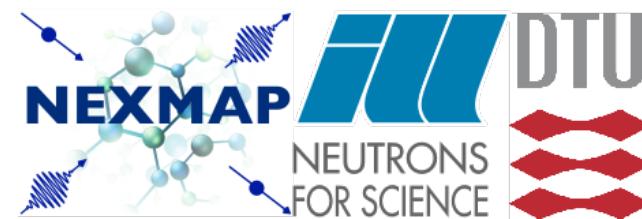
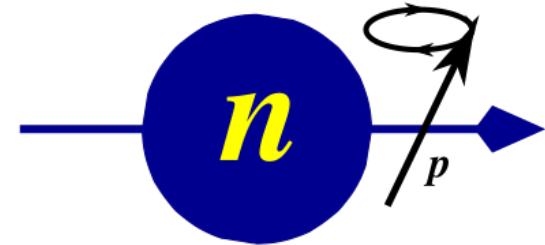


Erik Bergbäck Knudsen

# Polarization in McStas



# McStas



Simulating Polarized Neutron Scattering Experiments  
and Equipment with McStas

Erik Bergbäck Knudsen, DTU Physics



## Mcstas “particle” model recap.

Neutron ray/package:

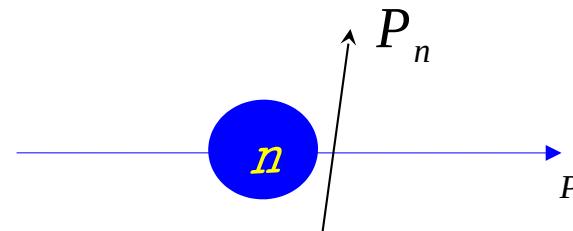
Weight: (p) # neutrons left in the package

Position: (x, y, z)

Velocity: (v<sub>x</sub>, v<sub>y</sub>, v<sub>z</sub>)

Polarization: (s<sub>x</sub>, s<sub>y</sub>, s<sub>z</sub>)

Time: (t)



### “sub ray” level

$$P_{i,n} = 2 \left( \langle \hat{s}_{x,i} \rangle \hat{i}_{x,i} + \langle \hat{s}_{y,i} \rangle \hat{i}_{y,i} + \langle \hat{s}_{z,i} \rangle \hat{i}_{z,i} \right)$$

From G. Williams: "Polarized neutrons", Oxford Science Publ., 1988

### Ray level

$$P_n = \frac{1}{p_n} \sum_i^p P_{i,n}; n = \text{raynumber}$$

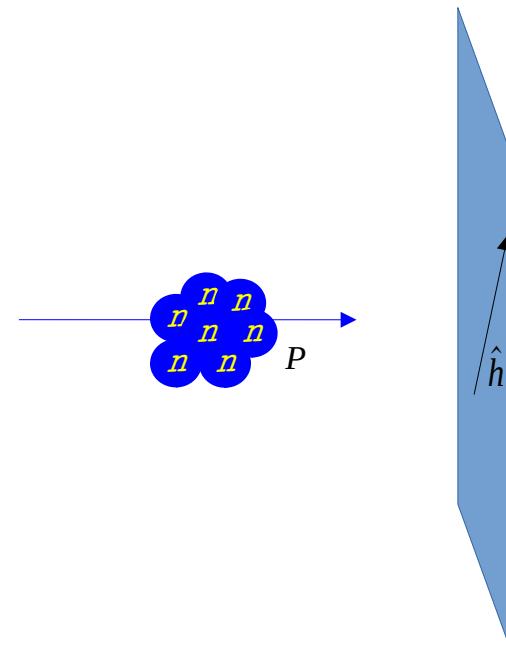
### Beam level

$$P = \frac{1}{N} \sum_{n=0}^N P_n$$



## McStas detectors/monitors

Monitoring: How and What do we monitor?

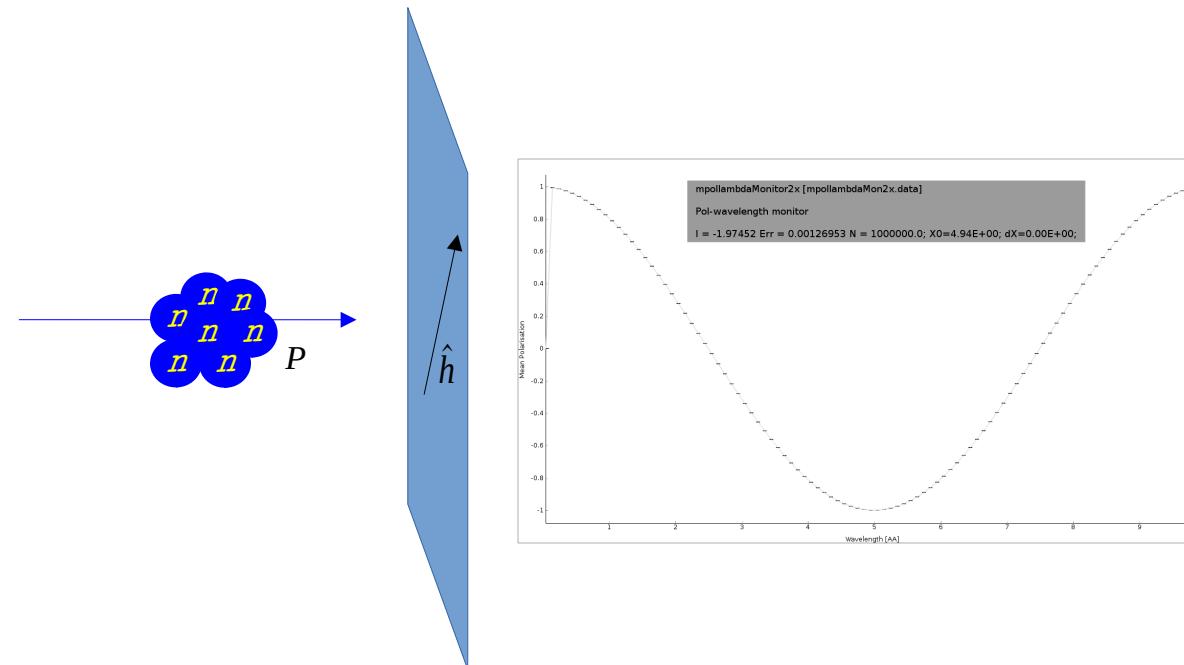


$$P_{\hat{h}} = \frac{\sum_{n=0}^N p_n P_n \cdot \hat{h}}{\sum_n p_n}$$



## McStas detectors/monitors

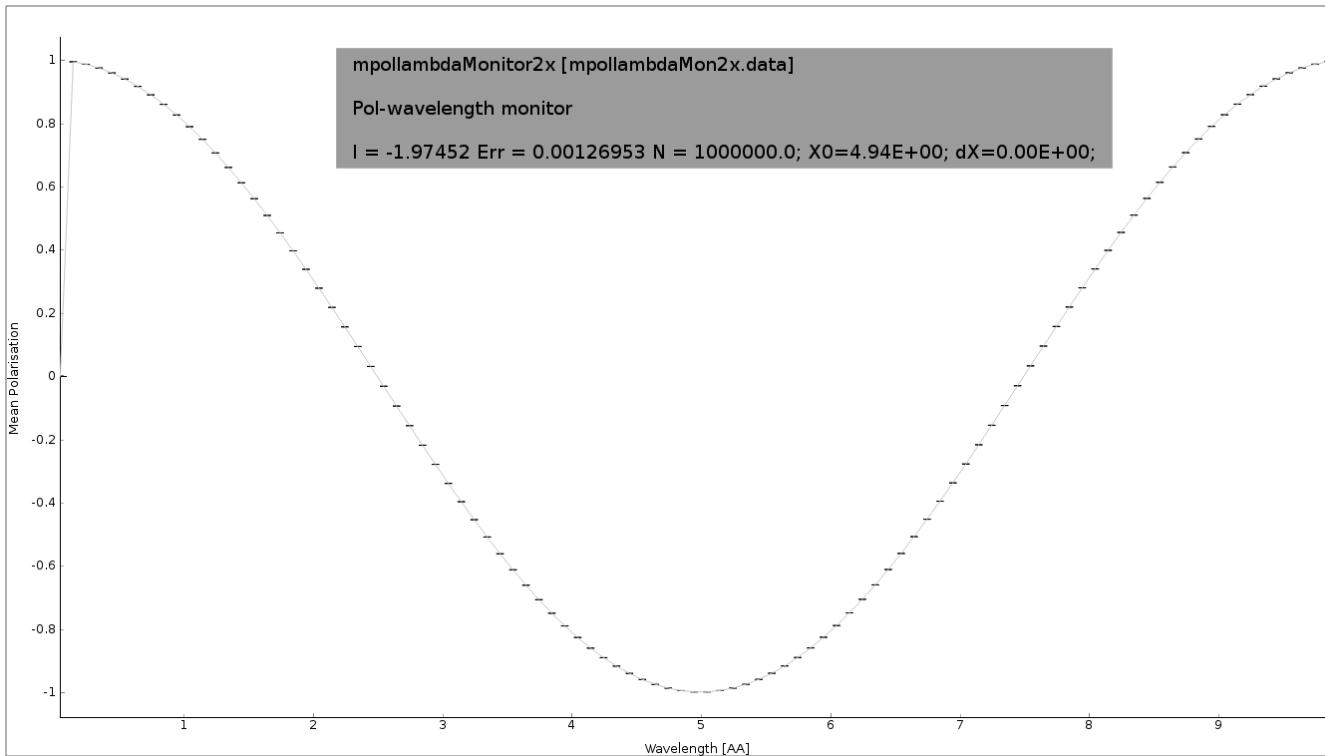
Monitoring: How and What do we monitor?





