Assignment_3

Meenakshi Vaidhiyanathan

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Importing required packages including naivebayes package

```
#install.packages("reshape")
#install.packages("reshape2")
#install.packages("melt")
#install.packages("naivebayes")
#install.packages("pROC")

loading the necessary libraries

library(readr)
library(dplyr)
```

```
##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
## filter, lag
## The following objects are masked from 'package:base':
##
## intersect, setdiff, setequal, union

library(caret)
```

```
## Loading required package: ggplot2
## Loading required package: lattice
library(class)
library(melt)
library(reshape)
```

```
##
## Attaching package: 'reshape'
## The following object is masked from 'package:class':
##
## condense
```

```
## The following object is masked from 'package:dplyr':
##
##
       rename
library(reshape2)
##
## Attaching package: 'reshape2'
## The following objects are masked from 'package:reshape':
##
##
       colsplit, melt, recast
library(ggplot2)
library(ISLR)
library(naivebayes)
## naivebayes 0.9.7 loaded
library(e1071)
library(pROC)
## Type 'citation("pROC")' for a citation.
##
## Attaching package: 'pROC'
## The following objects are masked from 'package:stats':
##
##
       cov, smooth, var
Importing the dataset and assigning it to the variable bank. Using the head function to display first six rows
of the dataset bank.
bank <- read_csv("~/Downloads/UniversalBank.csv")</pre>
## Rows: 5000 Columns: 14
## -- Column specification -----
## Delimiter: ","
## dbl (14): ID, Age, Experience, Income, ZIP Code, Family, CCAvg, Education, M...
## i Use 'spec()' to retrieve the full column specification for this data.
## i Specify the column types or set 'show_col_types = FALSE' to quiet this message.
head(bank)
## # A tibble: 6 x 14
        ID Age Experience Income 'ZIP Code' Family CCAvg Education Mortgage
```

<dbl> <dbl> <dbl>

<dbl>

<dbl>

<dbl> <dbl>

<dbl> <dbl>

##

```
## 1
               25
                                   49
                                             91107
                                                             1.6
                                                                                     0
          1
                            1
## 2
               45
                            19
                                                                                     0
          2
                                   34
                                            90089
                                                         3
                                                             1.5
                                                                           1
## 3
          3
               39
                            15
                                   11
                                            94720
                                                         1
                                                             1
                                                                           1
                                                                                     0
                                                                           2
                                                                                     0
## 4
          4
               35
                            9
                                                             2.7
                                   100
                                            94112
                                                         1
## 5
          5
               35
                             8
                                   45
                                             91330
                                                         4
                                                             1
                                                                           2
                                                                                     0
## 6
          6
                                   29
                                                         4
                                                             0.4
                                                                           2
               37
                            13
                                            92121
                                                                                  155
## # i 5 more variables: 'Personal Loan' <dbl>, 'Securities Account' <dbl>,
        'CD Account' <dbl>, Online <dbl>, CreditCard <dbl>
```

The is.na() function is used to check if there are any missing values in the dataset and is assigned to bank_na variable.

```
bank_na <- is.na.data.frame("universalbank")</pre>
```

The column Online, Credit card and personal loan have categorical variables which are converted to factors using the as.factor() function.

```
bank$Online<- as.factor(bank$Online)
bank$CreditCard<- as.factor(bank$CreditCard)
bank$`Personal Loan`<- as.factor(bank$`Personal Loan`)</pre>
```

#Data Partition and Normalization The process of Data partition is performed to create the training data that is assigned to Train_data containing 60% of the dataset bank and the Validation data assigned to Valid_data containing the remaining 40% of the dataset bank.

```
set.seed(333)
Train_Index<- createDataPartition(bank$`Personal Loan`, p=0.6, list=FALSE)
Train_data <-bank[Train_Index,]
Valid_data <-bank[-Train_Index,]</pre>
```

Both Training and validation data is normalised using the functions preProcess() and predict() and assinged to Train_normalised and Valid_normalised respectively.

```
Model_normalised <- preProcess(Train_data[,-c(10,13:14)],method = c("center", "scale"))
Train_normalised <- predict(Model_normalised,Train_data)
Valid_normalised<- predict(Model_normalised,Valid_data)</pre>
```

The following code chink creates a pivot table for training data using the table() function.

