

Previously in Molecularity . . .



Waves!

$$\psi(x, t) = A \sin\left(\frac{n\pi x}{d}\right), \quad n = 4$$

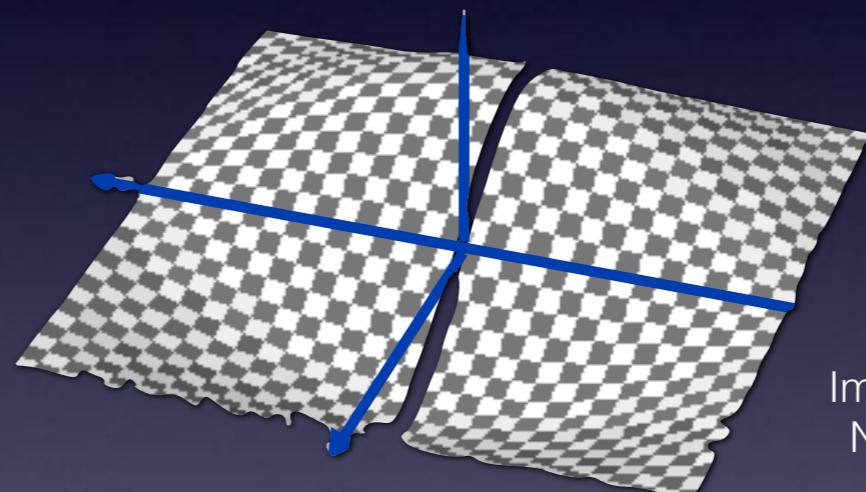
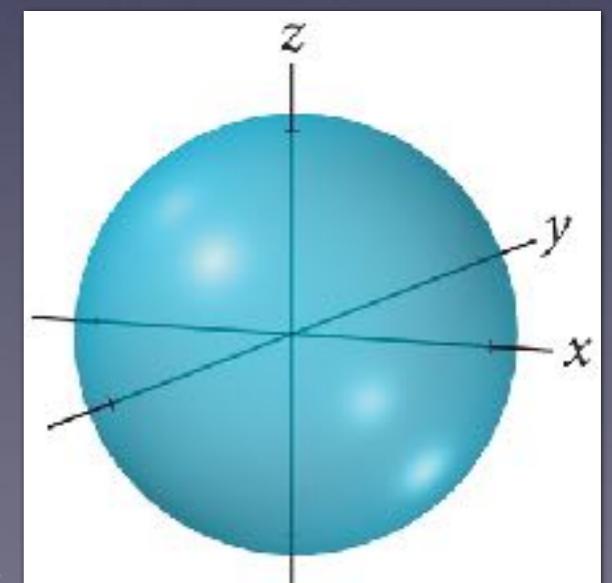


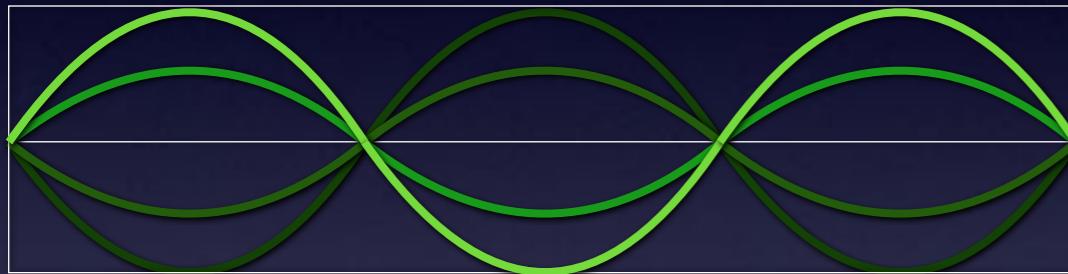
Image credit:
Nate Lewis



Tro, Fig. 7.24

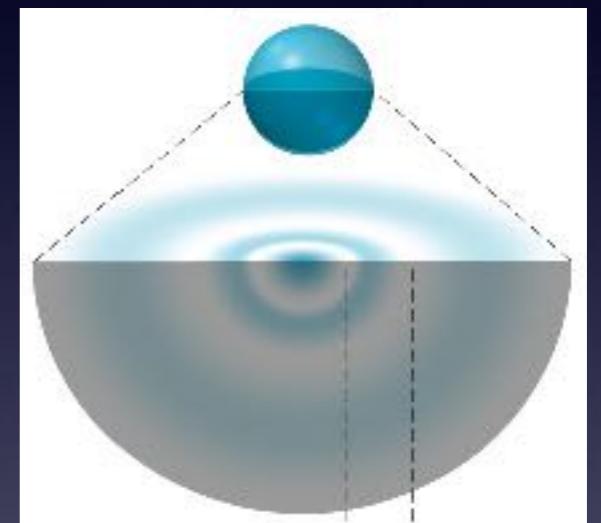
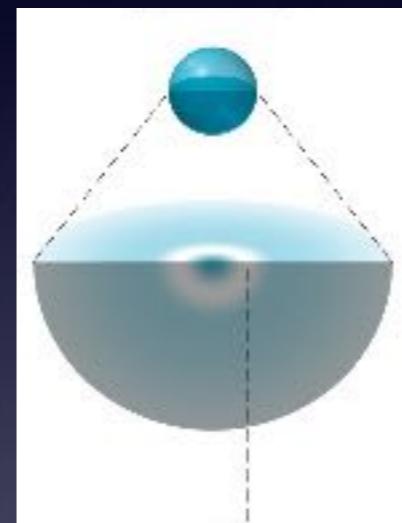
Principal quantum number, n

In one dimension:



$$\psi(x, t) = A \sin\left(\frac{n\pi x}{d}\right), \quad n = 3$$

In three dimensions:



- Takes positive integer values $n = 1, 2, 3, 4, \dots, \infty$
- Conveys information about orbital **size** and **energy**.

