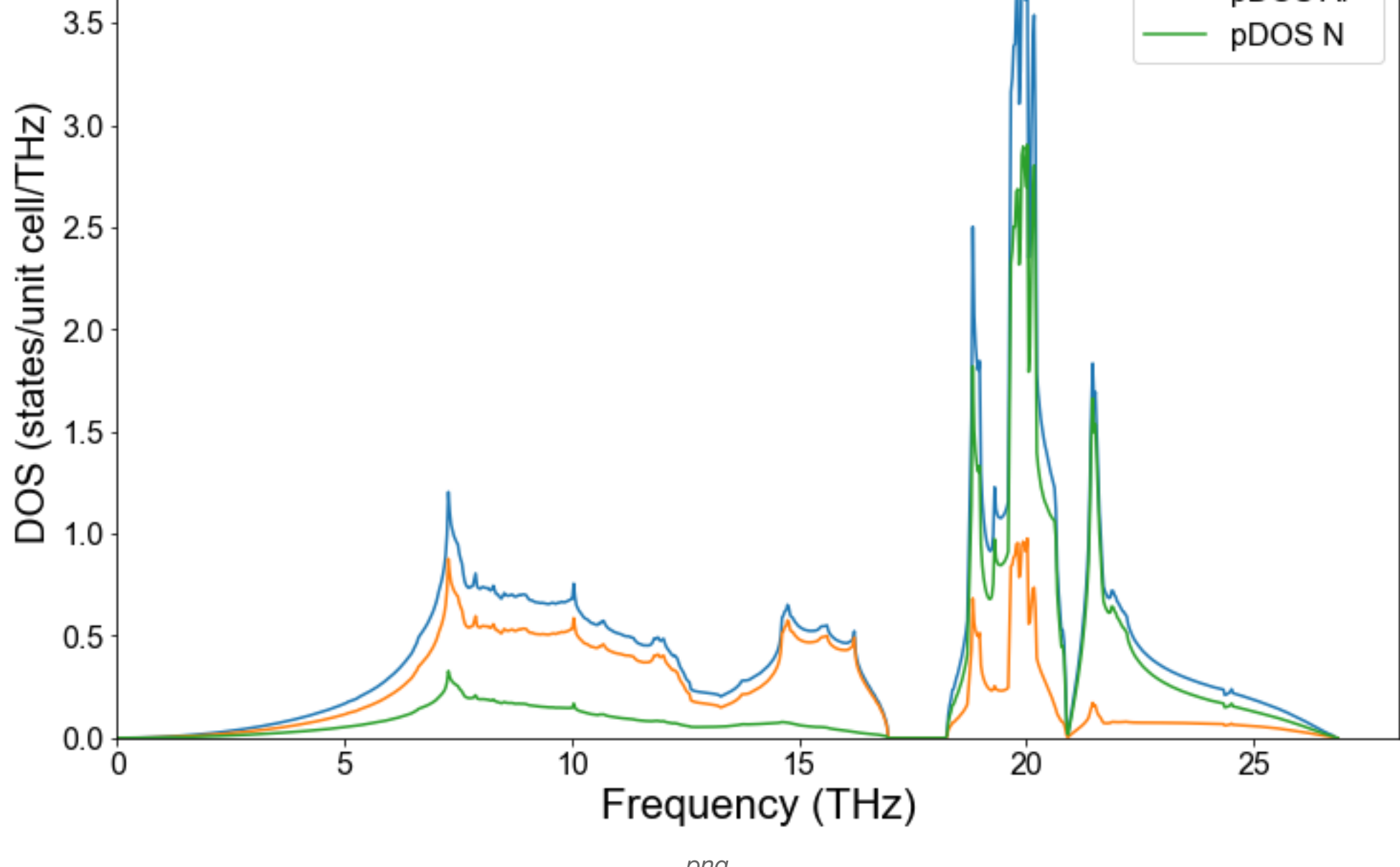
To examine the convergence of phonon dispersion curves, we have performed phonon calculations using various supercells and k points as summarized below:

	Supercell (SC) size	# atoms in SC	ENCUT	k mesh style	k mesh	k mesh shift	Core hours	magnitude of displacement (Ang.)
