

[http://thumbs.dreamstime.com/z/
too-much-homework-vector-23920513.jpg](http://thumbs.dreamstime.com/z/too-much-homework-vector-23920513.jpg)

Nomenclature
videos available
under Modules
link on Canvas

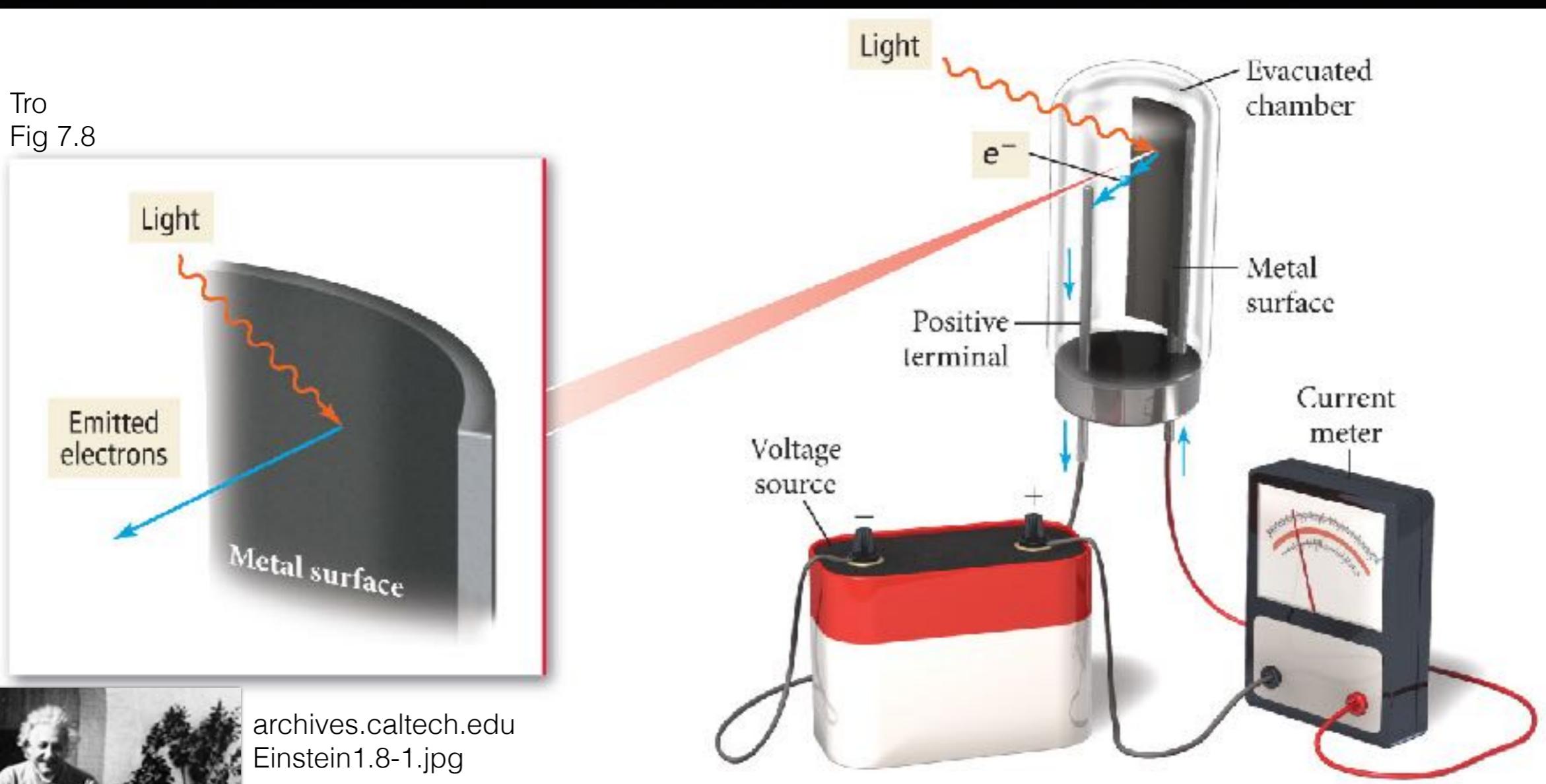
Previously in Molecularity . . .

The photoelectric effect

Tro
Fig 7.8



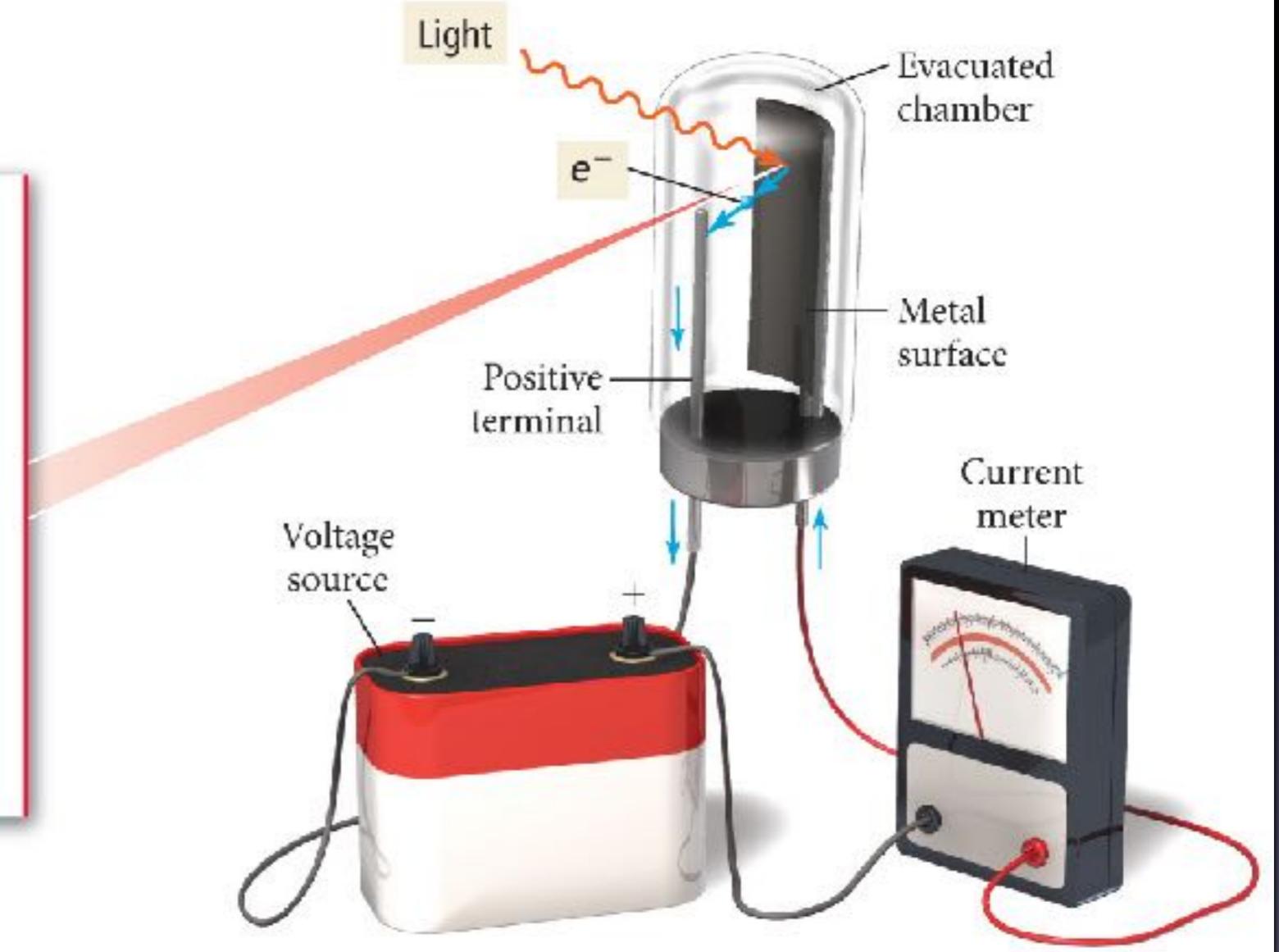
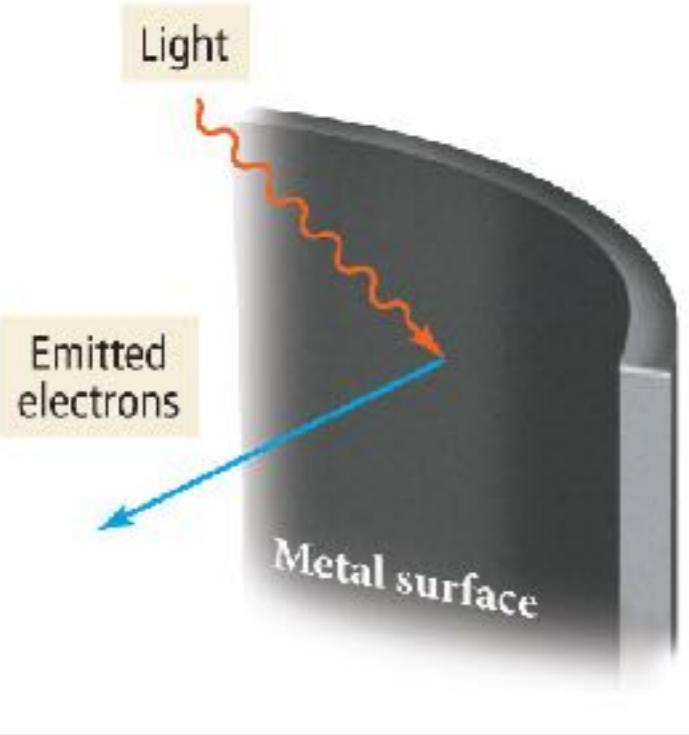
archives.caltech.edu
Einstein1.8-1.jpg