A photograph of a silver fork standing upright in a field of lavender. The fork's tines are pointing downwards, and its handle is pointing upwards. In the background, there is a paved road leading into a distance, flanked by green trees and bushes. The lighting suggests it is either early morning or late afternoon.

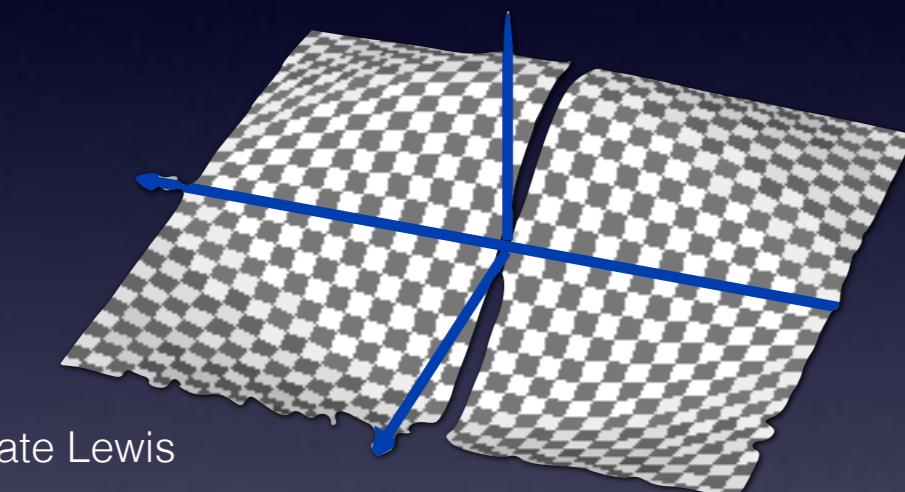
Where are we going today?

Ch1010-A17-A03 Lecture 6

- das Periodensystem
- § 2.6 Atomic orbitals:
Shapes, sizes, smells, etc.
- § 3.3 Filling electrons in orbitals
- § 3.3 Orbital filling exceptions

Angular momentum quant. num., l

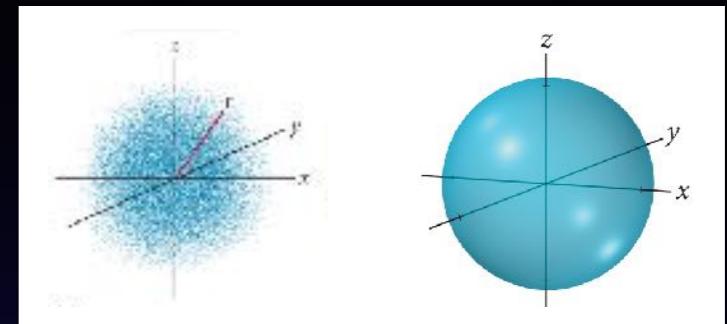
In 2D:



- For a given n value, l takes values from 0 to $n - 1$.
- Affects orbital **shape** and **energy** (but not as much as n)

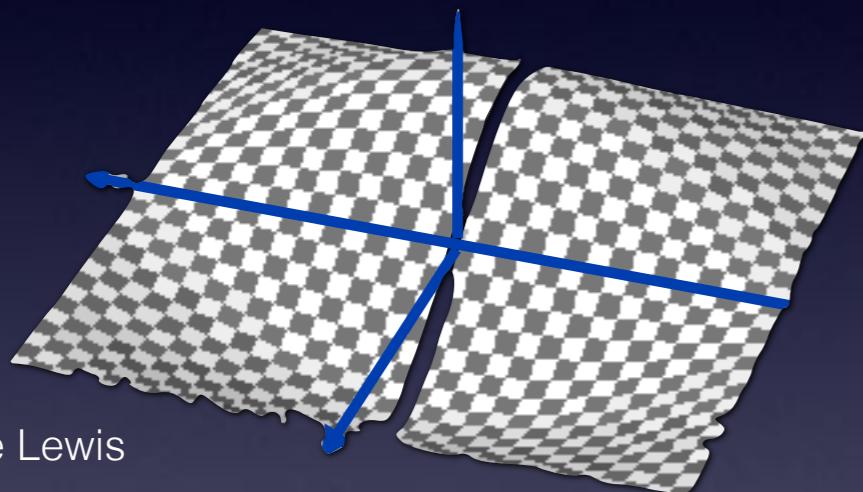
Angular momentum quant. num., l

In 3D:

