

# untitled1-1

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## 1 Numpy

.NumPy is a powerful library in Python used for numerical and scientific computing.

.Its core functionalities revolve around its central data structure, the ndarray, which is a multidimensional array object.

.Here's a detailed overview of NumPy's core functionalities:

### 1.1 Import numpy

Import numpy with an alias 'np'

```
[166]: import numpy as np
```

### 1.2 Step1:Exploring Numpy's core functionalities

->Creating arrays

```
[185]: arr1 = np.array([1, 2, 3, 4]) #creating 1D-array from list
arr2= np.array((1, 2, 3, 4)) #creating 1D-array from tuple
print("arr_from_list",arr1)
print("arr_from_tuple",arr2)
```

```
arr_from_list [1 2 3 4]
arr_from_tuple [1 2 3 4]
```

```
[187]: arr3 = np.array([[1, 2, 3], [4, 5, 6], [7, 8, 9]]) # Create a 2D array (matrix)
print("2D Array:\n", arr3)
```

2D Array:

```
[[1 2 3]
 [4 5 6]
 [7 8 9]]
```

->Performing basic operations

```
[190]: #Addition of two arrays
add= arr1 + arr2
print("addition:",add)
```

```

#subtraction of two arrays
sub = arr1 - arr2
print("subtraction:",sub)
#Multiplication of two arrays
mult = arr1 * arr2
print("multiplication:",mult)
#Division of two arrays
div= arr1 / arr2
print("division:",div)

```

```

addition: [2 4 6 8]
subtraction: [0 0 0 0]
multiplication: [ 1  4  9 16]
division: [1. 1. 1. 1.]

```

->Array properties

**1.Shape:**The shape property returns a tuple representing the dimensions of the array.

```

[195]: array = np.array([[1, 2], [3, 4]])
print("shape:",array.shape)

```

```

shape: (2, 2)

```

**2.Number of Dimensions (ndim):**The ndim property returns the number of dimensions (axes) of the array.

```

[201]: print("Number of dimensions:", array.ndim)

```

```

Number of dimensions: 2

```

**3.Size:**The size property returns the total number of elements in the array.

```

[204]: print("Size:", array.size)

```

```

Size: 4

```

**4.Data Type (dtype):**The dtype property returns the data type of the elements in the array.

```

[207]: array1 = np.array([1, 2, 3], dtype=np.float64)
print("d_type:",array1.dtype)

```

```

d_type: float64

```

**5.Item Size:**The itemsize property returns the size (in bytes) of each element in the array.

```

[210]: print("Item size:", array.itemsize)

```

```

Item size: 4

```

### 1.3 Step2:Data Manipulation using Numpy

#### ->Array creation

```
[110]: # Create a 1D array
arr1 = np.array([10, 20, 30, 40, 50])
print("1D Array:", arr1)
```

1D Array: [10 20 30 40 50]

```
[112]: # Create a 2D array
arr2 = np.array([[1, 2, 3], [4, 5, 6], [7, 8, 9]])
print("2D Array:\n", arr2)
```

2D Array:

```
[[1 2 3]
 [4 5 6]
 [7 8 9]]
```

```
[114]: # Create an array with a range of values
arr3= np.arange(5, 15, 2)
print("Array with a Range of Values:", arr3)
```

Array with a Range of Values: [ 5 7 9 11 13]

#### ->Indexing and Slicing

```
[118]: # Indexing in 2D array
elmnt= arr2[1, 2]
print("Element at row 1, column 2:", elmnt)
```

Element at row 1, column 2: 6

```
[120]: #Indexing in 1D array
elmnt1 = arr1[2]
print("Element at index 2 is:",elmnt1)
```

Element at index 2 is: 30

```
[122]: # Slicing in 2D array
sliced_arr = arr2[1:, 1:]
print("Sliced Array:\n", sliced_arr)
```

Sliced Array:

```
[[5 6]
 [8 9]]
```

```
[124]: #Slicing in 1D array
sliced_arr2=arr1[1:2]
print("sliced Array:",sliced_arr2)
```

sliced Array: [20]

### ->Reshaping Arrays

```
[128]: #Reshape a 1D array into a 2D array using reshape.  
reshaped_array = np.arange(12).reshape((3, 4))  
print("Reshaped Array:\n", reshaped_array)
```

Reshaped Array:

```
[[ 0  1  2  3]  
 [ 4  5  6  7]  
 [ 8  9 10 11]]
```

### ->Applying Mathematical Operations

```
[227]: # Arithmetic operations  
print("Array1 + 5:", added_array)
```

Array1 + 5: [6. 7. 8.]

```
[229]: # Element-wise multiplication  
print("Array2 * 2:\n", multiplied_array)
```

Array2 \* 2:

```
[[ 2  4  6]  
 [ 8 10 12]  
 [14 16 18]]
```

```
[233]: #Sum of elements in the 2D array  
print("Sum of elements in arr np.sum(arr2):", sum_array2)
```

Sum of elements in arr np.sum(arr2): 45

```
[251]: # Mean of elements in the 2D array  
mean_array2 = np.mean(arr2)  
print("Mean of elements in Array2:", mean_array2)
```

Mean of elements in Array2: 2.5

```
[253]: #Transpose a 2D array using np.transpose  
transpose_arr = np.transpose(arr2)  
print("Transpose of Arr:\n", transpose_arr)
```