0	111	4	550.0	Gamma	[12, 12, 8]	[0, 0, 0, 0, 0]	1.441013	0.01
1	222	32	550.0	Gamma	[6, 6, 4]	[0, 0, 0, 0, 0]	17.772160	0.01
2	332	72	550.0	Gamma	[4, 4, 4]	[0, 0, 0, 0, 0]	48.105067	0.01
3	442	128	550.0	Gamma	[3, 3, 4]	[0, 0, 0, 0, 0]	128.332427	0.01
4	443	192	550.0	Gamma	[3, 3, 3]	[0, 0, 0, 0, 0]	233.681227	0.01

The results are plotted in the figure below.



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4.1 Anharmonic - convergence w.r.t. cutoff radius, supercell size, and the size of the training data

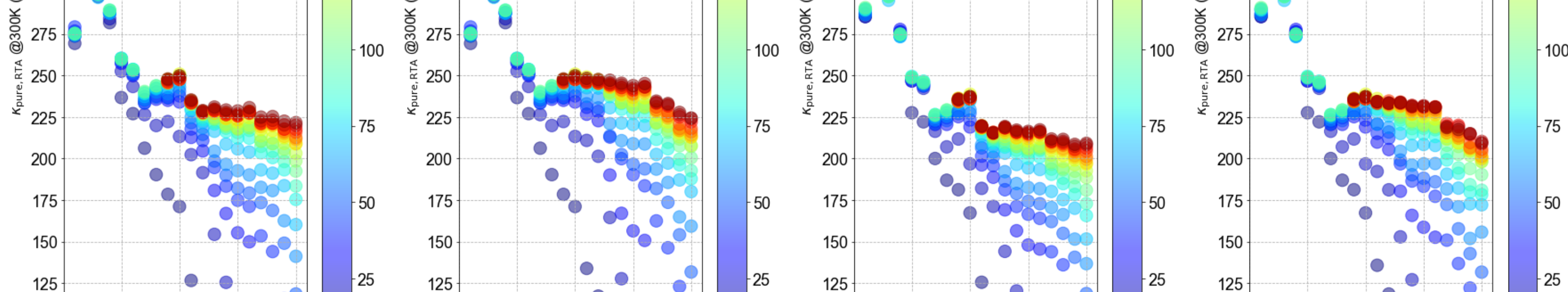
The result of the convergence check with respect to the cutoff radius for the third-order IFC is shown in the table and figures below.

The force constants are calculated with the following methods:

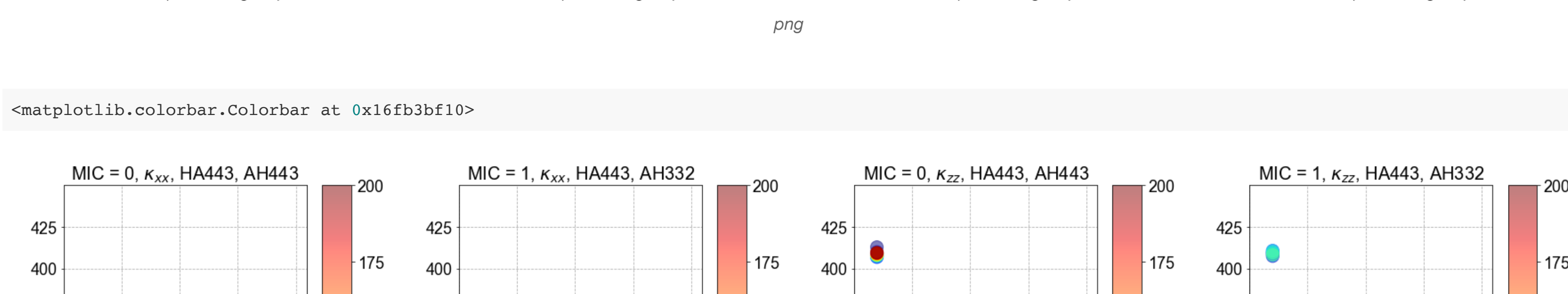
- Random displacements of all atoms with magnitude of 0.03 Ang.
- Full space group symmetry considered
- Impose ASR as constraints
- Estimate third-order IFCs by ordinary least squares, LASSO and adaptive-LASSO (optional)
- When fitting the third-order IFCs, the second-order IFCs are fixed to the values obtained in the step 3.