## McStas detectors/monitors

Monitoring: How and What do we monitor?





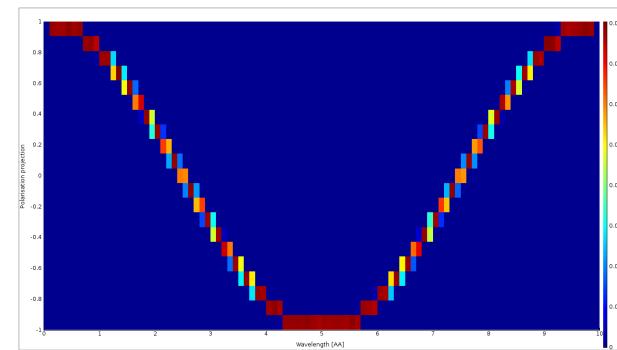
## Polarization monitors

- Available monitors:
  - `Pol_monitor.comp`: 0D
  - `PolLambda_monitor.comp`: 2D
  - `MeanPolLambda_monitor.comp`: 1D

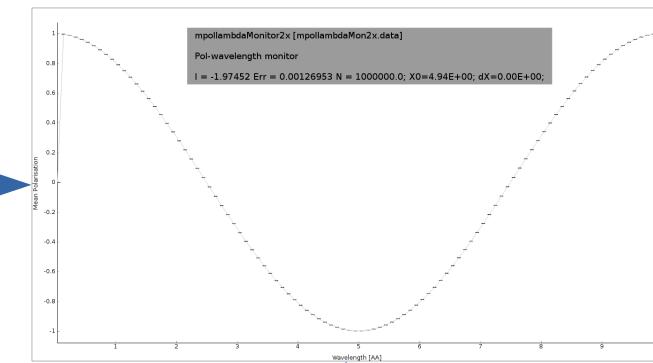


## McStas polarization monitors

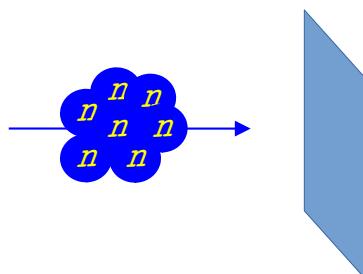
PolLambda\_monitor



MeanPolLambda\_monitor



Pol\_monitor  
 $P \parallel (m_x, m_y, m_z) = 0.87$



## Polarization components in McStas 2.7

### Magnetic fields:

- `Pol_FieldBox.comp`
- `Pol_constBfield.comp`
- `Pol_Bfield.comp`
- `Pol_Bfield_stop.comp`
- `Pol_triafield.comp`

### Monitors:

- `Pol_monitor.comp`
- `MeanPolLambda_monitor.comp`
- `PolLambda_monitor.comp`

### Contrib:

- `Foil_flipper_magnet.comp`
- `Single_magnetic_crystal.comp`

### Sample:

- `Single_magnetic_crystal.comp`

### Optics:

- `Monochromator_pol.comp`
- `Pol_bender.comp`
- `Pol_guide_vmirror.comp`
- `Pol_mirror.comp`
- `Pol_pi_2_rotator.comp`
- `Transmission_polarisatorABSnT.comp`
- `Pol_bender_tapering.comp`
- `Pol_straight_tapering.comp`
- `He3_cell.comp`
- `RF_flipper.comp`

### Idealized components:

- `PolAnalyser_ideal.comp`
- `Set_pol.comp`



## McStas precession algorithm

- Magnetic fields in McStas
- The challenge:
  - \* Fast beam/ray transport:  $rays > 10^6$
  - \* Unknown magnetic field and field strength
  - \*  $> 1$  Magnet → nested fields.


*McStas*


## McStas precession algorithm

```

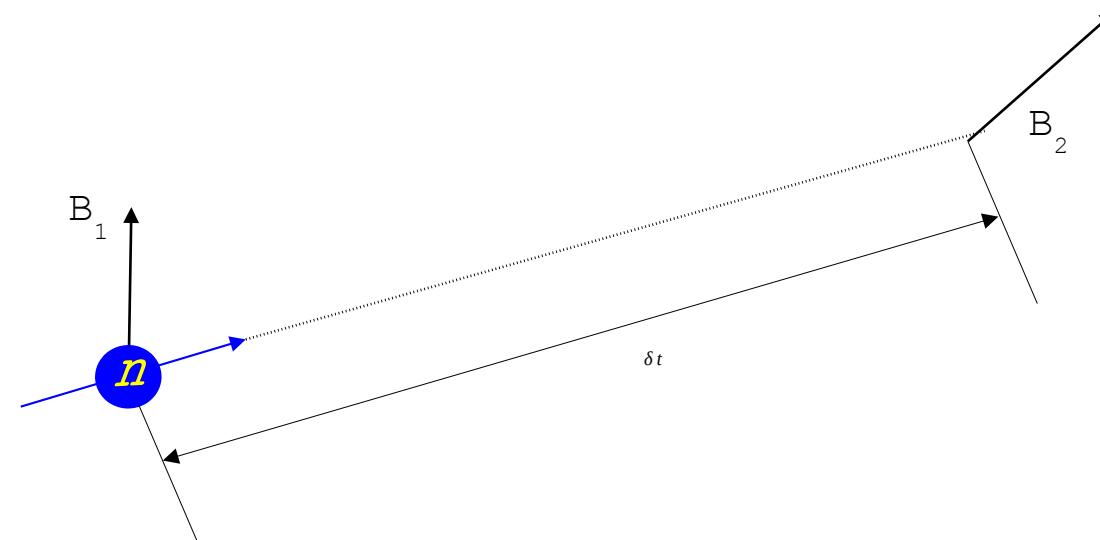
while  $n_t < t_{\text{target}}$  do
  store neutron;
  sample magnetic field:  $\mathbf{B}_1 = \mathbf{B}(n_x, n_y, n_z, n_t)$ ;
  propagate neutron:  $\delta t (< \Delta t)$ ;
  sample magnetic field:  $\mathbf{B}_2 = \mathbf{B}(n_x, n_y, n_z, n_t)$ ;
  while  $|\mathbf{B}_1 - \mathbf{B}_2| > \delta B_{\text{threshold}}$  do
    restore neutron;
     $\delta t := \delta t / 2$ ;
    propagate neutron:  $\delta t (< \Delta t)$ ;
    sample magnetic field:  $\mathbf{B}_1 = \mathbf{B}(n_x, n_y, n_z, n_t)$ ;
    precess polarization:  $\mathbf{P}_n$  by  $\omega$  around  $\frac{\mathbf{B}_1 + \mathbf{B}_2}{2}$ ;
  
```

**Algorithm 1:** SimpleNumMagnetPrecession: Simplistic algorithm for tracking polarization of a Monte-Carlo neutron in a magnetic field. The neutron's state is stored as a position  $(n_x, n_y, n_z)$ , a velocity  $\mathbf{v}$ , time  $n_t$ , and polarization vector  $\mathbf{P}_n$ .

