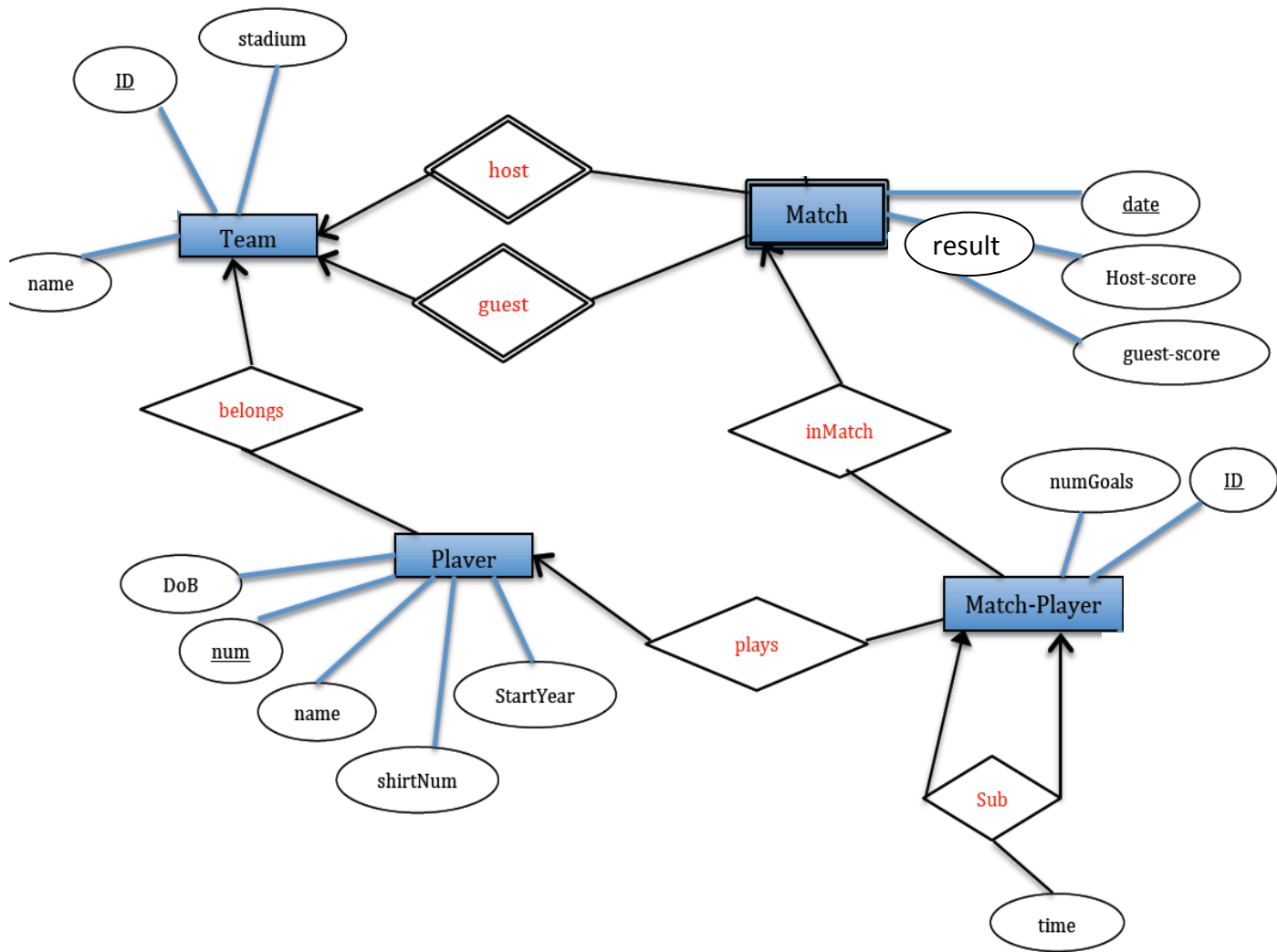


# Midterm Solution

## Question 1



- This ERD assumes a Match is a weak entity set. But another option is to give it a unique ID and make it a strong entity set.
- “Sub” relationship refers to two players who played in the match. This is a better design than making the relationship to reference the “Player” entity set, because now you allow for referencing players who did not play in the match.