Conclusion:
Energy of light is related to its color
Power is related to its intensity

The photoelectric effect

Tro
Fig 7.8



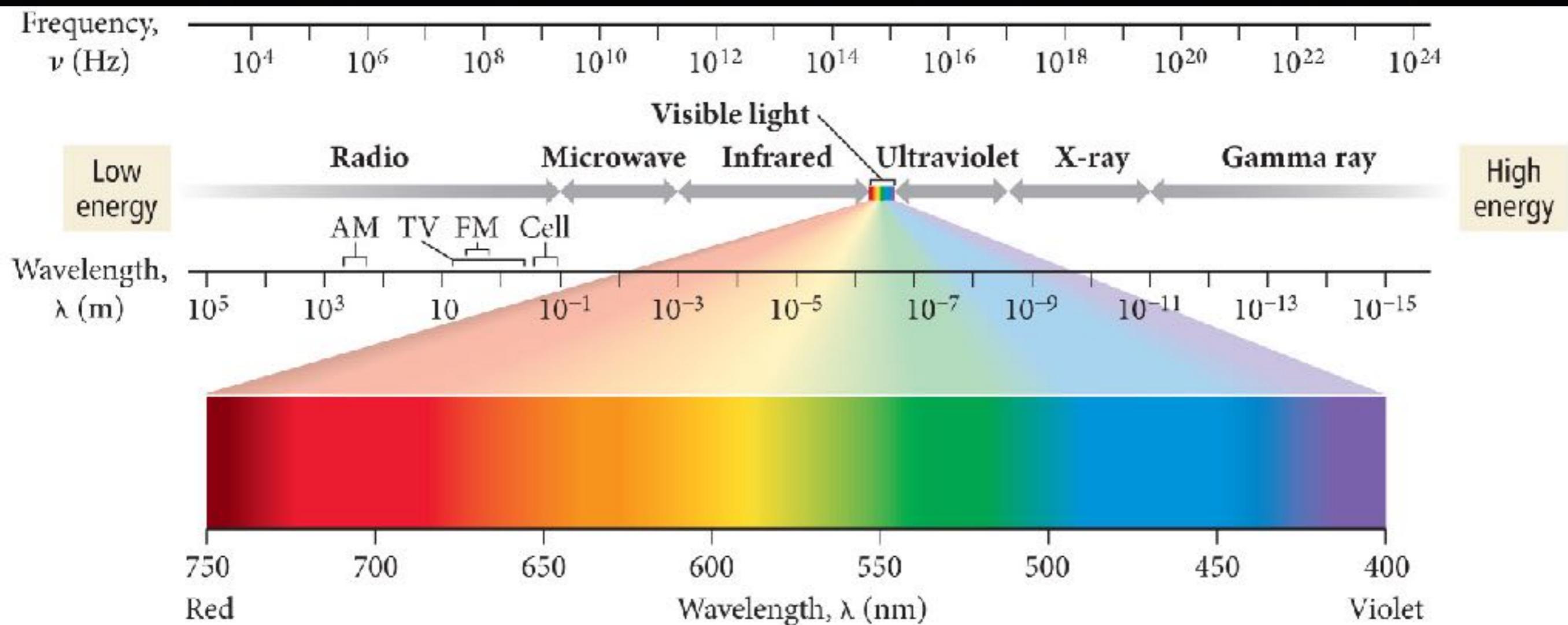
archives.caltech.edu
Einstein1.8-1.jpg

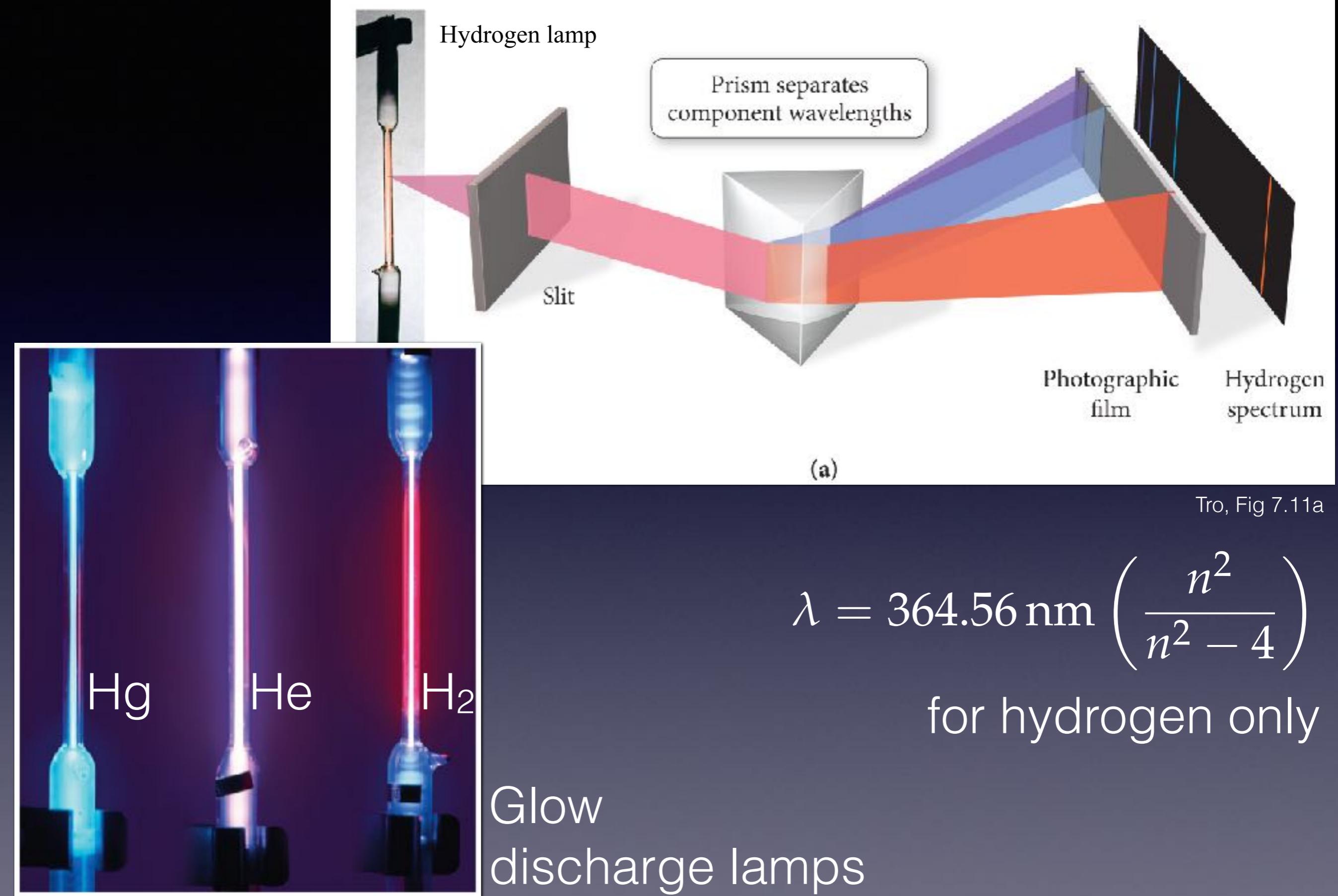


Φ is the **work function** of the metal (J or eV)

$E_{\text{light}} > \Phi_{\text{metal}}$ current observed

$E_{\text{light}} < \Phi_{\text{metal}}$ current not observed





$$\lambda = 364.56 \text{ nm} \left(\frac{n^2}{n^2 - 4} \right)$$

for hydrogen only

Glow
discharge lamps

Tro, Fig 7.10

A photograph of a fork standing upright in a field of lavender. The fork's tines are pointing towards the bottom left. In the background, there is a paved road leading into a distance, flanked by green trees and bushes. The lighting suggests it might be late afternoon or early evening.

Where are we going today?

Ch1010-A17-A03 Lecture 3

- § 2.3 The Great Dane
- § 2.4 Matter as Waves



upload.wikimedia.org
Rydberg%2C_Janne.jpg

$$\lambda = 364.56 \text{ nm} \left(\frac{n^2}{n^2 - 4} \right)$$

$$\lambda = 364.56 \text{ nm} \left(\frac{n^2}{n^2 - 2^2} \right)$$

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{2^2} - \frac{1}{n^2} \right)$$



upload.wikimedia.org
Rydberg%2C_Janne.jpg

$$\lambda = 364.56 \text{ nm} \left(\frac{n^2}{n^2 - 4} \right)$$

$$\lambda = 364.56 \text{ nm} \left(\frac{n^2}{n^2 - 2^2} \right)$$

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{2^2} - \frac{1}{n^2} \right)$$



For Balmer series, this number is 2.

What if this number was 3?



upload.wikimedia.org
Rydberg%2C_Janne.jpg

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{3^2} - \frac{1}{n^2} \right)$$

Calculate λ when $n = 4 \dots$

Calculate λ when $n = 4$



upload.wikimedia.org
Rydberg%2C_Janne.jpg

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{3^2} - \frac{1}{n^2} \right)$$

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{9} - \frac{1}{16} \right)$$

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{16 - 9}{16 \times 9} \right)$$

$$\lambda = \frac{\text{nm}}{0.01097} \frac{16 \times 9}{16 - 9}$$

$$\lambda = \frac{\text{nm}}{0.01097} \frac{16 \times 9}{16 - 9}$$

$$\lambda \approx 1875 \text{ nm}$$

Paschen lines:

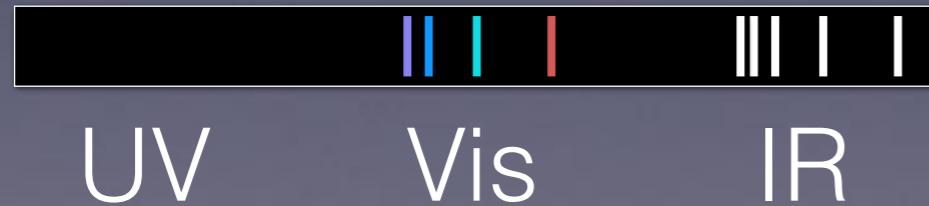
|

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{3^2} - \frac{1}{n^2} \right) \quad n = 4$$

|