From: Knudsen et.al., *J. Neutron Research*, 2014

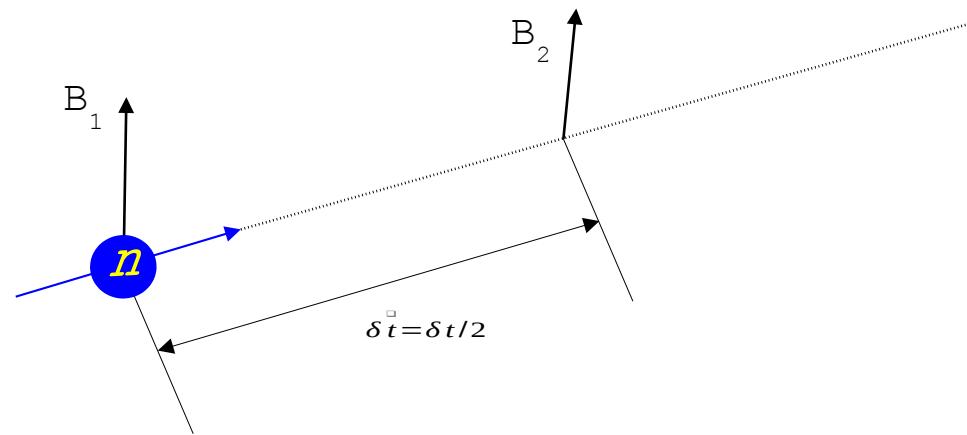


## McStas precession algorithm





## McStas precession algorithm




*McStas*


## McStas precession algorithm

```

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  sample magnetic field:  $\mathbf{B}_2 = \mathbf{B}(n_x, n_y, n_z, n_t)$ ;
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    restore neutron;
     $\delta t := \delta t / 2$ ;
    propagate neutron:  $\delta t (< \Delta t)$ ;
    sample magnetic field:  $\mathbf{B}_1 = \mathbf{B}(n_x, n_y, n_z, n_t)$ ;
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From: Knudsen et.al., *J. Neutron Research*, 2014


*McStas*


## McStas precession algorithm

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while  $n_t < t_{\text{target}}$  do
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  sample magnetic field:  $\mathbf{B}_2 = \mathbf{B}(n_x, n_y, n_z, n_t)$ ;
  while  $|\mathbf{B}_1 - \mathbf{B}_2| > \delta B_{\text{threshold}}$  do
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    propagate neutron:  $\delta t(< \Delta t)$ ;
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From: Knudsen et.al., *J. Neutron Research*, 2014



## McStas precession algorithm

