

EX-NO-11-ELLIPTIC-CURVE-CRYPTOGRAPHY-ECC

Aim:

To Implement ELLIPTIC CURVE CRYPTOGRAPHY(ECC)

ALGORITHM:

1. Elliptic Curve Cryptography (ECC) is a public-key cryptography technique based on the algebraic structure of elliptic curves over finite fields.
2. Initialization:
 - Select an elliptic curve equation ($y^2 = x^3 + ax + b$) with parameters (a) and (b), along with a large prime (p) (defining the finite field).
 - Choose a base point (G) on the curve, which will be used for generating public keys.
3. Key Generation:
 - Each party selects a private key (d) (a random integer).
 - Calculate the public key as ($Q = d \times G$) (using elliptic curve point multiplication).
4. Encryption and Decryption:
 - Encryption: The sender uses the recipient's public key and the base point (G) to encode the message.
 - Decryption: The recipient uses their private key to decode the message and retrieve the original plaintext.
5. Security: ECC's security relies on the Elliptic Curve Discrete Logarithm Problem (ECDLP), making it highly secure with shorter key lengths compared to traditional methods like RSA.

Program:

```
#include <stdio.h>

// Define a structure for points on the elliptic curve
typedef struct {
    long long int x, y;
} Point;

// Function to compute modular inverse using Extended Euclidean Algorithm
long long int modInverse(long long int a, long long int m) {
    long long int m0 = m, t, q;
    long long int x0 = 0, x1 = 1;
    if (m == 1) return 0;

    while (a > 1) {
        q = a / m;
        t = m;
```



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        m = a % m;
        a = t;
        t = x0;
        x0 = x1 - q * x0;
        x1 = t;
    }

    if (x1 < 0) x1 += m0;
    return x1;
}

// Function for point addition on the elliptic curve
Point pointAddition(Point P, Point Q, long long int a, long long int p) {
    Point R;
    long long int lambda;

    if (P.x == Q.x && P.y == Q.y) {
        lambda = (3 * P.x * P.x + a) * modInverse(2 * P.y, p) % p;
    } else {
        lambda = (Q.y - P.y) * modInverse(Q.x - P.x, p) % p;
    }

    R.x = (lambda * lambda - P.x - Q.x) % p;
    R.y = (lambda * (P.x - R.x) - P.y) % p;

    R.x = (R.x + p) % p;
    R.y = (R.y + p) % p;

    return R;
}

// Function for scalar multiplication (repeated addition)
Point scalarMultiplication(Point P, long long int k, long long int a, long long int p) {
    Point result = P;
    k--; // Because we start with the base point

    while (k > 0) {
        result = pointAddition(result, P, a, p);
        k--;
    }

    return result;
}

// Main function
int main() {
    printf("Ex 11 - ELLIPTIC CURVE CRYPTOGRAPHY(ECC)\n");
    printf("-----\n");
    printf("Programmed By Muhammad Afshan A\n");
    printf("-----\n");

    long long int p, a, b, privateA, privateB;
    Point G, publicA, publicB, sharedSecretA, sharedSecretB;

    printf("Enter the prime number (p): ");
    scanf("%lld", &p);

```

```

printf("Enter the curve parameters (a and b) for equation  $y^2 = x^3 + ax + b$ : ");
scanf("%lld %lld", &a, &b);

printf("Enter the base point G (x and y): ");
scanf("%lld %lld", &G.x, &G.y);

printf("Enter Alice's private key: ");
scanf("%lld", &privateA);

printf("Enter Bob's private key: ");
scanf("%lld", &privateB);

publicA = scalarMultiplication(G, privateA, a, p); // Alice's public key
publicB = scalarMultiplication(G, privateB, a, p); // Bob's public key

printf("Alice's public key: (%lld, %lld)\n", publicA.x, publicA.y);
printf("Bob's public key: (%lld, %lld)\n", publicB.x, publicB.y);

sharedSecretA = scalarMultiplication(publicB, privateA, a, p); // Alice's shared secret
sharedSecretB = scalarMultiplication(publicA, privateB, a, p); // Bob's shared secret

printf("Shared secret computed by Alice: (%lld, %lld)\n", sharedSecretA.x, sharedSecretA.y);
printf("Shared secret computed by Bob: (%lld, %lld)\n", sharedSecretB.x, sharedSecretB.y);

if (sharedSecretA.x == sharedSecretB.x && sharedSecretA.y == sharedSecretB.y) {
    printf("Key exchange successful. Both shared secrets match!\n");
} else {
    printf("Key exchange failed. Shared secrets do not match.\n");
}

return 0;
}

```

Output:

Output

[Clear](#)

Ex 11 - ELLIPTIC CURVE CRYPTOGRAPHY(ECC)

Programmed By Muhammad Afshan A

Enter the prime number (p): 33

Enter the curve parameters (a and b) for equation $y^2 = x^3 + ax + b$: 7
5

Enter the base point G (x and y): 2
4

Enter Alice's private key: 27

Enter Bob's private key: 55

Alice's public key: (0, 23)

Bob's public key: (0, 23)

Shared secret computed by Alice: (7, 25)

Shared secret computed by Bob: (7, 25)

Key exchange successful. Both shared secrets match!

=== Code Execution Successful ===

Result:

The program is executed successfully