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{3^2} - \frac{1}{n^2} \right) \quad n = 5$$

General case...



$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{3^2} - \frac{1}{n^2} \right)$$



upload.wikimedia.org
Rydberg%2C_Janne.jpg

$$\lambda = 364.56 \text{ nm} \left(\frac{n^2}{n^2 - 4} \right)$$

$$\lambda = 364.56 \text{ nm} \left(\frac{n^2}{n^2 - 2^2} \right)$$

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{2^2} - \frac{1}{n^2} \right)$$

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$$



upload.wikimedia.org
Rydberg%2C_Janne.jpg

$$\lambda = 364.56 \text{ nm} \left(\frac{n^2}{n^2 - 4} \right)$$

$$\lambda = 364.56 \text{ nm} \left(\frac{n^2}{n^2 - 2^2} \right)$$

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{2^2} - \frac{1}{n^2} \right)$$

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$$

$$E = 13.6 \text{ eV} \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$$



Lyman Balmer Paschen Brackett Pfund

$$\frac{1}{\lambda} = \frac{0.01097}{\text{nm}} \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$$

aw energy level diagram here!!!

$$E = 13.6 \text{ eV} \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$$

$$E = 2.18 \times 10^{-18} \text{ J} \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$$

We have some math,
but what does it all mean physically?

My expectations

- Given a particular series (i.e. given n_1) can you determine the **smallest** energetic transition? The **largest** energetic transition?
- Given a particular transition, could you determine the series? (i.e. Lyman, Balmer, Paschen, Bracket, Pfund, Humphries...)
- (After Tuesday) given either of the above, could you determine the one-electron atom (e.g. He^+ , Li^{2+} , Fe^{25+}) emitting the light?
- (After Tuesday) draw energy level diagrams for these transitions.

The classical paradox of atoms...

$$\text{Potential Energy} \equiv \text{PE} = \frac{+q - q}{4\pi\epsilon_0 r} = \frac{-q^2}{4\pi\epsilon_0 r}$$

$$\text{Kinetic Energy} \equiv \text{KE} = \frac{1}{2}m_p v_p^2 + \frac{1}{2}m_e v_e^2$$

$$\text{Total Energy} = \text{KE} + \text{PE}$$

Lowest energy is the “ground state” when...

$\text{PE} \rightarrow 0$ as $r \rightarrow \infty$ **but** $\text{PE} \rightarrow -\infty$ as $r \rightarrow 0$

At lowest energy electron should crash into the nucleus!
Also, why does it radiate energy?