```

while  $n_t < t_{target}$  do
  store neutron;
  sample magnetic field:  $\mathbf{B} = \mathbf{B}(n_x, n_y, n_z, n_t)$ ;
  propagate neutron:  $\delta n_t := dt$ ; void mc_pol_set_timestep(double dt);
  sample magnet:  $\mathbf{B}_1 = \mathbf{B}(n_x, n_y, n_z, n_t + \delta n_t)$ ;
  while  $|\mathbf{B}_1 - \mathbf{B}| > \text{domega}$  void mc_pol_set_angular_accuracy(double domega);
    restore neutron;
     $\delta t := \delta n_t / 2$ ; dt := delta_t / 2;
    propagate neutron:  $\delta n_t := \delta t < \Delta t$ ;
    sample magnetic field:  $\mathbf{B}_1 = \mathbf{B}(n_x, n_y, n_z, n_t + \delta n_t)$ ;
    precess polarization:  $\mathbf{P}_n$  by  $\omega$  around  $\frac{\mathbf{B}_1 + \mathbf{B}_2}{2}$ ;
  
```

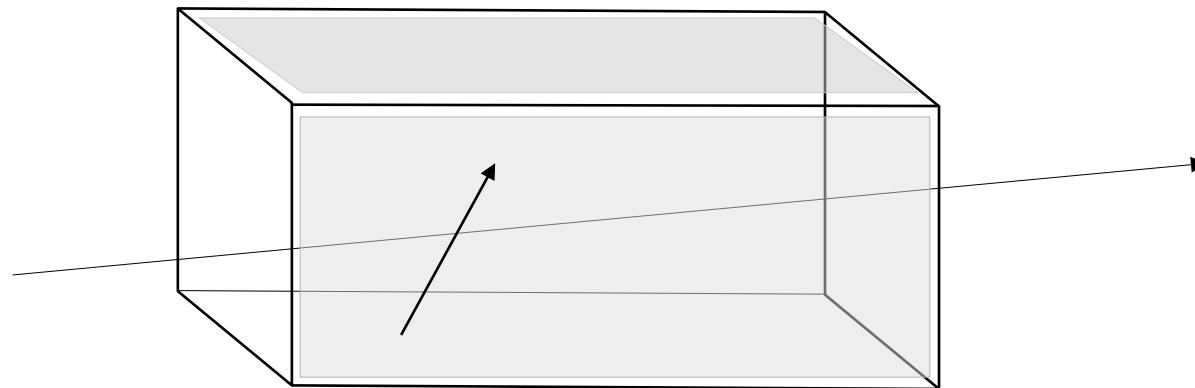