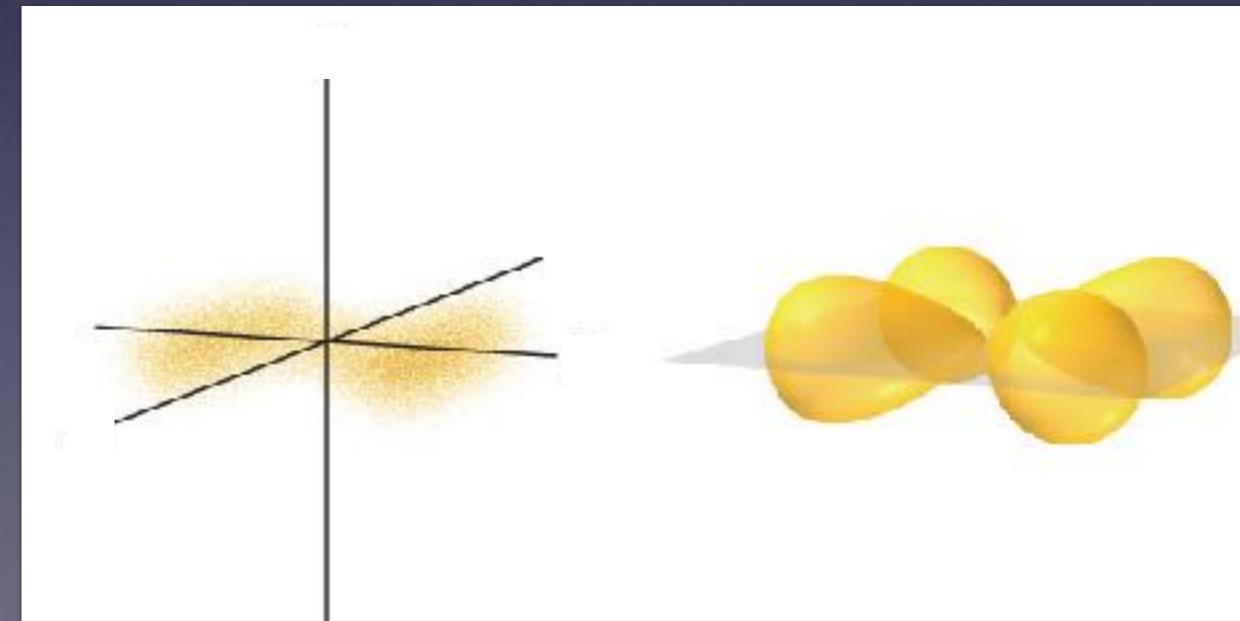
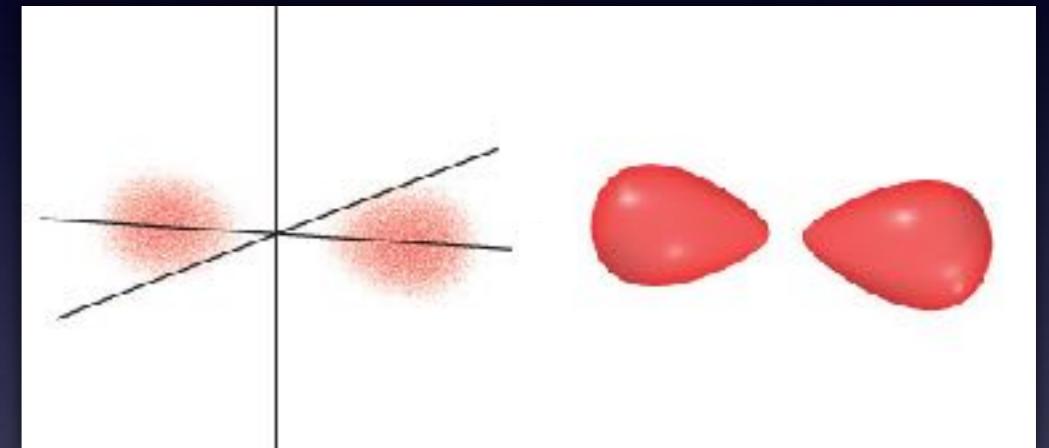


Tro

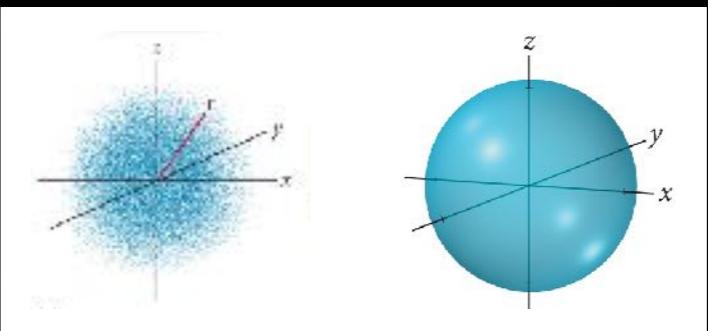
In 2D:



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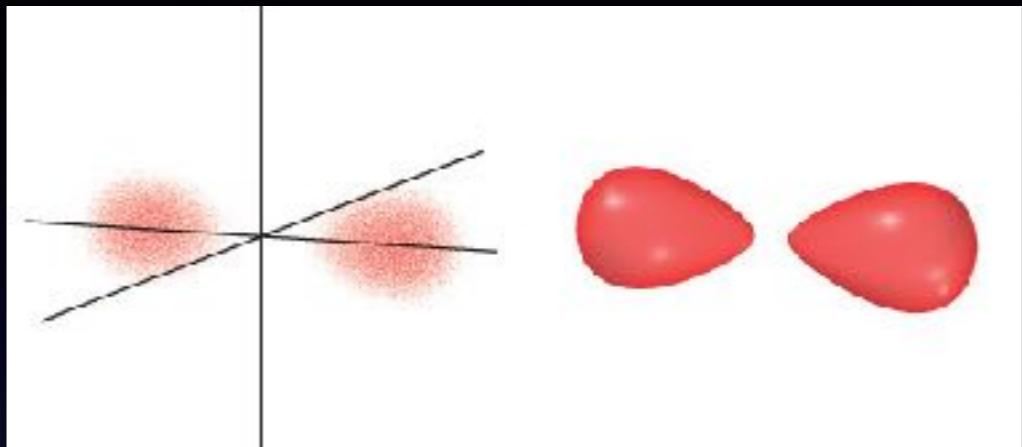


$l = 0$, no angular nodes
“s–orbital”

