Maximum Product Subarray

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⊷ difficulty	Medium
_≔ tags	Prefix Sum
🕰 language	C++
solved on	@25/11/2024
⊘ link	https://www.geeksforgeeks.org/problems/maximum-product-subarray3604/1

Intuition

The problem requires finding the contiguous subarray within an array that has the largest product. A key observation is that the product can change drastically due to the presence of negative numbers and zeros:

- **Negative numbers:** Multiplying two negatives gives a positive product, so tracking the smallest negative product can help.
- Zeros: They break the product continuity, resetting the product.

To efficiently solve the problem, the two-pass approach is utilized:

- Left to right pass: Accumulate the product while tracking the maximum.
- **Right to left pass:** Repeat the same process but starting from the end of the array. This helps handle cases where the maximum product is achieved by a subarray ending at the last element.

By considering both passes, we ensure that the product of all possible subarrays is evaluated.

Approach

- 1. Initialize left and right products to 1, and maxi (to store the maximum product) to
 INT_MIN.
- 2. Traverse the array twice:
 - First Pass (Left to Right): Multiply each element with <a>left . If <a>left becomes zero (due to a zero in the array), reset <a>left to 1.
 - Second Pass (Right to Left): Multiply each element from the end of the array with right. Similarly, reset right to 1 when encountering a zero.
- 3. In each pass, update maxi with the maximum of maxi, left, and right.
- 4. Return maxi as the maximum product.

Complexity

Time Complexity:

• O(n): We perform a single traversal of the array from both directions.

Space Complexity:

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• O(1): Only a few variables are used for tracking the product and maximum.

Code

```
class Solution {
  public:
    int maxProduct(vector<int> &arr) {
        int n = arr.size();
        int left = 1;
        int right = 1;
        int maxi = INT_MIN;
        for (int i = 0; i < n; i++) {
            left *= arr[i];
            right *= arr[n - i - 1];
            maxi = max({maxi, left, right});
            if (left == 0) left = 1;
            if (right == 0) right = 1;
        }
        return maxi;
    }
};
```

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