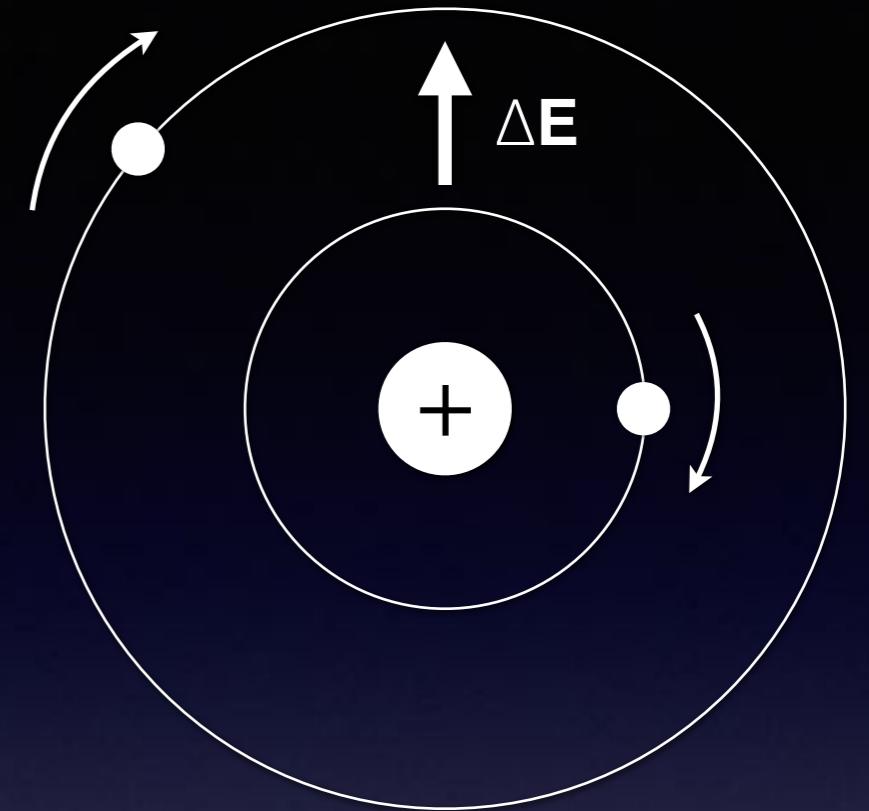
København, Danmark



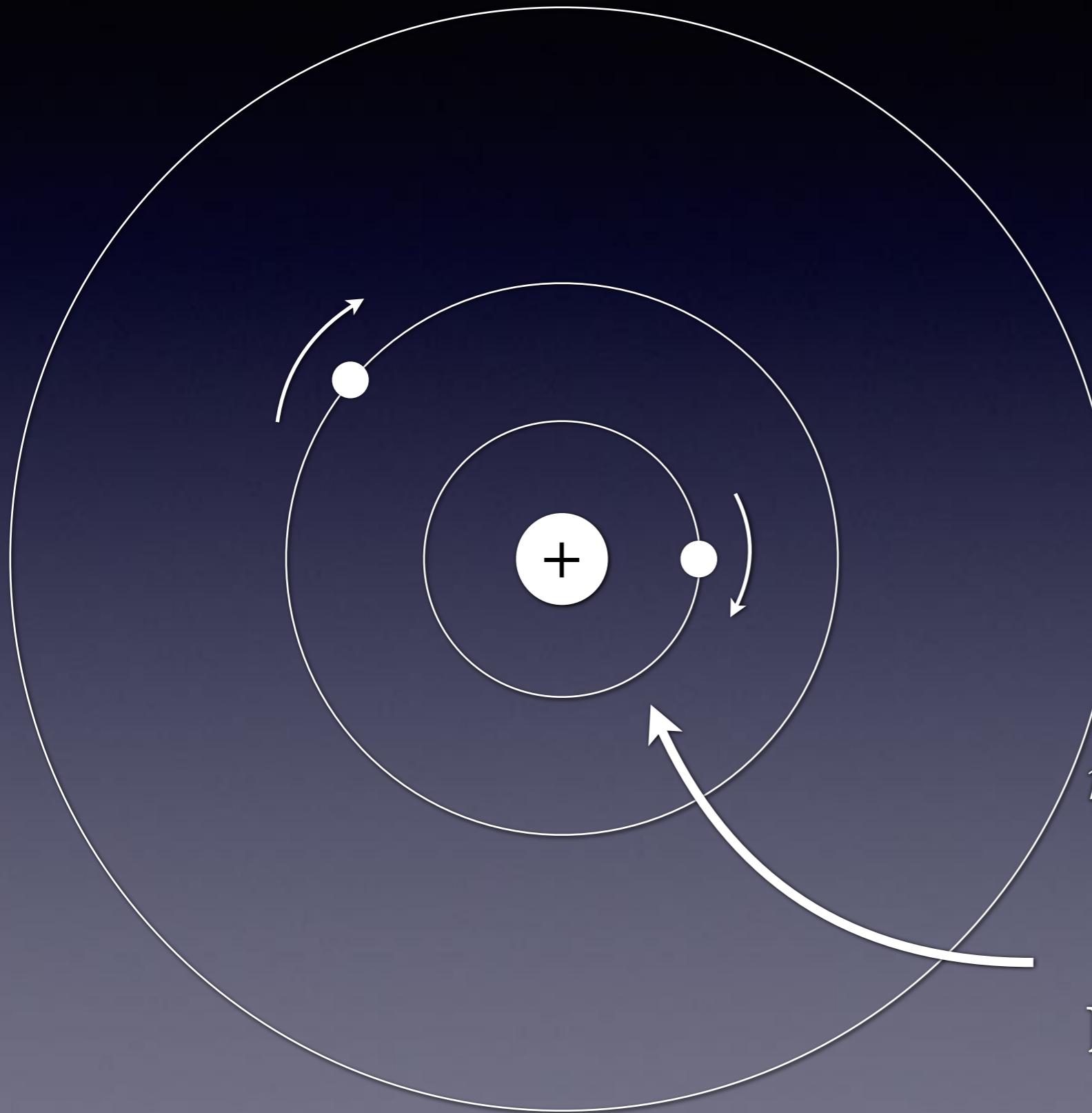
København
Danmark

Bohr's Theory:

- Atoms have well-defined e^- orbits.
- They don't radiate when in those orbits.
- Circular orbits: only specific orbits with specific angular momenta are allowed {quantization postulate}.
- Transitions in energy: electrons go from one orbit to the next.
- Absorption/emission of energy defined by quantized energy levels