The thermal conductivity calculations are performed with the following conditions:

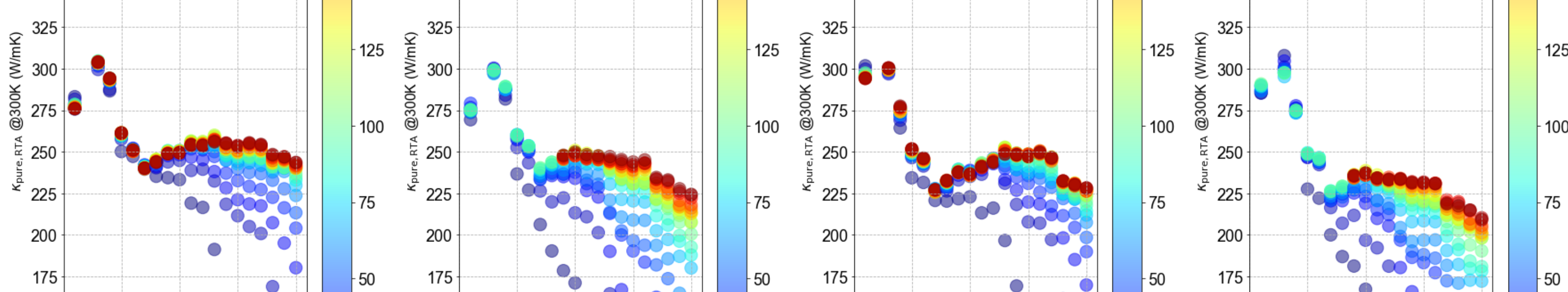
- 13x13x9 q points
- Use space group symmetry for reducing sampling q points and triplets (q, q', q'')
- Tetrahedron method (tsmear = -1) for delta function evaluation
- Atomic mass : 26.9815384 au (Al), 14.003074 au (N)
- RTA