Table.OCP <- table(Train_normalised\$`Personal Loan`, Train_normalised\$Online, Train_normalised\$CreditCatable.OCP

```
##
   , , Credit Card = 0
##
                 Online
##
## Personal Loan
                     0
                           1
                   786 1120
##
##
                1
                    73 135
##
##
   , , Credit Card = 1
##
##
                 Online
```

```
## Personal Loan 0 1
## 0 305 501
## 1 31 49
```

Part B: Computing P(Loan | Online & CC) As we look that the pivot table created in part A out of the total 550 records where of active online banking users with credit cards, 49 had accepted a personal loan, so

$$\mathbf{P}(\mathrm{Loan} = 1 \mid \mathrm{CC} = 1 \mathrm{and} \ \mathrm{Online} = 1) = \frac{49}{550} = 0.089$$

.

Computing P(loan | Online & CC)

```
Table.OCP[2,2,2] / (Table.OCP[2,2,2] + Table.OCP[1,2,2])
```

```
## [1] 0.08909091
```

Part C: Creating two separate pivot tables for Training data. One will have Loan as rows which is as a function of Online i.e columns and the other will have Loan (rows) as a function of CC. The 'table() function is used.

online_table <- table(Train_normalised\$`Personal Loan`, Train_normalised\$Online, dnn=c("Personal Loan", online_table

```
## Online
## Personal Loan 0 1
## 0 1091 1621
## 1 104 184
```

credit_table <- table(Train_normalised\$`Personal Loan`, Train_data\$CreditCard, dnn=c("Personal Loan", "credit_table</pre>

```
## Credit Card
## Personal Loan 0 1
## 0 1906 806
## 1 208 80
```

Part D : Computing the following quantities: $i)P(CC = 1 \mid Loan = 1)$ (the proportion of credit card holders among the loan acceptors) i)

$$P(CC = 1 \mid Loan = 1) = 80/80 + 208$$

```
probability_ccl <- credit_table[2,2] / (credit_table[2,2] + credit_table[2,1])
probability_ccl</pre>
```

[1] 0.2777778

ii) $P(Online = 1 \mid Loan = 1)$ ii)

$$P(Online = 1 \mid Loan = 1) = 184/184 + 104$$

```
probability_ol <- online_table[2,2] / (online_table[2,2] + online_table[2,1])</pre>
probability_ol
## [1] 0.6388889
iii)P(Loan = 1) (the proportion of loan acceptors) iii)
                                    P(Loan = 1) = 288/288 + 2712
probability_loan <- sum(Train_normalised$`Personal Loan`==1) / length(Train_normalised$`Personal Loan`)
probability_loan
## [1] 0.096
 iv) P(CC = 1 \mid Loan = 0)
  v)
                                  P(CC = 1 \mid Loan = 0) = 806/806 + 1906
probability_ccnl <-credit_table[1,2] / (credit_table[1,2] + credit_table[1,1])</pre>
probability_ccnl
## [1] 0.2971976
v)P(Online = 1 \mid Loan = 0) v)
                             P(Online = 1 \mid Loan = 0) = 1621/1621 + 1091
probability_onl <- online_table[1,2] / (online_table[1,2] + online_table[1,1])</pre>
probability_onl
## [1] 0.5977139
vi)P(Loan = 0) vi)
                                   P(Loan = 0) = 2712/2712 + 288
probability_nl <- sum(Train_normalised$`Personal Loan`==0) / length(Train_normalised$`Personal Loan`)
probability_nl
## [1] 0.904
Part E: The computed quantities from above were used for the Naive Bayes probability P(Loan = 1 | CC
= 1, Online = 1).
P(Loan = 1 \mid CC = 1, Online = 1) = (0.6388 \times 0.2777 \times 0.096) / (0.6388 \times 0.2777 \times 0.096 + 0.5977 \times 0.2972 \times 0.904) = 0.095
(probability_ol * probability_ccl * probability_loan) / (probability_ol * probability_ccl * probability
## [1] 0.09591693
```

Part F: The pivot table values from (B) is compared with Naive bayes probability.