Transpose of Arr:

```
[1 2 3 4]
```

## 1.4 Step3:Data Aggregation

```
[261]: # Create a 2D array with random integers between 1 and 100
data = np.random.randint(1, 100, size=(5, 4))
print("Data:\n", data)
```

Data:

```
[[33 66 10 58]
 [33 32 75 24]
 [36 76 56 29]
 [35  1  1 37]
 [54  6 39 18]]
```

->compute Summary Statistics

```
[265]: #mean
mean = np.mean(data)
print("Mean of Data:", mean)
#median
median = np.median(data)
print("Median of Data:", median)
#standard deviation
std_dev = np.std(data)
print("Standard Deviation of Data:", std_dev)
#sum
sum_all = np.sum(data)
print("Sum of All Elements in Data:", sum_all)
```

Mean of Data: 35.95

Median of Data: 34.0

Standard Deviation of Data: 22.155078424596017

Sum of All Elements in Data: 719

```
[267]: #Compute statistics along specific axis
mean_axis0 = np.mean(data, axis=0) #axis=0 indicates Mean for each column
mean_axis1 = np.mean(data, axis=1) #axis=1 indicates Mean for each row
print("\nMean along columns:", mean_axis0)
print("Mean along rows:", mean_axis1)
```

Mean along columns: [38.2 36.2 36.2 33.2]

Mean along rows: [41.75 41. 49.25 18.5 29.25]

->Grouping Data and Aggregations

```
[272]: #Grouping data by columns
sum = np.sum(data, axis=0) # Sum for each column
print("Sum along axis columns:", sum)
```

Sum along axis columns: [191 181 181 166]

```
[274]: # Grouping data by rows
mean= np.mean(data, axis=1) # Mean for each row
print("Mean along axis rows:", mean)
```

Mean along axis rows: [41.75 41. 49.25 18.5 29.25]

```
[278]: # Variance and range
variance = np.var(data)
range= np.max(data) - np.min(data)
print("Variance is:", variance)
print("Range is:", range_values)
```

Variance is: 490.84749999999997

Range is: 75

```
[280]: # Find maximum and minimum values for each column
max= np.max(data, axis=0)
min= np.min(data, axis=0)
print("Max along columns:", max)
print("Min along columns:", min)
```

Max along columns: [54 76 75 58]

Min along columns: [33 1 1 18]

## 1.5 Step 4:Data Analysis

```
[311]: #arr1=np.random.uniform(1,1000,100)
#
rrr2=np.random.uniform(1,1000,100)
```

->Correlation Coefficient:

```
[320]: arr1=np.random.uniform(1,1000,100)
arr2=np.random.uniform(1,1000,100)
correlation = np.corrcoef(arr1, arr2)[0][1]
print("Correlation:", correlation)
```

Correlation: 0.09455043404719411

->Detecting outliers:

```
[323]: mean = np.mean(arr1)
std_dev = np.std(arr1)
outliers = arr1[np.abs(arr1 - mean) > 1 * std_dev]
print("Number of outliers in arr1:", len(outliers))
```

Number of outliers in arr1: 41

->Calculate Percentiles:

```
[330]: percentiles = [25, 50, 75]
percentile_arr1 = np.percentile(arr1, percentiles)
percentile_arr2= np.percentile(arr2, percentiles)

print(f"Percentiles for arr1 (25th, 50th, 75th): {percentile_arr1}")
print(f"Percentiles for arr2 (25th, 50th, 75th): {percentile_arr2}")
```

```
Percentiles for arr1 (25th, 50th, 75th): [304.64386563 580.27898551
809.76323235]
Percentiles for arr2 (25th, 50th, 75th): [258.05304538 490.78726706
704.68296332]
```

## 1.6 Step5:Application in Data science

In conclusion, utilizing NumPy in a program offers significant benefits for data science professionals, particularly when handling numerical computations. NumPy's powerful features and optimized performance make it a preferred choice over traditional Python data structures such as lists and tuples. ##### Here are some key advantages:

**Performance and Speed:** NumPy arrays are implemented in C, enabling faster execution of operations compared to Python lists, which are implemented in Python. This speed advantage is crucial when dealing with large datasets

**Memory Efficiency:** NumPy arrays consume less memory compared to Python lists. This efficiency arises from the fact that NumPy arrays allows for faster data access and processing.

**Vectorized Operations:** NumPy allows for vectorized operations, which means that operations can be applied to entire arrays at once without the need for explicit loops.

**Broad Functionality:** NumPy provides a comprehensive set of mathematical functions, including linear algebra, random number generation, and statistical operations, all optimized for use with arrays.

**Ease of Use:** The syntax and structure of NumPy are intuitive and easy to learn, allowing data scientists to quickly adopt and apply it to their projects. ##### NumPy is crucial in real-world applications such as:

**Machine Learning:** For data preprocessing, implementing algorithms, and performing matrix operations essential for training models.

**Financial Analysis:** Used in portfolio optimization, time series analysis, and risk management by enabling fast and efficient numerical computations.

**Scientific Research:** Supports simulations, genomic data analysis, and image processing by providing tools for handling large datasets and performing complex calculations.

**Astronomy:** Essential for processing astronomical data and simulating cosmic events.

**Engineering:** Used in signal processing and control systems design, where efficient matrix operations and numerical computation are key.

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