- no ph-iso scattering, no ph-boundary effects
- Phonon group velocity is evaluated as $\langle \mathbf{v}_i | \mathbf{v}_j \rangle \approx \langle \mathbf{v}_i | \mathbf{v}_j \rangle + \langle \mathbf{v}_i | \mathbf{v}_j \rangle$ where $\langle \mathbf{v}_i | \mathbf{v}_j \rangle$ is a small value (< 0.001).
- Nonanalytic correction with Ewald method.



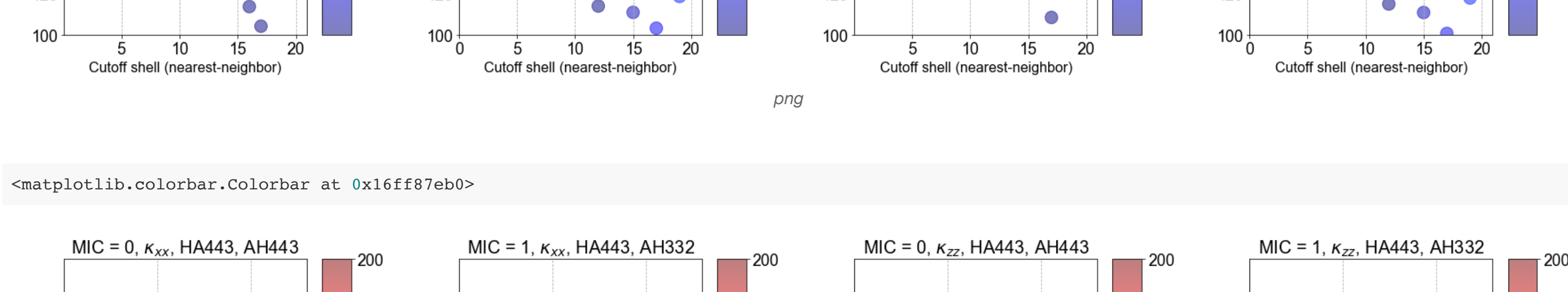