Energy of Bohr-like orbitals



$$E_n = \frac{-13.6}{n^2} \text{ eV}$$

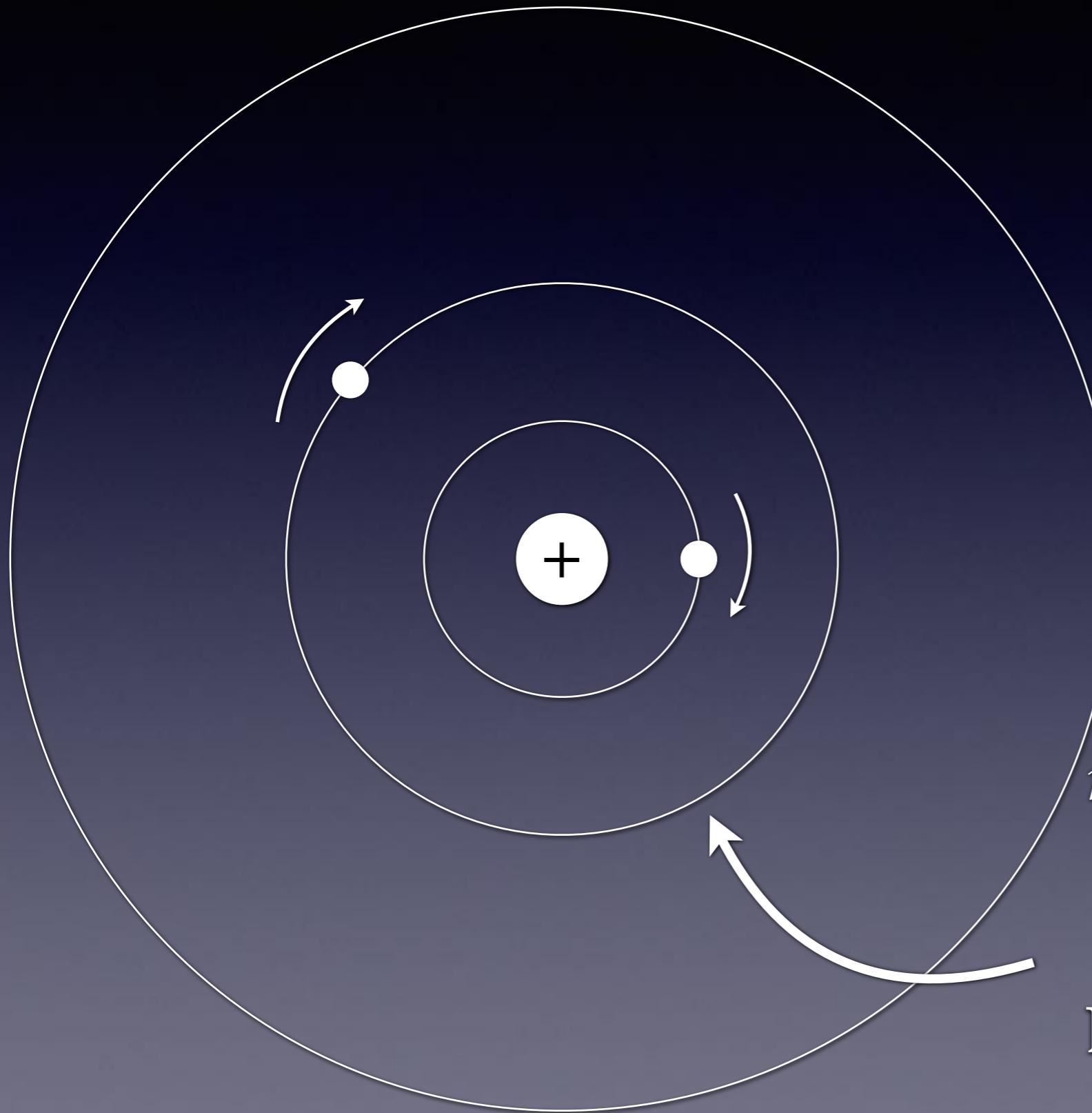
$$a_0 = 0.0529 \text{ nm}$$

$$n = 1$$

$$r = 1^2(0.0529 \text{ nm})$$

$$E = \frac{-13.6 \text{ eV}}{1^2} = -13.6 \text{ eV}$$

Energy of Bohr-like orbitals



$$E_n = \frac{-13.6}{n^2} \text{ eV}$$

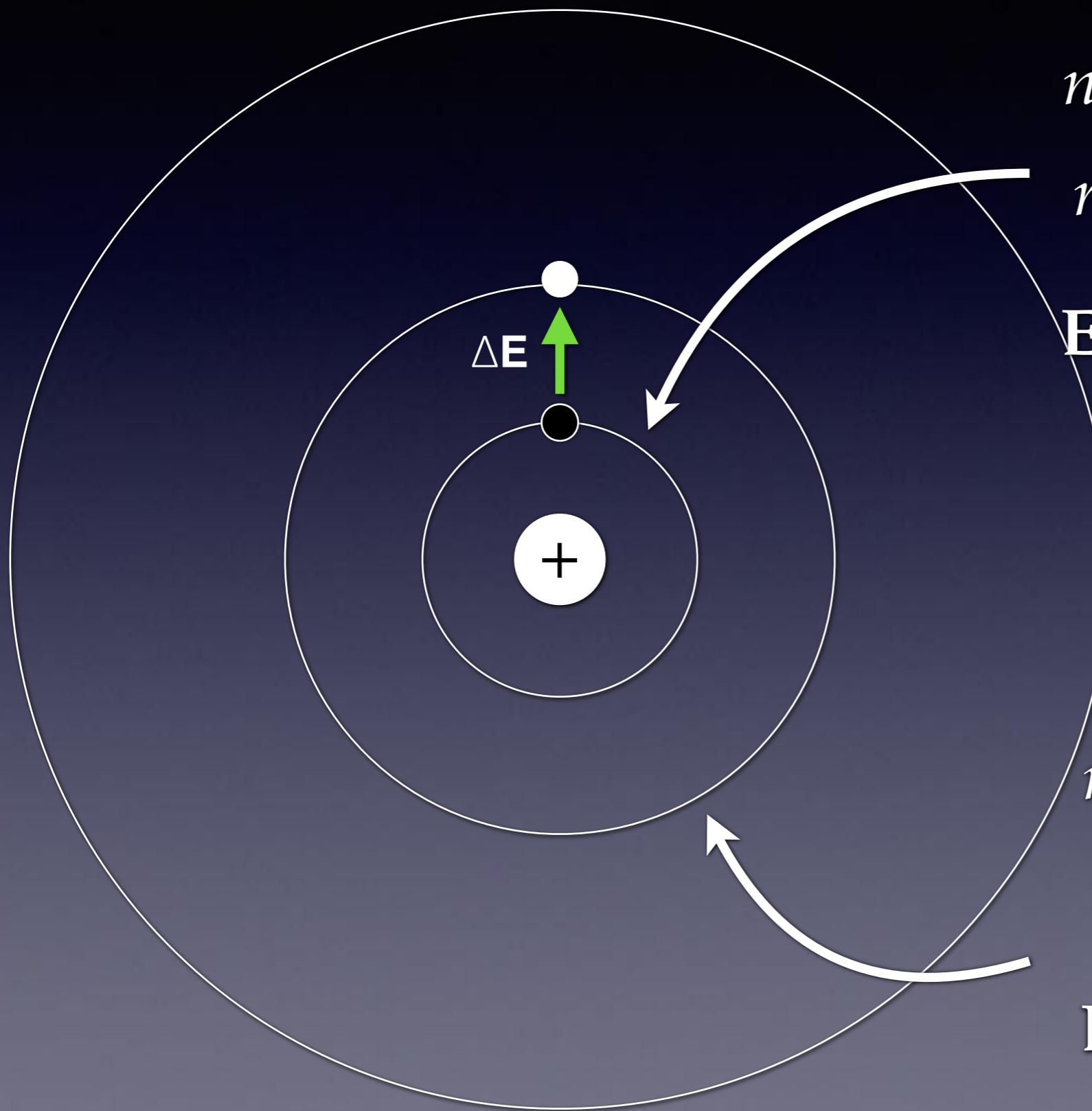
$$a_0 = 0.0529 \text{ nm}$$

$$n = 2$$