From the Naive Bayes classifier, a higher value for $P(Loan = 1 \mid CC = 1, Online = 1)$ is obtained than with the direct computation obtained in part B. Interestingly, in part D we got the value of P(Loan = 1) as 0.096 same as value obtained in Naive Bayes classifier. So the concerned person being an online user with a bank-issued credit card is independent of the probability of the person accepting loan as suggested by Naive Bayes approach.

Part G: Performing Naive Bayes on the data using the naiveBayes() function and assigning to the variable naive_data. The value that is obtained for the probability of loan acceptance (Loan = 1) conditional on having a bank credit card (CC = 1) and being an active user of online banking services (Online = 1) from Naive bayes as seen is 0.09591693, which is equal to the value derived in part E.

```
naive_data <- naiveBayes(`Personal Loan`~Online+CreditCard,data=Train_normalised)
naive_data</pre>
```

```
## Naive Bayes Classifier for Discrete Predictors
##
## Call:
## naiveBayes.default(x = X, y = Y, laplace = laplace)
## A-priori probabilities:
## Y
##
## 0.904 0.096
##
##
   Conditional probabilities:
##
      Online
## Y
               0
##
     0 0.4022861 0.5977139
     1 0.3611111 0.6388889
##
##
##
      CreditCard
## Y
               0
     0 0.7028024 0.2971976
##
     1 0.7222222 0.2777778
##
```

AUC Value and ROC Curve

Plotting AUC (Area under curve) and ROC (Receiver Operating Characteristic) curve below using the predict() function by passing naive_data followed by using the roc() function and the plot.roc() (removing the second column).

```
label_predicted <-predict(naive_data, Valid_normalised, type = "raw")
head(label_predicted)</pre>
```

```
## 0 1
## [1,] 0.9107805 0.08921953
## [2,] 0.9107805 0.08921953
## [3,] 0.8955384 0.10446160
## [4,] 0.8955384 0.10446160
```

```
## [5,] 0.9181923 0.08180773
## [6,] 0.9107805 0.08921953

roc(Valid_normalised$Online, label_predicted[,2])

## Setting levels: control = 0, case = 1

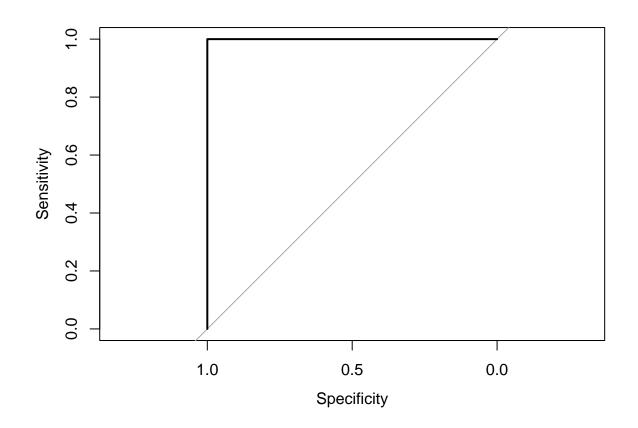
## Setting direction: controls < cases

##
## Call:
## roc.default(response = Valid_normalised$Online, predictor = label_predicted[, 2])

## Data: label_predicted[, 2] in 821 controls (Valid_normalised$Online 0) < 1179 cases (Valid_normalised# Area under the curve: 1

plot.roc(Valid_normalised$Online,label_predicted[,2])

## Setting levels: control = 0, case = 1</pre>
```



Setting direction: controls < cases