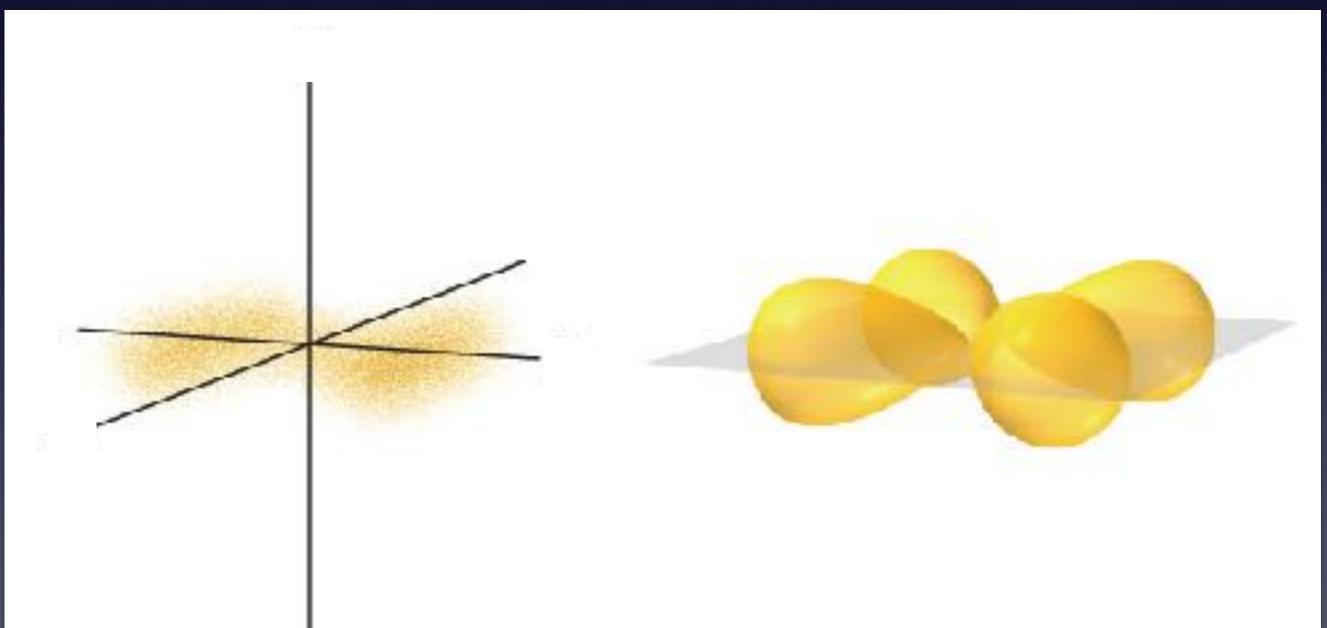


Tro

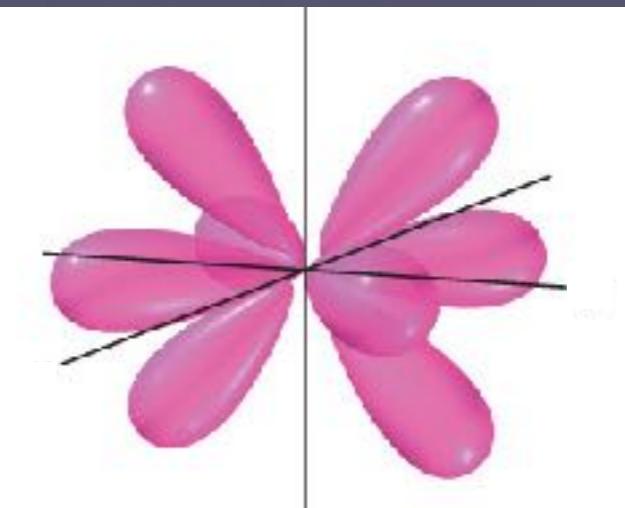
$l = 1$, one angular node
“p–orbital”



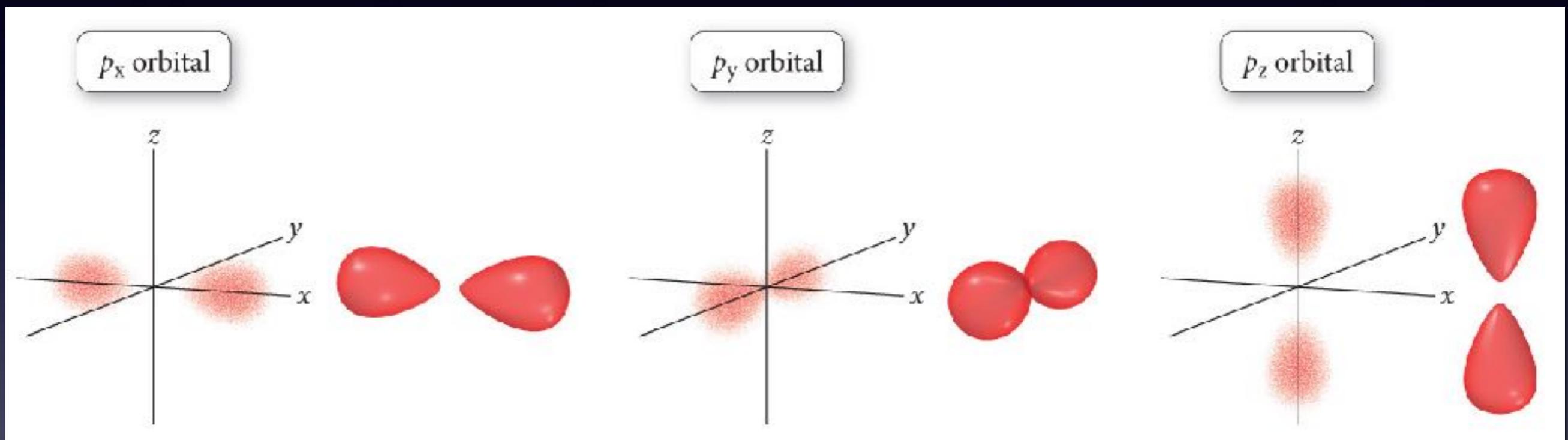
$l = 2$, two angular nodes
“d–orbital”