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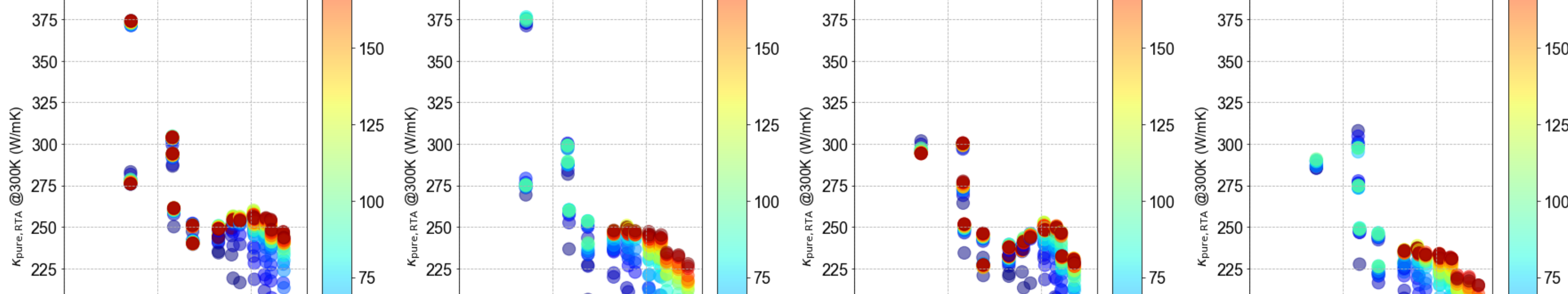
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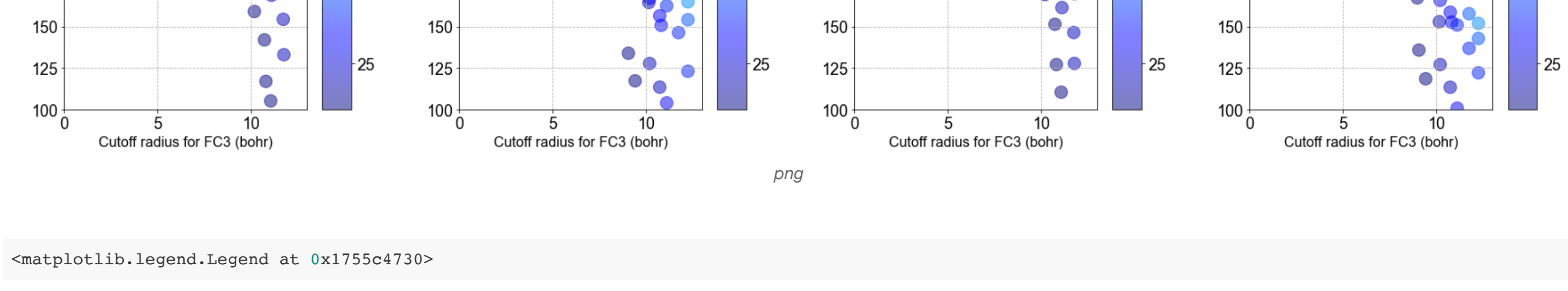
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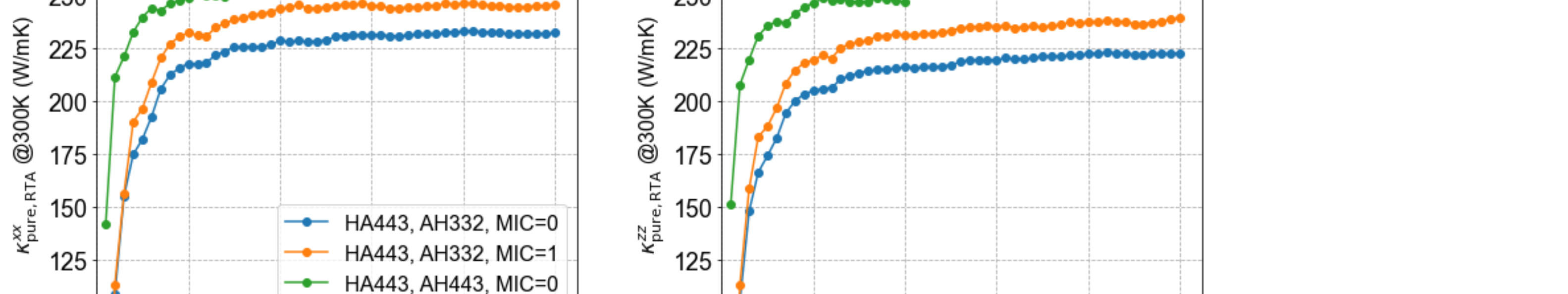
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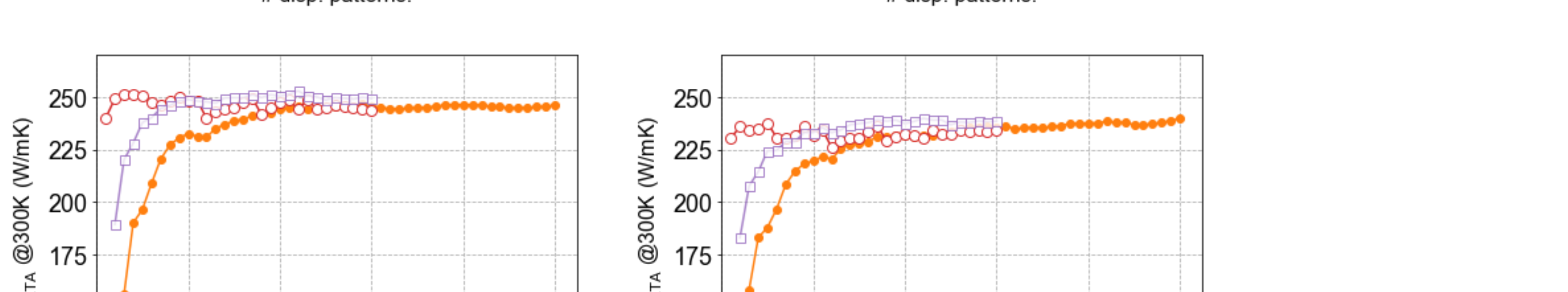