$$r = 2^2(0.0529 \text{ nm})$$

$$E = \frac{-13.6 \text{ eV}}{2^2} = -3.4 \text{ eV}$$

Transitions between orbitals



$$n = 1$$

$$r = 1^2(0.0529 \text{ nm})$$

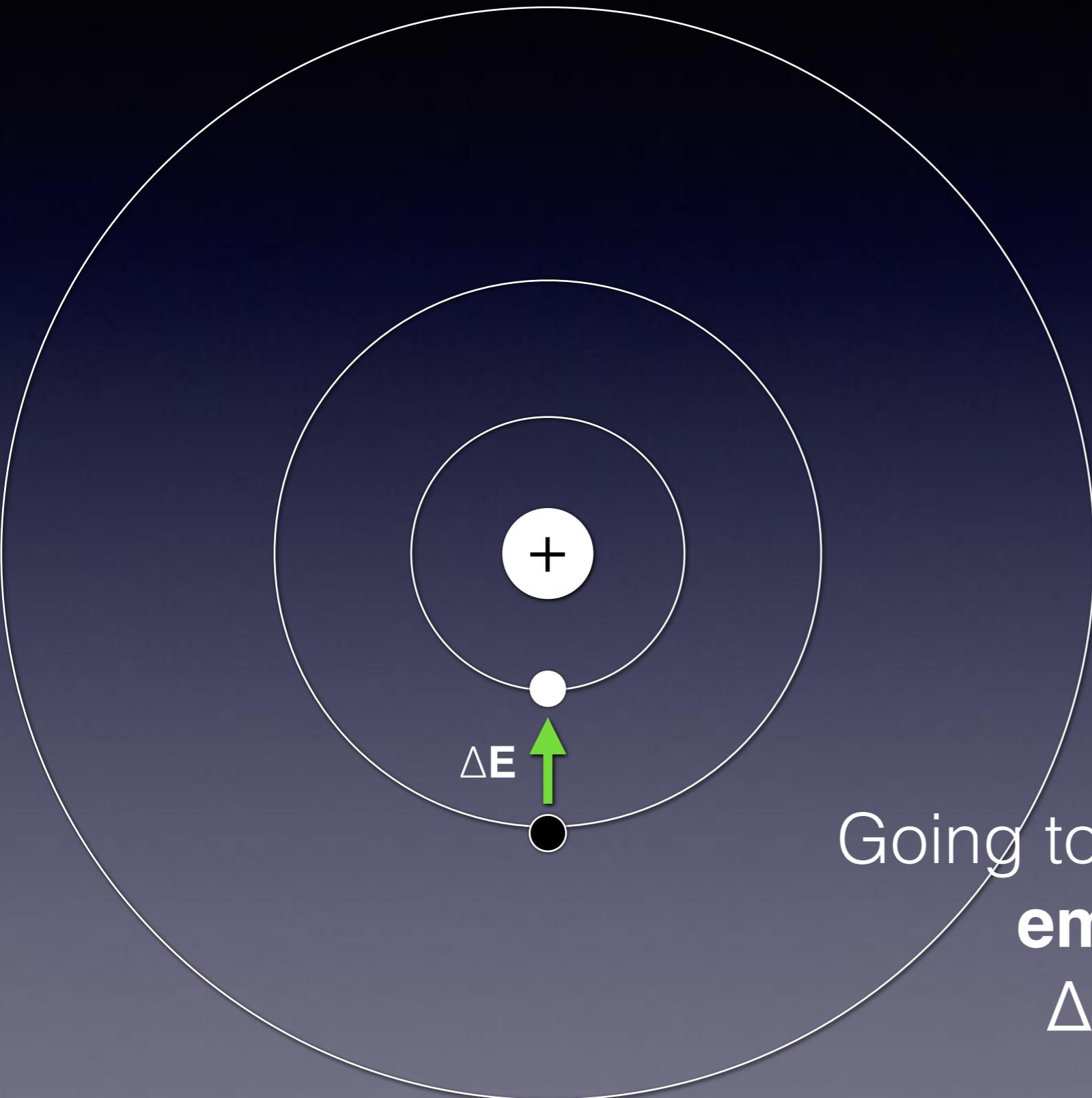
$$E = \frac{-13.6 \text{ eV}}{1^2} = -13.6 \text{ eV}$$

$$n = 2$$

$$r = 2^2(0.0529 \text{ nm})$$

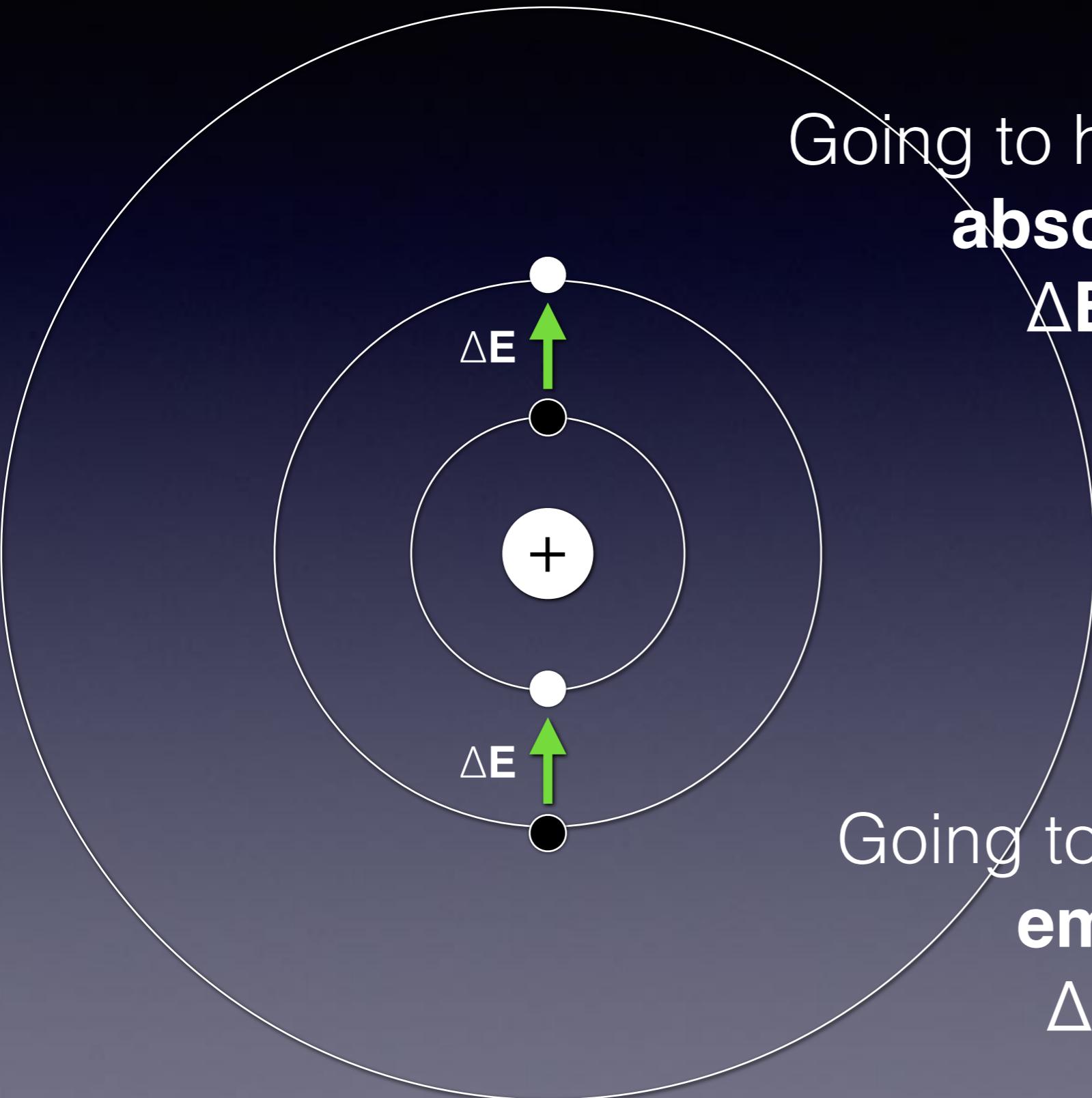
$$E = \frac{-13.6 \text{ eV}}{2^2} = -3.4 \text{ eV}$$