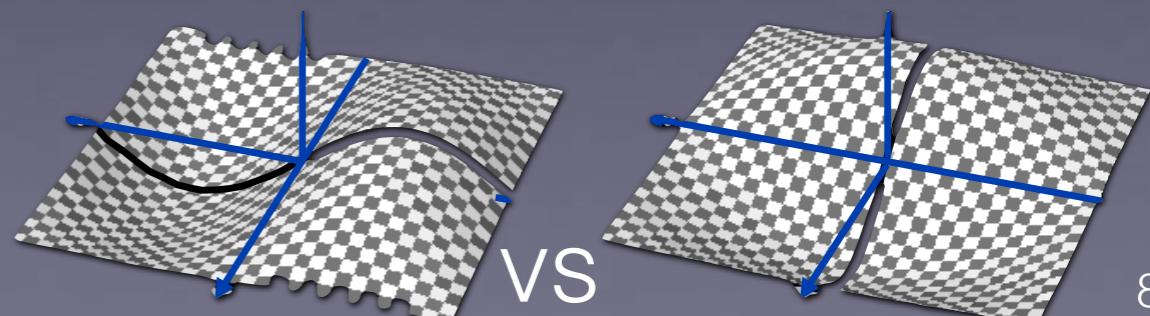
$l = 3$, three angular nodes
“f–orbital”



Magnetic quantum number, m_l



- For a given l , m_l takes values from $-l \dots 0 \dots +l$.
- Conveys information about **orientation in space**.
- All orbitals of a given n and l but different m_l values are **degenerate**.



Now you try

- For $n = 3 \dots$
 - How many different values can l take? What are they?
 - For each l , how many different values can m_l take? What are they?

Now you try

- For $n = 3\dots$
 - How many different values can l take? What are they?
 - For each l , how many different values can m_l take? What are they?
- On your own...
 - For each set of n, l, m_l , how many total nodes are there? How many radial nodes are there? How many angular nodes are there?

Practice with orbitals and nodes

- How many $n = 4$ orbitals exist?
What are the possible l values?
What are the possible m_l values for each l value?
- What set of n , l , and m_l values can **not** exist?
 - A. $n = 2, l = 0, m_l = 0$
 - B. $n = 1, l = 0, m_l = 0$
 - C. $n = 2, l = 1, m_l = -1$
 - D. $n = 3, l = 1, m_l = -2$
- Problems 3.75–84 in GKF. One of these will likely be on the exam...

Spin quantum number, m_s

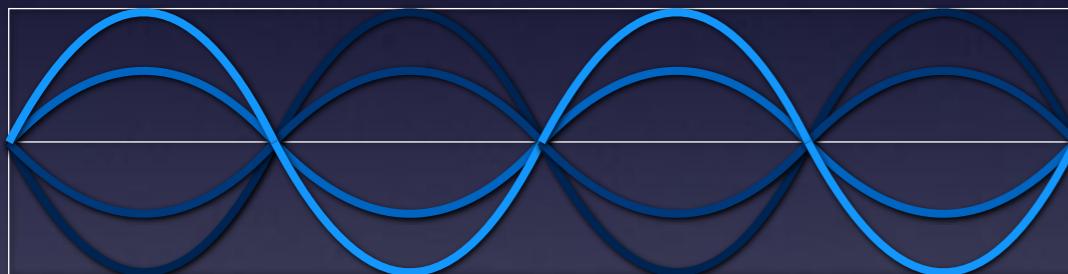
- Electrons have half integer spins.
- When bound in atoms they can be either:
 - $m_s = +1/2$ (spin up)
 - $m_s = -1/2$ (spin down)

Keeping n , l , m_l , and m_s straight...

- n is the principal quantum number
 $n = 1, 2, 3, 4, \dots, \infty.$
- l is the angular momentum quantum number
 $l = 0, \dots, n - 1.$
- m_l is the magnetic quantum number
 $m_l = -l, \dots, 0, \dots, +l.$
- m_s is the spin quantum number
 $m_s = \pm 1/2$

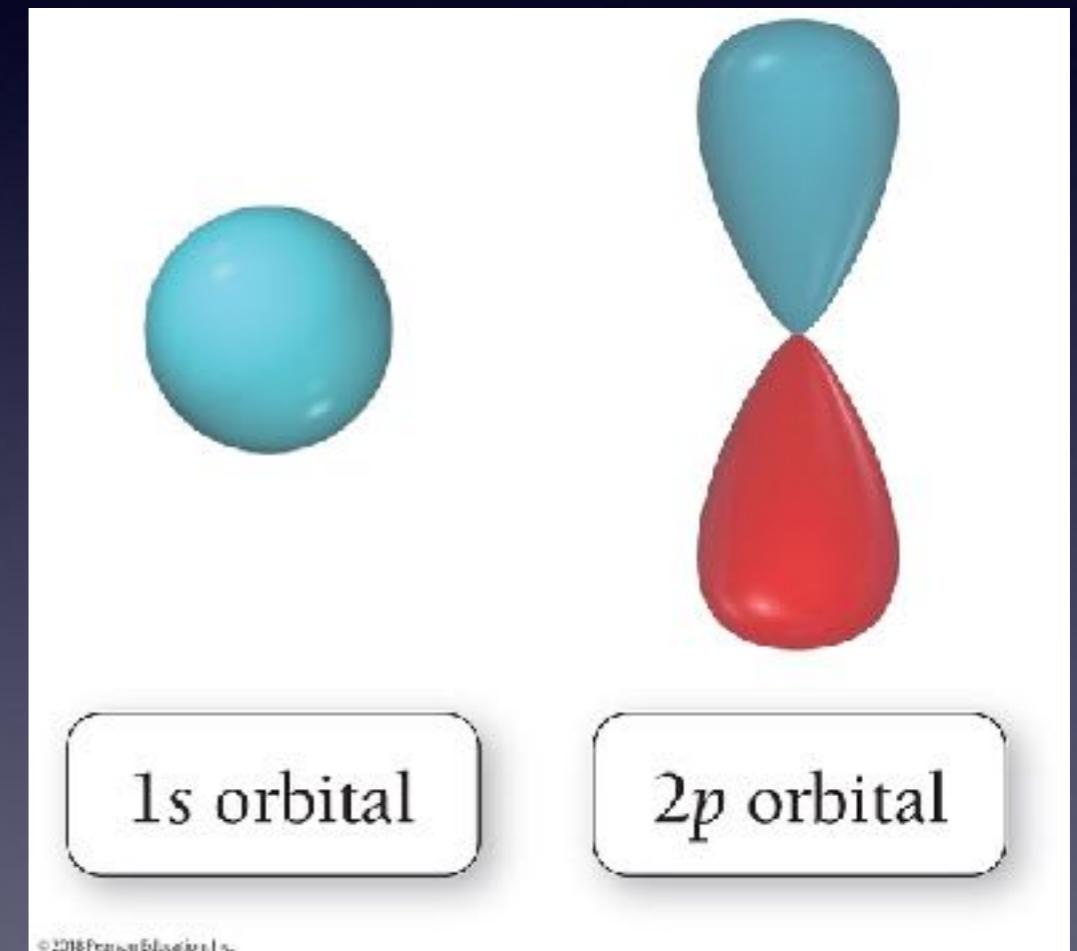
You are responsible for orbital phase!