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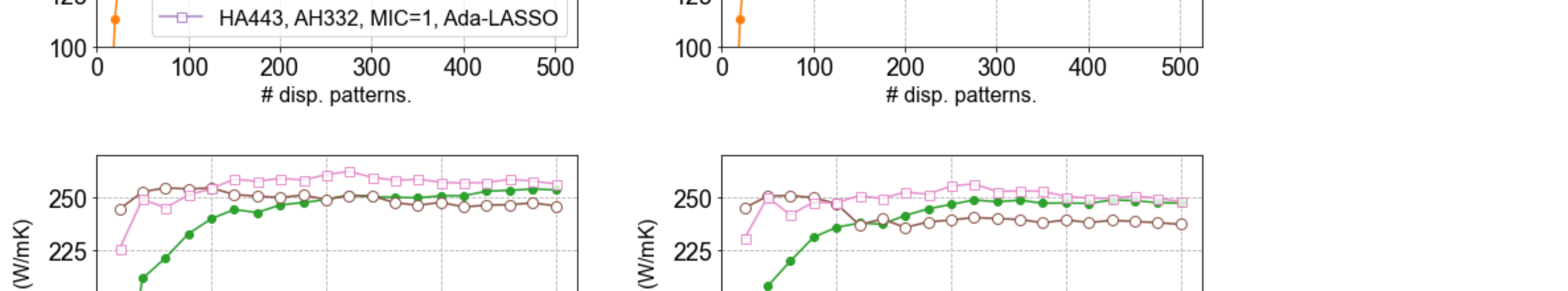
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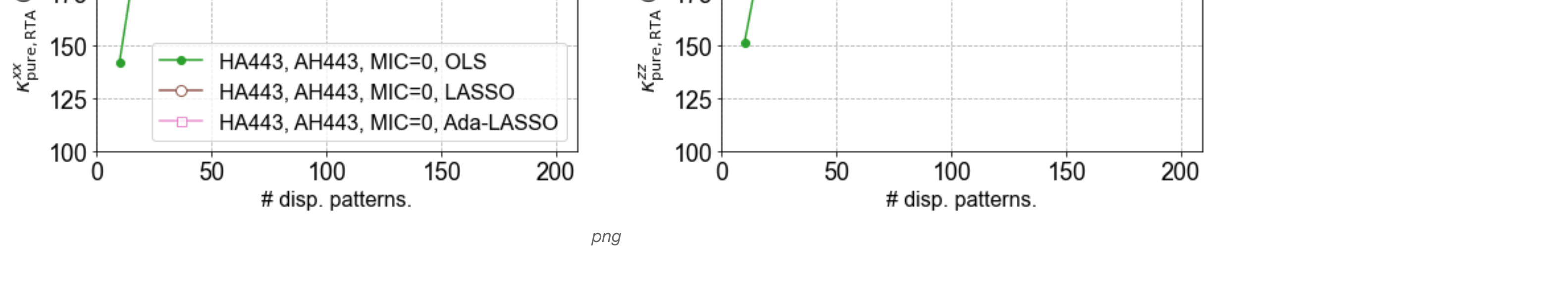
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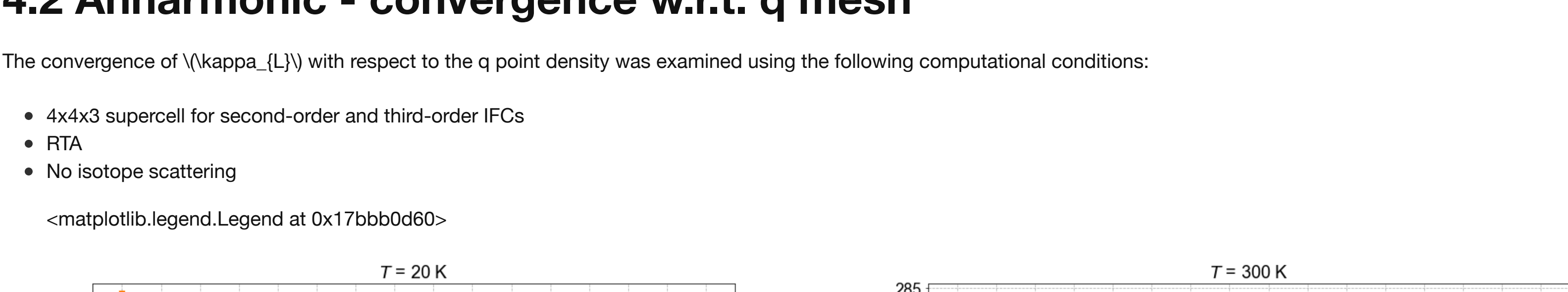
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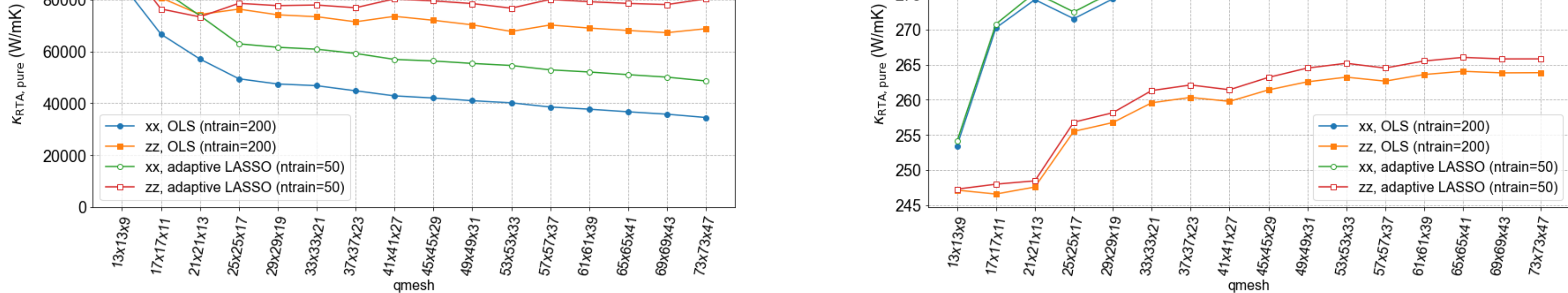