**Algorithm 1:** SimpleNumMagnetPrecession: Simplistic algorithm for tracking polarization of a Monte-Carlo neutron in a magnetic field. The neutron's state is stored as a position ( $n_x, n_y, n_z$ ), a velocity  $\mathbf{v}$ , time  $n_t$ , and polarization vector  $\mathbf{P}_n$ .

From: Knudsen et.al., *J. Neutron Research*, 2014



## McStas magnetic fields

- Pol\_constBfield.comp
- Single constant Magnetic field in a "box".
- - user may specify a wavelength to flip.
  - blocking walls

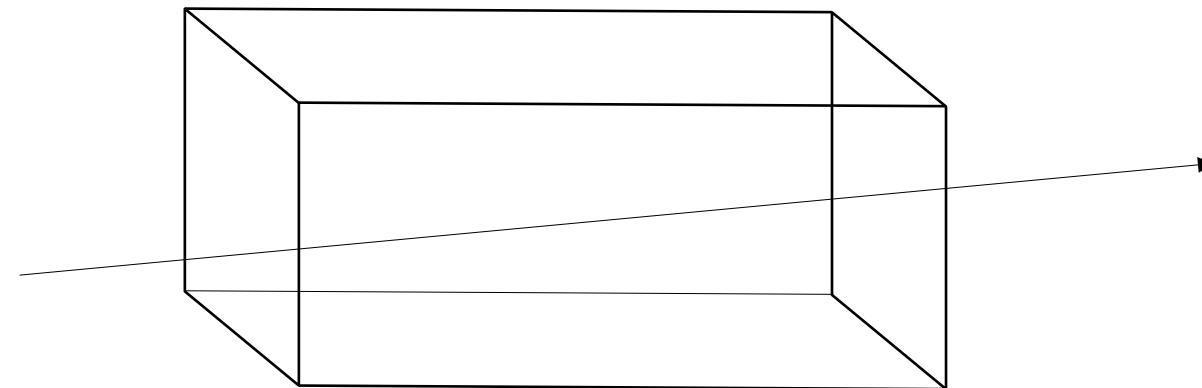




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## McStas magnetic fields

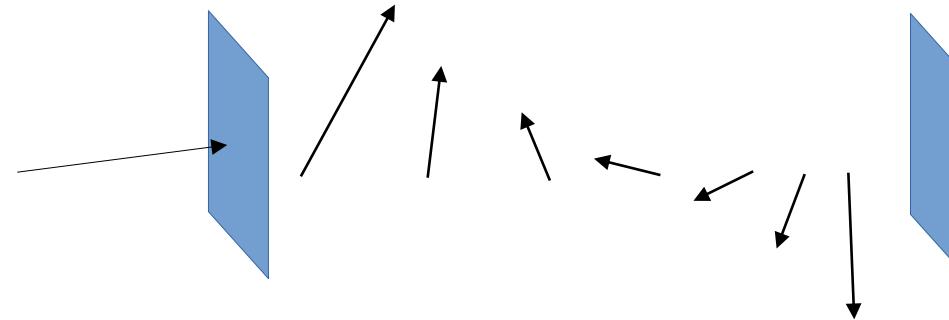
- `Pol_FieldBox.comp`
- Single Magnetic field in a “box”
- - optional user supplied field c-function





## McStas magnetic fields

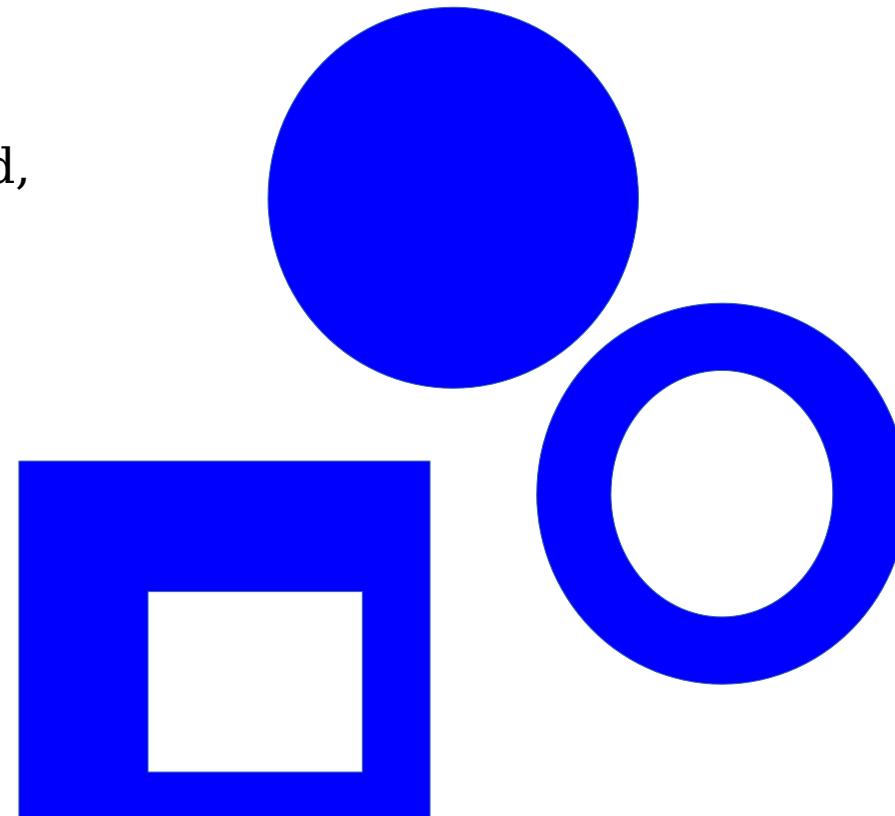
- Pol\_Bfield.comp
- Pol\_Bfield\_stop.comp