1D case



$$\psi(x, t) = A \sin\left(\frac{n\pi x}{d}\right), \quad n = 4$$

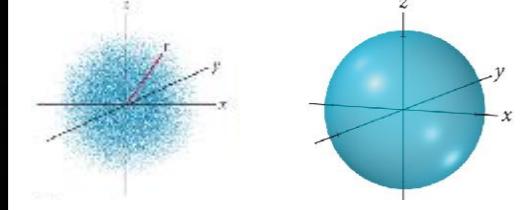
3D case



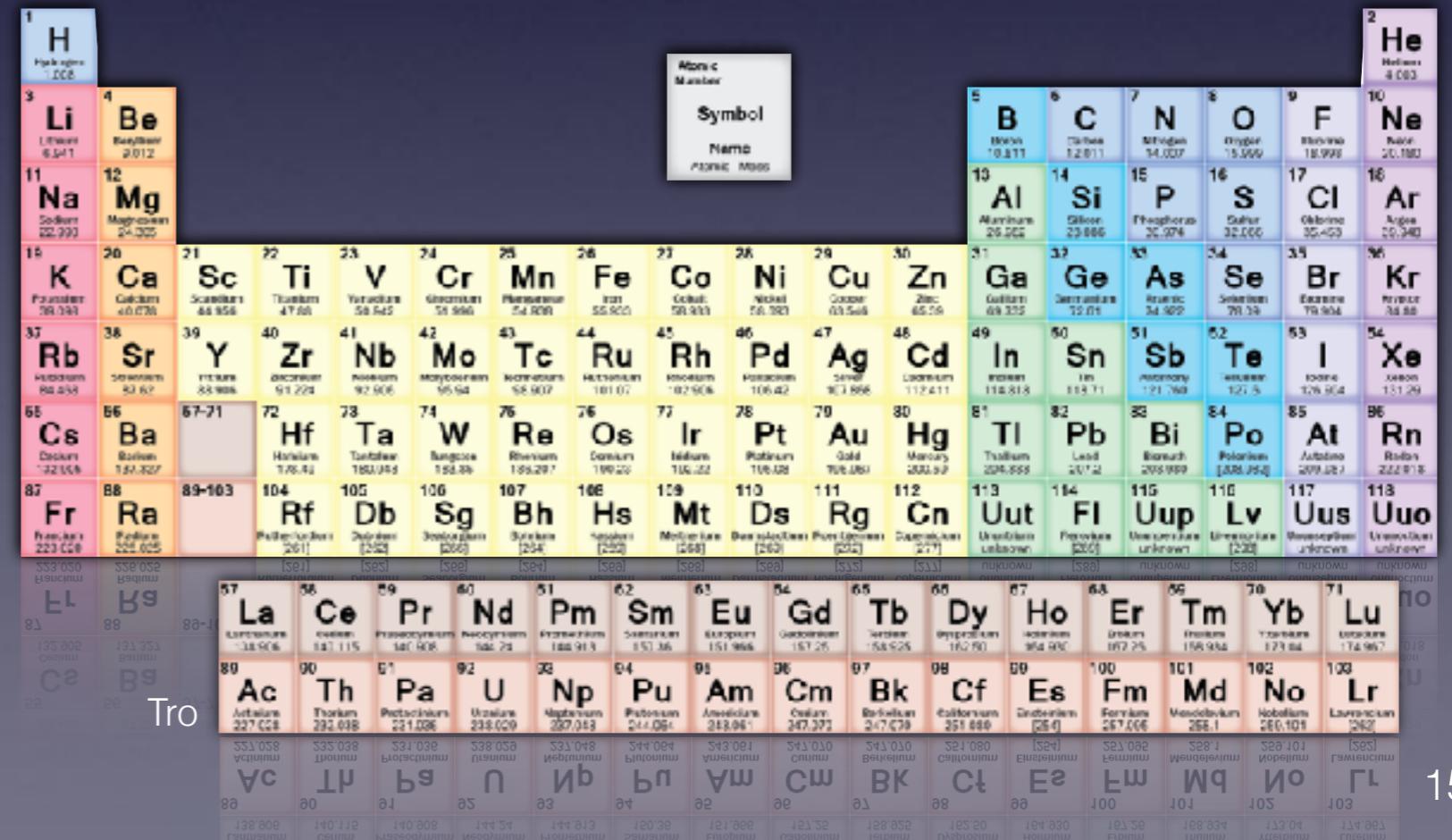
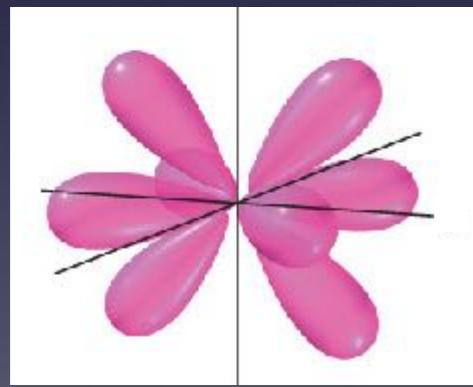
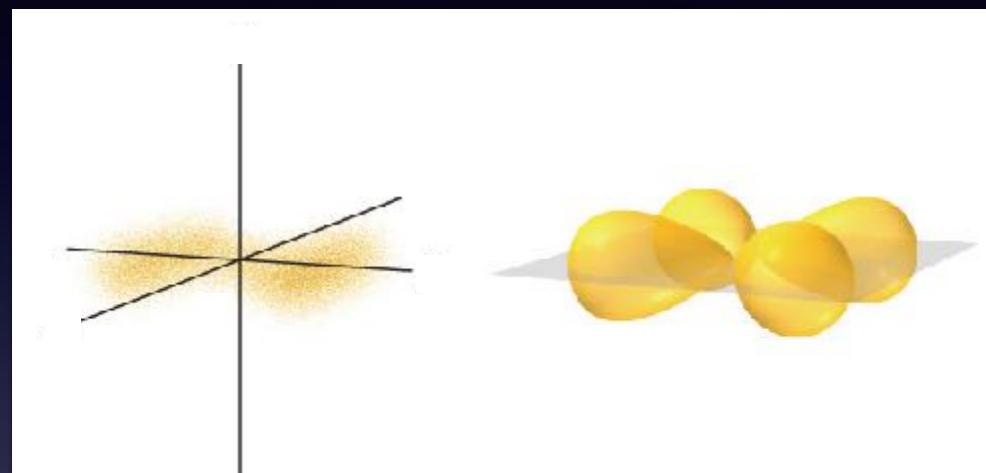
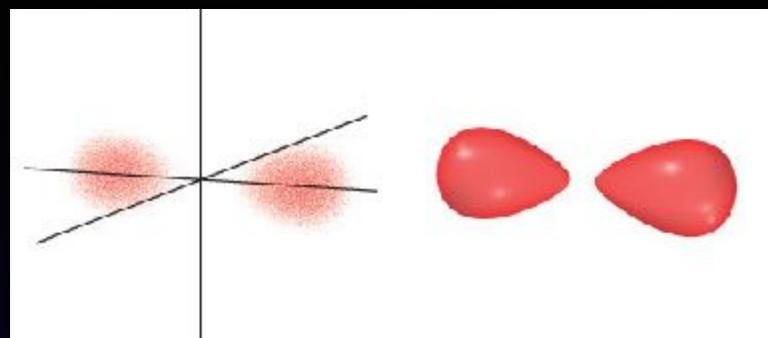
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Tro §2.6