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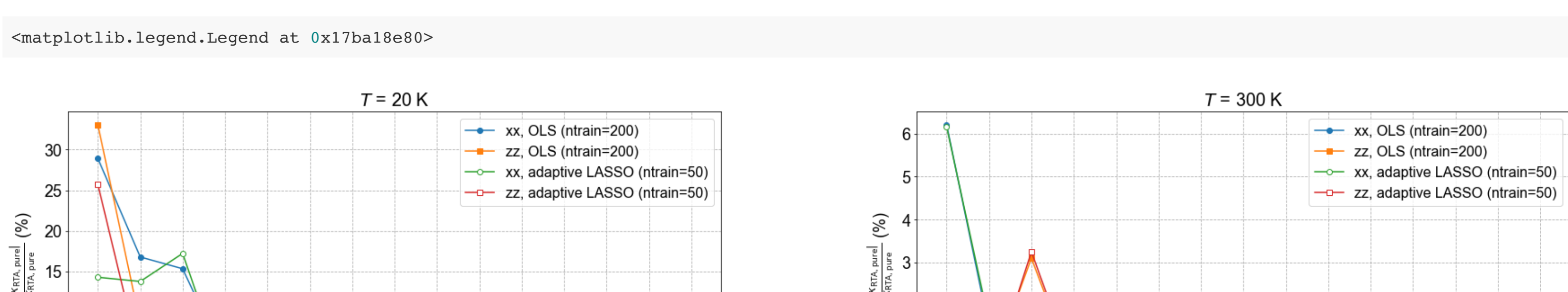
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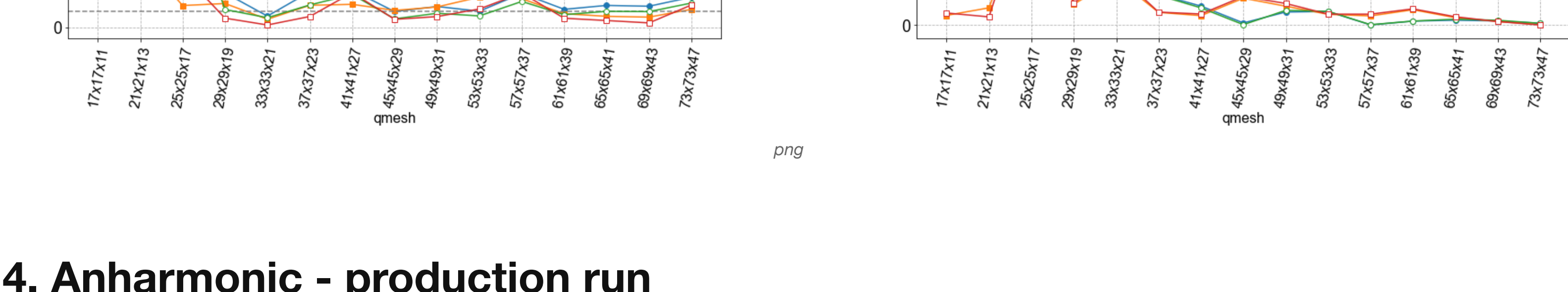
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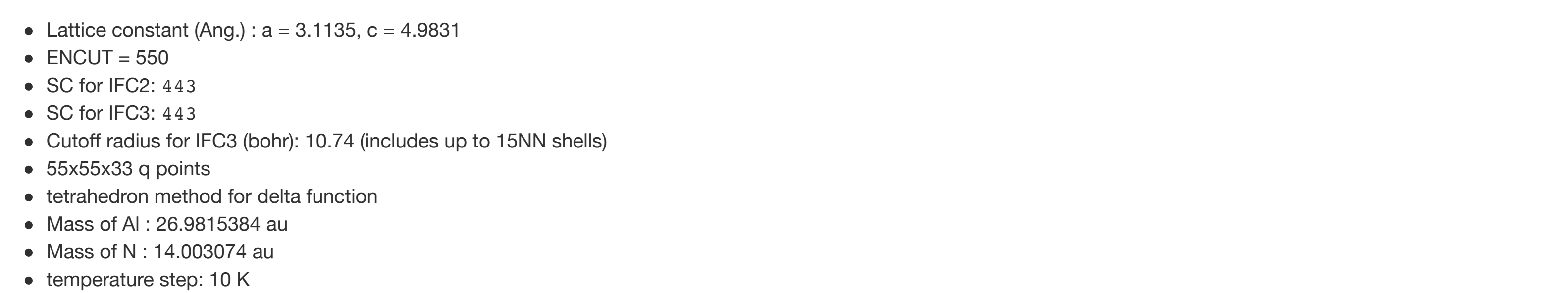
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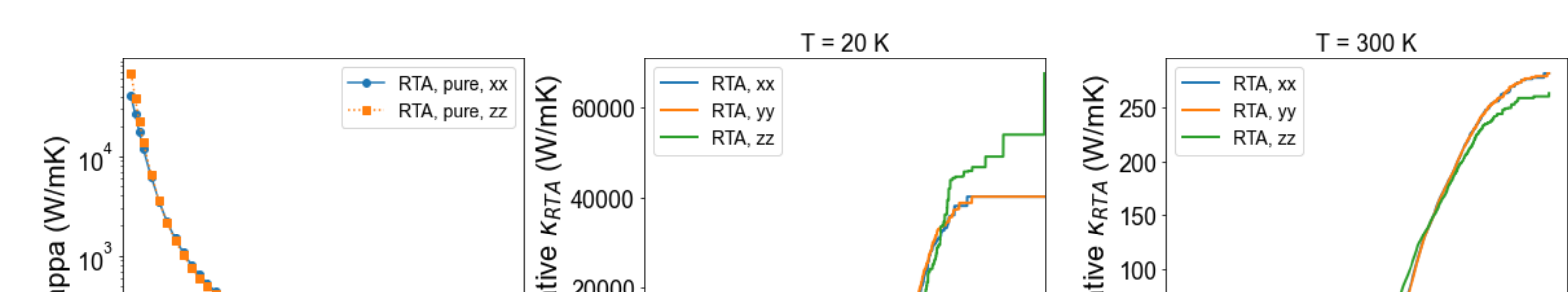
