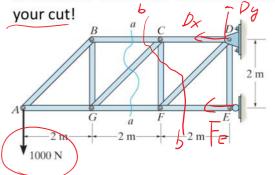
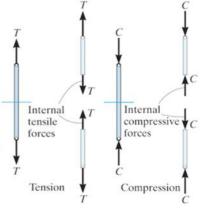


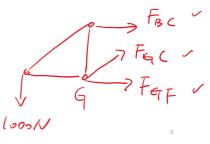
Method of sections

- · Determine external support reactions
- "Cut" the structure at a section of interest into two separate pieces and set either part into force and moment equilibrium

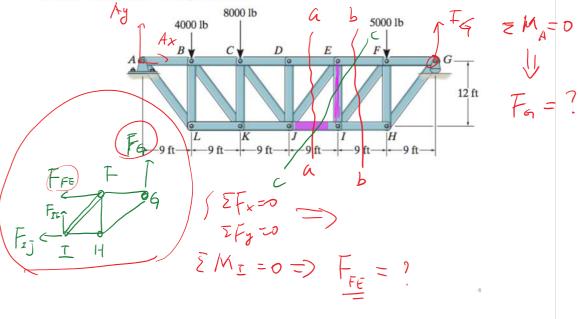
Be aware of number of unknowns after





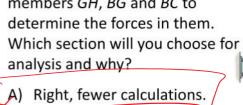


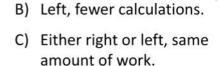
Determine the force in members <u>EI</u> and JI of the truss which serves to support the deck of a bridge. State if these members are in tension or compression.



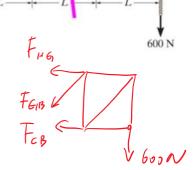
i-Clicker Time

As shown, a cut is made through members GH, BG and BC to





D) None of the above, too many unknowns.



i-Clicker Time

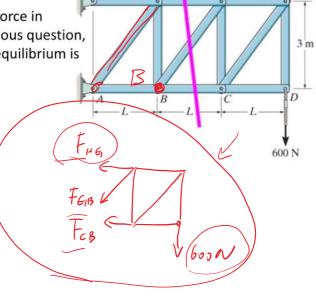
When determining the force in member HG in the previous question, which one equation of equilibrium is the best one to use?

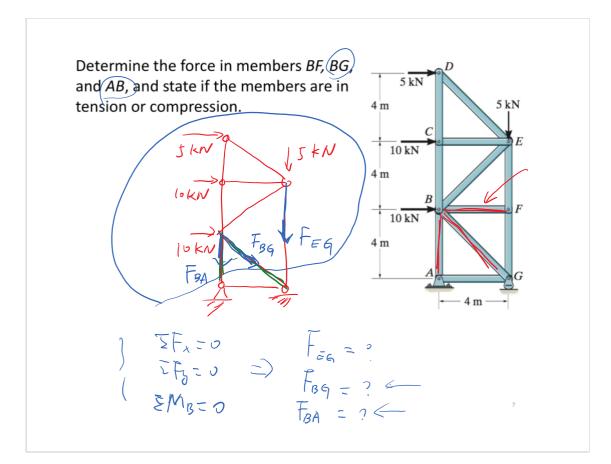
A)
$$\Sigma M_H = 0$$

B)
$$\Sigma M_G = 0$$

C)
$$\Sigma M_B = 0$$

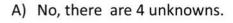
D)
$$\Sigma M_C = 0$$



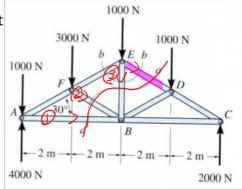


i-Clicker Time

Can you determine the force in member ED by making the cut at section a-a?



- B) Yes, using Σ M_D = 0.
- C) Yes, using $\Sigma M_E = 0$.
- D) Yes, using Σ M_B = 0.

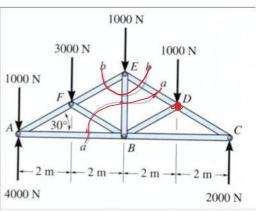




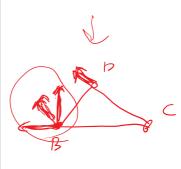
i-Clicker Time

If you know F_{ED} , how will you determine F_{EB} ?

- A) By taking section b-b and using $\Sigma M_E = 0$
- B) By taking section b-b, and using $\Sigma F_x = 0$ and $\Sigma F_y = 0$
 - C) By taking section a-a and using $\Sigma M_B = 0$
 - D) By taking section a-a and using $\Sigma M_D = 0$







A)
$$F = P$$

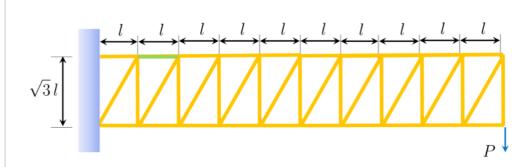
B)
$$F = -P$$

C)
$$F = \frac{2}{\sqrt{3}}P$$

D)
$$F = -\frac{2}{\sqrt{3}}P$$

E)
$$F = 0$$

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- A) F = 9P
- B) F = -9P
- C) $F = \frac{9}{\sqrt{3}}P$
- D) $F = -\frac{9}{\sqrt{3}}P$
- E) F = 0

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