  - - Entry/Exit construction allows for nested magnetic field descriptions.
  - Any magnetic fields through user supplied c-function
  - Tabled magnetic fields





Windows can be many shapes

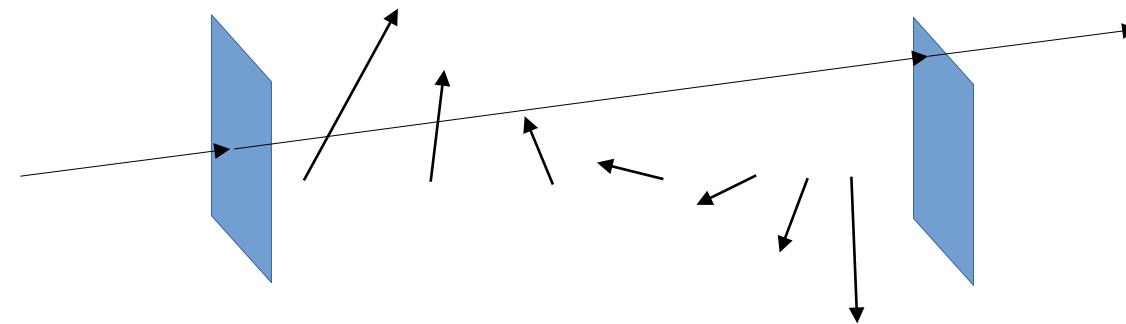
B-Fields: constant, functional, tabled,  
... in more general shapes





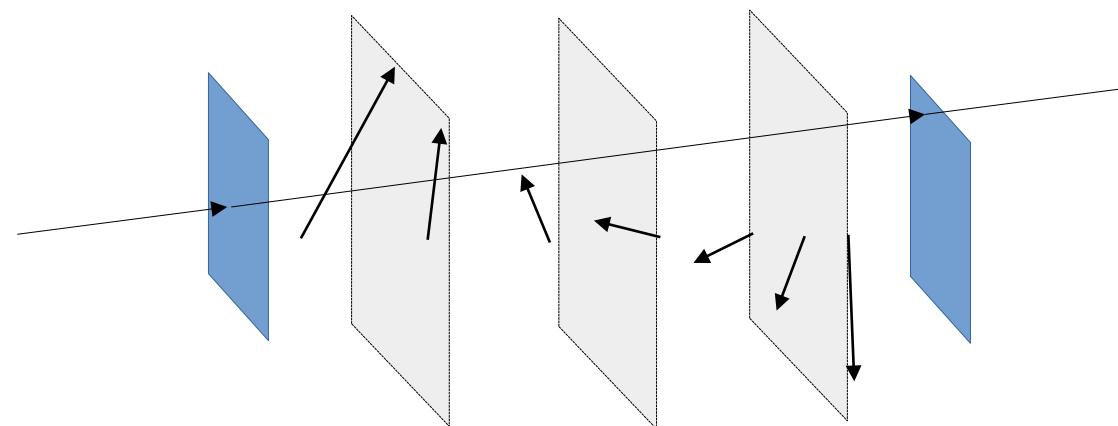
## McStas Polarization Capabilities IV

- Pol\_Bfield.comp
- Pol\_Bfield\_stop.comp
  - - Entry/Exit construction allows for nested magnetic field descriptions.
  - Any magnetic fields through user supplied c-function
  - Tabled magnetic fields



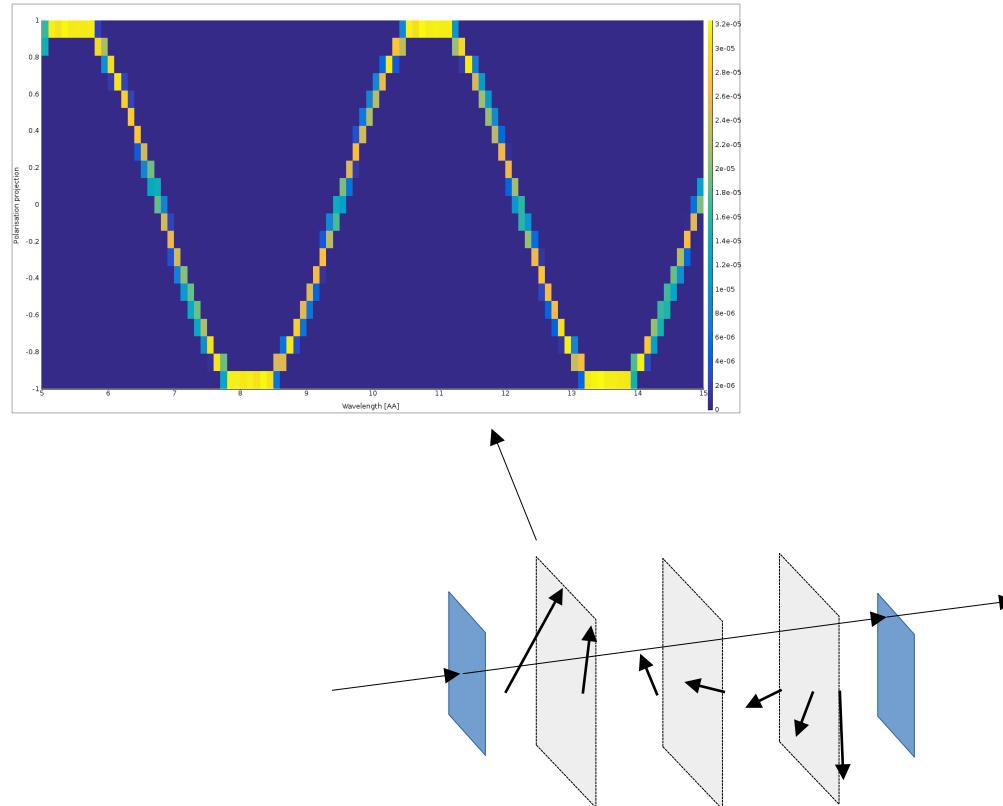


Pol\_monitors along the way...



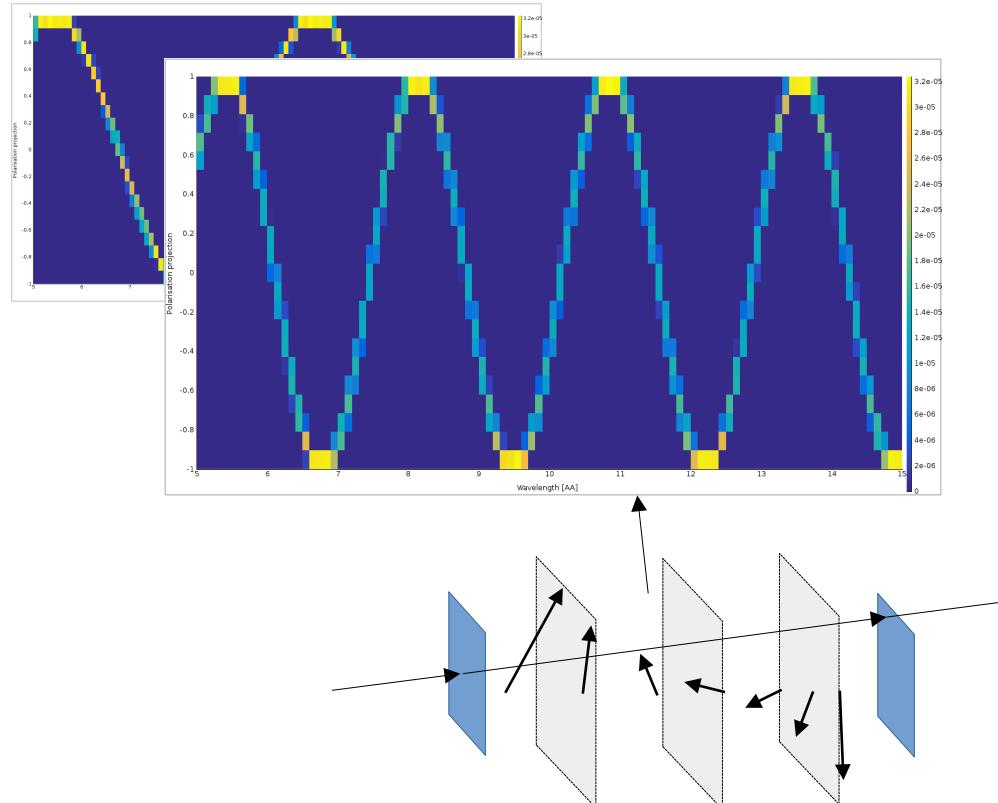


Pol\_monitors along the way...



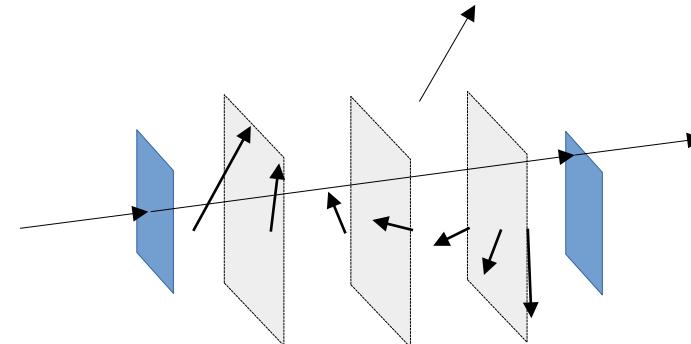
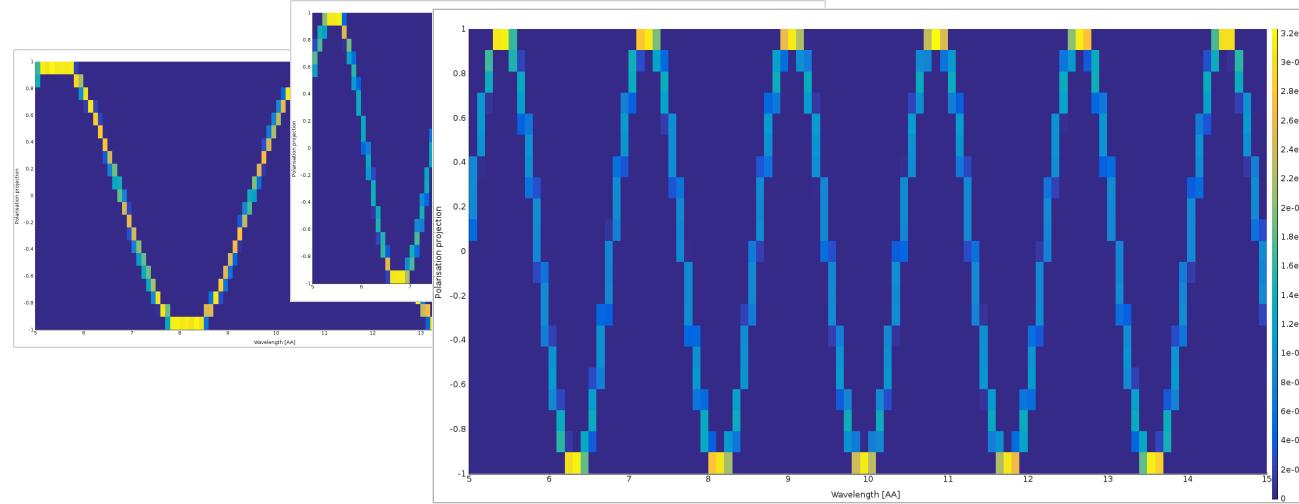