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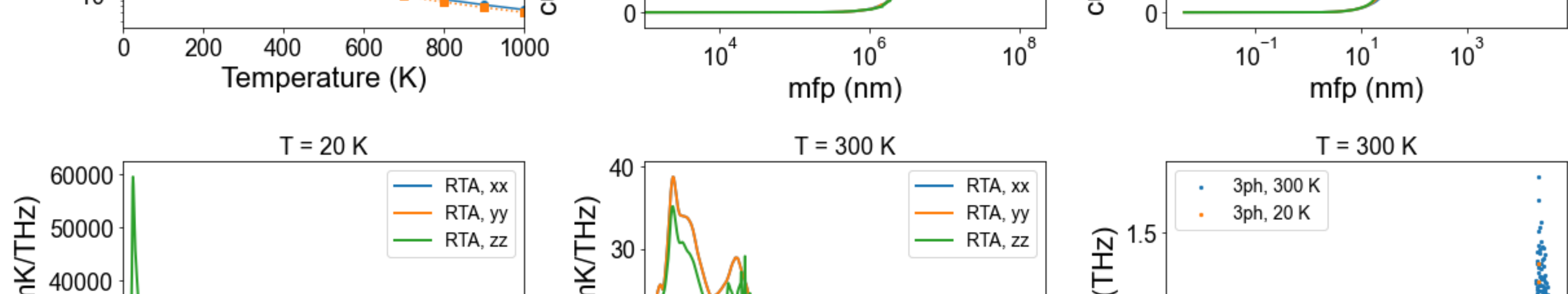
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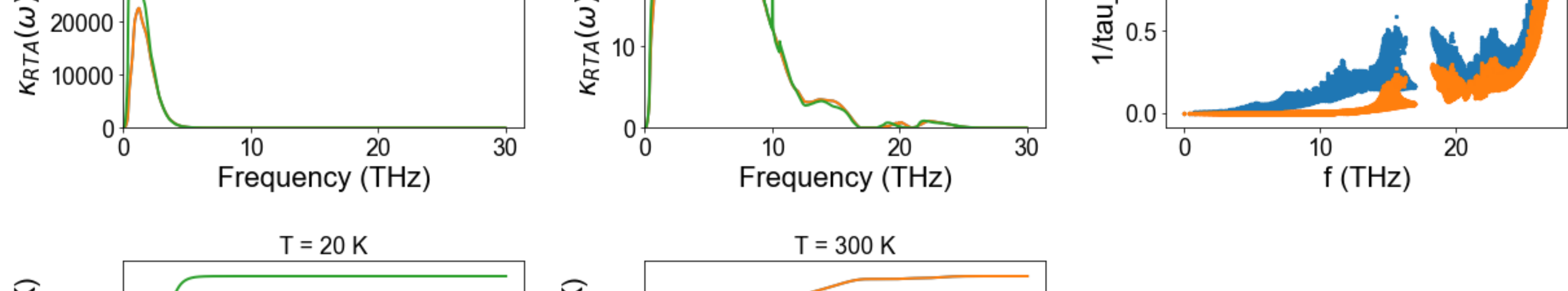
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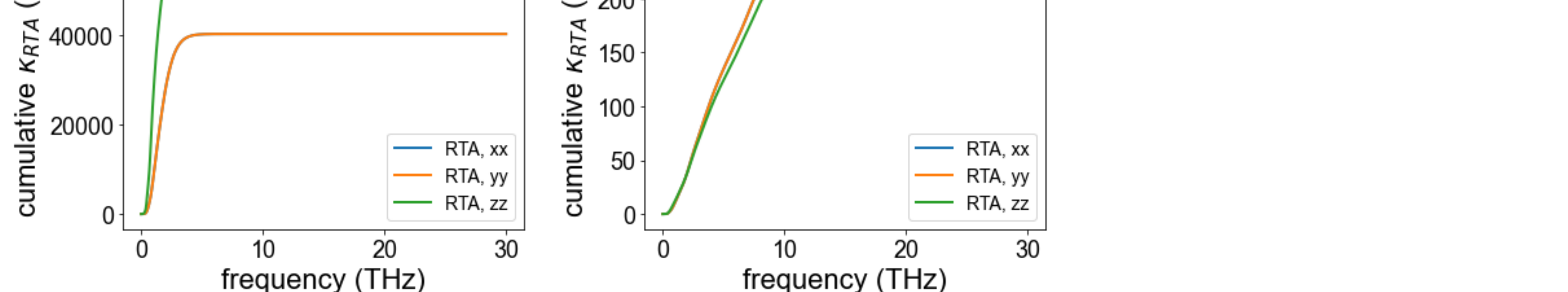
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