## Question 2

**Team** (ID, name, stadium);

**Player** (num, DoB, name, shirtNum, startYear, TeamID)

Player.TeamID references Team.ID

**Match**(hostTeamID, guestTeamID, date, host-score, guest-score)

Match.hostTeamID references Team.ID

Match.guestTeamID references Team.ID

**Match-Player**(ID, PlayerNum, hostTeamID, guestTeamID, date, numGoals, SubID, subTime)

Match-Player.SubID references Match-Player.ID

Match-player.(hostTeamID, guestTeamID, date) references Match. hostTeamID, guestTeamID, date

### Question 3

**R**

A	B	C
1	10	a
2	20	a
3	30	x
4	20	x

**S**

A	X	Z
2	18	Mike
2	20	John
5	30	Wang
7	40	JohnSmith

**Q1:**  $\gamma_{A, \text{SumX} \leftarrow \text{sum}(X)}(S)$

A	SumX
2	38
5	30
7	40

**Q2:**  $\delta(\pi_B(R)) \bowtie_{B>X} \pi_{A,X}(S)$

B	A	X
20	2	18
30	2	18
30	2	20

**Q3:**  $\gamma_{A, \text{CNT} \leftarrow \text{count}(* )}(\pi_A(S) \cup_{\text{bag semantics}} \pi_{A \leftarrow (A+1)}(R))$

A	CNT
2	3
3	1
4	1
5	2
7	1

**[20 Points] Question 4 (Relational Algebra):**

Given the following relations from a university registration system:

**Department**(ID, name, address) ----- short name D

**Faculty**(ID, deptID, firstName, lastName, joinYear) ----- short name F

**Course**(ID, deptID, name, numOfCredits) ----- short name C

**Student**(ID, deptID, firstName, LastName, joinYear) ----- short name S

**Teaching**(FacultyID, courseID, Year) ----- short name T

**Registration**(studentID, courseID, Year, grade) ----- short name R

The primary key in each relation is underlined. Each faculty member and each course belong to exactly one department (The deptID in the F and C relations). Each student also belongs to one department (The deptID in S relation). A student can take courses inside or outside his/her department (The R relation). Each faculty can teach many courses each year.

Write the **algebraic expression** for the following queries (*Use the short name for the relations*):

$$\pi_{ID, \text{FirstName}, \text{LastName}} \left( \sigma_{\text{joinYear} = 2010} (F) \right)$$

**Q2: Select the courses (name and number of credits) offered by a department named 'Computer Science'**

$$\pi_{C.\text{name}, C.\text{numOfCredits}} \left( C \bowtie \sigma_{\text{name} = \text{'Computer Science'}} (D) \right)$$

C.deptID = D.ID

Department(ID, name, address) ----- short name D  
 Faculty(ID, deptID, firstName, lastName, joinYear) ----- short name F  
 Course(ID, deptID, name, numOfCredits) ----- short name C  
 Student(ID, deptID, firstName, LastName, joinYear) ----- short name S  
 Teaching(FacultyID, courseID, Year) ----- short name T  
 Registration(studentID, courseID, Year, grade) ----- short name R

Q3: Select the faculty IDs who have taught courses neither in year 2010 nor 2011 (That is, did not offer courses in 2010 and 2011).

$$\pi_{ID}(F) - \pi_{ID \leftarrow FacultyID}(\sigma_{\substack{Year = 2010 \\ \text{or } Year = 2011}}(T))$$

Q4: Select the student IDs who have taken in year 2010 exactly two courses outside their departments (That is, the student's deptID does not equal the course's deptID).

$$\begin{aligned}
 R_1 &\leftarrow \sigma_{Year = 2010}(R) \\
 R_2 &\leftarrow \left( R_1 \bowtie_{R_1.StudentID = S.ID} S \right) \bowtie_{R_1.CourseID = C.ID} C \\
 &\sigma_{CNT = 2} \left( \gamma_{StudentID, Count(*) \rightarrow CNT} \left( \sigma_{C.deptID \neq S.deptID} (R_2) \right) \right)
 \end{aligned}$$