Pol\_monitors along the way...



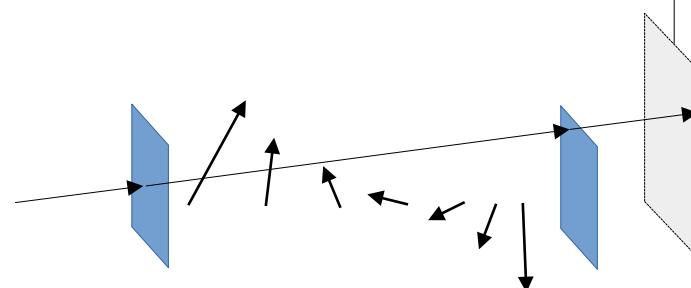
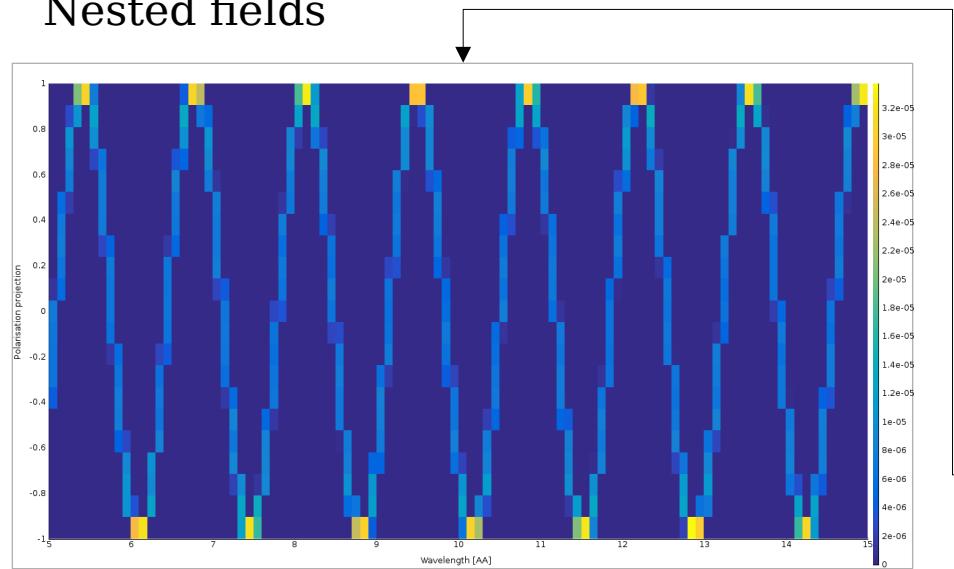


## Pol\_monitors along the way...



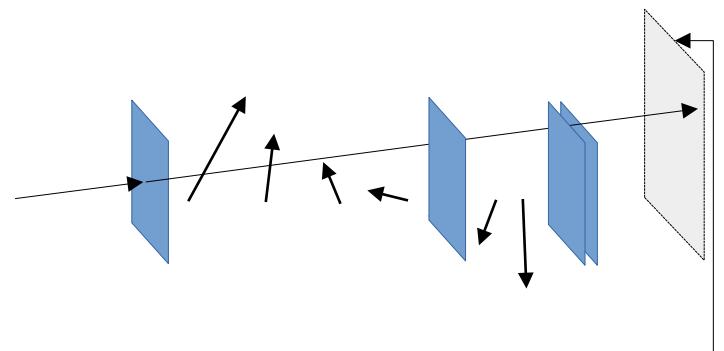
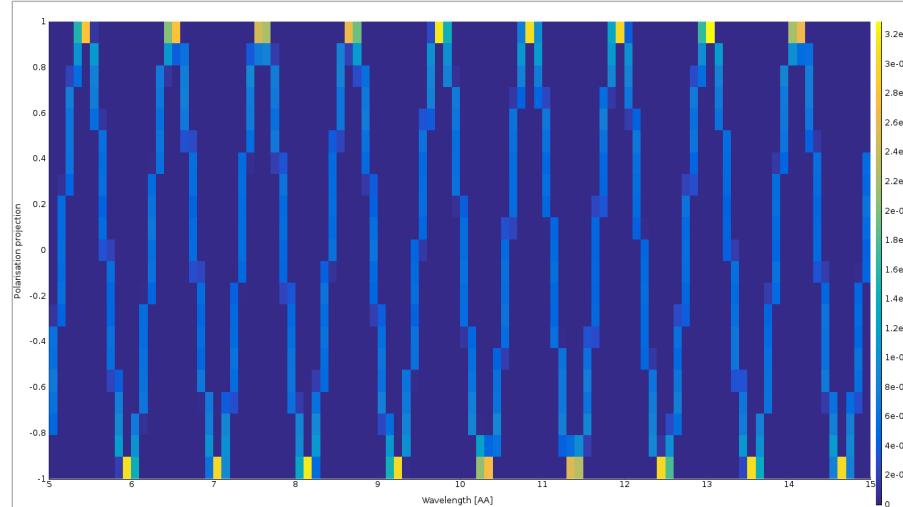


## Nested fields





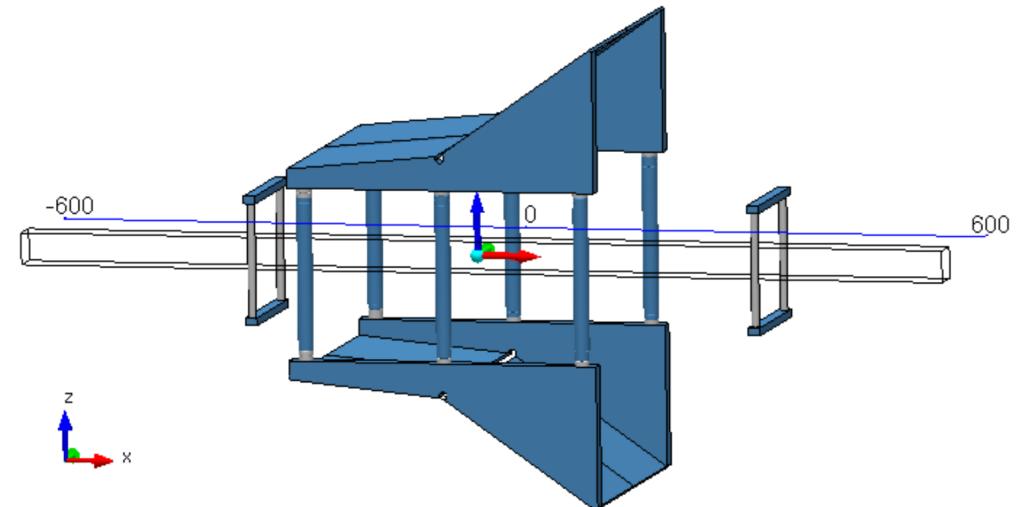
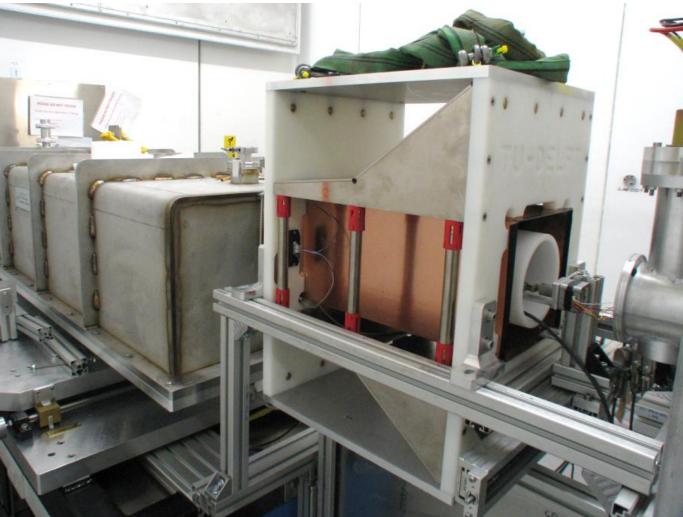
## Nested fields





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## Use of Bfield to build an RF-flipper

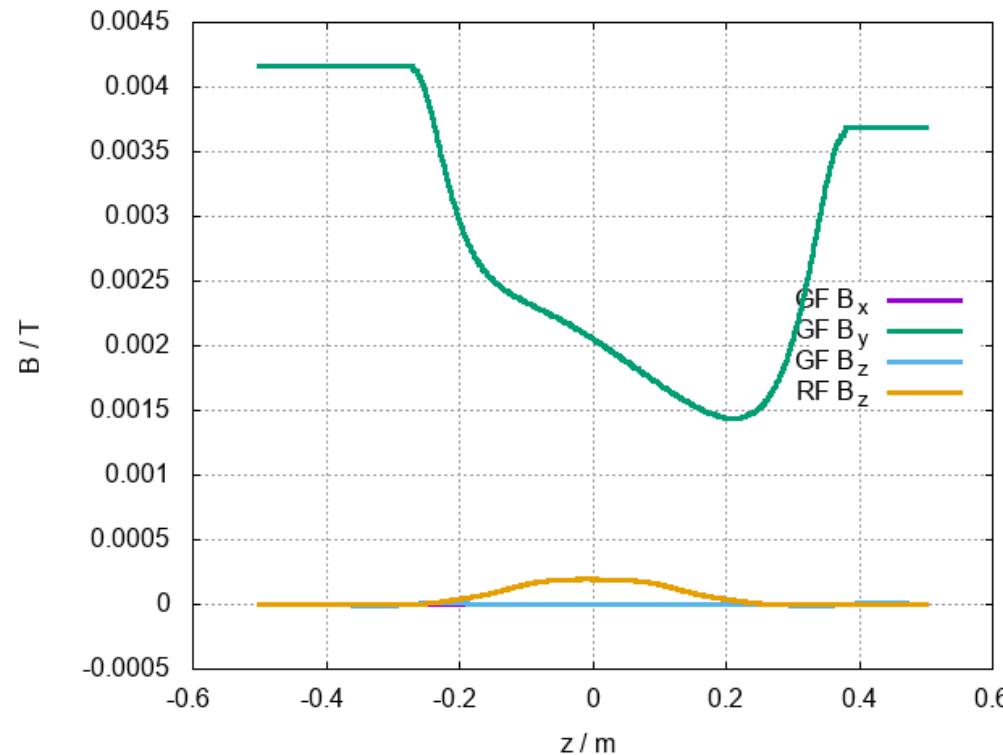


Pictures courtesy of J. Plomp & M. Thijs



## Use of Bfield to build an RF-flipper

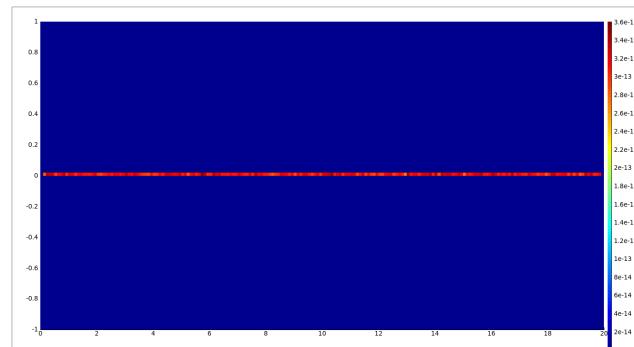
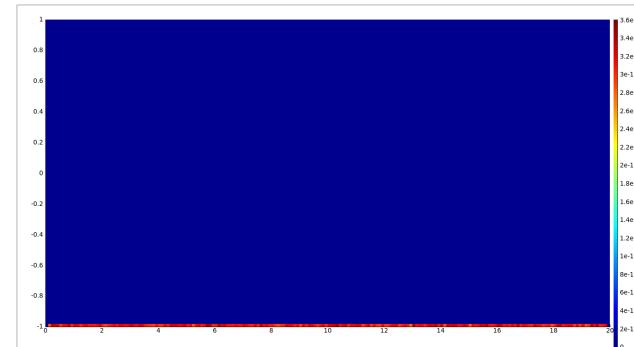
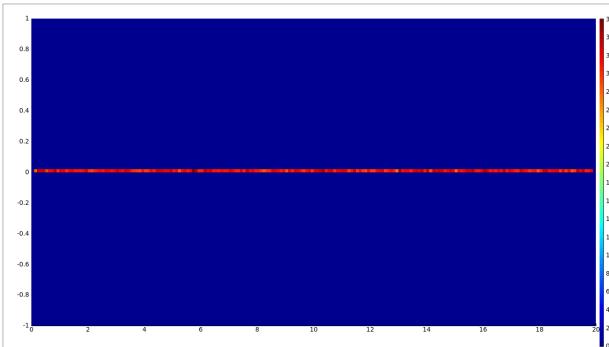
Tabled fields where the RF field is a rotating frame.



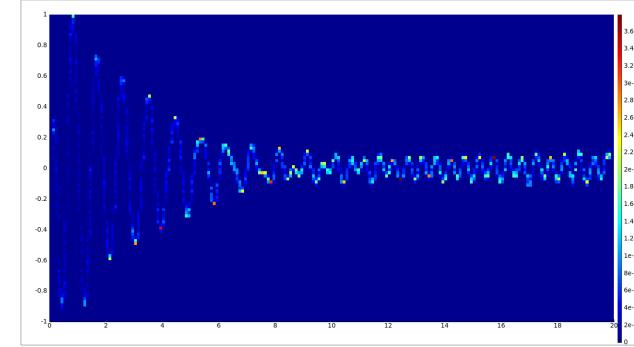
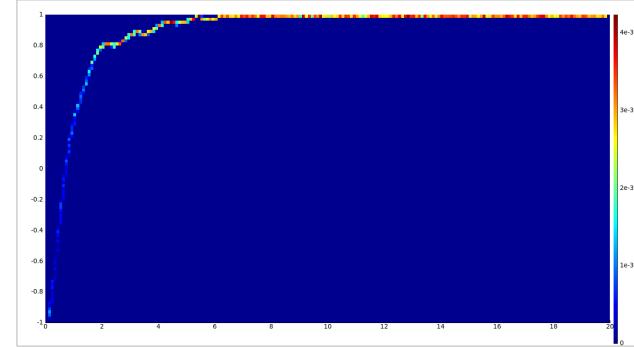