Transitions: $\Delta E = E_{\text{final}} - E_{\text{initial}}$



Going to lower energy level:
emitting energy
 ΔE is negative

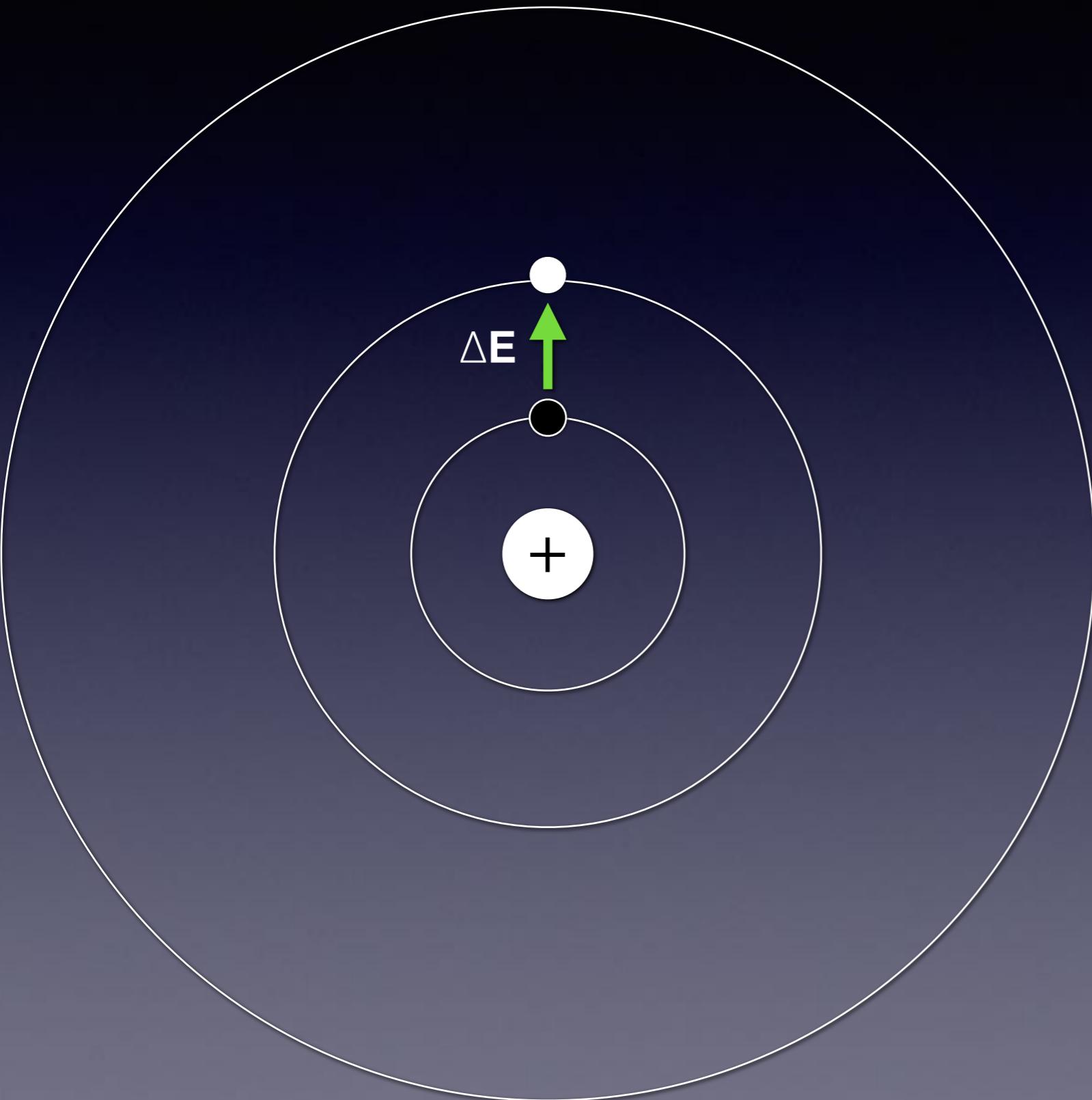
Transitions: $\Delta E = E_{\text{final}} - E_{\text{initial}}$



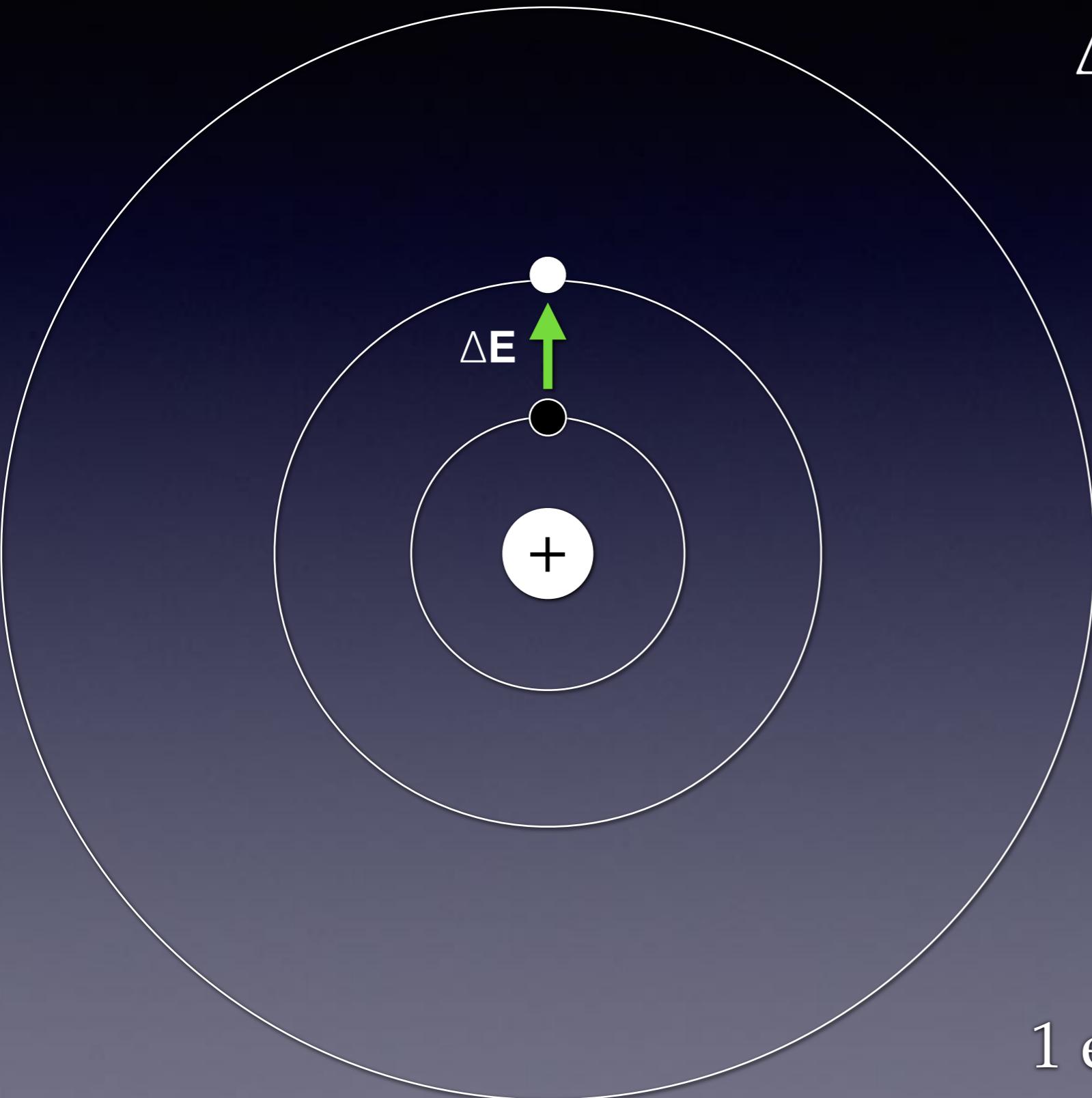
Going to higher energy level:
absorbing energy
 ΔE is positive

Going to lower energy level:
emitting energy
 ΔE is negative

What's the transition wavelength in nm?