Tro



How do we go from here?



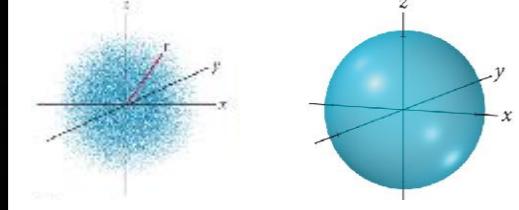
Chapter 2 Summary, Expectations

- § 2.2 The nature of light
 E vs ν vs λ , electromagnetic spectrum
- § 2.2 Photoelectric effect
Recitation worksheet has good practice problems
- § 2.3 Atomic spectroscopy and the Bohr model
- § 2.4 de Broglie wavelength, and uncertainty principle

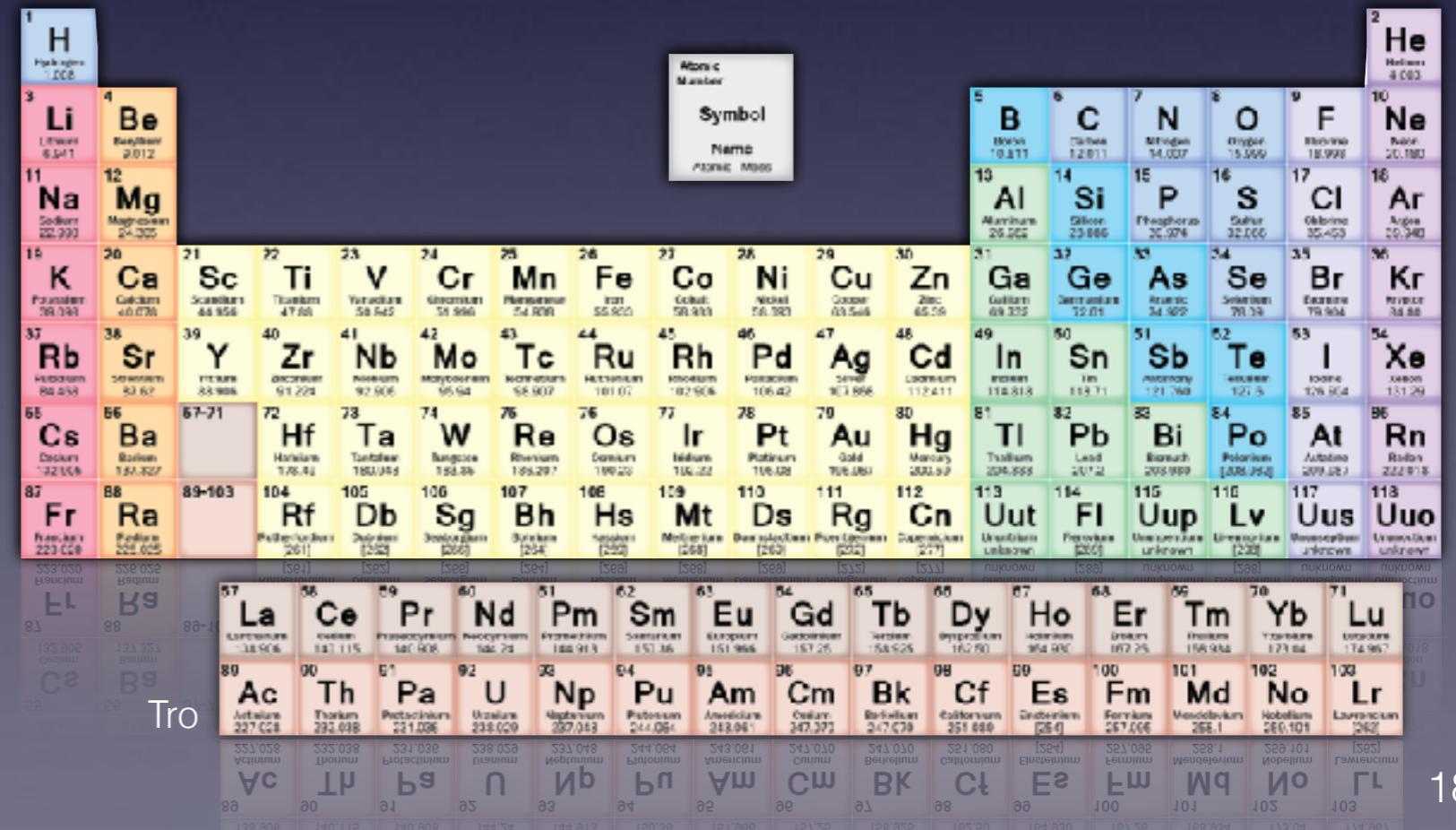
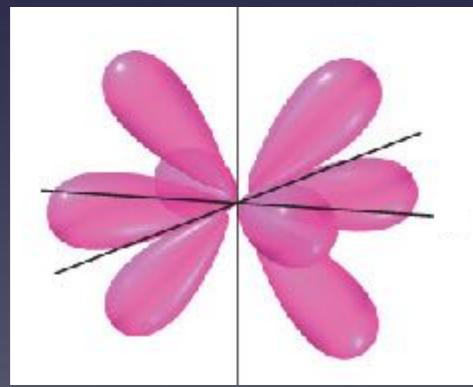
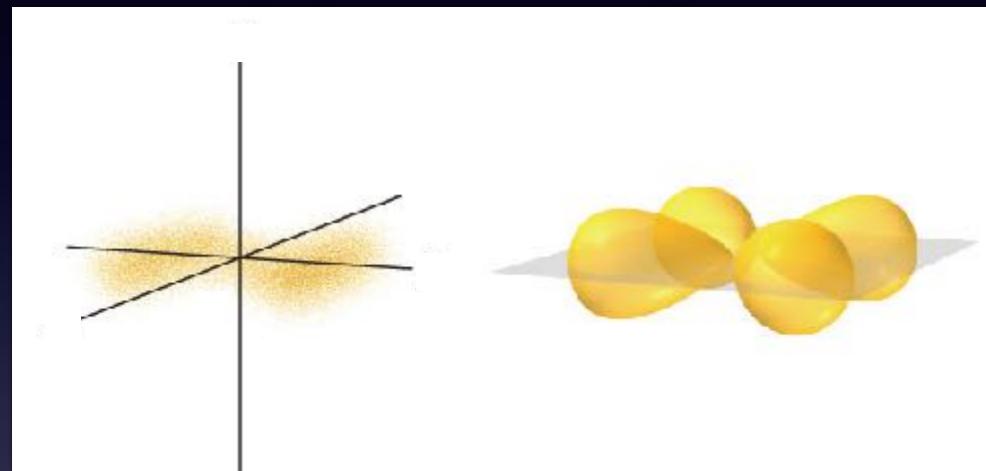
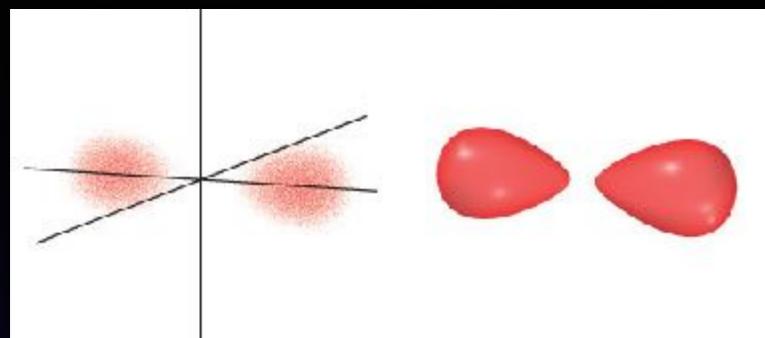
Chapter 2 Summary, Expectations

- § 2.5 Atomic spectroscopy explained
- Waves and nodes
- § 2.6 Shapes of atomic orbitals
(back to §2.5 for s, p, d, f as I prefer my order better.)
- Read the chapter,
work any extra problems at the back of the book,
work the recitation problem and bring any questions to me!

Tro



How do we go from here?



A photograph of a silver fork standing upright in a field of lavender plants. The fork's tines are pointing downwards, and its handle is pointing upwards. The background is a dense field of lavender, with some trees visible in the distance.

Where did we go today?

Ch1010-A17-A03 Lecture 6

- 2.6 Atomic orbitals:
Shapes, sizes, smells, etc.
- § 3.3 Filling electrons in orbitals

Next time...

- das Periodensystem:
- § 3.3 Filling electrons in orbitals
- § 3.3 Orbital filling exceptions