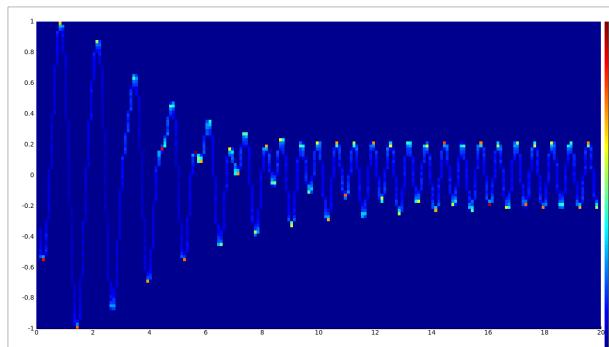


## Use of Bfield to build an RF-flipper

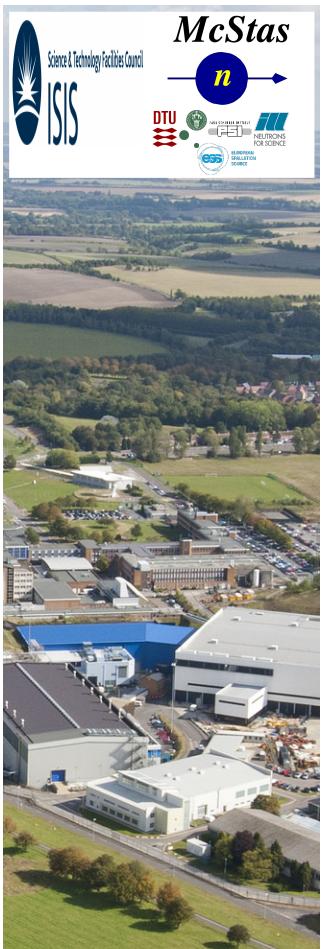
Before flipper



After flipper

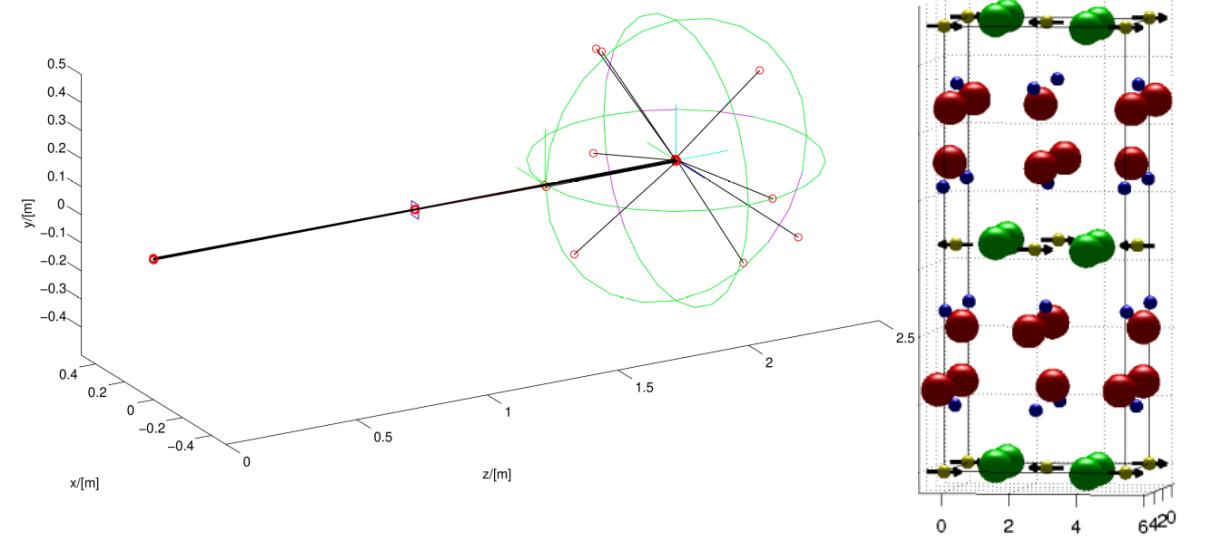


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## Magnetic Single crystal



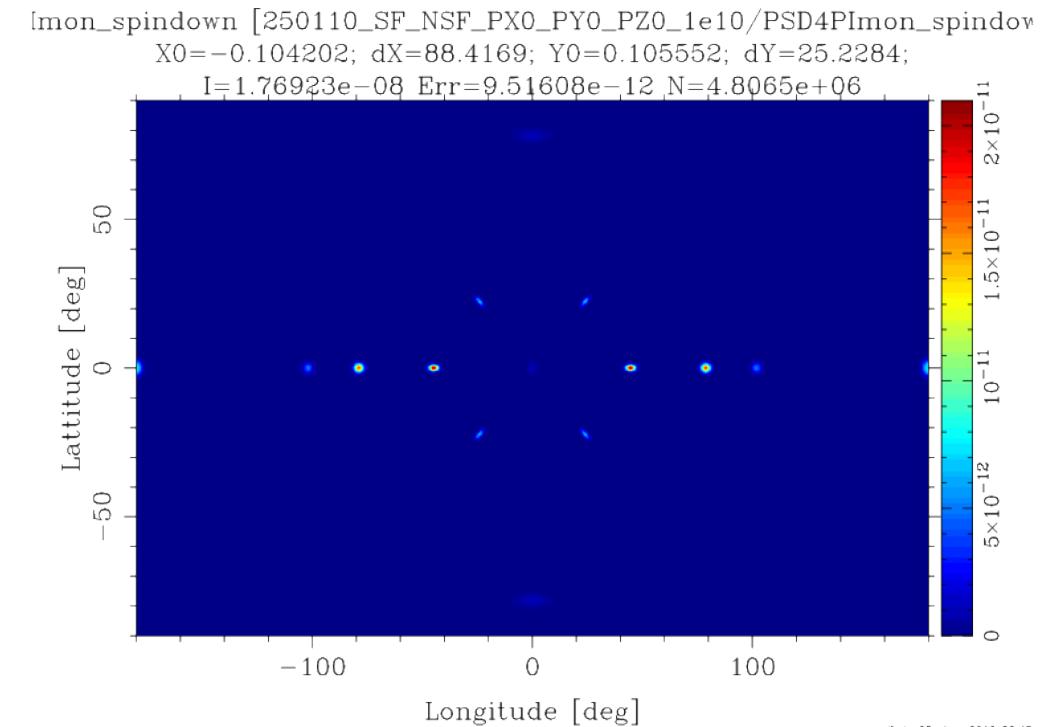
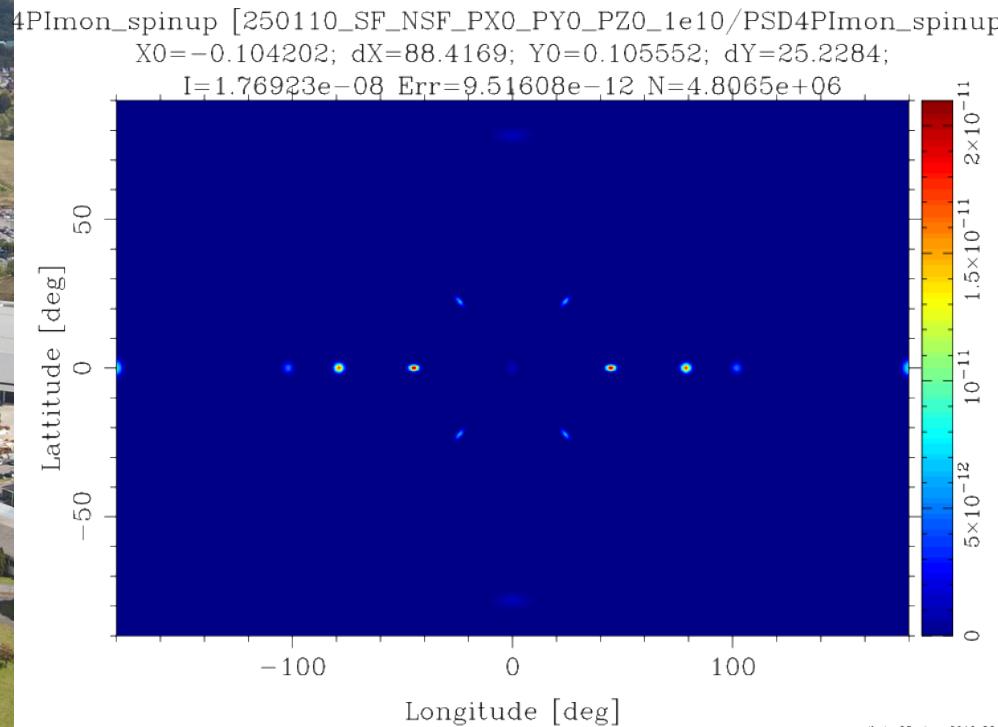
index	iontype	x	y	z	$b_{coh}[\text{fm}]$	$g_S$	$S_x$	$S_y$	$S_z$	$g_L$	$L_x$	$L_y$	$L_z$
1	Cu <sup>2+</sup>	0.5	0.5	0	7.718	2	0	-0.5	0	0	0	0	0
:	:	:	:	:	:	:	:	:	:	:	:	:	:



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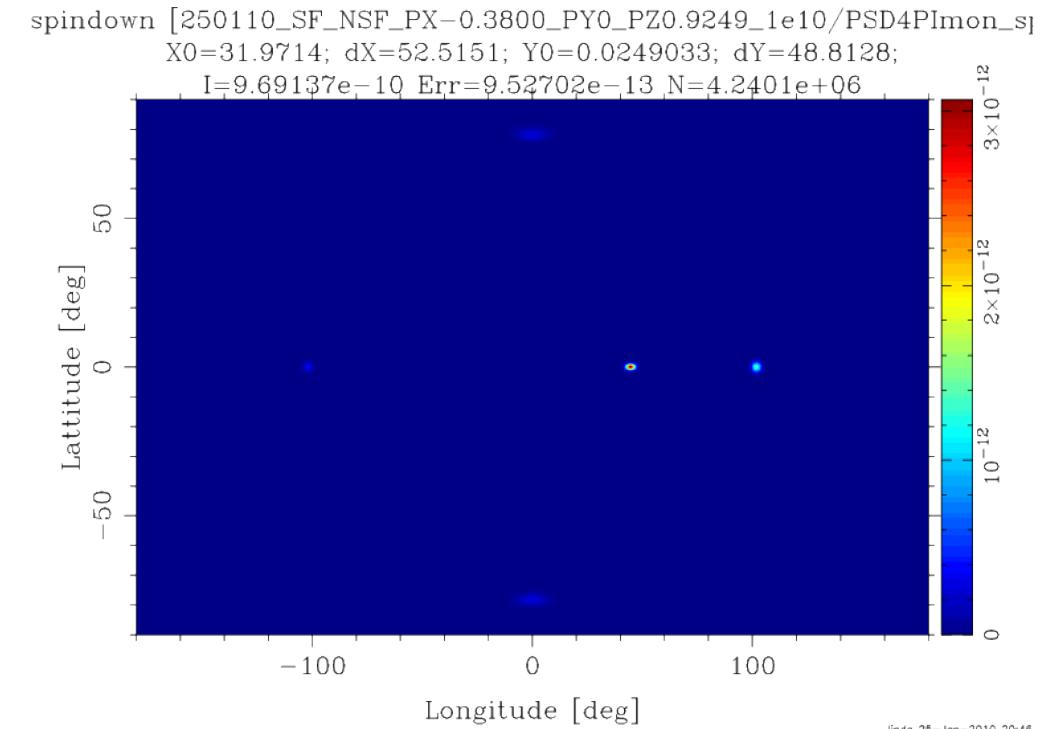
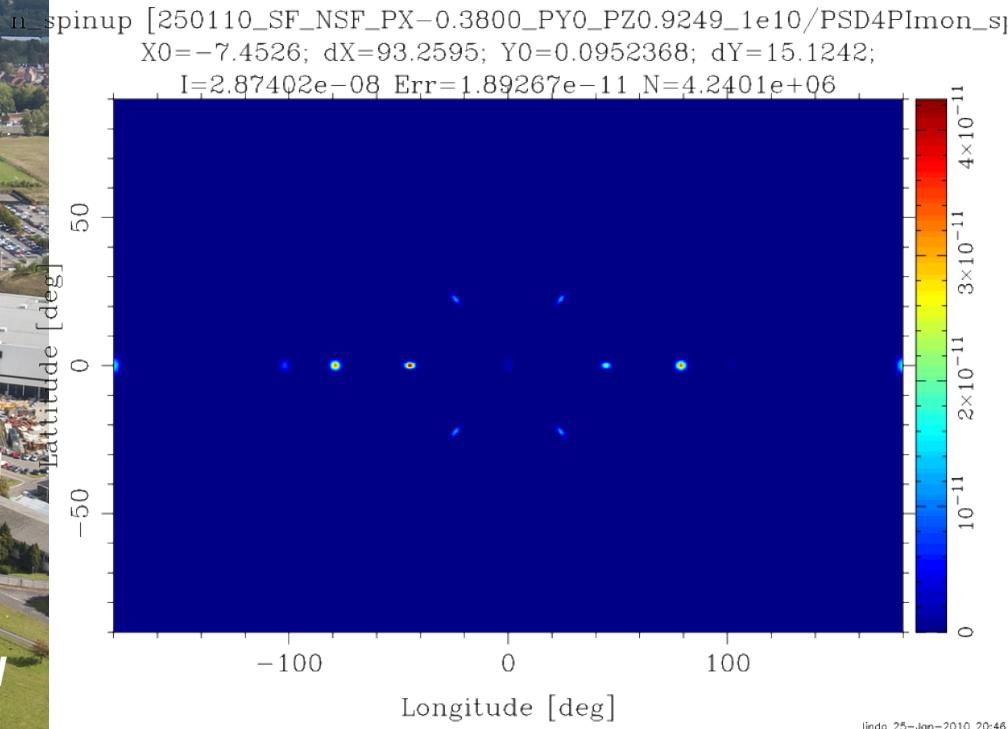
## McStas component on the way

### Magnetic single crystal – Unpolarized beam





## Magnetic Single crystal





EUROPEAN  
SPALLATION  
SOURCE