What's the transition wavelength in nm?



$$\begin{aligned}\Delta E &= E_{\text{final}} - E_{\text{initial}} \\ &= E_{n=2} - E_{n=1} \\ &= -3.4 \text{ eV} + 13.6 \text{ eV} \\ &= 10.2 \text{ eV}\end{aligned}$$

$$E = h\nu$$

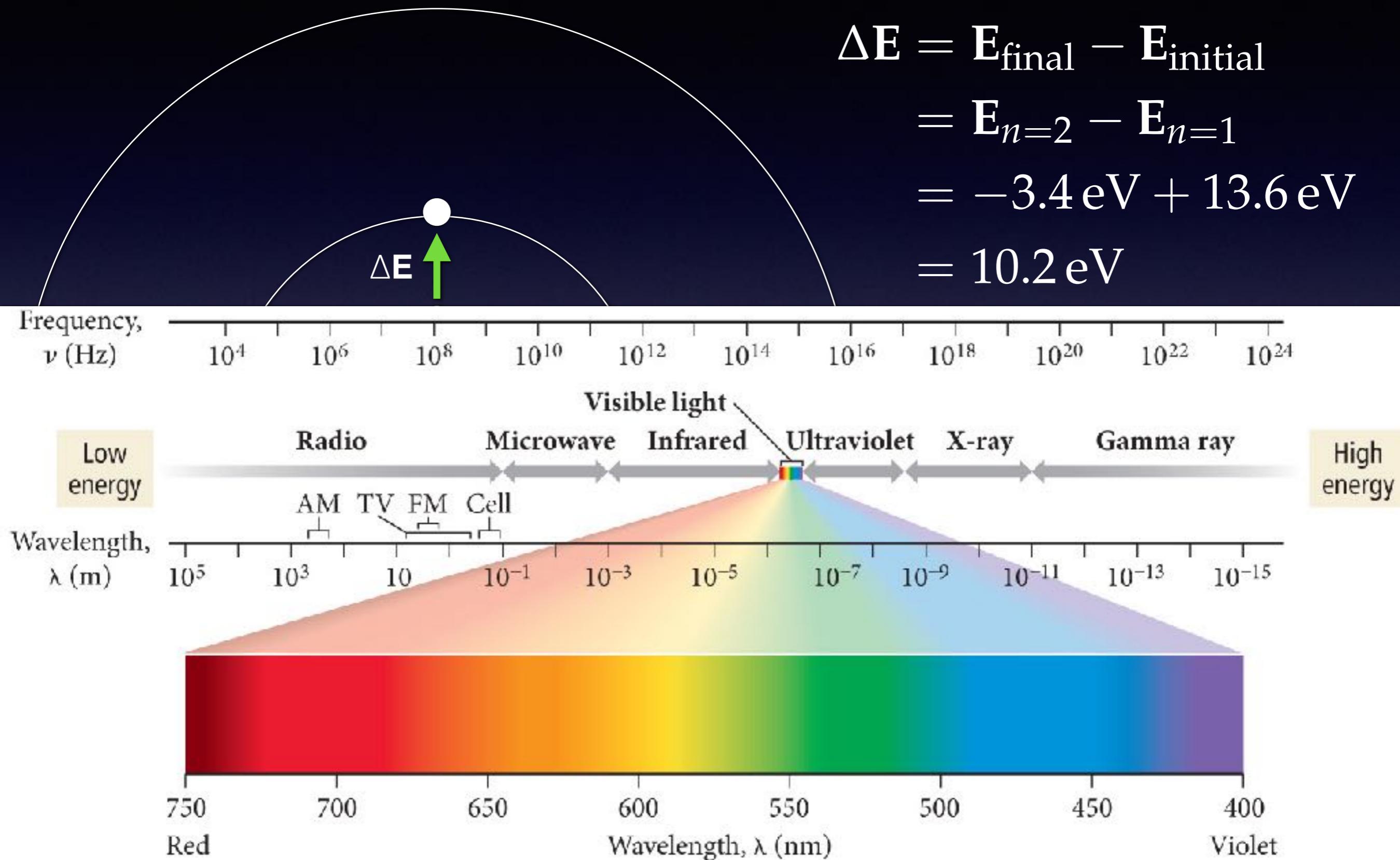
$$E = \frac{hc}{\lambda}$$

$$h = 6.626 \times 10^{-34} \text{ Js}$$

$$c = 2.998 \times 10^8 \text{ m s}^{-1}$$

$$1 \text{ eV} = 1.602 \times 10^{-19} \text{ J}$$

What's the transition wavelength in nm?

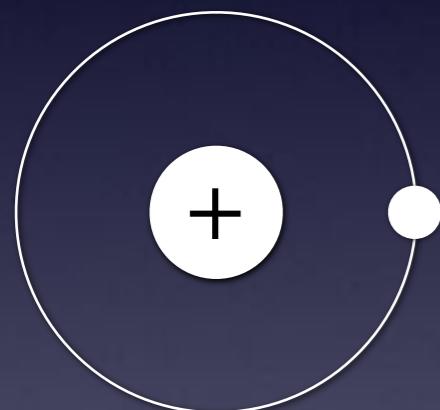


Different Z ...

...1 electron only

$$r = \frac{n^2(0.0529 \text{ nm})}{Z}$$

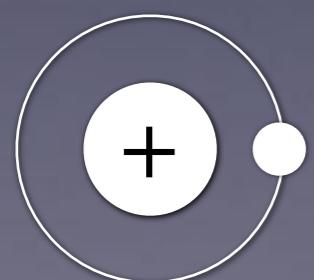
$$E = \frac{-13.6 \text{ eV } Z^2}{n^2}$$



He^+

$$r = \frac{1^2(0.0529 \text{ nm})}{Z} = 0.0265 \text{ nm}$$

$$E = \frac{-13.6 \text{ eV } Z^2}{1^2} = -54.4 \text{ eV}$$



Li^{2+}

$$r = \frac{1^2(0.0529 \text{ nm})}{Z} = 0.0176 \text{ nm}$$

$$E = \frac{-13.6 \text{ eV } Z^2}{1^2} = -122 \text{ eV}$$

...minute paper...

$$r = \frac{n^2(0.0529 \text{ nm})}{Z}$$
$$E = \frac{-13.6 \text{ eV} Z^2}{n^2}$$

As n increases do radii spacing diverge, converge, or remain equally spaced?

As n increases do energy level spacing diverge, converge, or remain equally spaced?



Where did we go today?

Ch1010-A17-A03 Lecture 3

- § 2.3 The Great Dane
- § 2.4 Matter as Waves

Next time...

- § 2.4 Matter as Waves
- § 2.6 Waves, nodes, and gratuitous YouTube videos