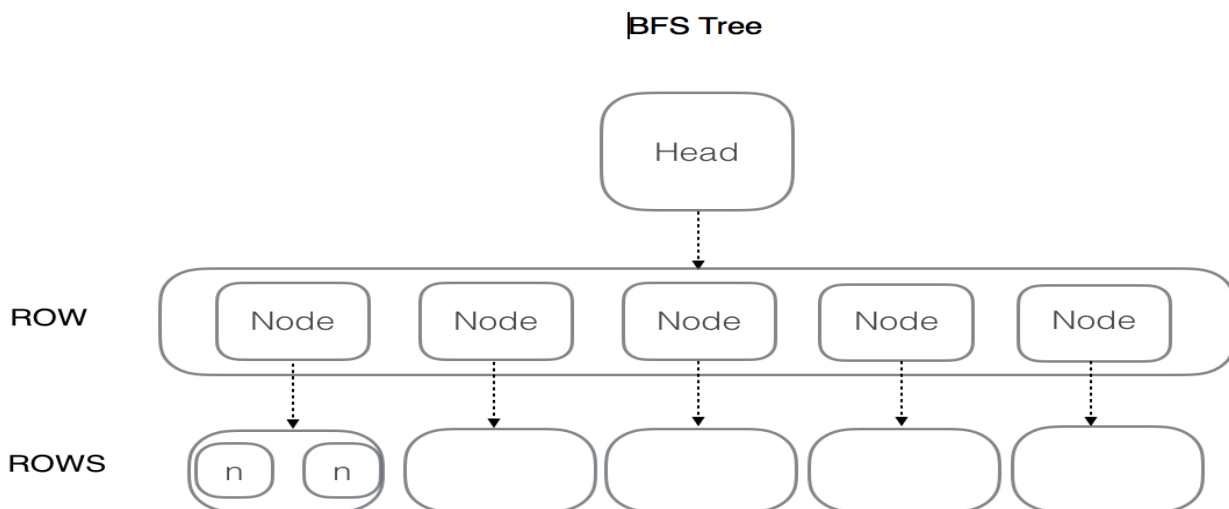


Part A. My Program (20 points)

1) My algorithm work

- Read console.
- Read input and select algorithm.
- **If BFS is selected.**
 - Head Node's maze is equal to input maze
 - All Nodes set insert this maze for control cycle
 - **While is solution find**
 - **Traverse bfs**
 - Traverse maze
 - Try go to right, left, up, or down
 - Each loop row nodes vector insert a new node which include new maze
 - Going to right we control to find the solution
 - If new maze is existed continue
 - Print output head to solution node
- **If DFS selected**
 - Head Node's maze is equal to input maze
 - All Nodes set insert this maze for control cycle
 - **While is solution find**
 - **Traverse dfs**
 - Traverse maze
 - Try go to right, left, up, or down
 - Each loop new node inserted to queue
 - Going to right we control to find the solution
 - If new maze is existed continue
 - Print output head to solution node



DFS Queue

QUEUE



Complexity = $O(N \log N)$

N -> The number of nodes to find the solution

Constant numbers are ignored like a 6x6 maze.

2) Classes and Methods

```
// Car struct include car inputs
struct Car
{
    int id;
    char direction;
    int length;
};
// Maze struct include maze[6][6] matrix
struct Maze
{
    vector< vector<int> > maze;
};
// In BFS tree include node and nodes
class Node
{
public:
    Node();
    ~Node();
    vector< vector<int> > maze;
    Nodes* below;
    Node* above;
};
// In BFS each node has nodes child
struct Nodes
{
    vector<Node*> nodes;
    Node *above;
};

void readFile(string, string, string); // read txt and select algorithm
void addBFSNode(Maze*, string); // create BFS tree and find solution
void addDFSNode(Maze*, string); // create DFS queue and find solution
```

Part B. Complexity of my algorithm (20 points)

1) Extra complexity that is caused by the cycle search

I use set for cycle control. All nodes insert this set. $O(\log N)$ to search for an individual element in <set>.¹ This algorithm search for all elements; therefore, complexity is equal to $O(N \log N)$.

2) Adjacency list representation

Matrix will be $O(V^2)$.

Adjacency List is $O(V + E)$.

E-> node

V-> the number of connection all nodes

How to compile

- `g++ *.cpp`
- `./a.out bfs blocks.txt bfs.txt`
- `./a.out dfs blocks.txt dfs.txt`

¹ <http://www.cplusplus.com/reference/set/set/find/>